a wrap persists on spacetime

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1 Introduction

$$\Psi$$

we assume as our prior.

We compose a lovely notion:

$f(o * \psi) = \Psi$

We compile a frame in which to put a collection of actions on space, and say it is our whole state.

The left hand side could represent a program, while the right hand side a reference key.

But we necessitate $\partial_t \Psi \neq 0$. Sorry.

As an excuse, we create

$\nabla \times o = \Psi$

Where now we place the indeterminancy in o:

$$P\big(\langle\psi|\, o \,|\psi\rangle = \langle\psi|\, b \,|\psi\rangle \mid o = indistinguishable(b)\big) \geq min$$

That the probability that an indistinguishable preparation b of o gives us an identical expectation must be greater than a minimum.

So, sometimes, with the exact same, to precision standards but always present, organization of space we get a different answer.

idk if it's related to $\frac{\hbar}{2}$.

$|$ is 'given', which supposes some ordering. Thus, out of logical necessity $o = indistinguishable(b)$ arrives before $Check(\langle\psi|\, o \,|\psi\rangle - \langle\psi|\, b \,|\psi\rangle = 0)$

Before $indistinguishable(b)$ we create a process on o:

$$t : c_i^j \to o$$

and

$$o\Psi$$

we conceptualize as an action on space.

Let sway:

$$\Psi \equiv \Psi(*t)$$

$*$ as a coordinate or a localization, made on time to evolve.

We give a smaller structure in ψ, as composing:

$$o(E * \psi \to \Psi)$$

Whereby

$$E$$

we index, as a guess estimate on space:

$$E(\eta) = mR^2 + k\omega + \Omega(\eta)$$

And say thus:

1. $\sum \forall (composable) o * E_t = \psi \in \Psi$

1. $\Omega(\eta) \;\; may \;\; not \qquad = 0$

   enumerate

   For an arbitrary $[o] = t^2$, buffeted by t,

   And a dimensionless o.

   Ω we create as a useful crutch, such that it enables a bridge to larger space, for example in said way:

   $$\Omega(t) \equiv E$$

   For a sometimes different E

   That a conscienceable smooth space be bourne smoothly, in two separate actions with a same coordinate on t, for by

   $$E_t \neq E_{/t}$$

   or perhaps $Complement(t)$, with a created $or'\tau$', being a little different.

   And so we look where τ is,

   and easily find it! At least, in the perspective of this author, to be composed of the form:

   $$[\tau] = e^{-s\phi}$$

   For $t \neq [\phi]$

   and

$[\phi] = whoknows$ and $t = [\frac{1}{c^5}\hbar G]$

Or something thereabouts (Cite)

So by creating an interval, what we regard as a minima, and I hereby give someone else than old friend Planck. Decided by a clever conscienceable betting market. Or thereabouts.

And thereby decide this:

That

$$[o] \neq t$$

to create $Undecidable[o]$

And lay the Lemming myth of joint distress to rest, building land for bears that lose their ice.

So by constructing o, in what we call a frame of mathematical operators, typically defined on some manifold or flow field, smooth -or patched - curve, permuted for multiple instances, or, perhaps equivalently, by Langlands I hope,

'geometry'

That we say this:

Since Ψ and E exist under the same transformation, and we have let o fly free, do we note that

$$exists(*) : o * E \to \Psi$$

And we compose $*$ in a hung frame

$$o* \to \langle\psi| * |\psi\rangle$$

Where, suddenly, $*$ exists as E

Thereby, in aggregate, with I conjecture as a $\sum_i w + \Omega_i$

For an Omega not under the sum, though beholden to a coordinate, which connects, again twice smoothly.

An outside-map, so to speak.

Whereby consists o

that is such:

$$\nabla \times o = [t]$$

Though $[o] = [\tau]$

And, conecptually,

$$\nabla \times E - \Omega = -k\omega + mR^2$$

Or as Schrödinger composed. Imagine a more-correct notion of a wrap on Energy.

As such, we imagine E dazed and confused momentarily, with the strength of our perturbation.

And as a relaxed state, outside itself.

$[o] \neq [t]$

And so, make the beautiful formula, which makes Gödel blush,

$o * t : E(-\sqrt{t^2 \rightarrow \pm \mathbf{0} \rightarrow t^2})$

And get one-free element, that is the action of a negative coupled through a square root, or of an assembly change. Helpfully, our intermediate state may be found within a 'subtype' and 'supertype' form[1] $E(\mathbf{0}) \in (\mathbb{R} \vee \mathbb{C})$. When arriving in the complex numbers, I treat

$E_o = m_\nu R^\nu [t^{-1}]$

Where we index m by the lightest instance, ν, though parametrize a radius by a join ν, which happens of the same particle. Neutrinos, as the first form representative in different water $H_2^{/}O$ -

For / not $= [A_{N_0}] = 1_1$ *or* 1_2 for one or two neutrons, most of the time, be likewise composed.

- [2]

Do happen suddenly, and harmonically, in threes.

Though sometimes *not*.

And also say

that $o * t$ is likewise smoothly defined if we allow an indeterminacy of $*$, such that for every answer, we obtain *imprecision*, which is a constant, of Zepplinic proportions, though we may create a minimum composition of o.

Now, if we remember mistakes before the heat of unconsciousable grew, that we may access a *read* sometimes before the *imprecision*.

And improve space.

And say that, from the third postulate down, that an indeterminancy exists at the heart of all space, which I'll note now as Ψ, that such we may never completely define. Snuck in by o, to allow a floor.

From vector calculus identities,

[1] thomasjm: https://github.com/bj-pieri/SICP/tree/master ; 2.5 Systems with Generic Operators

[2] And I think $*$ sometimes be outside the parenthesis in postulate 4.

$$\int (\nabla \times A) \cdot A = 0$$

So $\nabla \times o$ and o are orthogonal.

Let us associate as such:

$$\nabla \times o : \psi$$
$$o : \Psi$$

From vector calculus curl discards irrotational component, and so might be regarded as subtype operation.

$\nabla \times o \subseteq o$

As a related or not note, t