

HW 6 SUNID: BENMA

0 a. Construct:

$X = (X_1, \dots, X_n)$, where $X_i \in \text{Domain}[0, 1]$ for switch off and on

$f_i(X_1, \dots, X_n) = \text{Sum}(X_i)$ if $i \in T_j = \{1, \dots, n\}$ for j in range $(1, m+1)$

Function:

def $f_i(X_i)$:

 Total = 0

 for j in range $(i, m+1)$:

 if i in T_j :

 Total += X_i

 if Total % 2 == 1:

 return True

 else

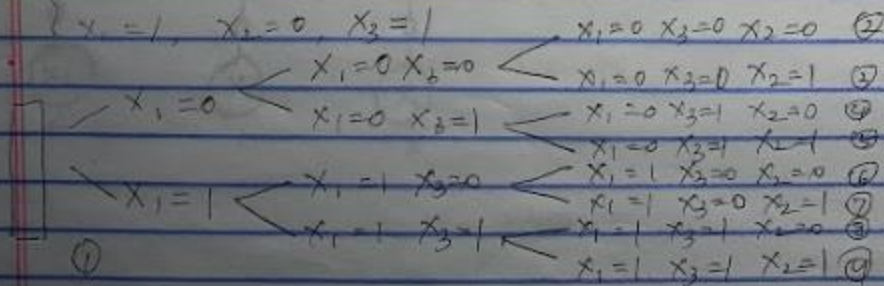
 return False

0 b. i Found 2 assignments in 9 operations

$\{X_1 = 0, X_2 = 1, X_3 = 0$

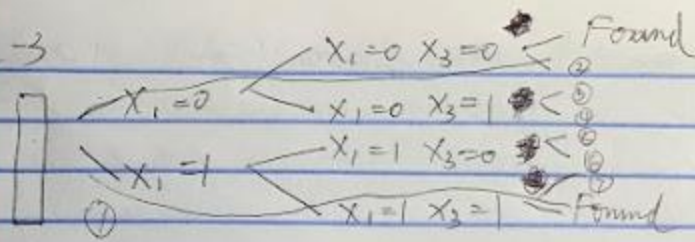
$\{X_1 = 1, X_2 = 0, X_3 = 1$

ii



So call backtrack() 9 times to get all consistent assignment

iii AC-3



AC-3 call backtrack() 7 times to get all consistent assignments

$$A_i[A_i(1) = 0]$$

2a. Initialization: ~~$A_i[1] = 0$~~

Processing: $[A_i[2] = A_i[1] + X_i]$ $i = 1, 2, 3$. $X_1 = 0, X_2 = 1, X_3 = 2$

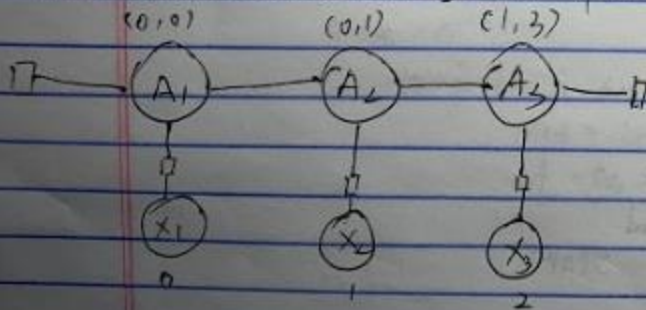
$$[A_i[3] = A_i[2] + X_i]$$

$$[A_i[3] = A_i[2] + X_i]$$

Final Output: $[A_i[2] \leq K]$

consistency: $[A_i[2] = A_i[1]]$

Aux Domain: ~~$A_i \in \{0, 1, 2\}$~~ $A_i = \{(x, y) \mid 0 \leq x \leq 3, 0 \leq y \leq 3, x, y \in \mathbb{Z}\}$



3C

Unit limit per quarter.

minUnits 3

maxUnits 15

These are the quarters that I need to fill. It is assumed that

the quarters are sorted in chronological order.

register Aut2017

register Win2018

register Aut2019

Courses I've already taken

taken CS140

taken CS221

taken MATH51

taken CS145

taken CS124

taken CS106B

taken CS107

taken CS109

Courses that I'm requesting

request CS103

request CS161

request CS109

request CS148

request CS246

request CS149

request CS231A

Here's the best schedule:

| Quarter | Units | Course |
|---------|-------|--------|
| Aut2017 | 4 | CS148 |
| Win2018 | 4 | CS231A |
| Aut2019 | 5 | CS103 |

4a. Worst case: only 1 notable pattern of length n
eliminate any 1 variables, so we can have
the tree width $= n-1$

4b. Use pattern match searching DP of prefix tree.

Set $state = (index_i, value_i, state)$

$(i, v_i, state) \rightarrow transition \rightarrow (i+1, k, state_new)$ $K \in (1, K)$

and get to the factor of how many pattern matched.

Time and space is $O(n^2/K)$

Sample Algorithm: def patternSearch(string, V)

transitions = {}

output = {}

tail = {}

state = 0

~~for~~ for i, char in enumerate(V):

res = transitions.get(state, char) FAIL

if res == FAIL:

break

state = res

state = 0

results = []

for i, char in enumerate(string):

res = transitions.get(state, char) and FAIL

if res != FAIL

state = res

break

state = tail[state]

for match in outputs.get(state, []):

$V_i = \text{temp match} + 1$

results.append(pos, match)