

# Mines, Water Pollution, and Agricultural Productivity

Spatial Economics Project Presentation

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June 18, 2024

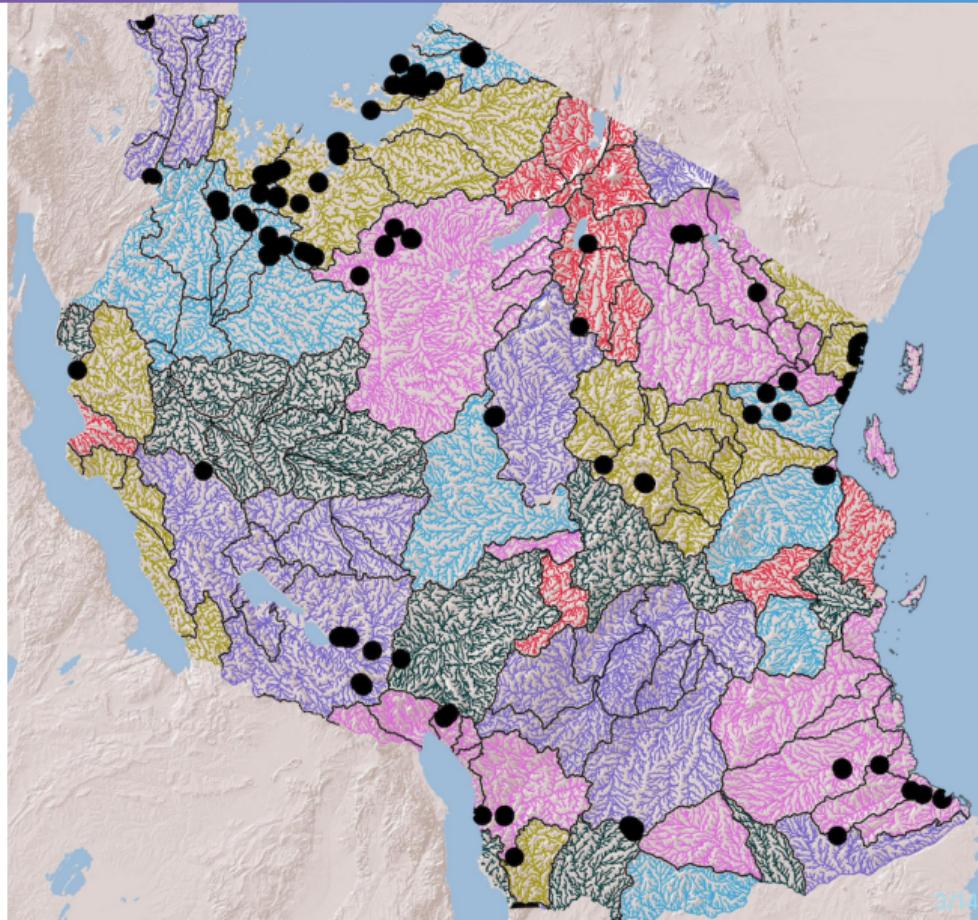
# Recap

Data

First Results

# The Idea

- We hypothesize that mines exert **negative effects on land fertility** via water pollution.
- This effect should only occur **downstream** of a mine, but not upstream.
- We have data on **river basins**, their flow order, (Lehner & Grill, 2013) and the location of **mines** (Maus et al., 2022).
- We can use annual maximum cropland **EVI** during growing season as a proxy for **agricultural productivity** (Didan, 2015).

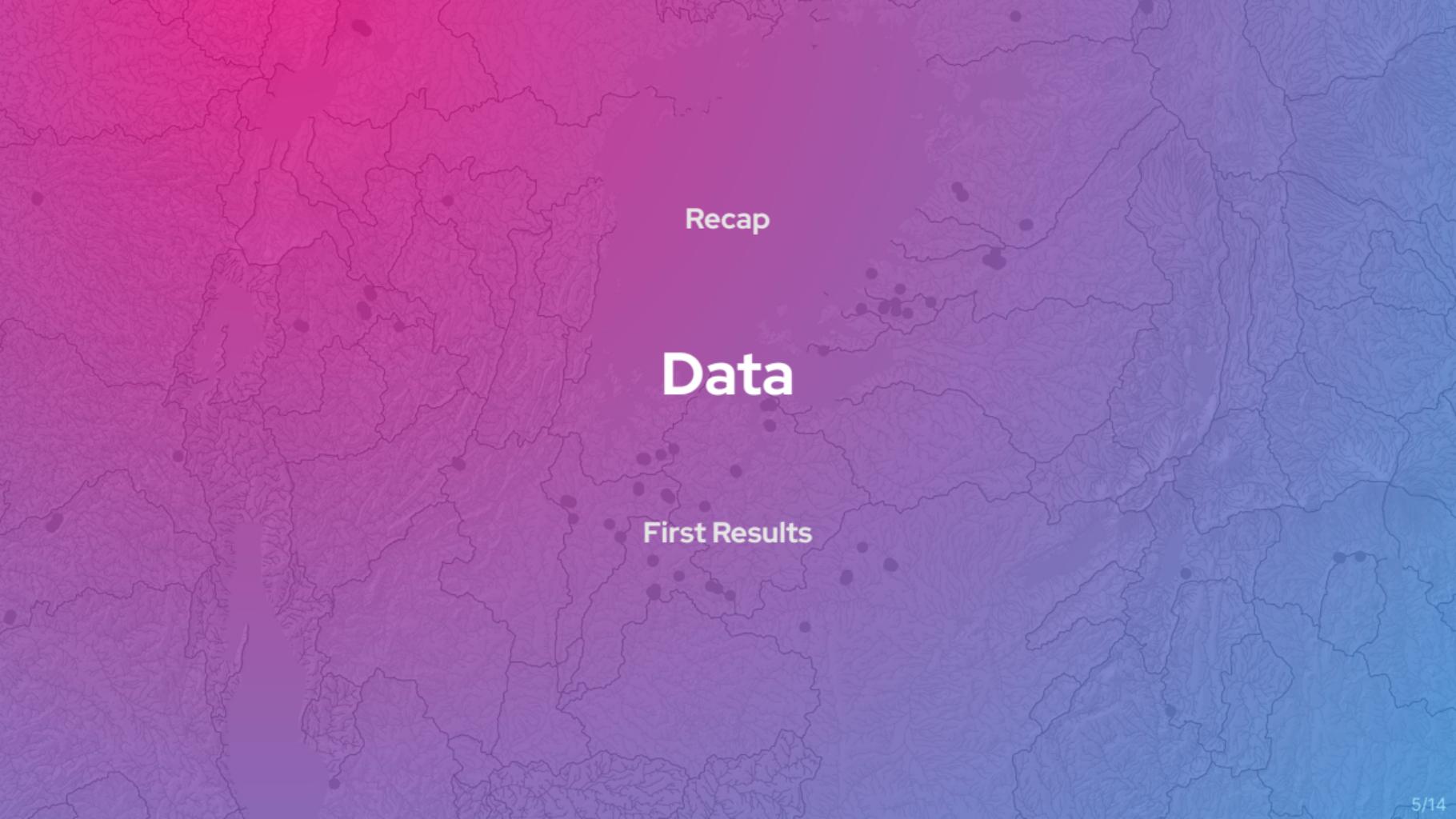


## The Specification(s)

$$Y_{imt} = \beta_1 f(distance_{imt}) + \beta_2 Downstream_{imt} + X_{imt} + \eta_m + \varepsilon_{imt} \quad (1)$$

$$Y_{imt} = \beta_1 f(distance_{imt}) + \beta_2 Downstream_{imt} + \beta_3 f(distance_{imt}) \times Downstream_{imt} + X_{imt} + \eta_d + \varepsilon_{imt} \quad (2)$$

- $Y_{imt}$  measures agricultural productivity.
- $f(distance_{imt})$  measures the distance of the basin's centroid to the nearest mine at the river. (We currently use distance plus distance squared as distance function.)
- $Downstream_{imt}$  indicates that the basin is downstream of a mine.
- $i$  is the basin,  $m$  the related mine basin, and  $t$  the year;  $X_{imt}$  are a set of geographic and socioeconomic controls (which are presently still absent from the result tables we will show later on);  $\eta_m$  are mine fixed effects.



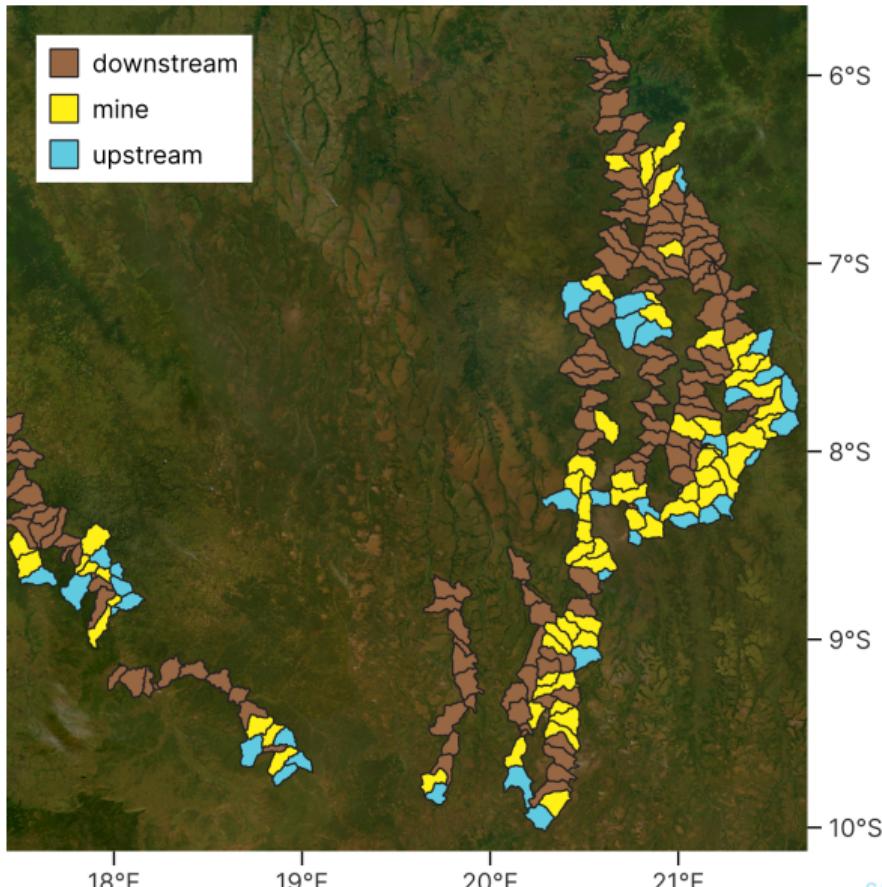
Recap

# Data

First Results

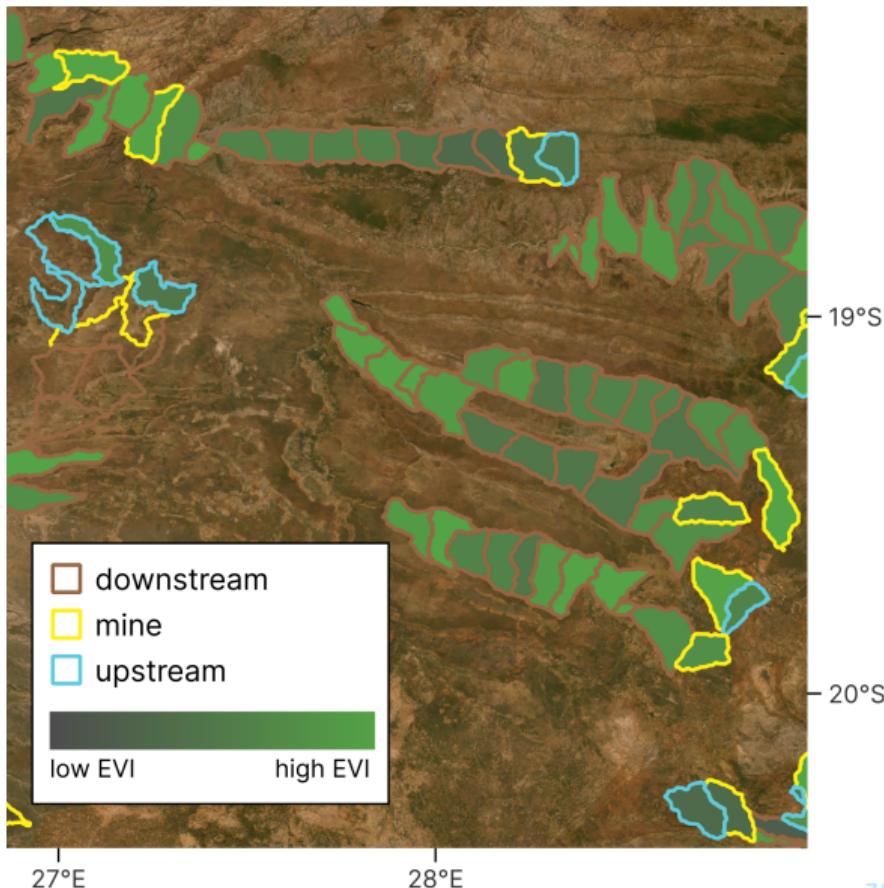
# Identifying Upstream and Downstream Basins

- The map on this slide serves as an example and depicts the situation around some mines in northern Angola.
- We can see that mines tend to be located
  - (a) in **clusters**, and
  - (b) close to where river paths **originate**.
- This means that there are much fewer **upstream basins** than there are **downstream basins**.



# Identifying how Fertile a Basin Is

- The map on this slide serves as an example and depicts the situation around some mines in Zimbabwe.
- The greener the fill color of a basin is, the higher its **EVI** (i.e., the more fertile it is).
- From an **eyeball econometrics** point of view, we should see basins getting greener the farther downstream they are.
- Here, this seems to be the case. (In many other locations, it doesn't seem that way.)



# First Results

Recap

Data

# (Very) Preliminary Results

Dependent Variables:	log(max_cropland_EVI)	log(max_EVI)	log(max_cropland_EVI)	log(max_EVI)
Model:	(1)	(2)	(3)	(4)
<i>Variables</i>				
distance	$4.27 \times 10^{-8}$ ( $3.08 \times 10^{-8}$ )	$-8.2 \times 10^{-7}***$ ( $3.75 \times 10^{-8}$ )	$-3.08 \times 10^{-6}***$ ( $3.13 \times 10^{-7}$ )	$-2.86 \times 10^{-7}$ ( $1.97 \times 10^{-7}$ )
distance square	$9.31 \times 10^{-13}***$ ( $2.33 \times 10^{-13}$ )	$3.76 \times 10^{-12}***$ ( $3.67 \times 10^{-13}$ )	$1.38 \times 10^{-11}***$ ( $4.18 \times 10^{-12}$ )	$1.73 \times 10^{-11}***$ ( $3.6 \times 10^{-12}$ )
downstream	-0.0065*** (0.0015)	-0.0187*** (0.0007)	-0.0425*** (0.0029)	-0.0092*** (0.0016)
distance $\times$ downstream			$3.16 \times 10^{-6}***$ ( $3.06 \times 10^{-7}$ )	$-5.56 \times 10^{-7}***$ ( $1.93 \times 10^{-7}$ )
I(distance2) $\times$ downstream			$-1.3 \times 10^{-11}***$ ( $4.15 \times 10^{-12}$ )	$-1.35 \times 10^{-11}***$ ( $3.66 \times 10^{-12}$ )
<i>Fixed-effects</i>				
year	Yes	Yes	Yes	Yes
as.factor(mine_basin)	Yes	Yes	Yes	Yes
<i>Fit statistics</i>				
Observations	126,298	199,058	126,298	199,058
R <sup>2</sup>	0.75693	0.89025	0.75713	0.89028
Within R <sup>2</sup>	0.00057	0.00567	0.00136	0.00591

Clustered (year) standard-errors in parentheses

Signif. Codes: \*\*\*: 0.01, \*\*: 0.05, \*: 0.1

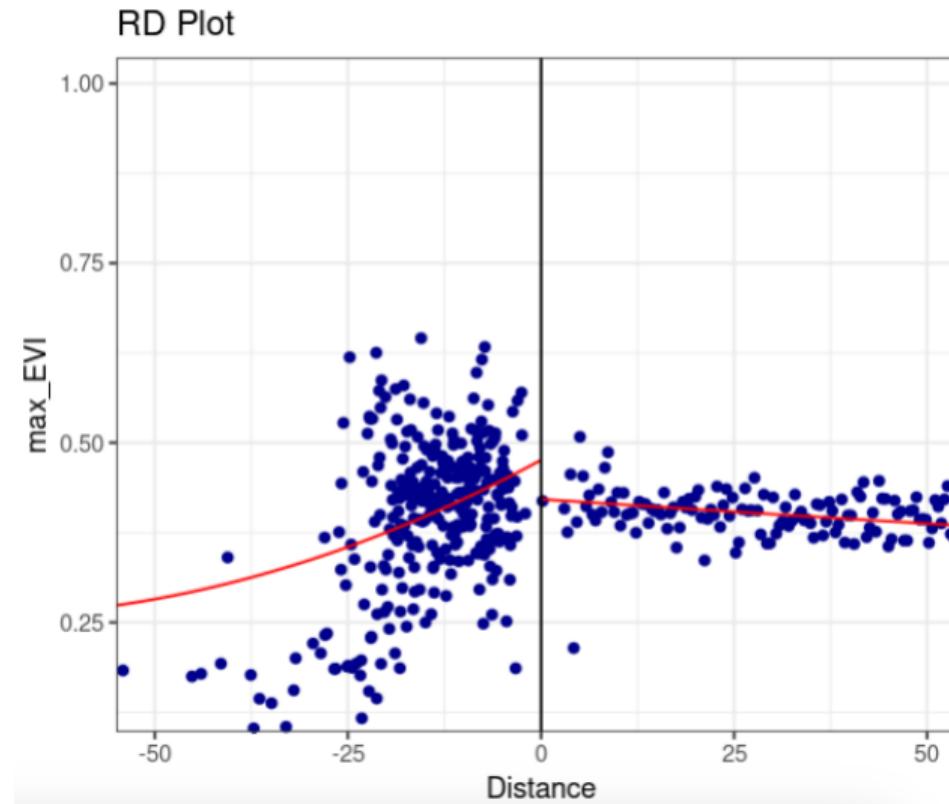
# (Very) Preliminary Results

Dependent Variables:	max_cropland_EVI (1)	max_EVI (2)	max_cropland_EVI (3)	max_EVI (4)
<i>Variables</i>				
distance	$5.44 \times 10^{-8}***$ ( $1.19 \times 10^{-8}$ )	$-1.53 \times 10^{-7}***$ ( $7.51 \times 10^{-9}$ )	$-9.24 \times 10^{-7}***$ ( $1.14 \times 10^{-7}$ )	$-1.73 \times 10^{-7}**$ ( $6.27 \times 10^{-8}$ )
distance square	$2.44 \times 10^{-13}***$ ( $7.38 \times 10^{-14}$ )	$9.34 \times 10^{-13}***$ ( $4.38 \times 10^{-14}$ )	$3.38 \times 10^{-12}**$ ( $1.46 \times 10^{-12}$ )	$5.4 \times 10^{-12}***$ ( $9.92 \times 10^{-13}$ )
downstream	-0.0025*** (0.0006)	-0.0050*** (0.0003)	-0.0140*** (0.0011)	-0.0044*** (0.0005)
distance × downstream			$9.92 \times 10^{-7}***$ ( $1.12 \times 10^{-7}$ )	$1.53 \times 10^{-8}$ ( $6.42 \times 10^{-8}$ )
I(distance <sup>2</sup> ) × downstream			-3.17 × 10 <sup>-12</sup> ** ( $1.45 \times 10^{-12}$ )	-4.46 × 10 <sup>-12</sup> *** ( $1.01 \times 10^{-12}$ )
<i>Fixed-effects</i>				
year	Yes	Yes	Yes	Yes
as.factor(mine_basin)	Yes	Yes	Yes	Yes
<i>Fit statistics</i>				
Observations	126,298	199,110	126,298	199,110
R <sup>2</sup>	0.75002	0.90233	0.75021	0.90234
Within R <sup>2</sup>	0.00086	0.00511	0.00165	0.00528

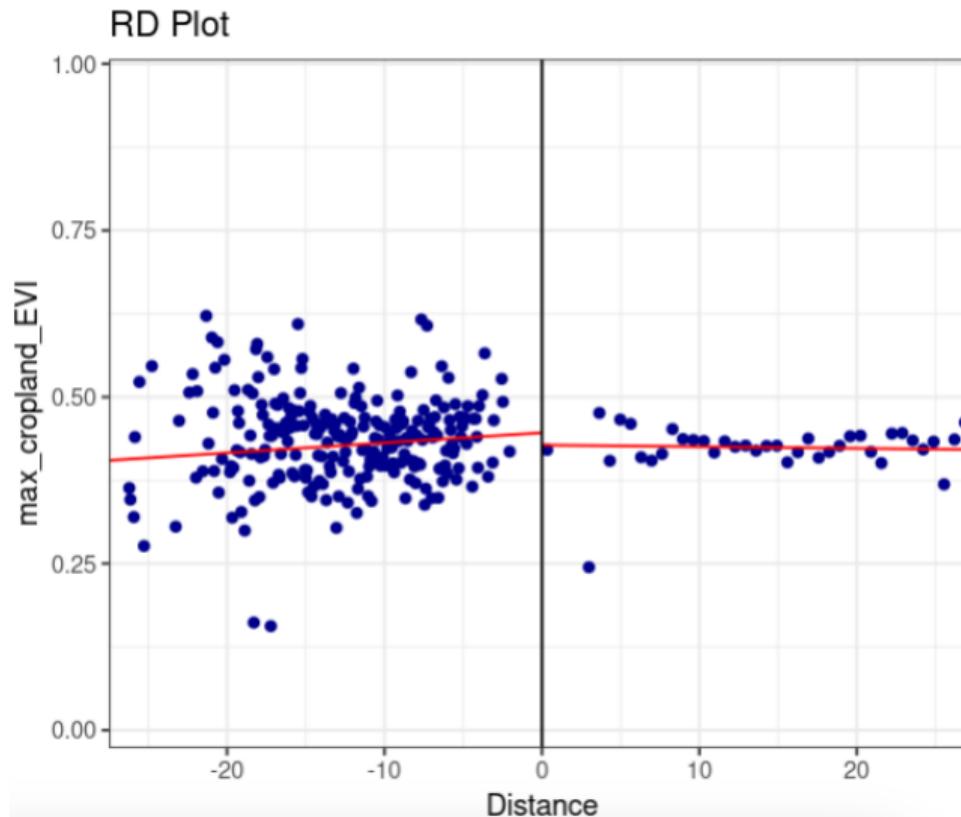
Clustered (year) standard-errors in parentheses

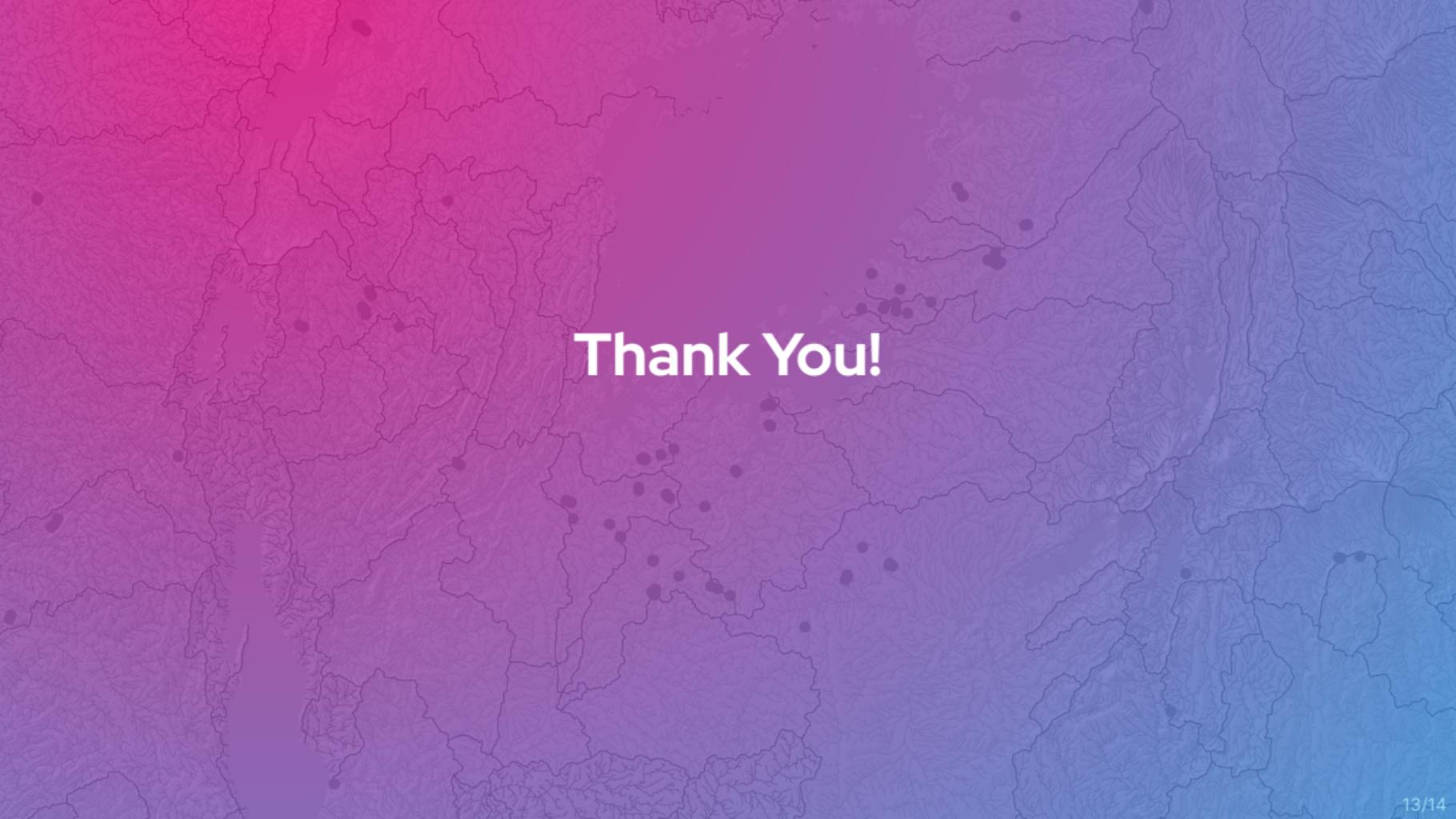
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# Spatial RDD Plot



# Spatial RDD Plot





**Thank You!**

# References I

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