

Iterative DPS - DPS with ever increasing max depth limit
 Uniform cost search - put all into priority queue and pick the best
 A* - select node with min f :
 $f = g(\text{cost so far} + \text{cost to node}) + h(\text{est. best case cost to finish})$
 Greedy BFS - A* with $f = h$
 Beam search - evaluate all possible directions and pick the best
 Local beam search - evaluate some subset
 Hill climbing - always pick the best
 Stochastic hill-climbing - pick a random direction and decide whether to go there
 Simulated annealing - Stochastic hill-climbing but worse fitness is accepted sometimes
 Simple Reflex agent - react to now
 Model-based reflex agent - compare now to internal model
 Goal-based agents - long term planning
 Utility-based agents - like goal... but also optimize for efficiency/utility by measuring it
 Learning Agents - learn and adjust
 Admissible heuristic - doesn't overestimate the cost
 Consistent heuristic - cost so far plus cost to end is more than cost from start to end
 Horizon effect - a significant change may exist just outside the depth limit of a game tree
 Quiescence - dormancy
 Begin min max from max
 CNF form: ORs separated by ANDs. Combine by eliminating contradictions

1. $P \rightarrow L \Rightarrow \neg P \vee L$
2. DeMorgan to move negations inward

$Init(At(C_1, SFO) \wedge At(C_2, JFK) \wedge At(P_1, SFO) \wedge At(P_2, JFK)$
 $\wedge Cargo(C_1) \wedge Cargo(C_2) \wedge Plane(P_1) \wedge Plane(P_2)$
 $\wedge Airport(JFK) \wedge Airport(SFO))$
 $Goal(At(C_1, JFK) \wedge At(C_2, SFO))$
 $Action(Load(c, p, a),$
 $PRECOND: At(c, a) \wedge At(p, a) \wedge Cargo(c) \wedge Plane(p) \wedge Airport(a)$
 $EFFECT: \neg At(c, a) \wedge In(c, p))$

Agent	Performance measure	Environment	Actuator	Sensor
Automated submarine	Scientific usefulness of the scans	Ocean	Controlled with a remote	Camera (+IR), GPS, pressure sensors

Automated online shopper	Price paid/value received ratio	The great World Wide Web	Sale alerts. New posting alerts	Content of the web page
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Agent	Observable	Agents	Deterministic	Episodic	Static	Discrete
Automated submarine	Partially	Single	Stochastic	Sequential	Dynamic	Continuous
Automated online shopper	Fully	Multiple	Deterministic	Episodic	Semi	Discrete

a. Planar map task

- States: the state is determined by country boundaries, 4 sets of colored countries (one set for each color) and a set of uncolored countries
- Initial state: initial state is any state in which 4 sets that store colored countries are all empty
- Actions: Each state can color any one country into one of 4 colors
- Transition model: The actions have their expected effects, except each country can only be colored with one color at a time. Repainting of a country shall be permitted if agent can not do backtracking
- Goal test: Checks whether all countries are colored and no two neighboring countries have the same color
- Path cost: Each coloring has a cost of 1. Thus, the agent is discouraged from repainting the same country needlessly

DPLL (stolen from Tani):

Step 1: Clauses: $\neg Y, \neg Y \vee \neg R, Y \vee R, Y \vee M, R \vee M, \neg M \vee H$

Pure: $\neg Y$

Model: $Y = \text{False}$ (since $\neg Y = \text{True}$)

Step 2: Clauses: $Y \vee R, Y \vee M, R \vee H, \neg M \vee H$

Since $Y = \text{False}$

$R = \text{True}, M = \text{True}$

Model: $Y = \text{False}, R = \text{True}, M = \text{True}$

Step 3: Clauses: $R \vee H, \neg M \vee H$

Since $M = \text{True}, \neg M = \text{False}$

$H = \text{True}$

Model: $Y = \text{False}, R = \text{True}, M = \text{True}, H = \text{True}$

$Y = \text{False} \quad R = \text{True} \quad M = \text{True} \quad H = \text{True}$