Midterm Review

EECS 483: COMPILER CONSTRUCTION

Announcements

- Midterm: Tomorrow
 - 7-9pm,
 - If your last name is A-H: DOW 1014
 - Last name J-Z: DOW 1013
 - One-page, letter-sized, double-sided "cheat sheet" of notes permitted
 - See examples of previous exams on the web pages.
- HW4: Compiling Oat v.1
 - Out now

Exam Review

- Today: review of the topics thus far
 - Caveat: everything covered in lecture and homeworks is fair game, even if we don't specifically review it today.
 - I will only use slides from previous lectures to ensure there's no new material covered today.

Outline

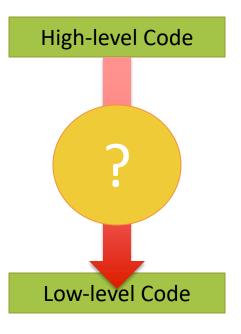
- Language Semantics
- Compiler Architecture
- X86 Assembly code
- LLVM IR
- Regular Expressions, Finite Automata, Lexing
- LL/LR Grammars and Parsing

Lectures 1-3, HW1

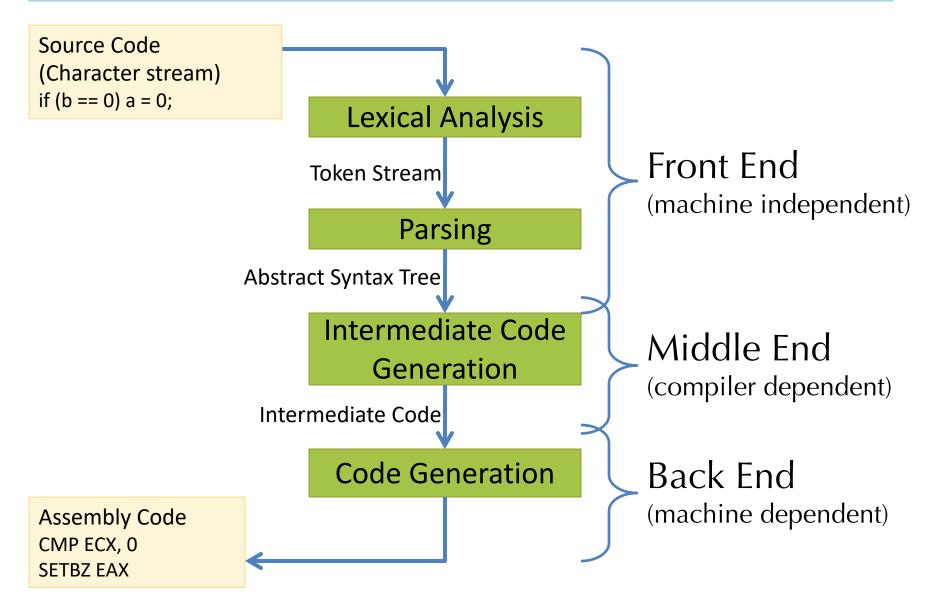
LANGUAGE SEMANTICS, COMPILER ARCHITECTURE

What is a Compiler?

- A compiler is a program that translates from one programming language to another.
- Typically: high-level source code to low-level machine code (object code)
 - Not always: Source-to-source translators, Java bytecode compiler, GWT
 Java ⇒ Javascript



(Simplified) Compiler Structure



OCaml Demo

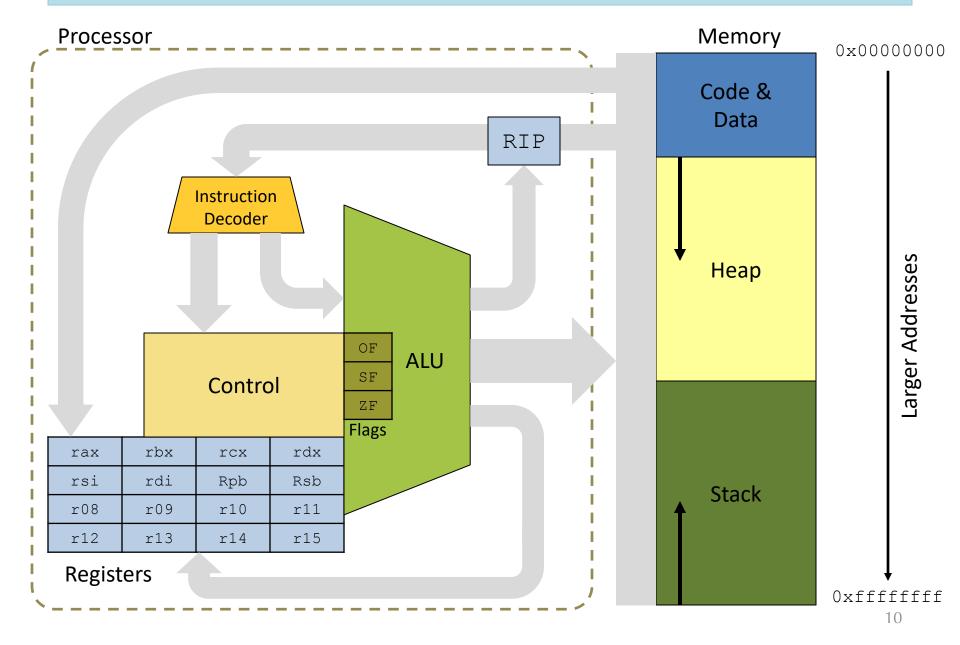
simple.ml translate.ml

Correctness?

- What does it mean for a compiler to be correct?
- What constitutes the "observable behavior" of a program?
- How do these notions affect what program transformations are allowed?

X86 AND ASSEMBLY CODE PROGRAMMING

X86 Schematic



X86lite Memory Model

- The X86lite memory consists of 2^{64} bytes numbered 0×000000000 through $0 \times ffffffff$.
- X86lite treats the memory as consisting of 64-bit (8-byte) quadwords.
- Therefore: legal X86lite memory addresses consist of 64-bit, quadword-aligned pointers.
 - All memory addresses are evenly divisible by 8
- leaq Ind, DEST DEST ← addr(Ind) loads a pointer into DEST
- By convention, there is a stack that grows from high addresses to low addresses
- The register rsp points to the top of the stack
 - pushq SRC $rsp \leftarrow rps 8$; $Mem[rsp] \leftarrow SRC$
 - popq DEST DEST ← Mem[rsp]; rsp ← rsp + 8

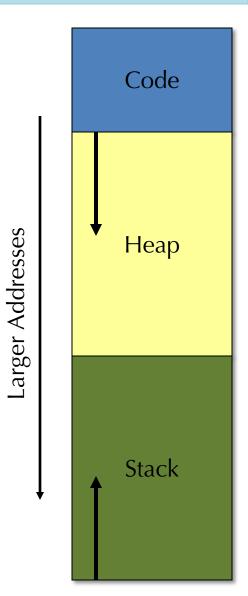
Code Blocks & Labels

X86 assembly code is organized into labeled blocks:

- Labels indicate code locations that can be jump targets (either through conditional branch instructions or function calls).
- Labels are translated away by the linker and loader instructions live in the heap in the "code segment"
- An X86 program begins executing at a designated code label (usually "main").

3 parts of the C memory model

- The code & data (or "text") segment
 - contains compiled code, constant strings, etc.
- The Heap
 - Stores dynamically allocated objects
 - Allocated via "malloc"
 - Deallocated via "free"
 - C runtime system
- The Stack
 - Stores local variables
 - Stores the return address of a function
- In practice, most languages use this model.



Local/Temporary Variable Storage

- Need space to store:
 - Global variables
 - Values passed as arguments to procedures
 - Local variables (either defined in the source program or introduced by the compiler)
- Processors provide two options
 - Registers: fast, small size (64 bits), very limited number
 - Memory: slow, very large amount of space (2 GB)
 - caching important
- In practice on X86:
 - Registers are limited (and have restrictions)
 - Divide memory into regions including the stack and the heap

Calling Conventions

 Specify the locations (e.g., register or stack) of arguments passed to a function and returned by the function

```
int64_t g(int64_t a, int64_t b) {
    return a + b;
}

f is the
    caller

int64_f(ir)t64_t x) {
    int64_t ans = g(3,4) + x;
    return ans;
}
```

- Designate registers either:
 - Caller Save e.g., freely usable by the called code
 - Callee Save e.g., must be restored by the called code
- Define the protocol for deallocating stack-allocated arguments
 - Caller cleans up
 - Callee cleans up (makes variable arguments harder)

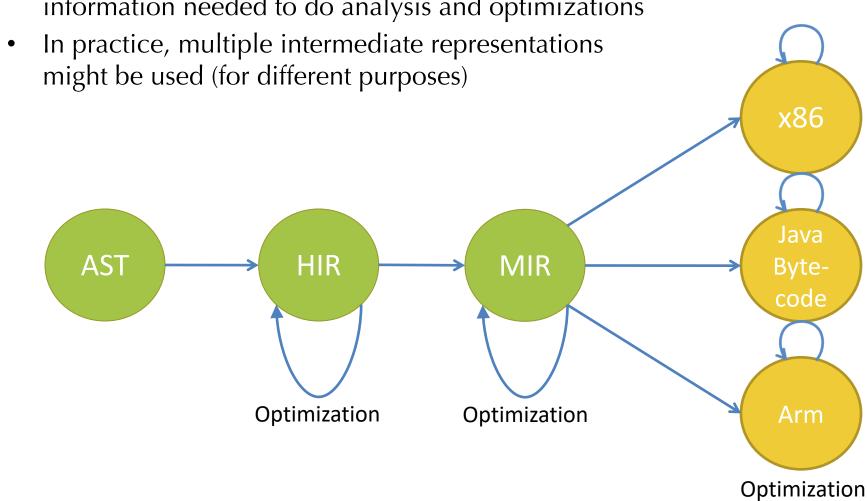
X86-64 SYSTEM V AMD 64 ABI

- More modern variant of C calling conventions
 - used on Linux, Solaris, BSD, OS X
- Callee save: %rbp, %rbx, %r12-%r15
- Caller save: all others
- Parameters 1 .. 6 go in: %rdi, %rsi, %rdx, %rcx, %r8, %r9
- Parameters 7+ go on the stack (in right-to-left order)
 - so: for n > 6, the nth argument is located at (((n-7)+2)*8)(%rbp)
 - e.g.: argument 7 is at 16(%rbp) and argument 8 is at 24(%rbp)
- Return value: in %rax
- 128 byte "red zone" scratch pad for the callee's data
 - typical of C compilers, not required
 - can be optimized away

INTERMEDIATE
REPRESENTATIONS, LLVM

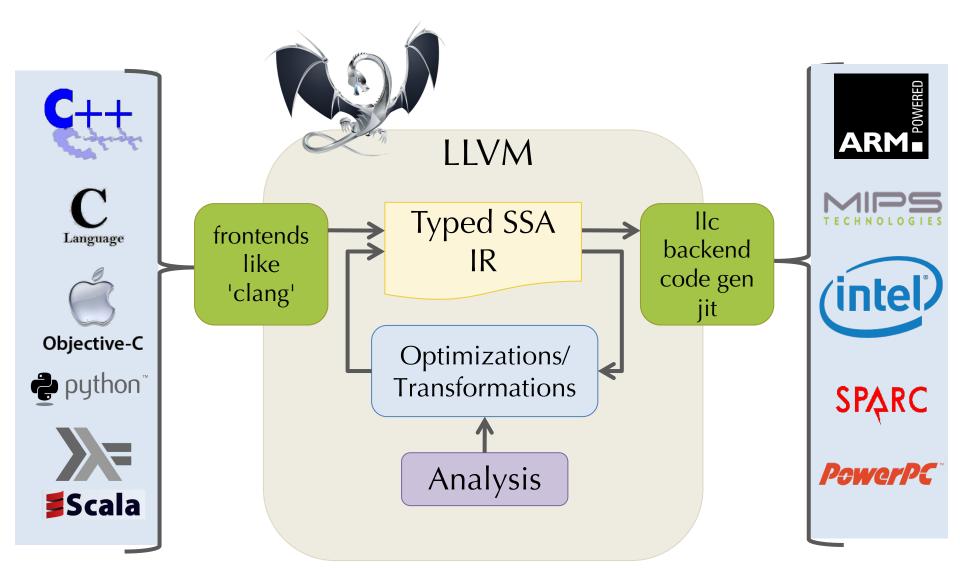
Multiple IR's

 Goal: get program closer to machine code without losing the information needed to do analysis and optimizations



LLVM Compiler Infrastructure

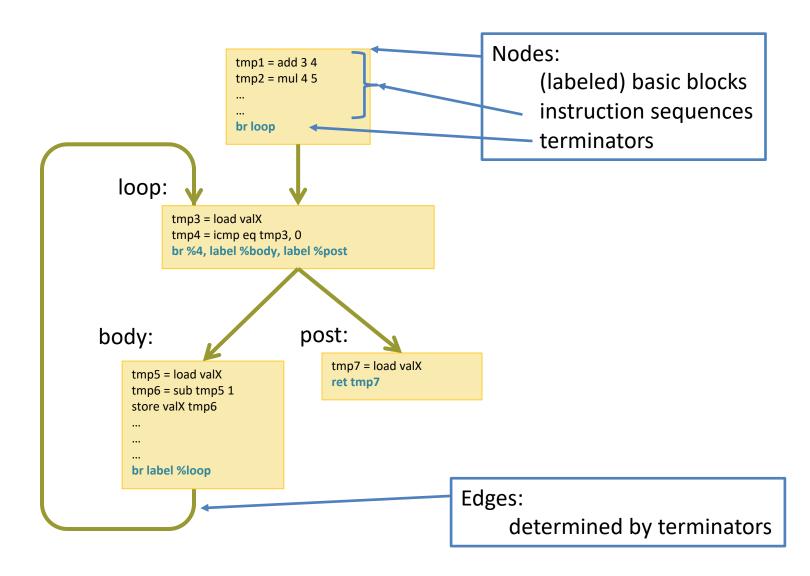
[Lattner et al.]



Basic Blocks

- A sequence of instructions that is always executed starting at the first instruction and always exits at the last instruction.
 - Starts with a label that names the entry point of the basic block.
 - Ends with a control-flow instruction (e.g., branch or return) the "link"
 - Contains no other control-flow instructions
 - Contains no interior label used as a jump target
- Basic blocks can be arranged into a control-flow graph
 - Nodes are basic blocks
 - There is a directed edge from node A to node B if the control flow instruction at the end of basic block A might jump to the label of basic block B.

Control-flow Graphs



Representing Structs

```
struct Point { int x; int y;};
```

- Store the data using two contiguous words of memory.
- Represent a Point value p as the address of the first word.



```
struct Rect { struct Point ll, lr, ul, ur };
```

Store the data using 8 contiguous words of memory.

```
square > 11.x | 11.y | 1r.x | 1r.y | u1.x | u1.y | ur.x | ur.y
```

- Compiler needs to know the *size* of the struct at compile time to allocate the needed storage space.
- Compiler needs to know the *shape* of the struct at compile time to index into the structure.

Multi-Dimensional Arrays

- In C, int M[4][3] yields an array with 4 rows and 3 columns.
- Laid out in row-major order:

- M[i][j] compiles to?
- In Fortran, arrays are laid out in column major order.

M[0][0	M[1][0	M[2][0	M[3][0	M[0][1	M[1][1	M[2][1	
]]]]]]]	

- In ML and Java, there are no multi-dimensional arrays:
 - (int array) array is represented as an array of pointers to arrays of ints.
- Why is knowing these memory layout strategies important?

Switch Compilation

Consider the C statement:

```
switch (e) {
   case sun: s1; break;
   case mon: s2; break;
   ...
   case sat: s3; break;
}
```

- How to compile this?
 - What happens if some of the break statements are omitted? (Control falls through to the next branch.)

GEP Example*

```
struct RT {
                                         1. %s is a pointer to an (array of) %ST structs,
     int A;
                                         suppose the pointer value is ADDR
     int B[10][20];
     int C;
                                                 2. Compute the index of the 1st element by
                                                 adding size ty(%ST).
struct ST {
     struct RT X;
                                                         3. Compute the index of the Z field by
     int Y;
                                                         adding size ty(%RT) +
     struct RT Z;
                                                         size_ty(i32) to skip past X and Y.
int *foo(struct ST *s)
                                                           4. Compute the index of the B field by
   return &s[1].ZB5][13]:
                                                           adding size ty(i32) to skip past A.
                                                                   5. Index into the 2d array.
RT = type \{ i32, [10 x [20 x i32]], i32 \}
%ST = type { %RT, i32, %RT }
define i32* @foo(%ST* %s) {
entry:
     %arrayidx = getelementptr %ST* %s, i32 1, i32 2, i32 1, i32 5, i32 13
    ret i32* %arrayidx
```

Final answer: ADDR + size_ty(%ST) + size_ty(%RT) + size_ty(i32) + size_ty(i32) + 5*20*size_ty(i32) + 13*size_ty(i32)

Lectures 9-10 LEXING, REGULAR EXPRESSIONS, AUTOMATA

First Step: Lexical Analysis

• Change the *character stream* "if (b == 0) a = 0;" into *tokens*:

```
if ( b == 0 ) { a = 0 ; }
```

```
IF; LPAREN; Ident("b"); EQEQ; Int(0); RPAREN; LBRACE;
Ident("a"); EQ; Int(0); SEMI; RBRACE
```

- Token: data type that represents indivisible "chunks" of text:
 - Identifiers: a y11 elsex _100
 - Keywords: if else while
 - Integers: 2 200 -500 5L
 - Floating point: 2.0 .02 1e5
 - Symbols: + * ` { } () ++ << >> >>>
 - Strings: "x" "He said, \"Are you?\""
 - Comments: (* 483: Project 1 ... *) /* foo */
- Often delimited by *whitespace* (' ', \t, etc.)
 - In some languages (e.g. Python or Haskell) whitespace is significant

Regular Expressions

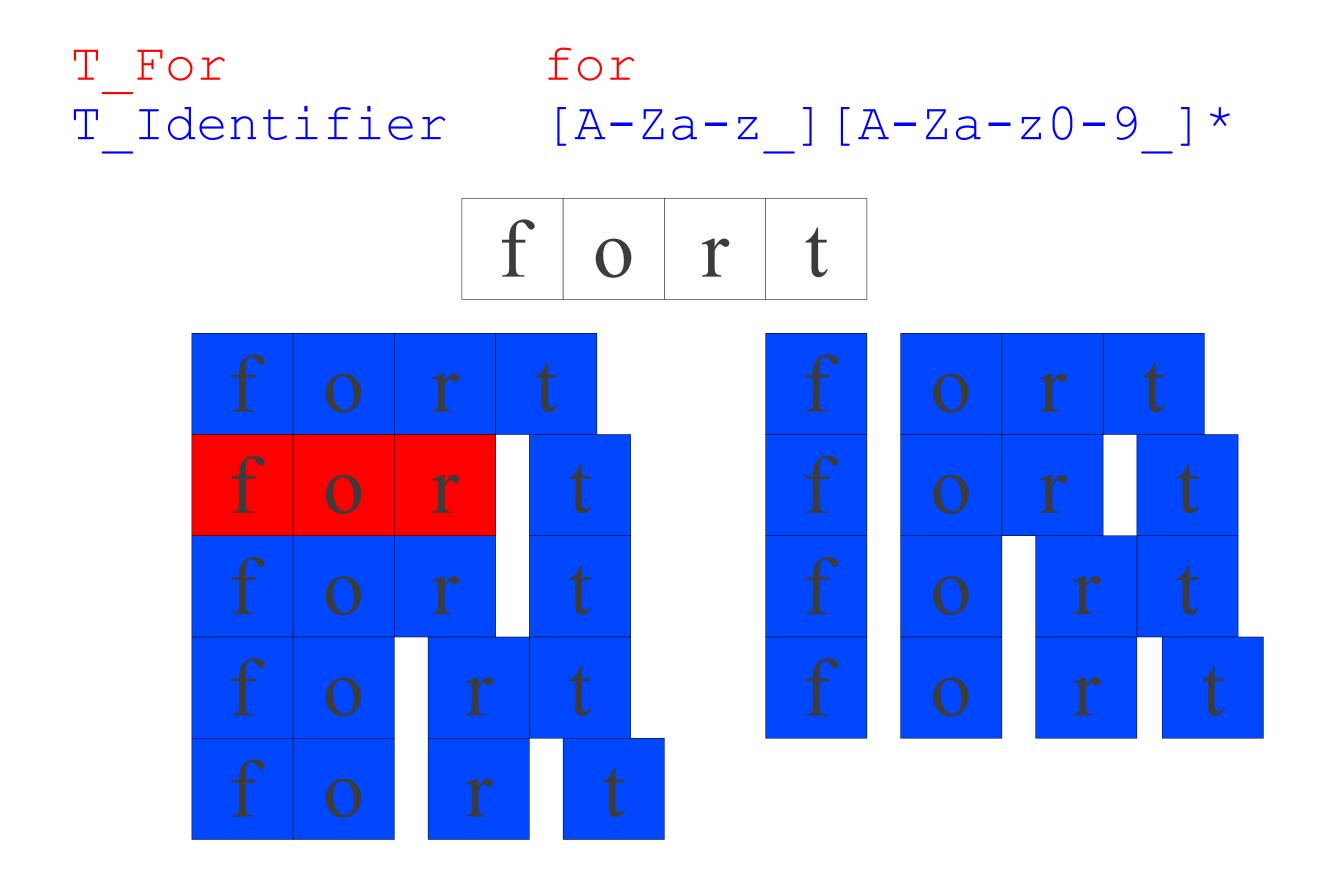
- Regular expressions precisely describe sets of strings.
- A regular expression R has one of the following forms:
 - Epsilon stands for the empty string
 'a' An ordinary character stands for itself
 R₁ | R₂ Alternatives, stands for choice of R₁ or R₂
 R₁R₂ Concatenation, stands for R₁ followed by R₂
 R* Kleene star, stands for zero or more repetitions of R
- Useful extensions:
 - "foo" Strings, equivalent to 'f''o''o'
 R+ One or more repetitions of R, equivalent to RR*
 R? Zero or one occurrences of R, equivalent to (ε|R)
 ['a'-'z'] One of a or b or c or ... z, equivalent to (a|b|...|z)
 [^'0'-'9'] Any character except 0 through 9
 R as x Name the string matched by R as x

How to Match?

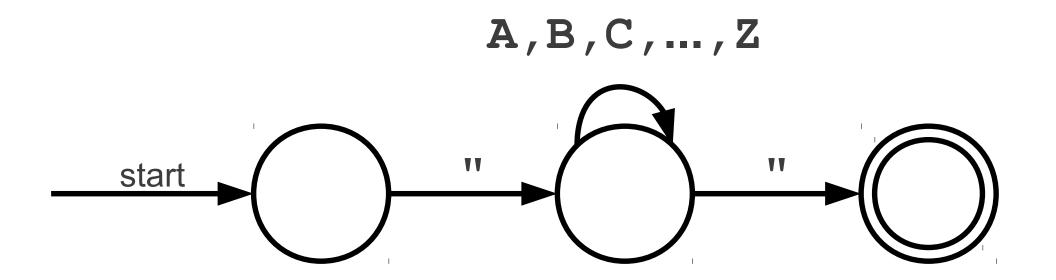
• Consider the input string: ifx = 0

- Regular expressions alone are ambiguous, need a rule for choosing between the options above
- Most languages choose "longest match"
 - So the 2nd option above will be picked
 - Note that only the first option is "correct" for parsing purposes
- Conflicts: arise due to two tokens whose regular expressions have a shared prefix
 - Ties broken by giving some matches higher priority
 - Example: keywords have priority over identifiers
 - Usually specified by order the rules appear in the lex input file

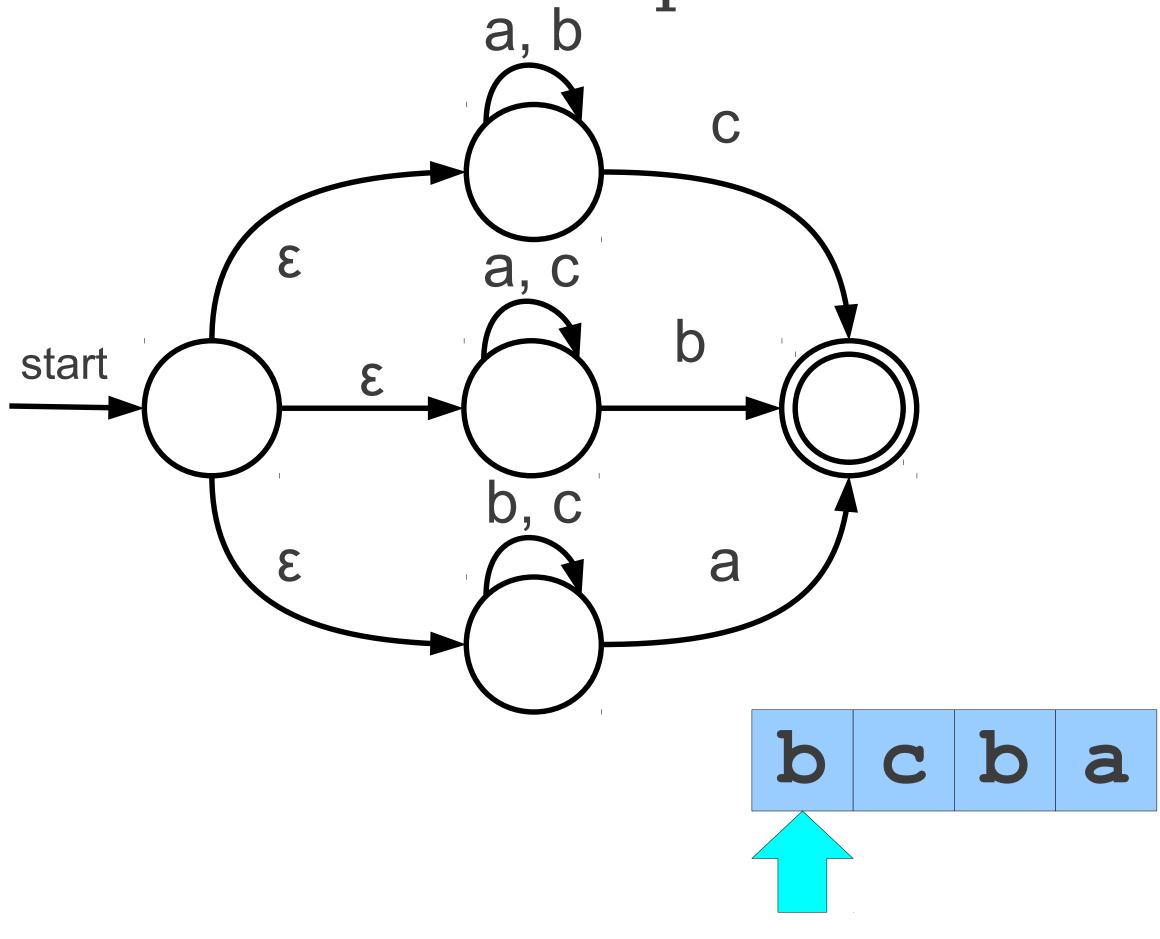
Lexing Ambiguities



A Simple Automaton



An Even More Complex Automaton a, b



Automating Lexical Analyzer (scanner) Construction

RE→ NFA (Thompson's construction)

- Build an NFA for each term
- Combine them with ε-moves

NFA → DFA (subset construction)

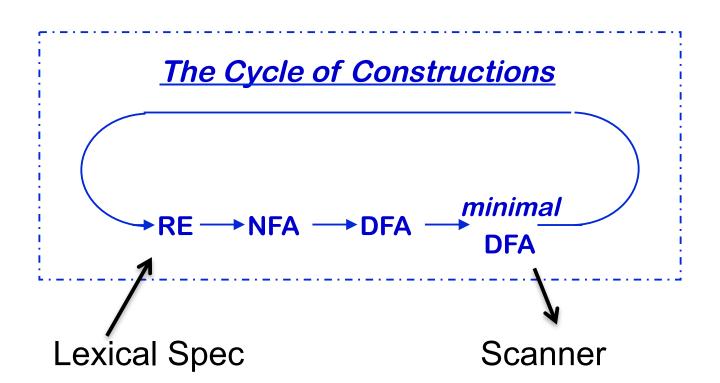
Build the simulation

DFA → Minimal DFA

Hopcroft's algorithm

DFA →RE (Not part of the scanner construction)

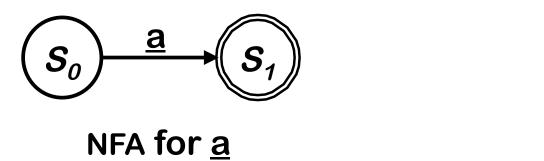
- All pairs, all paths problem
- Take the union of all paths from s_0 to an accepting state

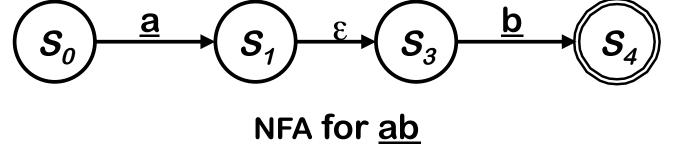


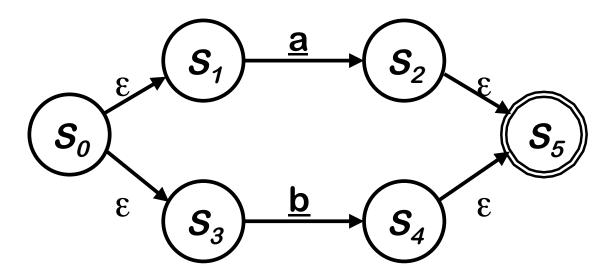
RE -NFA using Thompson's Construction

Key idea

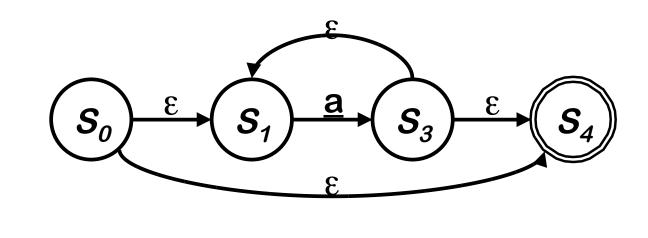
- NFA pattern for each symbol & each operator
- Join them with ε moves in precedence order







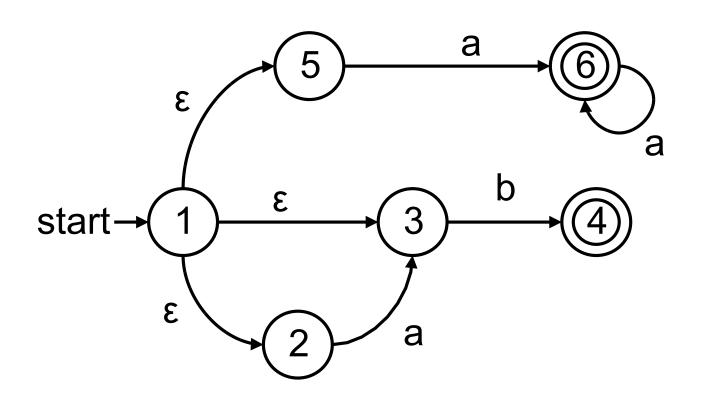
NFA for <u>a | b</u>

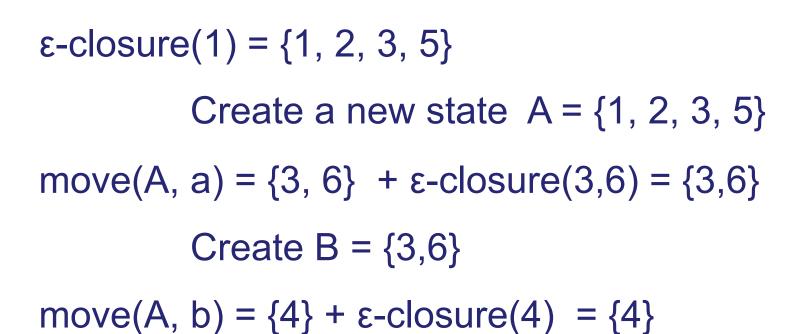


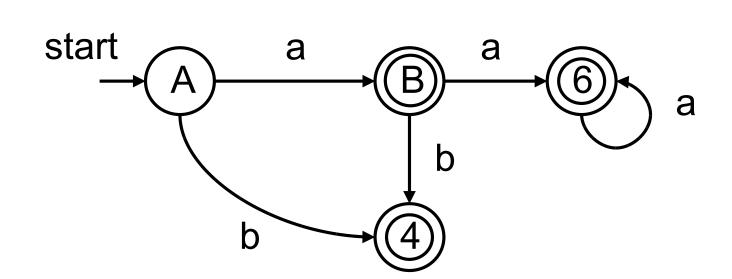
Ken Thompson, CACM, 1968

NFA for <u>a</u>*

NFA to DFA - Example







move(B, a) =
$$\{6\}$$
 + ϵ -closure(6) = $\{6\}$
move(B, b) = $\{4\}$ + ϵ -closure(4) = $\{4\}$

move(6, a) =
$$\{6\}$$
 + ϵ -closure(6) = $\{6\}$
move(6, b) \rightarrow ERROR

 $move(4, a|b) \rightarrow ERROR$

Lectures 11-13 PARSING, LL/LR GRAMMARS

Derivations in CFGs

Example: derive (1 + 2 + (3 + 4)) + 5

 $S \mapsto E + S \mid E$ $E \mapsto \text{number} \mid (S)$

• Example: derive
$$(1 + 2 + (3 + 4)) + 5$$

•
$$\underline{\mathbf{S}} \mapsto \underline{\mathbf{E}} + \mathbf{S}$$

 $\mapsto (\underline{\mathbf{S}}) + \mathbf{S}$
 $\mapsto (\underline{\mathbf{E}} + \mathbf{S}) + \mathbf{S}$
 $\mapsto (1 + \underline{\mathbf{S}}) + \mathbf{S}$
 $\mapsto (1 + \underline{\mathbf{E}} + \mathbf{S}) + \mathbf{S}$
 $\mapsto (1 + 2 + \underline{\mathbf{E}}) + \mathbf{S}$
 $\mapsto (1 + 2 + (\underline{\mathbf{E}})) + \mathbf{S}$
 $\mapsto (1 + 2 + (\underline{\mathbf{E}} + \mathbf{S})) + \mathbf{S}$
 $\mapsto (1 + 2 + (3 + \underline{\mathbf{E}})) + \mathbf{S}$
 $\mapsto (1 + 2 + (3 + \underline{\mathbf{E}})) + \mathbf{S}$
 $\mapsto (1 + 2 + (3 + 4)) + \underline{\mathbf{S}}$
 $\mapsto (1 + 2 + (3 + 4)) + \underline{\mathbf{E}}$
 $\mapsto (1 + 2 + (3 + 4)) + \underline{\mathbf{E}}$
 $\mapsto (1 + 2 + (3 + 4)) + \underline{\mathbf{E}}$

For arbitrary strings α , β , γ and production rule $A \mapsto \beta$ a single step of the derivation is:

$$\alpha A \gamma \mapsto \alpha \beta \gamma$$

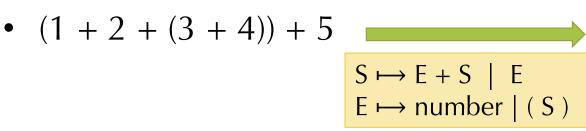
(*substitute* β for an occurrence of A)

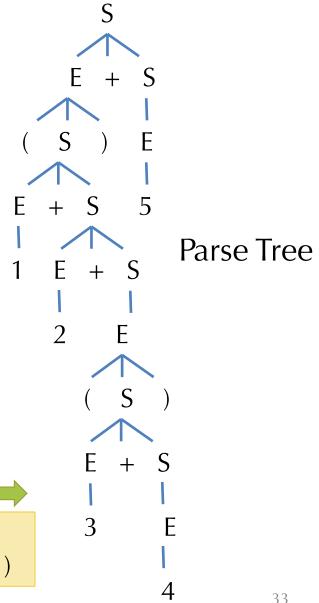
In general, there are many possible derivations for a given string

Note: Underline indicates symbol being expanded.

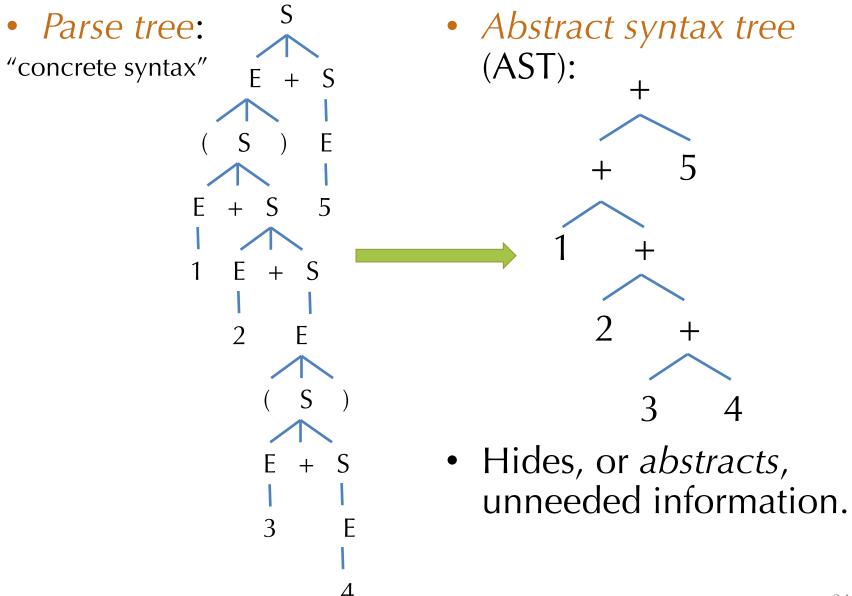
From Derivations to Parse Trees

- Tree representation of the derivation
- Leaves of the tree are terminals
 - In-order traversal yields the input sequence of tokens
- Internal nodes: nonterminals
- No information about the order of the derivation steps





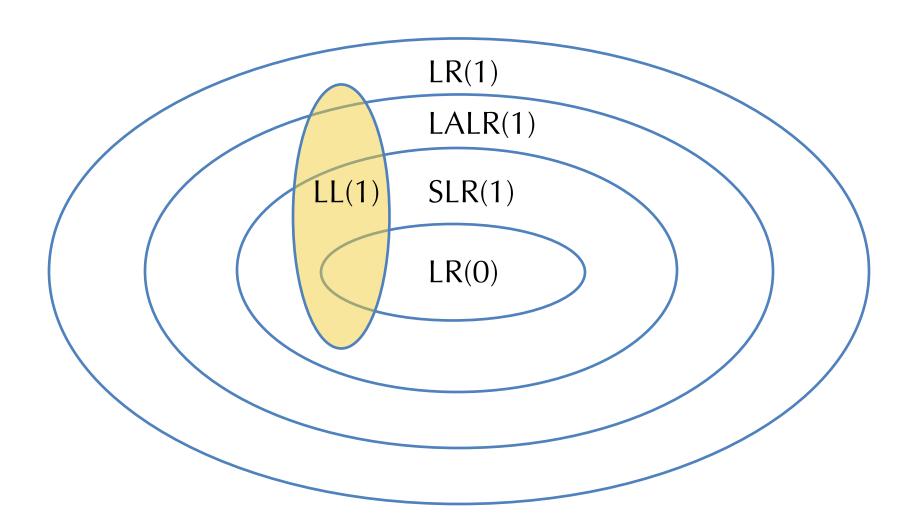
From Parse Trees to Abstract Syntax



Context Free Grammars: Summary

- Context-free grammars allow concise specifications of programming languages.
 - An unambiguous CFG specifies how to parse: convert a token stream to a (parse tree)
 - Ambiguity can (often) be removed by encoding precedence and associativity in the grammar.
- Even with an unambiguous CFG, there may be more than one derivation
 - Though all derivations correspond to the same abstract syntax tree.
- Still to come: finding a derivation
 - But first: menhir

Classification of Grammars



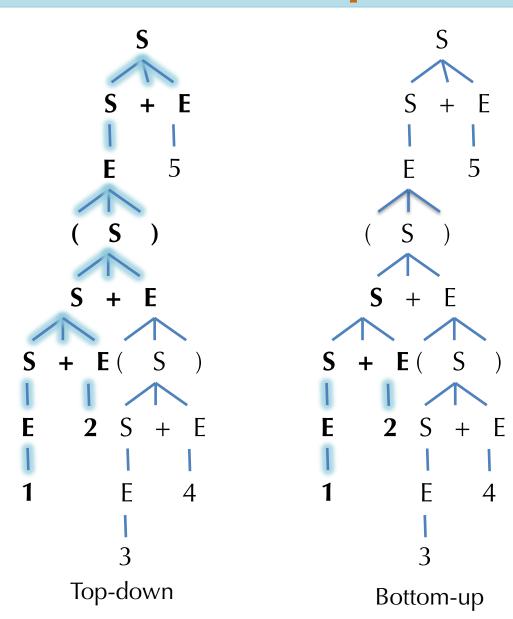
Top-down vs. Bottom up

 Consider the leftrecursive grammar:

$$S \mapsto S + E \mid E$$

 $E \mapsto \text{number} \mid (S)$

- (1 + 2 + (3 + 4)) + 5
- We want to parse by doing a linear scan, left-to-right
- Top-down: construct a partial tree from the root
- Bottom-up: construct partial tree from the leaves



Grammar is the problem

- Not all grammars can be parsed "top-down" with only a single lookahead symbol.
- Top-down: starting from the start symbol (root of the parse tree) and going down
- LL(1) means
 - <u>L</u>eft-to-right scanning
 - <u>L</u>eft-most derivation,
 - <u>1</u> lookahead symbol
- This language isn't "LL(1)"
- Is it LL(k) for some k?

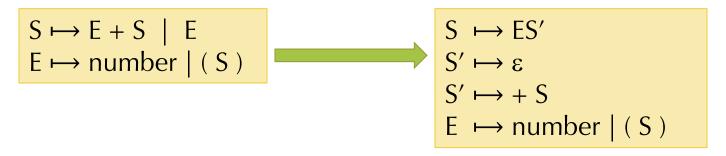
$$S \mapsto E + S \mid E$$

 $E \mapsto \text{number} \mid (S)$

What can we do?

Making a grammar LL(1)

- *Problem:* We can't decide which S production to apply until we see the symbol after the first expression.
- Solution: "Left-factor" the grammar. There is a common S prefix for each choice, so add a new non-terminal S' at the decision point:



- Also need to eliminate left-recursion somehow. Why?
- Consider:

$$S \mapsto S + E \mid E$$

 $E \mapsto \text{number} \mid (S)$

Bottom-up Parsing (LR Parsers)

- LR(k) parser:
 - <u>L</u>eft-to-right scanning
 - Rightmost derivation
 - k lookahead symbols
- LR grammars are more expressive than LL
 - Can handle left-recursive (and right recursive) grammars; virtually all programming languages
 - Easier to express programming language syntax (no left factoring)
- Technique: "Shift-Reduce" parsers
 - Work bottom up instead of top down
 - Construct right-most derivation of a program in the grammar
 - Used by many parser generators (e.g. yacc, ocamlyacc, lalrpop, etc.)
 - Better error detection/recovery

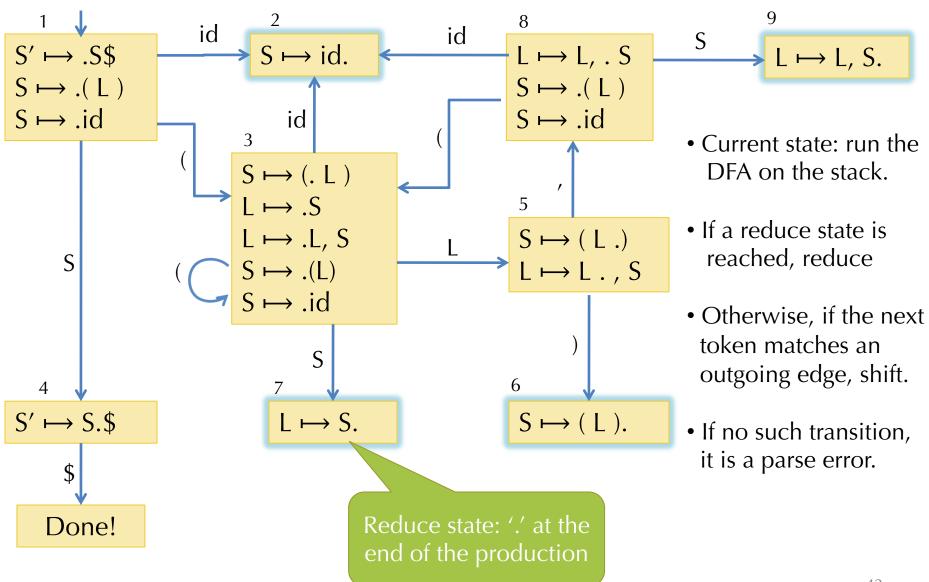
Shift/Reduce Parsing

- Parser state:
 - Stack of terminals and nonterminals.
 - Unconsumed input is a string of terminals
 - Current derivation step is stack + input

- $S \mapsto S + E \mid E$ $E \mapsto \text{number} \mid (S)$
- Parsing is a sequence of shift and reduce operations:
- Shift: move look-ahead token to the stack
- Reduce: Replace symbols γ at top of stack with nonterminal X such that X $\mapsto \gamma$ is a production. (pop γ , push X)

Stack	Input	Action
	(1+2+(3+4))+5	shift (
(1 + 2 + (3 + 4)) + 5	shift 1
(1	+2+(3+4))+5	reduce: $E \mapsto number$
(E	+2+(3+4))+5	reduce: $S \mapsto E$
(S	+2+(3+4))+5	shift +
(S +	2 + (3 + 4)) + 5	shift 2
(S + 2)	+(3+4))+5	reduce: $E \mapsto number$
(S + E)	+(3+4))+5	reduce: $S \mapsto S + E$
(S	+(3+4))+5	shift +

Full DFA for the Example



LR(0) Limitations

- An LR(0) machine only works if states with reduce actions have a *single* reduce action.
 - In such states, the machine *always* reduces (ignoring lookahead)
- With more complex grammars, the DFA construction will yield states with shift/reduce and reduce/reduce conflicts:

OK shift/reduce reduce/reduce

$$S \mapsto (L).$$

$$S \mapsto (L).$$

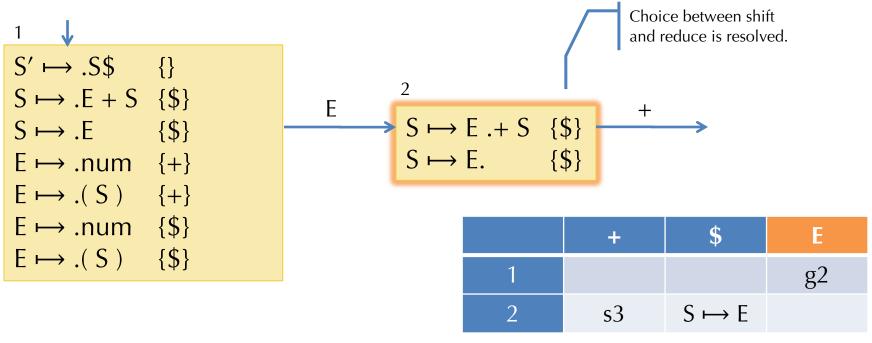
 $L \mapsto .L, S$

$$S \mapsto L, S.$$

 $S \mapsto S.$

• Such conflicts can often be resolved by using a look-ahead symbol: SLR(1) or LR(1)

Using the DFA



- The behavior is determined if:
 - There is no overlap among the look-ahead sets for each reduce item, and
 - None of the look-ahead symbols appear to the right of a '.'

Fragment of the Action & Goto tables

Exam Review

- Outline
 - Language Semantics
 - Compiler Architecture
 - X86 Assembly code
 - LLVM IR
 - Regular Expressions, Finite Automata, Lexing
 - LL/LR Grammars and Parsing
- Now: questions?
- I will start today's office hours early 3:30-5pm.