

Homework 9

Max Wagner

March 28, 2016

385.1a

In either case, the row player ends with $ev = 10$.

385.1c

In this case the pitcher should throw a knuckle ball, and the batter should guess knuckleball. A fastball is detrimental to the pitcher's gains.

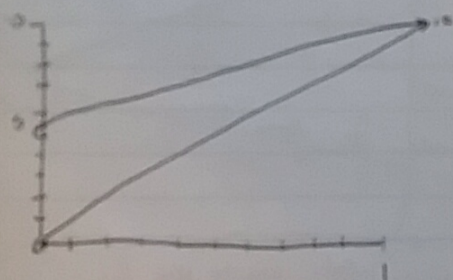
404.2a

404.2a

		Colin		Rose
		C1	C2	R1 $p=x$
Rose	R1	10	10	R2 $p=1-x$
	R2	5	0	

$$C1 = 10x + 5(1-x) = 5x + 5 \quad 0 \leq x \leq 1$$

$$C2 = 10x + 0(1-x) = 10x$$



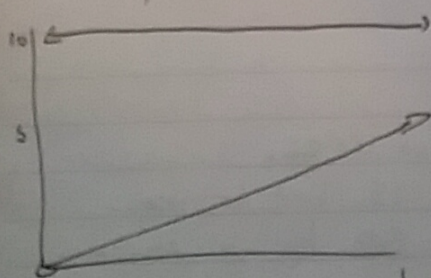
$$NS = 10 \quad \text{at } x_1, y_1, z_1 /$$

$$\text{and } x_2, y_2 = 1$$

~~R2: 10x + 0(1-x) = 10x~~

$$R1 = 10y + (10)(1-y) = 10$$

$$R2 = 5y + 0(1-y) = 5y$$



420.1

The strategy is that Colin will play C2 and Rose will play R1. If this occurs then Rose will have 10 in either case, and Colin's choice becomes irrelevant. Since both outcomes are 10, there isn't a min-max.

428.3 and 440.2

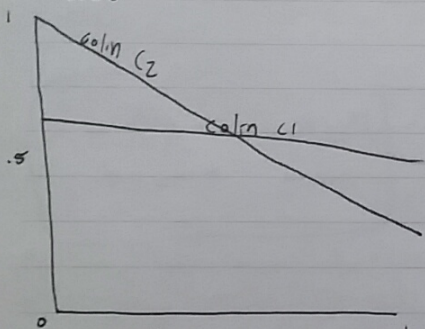
428.3a

Colin

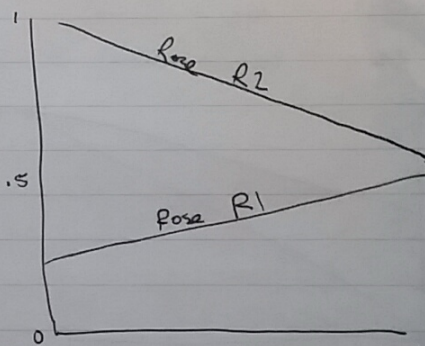
		C1	C2
Rose	R1	.5	.3
	R2	.6	1

In this case there is a pure strategy eq for R2 & C1. There is no Eu in this case.

428.3b



Rose should play R1



Colin should play C1

440.2

Colin

		C1	C2
Rose	R1	1, 2	3, 1
	R2	2, 4	4, 3

This game has a Nash Eq. at C1, R2.

Rose would prefer Colin plays C2, but he has no reason to do so. Unless Colin has a reason to play C2, Rose cannot get better.

454.3

	kill		
	long	mid	close
Ike	.5	.6	1
Doc	.3	.8	1

Doc Payoff	I_L	I_M	I_S
D_L	-2	-7	-7
D_M	0	2	6
D_S	0	-2	0

$V = -2$ when $\begin{matrix} \text{doc} = \text{long} \\ \text{ike} = \text{long} \end{matrix}$ &