

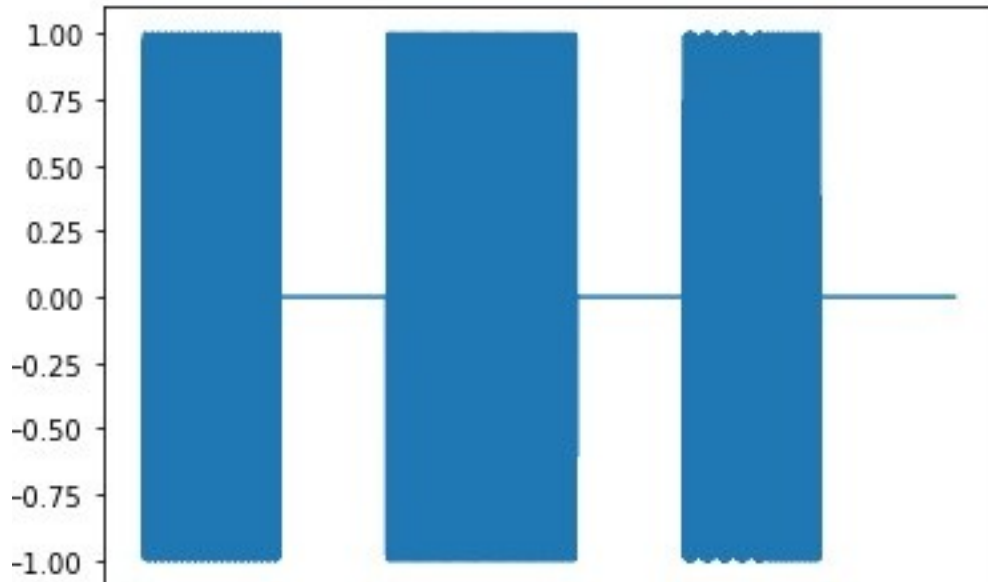
Report Signals Project

Done by:

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Milestone 1



First, we put the frequencies we're utilizing in an array list called "Fi" that correlates to the left hand, and then we added the frequencies that correspond to the right hand to the list "fi." However, we didn't use the right hand, so all the frequencies in "fi" were zeroes. The time period of each frequency was then added to the arraylist "Ti," and the array list "ti" was made up of the values "Ti" added cumulatively. Then, using a for loop that finishes until "i" is more than the size of the "Fi" arraylist, we iterate over the four lists, placing them in the function, which was explained later, and summing them to "s," which we previously constructed by equating it to the function but instead of inserting the frequencies, we inserted 0. Finally, we used plt.plot to plot the song on a graph, and sd.play to play it.

The Function:

$$x(t) = \sum_{i=1}^N [\sin(2\pi F_i t) + \sin(2\pi f_i t)] [u(t - t_i) - u(t - t_i - T_i)]$$

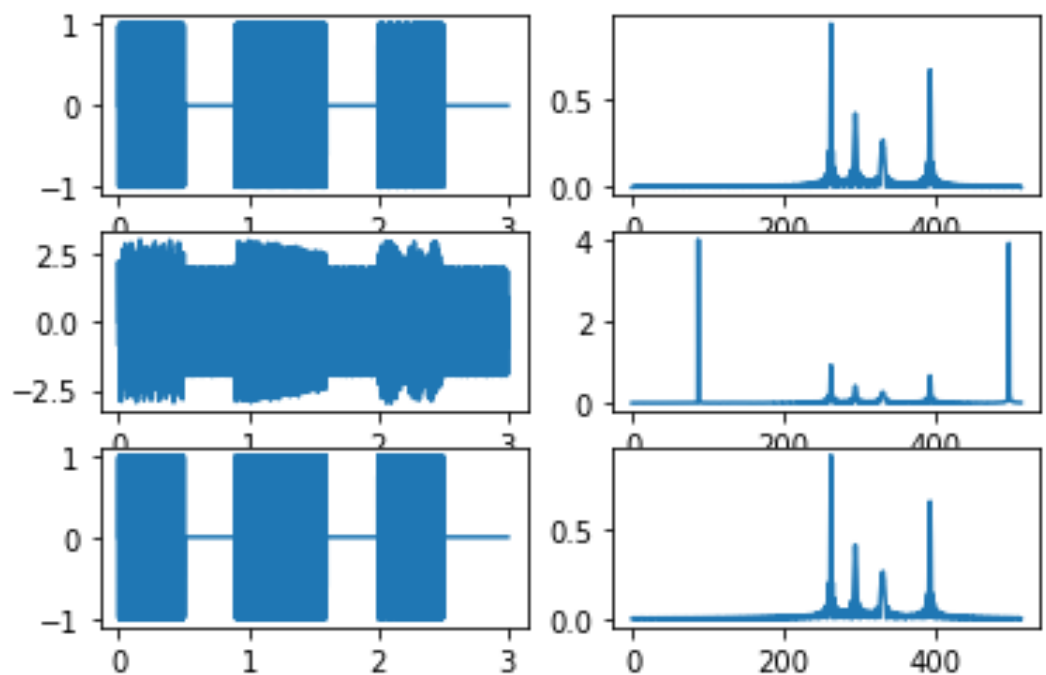
To construct this function, we used the predefined function np.multiply to multiply the part which contains the sine and the part which contains the unit step function. Also, we used the predefined function np.pi to insert the $(2\pi t)$ into the sine. Finally, we generated the unit step function by defining a method which takes the array "t" and returns 1 times the values of t which are greater than zero.

Milestone 2

The first row is the original song and its transformation in the frequency domain.

The second row is the song plus the noise and its transformation in the frequency domain.

The third row is the filtered song and its transformation in the frequency domain.



First, we started off by creating an array which contains the frequency axis, which was the 3rd and 4th octave. Secondly, we transformed the signal of the original song and calculated it in the frequency domain using `fft(s)` and called it `sf`. Then, we generated two random frequencies, which are also in the 3rd and 4th octave, using `np.random` and used them in this function to generate the noise $n = \sin(2\pi f_{n1}t) + \sin(2\pi f_{n2}t)$, and then we added this function to the original song to create the function `xn`, which is the song plus the noise. Those were the steps conducted to generate the noise.

As for the noise cancellation, first, we transformed the signal of the noisy song and calculated it in the frequency domain using `fft(xn)` and called it `xnf`. Then, we saved the rounded maximum number of `sf` in a variable called `max` and created an empty list called `ind1`. After that, we looped over the length of `xnf`, and compared each element of `xnf` to `max`. If the element was greater than the maximum, we appended its index to the empty list we created. After exiting the loop, we would call the first and second elements of `ind1`, which corresponds to the largest two numbers of `xnf` which are greater than the largest number in `sf`, and get their values in the frequency domain, round them up and save them in two variables. Finally, we created the function `xfilter` which takes the noisy song and removes the noise using the two variables we saved previously and adding them in this function `xfilter = xn - (\sin(2\pi f_{n1}t) + \sin(2\pi f_{n2}t))`. Also, we transformed signal of `xfilter` and calculated it in the frequency domain using `fft(xfilter)` and called it `xfilterf` to make sure that the noise was removed.