

Question 1

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x = [1 2 3 4 5 6 7 8 9 10]'; % Years
y = [500 520 540 560 590 620 640 660 680 700]'; % Population

n = length(x);
sum_x = sum(x);
sum_y = sum(y);
sum_x2 = sum(x.^2);
sum_xy = sum(x .* y);
a1 = (n * sum_xy - sum_x * sum_y) / (n * sum_x2 - sum_x^2);
a0 = (sum_y - a1 * sum_x) / n;
fprintf('The linear equation is: y = %.4fx + %.4fn', a1, a0);
x_predict = 12;
y_predict = a1 * x_predict + a0;
fprintf('The predicted population in year 12 is: %.2fn', y_predict);
```

question 2

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t2 = [0 1 2 3 4 5];
M = [100 80 64 51.2 40.96 32.768];
log_M = log(M);
N2 = length(t2);
sum_t2 = sum(t2);
sum_log_M = sum(log_M);
sum_t2_log_M = sum(t2 .* log_M);
sum_t2_squared = sum(t2.^2);
k = (N2 * sum_t2_log_M - sum_t2 * sum_log_M) / (N2 * sum_t2_squared - sum_t2^2);
ln_M0 = (sum_log_M - k * sum_t2) / N2;
M0 = exp(ln_M0); % Back-transform to get M_0
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% Print the result in the requested format

fprintf('The linear equation for Problem 2 is:  $\ln(M) = 0.4f * t + 0.4f\backslash n'$ ', k, ln_M0);

fprintf('The exponential decay equation is:  $M(t) = 0.4f * e^{(0.4f * t)}\backslash n'$ ', M0, k);

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question 3

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t1 = [0.5 1 2 3 4 5 6 7 8];

C = [20.0 18.5 15.2 12.5 10.2 8.7 7.1 5.8 4.5];

log_t1 = log(t1);

log_C = log(C);

N1 = length(t1);

sum_log_t1 = sum(log_t1);

sum_log_C = sum(log_C);

sum_log_t1_log_C = sum(log_t1 .* log_C);

sum_log_t1_squared = sum(log_t1.^2);

b1 = (N1 * sum_log_t1_log_C - sum_log_t1 * sum_log_C) / (N1 * sum_log_t1_squared -
sum_log_t1^2);

ln_a1 = (sum_log_C - b1 * sum_log_t1) / N1;

a1 = exp(ln_a1); % Back-transform to get 'a'

% Print the result in the requested format

fprintf('The linear equation for Problem 1 is:  $\ln(C) = 0.4f * \ln(t) + 0.4f\backslash n'$ ', b1, ln_a1);

fprintf('The power law equation is:  $C(t) = 0.4f * t^{0.4f}\backslash n'$ ', a1, b1);

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