

THE SPARK FOUNDATION

Data Science and Business Analytics Intern.

Task 2

Prediction using Unsupervised ML

- Objective : Predict the optimum number of clusters and represent visually.
- Method Used : K-Means Clustering
- Dataset : <https://bit.ly/3kXTdox>
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Iris Versicolor



Iris Setosa



Iris Virginica

- Setting Working directory

```
In [1]: import os
os.chdir("H:\\Data Science\\Internship\\Spark")
```

Importing Libraries:

```
In [2]: from sklearn.cluster import KMeans
from sklearn import datasets
import pandas as pd
import seaborn as sns
import numpy as np
import matplotlib.pyplot as plt
%matplotlib inline

# Suppress warnings
import warnings
warnings.filterwarnings("ignore")

# For K-Mean Clustering
from sklearn.cluster import KMeans
from sklearn.metrics import silhouette_score
```

Understanding Dataset

```
In [3]: # Import Data
data_iris = pd.read_csv('iris.csv')
print(data_iris)
```

```

Id SepalLengthCm SepalWidthCm PetalLengthCm PetalWidthCm \
0 1 5.1 3.5 1.4 0.2
1 2 4.9 3.0 1.4 0.2
2 3 4.7 3.2 1.3 0.2
3 4 4.6 3.1 1.5 0.2
4 5 5.0 3.6 1.4 0.2
.. ..
145 146 6.7 3.0 5.2 2.3
146 147 6.3 2.5 5.0 1.9
147 148 6.5 3.0 5.2 2.0
148 149 6.2 3.4 5.4 2.3
149 150 5.9 3.0 5.1 1.8

```

```

Species
0 Iris-setosa
1 Iris-setosa
2 Iris-setosa
3 Iris-setosa
4 Iris-setosa
..
145 Iris-virginica
146 Iris-virginica
147 Iris-virginica
148 Iris-virginica
149 Iris-virginica

```

```

[150 rows x 6 columns]
In [4]: # View some sample records
data_iris.head()

```

```

Out[4]:
   Id  SepalLengthCm  SepalWidthCm  PetalLengthCm  PetalWidthCm  Species
0    1             5.1             3.5           1.4           0.2  Iris-setosa
1    2             4.9             3.0           1.4           0.2  Iris-setosa
2    3             4.7             3.2           1.3           0.2  Iris-setosa
3    4             4.6             3.1           1.5           0.2  Iris-setosa
4    5             5.0             3.6           1.4           0.2  Iris-setosa

```

```

In [5]: #shape of the Dataframe
data_iris.shape

```

```

Out[5]:(150, 6)

```

```

In [6]: #Checking data type of variables
data_iris.info()

```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 6 columns):
#   Column      Non-Null Count  Dtype
---  -
0  Id          150 non-null    int64
1  SepalLengthCm  150 non-null    float64
2  SepalWidthCm   150 non-null    float64
3  PetalLengthCm  150 non-null    float64
4  PetalWidthCm   150 non-null    float64
5  Species        150 non-null    object
dtypes: float64(4), int64(1), object(1)
memory usage: 7.2+ KB
In [7]: data_iris['Species'].value_counts()

```

```

Out[7]:Iris-setosa    50
      Iris-versicolor  50
      Iris-virginica   50
      Name: Species, dtype: int64

```

Visualization

```

In [8]: # Distribution plot of all the continuous variables in the dataset
plt.figure(figsize = (15,8))
plt.subplot(2,2,1)
sns.distplot(data_iris["SepalLengthCm"])

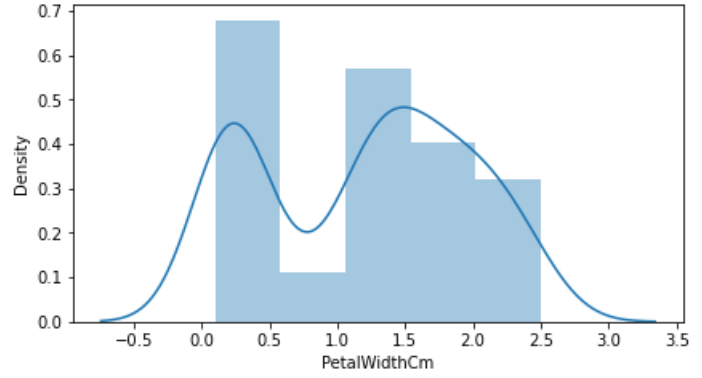
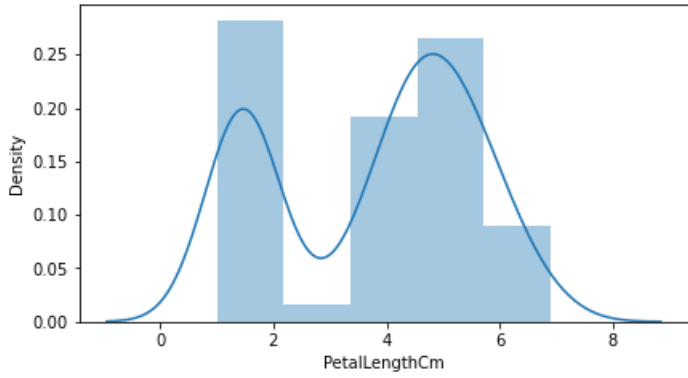
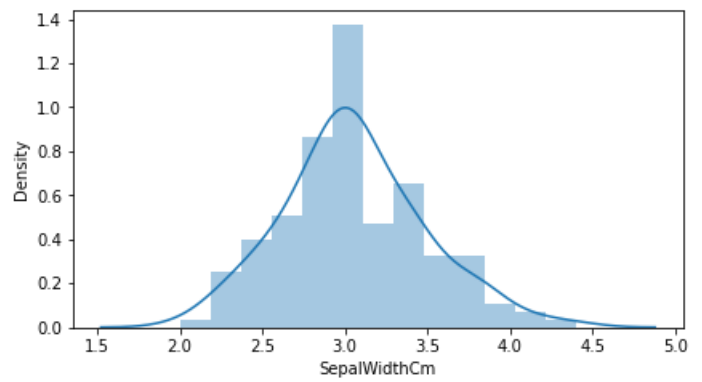
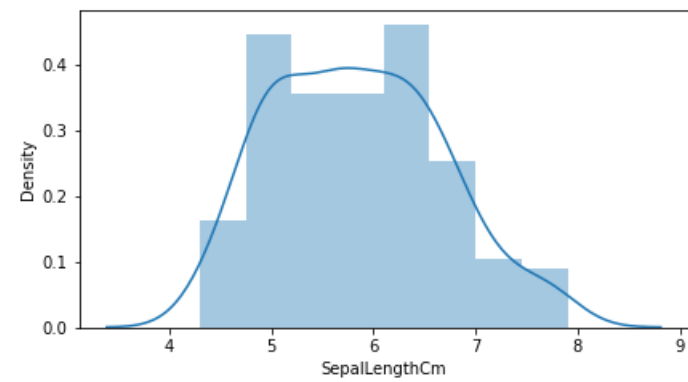
plt.subplot(2,2,2)
sns.distplot(data_iris["SepalWidthCm"])

plt.subplot(2,2,3)
sns.distplot(data_iris["PetalLengthCm"])

plt.subplot(2,2,4)
sns.distplot(data_iris["PetalWidthCm"])

```

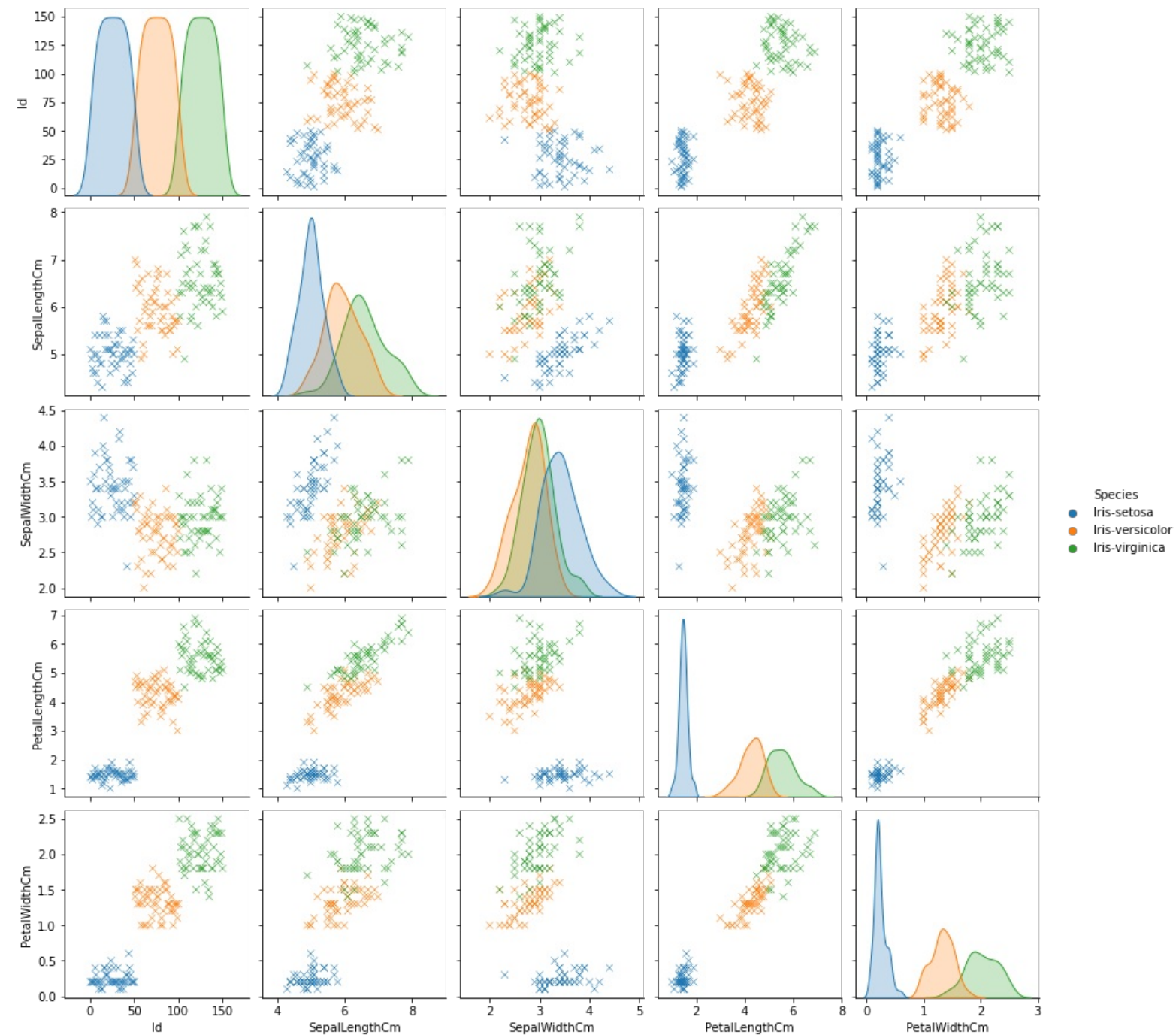
Out[8]:<AxesSubplot:xlabel='PetalWidthCm', ylabel='Density'>



Observation

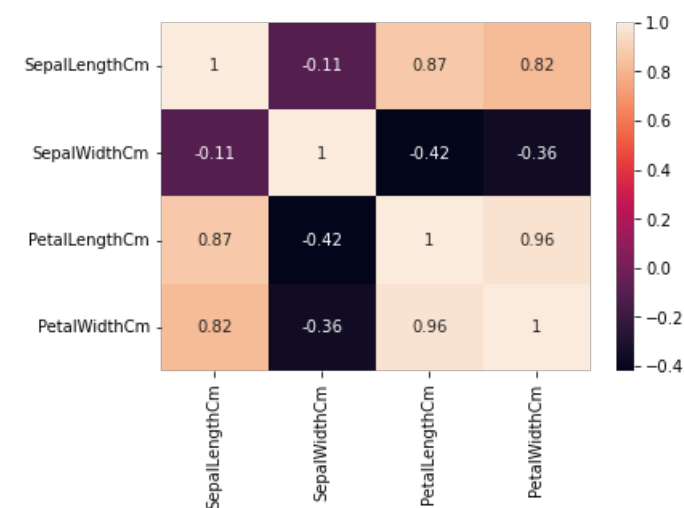
- Variables PetalLengthCm and PetalWidthCm have chance of internal grouping. Hence, For these variables we can do our further analysis.

```
In [9]: #Pairplot of iris dataset
sns.pairplot(data_iris , hue = "Species" , markers = "x")
plt.show()
```



- After graphing the features in a pair plot, it is clear that the relationship between pairs of features of iris-setosa (in blue) is distinctly different from those of other two species. There is some overlap in the pairwise relationships of the other two species, iris-versicolor(orange) and iris-virginica(green).

In [10]: *#Correlation Between Characteristic*
 sns.heatmap(data_iris[["SepalLengthCm","SepalWidthCm","PetalLengthCm","PetalWidthCm"]].corr() , annot = **True**)
 plt.show()



Outliers Treatment

In [11]: *# Checking Outliers*

```
plt.figure(figsize =(15,8))
```

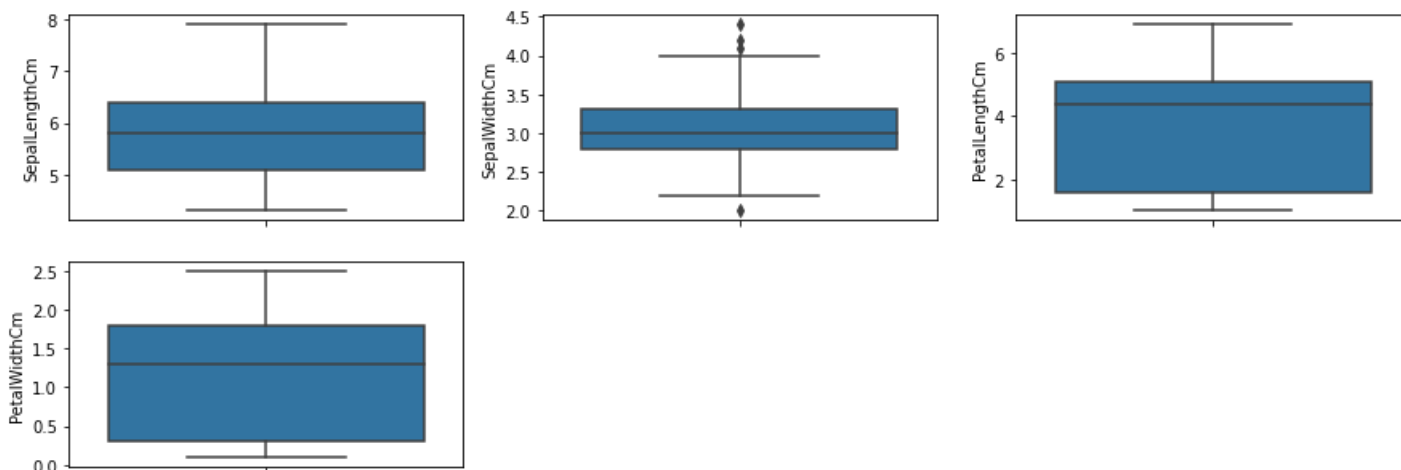
```
plt.subplot(3,3,1)
sns.boxplot( y = data_iris["SepalLengthCm"])
```

```
plt.subplot(3,3,2)
sns.boxplot( y = data_iris["SepalWidthCm"])
```

```
plt.subplot(3,3,3)
sns.boxplot( y = data_iris["PetalLengthCm"])
```

```
plt.subplot(3,3,4)
sns.boxplot( y = data_iris["PetalWidthCm"])
```

```
plt.show()
```



```
In [12]: # Soft Capping(SepalWidthCm)
#Percentile value of SepalWidthCm
q1 = data_iris['SepalWidthCm'].quantile(0.01)
q4 = data_iris['SepalWidthCm'].quantile(0.99)
```

```
# Capping Lower range outliers
data_iris['SepalWidthCm'][data_iris['SepalWidthCm']<=q1] = q1
```

```
# Capping Upper range outliers
data_iris['SepalWidthCm'][data_iris['SepalWidthCm']>=q4] = q4
```

```
In [13]: #dropping the columns which are not required for the further analysis
data = data_iris.drop(["Id","Species"],axis= 1).values
```

Clustering - [Using K-mean Clustering]

```
In [14]: #checking whether clustering is possible or not using Hopkins
```

```
from sklearn.neighbors import NearestNeighbors
from random import sample
from numpy.random import uniform
import numpy as np
from math import isnan
```

```
def hopkins(X):
    d = X.shape[1]
    n = len(X) #rows
    m = int(0.1 * n)
    nbrs = NearestNeighbors(n_neighbors=1).fit(X.values)

    rand_X = sample(range(0 ,n , 1), m)

    ujd = []
    wjd = []
    for j in range (0 ,m):
        u_dist, _ = nbrs.kneighbors(uniform(np.amin(X,axis=0),np.amax(X,axis=0),d).reshape(1,-1) , 2 , return_distance=True)
        ujd.append(u_dist[0][1])
        w_dist, _ = nbrs.kneighbors(X.iloc[rand_X[j]].values.reshape(1,-1),2,return_distance=True)
        wjd.append(w_dist[0][1])
```

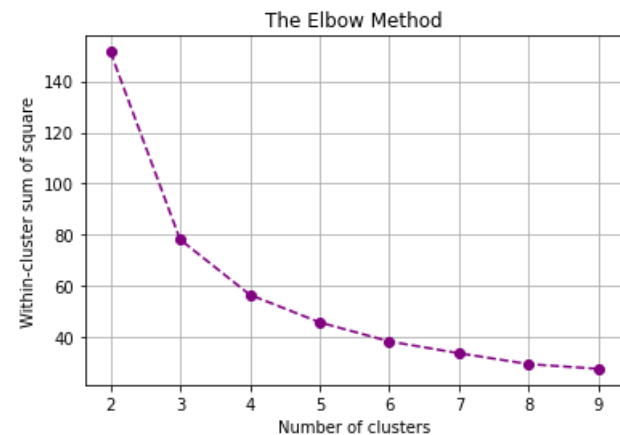
```
H = sum(ujd) / (sum(ujd) + sum(wjd))
if isnan(H):
    print(ujd,wjd)
    H = 0
```

```
return H
```

```
data_check_clustering = data_iris.drop(["Id","Species"], axis = 1)
hopkins(data_check_clustering)
```

Out[14]:0.8238668328229162

```
In [28]: # Finding optimal number of clusters using elbow
ssd = []
range_n = [2,3,4,5,6,7,8,9]
for i in range_n:
    kmeans = KMeans(n_clusters=i, max_iter = 500, random_state=50)
    kmeans.fit(data)
    ssd.append([i,kmeans.inertia_])
ssd_dataframe = pd.DataFrame(ssd)
plt.plot(ssd_dataframe[0], ssd_dataframe[1], 'go--', color = 'purple')
plt.title("The Elbow Method")
plt.xlabel("Number of clusters")
plt.ylabel("Within-cluster sum of square")
plt.grid()
plt.show()
```



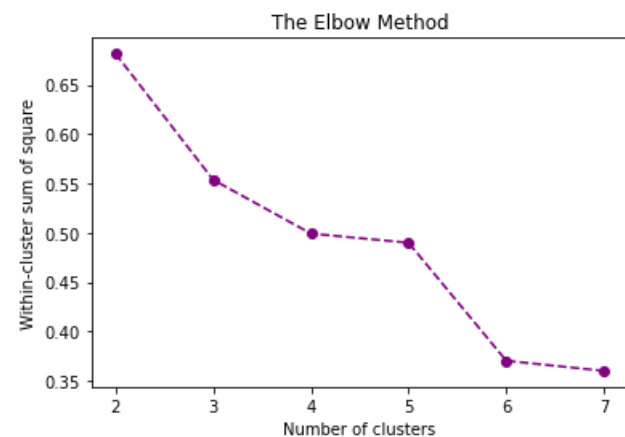
```
In [16]: #Finding optimal clusters using sheloitte score
#Silhouette score measures that how a data point is similar to it's own cluster as compared to other cluster
range_n = [2,3,4,5,6,7]
ss = []
for i in range_n:
    kmeans = KMeans(n_clusters=i, max_iter = 500)
    kmeans.fit(data)

    cluster_label = kmeans.labels_
    silhouette_average = silhouette_score(data, cluster_label)
    ss.append([i, silhouette_average])
    print("for n cluster {0} Silhouette score is {1}".format(i, silhouette_average))
```

```
for n cluster 2 Silhouette score is 0.6813827002308916
for n cluster 3 Silhouette score is 0.5535725524920355
for n cluster 4 Silhouette score is 0.4991092247792553
for n cluster 5 Silhouette score is 0.48982358704800855
for n cluster 6 Silhouette score is 0.3702142015220346
for n cluster 7 Silhouette score is 0.35999395076875734
```

```
In [17]: Silhouette_score_df = pd.DataFrame(ss)
Silhouette_score_df.columns = ["Number of clusters", "Silhouette Score"]
```

```
In [27]: plt.plot(Silhouette_score_df["Number of clusters"], Silhouette_score_df["Silhouette Score"], 'go--', color = 'purple');
plt.title("The Elbow Method")
plt.xlabel("Number of clusters")
plt.ylabel("Within-cluster sum of square")
plt.show()
```



- From elbow curve we can observe that at $i = 3$ there is a break point and from silhouette score we can observe that for n cluster = 3 we are getting second highest silhouette score value. Therefore, we will take k value as 3 (Never choose Silhouette Score = 2. It is wrong practical implication)

```
In [19]: #Assuming k = 3
         kmeans = KMeans(n_clusters = 3,max_iter= 500 , random_state = 50)
         Cluster_Id= kmeans.fit_predict(data)
```

```
In [20]: Cluster_Id
```

```
Out[20]:array([1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1,
               1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1,
               1, 1, 1, 1, 1, 1, 2, 2, 0, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2,
               2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 0, 2, 2, 2, 2, 2, 2, 2, 2, 2,
               2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 0, 2, 2, 0, 0, 0, 0, 2, 0, 0, 0,
               0, 0, 0, 2, 2, 0, 0, 0, 0, 2, 0, 2, 0, 2, 0, 0, 2, 2, 0, 0, 0, 0,
               0, 2, 0, 0, 0, 0, 2, 0, 0, 0, 2, 0, 0, 0, 2, 0, 0, 2])
```

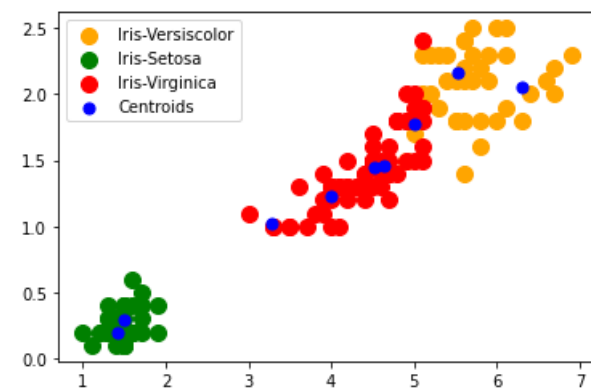
```
In [30]: #Visualizing Cluster using petal length and petal width column
         plt.scatter(data[Cluster_Id == 0 , 2 ], data[Cluster_Id == 0 , 3] ,s = 100 ,c = "orange", label = "Iris-Versicolor" )
         plt.scatter(data[Cluster_Id == 1 , 2 ], data[Cluster_Id == 1 , 3] ,s = 100 ,c = "green", label = "Iris-Setosa" )
         plt.scatter(data[Cluster_Id == 2 , 2 ], data[Cluster_Id == 2 , 3] ,s = 100 ,c = "red", label = "Iris-Virginica" )
```

```
#Centroids of the clusters
```

```
plt.scatter(kmeans.cluster_centers_[:,2], kmeans.cluster_centers_[:,3], s = 50 , c = "blue", label = "Centroids")
```

```
plt.legend()
```

```
plt.show()
```



Conclusion:

- Therefore, the optimum number of clusters are .

Suggestions are always Welcome!

Thank You !