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Computer Vision; Object Detection; One Stage Detectors



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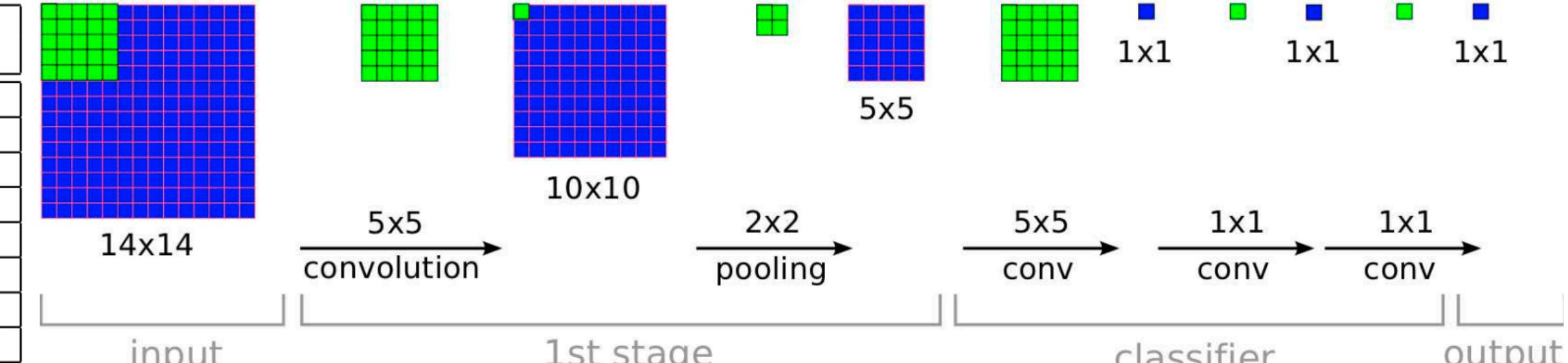
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OverFeat: Integrated Recognition, Localization and Detection using Convolutional Networks



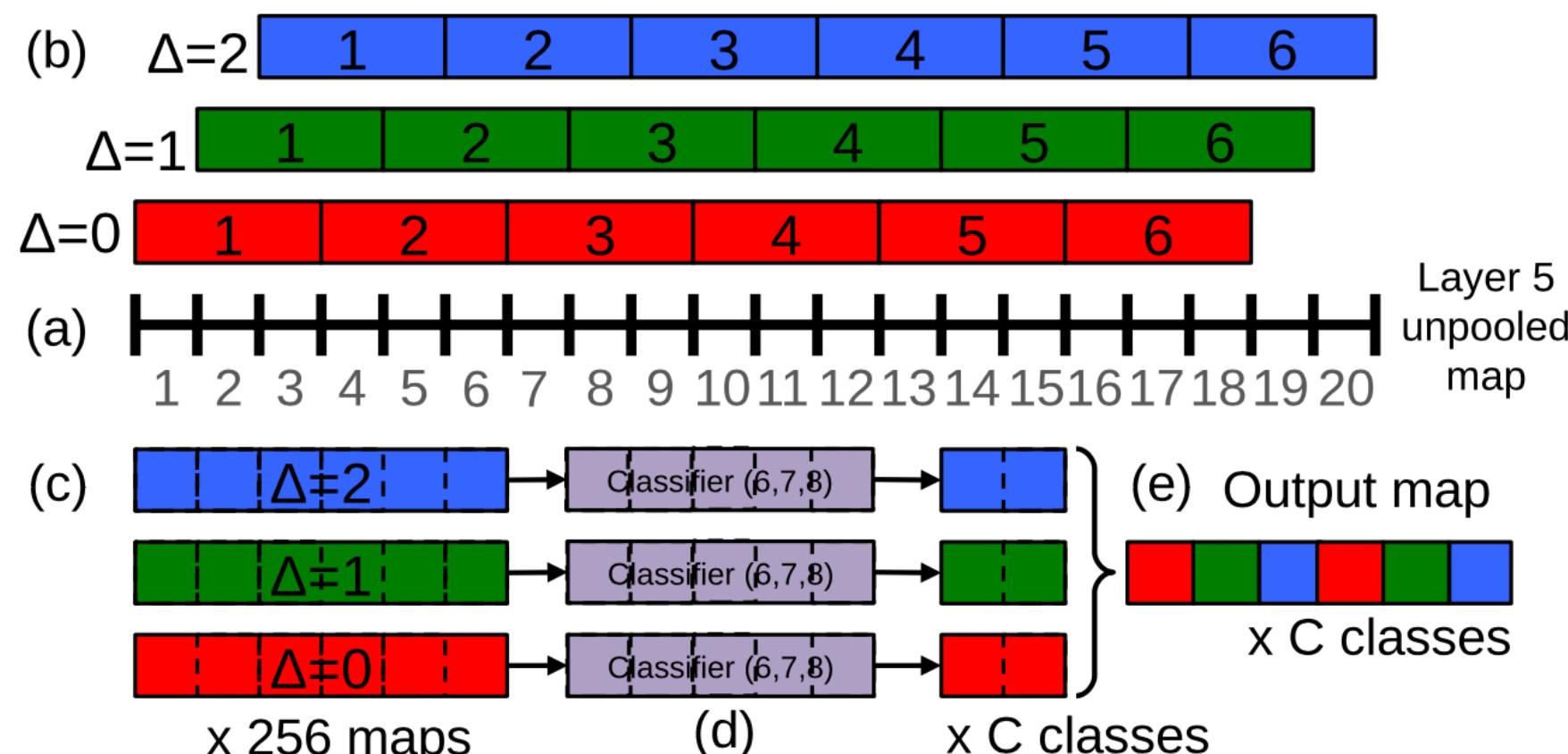
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Layer	1	2	3	4	5	6	7	8	Output 9
Stage	conv + max	conv + max	conv	conv	conv	conv + max	full	full	full
# channels	96	256	512	512	1024	1024	4096	4096	1000
Filter size	7x7	7x7	3x3	3x3	3x3	3x3	-	-	-
Conv. stride	2x2	1x1	1x1	1x1	1x1	1x1	-	-	-
Pooling size	3x3	2x2	-	-	-	3x3	-	-	-
Pooling stride	3x3	2x2	-	-	-	3x3	-	-	-
Zero-Padding size	-	-	1x1x1x1	1x1x1x1	1x1x1x1	1x1x1x1	-	-	-
Spatial input size	221x221	36x36	15x15	15x15	15x15	15x15	5x5	1x1	1x1

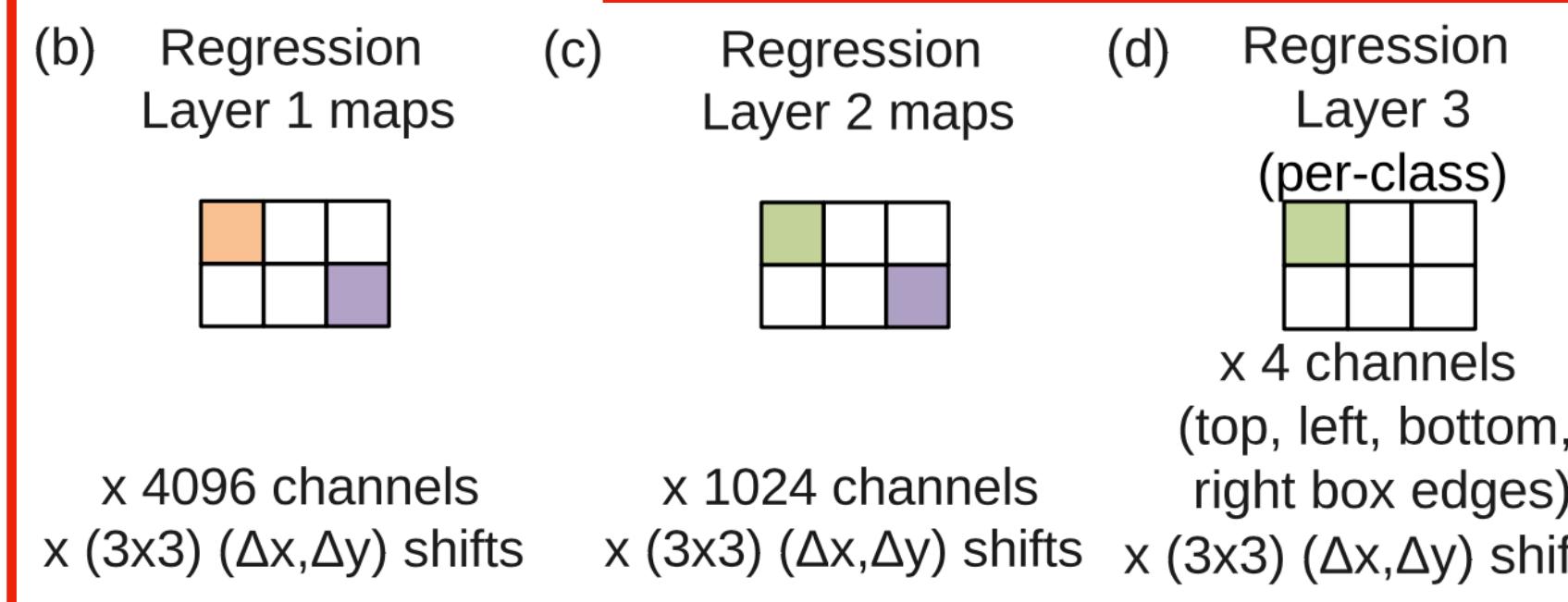
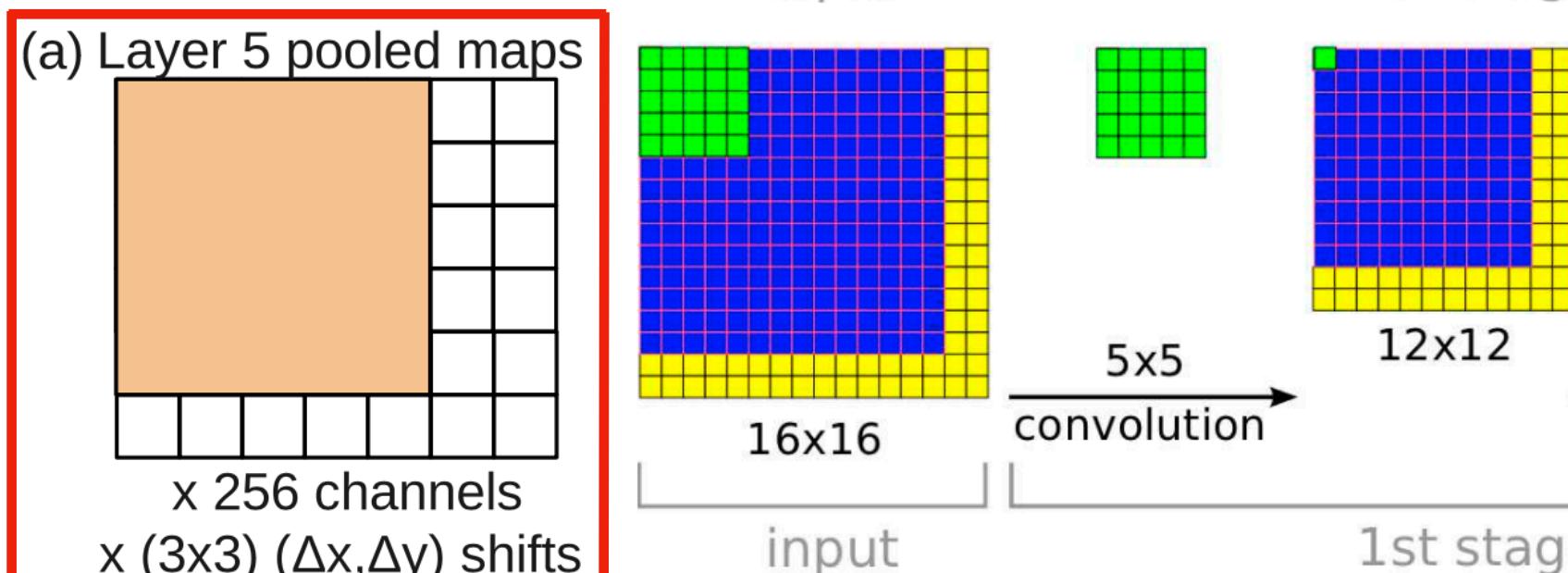


$36 = 2 \cdot 3 \cdot 2 \cdot 3 \rightarrow$ total subsampling ratio in the network

Scale	Input size	Layer 5 pre-pool	Layer 5 post-pool	Classifier map (pre-reshape)	Classifier map size
1	245x245	17x17	(5x5)x(3x3)	(1x1)x(3x3)x C	3x3xC
2	281x317	20x23	(6x7)x(3x3)	(2x3)x(3x3)x C	6x9xC
3	317x389	23x29	(7x9)x(3x3)	(3x5)x(3x3)x C	9x15xC
4	389x461	29x35	(9x11)x(3x3)	(5x7)x(3x3)x C	15x21xC
5	425x497	32x35	(10x11)x(3x3)	(6x7)x(3x3)x C	18x24xC
6	461x569	35x44	(11x14)x(3x3)	(7x10)x(3x3)x C	21x30xC



Yields a total subsampling ratio of $12 = 36/3$ instead of 36
 $245 = 221 + 2 \cdot 12 \rightarrow$ input size



Greedy Merge Strategy

$C_s \rightarrow$ set of classes in the top k for each scale $s = 1, \dots, 6$

$B_s \rightarrow$ set of bounding boxes predicted by the regressor network for each class in C_s

Assign $B \leftarrow \bigcup_s B_s$

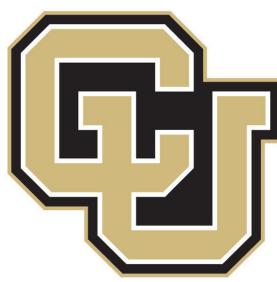
Repeat merging until done:

$$(b_1^*, b_2^*) = \operatorname{argmin}_{b_1 \neq b_2 \in B} \text{match_score}(b_1, b_2)$$

If $\text{match_score}(b_1^*, b_2^*) > t$, stop.

Otherwise, set $B \leftarrow B \setminus \{b_1^*, b_2^*\} \cup \text{box_merge}(b_1^*, b_2^*)$

Compute match score using the sum of the distance between centers of the two bounding boxes and the intersection area of the boxes. `box_merge` computes the average of the bounding boxes' coordinates

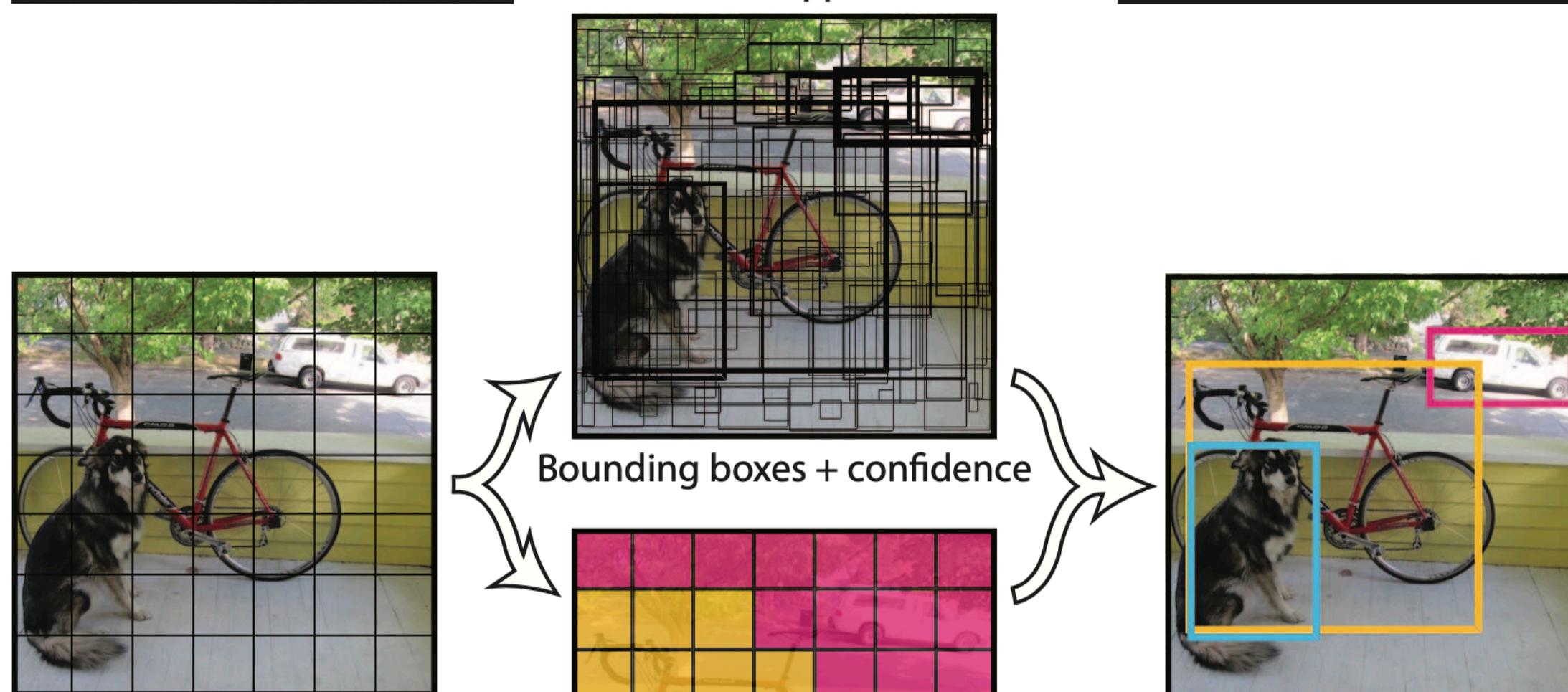
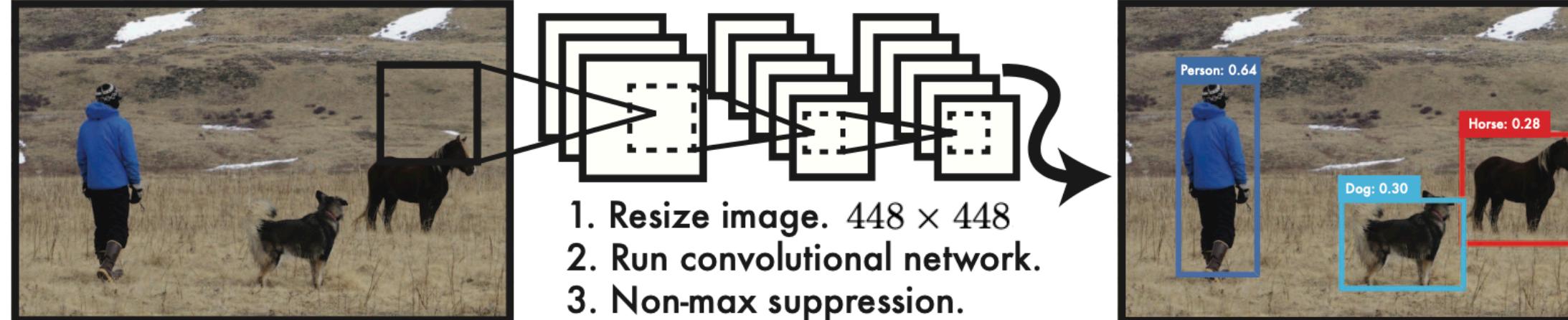


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You Only Look Once: Unified, Real-Time Object Detection



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$\mathbb{1}_i^{\text{obj}}$ denotes if object appears in cell i
 $\mathbb{1}_{ij}^{\text{obj}}$ denotes that the j th bounding box predictor in cell i is “responsible” for that prediction
(i.e. has the highest IOU of any predictor in that grid cell)

- Divide the input image into an $S \times S$ grid
- If the center of an object falls into a grid cell, that grid cell is responsible for detecting that object.
- Each grid cell predicts B bounding boxes and confidence scores for those boxes

$$\text{Confidence} \rightarrow \Pr(\text{Object}) * \text{IOU}_{\text{pred}}^{\text{truth}}$$

The confidence score reflects how confident the model is that the box contains an object and also how accurate it thinks the box is that it predicts.

$(x, y) \rightarrow$ center of the box relative to the bounds of the grid cell

$(w, h) \rightarrow$ width and height relative to the whole image

Each grid cell also predicts C conditional class probabilities, $\Pr(\text{Class}_i | \text{Object})$

$$\Pr(\text{Class}_i | \text{Object}) * \Pr(\text{Object}) * \text{IOU}_{\text{pred}}^{\text{truth}} = \Pr(\text{Class}_i) * \text{IOU}_{\text{pred}}^{\text{truth}}$$

$S \times S \times (B * 5 + C)$ tensor

$$\lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\text{obj}} \left[(x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right]$$

$$+ \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\text{obj}} \left[(\sqrt{w_i} - \sqrt{\hat{w}_i})^2 + (\sqrt{h_i} - \sqrt{\hat{h}_i})^2 \right]$$

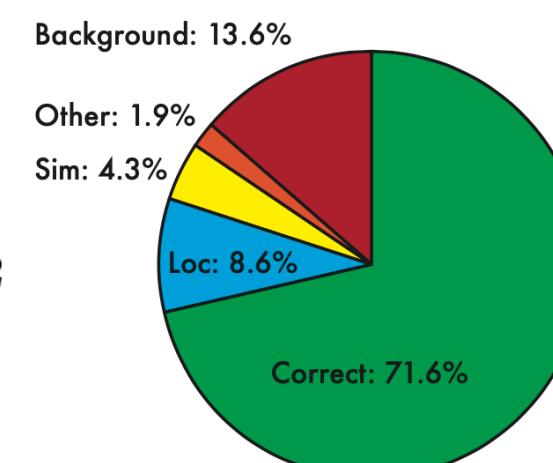
$$+ \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\text{obj}} (C_i - \hat{C}_i)^2$$

$$+ \lambda_{\text{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\text{noobj}} (C_i - \hat{C}_i)^2$$

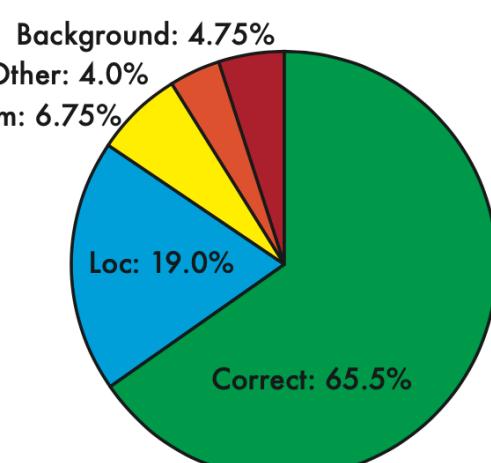
$$+ \sum_{i=0}^{S^2} \mathbb{1}_i^{\text{obj}} \sum_{c \in \text{classes}} (p_i(c) - \hat{p}_i(c))^2$$

$$\lambda_{\text{coord}} = 5 \text{ and } \lambda_{\text{noobj}} = .5. \\ S = 7 \\ B = 2 \\ C = 20$$

Fast R-CNN



YOLO



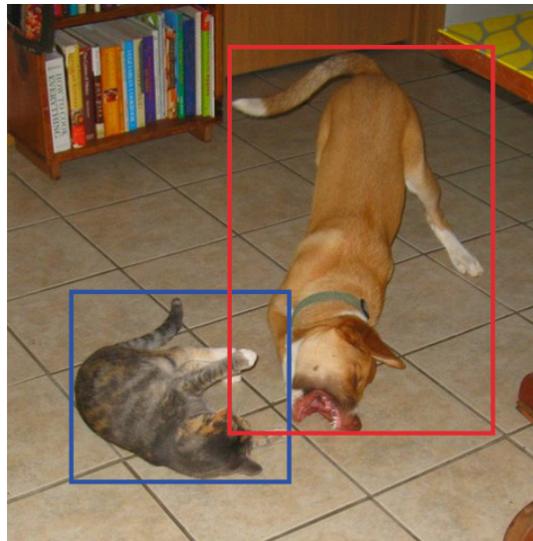


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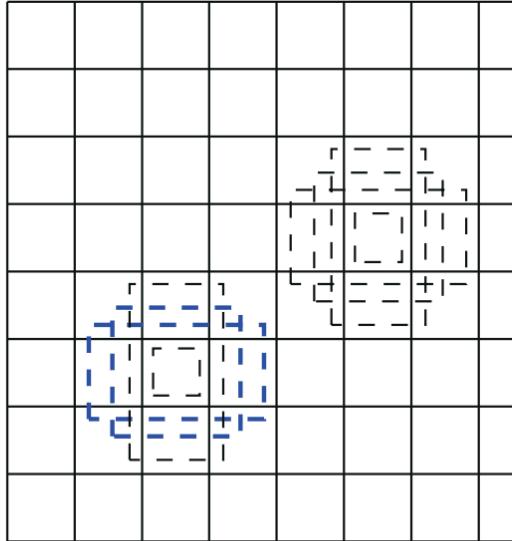


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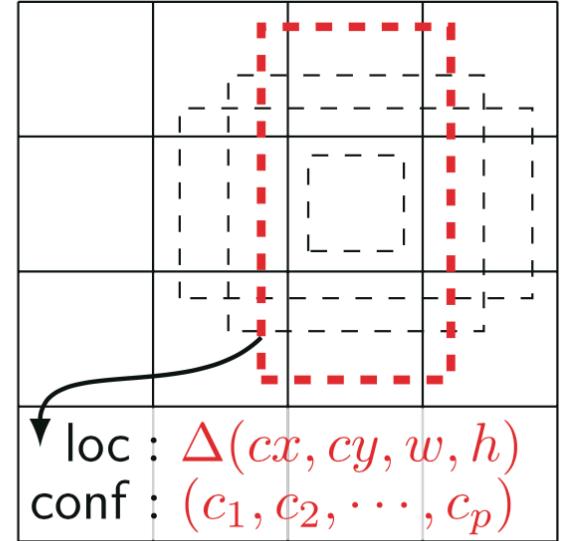
SSD: Single Shot MultiBox Detector



(a) Image with GT boxes



(b)



(c)

$$8732 = 4 * 38 * 38 + 6 * 19 * 19 + 6 * 10 * 10 + 6 * 5 * 5 + 4 * 3 * 3 + 4 * 1 * 1$$

Training Objective

$$L(x, c, l, g) = \frac{1}{N} (L_{conf}(x, c) + \alpha L_{loc}(x, l, g))$$

number of matched default boxes

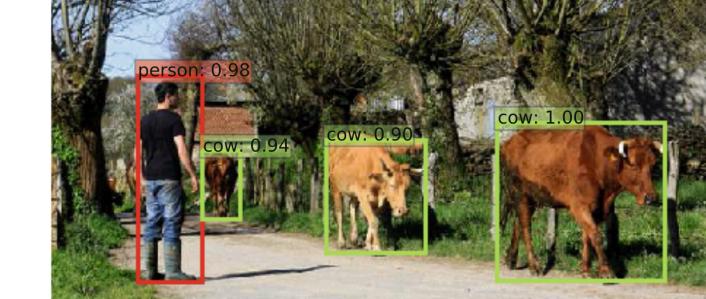
predicted box parameters

ground truth box parameters

$L_{conf} \rightarrow$ softmax loss

$L_{loc} \rightarrow$ Smooth L1 loss

Extra Feature Layers



Scales and Aspect Ratios for Default Boxes

scale of the highest layer

$$s_k = s_{\min} + \frac{s_{\max} - s_{\min}}{m-1}(k-1), \quad k \in [1, m]$$

scale of the lowest layer

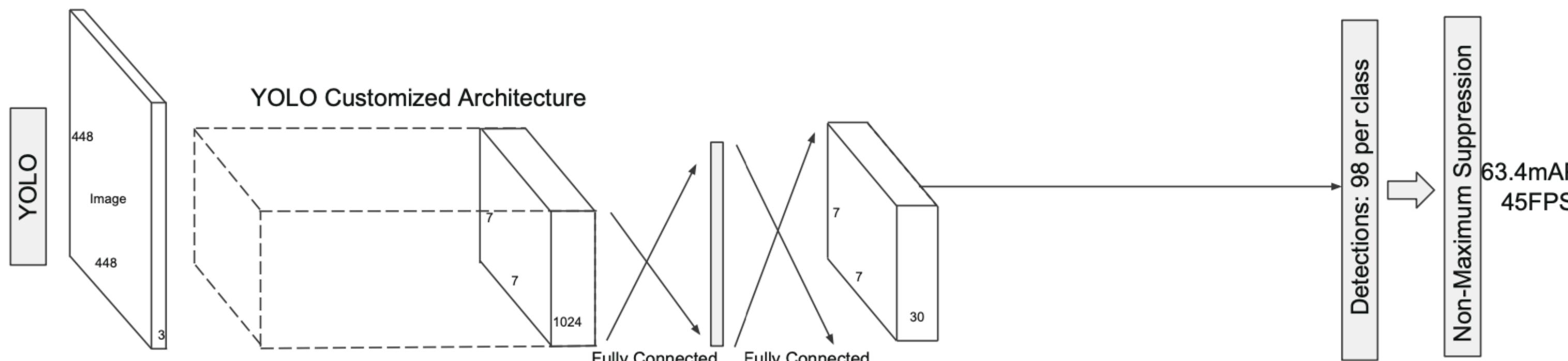
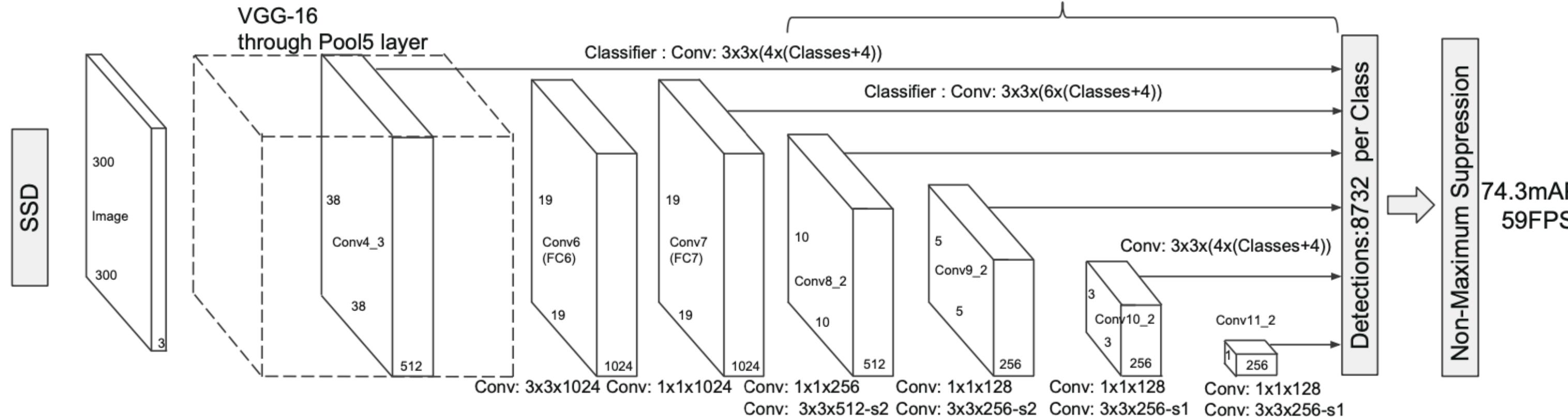
$$a_r \in \{1, 2, 3, 1/2, 1/3\} \rightarrow \text{aspect ratios}$$

$$w_k^a = s_k \sqrt{a_r} \rightarrow \text{width}$$

$$h_k^a = s_k / \sqrt{a_r} \rightarrow \text{height}$$

$$s'_k = \sqrt{s_k s_{k+1}} \rightarrow \text{scale of the additional default box for aspect ratio 1}$$

6 default boxes per feature map location



Method	mAP	FPS	Test batch size	# Boxes
Faster R-CNN [2] (VGG16)	73.2	7	1	300
Faster R-CNN [2] (ZF)	62.1	17	1	300
YOLO [5]	63.4	45	1	98
Fast YOLO [5]	52.7	155	1	98
SSD300	74.3	46	1	8732
SSD512	76.8	19	1	24564
SSD300	74.3	59	8	8732
SSD512	76.8	22	8	24564



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YOLO9000: Better, Faster, Stronger



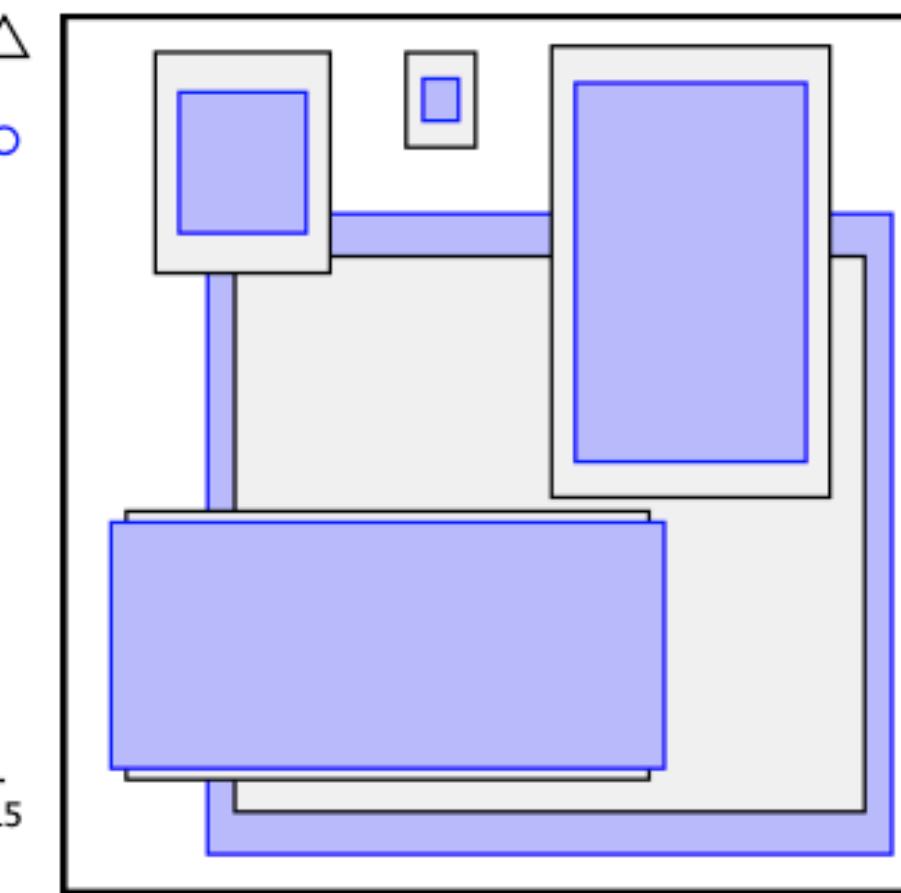
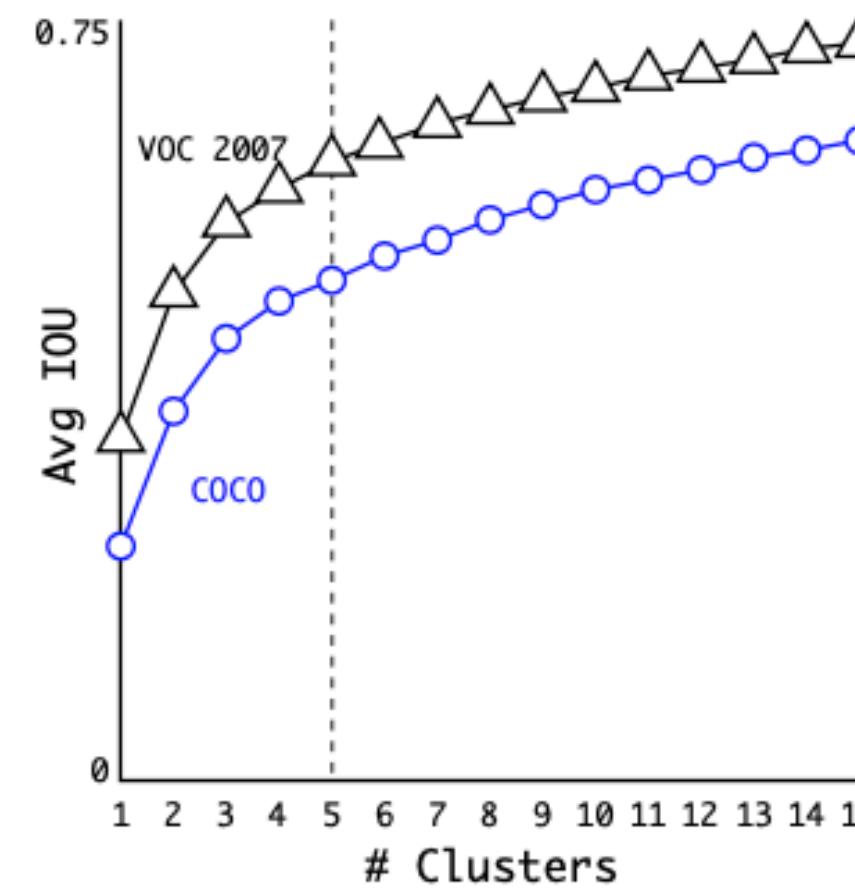
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YOLO9000 can detect over 9000 object categories.

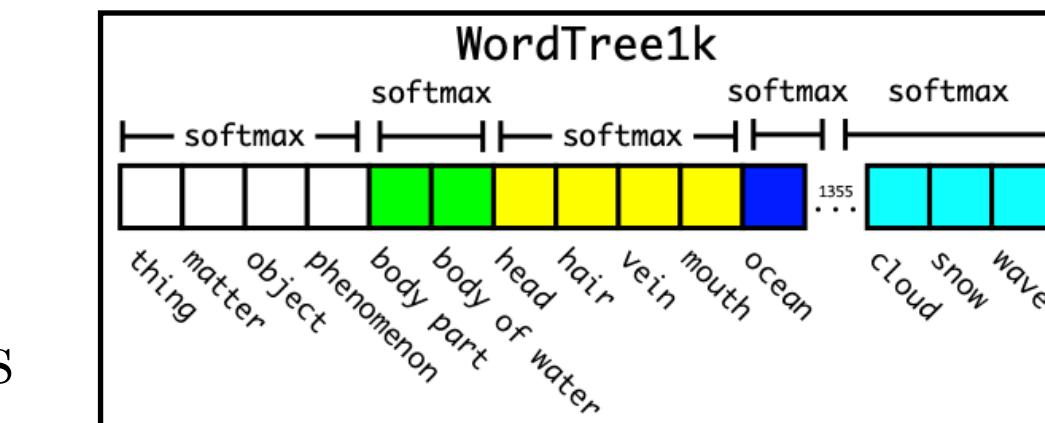
	YOLO	YOLOv2							
batch norm?	✓	✓	✓	✓	✓	✓	✓	✓	✓
hi-res classifier?	✓	✓	✓	✓	✓	✓	✓	✓	✓
convolutional?		✓	✓	✓	✓	✓	✓	✓	✓
anchor boxes?	✓	✓							
new network?		✓	✓	✓	✓	✓	✓	✓	✓
dimension priors?			✓	✓	✓	✓	✓	✓	✓
location prediction?				✓	✓	✓	✓	✓	✓
passthrough?					✓	✓	✓	✓	✓
multi-scale?						✓	✓	✓	✓
hi-res detector?							✓	✓	✓
VOC2007 mAP	63.4	65.8	69.5	69.2	69.6	74.4	75.4	76.8	78.6

Dimension Clusters

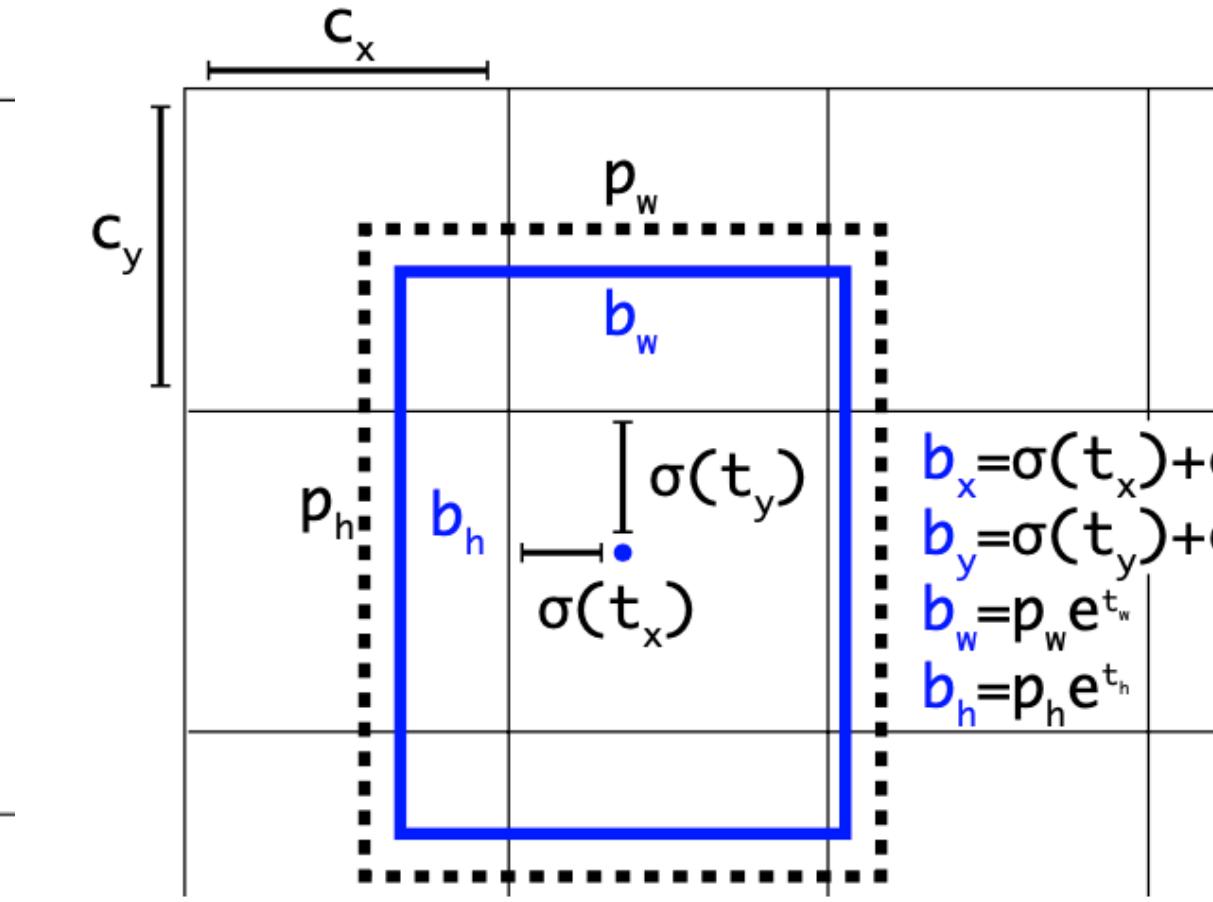
$$d(\text{box}, \text{centroid}) = 1 - \text{IOU}(\text{box}, \text{centroid})$$



k-means clustering on the training set box dimensions



Direct location prediction



$$b_x = \sigma(t_x) + c_x$$

$$b_y = \sigma(t_y) + c_y$$

$$b_w = p_w e^{t_w}$$

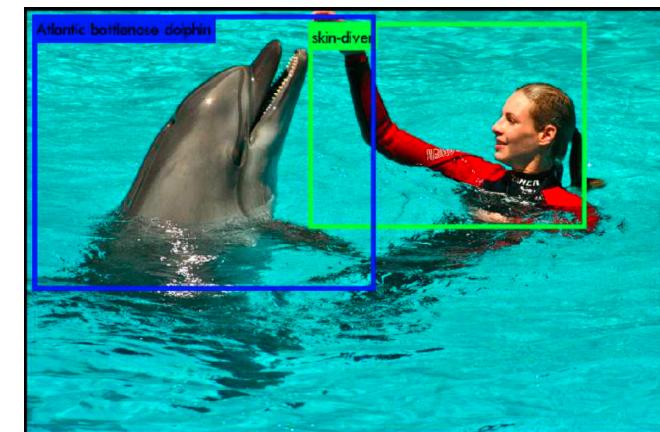
$$b_h = p_h e^{t_h}$$

$$\Pr(\text{object}) * \text{IOU}(b, \text{object}) = \sigma(t_o)$$

$(c_x, c_y) \rightarrow$ cell offset from top left corner of the image

$(t_x, t_y, t_w, t_h, t_o) \rightarrow$ predictions of the network

$(p_w, p_h) \rightarrow$ bounding box prior width & height



Joint classification and detection

See the paper!

Passthrough Layer

To detect small objects well, the $26 \times 26 \times 512$ feature maps from earlier layer is mapped into $13 \times 13 \times 2048$ feature map, then concatenated with the original 13×13 feature maps for detection.

Hierarchical classification

$$\Pr(\text{Norfolk terrier}) = \Pr(\text{Norfolk terrier} | \text{terrier})$$

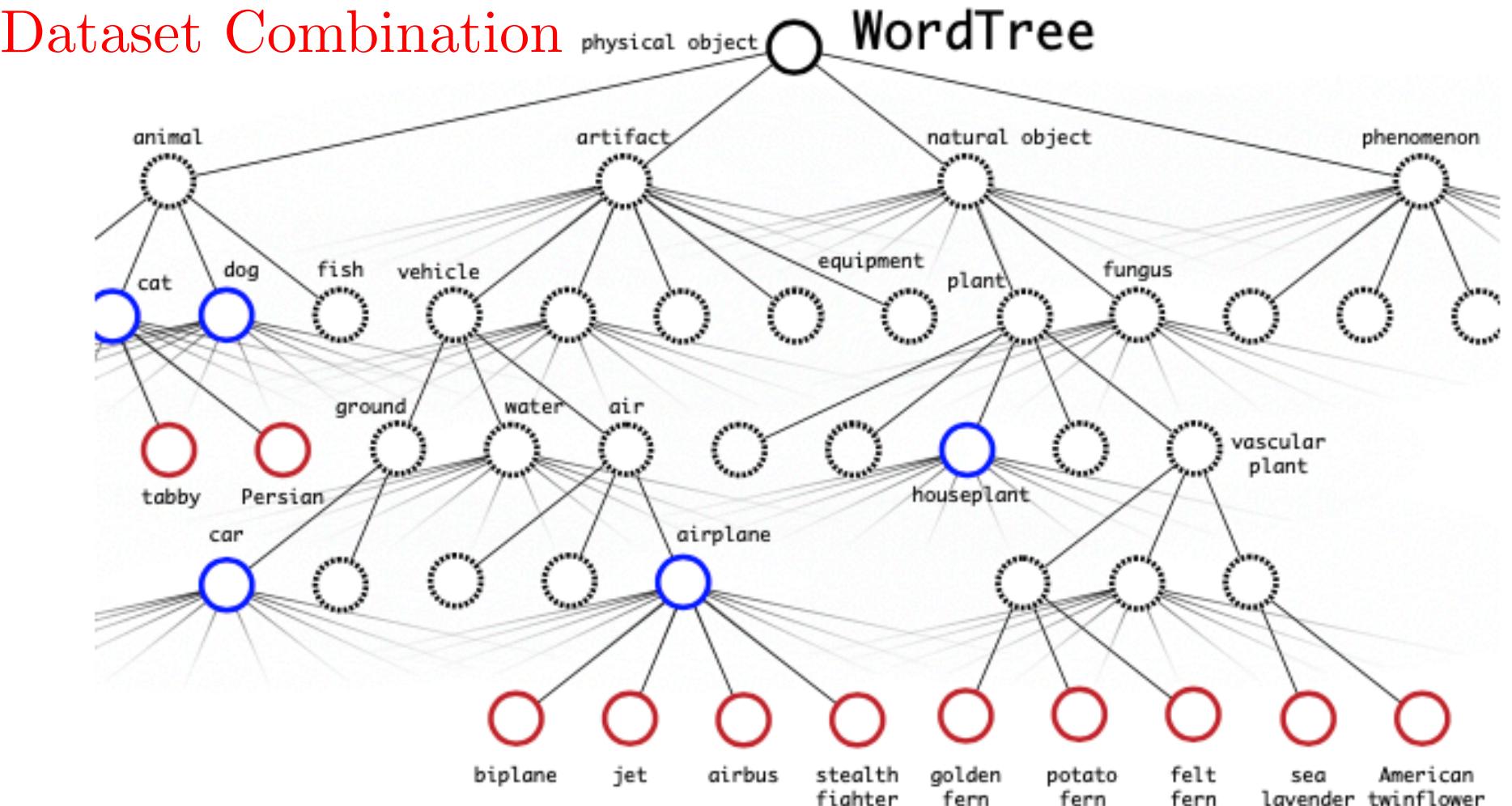
$$* \Pr(\text{terrier} | \text{hunting dog})$$

* ... *

$$* \Pr(\text{mammal} | \Pr(\text{animal}))$$

$$* \Pr(\text{animal} | \text{physical object})$$

Dataset Combination



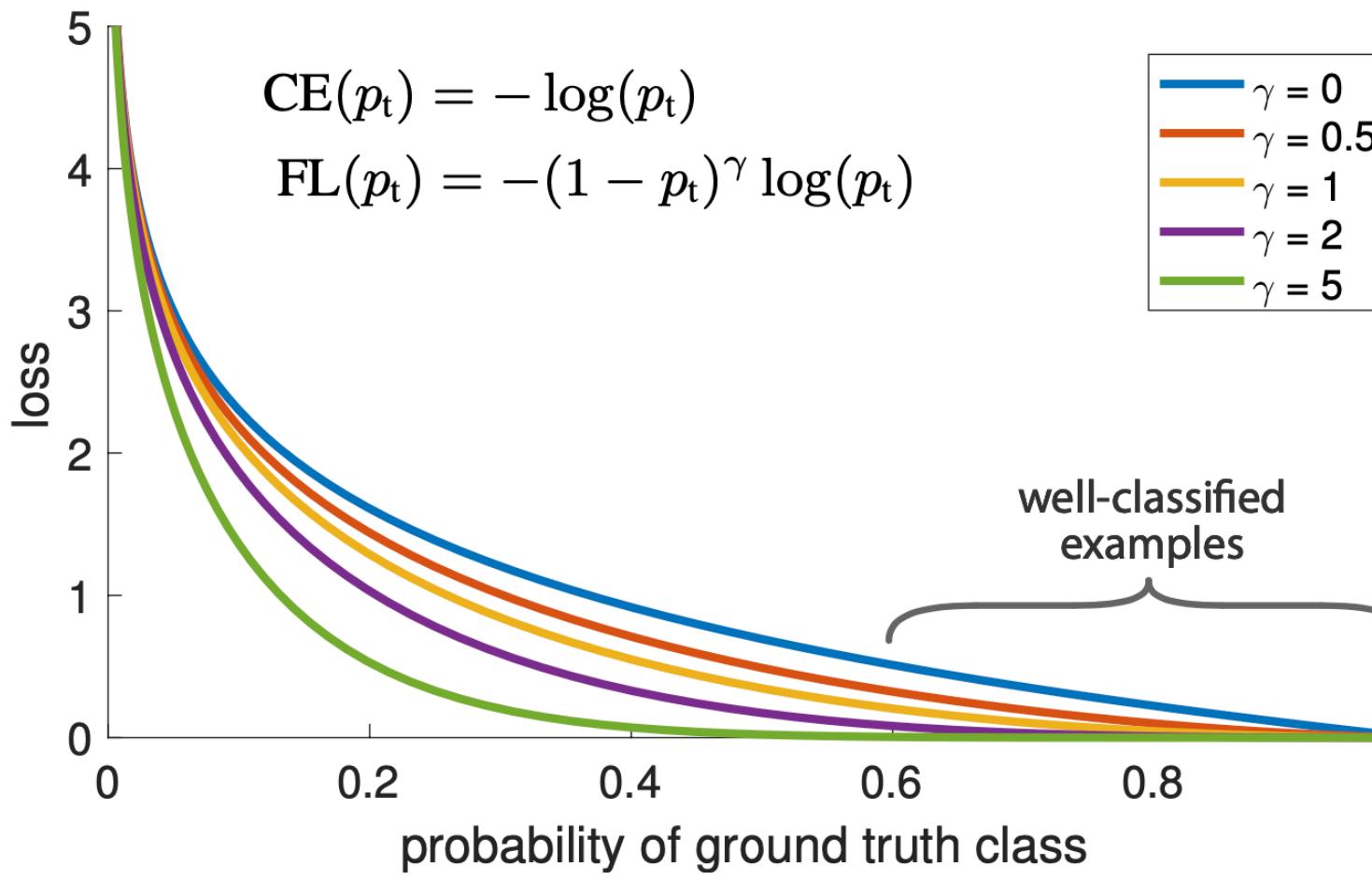


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Focal Loss for Dense Object Detection

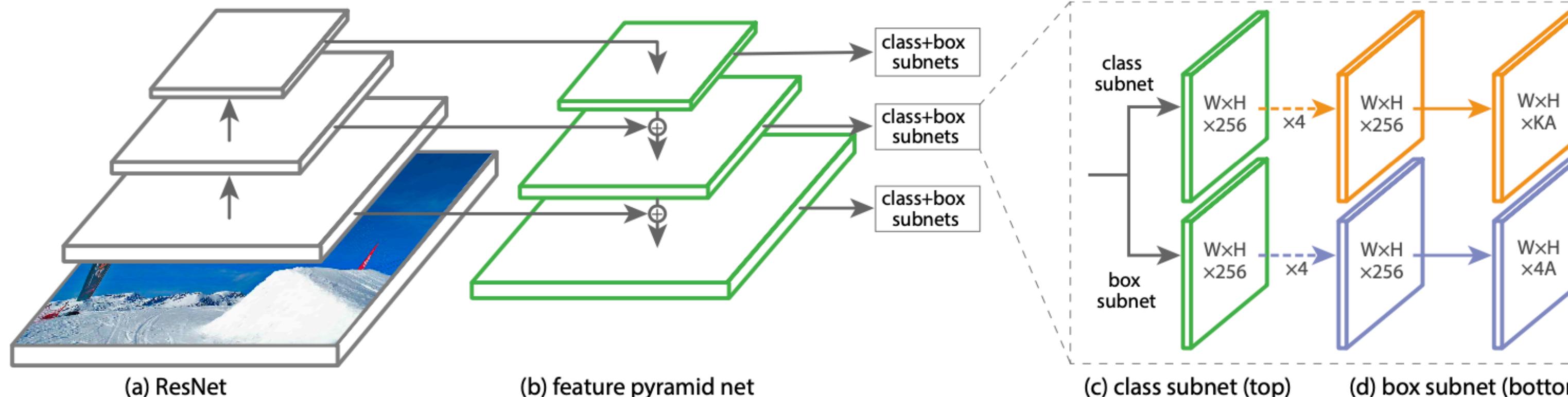
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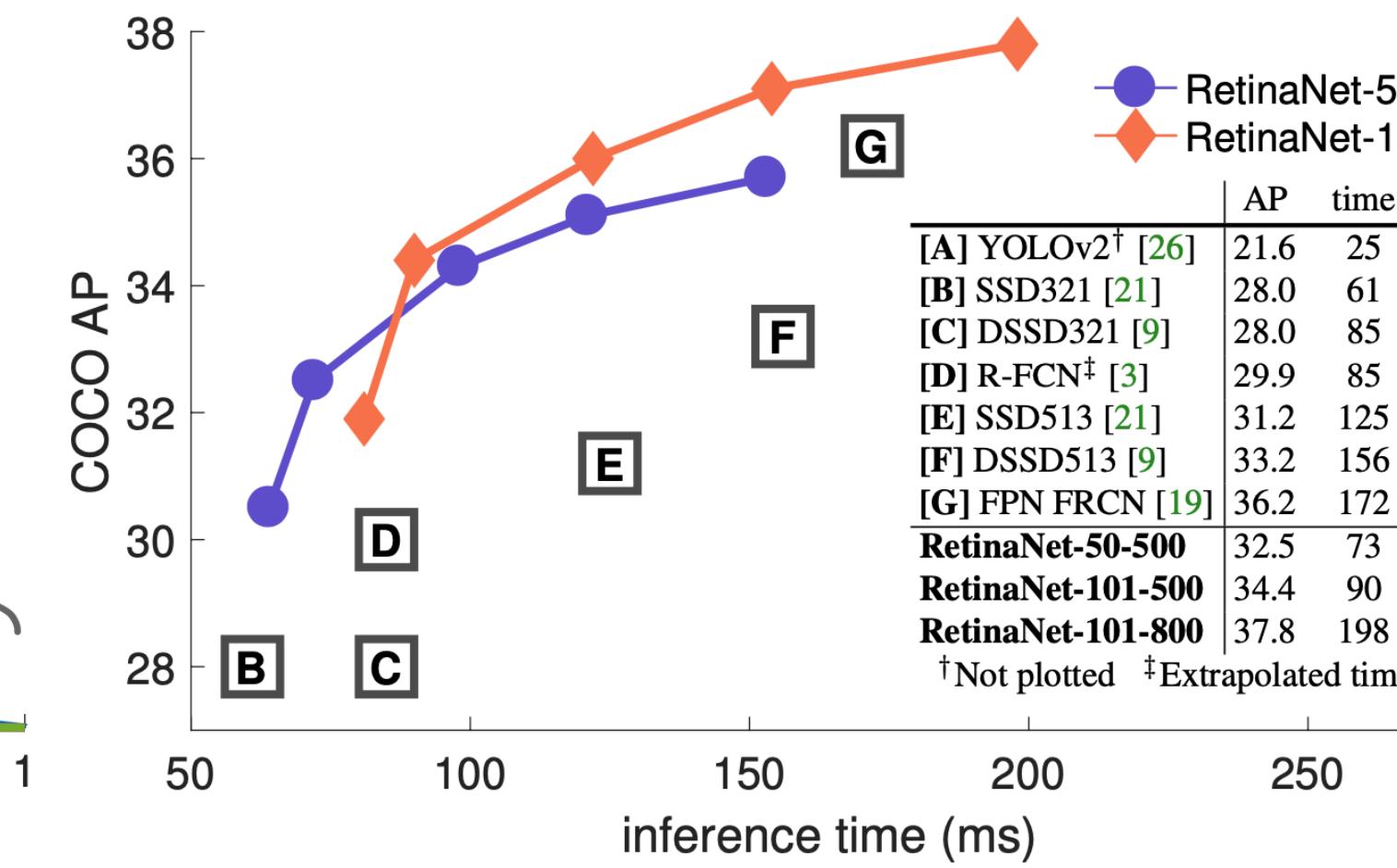
$$FL(p_t) = -\alpha_t(1 - p_t)^\gamma \log(p_t) \rightarrow \alpha\text{-balanced focal loss}$$

Identify class imbalance during training as the main obstacle impeding one-stage detector from achieving state-of-the-art accuracy and propose a new loss function that eliminates this barrier.

RetinaNet



Lin, Tsung-Yi, et al. "Focal loss for dense object detection." Proceedings of the IEEE international conference on computer vision. 2017.



α	AP	AP ₅₀	AP ₇₅
.10	0.0	0.0	0.0
.25	10.8	16.0	11.7
.50	30.2	46.7	32.8
.75	31.1	49.4	33.0
.90	30.8	49.7	32.3
.99	28.7	47.4	29.9
.999	25.1	41.7	26.1

γ	α	AP	AP ₅₀	AP ₇₅
0	.75	31.1	49.4	33.0
0.1	.75	31.4	49.9	33.1
0.2	.75	31.9	50.7	33.4
0.5	.50	32.9	51.7	35.2
1.0	.25	33.7	52.0	36.2
2.0	.25	34.0	52.5	36.5
5.0	.25	32.2	49.6	34.8

(a) Varying α for CE loss ($\gamma = 0$)

(b) Varying γ for FL (w. optimal α)

depth	scale	AP	AP ₅₀	AP ₇₅	AP _S	AP _M	AP _L	time
50	400	30.5	47.8	32.7	11.2	33.8	46.1	64
50	500	32.5	50.9	34.8	13.9	35.8	46.7	72
50	600	34.3	53.2	36.9	16.2	37.4	47.4	98
50	700	35.1	54.2	37.7	18.0	39.3	46.4	121
50	800	35.7	55.0	38.5	18.9	38.9	46.3	153
101	400	31.9	49.5	34.1	11.6	35.8	48.5	81
101	500	34.4	53.1	36.8	14.7	38.5	49.1	90
101	600	36.0	55.2	38.7	17.4	39.6	49.7	122
101	700	37.1	56.6	39.8	19.1	40.6	49.4	154
101	800	37.8	57.5	40.8	20.2	41.1	49.2	198

(e) Accuracy/speed trade-off RetinaNet (on test-dev)

	backbone	AP	AP ₅₀	AP ₇₅	AP _S	AP _M	AP _L
<i>Two-stage methods</i>							
Faster R-CNN+++ [15]	ResNet-101-C4	34.9	55.7	37.4	15.6	38.7	50.9
Faster R-CNN w FPN [19]	ResNet-101-FPN	36.2	59.1	39.0	18.2	39.0	48.2
Faster R-CNN by G-RMI [16]	Inception-ResNet-v2 [33]	34.7	55.5	36.7	13.5	38.1	52.0
Faster R-CNN w TDM [31]	Inception-ResNet-v2-TDM	36.8	57.7	39.2	16.2	39.8	52.1
<i>One-stage methods</i>							
YOLOv2 [26]	DarkNet-19 [26]	21.6	44.0	19.2	5.0	22.4	35.5
SSD513 [21, 9]	ResNet-101-SSD	31.2	50.4	33.3	10.2	34.5	49.8
DSSD513 [9]	ResNet-101-DSSD	33.2	53.3	35.2	13.0	35.4	51.1
RetinaNet (ours)	ResNet-101-FPN	39.1	59.1	42.3	21.8	42.7	50.2



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Speed/Accuracy Trade-Offs For Modern Convolutional Object Detectors

The right speed/memory/accuracy balance for a given application and platform!

$[x_0, y_0, x_1, y_1]$ are min/max coordinates of a box

Self-driving cars: real-time performance

Mobile devices: small memory footprint

Faster R-CNN v.s. R-FCN v.s. SSD

Single model/single pass

Convolutional detection meta-architectures

$a \rightarrow$ anchor

$b \rightarrow$ best matching ground truth box (if one exists)

corresponding to anchor a

$a \rightarrow$ positive anchor (if such a match exists)

$y_a \in \{1, 2, \dots, K\} \rightarrow$ label class assigned to a

$\phi(b_a; a) \rightarrow$ vector encoding of box b w.r.t. anchor a

↪ box encoding

$$\phi(b_a; a) = [10 \frac{x_c}{w_a}, 10 \frac{y_c}{h_a}, 5 \log w, 5 \log h]$$

$x_c, y_c \rightarrow$ center coordinates

$w, h \rightarrow$ width and height

$w_a, h_a \rightarrow$ width and height of anchor a

$a \rightarrow$ negative anchor (if no match is found)

$y_a = 0$

$f_{loc}(\mathcal{I}; a, \theta) \rightarrow$ predicted box encoding for anchor a

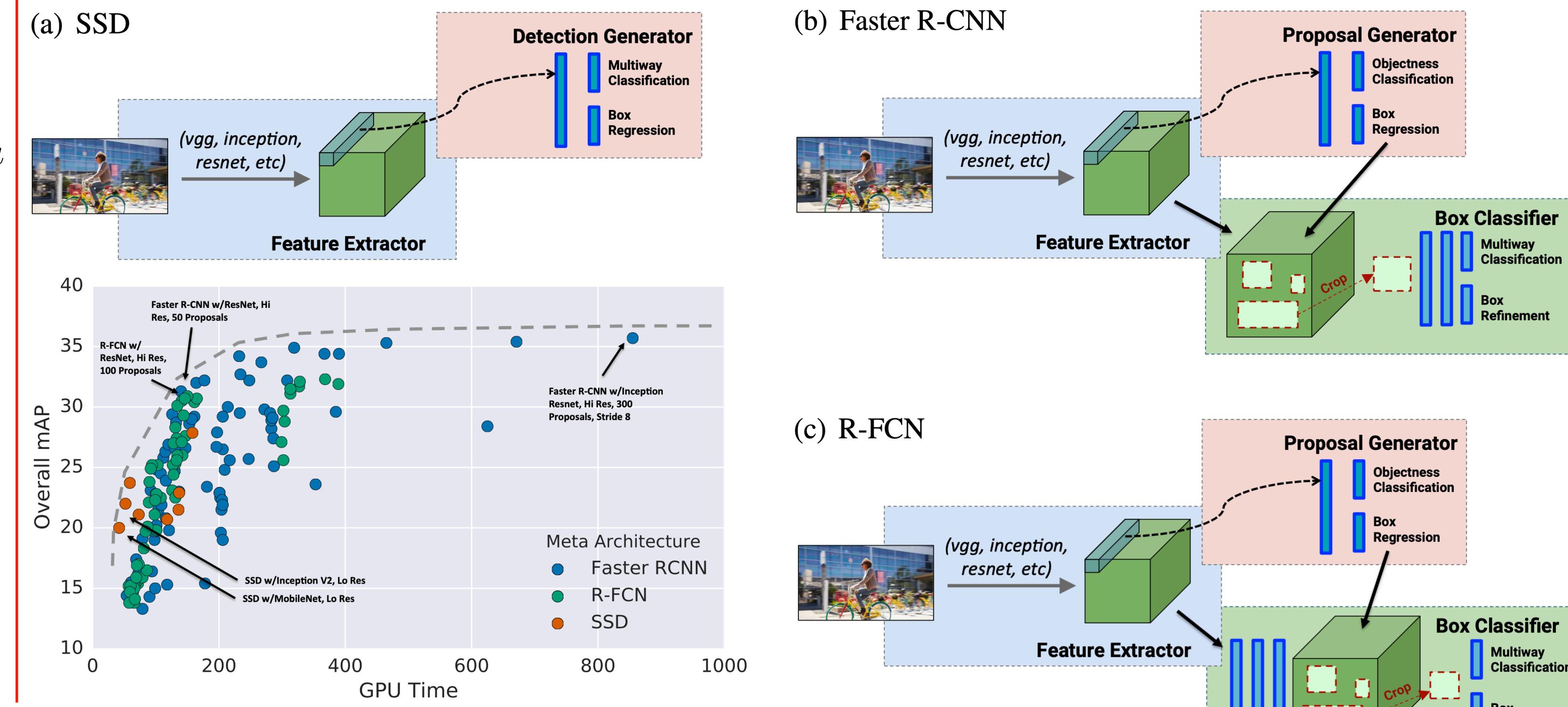
$f_{cls}(\mathcal{I}; a, \theta) \rightarrow$ predicted class for anchor a

$\mathcal{I} \rightarrow$ image

$\theta \rightarrow$ model parameters

$$\mathcal{L}(a, \mathcal{I}; \theta) = \alpha \cdot \mathbf{1}[a \text{ is positive}] \cdot \ell_{loc}(\phi(b_a; a) - f_{loc}(\mathcal{I}; a, \theta)) + \beta \cdot \ell_{cls}(y_a, f_{cls}(\mathcal{I}; a, \theta))$$

Paper	Meta-architecture	Feature Extractor	Matching	Box Encoding $\phi(b_a, a)$	Location Loss functions
Szegedy et al. [39]	SSD	InceptionV3	Bipartite	$[x_0, y_0, x_1, y_1]$	L_2
Redmon et al. [28]	SSD	Custom (GoogLeNet inspired)	Box Center	$[x_c, y_c, \sqrt{w}, \sqrt{h}]$	L_2
Ren et al. [30]	Faster R-CNN	VGG	Argmax	$[\frac{x_c}{w_a}, \frac{y_c}{h_a}, \log w, \log h]$	Smooth L_1
He et al. [13]	Faster R-CNN	ResNet-101	Argmax	$[\frac{x_c}{w_a}, \frac{y_c}{h_a}, \log w, \log h]$	Smooth L_1
Liu et al. [25] (v1)	SSD	InceptionV3	Argmax	$[x_0, y_0, x_1, y_1]$	L_2
Liu et al. [25] (v2, v3)	SSD	VGG	Argmax	$[\frac{x_c}{w_a}, \frac{y_c}{h_a}, \log w, \log h]$	Smooth L_1
Dai et al [6]	R-FCN	ResNet-101	Argmax	$[\frac{x_c}{w_a}, \frac{y_c}{h_a}, \log w, \log h]$	Smooth L_1



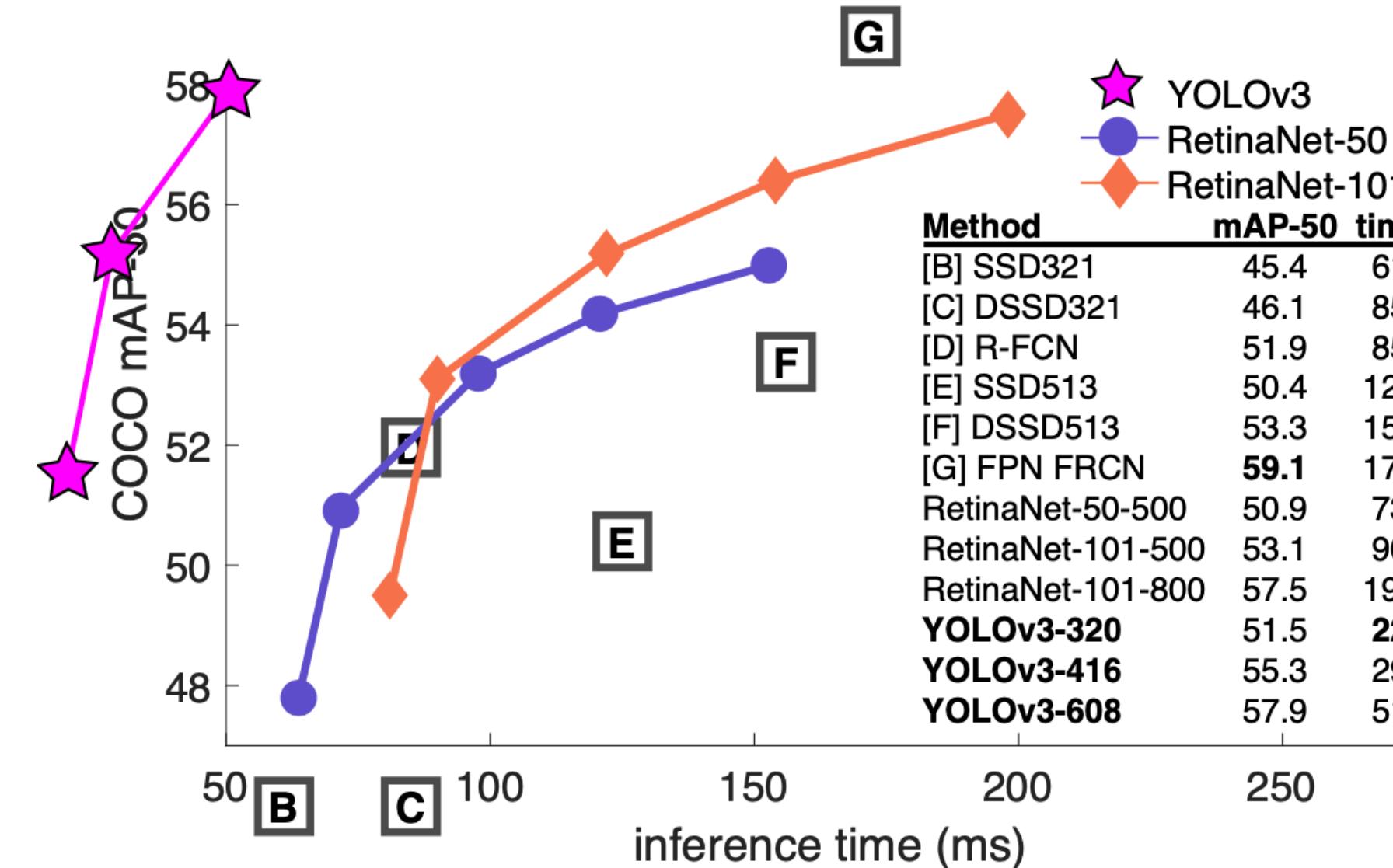
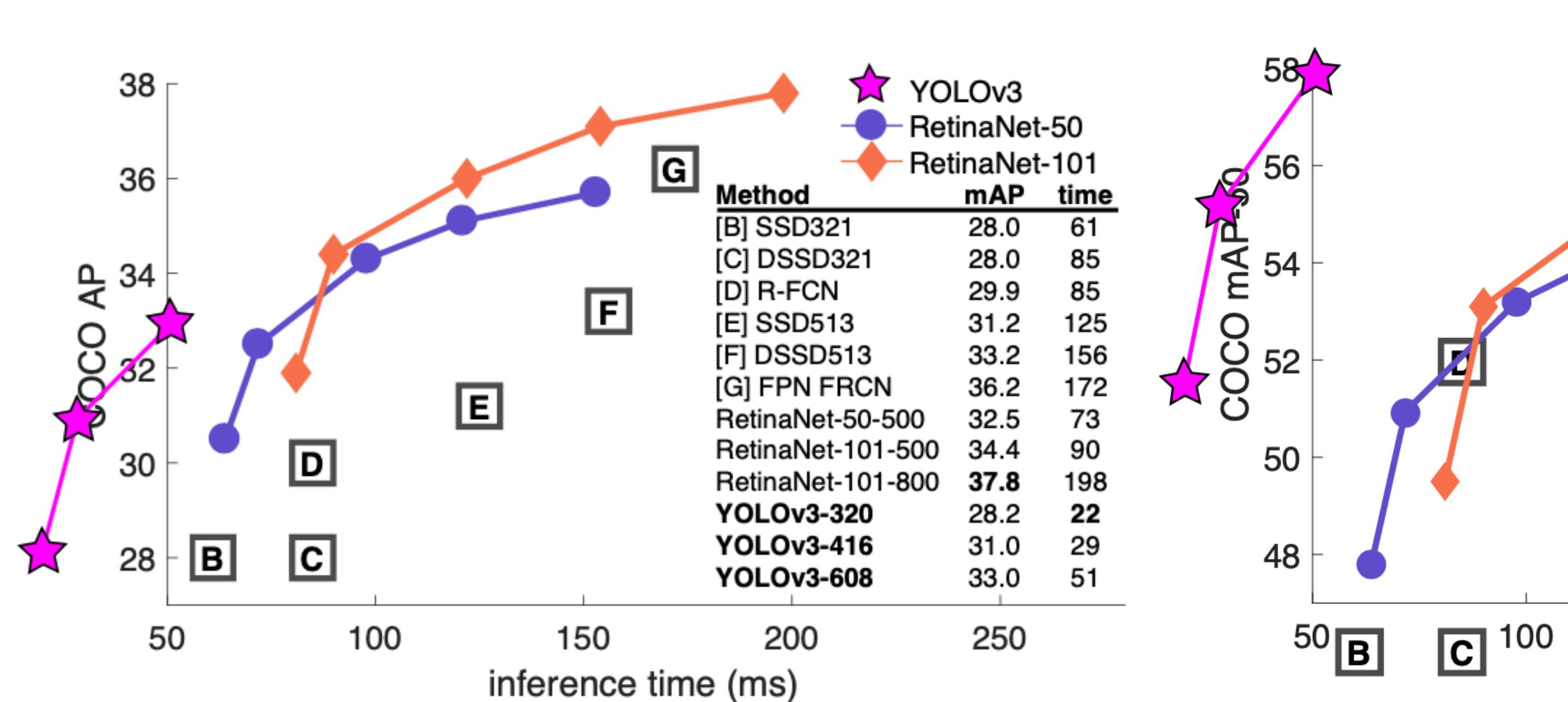


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YOLOv3: An Incremental Improvement



YouTube Video



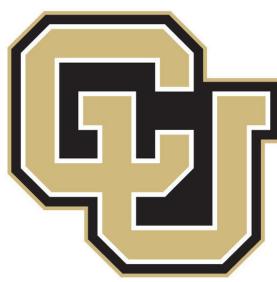
Darknet-53

Type	Filters	Size	Output
Convolutional	32	3 × 3	256 × 256
Convolutional	64	3 × 3 / 2	128 × 128
1x Convolutional	32	1 × 1	
1x Convolutional	64	3 × 3	128 × 128
Residual			
Convolutional	128	3 × 3 / 2	64 × 64
2x Convolutional	64	1 × 1	
2x Convolutional	128	3 × 3	64 × 64
Residual			
Convolutional	128	1 × 1	
8x Convolutional	256	3 × 3 / 2	32 × 32
8x Convolutional	128	1 × 1	
8x Convolutional	256	3 × 3	32 × 32
Residual			
Convolutional	512	3 × 3 / 2	16 × 16
Convolutional	256	1 × 1	
8x Convolutional	512	3 × 3	16 × 16
Residual			
Convolutional	1024	3 × 3 / 2	8 × 8
Convolutional	512	1 × 1	
4x Convolutional	1024	3 × 3	8 × 8
Residual			

	backbone	AP	AP ₅₀	AP ₇₅	AP _S	AP _M	AP _L
<i>Two-stage methods</i>							
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<i>One-stage methods</i>							
YOLOv2 [15]	DarkNet-19 [15]	21.6	44.0	19.2	5.0	22.4	35.5
SSD513 [11, 3]	ResNet-101-SSD	31.2	50.4	33.3	10.2	34.5	49.8
DSSD513 [3]	ResNet-101-DSSD	33.2	53.3	35.2	13.0	35.4	51.1
RetinaNet [9]	ResNet-101-FPN	39.1	59.1	42.3	21.8	42.7	50.2
RetinaNet [9]	ResNeXt-101-FPN	40.8	61.1	44.1	24.1	44.2	51.2
YOLOv3 608 × 608	Darknet-53	33.0	57.9	34.4	18.3	35.4	41.9

In experiments with COCO, the model predict 3 boxes at each scale (3 different scales similar to feature pyramid networks) so the tensor is $N \times N \times [3 * (4 + 1 + 80)]$ for the 4 bounding box offsets, 1 objectness prediction, and 80 class predictions.

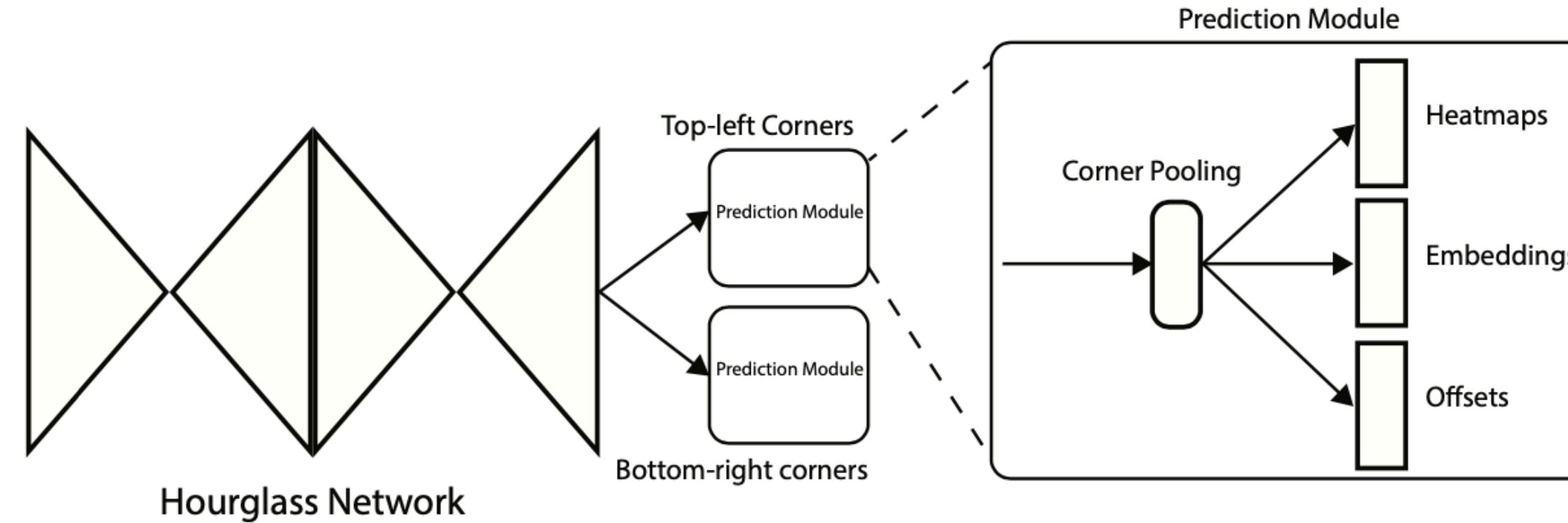
Class prediction: Does not use a softmax, instead simply uses independent logistic classifiers. During training it uses binary cross-entropy loss for the class predictions.



Boulder

CornerNet: Detecting Objects as Paired Keypoints

Anchor box free!



Detecting Corners

Two sets of heatmaps:

- top-left corners (C channels of size $H \times W$)
- bottom-right corners (C channels of size $H \times W$)

$C \rightarrow$ number of categories (no background channel)

Each channel is a binary mask indicating the locations of the corners for a class.

$p_{cij} \rightarrow$ score at location (i, j) for class c in the predicted heatmaps

$y_{cij} \rightarrow$ “ground-truth” heatmap augmented with the unnormalized Gaussians

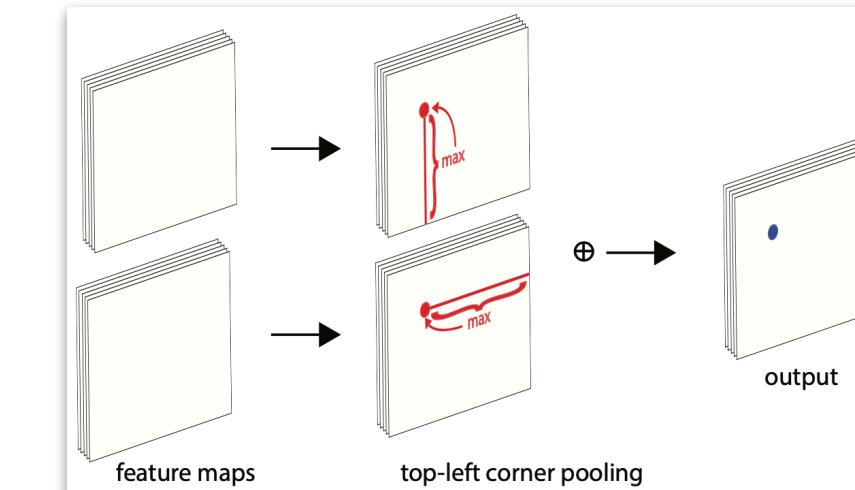
$$L_{det} = \frac{-1}{N} \sum_{c=1}^C \sum_{i=1}^H \sum_{j=1}^W \left\{ \begin{array}{ll} (1 - p_{cij})^\alpha \log(p_{cij}) & \text{if } y_{cij} = 1 \\ (1 - y_{cij})^\beta (p_{cij})^\alpha \log(1 - p_{cij}) & \text{otherwise} \end{array} \right.$$

a variant of focal loss reduces the penalty around the ground-truth locations

$$\mathbf{o}_k = \left(\frac{x_k}{n} - \left\lfloor \frac{x_k}{n} \right\rfloor, \frac{y_k}{n} - \left\lfloor \frac{y_k}{n} \right\rfloor \right) \rightarrow \text{offset for corner } k$$

$n \rightarrow$ downsampling factor

$$L_{off} = \frac{1}{N} \sum_{k=1}^N \text{SmoothL1Loss}(\mathbf{o}_k, \hat{\mathbf{o}}_k)$$



Grouping Corners

Associative Embedding (multi-person pose estimation)
 $e_{t_k}, e_{b_k} \rightarrow$ embeddings of the top-left and bottom-right corners for object k

Group the corners:

$$L_{pull} = \frac{1}{N} \sum_{k=1}^N \left[(e_{t_k} - e_k)^2 + (e_{b_k} - e_k)^2 \right]$$

Separate the corners:

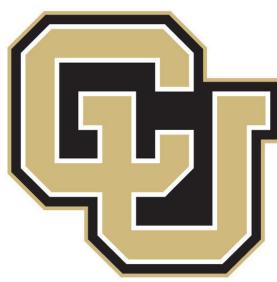
$$L_{push} = \frac{1}{N(N-1)} \sum_{k=1}^N \sum_{\substack{j=1 \\ j \neq k}}^N \max(0, \Delta - |e_k - e_j|)$$

$$e_k = (e_{b_k} + e_{t_k})/2, \Delta = 1$$

$$L = L_{det} + \alpha L_{pull} + \beta L_{push} + \gamma L_{off}$$

Corner Pooling

No local visual evidence for the presence of corners!



Boulder

FCOS: Fully Convolutional One-Stage Object Detection

FCOS is anchor box free, as well as proposal free!

$F \in \mathbb{R}^{H \times W \times C}$ → feature maps at some layer of a backbone CNN

$s \rightarrow$ total stride until that layer

$\{B_i\} \rightarrow$ ground truth bounding boxes for an inout image

$B_i = (\underbrace{x_0^i, y_0^i}_{\text{left-top}}, \underbrace{x_1^i, y_1^i}_{\text{right-bottom}}, \underbrace{c^i}_{\text{class}}) \in \mathbb{R}^4 \times \{1, 2, \dots, C\}$

$C = 80$ for Ms-COCO

$(x, y) \rightarrow$ each location on the feature map

$(\lfloor \frac{s}{2} \rfloor + xs, \lfloor \frac{s}{2} \rfloor + ys) \rightarrow (x, y)$ mapped back onto the input image

near the center of the receptive field of the location (x, y)

View locations as training samples, rather than the anchor boxes!

(x, y) is considered as a positive sample if it falls into any ground-truth box

c^* → ground truth label of location (x, y) (class label of the ground-truth box)

Otherwise, it is a negative sample and $c^* = 0$ (background)

$t^* = (l^*, t^*, r^*, b^*) \rightarrow$ regression targets for the location

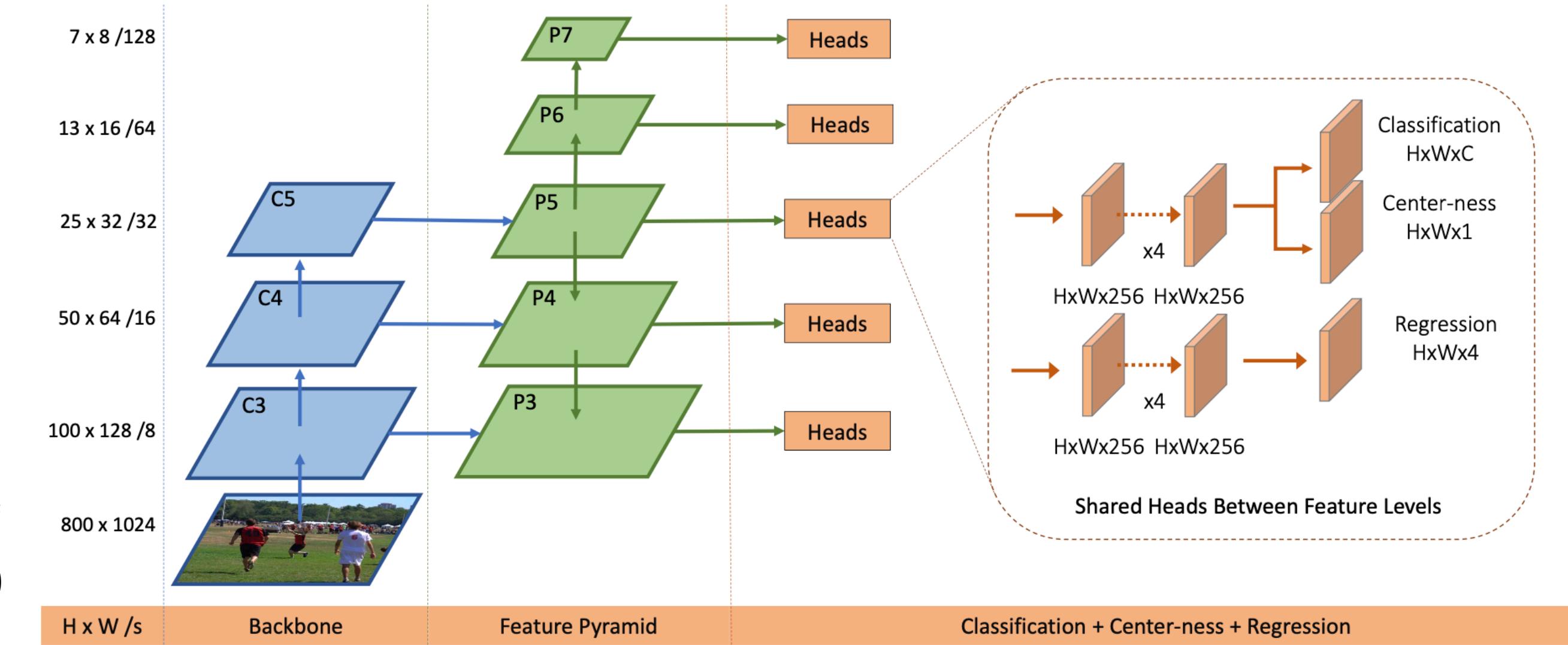
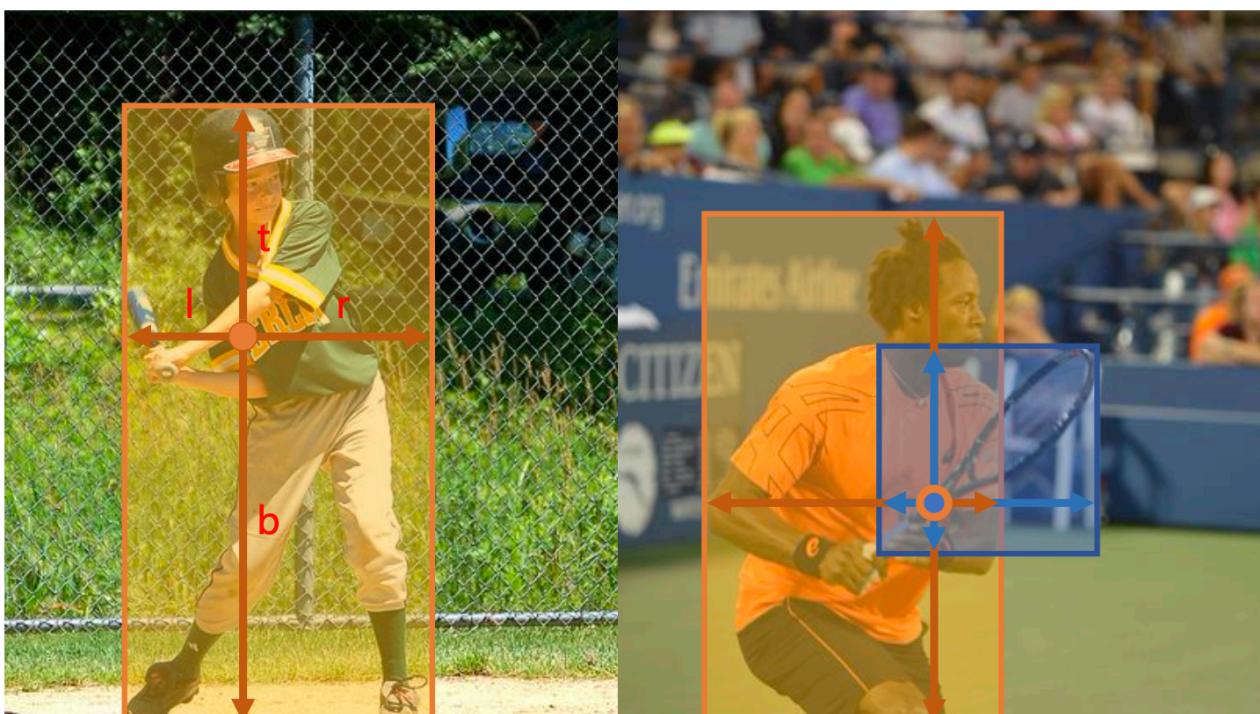
$l^* = x - x_0^i, t^* = y - y_0^i, r^* = x_1^i - x, b^* = y_1^i - y$

ambiguous sample: if a location falls into multiple bounding boxes choose bounding box with minimal area as its regression target
multi-level prediction with FPN

Centerness

$$\text{Centerness}^* = \sqrt{\frac{\min(l^*, r^*)}{\max(l^*, r^*)} \frac{\min(t^*, b^*)}{\max(t^*, b^*)}}$$

$\text{Centerness}^* \in (0, 1) \rightarrow$ trained with binary cross entropy loss (BCE) → non-maximum suppression (NMS) using centerness times class score



Network outputs

$p \rightarrow C$ dimensional vector of classification labels

$t \rightarrow 4$ dimensional vector of bounding box coordinates
train C binary classifiers

Training loss

$$L(\{p_{x,y}\}, \{t_{x,y}\}) = \frac{1}{N_{\text{pos}}} \sum_{x,y} L_{\text{cls}}(p_{x,y}, c_{x,y}^*) + \frac{\lambda}{N_{\text{pos}}} \sum_{x,y} \mathbf{1}_{\{c_{x,y}^* > 0\}} L_{\text{reg}}(t_{x,y}, t_{x,y}^*)$$

Inference

Choose locations (x, y) with $p_{x,y} > 0.05$ as positive samples!

Multi-level prediction with FPN

A location is marked as not requiring to regress a bounding box, if:

$$\max(l^*, t^*, r^*, b^*) > m_i \text{ or } \max(l^*, t^*, r^*, b^*) < m_{i-1}$$

$m_i \rightarrow$ maximum distance that feature level i needs to regress

$- \log \frac{\text{Intersection}}{\text{Union}}$



Boulder

Objects as Points

CenterNet: Use keypoint estimation to find center points and regress to all other object properties, such as size, 3D location, orientation, and even pose.

Keypoint Estimation

$I \in \mathbb{R}^{W \times H \times 3}$ → input image

$\hat{Y} \in [0, 1]^{\frac{W}{R} \times \frac{H}{R} \times C}$ → keypoint heatmap prediction

R → output stride (i.e., downsampled by a factor of R)

C → number of keypoint types

Human joints in pose estimation ($C = 17$) and object categories in object detection ($C = 80$)

$\hat{Y}_{x,y,c} = 1$ → corresponds to a detected keypoint

$\hat{Y}_{x,y,c} = 0$ → corresponds to the background

$p \in \mathbb{R}^2$ → ground truth keypoint of class c

$\tilde{p} = \lfloor \frac{p}{R} \rfloor$ → low-resolution equivalent of p

$Y_{xyc} = \exp\left(-\frac{(x-\tilde{p}_x)^2 + (y-\tilde{p}_y)^2}{2\sigma_p^2}\right)$ → Gaussian kernel

σ_p → object-size adaptive standard deviation

$Y \in [0, 1]^{\frac{W}{R} \times \frac{H}{R} \times C}$ → ground truth heatmap

If two Gaussians of the same class overlap, take the element-wise maximum.

Penalty-reduced pixel-wise logistic regression with focal loss:

$$L_k = \frac{-1}{N} \sum_{xyc} \begin{cases} (1 - \hat{Y}_{xyc})^\alpha \log(\hat{Y}_{xyc}) & \text{if } Y_{xyc} = 1 \\ (1 - Y_{xyc})^\beta (\hat{Y}_{xyc})^\alpha & \text{otherwise} \\ \log(1 - \hat{Y}_{xyc}) & \end{cases}$$

N → number of keypoints in image

Zhou, Xingyi, Dequan Wang, and Philipp Krähenbühl. "Objects as points." *arXiv preprint arXiv:1904.07850* (2019).

$\hat{O} \in \mathbb{R}^{\frac{W}{R} \times \frac{H}{R} \times 2}$ → local offset for each center-point

$$L_{off} = \frac{1}{N} \sum_p \left| \hat{O}_{\tilde{p}} - \left(\frac{p}{R} - \tilde{p} \right) \right|$$

recover the discretization error caused by the output stride

Objects as Points

$(x_1^{(k)}, y_1^{(k)}, x_2^{(k)}, y_2^{(k)})$ → bounding box of object k with category c_k

$$p_k = \frac{1}{2}(x_1^{(k)} + x_2^{(k)}, y_1^{(k)} + y_2^{(k)})$$
 → center point of object k

Use the keypoint estimator \hat{Y} to predict all center-points

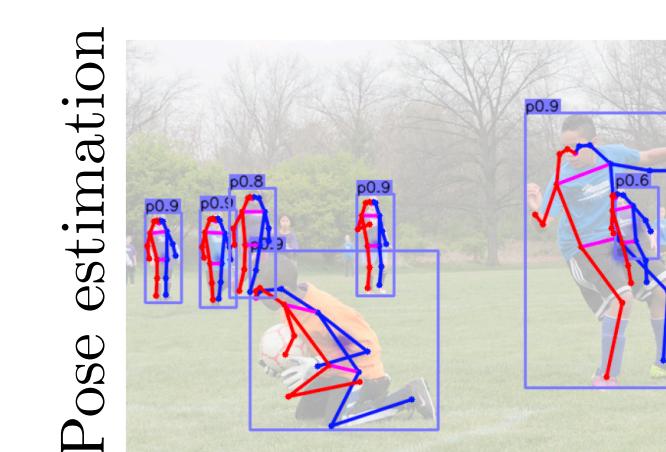
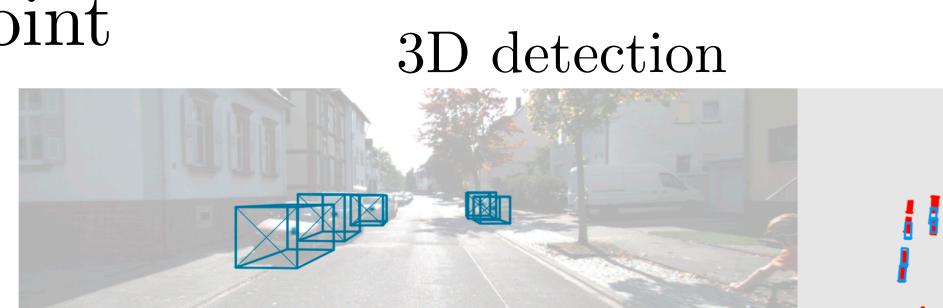
$$s_k = (x_2^{(k)} - x_1^{(k)}, y_2^{(k)} - y_1^{(k)})$$
 → size of object k

$\hat{S} \in \mathbb{R}^{\frac{W}{R} \times \frac{H}{R} \times 2}$ → single size prediction of all object categories

$$L_{size} = \frac{1}{N} \sum_{k=1}^N \left| \hat{S}_{p_k} - s_k \right|$$

$$L_{det} = L_k + \lambda_{size} L_{size} + \lambda_{off} L_{off}$$

$[\hat{Y}, \hat{O}, \hat{S}] \rightarrow C + 4$ network outputs at each location



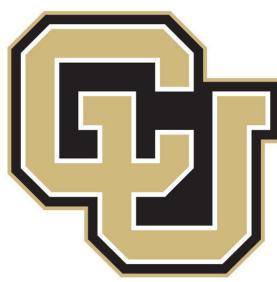
keypoint heatmap [C]



local offset [2]



object size [2]



Boulder

EfficientDet: Scalable and Efficient Object Detection

Multi-Scale Feature Fusion

aggregate features at different resolutions

$$P^{\text{in}} = (P_{l_1}^{\text{in}}, P_{l_2}^{\text{in}}, \dots) \rightarrow \text{list of multi-scale features}$$

$P_{l_i}^{\text{in}}$ → feature at level l_i

$$P^{\text{out}} = f(P^{\text{in}}) \rightarrow \text{design } f$$

FPN (Feature Pyramid Network)

$$P^{\text{in}} = (P_3^{\text{in}}, P_4^{\text{in}}, \dots, P_7^{\text{in}})$$

P_i^{in} → feature level with resolution $\frac{1}{2^i}$ of the input image

$$P_7^{\text{out}} = \text{Conv}(P_7^{\text{in}})$$

$$P_6^{\text{out}} = \text{Conv}(P_6^{\text{in}} + \text{Resize}(P_7^{\text{out}}))$$

⋮

$$P_3^{\text{out}} = \text{Conv}(P_3^{\text{in}} + \text{Resize}(P_4^{\text{out}}))$$

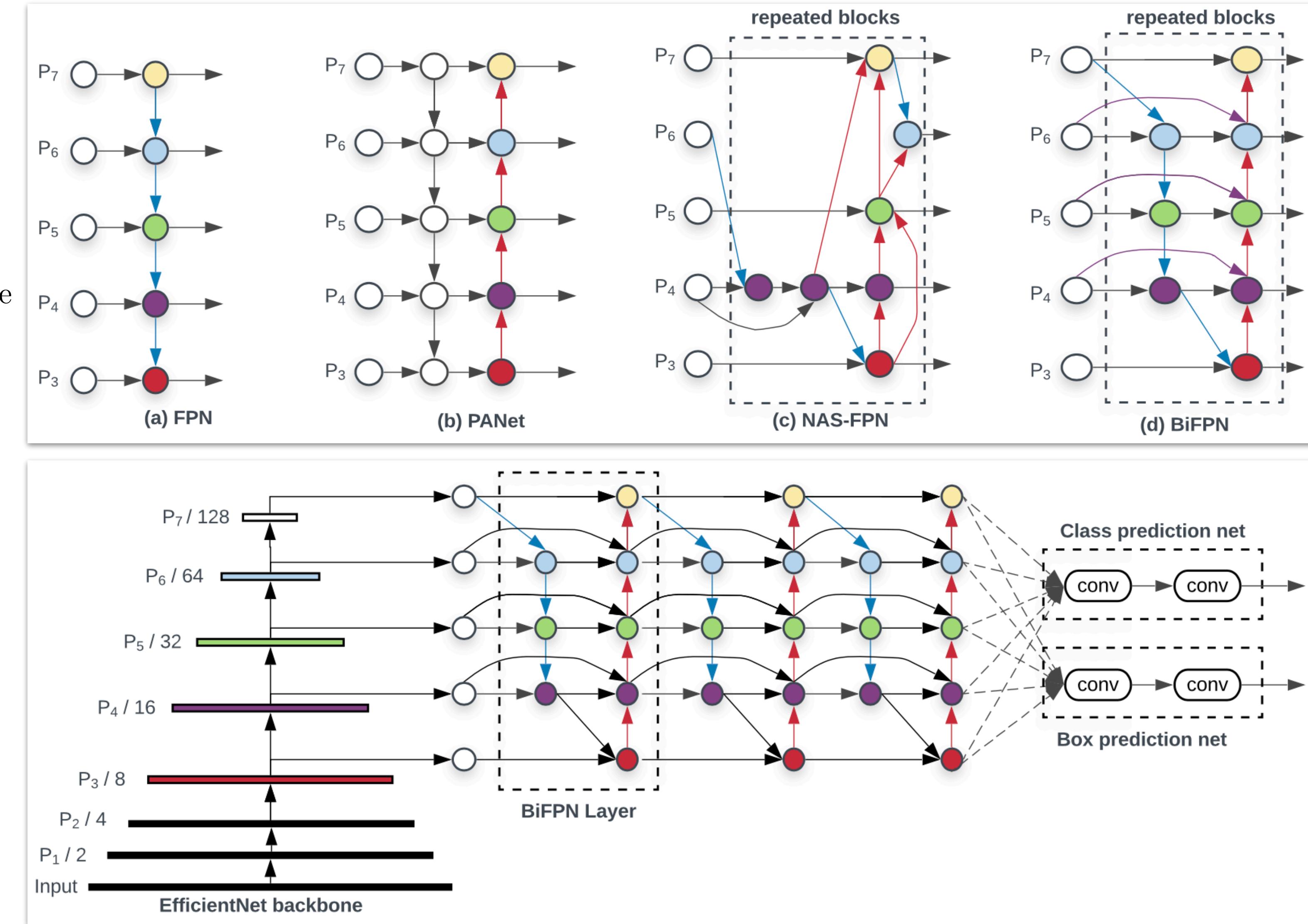
Weighted Bi-directional FPN (BiFPN)

$$P_6^{\text{td}} = \text{Conv}\left(\frac{w_1 P_6^{\text{in}} + w_2 \text{Resize}(P_7^{\text{out}})}{w_1 + w_2 + \varepsilon}\right)$$

$$P_6^{\text{out}} = \text{Conv}\left(\frac{w'_1 P_6^{\text{in}} + w'_2 P_6^{\text{td}} + w'_3 \text{Resize}(P_5^{\text{out}})}{w'_1 + w'_2 + w'_3 + \varepsilon}\right)$$

R_{input}	Input size	Backbone Network	BiFPN		Box/class #layers
			W_{bifpn}	D_{bifpn}	
D0 ($\phi = 0$)	512	B0	64	3	3
D1 ($\phi = 1$)	640	B1	88	4	3
D2 ($\phi = 2$)	768	B2	112	5	3
D3 ($\phi = 3$)	896	B3	160	6	4
D4 ($\phi = 4$)	1024	B4	224	7	4
D5 ($\phi = 5$)	1280	B5	288	7	4
D6 ($\phi = 6$)	1280	B6	384	8	5
D6 ($\phi = 7$)	1536	B6	384	8	5

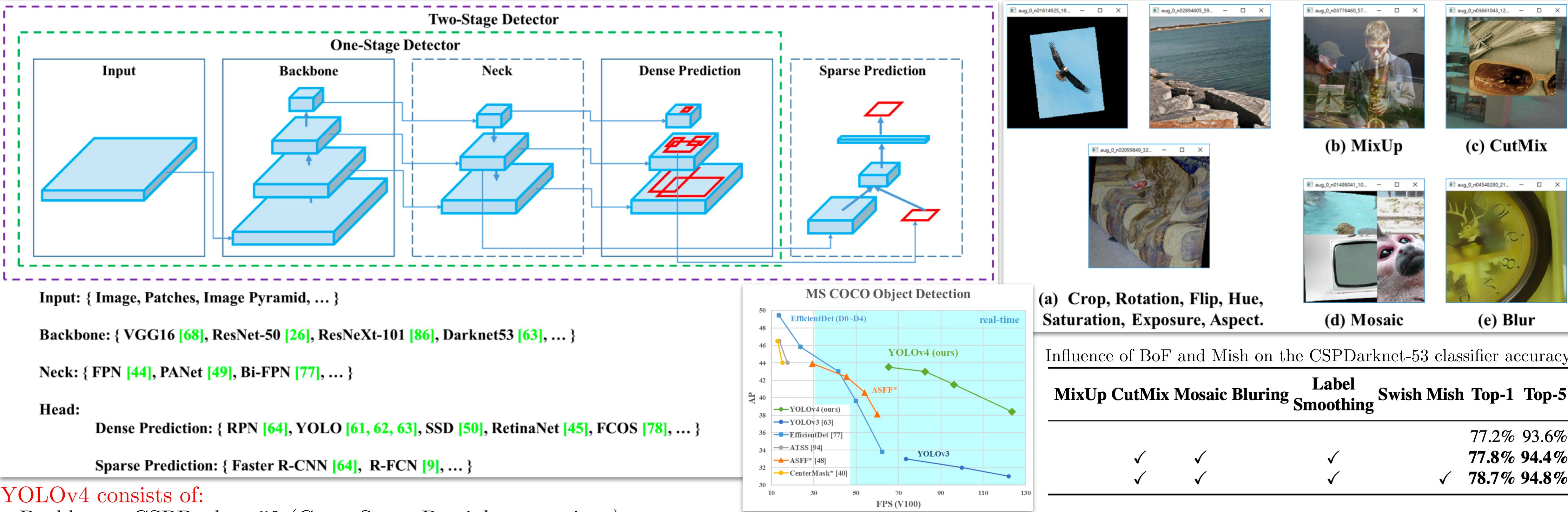
$\phi \rightarrow$ Compound Scaling Coefficient





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YOLOv4: Optimal Speed and Accuracy of Object Detection



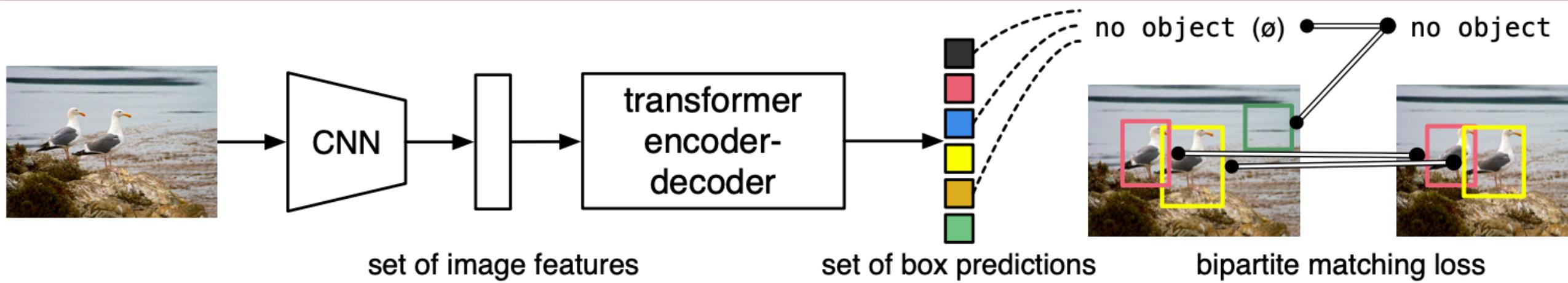
Influence of BoF and Mish on the CSPDarknet-53 classifier accuracy.

MixUp	CutMix	Mosaic	Bluring	Label Smoothing	Swish	Mish	Top-1	Top-5
✓	✓	✓	✓	✓	77.2%	93.6%	77.8%	94.4%
✓	✓	✓	✓	✓	78.7%	94.8%		



Boulder

End-to-End Object Detection with Transformers



Object detection set prediction loss

$N \rightarrow$ number of predictions

$y \rightarrow$ ground truth set of objects

$\hat{y} = \{\hat{y}_i\}_{i=1}^N \rightarrow$ set of N predictions

$N > \#$ of objects in the image

$y \rightarrow$ set of size N padded by \emptyset (no object)

$\sigma \in \mathcal{S}_N \rightarrow$ permutation of N elements

$\hat{\sigma} = \arg \min_{\sigma \in \mathcal{S}_N} \sum_{i=1}^N \mathcal{L}_{\text{match}}(y_i, \hat{y}_{\sigma(i)}) \rightarrow$ Hungarian Algorithm

$y_i = (c_i, b_i)$

$c_i \rightarrow$ target class label (which may be \emptyset)

$b_i \in [0, 1]^4 \rightarrow$ ground-truth bonding box

center coordinates, height and width relative to the image size

$\hat{p}_{\sigma(i)}(c_i) \rightarrow$ probability of class c_i for the prediction with index $\sigma(i)$

$\hat{b}_{\sigma(i)} \rightarrow$ predicted box for the prediction with index $\sigma(i)$

$\mathcal{L}_{\text{match}}(y_i, \hat{y}_{\sigma(i)}) = -\mathbb{1}_{\{c_i \neq \emptyset\}} \hat{p}_{\sigma(i)}(c_i) + \mathbb{1}_{\{c_i \neq \emptyset\}} \mathcal{L}_{\text{box}}(b_i, \hat{b}_{\sigma(i)})$

$\mathcal{L}_{\text{box}}(b_i, \hat{b}_{\sigma(i)}) = \lambda_{\text{iou}} \mathcal{L}_{\text{iou}}(b_i, \hat{b}_{\sigma(i)}) + \lambda_{\text{L1}} \|b_i - \hat{b}_{\sigma(i)}\|_1$

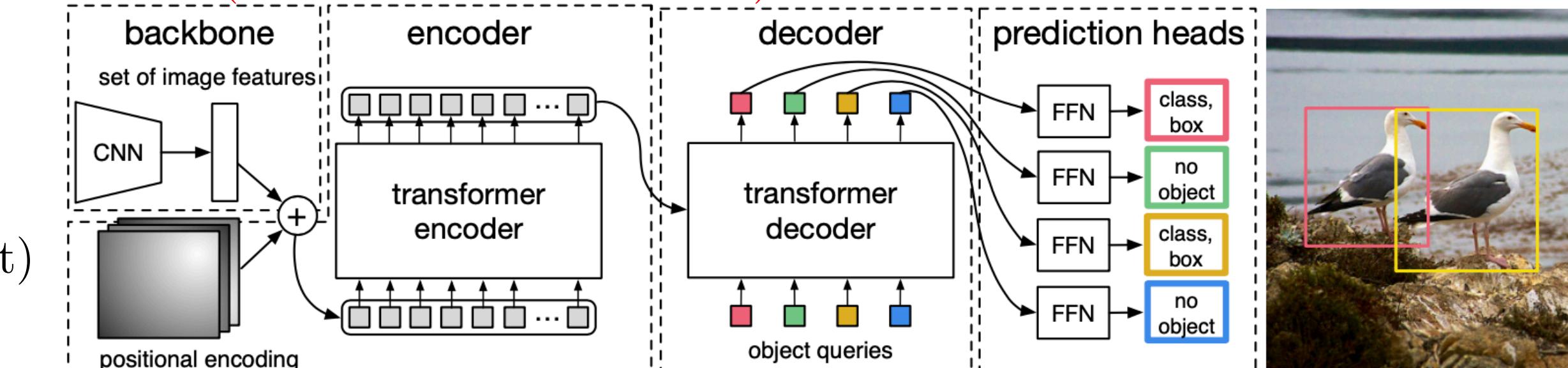
$\mathcal{L}_{\text{iou}}(b_i, \hat{b}_{\sigma(i)}) = 1 - \left(\frac{|b_i \cap \hat{b}_{\sigma(i)}|}{|b_i \cup \hat{b}_{\sigma(i)}|} - \frac{|B(b_i, \hat{b}_{\sigma(i)}) \setminus b_i \cup \hat{b}_{\sigma(i)}|}{|B(b_i, \hat{b}_{\sigma(i)})|} \right)$

largest box containing b_i & $\hat{b}_{\sigma(i)}$

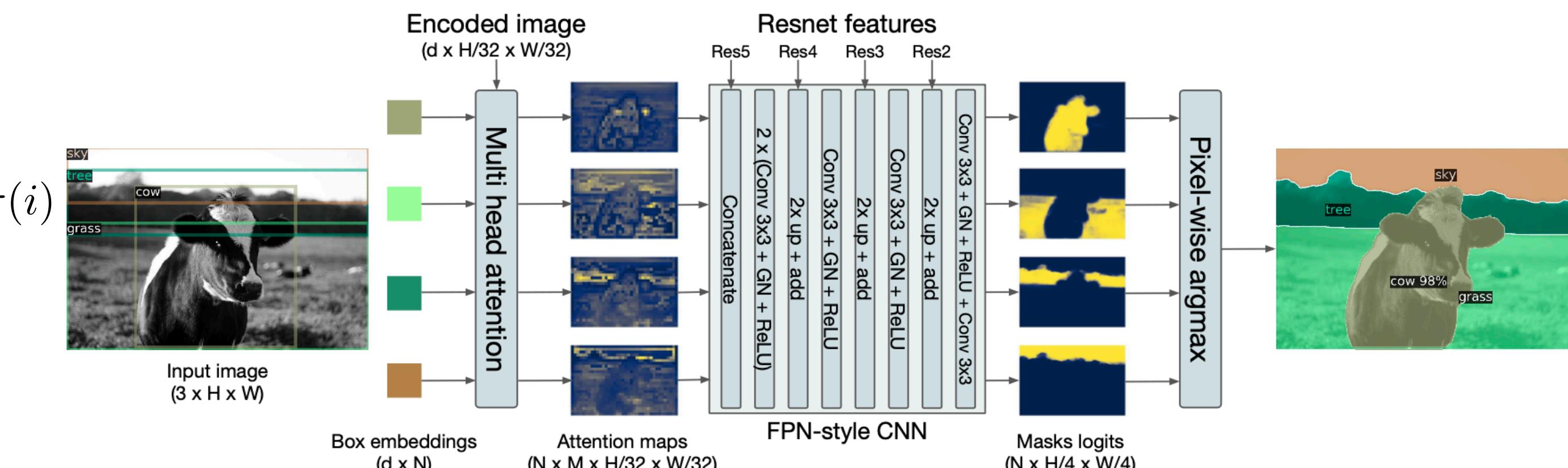
$$\mathcal{L}_{\text{Hungarian}}(y, \hat{y}) = \sum_{i=1}^N [-\log \hat{p}_{\hat{\sigma}(i)}(c_i) + \mathbb{1}_{\{c_i \neq \emptyset\}} \mathcal{L}_{\text{box}}(b_i, \hat{b}_{\hat{\sigma}(i)})]$$

Down-weight the log-probability term when $c_i = \emptyset$
by a factor of 10 to account for class imbalances

DETR (DEtection TRansformer) architecture



$x_{\text{image}} \in \mathbb{R}^{3 \times H \times W}$
 $f \in \mathbb{R}^{C \times \frac{H}{32} \times \frac{W}{32}}$
 $\underbrace{\quad}_{C=2048}$ low-resolution feature map
 $f \triangleright 1 \times 1 \text{ conv} \rightarrow z_0 \in \mathbb{R}^{d \times H \times W}$
 $d < C$
 $z_0 \in \mathbb{R}^{d \times (H/32) \cdot (W/32)} \rightarrow$ reshape
 $\underbrace{\quad}_{\text{input to the transformer encoder}}$ input to the transformer encoder





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Questions?

[YouTube Playlist](#)
