

10. (9 pts) Three Radar modifications were tested for detection range improvement using five trials each. The following single factor ANOVA Table presents the results:

Source	D.F.	Sums of Squares	Mean Squares	Fs	P
Radar Modification	2	139.6	69.8	5.72	0.018
Exp. Error	12	146.4	12.2		
Total	14	286.0			

The Mod sample means are: **Mod A = 31.4, Mod B = 28.6, Mod C = 24.0**

Using the Fisher LSD test, determine if any of the modifications were significantly different from each other at a level of significance of  $\alpha = .05$ , and find the upper and lower confidence limits for the difference of means.

$$MSE = 12.2$$

$$LSD = t_{\alpha/2, k(n-1)} \sqrt{\frac{2MSE}{n}} = 4.8158$$

$$t_{\alpha/2, 3(5-1)} \sqrt{\frac{2(12.2)}{5}} =$$

$$t_{0.025, 12} \sqrt{4.88} =$$

$$2.18 (2.2091) = 4.8158$$

#### Results:

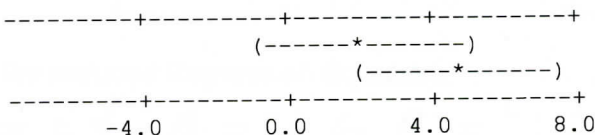
Comparison	Difference	LSD	Lower Conf. Limit	Upper Conf. Limit	Significant or Not Significant
A - B	31.4 - 28.6 = 2.8	4.8158	-2.0158	7.6158	NS
B - C	28.6 - 24.0 = 4.6	4.8158	-0.2158	9.4158	NS
A - C	31.4 - 24.0 = 7.4	4.8158	2.5842	12.2158	Sign

6 goes through, it is not significant

11. (4 pts) The following Minitab table presents Fisher LSD 95% confidence intervals for the difference of pairs of three aircraft factor means.

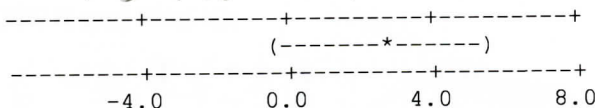
Aircraft = F16 subtracted from:

Aircraft	Lower	Center	Upper
F18	-0.819	2.100	5.019
F5	2.048	4.800	7.552



Aircraft = F18 subtracted from:

Aircraft	Lower	Center	Upper
F5	-0.219	2.700	5.619



a. **Circle or underline** the pairs of factor means that are significantly different from each other at a level of significance of  $\alpha = .05$ :

**F18-F16,**

**F5-F16,**

**F5-F18**