Chapter 1

thmtools test

1.1 Some Theorems

Theorem 1 (Euclid). For every prime p, there is a prime p' > p. In particular, the list of primes,

$$2, 3, 5, 7, \dots$$
 (1.1)

is infinite.

Theorem 2. Blub

Theorem 1 theorem 1 theorems 1 to 2 Equation 1.1

TheoremS 1.1.1 (Euclid). For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Übung 1. Prove Euclid's Theorem.

Lemma 3. For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Lemma 3 lemma 3 Lemma 3

Euclid's Prime Theorem. For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Couple 1. Marc & Anne

Singleton. Me.

Couple 2. Buck & Britta

Theorem 1 (Simon). One

Theorem 2. and another, and together, theorem 1, Simon, and theorem 2 are referred to as theorems 1 and 2. Theorems 1 and 2, if you are at the beginning of a sentence.

Some Theorems

Remark 1 (AAA). This is a remark.

AAA

BoxI 1 (Euclid). For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

BoxII 1 (Euclid). For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Boxtheorem L 1 (Euclid)

For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Boxtheorem M 1 (Euclid)

For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Boxtheorem S 1 (Euclid)

For every prime p, there is a prime p' > p. In particular, there are infinitely many primes.

Styledtheorem 1 (Euclid). For every prime p...

Theorem 1 (Euclid). For every prime p, there is a prime p' > p. In particular, the list of primes,

$$2, 3, 5, 7, \dots$$
 (1.1)

is infinite.

Theorem 4 (Keyed theorem). This is a key-val theorem.

Theorem 4 (continuing from p. 2). And it's spread out.

1.1.1 Theorem with no name

- 1. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.
- **2** (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

1.1.2 Theorem with no number

Euclid's Prime Theorem. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Euclid's Prime Theorem (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

1.1.3 Theorem with no name and no number

. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

(heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Chapter 2

Test every key

Mythm1 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm2 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm3 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm4 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

 $_{
m Mythm5~1~(heading)}$. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm6 1 (heading): Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm7 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm8 1 (heading).

Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm9 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm10 1 [heading]. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

- 1 Mythm11 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.
 - 1 Mythm12 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mythm13 (heading) 1. Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm1 4.1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm2 5 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

SomeCrazyTitle 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm4 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

PREHEAD

Mytestthm5 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm6 1 (heading). POSTHEADLet us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm7 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

PREFOOT

Mytestthm8 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

POSTFOOT

Mytestthm9 1 (heading). Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

Mytestthm10 1 (heading)

Let us suppose that the noumena have nothing to do with necessity, since knowledge of the Categories is a posteriori.

List of Theorems

1	Theorem (Euclid)	1
2	Theorem	1
1.1.1	TheoremS (Euclid)	1
1	Übung	1
3	Lemma	1
	Euclid's Prime Theorem	1
1	Couple	1
	Singleton	1
2	Couple	1
1	Theorem (Simon)	2
2	Theorem	2
1	Remark (AAA)	2
1	BoxI (Euclid)	2
1	BoxII (Euclid)	2
1	Boxtheorem L (Euclid)	2
1	Boxtheorem M (Euclid)	2
1	Boxtheorem S (Euclid)	2
1	Styledtheorem (Euclid)	2
1	Theorem (Euclid)	2
4	Theorem (Keyed theorem)	2
4	Theorem (continuing from p. 2)	2
1		2
2	(heading)	2
	Euclid's Prime Theorem	3
	Euclid's Prime Theorem (heading)	3
		3
	(heading)	3
1	Mythm1 (heading)	4
1	Mythm2 (heading)	4
1	Mythm3 (heading)	4
1	Mythm4 (heading)	4
1	Mythm5 (heading)	4
1	Mythm6 (heading)	4
1	Mythm7 (heading)	4

1	Mythm8 (heading)	4
1	Mythm9 (heading)	4
1	Mythm10 (heading)	4
1	Mythm11 (heading)	4
1	Mythm12 (heading)	4
1	Mythm13 (heading)	4
4.1	Mytestthm1 (heading)	5
5	Mytestthm2 (heading)	5
1	SomeCrazyTitle (heading)	5
	Mytestthm4 (heading)	5
1	Mytestthm5 (heading)	5
1	Mytestthm6 (heading)	5
1	Mytestthm7 (heading)	5
1	Mytestthm8 (heading)	5
1	Mytestthm9 (heading)	5
1	Mytestthm10 (heading)	5