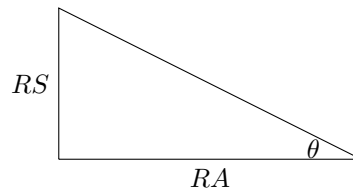


## Moneyball Analytics

The Pythagorean expectation from the chapter says

$$P = \frac{RS^2}{RS^2 + RA^2}$$

where  $RS$  is runs scored,  $RA$  is runs allowed, and  $P$  is the percent of games the team is expected to have won. While the book says that the Pythagorean expectation is loosely connected to the Pythagorean Theorem,  $a^2 + b^2 = c^2$ ,  $P$  is more closely aligned to trig functions and could be considered the  $\sin^2(\theta)$  of the following triangle:



### Worksheet: Compute Like Bill James

Test James' Pythagorean expectation for another team. Pick a year and a Major League Baseball Team. Everyone gets a unique team/year.

1. Find *runs scored* by your team (RS): \_\_\_\_\_
2. Find *runs allowed* by your team (RA): \_\_\_\_\_
3. Compute  $P = \frac{RS^2}{RS^2 + RA^2}$ : \_\_\_\_\_
4. Compute  $P \times 162$ : \_\_\_\_\_

The result in line 4 is an estimate of how many games your team won in the season you chose. How close is it to the actual statistic? (For a year before 1962 or the short 2020 season, substitute the appropriate number of games.)

Baseball is a sport filled with statistics, but it is not the only one. Consider a sport other than Baseball that you follow. What statistics similar to *runs for* and *runs against* do you think would be a good substitute in that sport? Try it for one team for one season for your sport.

1. Find statistic  $S$  for your team: \_\_\_\_\_
2. Find similar statistic for the other team  $OT$ : \_\_\_\_\_
3. Compute  $P = \frac{S^2}{S^2 + OT^2}$ : \_\_\_\_\_
4. Compute  $P \times$  games played: \_\_\_\_\_

How did you do? Is it as close as for baseball?

Another thing that can be considered is the exponent in the Pythagorean expectation. In a more general world, you could change the exponent from 2 to  $a$ <sup>1</sup> and have a formula more like

$$P = \frac{S^a}{S^a + OT^a}$$

Play around with different values of  $a$  to see if you can get a better estimate of the percent of games won. What happens to the number as you increase  $a$  from 2 to something larger? What would happen if you made  $a$  between 0 and 2?

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<sup>1</sup>This is taking us from the trigonometry of circles into a new world of the trigonometry of squircles. Come see me if you are curious.