Professor Jan Minx

Hertie School of Governance

Stats II, Lecture ?, ? 2015

- Panel data methods can be used with data structures that do not involve time
- Hierarchical data structures contain clusters of observation which share common characteristics
- ► When these characteristics are unobservable and correlated with other explanatory variables, pooled OLS will give us estimates that are biased and inefficient

- Consider a geographical dataset that observes variables for small areas (in this case MSOAs, or Middle Layer Super Output Areas)
- Each small area belongs to a local authority
- If local authority attributes that we cannot observe affect our other variables, we will get biased and inefficient estimates using OLS

Remember that OLS regression is estimated using the equation

$$y_i = \beta_0 + \beta_1 x_i + u_i$$

When we use panel methods across time, our equation becomes

$$y_{it} = \beta_0 + \beta_1 x_{it} + a_i + u_{it}$$

Here the variable a_i captures all unobserved, time-constant factors that affect y_{it}

By constructing our dataset and a fixed effects model carefully, we can also account for fixed effects given by local authorities with the equation

$$y_{pc} = \beta_0 + \beta_1 x_{pc} + a_p + u_{pc}$$

where, given our hierarchical data structure, p indexes the parent (local authority) and c indexes the child (MSOA)

Here the local authority fixed effect is given by a_p , and the coefficient $\beta_1 x_{pc}$ describes the effect of our explanatory variable on our independent variable x within local authorities.

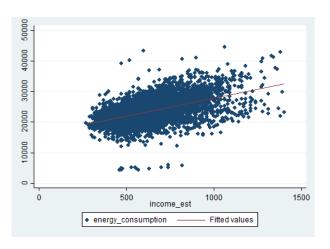
When we use a pooled OLS regression on our dataset to estimate the effect of income on household energy consumption, we get the following results

reg energy_consumption income_est
outtex, file(ols.tex) labels level detail legend key(stab) replace est store ols

Table: Estimation results: regress

Variable	Coefficient	(Std. Err.)		
income_est	11.681**	(0.222)		
Intercept	16142.067**	(139.382)		
N	7133			
R^2	0.28			
F _(1,7131)		2766.551		
Significal	nce levels :	† : 10%	*:5%	**: 1%

```
graph twoway (scatter energy_consumption income_est) ///
(lfit energy_consumption income_est)
```



Fixed Effects

When we use a fixed effects model to estimate the effect of income on household energy consumption *within* local authorities, the size of the effect changes.

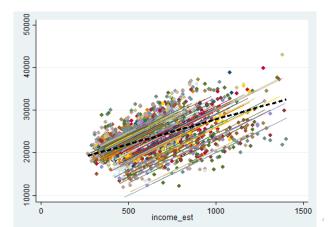
```
xtset LA.CODE MSOA.CODE
xtreg energy.consumption income.est, fe
outtex, file(fe.tex) labels level detail legend key(stab) replace
est store fe
```

Table: Estimation results: xtreg

Variable	Coefficient	(Std. Err.)		
income_est	20.111**		(0.237)	
Intercept	11040.143**		(145.751)	
N	7133			
R^2	0.516			
F (376,6756)		7201.692		
Significar	ice levels :	† : 10%	* : 5%	**: 1%

Fixed Effects

```
xi: regress energy_consumption income_est i.LA_CODE
predict energy_consumption.fitted
separate energy_consumption, by(LA_CODE)
separate energy_consumption.fitted, by(LA_CODE)
graph twoway (scatter energy_consumption1-energy_consumption80 income_est) ///
(line energy_consumption.fitted1-energy_consumption.fitted80 income_est) ///
(lfit energy_consumption income_est, ///
color(black) lwidth(thick) lpattern(dash)), legend(off) , legend(off)
```



Comparing OLS with Fixed Effects Models

esttab ols fe using table1.tex, replace

	(1)	(2)
	energy_consumption	energy_consumption
income_est	11.68***	20.11***
	(52.60)	(84.86)
_cons	16142.1***	11040.1***
	(115.81)	(75.75)
N	7133	7133

t statistics in parentheses

^{*} p < 0.05, ** p < 0.01, *** p < 0.001