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import numpy as np
import pdb
```

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def affine forward(x, w, b):
 Computes the forward pass for an affine (fully-connected) layer.
 The input x has shape (N, d_1, \ldots, d_k) and contains a minibatch of
Ν
 examples, where each example x[i] has shape (d_1, \ldots, d_k). We will
 reshape each input into a vector of dimension D = d_1 * ... * d_k,
and
 then transform it to an output vector of dimension M.
 Inputs:

    x: A numpy array containing input data, of shape (N, d_1, ...,

dk)
 w: A numpy array of weights, of shape (D, M)
 b: A numpy array of biases, of shape (M,)
 Returns a tuple of:
 - out: output, of shape (N, M)
 - cache: (x, w, b)
 .....
 # ============ #
 # YOUR CODE HERE:
     Calculate the output of the forward pass. Notice the dimensions
     of w are D x M, which is the transpose of what we did in earlier
 #
     assignments.
 # =========== #
 # print("w", w.shape)
 # print("xr", x.shape)
 # print("b", b.shape)
 # print("x shape", x.shape)
 xr = x.reshape(x.shape[0], -1)
 # print("x reshape", xr.shape)
 out = xr.dot(w) + b
 # print("wxr", xr.dot(w).shape) # check this shape to see if h2
shape is even correct???
 # END YOUR CODE HERE
```

```
cache = (x, w, b)
  return out, cache
def affine_backward(dout, cache):
  Computes the backward pass for an affine layer.
  Inputs:

    dout: Upstream derivative, of shape (N, M)

 - cache: Tuple of:
   - x: Input data, of shape (N, d_1, ... d_k)
   - w: Weights, of shape (D, M)
 Returns a tuple of:
  dx: Gradient with respect to x, of shape (N, d1, ..., d_k)
  dw: Gradient with respect to w, of shape (D, M)

    db: Gradient with respect to b, of shape (M,)

  x, w, b = cache
  dx, dw, db = None, None, None
  # =================== #
  # YOUR CODE HERE:
 # Calculate the gradients for the backward pass.
  # dout is N x M
 # dx should be N \times d1 \times ... \times dk; it relates to dout through
multiplication with w, which is D \times M
 # dw should be D x M; it relates to dout through multiplication with
x, which is N x D after reshaping
 # db should be M; it is just the sum over dout examples
 # dout: 5 x 3
 # w: 3 x 10
 # x: 10 \times 5 which is M \times N
 # print("x shape", x.shape)
 \# n = 5
 # m =
 \# d = 3
 # m = THERE IS SMTH WRONG HERE!!! WITH THE NUNMBERS
 # print("dout", dout.shape)
  # print("w", w.shape)
  dx = np.dot(dout, w.T) \# (N, M) \times (M, D) = (N, D) should be D,M
 # print("dout shape", dout.shape)
 # print("w.T shape", w.T.shape)
 # print("x shape", x.shape)
```

```
\# dx = dx.reshape(x.shape)
 # dw = np.dot(x.reshape(x.shape[0], -1).T, dout) # (N, M) x (1 x N)
should be (D, M) original
 xr = x.reshape(x.shape[0], -1)
 dw = np.dot(xr.T, dout) #not sure if this works
 db = np.sum(dout, axis=0) # M i think this one is fine
 # print("x shape", x.shape)
 # print("dx shape", dx.shape, w.shape[0], dout.shape[1])
# print("dw shape", dw.shape, dout.shape[0], w.shape[0])
 # print("db shape", db.shape, dout.shape[1])
 # =================== #
 # END YOUR CODE HERE
 return dx, dw, db
def relu forward(x):
 Computes the forward pass for a layer of rectified linear units
(ReLUs).
 Input:
 - x: Inputs, of any shape
 Returns a tuple of:
 - out: Output, of the same shape as x
 - cache: x
 # YOUR CODE HERE:
    Implement the ReLU forward pass.
 # =========== #
 f = lambda x: x * (x > 0)
 out = f(x)
 # print("out", out.shape)
 # print("x", x.shape)
 # =========== #
 # END YOUR CODE HERE
 # ============= #
 cache = x
 return out, cache
def relu_backward(dout, cache):
```

```
Computes the backward pass for a layer of rectified linear units
(ReLUs).
 Input:
 - dout: Upstream derivatives, of any shape
 - cache: Input x, of same shape as dout
 Returns:

    dx: Gradient with respect to x

 x = cache
 # =========== #
 # YOUR CODE HERE:
     Implement the ReLU backward pass
 # ============== #
 # ReLU directs linearly to those > 0
 \# xr = x.reshape(x.shape[0], -1)
 dx = dout * (x > 0) # hadamard product is element wise operation
 # ============= #
 # END YOUR CODE HERE
 # =================== #
 return dx
def softmax_loss(x, y):
 Computes the loss and gradient for softmax classification.
 Inputs:
 - x: Input data, of shape (N, C) where x[i, j] is the score for the
jth class
   for the ith input.
 - y: Vector of labels, of shape (N,) where y[i] is the label for
x[i] and
   0 \le y[i] < C
 Returns a tuple of:
 loss: Scalar giving the loss
 - dx: Gradient of the loss with respect to x
 probs = np.exp(x - np.max(x, axis=1, keepdims=True))
 probs /= np.sum(probs, axis=1, keepdims=True)
 N = x.shape[0]
 loss = -np.sum(np.log(probs[np.arange(N), y])) / N
 dx = probs_copy()
```

dx[np.arange(N), y] -= 1
dx /= N
return loss, dx