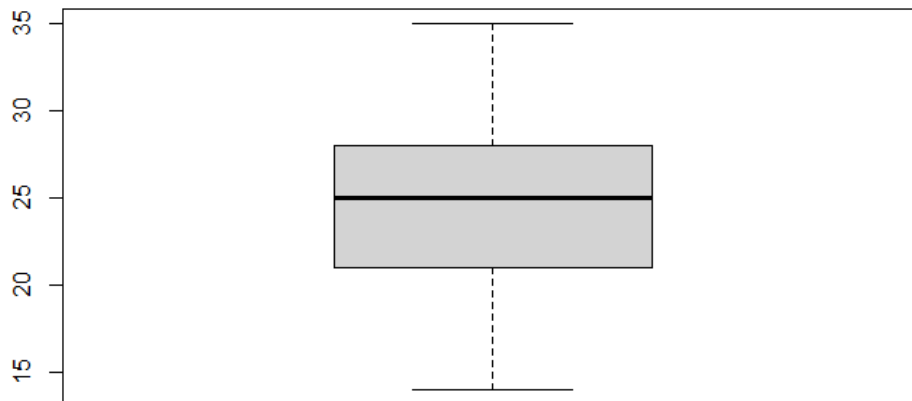


2)

3.3a

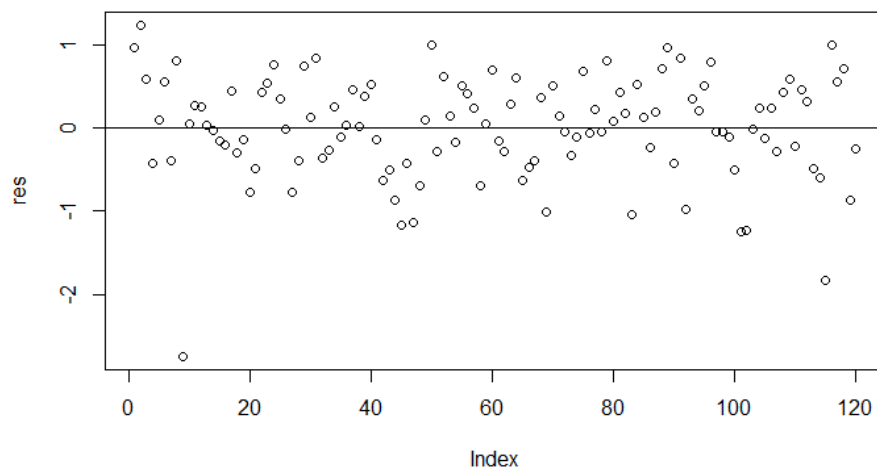
```
f=file.choose()  
TestScores=read.table(f)  
colnames(TestScores)= c("GPA","ACT")  
boxplot(TestScores$ACT)
```



There aren't any huge outliers.

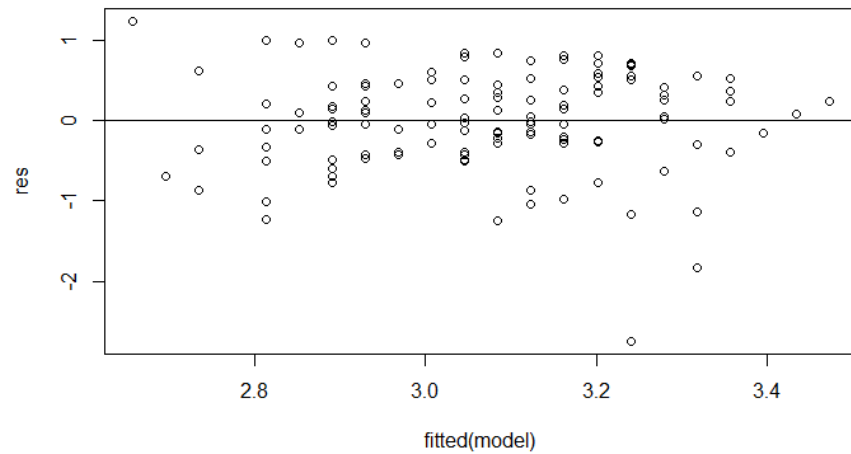
3.3b

```
model=lm(GPA~ACT, data = TestScores)  
res=resid(model)  
plot(res)  
abline(0,0)
```



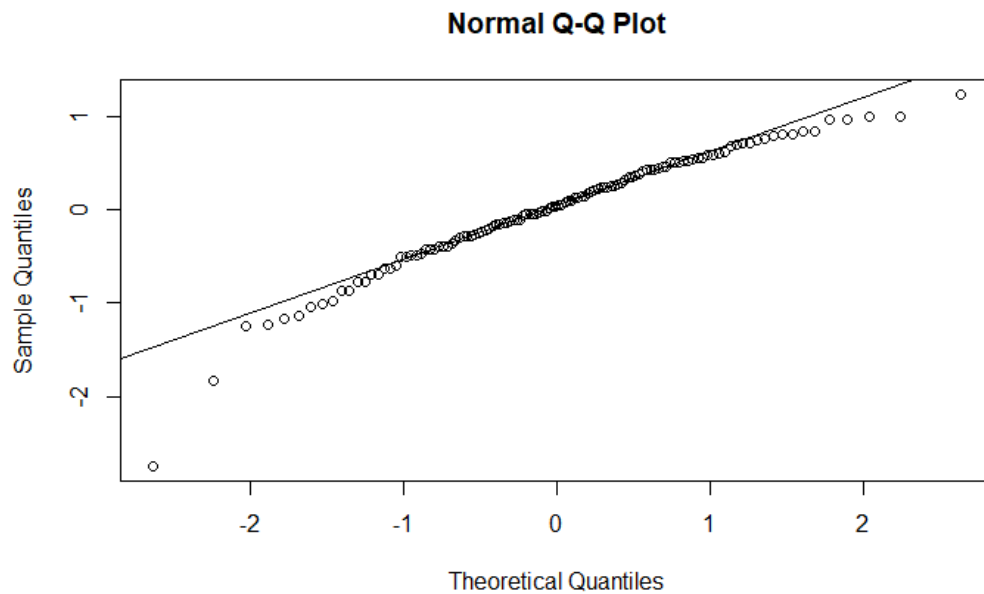
Through the residual model, it is clear a linear model is appropriate.

```
3.3c
plot(fitted(model),res)
abline(0,0)
```



Few outliers, low variance, linear

```
3.3d
qqnorm(res)
qqline(res)
```

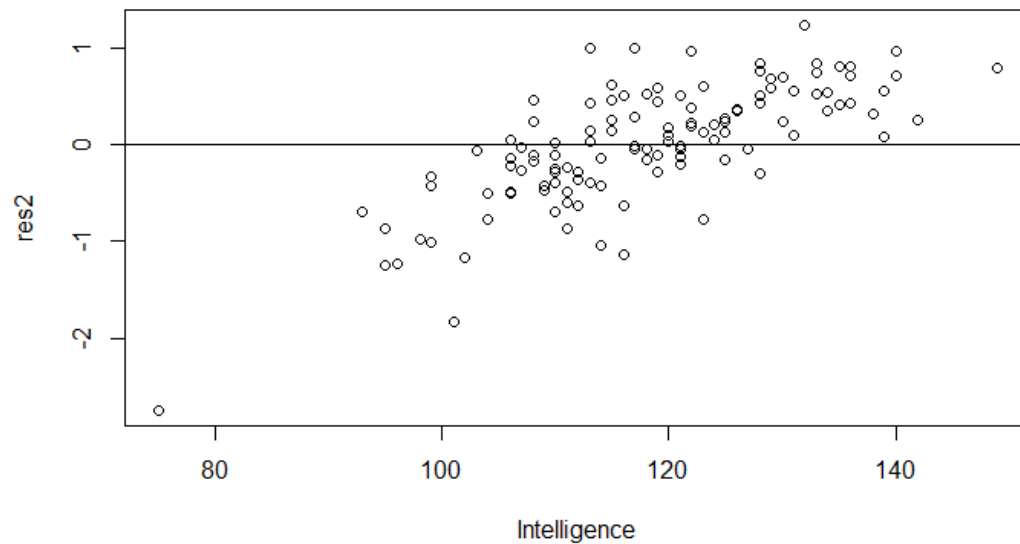


```
r=cor(GPA,ACT)
r
[1] 0.2694818
```

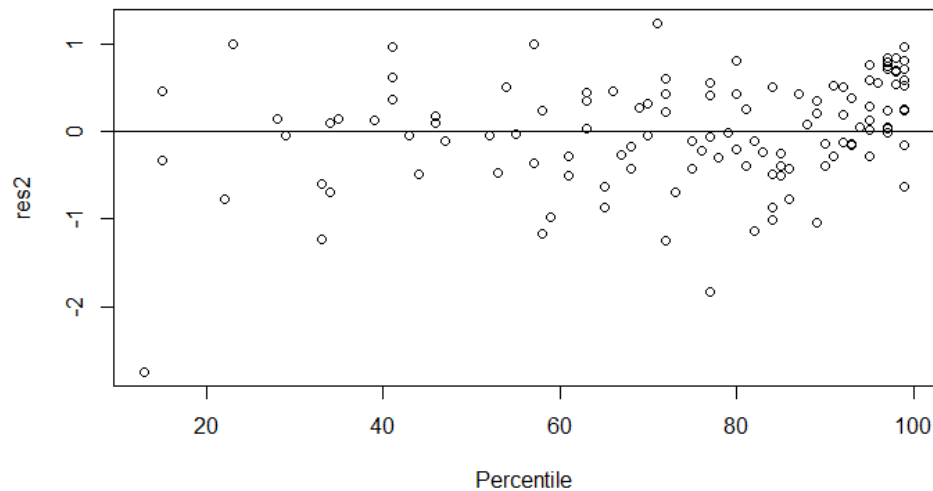
H0: Normal, Ha: not normal. Correlation critical value is .987. Our correlation coefficient is less than the critical so reject the null.

3.3f

```
f=file.choose()
Scores=read.table(f)
mod=lm(GPA~ACT, data = Scores)
res2=resid(mod)
plot(res2)
abline(0,0)
attach(Scores)
plot(Intelligence,res2)
abline(0,0)
```



```
plot(Percentile,res2)
abline(0,0)
```



Based off the graphs, it seems as if the model could be improved with an inclusion of the intelligence test of a student.

3.8a

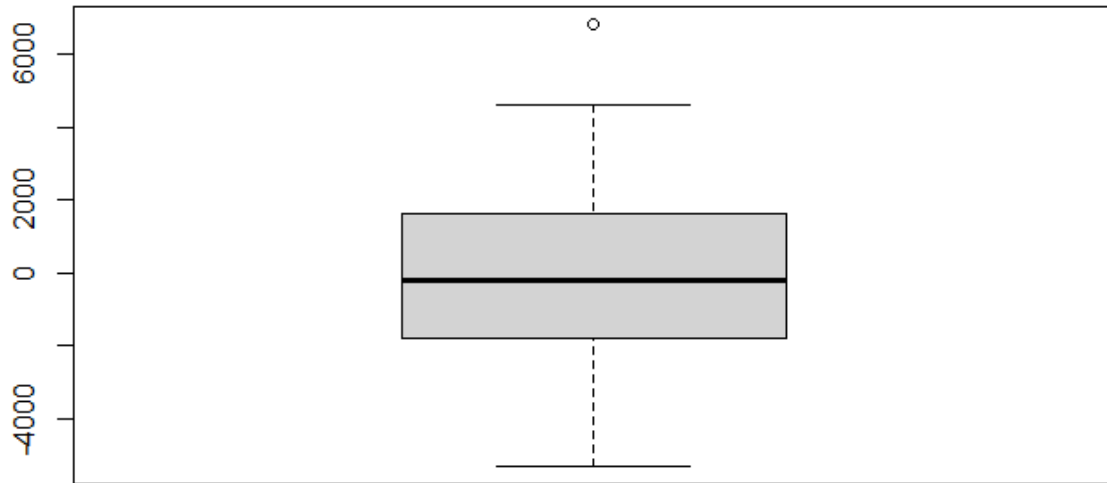
```
f=file.choose()
CrimeRate=read.table(f)
colnames(CrimeRate)=c("Crime Rate","Diploma%")
stem(CrimeRate$`Diploma%`)
The decimal point is 1 digit(s) to the right of the |
```

```
6 | 1444
6 | 5678
7 | 00334444
7 | 5555666677777778888888999999
8 | 000011111112222222333333444444
8 | 55578889
9 | 11
```

Many in the 70%

3.8b

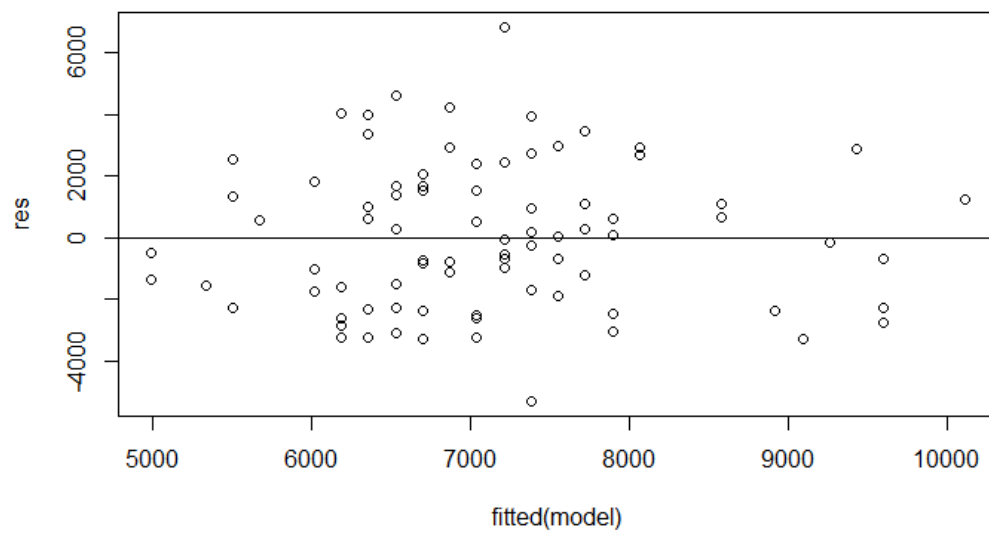
```
attach(CrimeRate)
model=lm(`Crime Rate`~ `Diploma%`)
res=resid(model)
boxplot(res)
```



No.

3.8c

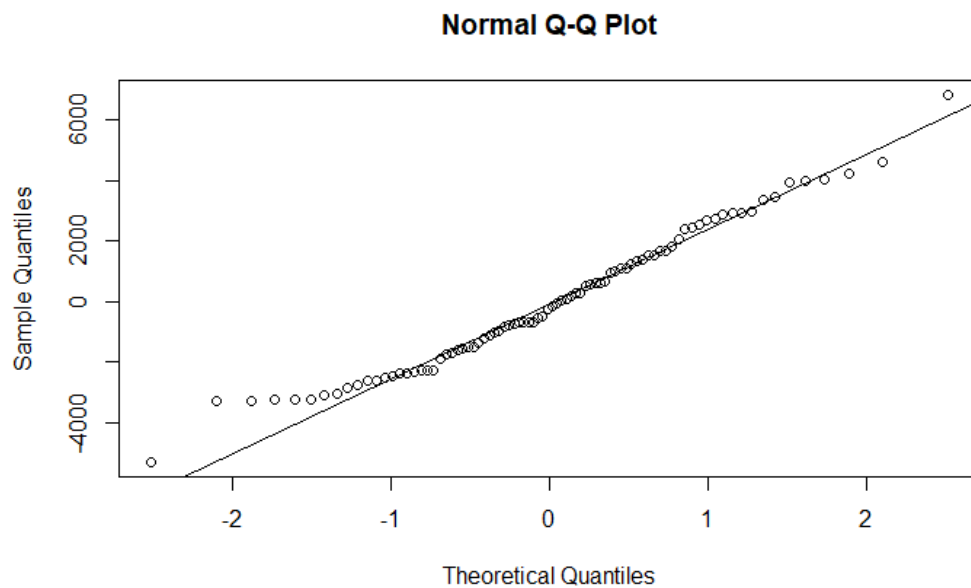
```
plot(fitted(model),res)
abline(0,0)
```



Through this plot, it is clear a linear model is appropriate.

3.8d

```
qqnorm(res)
qqline(res)
```



H_0 : Normal H_a : not normal. $r = 0.98876$. If $r \geq r^*$ then fail to reject the null. $r^* = 0.9854$ so fail to reject the null.

3.15a

```
f=file.choose()
SolutionConc=read.table(f)
colnames(SolutionConc)=c("Concentration","Hours")
lm(Concentration~Hours, data = SolutionConc)
Call:
lm(formula = Concentration ~ Hours, data = SolutionConc)
```

Coefficients:

(Intercept)	Hours
2.575	-0.324

$Y = 2.575 - 0.324x$

3.15b

$H_0: E\{Y\} = \beta_0 + \beta_1 X$, $H_a: E\{Y\} \neq \beta_0 + \beta_1 X$.

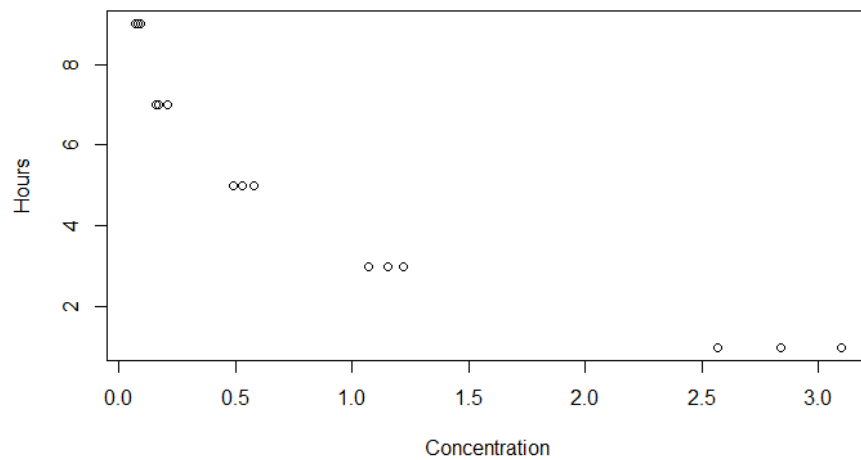
F-statistic: 55.99 on 1 and 13 DF, p-value: 4.611e-06. P value is very low so reject the null.

3.15c

Since there is a lack of fit, a linear model is not appropriate for this data

3.16a

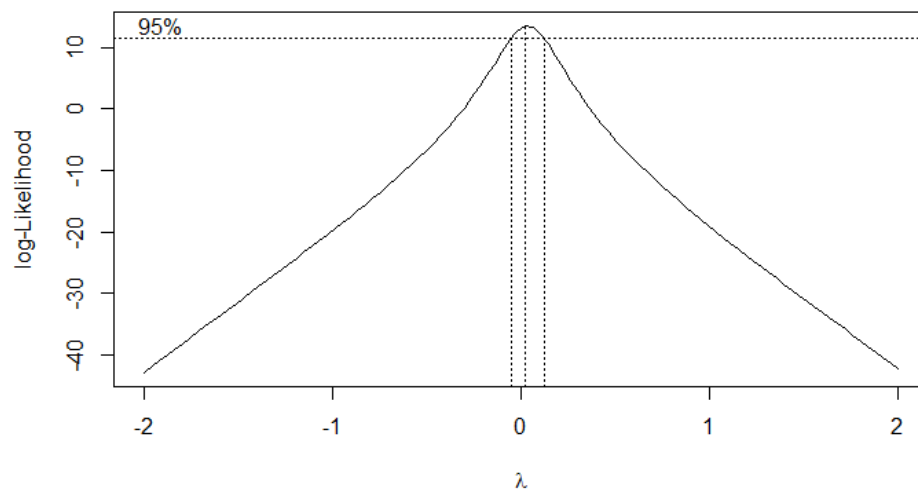
```
plot(SolutionConc)
```



The $Y' = \log_{10}(y)$ transformation most fits the pattern of the scatter plot

3.16b

```
bc=boxcox(Concentration~Hours)
```



```
lamdba=bc$x[which.max(bc$y)]
lamdba
[1] 0.02020202
```

3.16c

```
Concentration=log10(Concentration)
newmod=lm(Concentration~Hours)
newmod
Call:
```

```
lm(formula = Concentration ~ Hours)
```

Coefficients:

```
(Intercept)    Hours
```

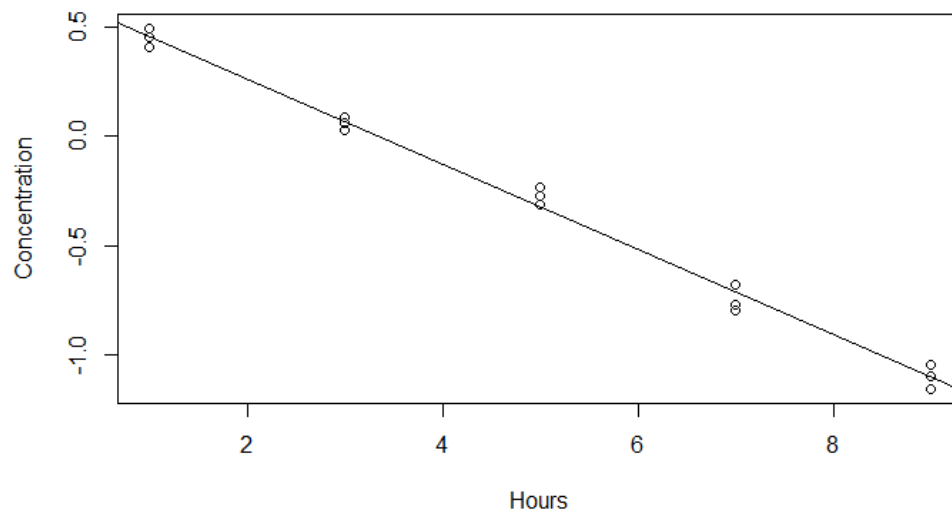
```
0.6549    -0.1954
```

```
Y'=.6549-.1954x
```

3.16d

```
plot(Hours,Concentration)
```

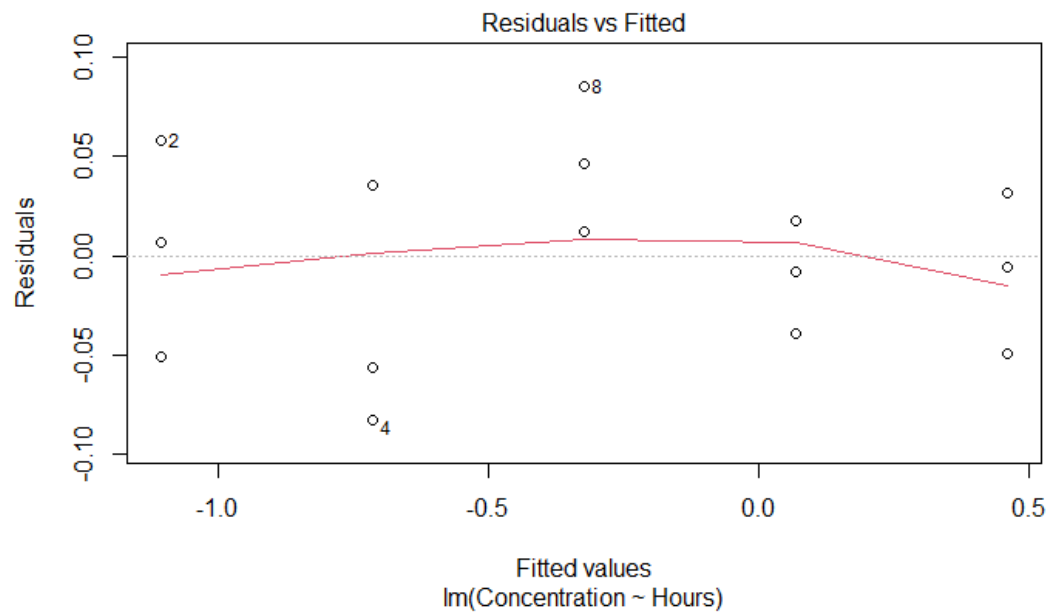
```
abline(newmod)
```



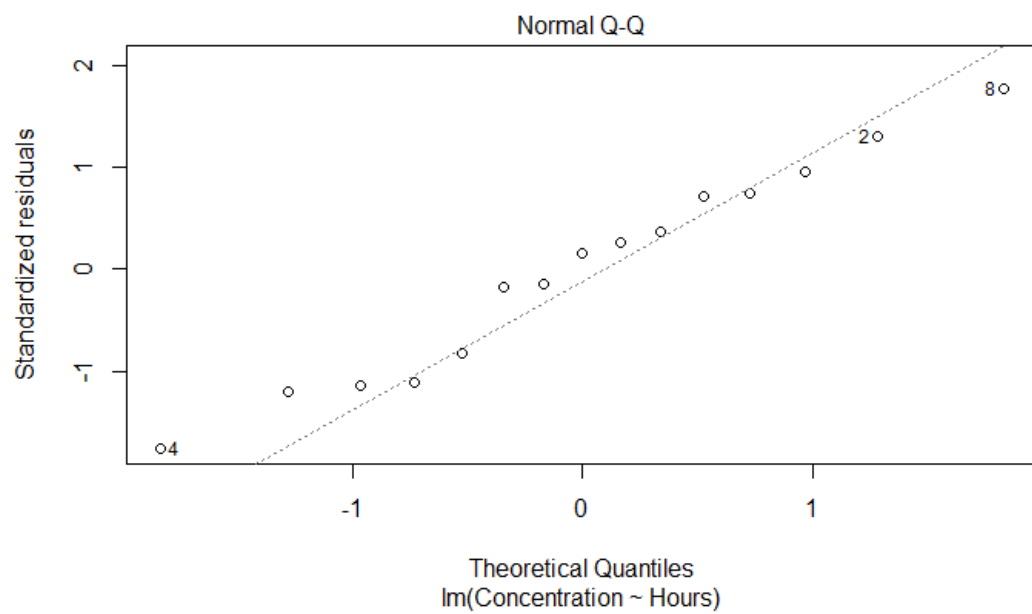
Yes

3.16e

```
plot(newmod)
```

Values are spread out with no pattern



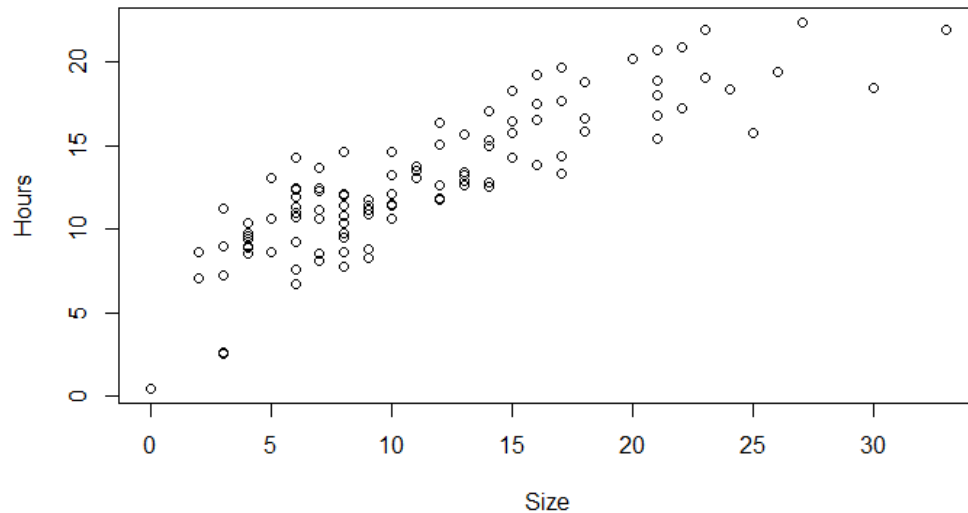
Many points don't actually fall on the line(not normal), but still linear.

$$3.16f$$

$$4.51731(.63768)^x$$

3.18a

```
f=file.choose()
ProdTime=read.table(f)
colnames(ProdTime)=c("Hours","Size")
attach(ProdTime)
plot(Size,Hours)
```



No. Transformation on X specifically to \sqrt{x} . Normality is the only issue.

3.18b

```
Size=sqrt(Size)
NewProdMod=lm(Hours~Size)
NewProdMod
```

Call:

```
lm(formula = Hours ~ Size)
```

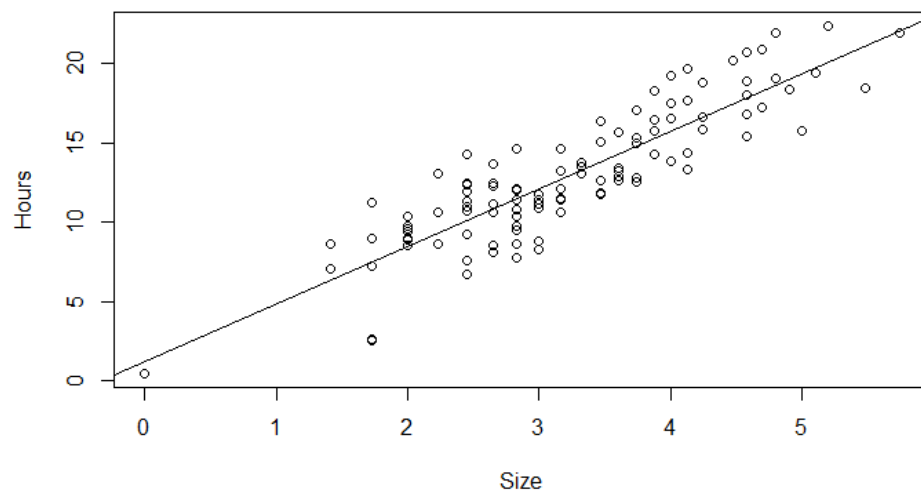
Coefficients:

(Intercept)	Size
1.255	3.624

$Y = 1.255 + 3.624x$

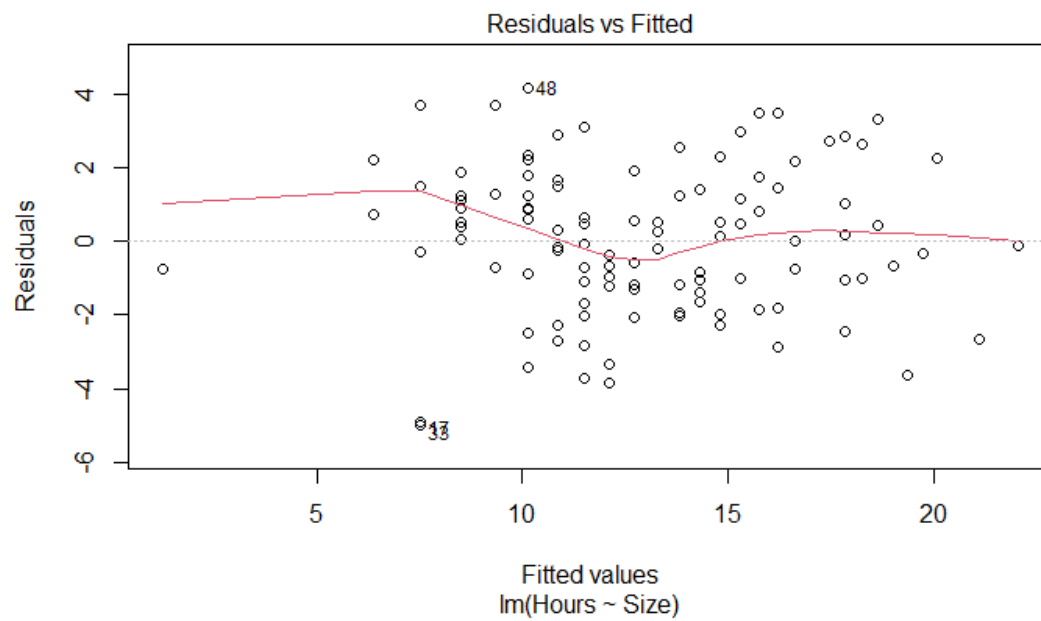
3.18c

```
plot(Size,Hours)
abline(NewProdMod)
```

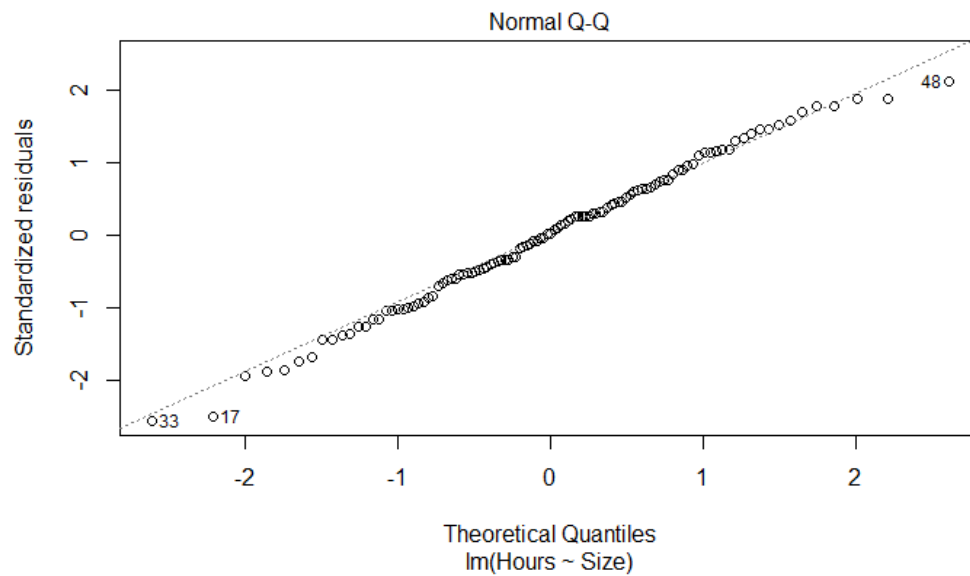


Yes

3.18d
`plot(NewProdMod)`



Even spread with few outliers



Normal with few outliers

$$Y = 1.255 + 3.624\sqrt{X}$$

3.20

If the transformation is on x, it will remain normal, but if the transformation is on y, then it will not remain normal.

3)

a)

```
> sum(model$residuals)
[1] -2.942091e-15
Which is approximately 0
```

b)

Old

```
summary(model)
```

Call:

```
lm(formula = GPA ~ ACT, data = TestScores)
```

Residuals:

Min	1Q	Median	3Q	Max
-2.74004	-0.33827	0.04062	0.44064	1.22737

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	2.11405	0.32089	6.588	1.3e-09 ***
ACT	0.03883	0.01277	3.040	0.00292 **

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.6231 on 118 degrees of freedom
Multiple R-squared: 0.07262, Adjusted R-squared: 0.06476
F-statistic: 9.24 on 1 and 118 DF, p-value: 0.002917

New

```
TestScores[1,1]=.897
model=lm(GPA~ACT, data = TestScores)
summary(model)
Call:
lm(formula = GPA ~ ACT, data = TestScores)
```

Residuals:

Min	1Q	Median	3Q	Max
-2.73511	-0.31973	0.04944	0.47245	1.30273

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	1.97295	0.33146	5.952	2.78e-08 ***
ACT	0.04352	0.01319	3.299	0.00128 **

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.6436 on 118 degrees of freedom
Multiple R-squared: 0.08443, Adjusted R-squared: 0.07667
F-statistic: 10.88 on 1 and 118 DF, p-value: 0.001284

The residuals on the new got bumped up a little bit while the intercepts and p value went down.