Programming seminar 2015 Session 3: "Loopy" C/C++

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Outline

- 1 "For" loops
- 2 "While" loops
- 3 Fine flow control
- 4 Exercises

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Motivation

Problem

Computers are very good at performing repetitive tasks. In this section we learn how to exploit them in real-life situations.

Example

Write a sentence on the blackboard 500 times

```
# include < STalo.h/
int main(void)
{
  int count;
  for (count = 1; count <= 500; count ++)
    printf("I will not throw paper dirplanes in class.");
  return 0;
}
```

"For" Loops Typical use

for loops run while a certain condition is true, but allow separate statement(s) to be run (1) before the first iteration and (2) after each iteration. The archetypal use for the for loop is to loop some pre-determined number of times indexed by a counter variable:

```
int count;
for(count=1; count<=500; count++){
    cout<<"I will not throw paper 
        airplanes in class"<<endl;
}</pre>
```

Variable counter is referred to as an "index". See **forloop0.cpp** for a complete program to play with.

"For" Loops

More generally

```
for(Statement1; Condition; ←
    Statement2)
{/* Code block here is repeated ←
    while Condition is true.*/}
```

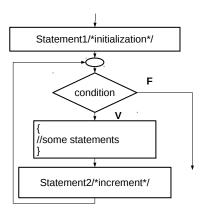
- Execute Statement1 (only the first time)
- Evaluate Condition
 - If Condition is true:
 - Execute the block
 - Execute Statement2
 - Back to the Condition
 - If Condition is false, jump directly at the end of the block

"Condition" may be any boolean expression. "Condition", "Statement1", "Statement2" can be empty (but the separators ';' are necessary).

"For" Loops

Flow chart

```
for(Statement1; Condition; \leftarrow
    Statement2){ //Statements
```



Good programming practices

though not necessary

- Use indentation.
- Curly brackets {...} are necessary only if the code block has more than one statement...
- ...but I suggest to use them in any case.
- Don't declare more than one variable in Statement1.
- Use short name for indexes, e.g., i.

Print the first n numbers of the Fibonacci sequence.

```
int fib1=0;
int fib2=1;
int fib=fib1+fib2;
for (int i=0; i<=n; i++) {
    cout << i << " " << fib << endl;
    fib=fib1+fib2;
    fib1=fib2;
    fib2=fib;
}</pre>
```

Exercise

write your own program!

Compute and print n!.

```
int n, factorial;
cout << "Enter an integer: ";
cin >> n;
factorial = n; // init
for (int i = n - 1; i > 1; i - -)
   factorial *= i;
cout << "The factorial of " << n << " is \( \)
   " << factorial << "." << endl;</pre>
```

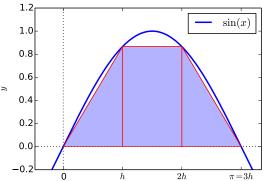
Exercise

write your own program!

Numerical solution of a definite integral: theory

The trapezium rule is a method for approximating an integral

$$\int_{a=0}^{b=\pi} \sin(x) dx \approx \pi/3 [\sin(\pi/3) - \sin(0)]/2 + \pi/3 [\sin(2\pi/3) - \sin(\pi/3)]/2 + \pi/3 [\sin(\pi) - \sin(2\pi/3)]/2$$



Numerical solution of a definite integral: snippet

For domain discretised into n equally spaced intervals with extremes at points $a, a + h, a + 2h, \ldots, b$, after some algebraic manipulation, the approximation becomes:

$$\int_{a}^{b} f(x)dx \approx \frac{h}{2}[f(a) + 2\sum_{i} f(a+ih) + f(b)]$$

```
sum = sin(from) + sin(to);
for(int i = 1;i < n;i++) {
    sum += 2.0*sin(from + i * h);
}</pre>
```

Numerical solution of a definite integral: snippet

Alternative: we can approximate the integral with the sum of rectangles:

$$\int_a^b f(x)dx \approx h \sum_{i=0}^{(b-a)/h} f(a+h*i)$$

```
sum = sin(from) + sin(to);
for(int i = 1; i < n; i++) {
    sum += 2.0*sin(from + i * h);
}</pre>
```

Play with forloopintegral.cpp.

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"While" loops Purely conditioned loops

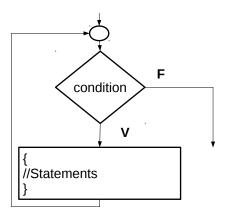
A while statement runs a block of code as long as a certain condition is true:

```
while(condition){
   /* Code here is repeated while ←
      condition is true (and will ←
      never run at all if condition ←
      is false to start with).*/
}
```

"While" Loops

Flow chart

while(condition){ /*code block*/}



Series expansion of transcendental function

- You are familiar with $exp(x) = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots$
- To approximate exp(x), iterate over the terms of this series, up to a certain order.
- You may not know how many terms are needed. Therefore a while is preferred over the for loop.
- The loop can be interrupted when the term $\frac{x^n}{n!}$ is smaller than a pre-setted threshold.
- Play with **whileloopexponential.cpp**

Exercise

compute $sin(\pi)$ using its series expansion.

"Do-while" loops

Post-conditioned loops

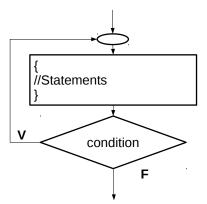
A while loop checks its condition even before its first iteration. Sometimes we don't want this: i.e., we want the loop always to run the first time, and only to test the condition before subsequent iterations. To do this, we use the do—while construct:

```
do{
    /* Code here is repeated while ←
        condition is true (but will ←
        always run at least once) */
} while(condition);
```

"Do-while" Loops

Flow chart

```
do{
   //Statements
} while(condition);
```

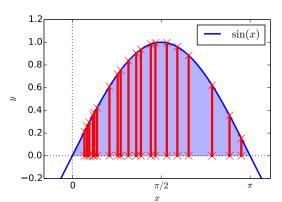


Monte Carlo solution of a definite integral: theory

Strategy 1

Same idea of rectangle rules, but with random uniform sampling of n points in [a, b].

$$\int_0^{\pi} \sin(x) \approx \pi/n \sum_{i=1}^n \sin(x_i), \text{ where } x_i \in [0, \pi]$$



Strategy 1

Same idea of rectangle rules, but with random uniform sampling of n points in [a, b].

$$\int_0^{\pi} \sin(x) \approx Q_n \equiv \pi/n \sum_{i=1}^n \sin(x_i), \text{ where } x_i \in [0, \pi]$$

- \blacksquare *i* is the counter, *n* is number of iterations.
- We don't know a priory the best value for n.
- Iterate as long as the *relative error* $\pi Var(Q_n)/\sqrt{n}$ is above a certain threshold.

for or while loop?

Monte Carlo solution of a definite integral: snippet

Strategy 1

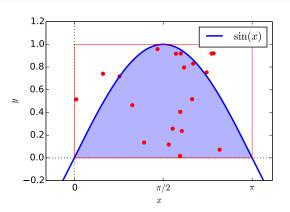
```
confidence_level = 0.1;
do{
    x=(double)rand()/RAND_MAX*(xmax-<-
        xmin) + xmin;
    y = sin(x);
    n++:
    sum = sum + y;
    Q_n = sum/n * (xmax - xmin);
    tmp = tmp + (y-mean) * (y-mean);
    rel_error=sqrt(tmp)/n*(xmax-xmin←
        );
}while(rel_error>confidence_level);
```

See dowhileloopmontecarlo1.cpp.

Monte Carlo solution of a definite integral: theory

Strategy 2

Count the points that fall inside the shaded area (you need two random numbers for each sample).



Monte Carlo solution of a definite integral: snippet

Strategy 2

```
confidence_level=0.01;
do{
    x=(double)rand()/RAND_MAX*(xmax-<-
       xmin) + xmin;
    y=(double)rand()/RAND_MAX;
    if (y < \sin(x)) k++;
    n++:
    I = (double)k/n*(xmax-xmin);
    tmp = tmp + (1 - mean) * (1 - mean);
    rel_error=sqrt(tmp)/n*(xmax - ←
       xmin);
}while(rel_error>confidence_level);
```

See dowhileloopmontecarlo2.cpp.

"For" or "While"?

- It depends on you own style, but...
- ..when the number of iteration is known a priori, the for loop is more clear.
- Exercise: implement a Monte-Carlo integration method using the **for** loop.
- Exercise: write a program for the Fibonacci series using a while loop.

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Break the loop

The normal flow of a loop can be modified by using one of the following statements inside the loop's body:

- break ends a loop immediately. Control passes to the code immediately following the loop.
- continue ends the current iteration of a loop. The loop's condition is then evaluated again, and the loop either proceeds to its next iteration, or ends, as appropriate.
- goto id; unconditionally transfer the flow to the statement labeled by id:.

Prefer to control loops by their conditions where possible, rather than by using the **break** and **continue** statements. They will be easier to read.

Nested Loops

- Any loop can be completely nested inside another loop.
- In case of two nested for loops, each loop should have a different index.
- continue and break work only on a single "level".
- In order to exit from all the nested loops you could use goto ...
- ... or play with the condition, as in structured programming convention.

Exit from a nested Loops

Example 1: non-structured code

```
int i,j,v;
for(i=1, v=1; i<=8; i+=3){
    for(j=3; j<6; j++){
         cout << i << " " << j << endl;
        cin>>v;
         if(v==0){
             goto point;
point: //continue from here;
```

See forloopnested.cpp.

Exit from a nested Loops

Example 2: structured code

```
for(i=1, stop=false; i<=8&&stop==←</pre>
   false; i+=3){
    for(j=3; j<6\&\&stop==false; j++) \leftarrow
         cout << i << " " << j << endl;
         cin>>v;
         if(v == 0){
              stop=true;
//continue from here
```

See forloopnested.cpp.

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Exercises

- Find the area of unitary disk using Monte-Carlo strategy 2.
- Prompt the user for an angle and then display a message indicating whether its sine is positive, negative or zero.
- Play guess-the-number with the user: the computer chooses a number, and the user keeps guessing it until they get it right. The computer should report whether each guess is too large or too small.