Credit Risk Prediction

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#install.packages("ranger")
#install.packages("randomFores")

#install.packages("rpart")

```
#install.packages("rpart.plot")
  #install.packages("tidymodels")
  #install.packages("dplyr")
  #install.packages("pROC")
  #install.packages("caret")
  #install.packages("gbm")
  library(ranger)
  library(randomForest)
  library(rpart)
  library(rpart.plot)
  library(tidymodels)
  library(dplyr)
  library(pROC)
  library(ROCR)
  library(caret)
  library(gbm)
  customer <- read.csv("C:/Users/husey/OneDrive/Masaüstü/customer_data.csv")</pre>
  str(customer)
'data.frame': 1125 obs. of 13 variables:
$ label : int 1001001100...
$ id : int 54982665 59004779 58990862 58995168 54987320 59005995 59001917 54984789 5898
$ fea_1 : int 5 4 7 7 7 6 4 5 5 4 ...
$ fea_2 : num 1246 1277 1298 1336 NA ...
$ fea_3 : int 3 1 1 1 2 3 3 3 3 2 ...
```

```
$ fea_4 : num 77000 113000 110000 151000 59000 56000 35000 78000 218000 35000 ...
$ fea_5 : int   2 2 2 2 2 2 2 2 2 2 2 ...
$ fea_6 : int   15 8 11 11 11 6 8 15 15 8 ...
$ fea_7 : int   5 -1 -1 5 5 -1 9 -1 5 5 ...
$ fea_8 : int   109 100 101 110 108 100 85 111 112 101 ...
$ fea_9 : int   5 3 5 3 4 3 5 3 4 3 ...
$ fea_10: int   151300 341759 72001 60084 450081 60091 60069 60030 151300 60029 ...
$ fea_11: num   245 207 1 1 197 ...
```

Problem, Features and Target

Problem: Credit risk prediction aims to assess the repayment capability of financial institution's customers in advance, detect potential high-risk customers, and minimize financial losses.

Features: This dataset consists of 13 variables and 1125 observations. Label = 1 indicates that the bank providing the credit sees the customer as a high-risk individual, while label = 0 indicates that the bank sees the customer as a low-risk individual. We are performing our operations using the "Payment" data.csv" dataset.

The target is label that what we are going to analyze. Its about credit risks.

Train a logistic regression model, a decision tree, and a random forest model.

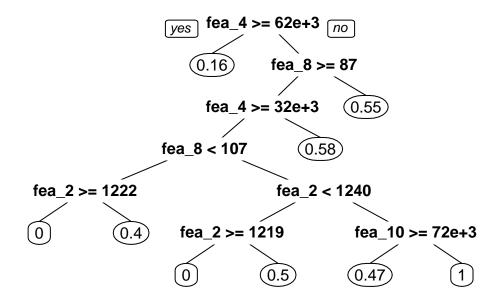
Logistic regression model

```
modelg <- glm(label ~ .,</pre>
                 data = train,
                 family = "binomial")
  summary(modelg)
Call:
glm(formula = label ~ ., family = "binomial", data = train)
Deviance Residuals:
    Min
             1Q
                  Median
                              3Q
                                      Max
-0.9114 -0.6940 -0.5991 -0.4562
                                   2.9024
Coefficients:
             Estimate Std. Error z value Pr(>|z|)
(Intercept) 4.584e-02 2.898e+00 0.016 0.98738
fea_1
            6.503e-02 7.349e-02 0.885 0.37623
fea_2
           -7.642e-04 2.067e-03 -0.370 0.71159
fea_3
           1.315e-01 1.219e-01 1.078 0.28085
fea_4
           -5.607e-06 1.927e-06 -2.910 0.00361 **
           1.831e-01 3.908e-01 0.469 0.63936
fea_5
fea_6
            9.715e-03 3.901e-02 0.249 0.80334
           -4.396e-02 3.572e-02 -1.231 0.21847
fea_7
fea_8
           -5.876e-03 7.907e-03 -0.743 0.45736
fea_9
           -6.327e-02 1.086e-01 -0.583 0.56002
           -5.467e-08 6.947e-07 -0.079 0.93728
fea_10
fea_11
            8.737e-05 8.979e-04 0.097 0.92249
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for binomial family taken to be 1)
    Null deviance: 752.5 on 780
                                degrees of freedom
Residual deviance: 730.5 on 769
                                degrees of freedom
AIC: 754.5
Number of Fisher Scoring iterations: 5
```

In above, We train a linear regression model by using the train data that we splited in previous

step and the model formula. Then, we assigned the output of glm() function to the modelg object.

```
modelfinal <- rpart(label ~ ., data = train)
prp(modelfinal)</pre>
```



Random Forest

Call:

```
Number of trees: 500
No. of variables tried at each split: 3

00B estimate of error rate: 19.72%
Confusion matrix:
0 1 class.error
0 625 10 0.01574803
1 144 2 0.98630137
```

The model is a classification type random forest consisting of 500 trees. It tries 3 variables at each split during the construction of the trees.

The out-of-bag (OOB) estimate of the error rate for the model is calculated to be 19.72%. The OOB estimate reflects the accuracy of the model's predictions on the data points that were not used during the training process.

The confusion matrix is given as follows:

For samples with class 0 label, out of 635 examples, 625 were correctly predicted and 10 were misclassified. For samples with class 1 label, out of 146 examples, only 2 were correctly predicted while 144 were misclassified.

The class errors are also provided:

The error rate for class 0 is calculated as 0.01574803. The error rate for class 1 is calculated as 0.98630137.

When evaluating the performance of the model, it can be observed that it performs well in predicting class 0 (high accuracy rate and low error rate). However, it exhibits weak performance in predicting class 1 (low accuracy rate and high error rate).

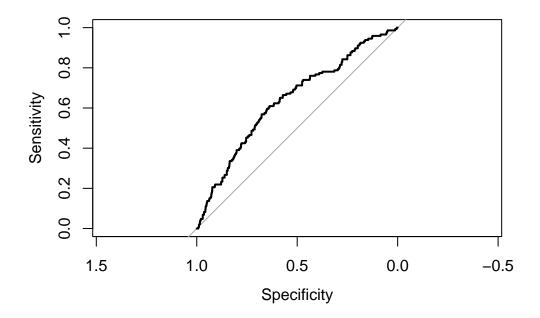
This situation may be attributed to factors such as data imbalance or insufficient samples belonging to class 1. Measures such as obtaining more data or adjusting the sample balance to address these issues can be taken to improve the model's ability to predict class 1. Additionally, exploring different hyperparameter settings or feature selection strategies may also be beneficial.

We are plotting the ROC curve and calculating the AUC value.

Setting levels: control = 0, case = 1

Setting direction: controls < cases

```
auc <- auc(roc)
plot(roc)</pre>
```



auc

Area under the curve: 0.6392

• The AUC value of 0.6392 indicates that the model demonstrates acceptable performance overall, but there is room for improvement. It suggests that the model's classification ability needs to be optimized further in order to enhance its performance.

Training Bagging Trees for comparing

```
set.seed(30)
  bttrain <- ranger(label ~ .,</pre>
                       data = train,
                       mtry = 11)
  bttrain
Ranger result
Call:
 ranger(label ~ ., data = train, mtry = 11)
Type:
                                   Classification
Number of trees:
                                   500
Sample size:
                                   781
Number of independent variables: 11
Mtry:
                                   11
Target node size:
                                   1
Variable importance mode:
                                  none
Splitrule:
                                   gini
OOB prediction error:
                                   19.59 %
```

Training random forest

```
set.seed(30)
  rftrain <- ranger(label ~ .,data = train)</pre>
  rftrain
Ranger result
Call:
 ranger(label ~ ., data = train)
                                    Classification
Type:
Number of trees:
                                    500
                                    781
Sample size:
Number of independent variables:
                                   11
Mtry:
                                    3
```

Target node size: 1
Variable importance mode: none
Splitrule: gini
00B prediction error: 19.85 %

Bt Confussion Matrix

Confusion Matrix and Statistics

Reference

Prediction 0 1 0 151 37 1 2 5

Accuracy: 0.8

95% CI: (0.7369, 0.8537)

No Information Rate : 0.7846 P-Value [Acc > NIR] : 0.3366

Kappa : 0.1519

Mcnemar's Test P-Value : 5.199e-08

Sensitivity: 0.9869 Specificity: 0.1190 Pos Pred Value: 0.8032 Neg Pred Value: 0.7143 Prevalence: 0.7846 Detection Rate: 0.7744

Detection Prevalence: 0.9641
Balanced Accuracy: 0.5530

'Positive' Class : 0

Rf Confussion Matrix

Confusion Matrix and Statistics

$\begin{array}{cccc} & \text{Reference} \\ \text{Prediction} & 0 & 1 \\ & 0 & 153 & 40 \\ & 1 & 0 & 2 \end{array}$

Accuracy : 0.7949

95% CI: (0.7313, 0.8492)

No Information Rate : 0.7846 P-Value [Acc > NIR] : 0.403

Kappa: 0.0728

Mcnemar's Test P-Value: 6.984e-10

Sensitivity: 1.00000 Specificity: 0.04762 Pos Pred Value: 0.79275 Neg Pred Value: 1.00000 Prevalence: 0.78462 Detection Rate: 0.78462

Detection Prevalence : 0.98974
Balanced Accuracy : 0.52381

'Positive' Class: 0

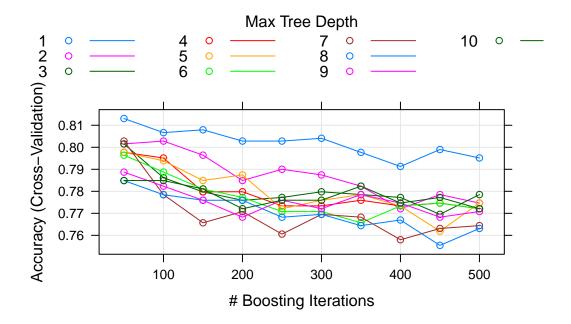
Accuracy: The accuracy value in the first confusion matrix is 0.8 (80%), while in the second confusion matrix it is stated as 0.7949 (79.49%). Although the accuracy values between the two matrices are almost the same, the accuracy value in the first matrix is slightly higher.

Sensitivity: In the first confusion matrix, the sensitivity value (also known as recall or true positive rate) is 0.9869 (98.69%), whereas in the second confusion matrix, the sensitivity value

is stated as 1.0000 (100%). In the first matrix, the ability to correctly classify class 0 is high, while in the second matrix, the accuracy of classifying class 0 correctly is at the maximum level.

The first matrix exhibits a higher performance in terms of overall accuracy, while the second matrix has a higher sensitivity in correctly classifying class 0.

#Let's use one of the tool we learned during the courses.



GBM Performance

Confusion Matrix and Statistics

 $\begin{array}{cccc} & & \text{Reference} \\ \text{Prediction} & 0 & 1 \\ & 0 & 153 & 42 \\ & 1 & 0 & 0 \end{array}$

Accuracy : 0.7846

95% CI : (0.7202, 0.8401)

No Information Rate : 0.7846 P-Value [Acc > NIR] : 0.5412

Kappa: 0

Mcnemar's Test P-Value : 2.509e-10

Sensitivity: 1.0000
Specificity: 0.0000
Pos Pred Value: 0.7846
Neg Pred Value: NaN
Prevalence: 0.7846

Detection Rate : 0.7846
Detection Prevalence : 1.0000
Balanced Accuracy : 0.5000

'Positive' Class : 0

The confusion matrix and accuracy statistic can be used to evaluate the performance of the model. However, it is observed that the model can only predict class 0 and fails to predict class 1. This suggests that the model struggles to recognize class 1 or is biased towards predicting class 0 due to data imbalance. A more detailed analysis and appropriate measures may be necessary to address these issues.