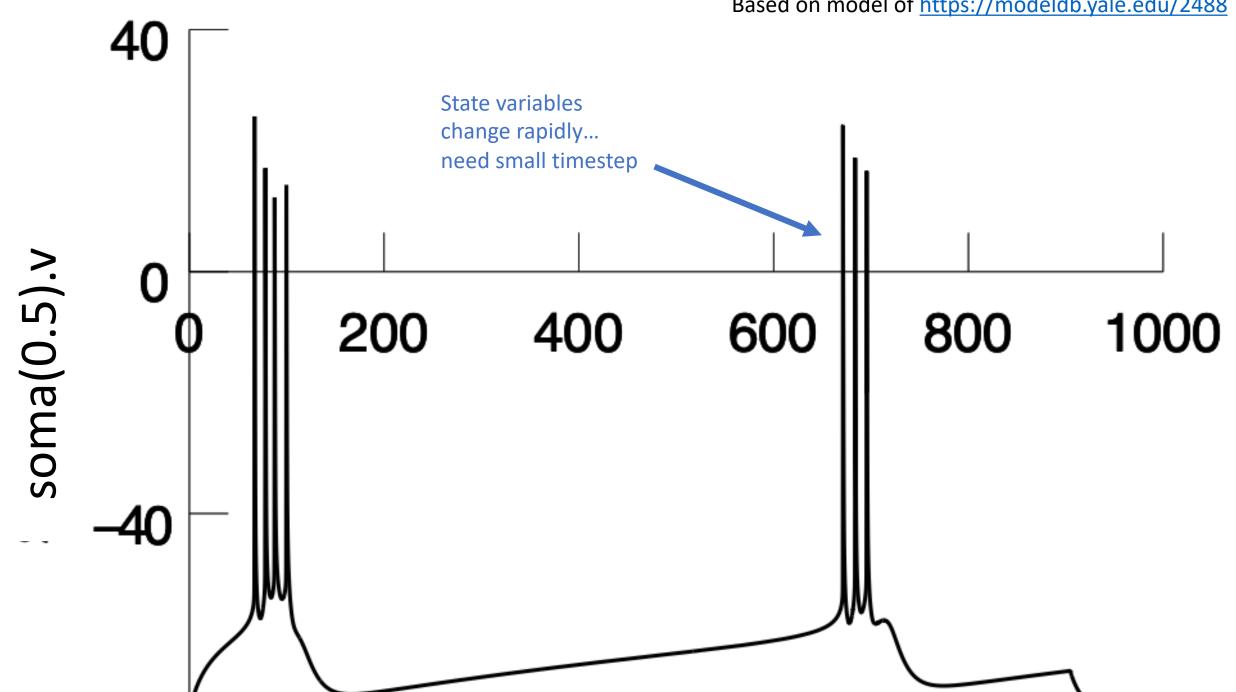
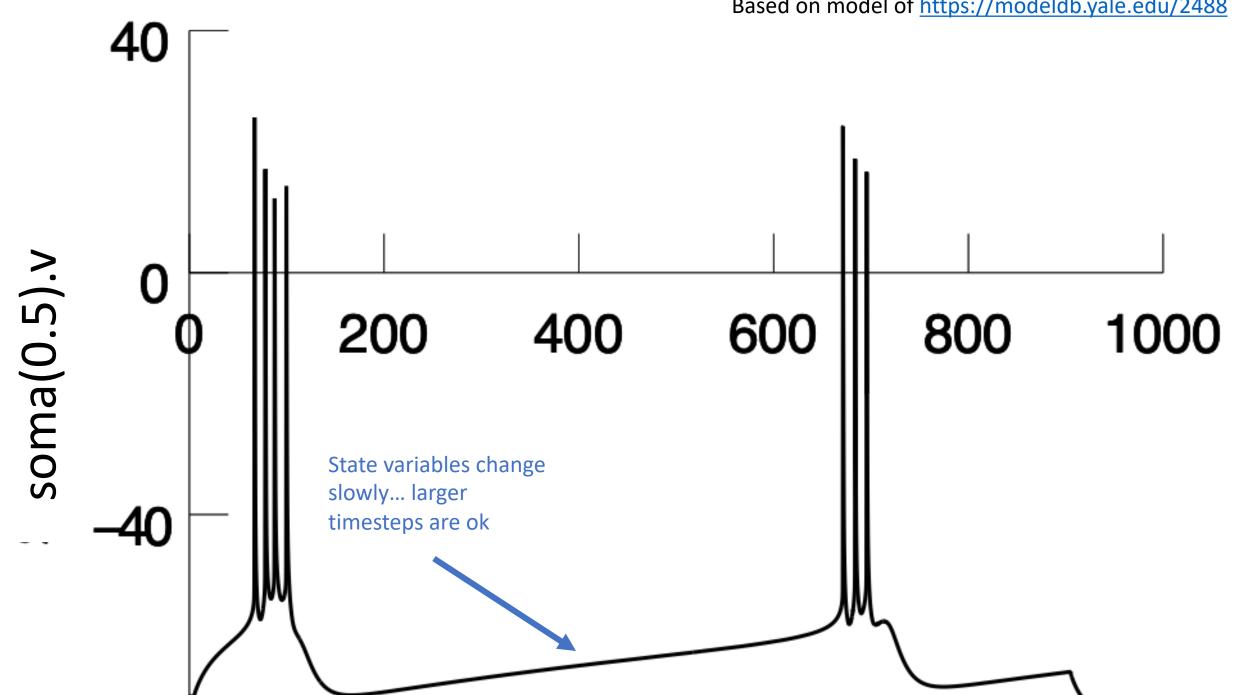
## Numerical Methods:

## Adaptive Integration





We'd like to use big timesteps when things are changing slowly, and small timesteps when things are changing quickly.

But we don't know in advance when either will happen, so what do we do?

Math!

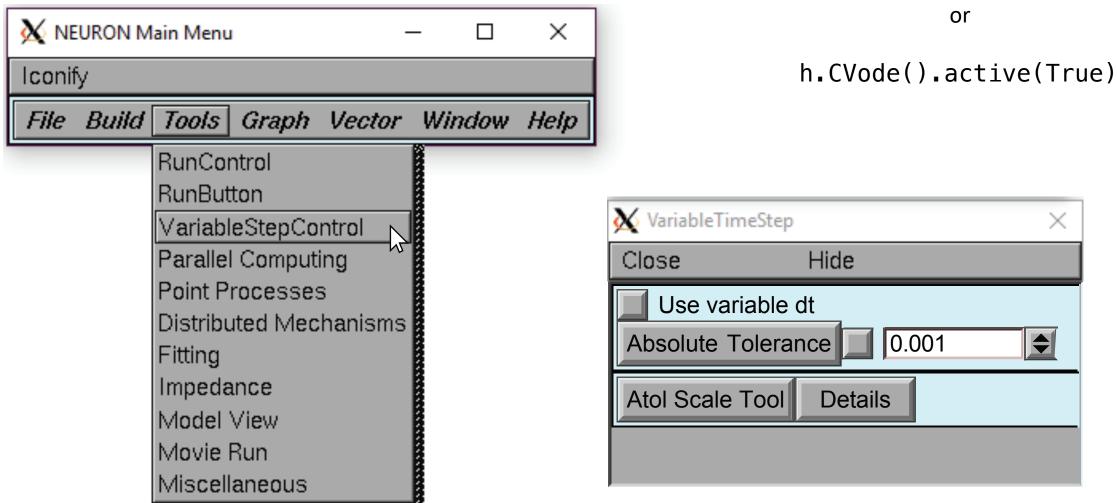
We'd like to use big timesteps when things are changing slowly, and small timesteps when things are changing quickly.

But we don't know in advance when either will happen, so what do we do?

Variable step integration

## Enabling adaptive integration

h.cvode\_active(True)

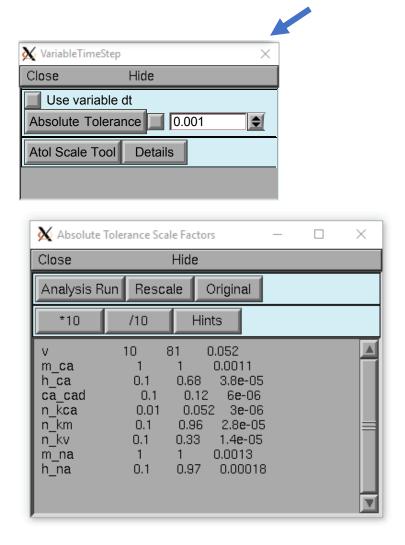


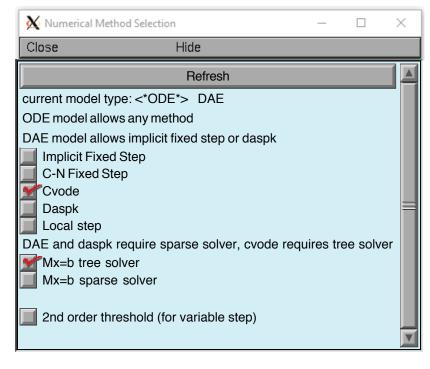
h.cvode active is defined in stdrun.hoc which is loaded automatically whenever the gui is imported.

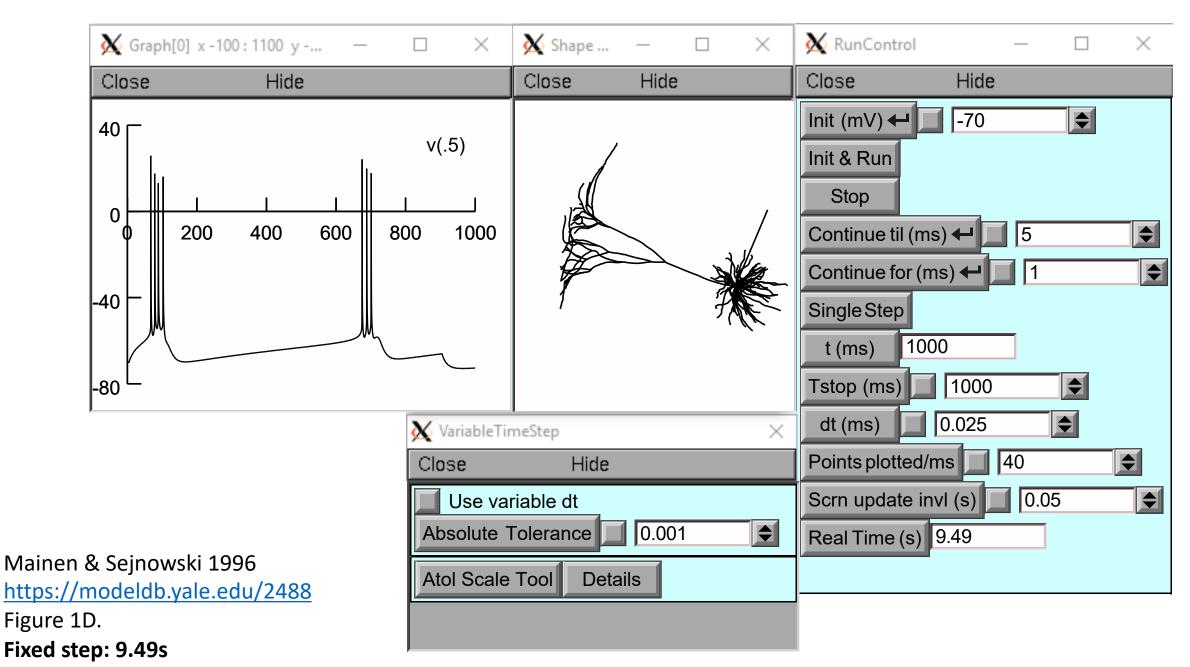
This is a composite image, not a screenshot to allow combining the window decoration and vector-based window contents.

h.CVode().atol(0.001)

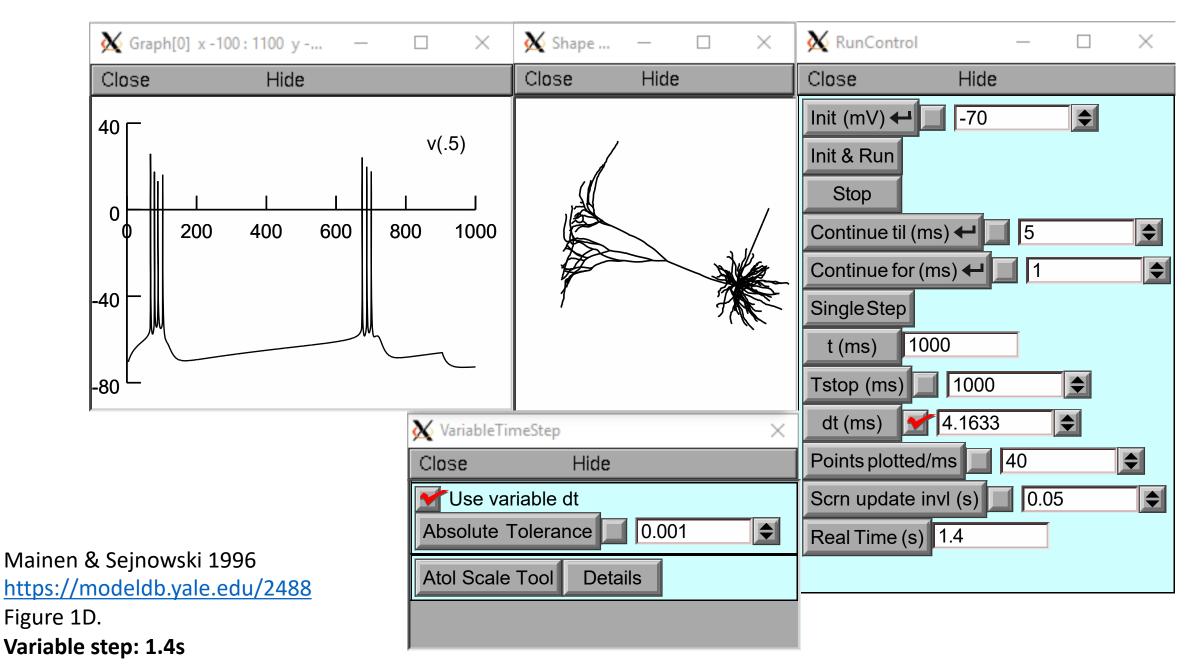
Options: per state variable tolerance, integration methods



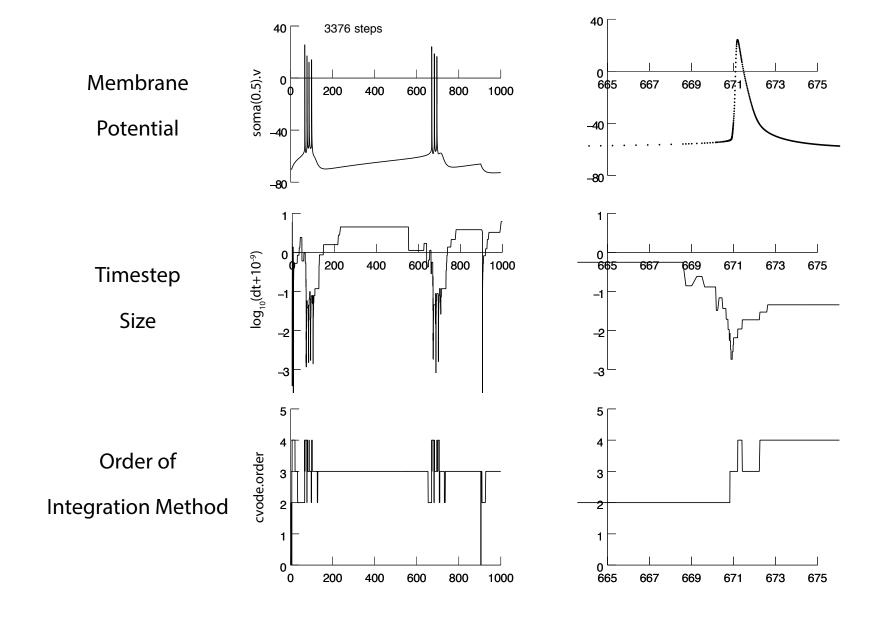




NEURON 7.5 on a 3.4 GHz i7-4770 with 24 GB RAM in WSL • composite image



NEURON 7.5 on a 3.4 GHz i7-4770 with 24 GB RAM in WSL ● composite image



## Running simulations: improving accuracy

Increase time resolution (by reducing time steps) via, e.g.

$$h.dt = 0.01 * ms$$

Enable variable step (allows error control):

Set the absolute tolerance to e.g.  $10^{-5}$ :

$$h.CVode().atol(1e-5)$$

Increase spatial resolution by e.g. a factor of 3 everywhere:

```
for sec in h.allsec(): sec.nseg *= 3
```