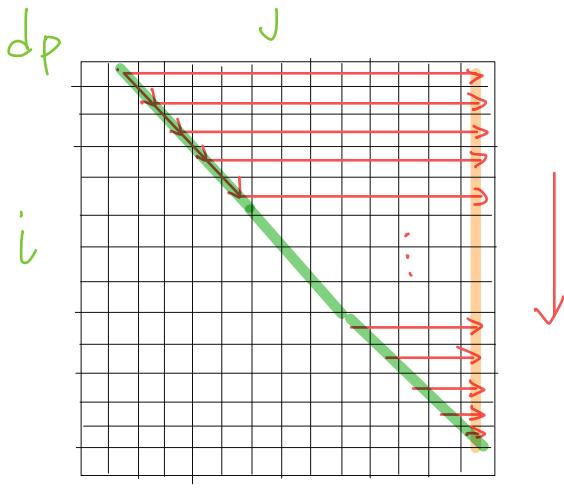
dp is symmetric, scine E(a,b) = E(b,a) 5. (W)  $d_{p}(i,j) = \begin{cases} N_{u1} \\ d_{p}(i,i) \\ E(0,i) \\ d_{p}(i,j-1) + E(j-1,j) \end{cases}$ , i = j , i >j , i=0, j=1, (+1 <) , else (i+1=j)  $\min_{0 \le k < i} (E(k,j) + dp(k,k)) + \sum_{k < l < i} E(l,l+1))$ Case 1: j-1>1 由於[+1到了每一步都要走 所以维如(i, i+) 開始往後每步算一次就好 Case 2: j-i=1

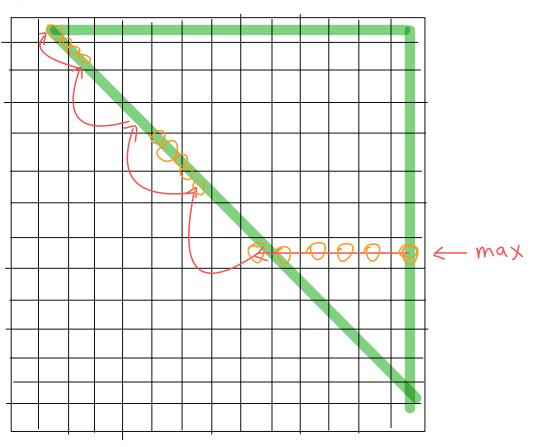
找出了的前一步 K,使得(E(j,k), i到 k+1 每步都走,加上 dp(K,K+1))最小的 K就好

(i~k+1 的 Sum 可以使用 prefix sum 的方法 i裹年次都是 O(1)) Time & Space complexity



每一層需 L 的時間找上 N-L的時間掃過整層 (i+N-i) X N層 = O(N2) for time complexity

(3) 只需要存。所量的部份,其它都不管在 後面用到 => O(N) for space complexity (3) 紀錄每次case2 找到的长 再由以下2名作,每單數的節頭把經 過的點加入Sgo (前往N的路)其色的為 過的點加入Sgo (前往N的路)其色的為



(b) (1) Let Sum\_h =  $\sum D_n$ (2) dp(i,j,h) =(Null  $dp(j,i,Sum_h-h)$  E(0,j) $dp(i,j-1,h-D_i) + E(j-1,j)$  if  $D_j < h,else^{-1}$ 

 $\begin{aligned} & dp(j,i,Sum_h-h) \\ & E(O,j) \\ & dp(i,j-1,h-D_j) + E(j-1,j) \text{ if } D_j < h, else -l \\ & min\left(E(k,j) + dp(k,k+1,h-D_j) + \sum_{k < l < i} E(l,l+1)\right) \\ & o < k < i,D_k < h \end{aligned}$ 

, *L* = j

中期在原即上每個點級點H個 個就好,Time complexity O(HN2)

Space complexity O(HN)

- 0. (1) 98141210 under no assumption 3 981120 under assumption 3
  - (2)由大到小串接(排序O(nlogn))
  - - (4) \$ 就計 mod 3=0,1,2 個數 in nums 分成3何 arr 裝

名别用counting sort 排发于

你 arri, arri 是接最小的 abs (arrii)—arrii)%3個 制下再用 counting sort 由大到小串接起来。

(5) 98653

define 
$$A \oplus b = \{ 0 \times 10^{0.5 + 0.00} + b \}$$
, else null or be null or be null or be null or be null or define. And we have the courses  $\{ (n_i, j, k) = Pi \land Pn, M_j \land Mn, at most k courses \}$ 
 $\{ (n_i, j, k) = Pi \land Pn, M_j \land Mn, at most k courses \}$ 
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K=3

K=2

		3	4	6	5	D
	Ŋ	986	986	986	985	983
-	$\bigcirc$	853	853	853	85)	830
	5	853	853	853	853	830
	8	865	865	865	853	830
	3	653	653	653	530	null

k=4

K=5

		1	ı 1	ı	ı	
		3	4	6	5	$\bigcirc$
	$\Box$	9865	9865	7865	9853	9130
	0	8653	865}	8623	8530	5130
	5	8653	8653	865]	8530	5830
•	8	8653	8653	8653	8530	null
	3	6530	67,70	6530	null	null
		3	4	6	5	
	M	98653	98653	98653	98530	95830
	$\bigcirc$	8(530	86530	86530	58530	05 830
	5	86530	86530	86530	58530	null
	8	86530	86530	86530	null	null
	3	46530	4(530	null	null	nul