Final Project: Proposal/Dataset Selection

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ALY6015: Intermediate Analytics

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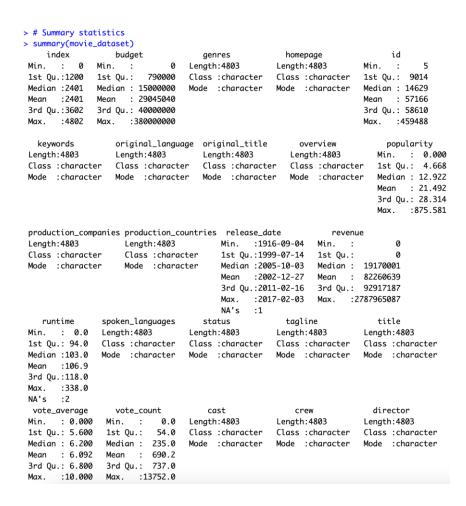
INTRODUCTION

The entertainment industry, particularly the movie sector, is characterized by the considerable financial investments and uncertainties over return on those investments. This preliminary analysis looks first at the dataset of movies to understand the relationship between the budgets and revenue. The other portion of the analysis focuses on potential correlations between movie features and its user interactions. Utilizing statistical techniques such as descriptive statistics, correlation analysis and regression modeling, we hope to derive the fundamental aspects of what makes a successful movie.

DATASET OVERVIEW

Initial exploration of the dataset revealed a dataset with a variety of movie budgets, popularity, revenue, and other characteristics. The summary statistics provided insight that the budget and revenues of movies range widely and as a result there will be that much variability within our dataset. For instance, the median budget was at \$15 million, and the median revenue was approximately at \$19.17 million. User responses to the movies in the data set also show

large ranges in variables like popularity scores and total vote counts per movie. This sort of variability underscores the need for further analysis to understand the key drivers of movie success.



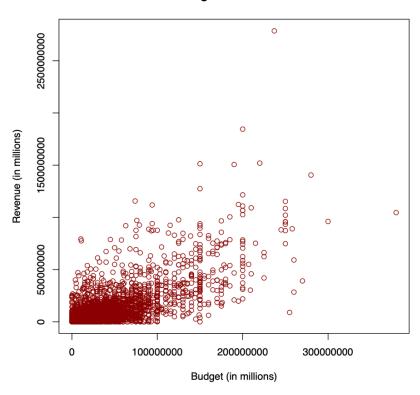
The summary statistics for the other question being studied had one small modification to allow for proper modeling. The variable 'runtime' had two observations with missing values, so these were removed for the subsequent heatmap to be executed.

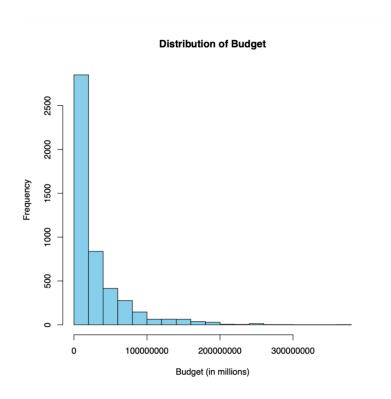
```
R 4.3.2 · C:/Users/seanm/OneDrive/Desktop/McLean_FinalProject_ALY6015/
> #Remove all observations with 'NA' in the 'runtime' variable
> movies <- movie_dataset[complete.cases(movie_dataset$runtime), ]</pre>
> #Display the modified dataset
> summary(movies)
 R 4.3.2 · C:/Users/seanm/OneDrive/Desktop/McLean_FinalProject_ALY6015/
  production_countries release_date
                                        revenue
                                                               runtime
  Length: 4801 Length: 4801
                                         Min. :0.000e+00 Min. : 0.0
  Class:character Class:character 1st Qu.:0.000e+00 1st Qu.: 94.0 Mode:character Mode:character Median:1.918e+07 Median:103.0
                                           Mean :8.229e+07
                                                               Mean :106.9
                                           3rd Qu.:9.292e+07
                                                               3rd Qu.:118.0
                                           Max. :2.788e+09 Max. :338.0
```

PRELIMINARY ANALYSIS

We started our preliminary analysis of the relationship between movie budget and revenue by examining the Pearson correlation coefficient. Visualization, through histograms and scatter plots, to understand the distribution and relationship between budgets and revenues, helped us get a feel for the data.

Budget vs. Revenue





A linear regression model was fitted to assess the relationship between budget and revenue. The regression analysis indicated a statistically significant positive association between the two variables. The positive correlation between budget and revenue indicates that higher investments in production typically result in higher returns. For each additional unit of currency spent on the budget, revenue increased by approximately 2.9227 units of currency.

```
> # Summary of the regression model
> summary(lm_model)
lm(formula = revenue ~ budget, data = movie_dataset)
Residuals:
Min 1Q Median 3Q Max
-653371282 -35365659 2250851 8486969 2097912654
Coefficients:
                Estimate Std. Error t value
                                                         Pr(>|t|)
(Intercept) -2629555.3399 1970427.0736 -1.335
                                                            0.182
                               0.0394 74.188 < 0.00000000000000000 ***
budget 2.9227
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 111200000 on 4801 degrees of freedom
Multiple R-squared: 0.5341, Adjusted R-squared: 0.534
F-statistic: 5504 on 1 and 4801 DF, p-value: < 0.00000000000000022
```

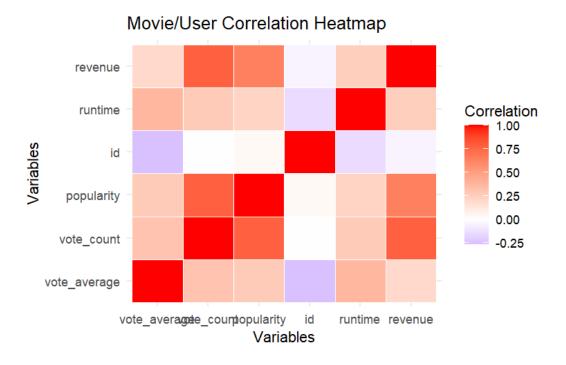
It is important to note, however, that this study naturally has its limitations, and one of them might be the inclusion of factors such as genre, release date, and marketing strategies which could have a significant influence on a movie's success.

The other question in the final project looked at the correlation between user interactions and movie features in the data set. Six numerical variables were selected for a correlation analysis that pertained to movie characteristics and user actions like voting ratings. A correlation matrix was constructed to identify any positive linear relationships among the chosen variables.

```
untime", "revenue")])
> correlation_matrix
             vote_average vote_count popularity
                                                                      runtime
                                                                                   revenue
vote_average 1.0000000 0.31342259 0.2741711 -0.26820034 0.3750457 0.19728596
vote_count
                0.3134226 1.00000000 0.7780978 -0.00320646
                                                                   0.2719442 0.78146223
               0.2741711 0.77809783 1.0000000 0.03243460 0.2255021 0.64467729 -0.2682003 -0.00320646 0.0324346 1.00000000 -0.1535360 -0.04975024
popularity
                0.3750457  0.27194420  0.2255021  -0.15353603  1.0000000  0.25109314
runtime
                0.1972860  0.78146223  0.6446773  -0.04975024  0.2510931  1.00000000
revenue
> |
```

Interpreting the matrix, there are several strong relationships with 'revenue', 'popularity' and 'vote_count' standing out among the variables. The revenue variable has a high association with the 'vote_count' and 'popularity' variables, suggesting that it affects user responses in some capacity. Another strong relationship among the matrix is the 'popularity' and'vote_count' variables which could indicate that the number of votes for a movie can have an immense effect on its popularity score. The 'id' variable could be eliminated from the mix due to having negative or indifferent correlations with all the other variables.

A heatmap is used to visualize correlation matrices and identify trends and patterns in the data. The darker shades of red reflect the strong correlations mentioned in the matrix.



To understand the relationships between two variables with strong positive linear correlations, a pair of scatterplots are built for visual representation of the interactions. To avoid the issue of over dense plotting and cluttering with a large data set, a sample was taken and split into training and testing sets to assess the performance and generalization ability of the model. The 'id' variable was eliminated from the previous dataset because of its irrelevancy toward the other variables. A linear regression model was then used to analyze the coefficients of each independent variable.

```
Call:
|m(formula = vote_count ~ ., data = training_set)
| Coefficients:
| (Intercept) vote_average | popularity | runtime | revenue |
| -5.485e+02 | 7.233e+01 | 2.421e+01 | 4.421e-01 | 2.955e-06
```

Positive coefficients indicate a positive association, and negative coefficients suggest a negative association, and the magnitude of the coefficients indicates the strength of the effect.

All four variables show a positive correlation to the vote counts of the movies in the data set. A

k-fold cross validation is then conducted to assess how well the model will popularize to an independent data set.

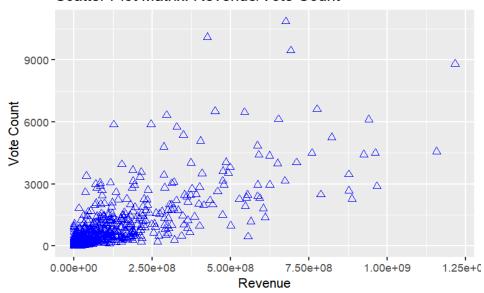
```
Call:
lm(formula = .outcome \sim ., data = dat)
Residuals:
   Min
          1Q Median
                        3Q
                                 Max
-5923.5 -175.9 -36.2
                        75.1 7152.6
Coefficients:
             Estimate Std. Error t value Pr(>|t|)
(Intercept) -5.485e+02 5.533e+01 -9.912 <2e-16 ***
                                         <2e-16 ***
vote_average 7.233e+01 8.372e+00 8.640
popularity 2.421e+01 4.487e-01 53.955
                                         <2e-16 ***
runtime
           4.421e-01 4.416e-01 1.001
                                          0.317
            2.955e-06 7.689e-08 38.431
                                          <2e-16 ***
revenue
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 559.4 on 3837 degrees of freedom
Multiple R-squared: 0.798, Adjusted R-squared: 0.7978
F-statistic: 3790 on 4 and 3837 DF, p-value: < 2.2e-16
```

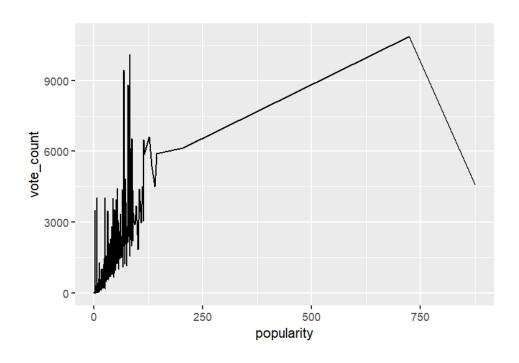
An analysis of the summary shows that the 'runtime variable' has a higher p-value (0.317), suggesting that it may not be a statistically significant predictor in the model. The F-statistic that shows the overall significance of the model is large, and the associated p-value is very small (< 2.2e-16), indicating that the overall model is statistically significant. Overall, the model is well-fitted with statistically significant predictors.

The models of the samples conducted are plotted to show the relationships between the response variable 'vote_count' and the independent variables 'revenue' and 'popularity' which showed the strongest correlations in the correlation matrix. Most of the observations in the scatterplot are under 3000 votes and \$250 million in revenue. The outliers in the plot are heading in a positive direction, indicating that the higher the revenue for a movie, the higher the vote count for that movie. The analysis of the line plot between the variables 'vote counts' and

'popularity' is similar with the popularity score being high when the vote count for the movie is also high. The few outliers in the plot also demonstrate the same patterns.

Scatter Plot Matrix: Revenue/Vote Count

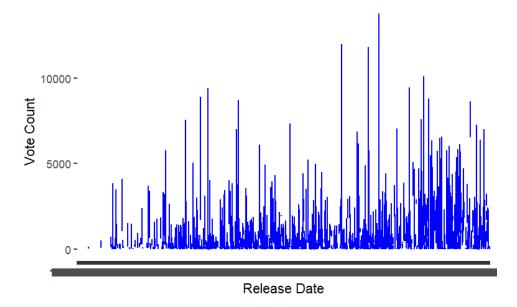




Additional categorical variables that were explored using Analysis of Variance (ANOVA) testing were release dates and whether there were significant differences between them. To again alleviate the concern of over dense plotting and cluttering with the data set, a sample was taken and split into training and testing sets to assess the performance and generalization ability of the model.

Examining the ANOVA model, the p-value is very small (2.2e-12), suggesting that there is a significant association between 'release_date' and the response variable. The table also suggests that the variable 'release_date' is statistically significant in explaining the variability in the voting count totals. The line plot is created to show this relationship and the analysis shows that movies released more recently have slightly higher voting counts than older movies. The top movies by vote count are all more recent, but because of the plot not showing a strong association might mean this will need to be evaluated more to see if this relationship is strong despite the low p-value in the ANOVA model.

Vote Count Per Release Date



For the final submission, we will expand our investigation by including additional variables, such as genre, release date, and marketing expenditure. These will enable us to build out our regression model and account more fully for multiple factors that influence a movie's revenue. Furthermore, an in-depth analysis would include the chi-square test, ANOVA, and other advanced statistical methodologies, which will allow us to gain insights into relationships present within the dataset.

CONCLUSION

Our preliminary analysis from the first question indicates that budget plays a significant role in determining movie revenue. While it's true that higher investments are generally aimed at higher returns, there are several other success factors for filmmakers and industry stakeholders to consider. The correlations involving movie and user relationships show mainly positive associations, with certain aspects of movies like revenue and vote counts having an impact on its

popularity and vote average. By conducting further analysis and utilizing more advanced statistical techniques, we can identify actionable insights that can help decision-making in the dynamic and hyper-competitive movie business.

REFERENCES

Bluman, A. (2018). Elementary statistics: A step by step approach (10th ed.). McGraw Hill.

Kabacoff, R. I. (2022). R in action: Data analysis and graphics with R and tidyverse (3rd ed.).

Manning Publications.

Northeastern University – Canvas – (Panopto) videos by Prof. Thomas Goulding

APPENDIX

#Question 1: Correlation between Movie Budget and Popularity

Load necessary libraries

library(readr)

library(ggplot2)

Load the dataset

movie_dataset <- read_csv("/Users/m.joubert/Documents/Final Project: Initial Analysis

Report - Joubert/movie_dataset.csv")

Explore the structure of the dataset

str(movie_dataset)

```
#Summary statistics
       summary(movie_dataset)
       # Histogram of budget
       hist(movie_dataset$budget, breaks = 20, col = "skyblue", main = "Distribution of
Budget", xlab = "Budget (in millions)")
       # Scatter plot of budget vs. revenue
       plot(movie_dataset$budget, movie_dataset$revenue,
          main = "Budget vs. Revenue",
          xlab = "Budget (in millions)",
          ylab = "Revenue (in millions)",
          col = "darkred")
       # Fit linear regression model
       lm_model <- lm(revenue ~ budget, data = movie_dataset)</pre>
       # Summary of the regression model
       summary(lm_model)
       #Question: Correlation between user interactions and movie features
       #Loading necessary libraries
       library(readr)
```

```
library(dplyr)
       library(ggplot2)
       library(caret)
        #Importing the dataset
       movie_dataset <- read.csv("movie_dataset.csv", header = TRUE)</pre>
       movie_dataset
        #Summary statistics of the dataset
       summary(movie_dataset)
       View(movie_dataset)
        #Remove all observations with 'NA' in the 'runtime' variable
       dataset <- movie_dataset[complete.cases(movie_dataset$runtime), ]</pre>
        #Display the modified dataset
       summary(dataset)
        #Perform correlation analysis
       correlation_matrix <- cor(dataset[c("vote_average", "vote_count", "popularity", "id",</pre>
"runtime", "revenue")])
       correlation_matrix
        # Reshape the correlation matrix to long format for heatmap
       library(tidyr)
```

```
cor_long <- as.data.frame(as.table(correlation_matrix))</pre>
       names(cor_long) <- c("Var1", "Var2", "Correlation")</pre>
        # Create a heatmap using ggplot2
       heatmap_plot \leftarrow ggplot(data = cor_long, aes(x = Var1, y = Var2)) +
        geom_tile(aes(fill = Correlation), color = "white") +
        scale_fill_gradient2(low = "blue", high = "red", mid = "white", midpoint = 0) + # Adjust
color scale
        labs(title = "Movie/User Correlation Heatmap",
           x = "Variables",
            y = "Variables") +
        theme_minimal()
       print(heatmap_plot)
        #Create a new variable from dataset for sampling
       movies <- dataset %>%
        select(vote_average, vote_count, popularity, runtime, revenue)
       summary(movies)
        # Split the dataset into training and testing sets
       set.seed(456)
       trainIndex < -createDataPartition(movies$vote count, p = 0.8, list = FALSE)
```

```
training_set <- movies[trainIndex, ]</pre>
testing_set <- movies[-trainIndex, ]
# Create a linear regression model
model <- lm(vote_count ~ ., data = training_set)
model
# Make predictions on the test set
predictions <- predict(model, newdata = testing_set)</pre>
# Evaluate the model
rmse <- sqrt(mean((predictions - testing_set[["vote_count"]])^2))
print(paste("Root Mean Squared Error:", rmse))
# Perform k-fold cross-validation
ctrl <- trainControl(method = "cv", number = 10)
cv_model <- train(vote_count ~ ., data = training_set, method = "lm", trControl = ctrl)
# Print cross-validation results
print(cv_model)
# Access the mean performance metrics across folds
summary(cv_model)
#Individual Scatter Plots Showing Relationship Between Vote Count and Revenue.
scatter_plot_matrix <- ggplot(testing_set, aes(x = revenue, y = vote_count)) +</pre>
```

```
geom_point(shape = 2, color = "blue", size = 2) +
 labs(title = "Scatter Plot Matrix: Revenue/Vote Count",
    x = "Revenue",
    y = "Vote Count")
scatter_plot_matrix
#Individual Line Plots Showing Relationship Between Vote Count and Popularity.
ggplot(testing_set, aes(x = popularity, y = vote_count)) +
 geom_line()
#Perform ANOVA testing
#Create a new variable from dataset for testing
anovas <- dataset %>%
 select(vote_count, release_date)
summary(anovas)
#Split dataset into a training set and a test set.
set.seed(123)
index <- createDataPartition(anovas$release_date, p = 0.8, list = FALSE)
train_data <- anovas[index, ]
test_data <- anovas[-index, ]
#Create ANOVA model
```