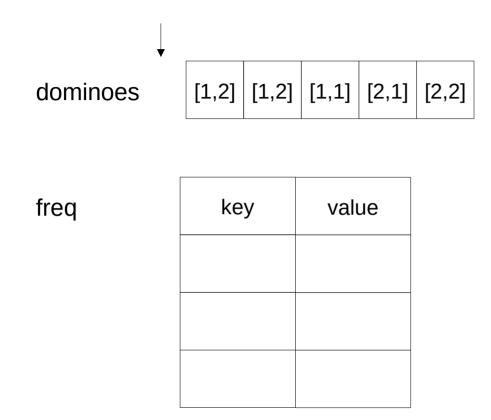
LeetCode #1128

Number of Equivalent Domino Pairs

Hash Table counting

To count the number of pairs (I, j) for which $0 \le i \le j \le dominoes.length, and dominoes[i] is equivalent to dominoes[j], we can use a hash table to track the occurrences of each value. Then we accumulate the result by iterating through the values in the hash table and applying the formula pairs = <math>n * (n-1) / 2$, where n is the frequency of each element.



We need to avoid duplicating the same values, so a more concise way to achieve that is by sorting the values. Since there are only two elements, it can be done quickly. Alternatively, we could use an if/else branch.

freq

key	value
(1, 2)	1

freq[sort(dominoes[i])] += 1
freq[(1,2)] = 1

freq

key	value
(1, 2)	2

freq[sort(dominoes[i])] += 1
freq[(1,2)] = 2



[1,2]	[1,2]	[1,1]	[2,1]	[2,2]

freq

key	value
(1, 2)	2
(1, 1)	1

freq[sort(dominoes[i])] += 1
freq[(1,1)] = 1

dominoes

freq

key	value
(1, 2)	3
(1, 1)	1

freq[sort(dominoes[i])] += 1
freq[(1,2)] = 3

dominoes

[1,2]	[1,2]	[1,1]	[2,1]	[2,2]

freq

key	value
(1, 2)	3
(1, 1)	1
(2, 2)	1

freq[sort(dominoes[i])] += 1
freq[(2,2)] = 1

freq.values() 3 1 1

res = 0

Then we iterate through freq.values() and accumulate the result by using the formula pairs = n * (n-1) / 2, where n is the i-th element of freq.values()

$$res = 3$$

res = res + freq.values()[i] * (freq.values()[i]-1) / 2
Res =
$$0 + 3 * (3-1) / 2 = 0 + 3 * 2 / 2 = 0 + 6 / 2 = 0 + 3 = 3$$

$$res = 3$$

res = res + freq.values()[i] * (freq.values()[i]-1) / 2 res =
$$3 + 1 * (1-1) / 2 = 3 + 1 * 0 / 2 = 3 + 0 / 2 = 3$$

$$res = 3$$

res = res + freq.values()[i] * (freq.values()[i]-1) / 2 res =
$$3 + 1 * (1-1) / 2 = 3 + 1 * 0 / 2 = 3 + 0 / 2 = 3$$