

## WF4133-Fisheries Science

Lecture 5-Length-Weight Continued,  
Growth & Population Dynamics

## Housekeeping

- MS Position-Peacock bass



## This class

### Objective(s):

1. Continue size structure and condition
2. Understanding growth & population dynamics!



## Fisheries icon: Bill Ricker



**ENSHRINED 1993**  
DR. WILLIAM E. RICKER

Dr. Ricker developed many fish population systems and published, "Methods of Estimating Vital Statistics of Fish Populations," in 1948. In 1958, he published a more extensive text which is still used by field biologists and in the classroom today.

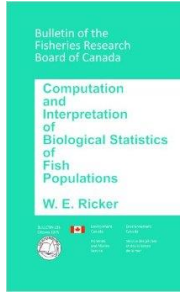
## Dr. W.E. Ricker

- Started out as an entomologist-stoneflies
- Published over 400 items!
- 1950 Ricker became editor of the *Journal of the Fisheries Research Board*

## Scientific contributions

- The Ricker Model
  - Relates stock size to recruitment

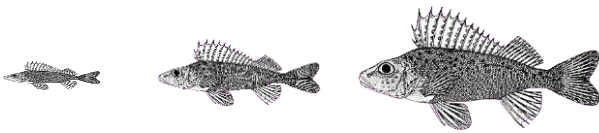
$$a_{t+1} = a_t \cdot e^{r \cdot (1 - \frac{a_t}{k})}$$



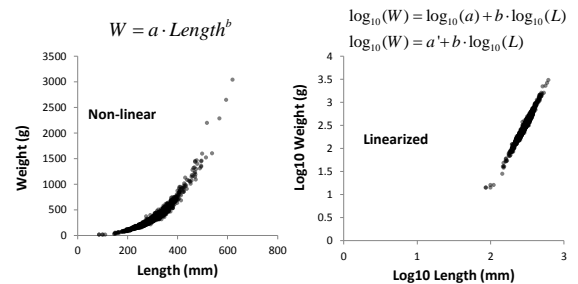
## Allometric scaling

- if  $b > 3$  then fish gets more plump with time

$$W = a \cdot L^{b > 3}$$



## Estimating weight from length



## Straightening the curve

Law of logarithms

$$W = a \cdot L^b$$

$$\log_{10}(W) = \log_{10}(a \cdot L^b)$$

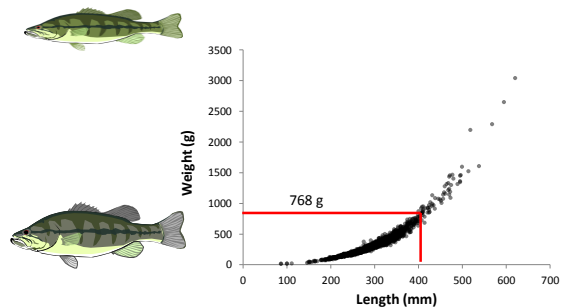
$$\log_{10}(W) = \log_{10}(a) + b \cdot \log_{10}(L)$$

$$\log_{10}(W) = a' + b \cdot \log_{10}(L)$$

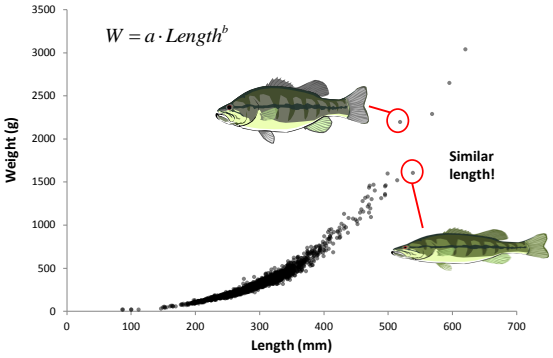
$$a' = \log_{10}(a)$$

$$10^{a'} = a$$

## Length-weight data



Condition



Relative weight ( $W_r$ ): a measure of condition

$$W_r = \frac{\text{Weight}}{\text{Weight}_{\text{standard}}} \cdot 100$$

Where,  
Weight = actual weight  
 $\text{Weight}_{\text{standard}}$  = length-specific standard weight predicted by a length-weight regression constructed to represent the species (75<sup>th</sup> percentile)

$$\text{Log}_{10}(\text{Weight}_{\text{standard}}) = a' + b \cdot \text{log}_{10}(\text{Length})$$

Where,  
 $a'$  = intercept  
 $b$  = slope



Standard Weight

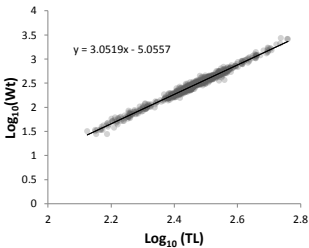
Standard weight equations are fit in several ways, but generally speaking, you use linear regression on weight-length data from the species range.

$$W = a \cdot \text{Length}^b$$

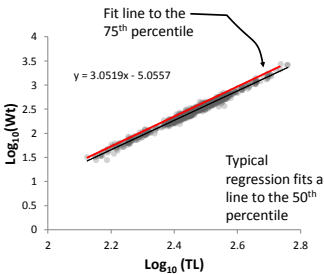
However, we regress through the 75<sup>th</sup> percentile to get an equation that represents the healthiest fish. The equation above can be linearized:

$$\text{Log}_{10}(\text{Weight}_{\text{standard}}) = a' + b \cdot \text{log}_{10}(\text{Length})$$

Fitting Standard Weight



Fitting Standard Weight



### Standard Weights

- Predicted as the 75<sup>th</sup> percentile of mean weights from many populations given observed length
- Largemouth Bass  $W_s$  equation

$$W_s = 10^{-5.528} \cdot L^{3.273}$$



### Relative Weights ( $W_r$ )

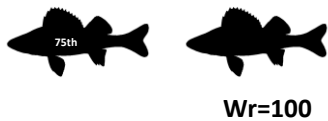
- Generally accepted method of computing body condition
  - More accepted in N.A. than in Europe
- Computed as

$$W_r = \frac{W}{W_s} \cdot 100$$

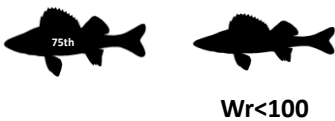
Where  $W$  is the length and  $W_s$  is the standard weight

### $W_r$ Interpretation

- Thus,  $W_r=100$  if fish is at 75<sup>th</sup> percentile of mean weights for many stocks



- If  $W_r < 100$  then a fish is less “plump” than an average fish of the same length from 75% of stocks.



### Intercept ( $a'$ ) and slope ( $b$ ) parameters

Species	Intercept ( $a'$ )	Slope ( $b$ )	Minimum TL	Source
Largemouth bass	-5.528	3.273	150	Henson (1991)
Bluegill	-5.374	3.316	80	Hillman (1982)
Redear sunfish	-4.968	3.119	70	Pope et al. (1995)
Channel catfish	-5.800	3.294	70	Brown et al. (1995)
White bass x striped bass	-5.201	3.139	115	Brown and Murphy (1991)
Black crappie	-5.618	3.345	100	Neumann and Murphy (1991)
White crappie	-5.642	3.332	100	Neumann and Murphy (1991)

### Example:

A largemouth bass is caught by electrofishing the is 356 mm and 632 g.

- Henson (1990) determined  $a' = -5.528$  and  $b = 3.273$  for largemouth bass.

$$W_r = \frac{W}{W_s} \cdot 100$$

$$W_r = \frac{632}{10^{-5.528} \cdot 356^{3.273}} \cdot 100$$

$$W_r = \frac{632}{665} \cdot 100$$

$$W_r = 95$$

Interpretation

- If the mean  $W_r < 100$  then fish in stock are less plump, on average,
- Relative to an fish from the 75<sup>th</sup> percentile
  - less plump than an “above average” standard.
  - should not be surprised to see values  $< 100$

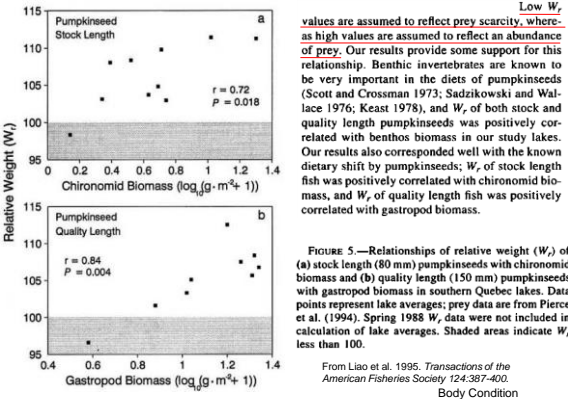
Some uses

- $W_r$  values are well below 100 for an individual or a size-group, problems may exist in food or feeding conditions
- $W_r$  values are well above 100, fish may not be making the best use of a surplus of prey.

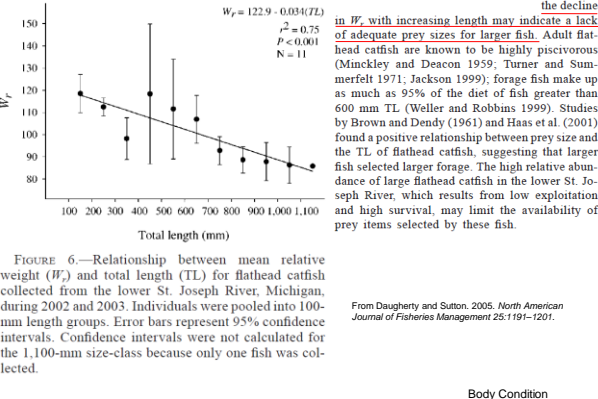
Trends and patterns?

- Can be evaluated by plotting individual  $W_r$  values by fish length or mean  $W_r$  values for length-groups
- Calculation of mean  $W_r$  for an entire sample can mask important length-related trends in fish condition
- The length-groups defined by the five-cell PSD model provide a convenient basis for determination of  $W_r$  values.
- Low  $W_r$  for a length-group could be evidence of competition influencing growth.

Wr Interpretation -- Example



Wr Interpretation -- Example



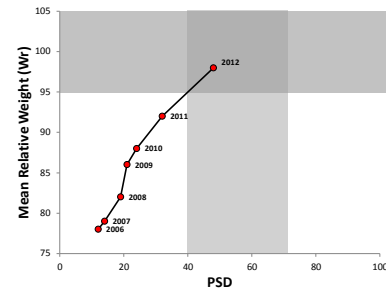
Factors affecting condition data

- Not a good idea to combine condition data from different seasons.
- Mature and immature fish are best analyzed separately.
- May need to analyze male and female fish separately.

### Factors affecting condition data

- Target  $W_r$  may need to be adjusted for region.
- Genetic differences may play a role.
- $W_r$  provides a means for comparison and standardization across habitats.

### Integration of size structure and $W_r$



### Rules of thumb

- Five fish per length interval (e.g., 1 cm)
- Measure more fish if males and females have different weight–length relationships
- Do not include small fish in weight–length analyses if weights are inaccurate or precision is low.

### GROWTH

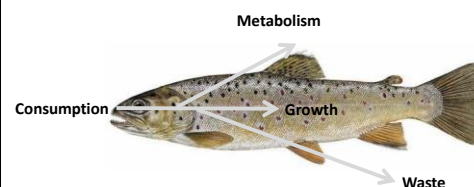
### What is growth?

- Addition of mass in the form of new tissue
- Assimilation of prey items
- Measured as a rate with units:

$$\frac{\text{Weight}}{\text{Time}} \quad \text{Or} \quad \text{Weight}^{-\text{Time}}$$

### The energy budget:

Writing the simplest form of the energy budget:  
 $\text{Consumption} = \text{Metabolism} + \text{Waste} + \text{Growth}$





## Measuring individual growth

Instantaneous growth

$$G = \frac{\log_e \text{weight}_{t+dt} - \log_e \text{weight}_t}{dt}$$

Where

$G$  is growth in weight time<sup>-1</sup>

$\text{Weight}$  is weight

$dt$  is change in time

## Why all the logs?



X-axis:

## Growth process



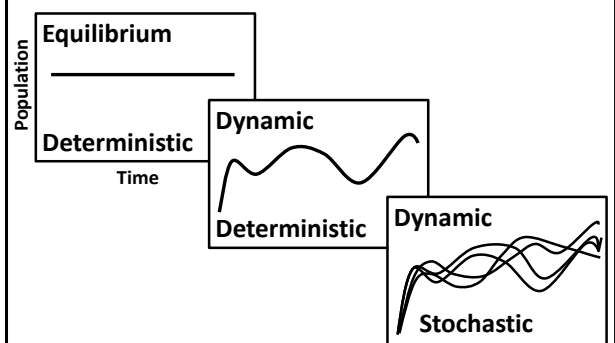
Population dynamics are important to understand the effect of fishing on fish populations.

## POPULATION DYNAMICS

## Population dynamics

- What are population dynamics?
- Suppose in 2005 we have a pond with 10 Largemouth bass in it.

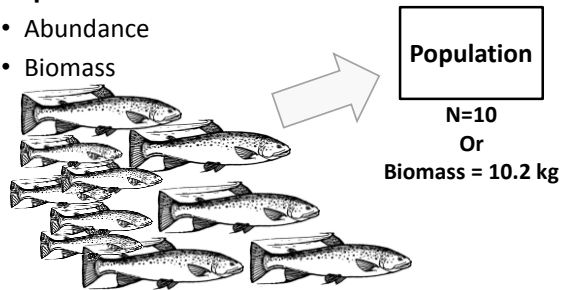
## Population model types



Thinking *inside* the box

Population

- Abundance
- Biomass



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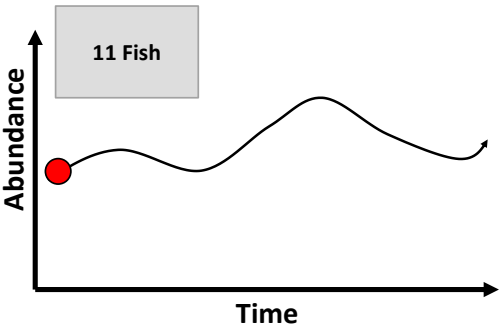
Thinking *outside* the box

Population dynamics in a nutshell:

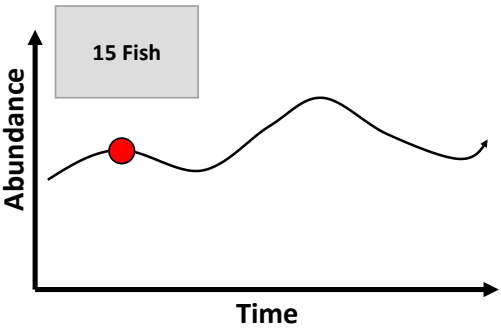


$$[\text{Population change}] = [\text{Inputs}] - [\text{Outputs}]$$

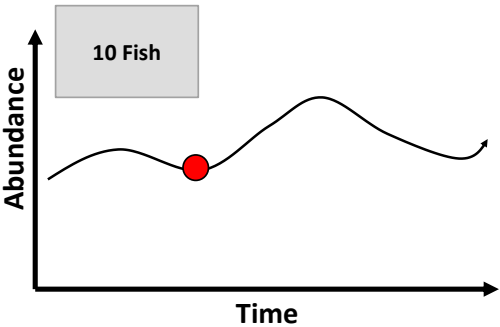
2014



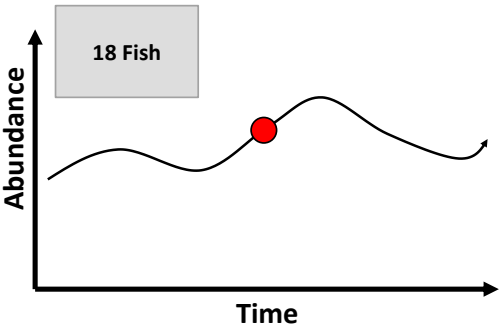
2015



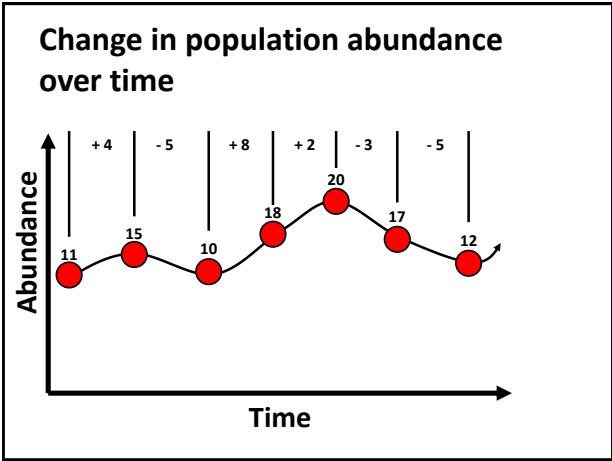
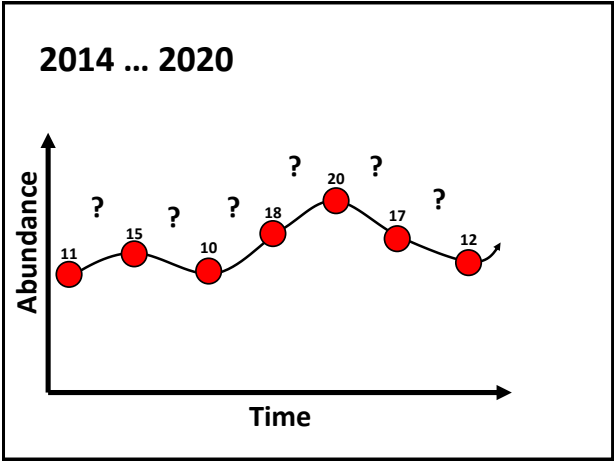
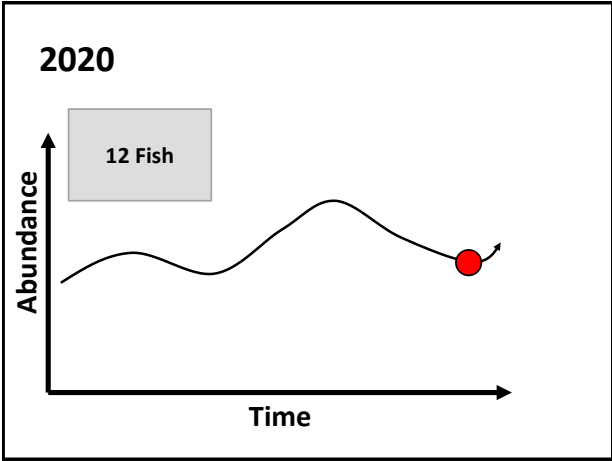
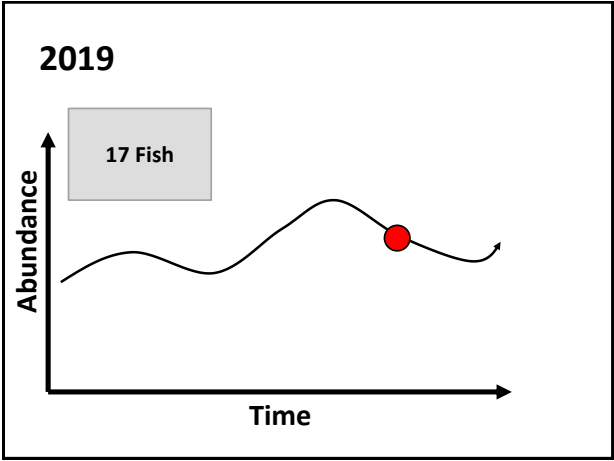
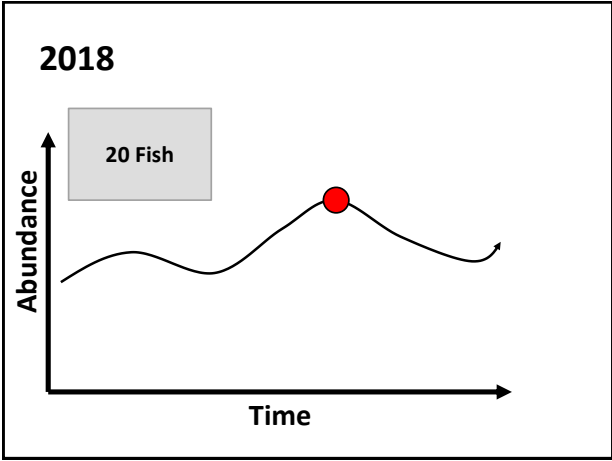
2016



2017







Year	Abundance	Abundance <sub>year</sub> - Abundance <sub>year-1</sub>
2014	11	? = 11 - ?
2015	15	4 = 15 - 11
2016	10	-5 = 10 - 15
2017	18	8 = 18 - 10
2018	20	2 = 20 - 18
2019	17	-3 = 17 - 20
2020	12	-5 = 12 - 17

Population dynamics is...

The change in the population state (abundance, biomass) over time!

$$\frac{dAbundance}{dt} = Abundance_{year+1} - Abundance_{year}$$

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Population changes (gains & losses)

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2014	11	? = 11 - ?
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Thinking *inside & outside* the box

