

## WF4313/6613-Fisheries Management

Class 6— Biomass dynamics,  
Mismanagement, & Age Structure

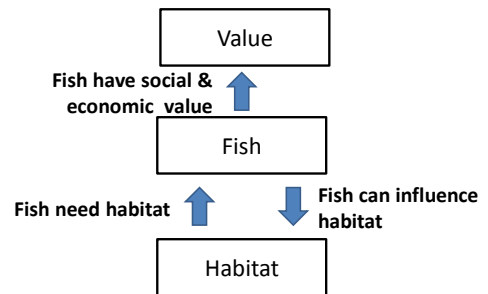
## Announcements



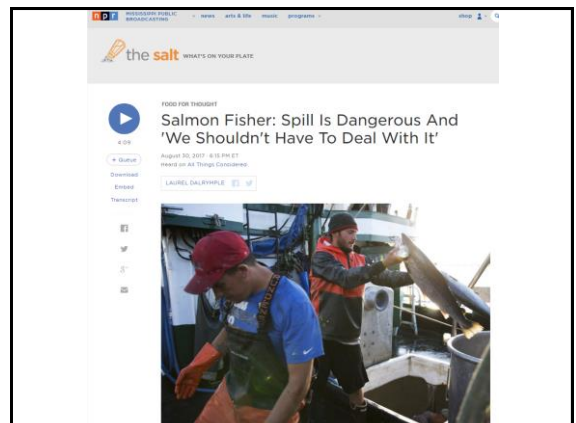
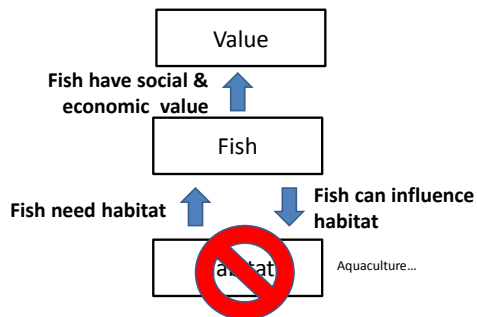
## In the news



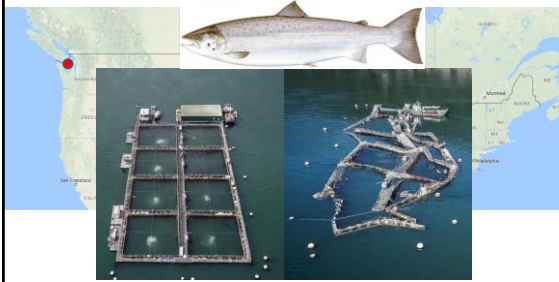
### A fishery



### A fishery



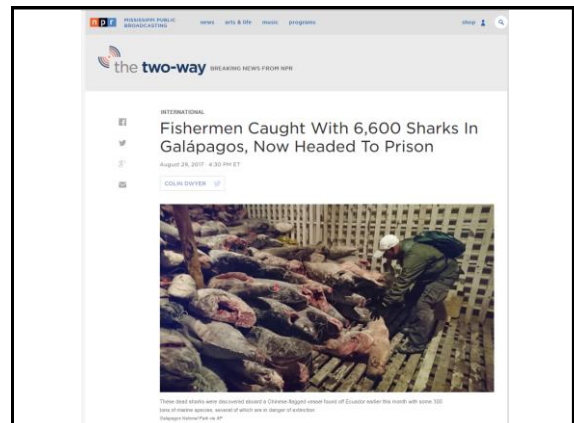
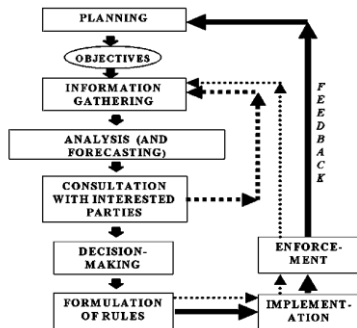
## What's the big deal?



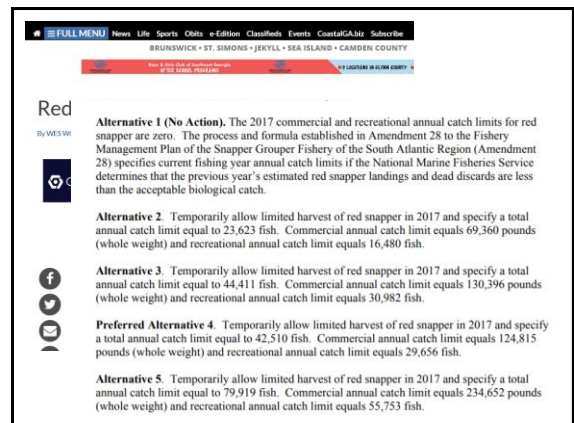
## What's the big deal?



## Fisheries Management Conceptually



## Fisheries Management Councils

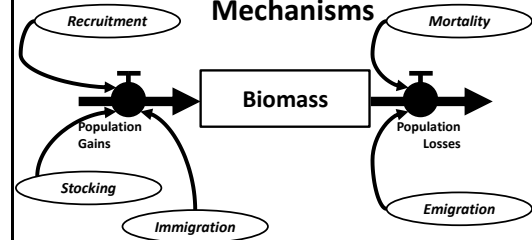


## Class Topics

Analysis and forecasting

1. Population dynamics
2. Mismanagement
3. Age structure

## Fish dynamics: States, Processes, & Mechanisms

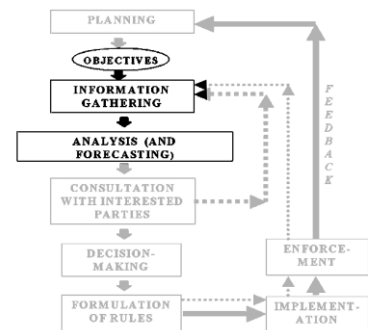


$$\frac{d\text{Abundance}}{dt} = (\text{recruitment} + \text{stocking} + \text{immigration}) - (\text{mortality} + \text{emigration})$$

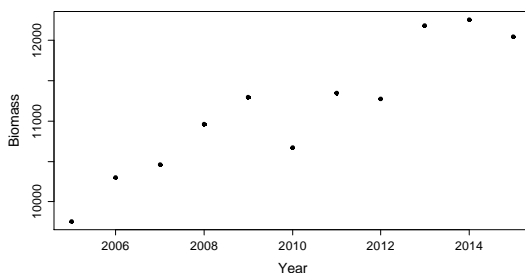
WFA 4313/6613

Why do we talk about biomass all the time?

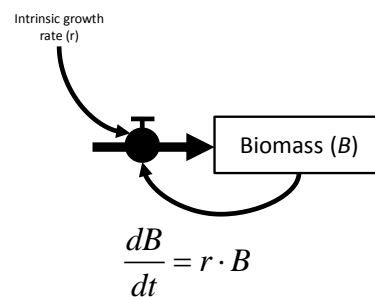
## Fisheries Management Conceptually



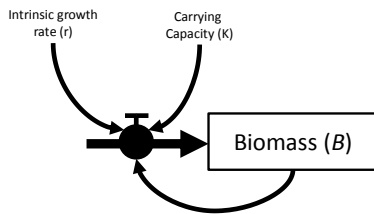
## Some biomass dynamics



## Exponential population model

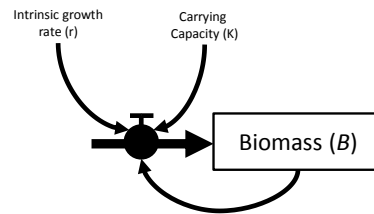


### Graham-Schaefer model



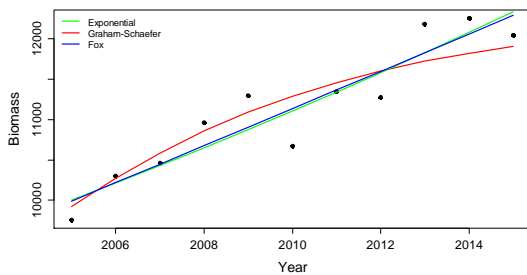
$$\frac{dB}{dt} = r \cdot B \cdot \frac{K - B}{K}$$

### Fox model



$$\frac{dB}{dt} = r \cdot B \cdot \left( 1 - \log_e \frac{B}{K} \right)$$

### Fitting models to the data...



### Management:

$$\frac{dB}{dt} = r \cdot B - F \cdot B$$

$$\frac{dB}{dt} = r \cdot B \cdot \frac{K - B}{K} - F \cdot B$$

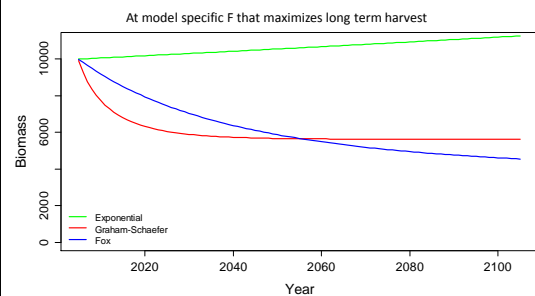
$$\frac{dB}{dt} = r \cdot B \cdot \left( 1 - \log_e \frac{B}{K} \right) - F \cdot B$$

### What is the best $F$ ?

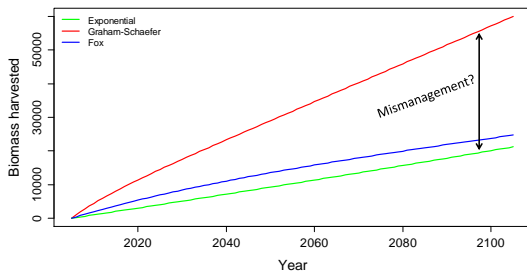
- Maximizes long term harvest
- Use fitted models to forecast
- Evaluate  $F$  for 0 to 0.5 by values of 0.02

	$F$	gs	exp	fox
[1,]	0.00	0.00	0.00	0.00
[2,]	0.02	21779.79	23244.10	21646.35
[3,]	0.04	38577.48	18080.53	24713.71
[4,]	0.06	50464.39	15164.34	22688.42
[5,]	0.08	57546.80	13571.16	19928.11
[6,]	0.10	59994.16	12685.12	17609.71
[7,]	0.12	58101.77	12144.02	15893.78
[8,]	0.14	52437.50	11783.38	14672.49
[9,]	0.16	44146.05	11526.45	13805.45
[10,]	0.18	35243.40	11334.22	13180.18
[11,]	0.20	27959.85	11184.99	12718.09
[12,]	0.22	23121.18	11065.78	12367.03
[13,]	0.24	20132.50	10968.37	12092.99
[14,]	0.26	18218.05	10887.27	11873.68
[15,]	0.28	16903.07	10818.70	11694.29

### Forecasted biomass dynamics



## Forecasted biomass harvested



## Key point

- The optimal management decision depended on the model, was not the same!
- Structural uncertainty: we do not know with certainty the model governing biomass dynamics
- Working off of one model, mathematical or in your head, can lead to mismanagement!



## Commercial versus Recreational

Value: Biomass

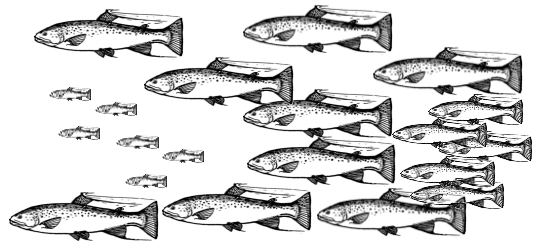


Value: Size



## A Population

Unstructured or structured?



$$Biomass = \sum Abundance \cdot Weight$$

Or

$$Biomass = \sum Abundance_{age} \cdot Weight_{age}$$

Biomass is a function of number of fish and the size of those fish which varies by age

## Thinking in terms of fish year class

$$\frac{dN}{dt} = -Z \cdot N$$

Where,  
 $N_{t+dt}$  = number alive at time  $t$   
 $N_t$  = number alive at time  $t$   
 $Z$  = instantaneous total mortality rate  
 $dt$  = time units

$$\frac{N_{t+dt} - N_t}{dt} = -Z \cdot N_t$$

$$N_{t+dt} - N_t = -Z \cdot N_t \cdot dt$$

$$N_{t+dt} = N_t + (-Z \cdot N_t \cdot dt)$$

## Mortality types

Total Mortality ( $Z$ ) is comprised of:

- Natural ( $M$ )
  1. Predation
  2. Disease, contaminants, toxicants
  3. Senescence
- Fishing ( $F$ )

Total mortality ( $Z$ ) is  $M+F$

Source: <https://www.st.nmfs.noaa.gov/st4/documents/FishGlossary.pdf>

## Cohort: definition

1. In a stock, a group of fish generated during the same spawning season and born during the same time period;
2. In cold and temperate areas, where fish are long-lived, a cohort corresponds usually to fish born during the same year (a year class). For instance, the 1987 cohort would refer to fish that are age 0 in 1987, age 1 in 1988, and so on. In the tropics, where fish tend to be short lived, cohorts may refer to shorter time intervals (e.g. spring cohort, autumn cohort, monthly cohorts).

Source: <https://www.st.nmfs.noaa.gov/st4/documents/FishGlossary.pdf>

## Year Class: definition

Fish in a stock born in the same year. For example, the 1987 year class of cod includes all cod born in 1987. This year class would be age 1 in 1988, age 2 in 1989, and so on. Occasionally, a stock produces a very small or very large year class that can be pivotal in determining stock abundance in later years.

Source: <https://www.st.nmfs.noaa.gov/st4/documents/FishGlossary.pdf>

## Year class dynamics

$$Z = 0.25$$

$$A = 1 - e^{-Z}$$

$$A = 1 - e^{-0.25}$$

$$A = 0.22$$

Longevity ~  
10 years

Year	Abundance
2015	10000
2016	
2017	
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	

## Year class dynamics

Year	Abundance
2015	10000
2016	10000-2200
2017	
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	

## Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	7800-1716
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	

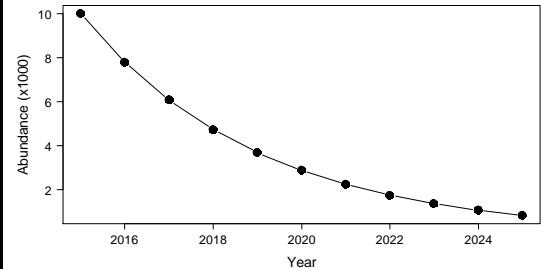
Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	6084
2018	6084-1338
2019	
2020	
2021	
2022	
2023	
2024	
2025	

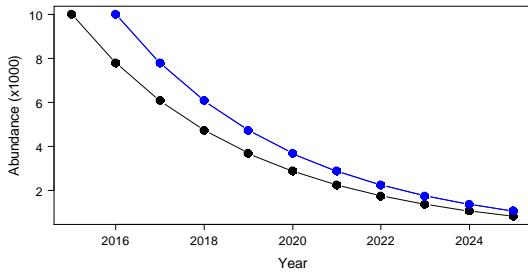
Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	6084
2018	4745
2019	3701
2020	2887
2021	2252
2022	1757
2023	1370
2024	1069
2025	833

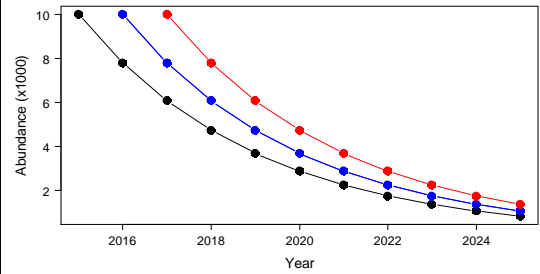
Year class dynamics



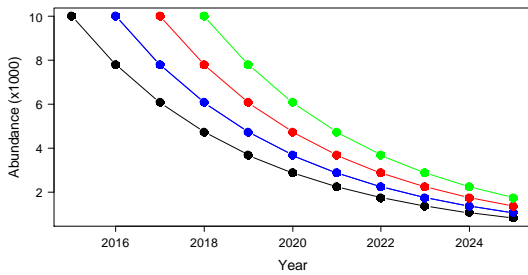
Multiple year-classes



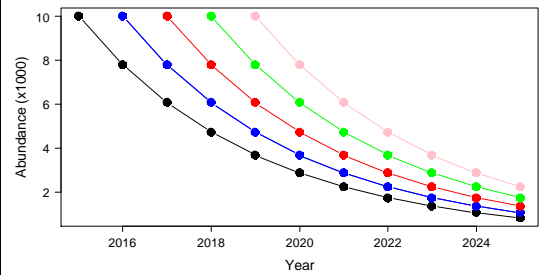
Multiple year-classes



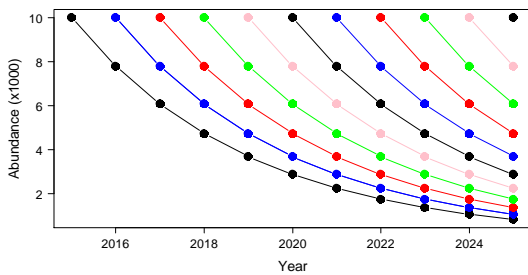
Multiple year-classes



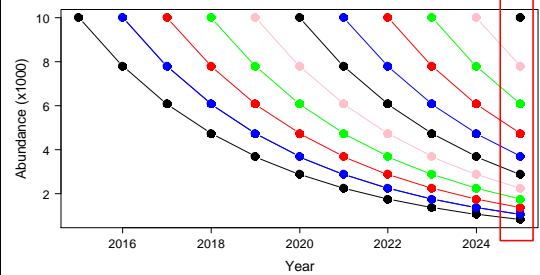
Multiple year-classes



At any given year



At any given year

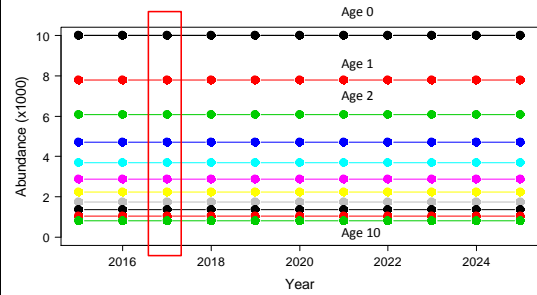




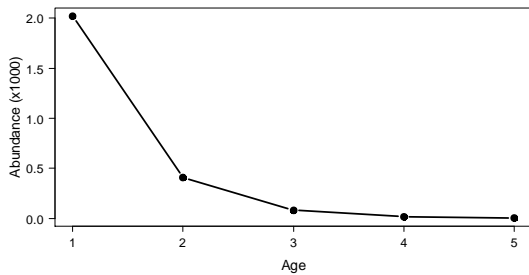
### Stable age distribution



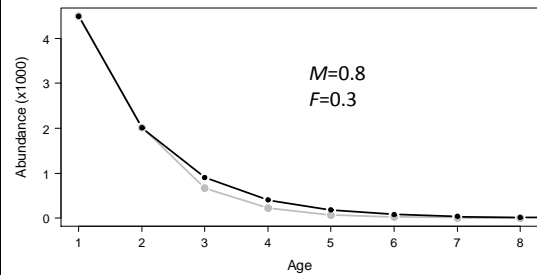
### Equilibrium age distribution



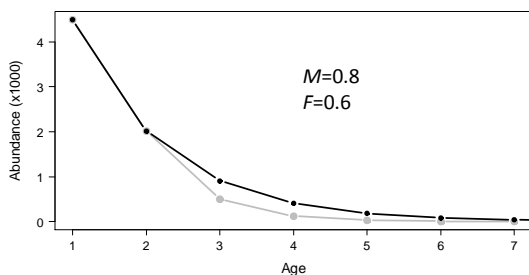
### Fishing mortality depends on size



### Effect of fishing



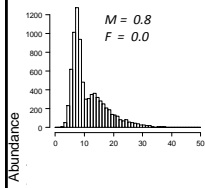
### Effect of fishing



### Size structure

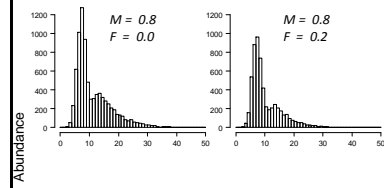
Lets look at a population of Black Crappie with a natural mortality rate ( $M$ ) of 0.8 for the following levels of fishing mortalities: 0.0, 0.2, and 0.4, 0.6, 0.8

## Size structure



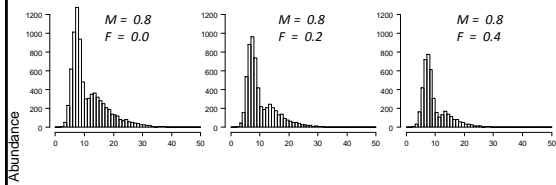
Length (cm)

## Size structure



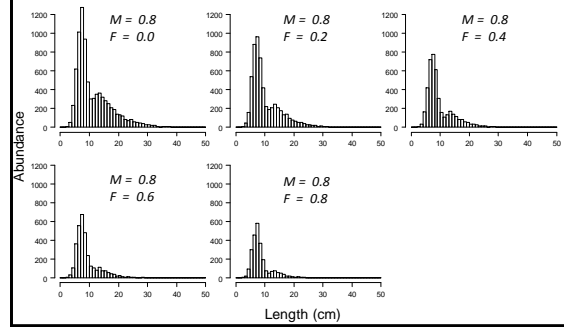
Length (cm)

## Size structure



Length (cm)

## Size structure



Length (cm)

