

RF Circuit Design

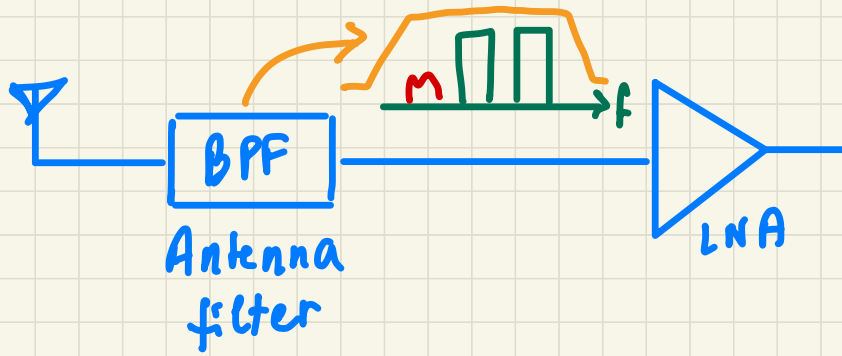
L21



Transceivers Architectures

RX Architectures

- Heterodyne architecture
 - Single IF
 - Double IF
- Direct-conversion or zero-IF RX
- Sliding IF
- IF sampling



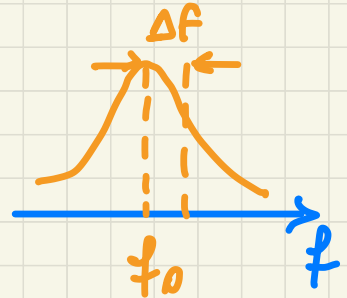
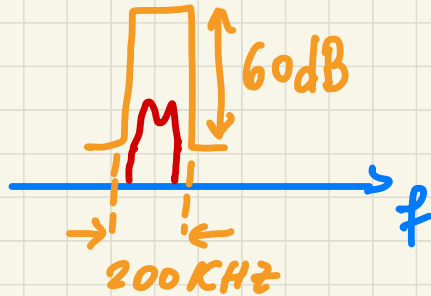
Antenna filter
attenuates out-of-
BAND interferers

Channel selectivity in wireless systems in order of
60 dB

- LC filter (2nd order) :

$$|T(j\Delta f)| \approx \frac{f_0/2Q}{\Delta f} = f_{bw}/\Delta f$$

$$\Delta f \gg f_0/2Q$$



$$-60 \text{ dB} \Rightarrow |T| = 10^{-3} = \frac{f_0}{\Delta f} \frac{1}{2Q}$$

2 GHz
 100 kHz

$$\Rightarrow Q = \frac{2 \cdot 10^9}{10^5} \cdot \frac{1}{2} \frac{1}{10^{-3}} = 10^7 \Rightarrow \text{too large!}$$

not feasible

$$f_{\text{BW}} = \frac{f_0}{2Q} = \frac{2 \cdot 10^9}{2 \cdot 10^7} = 100 \text{ Hz}$$

- 2n-th order filter: \Rightarrow too narrow

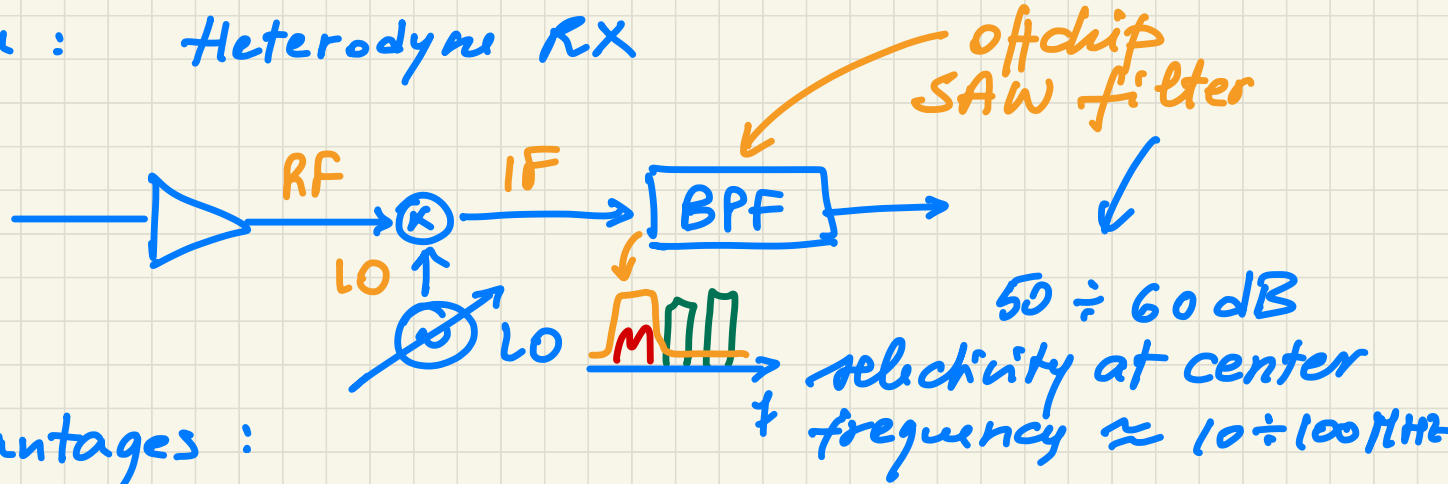
Butterworth BPF

$$|T(j\Delta f)| \approx \left(\frac{f_{\text{BW}}}{\Delta f} \right)^n = 10^{-3} \Rightarrow n = 10 \text{ (20 poles)}$$

50 kHz
 100 kHz

⇒ channel selectivity unfeasible at RF

solution: Heterodyne RX



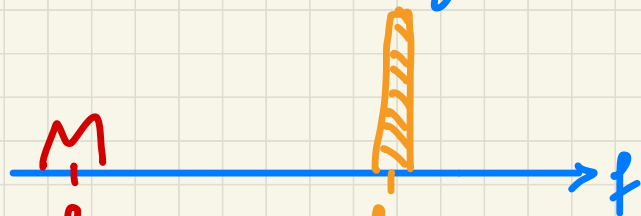
2 advantages:

- IF frequency is lower than RF freq.
- IF filter does not need to be tunable

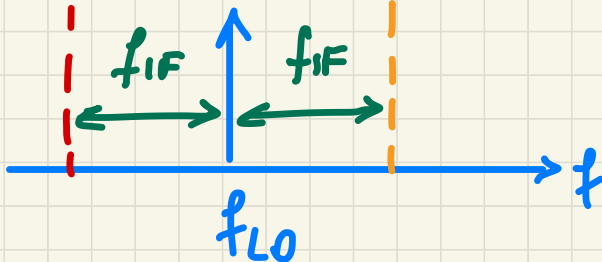
→ low IF to improve selectivity

Issue: Image Problem

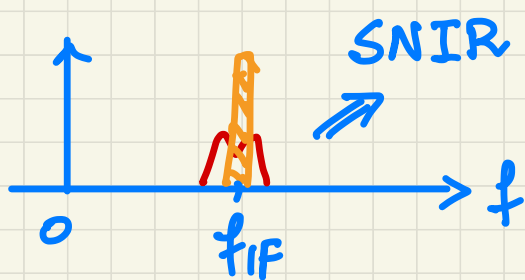
S_{RF}



S_{LO}

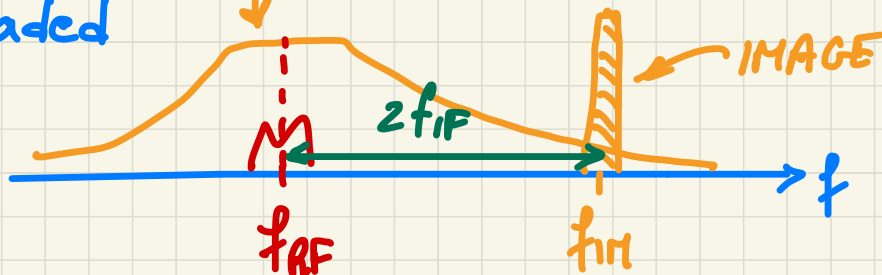
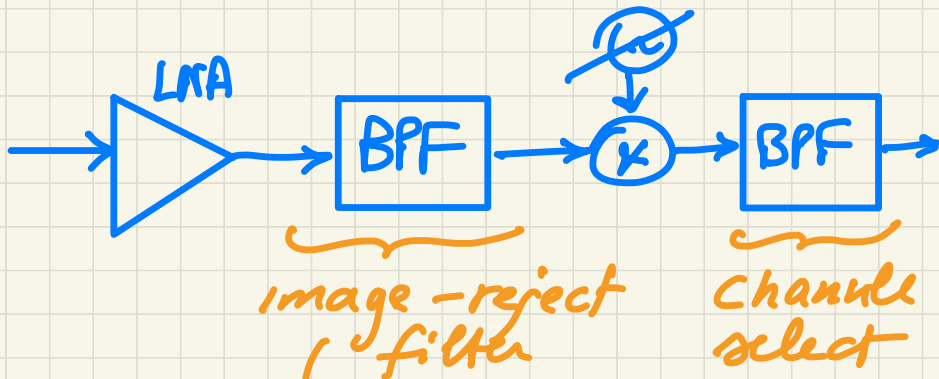


S_{IF}



SNIR Degraded

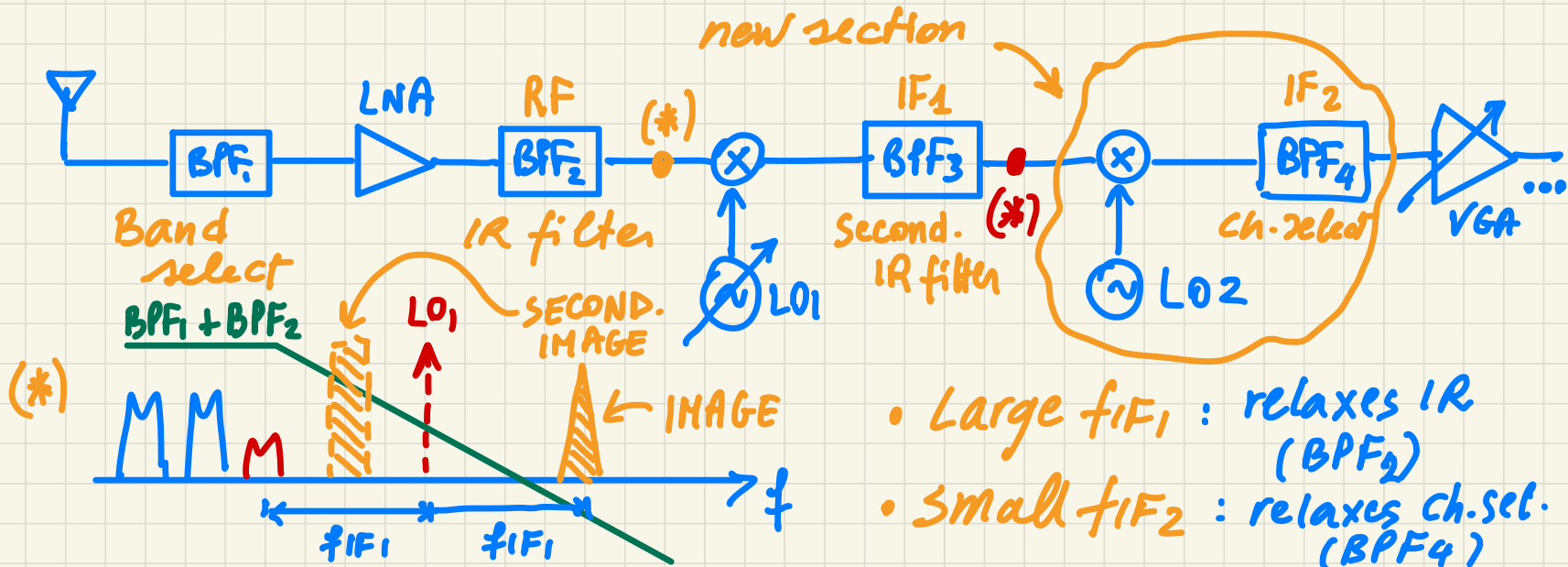
Solution: IR filter



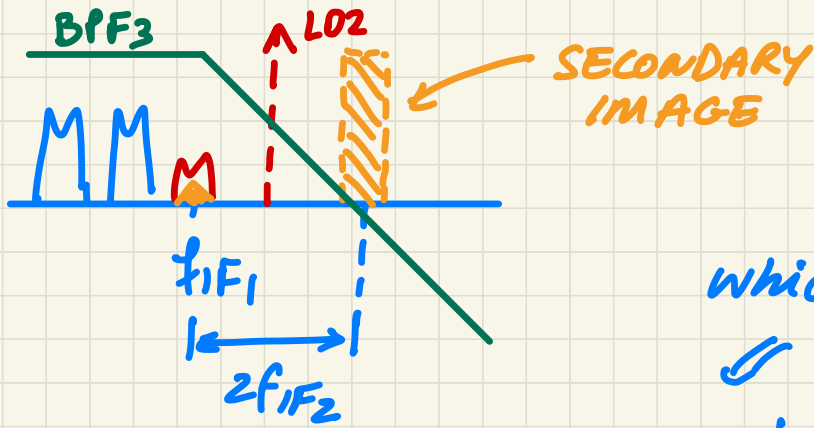
high IF to improve image rej

trade off : $\left\{ \begin{array}{l} \bullet \text{ RX sensitivity} \leftrightarrow \text{image} \quad \leftarrow \text{high fIF} \\ \bullet \text{ RX selectivity} \leftrightarrow \text{in-band interferers} \quad \leftarrow \text{low fIF} \end{array} \right.$

Solution to relax trade-off: Dual-IF Architect.



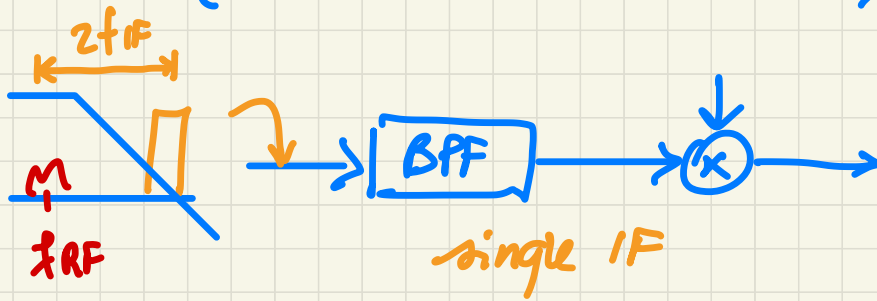
(*)



BPF_3 :
center frequency (f_{IF1})
which is lower than f_{RF}

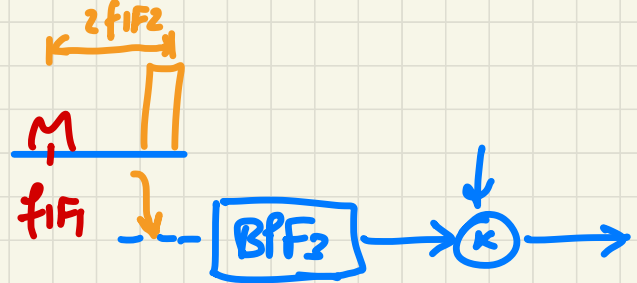
compared to single-IF architect.

the secondary image problem is more relaxed
(BPF_3 is more relaxed)



single IF

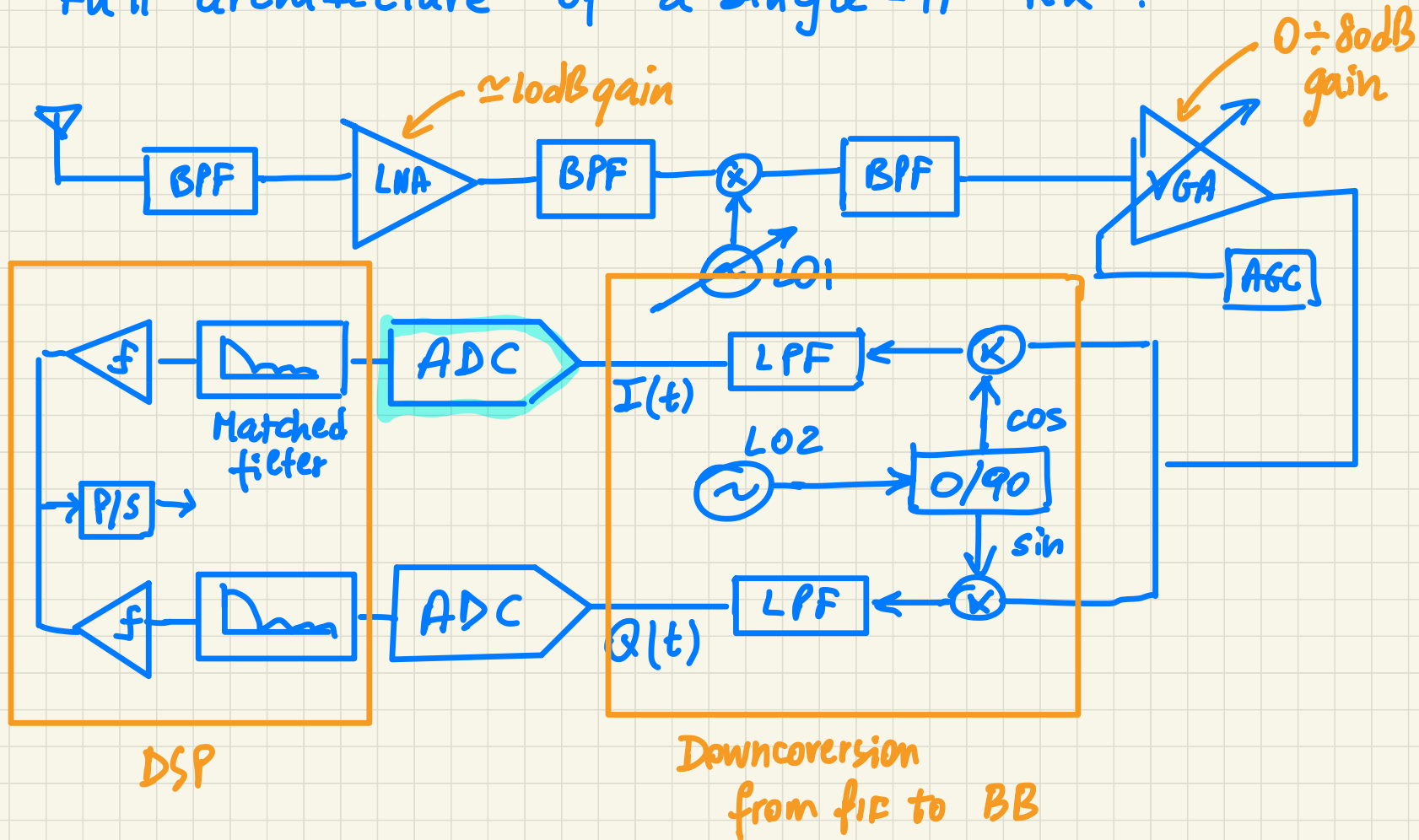
$$Q \div \frac{f_{RF}}{2f_{IF}}$$

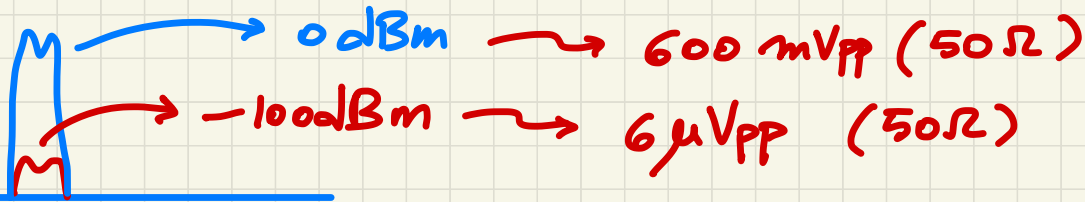


dual IF

$$Q \div \frac{f_{IF1}}{2f_{IF2}}$$

Full architecture of a single-IF RX :

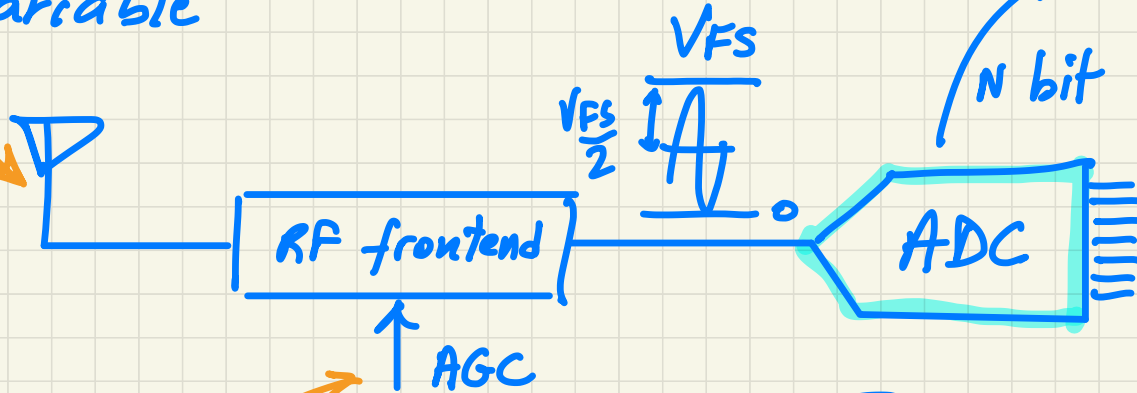




wanted signal
power is extremely
variable

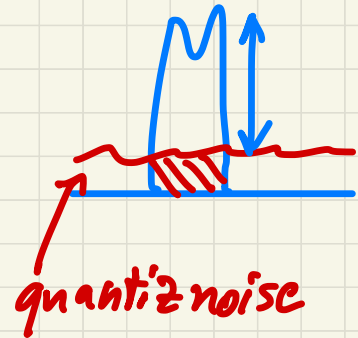
ADC quantization noise

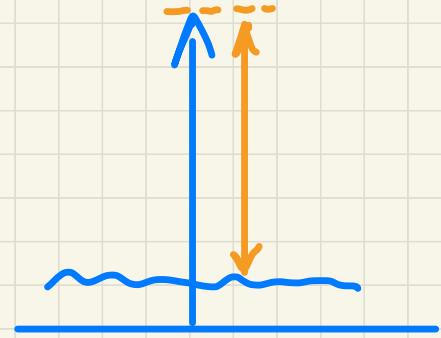
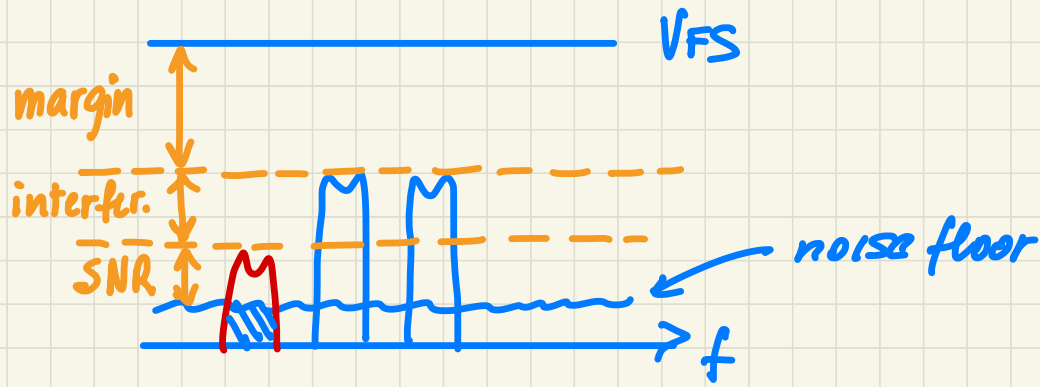
$$\text{DR}_{\text{dB}} = 6.02 \cdot N + 1.76$$



automatic
gain control

$$\text{DR} = \frac{P_s}{P_q}$$





$$DR = SNR + \text{Unfiltered interfer. ratio} + \text{margin (AGC errors, fading, ...)}$$

↑
requirement

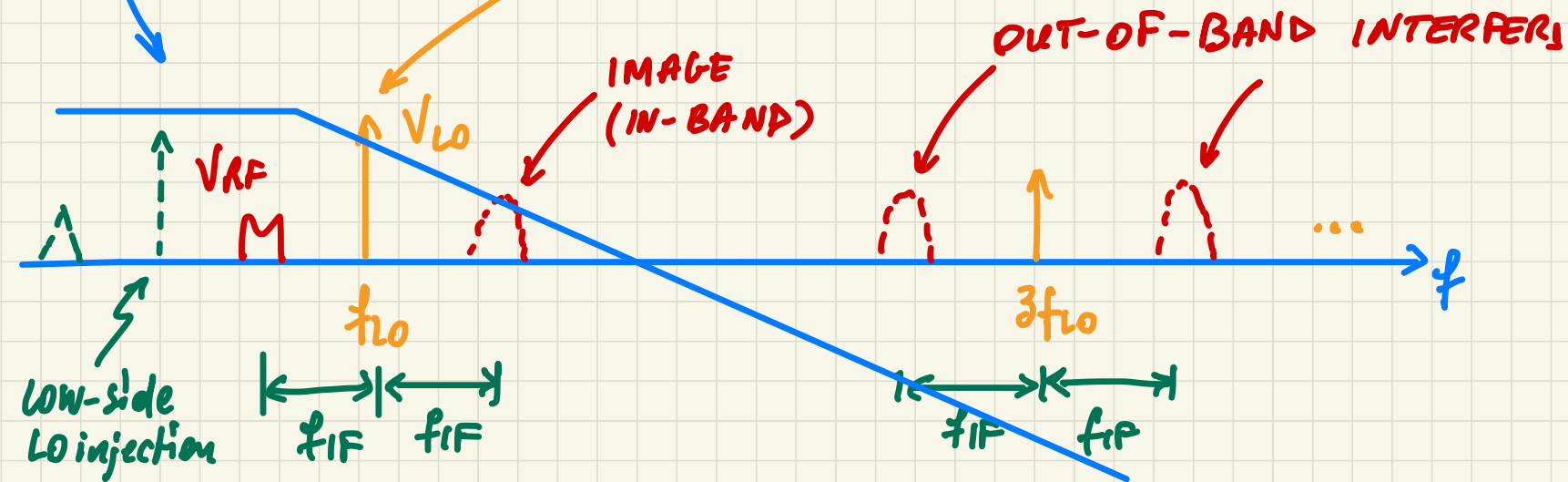
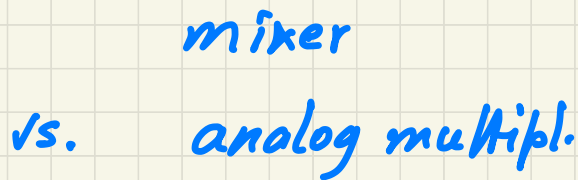
eg. $SNR = 12\text{ dB}$

Unfiltered inter. $= 26\text{ dB}$

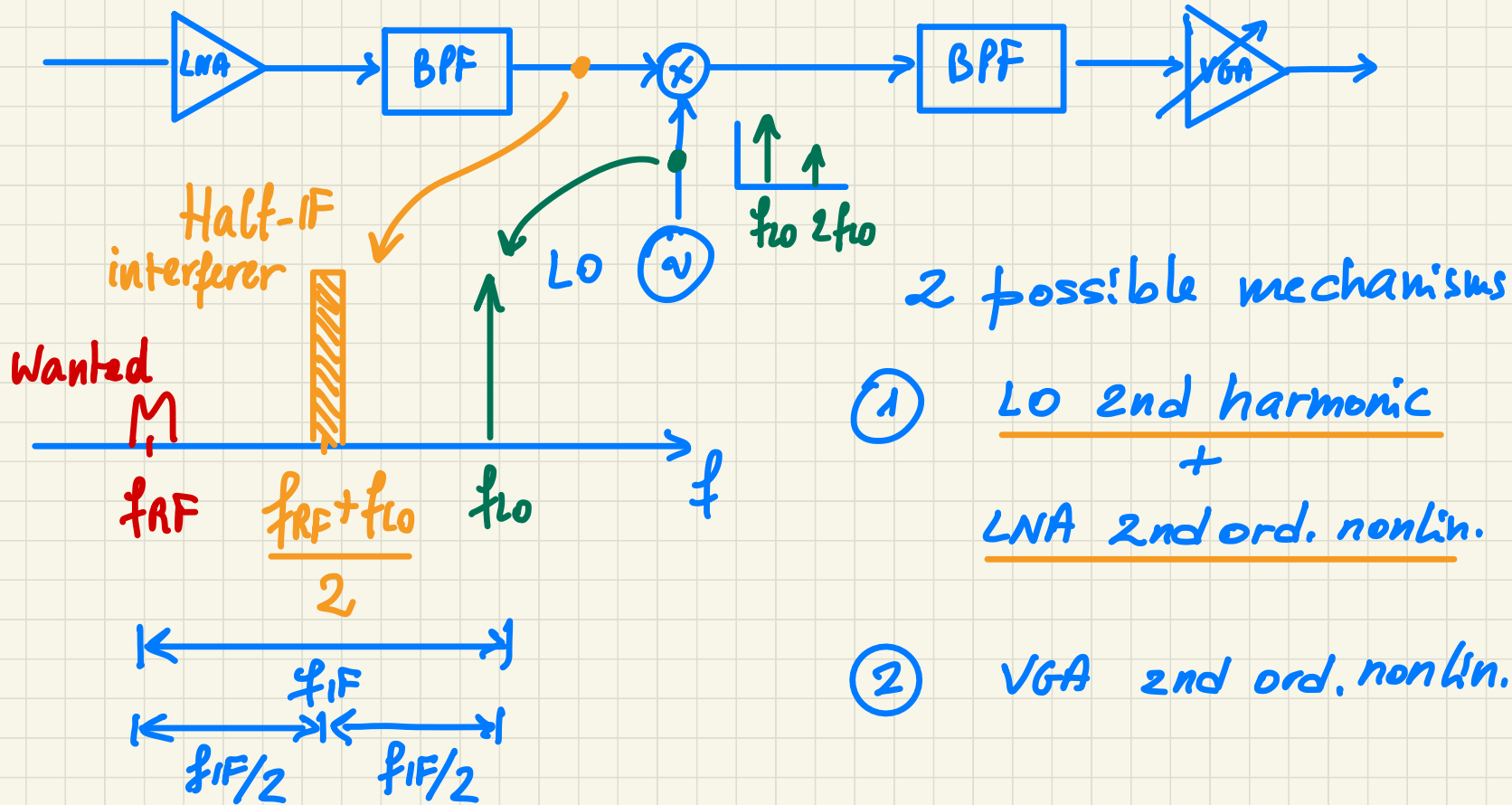
Margin $= 22\text{ dB}$

$\Rightarrow DR = 60\text{ dB}$

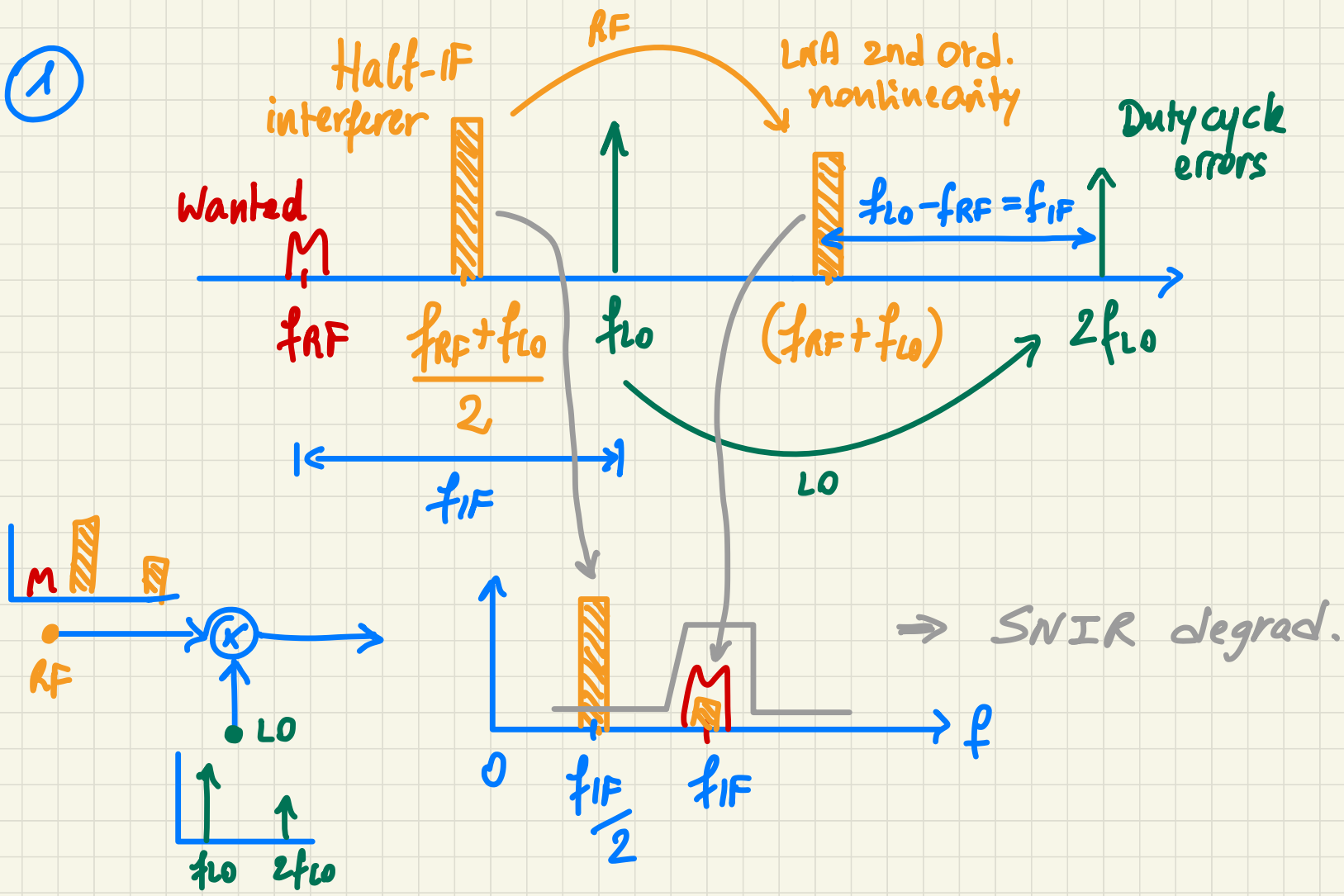
\Downarrow
 $N = 10\text{ bit (ENOB)}$



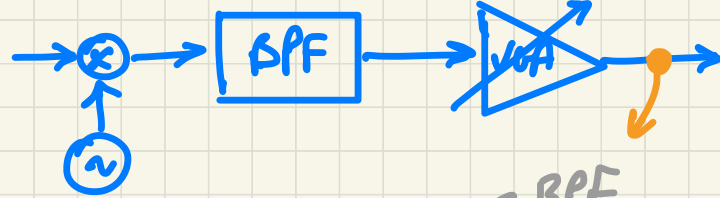
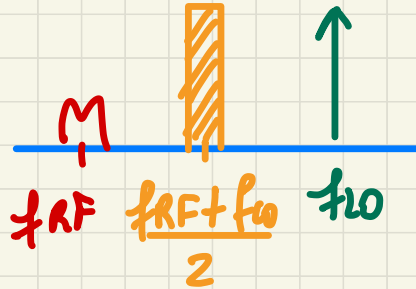
Issue : Half-IF Problem



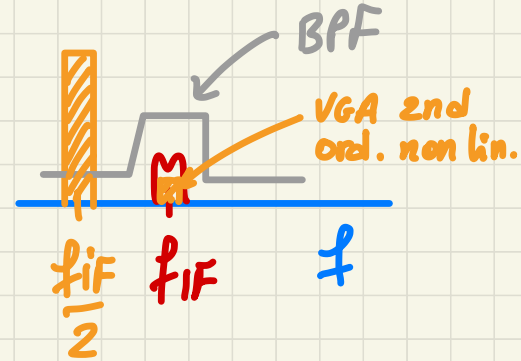
1



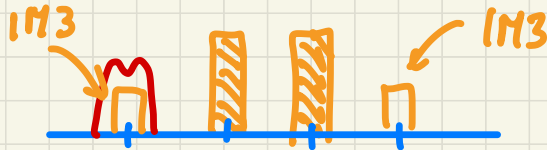
②



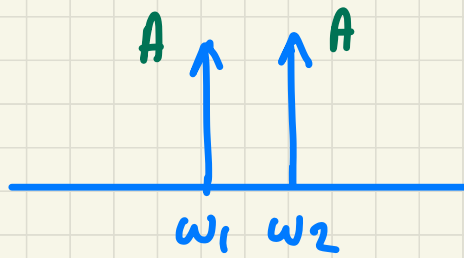
$$2 \cdot \frac{f_{IF}}{2} = f_{IF}$$



3rd ord. non linearity



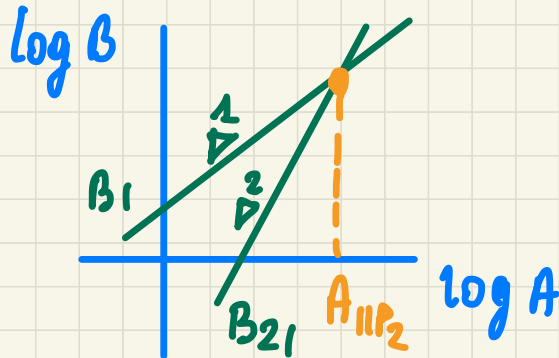
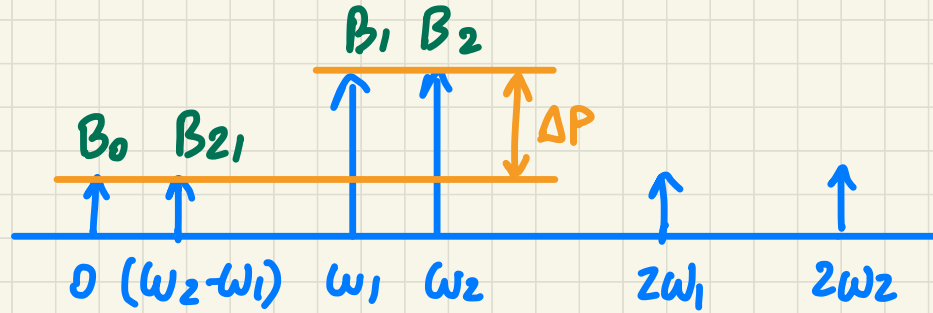
11P2



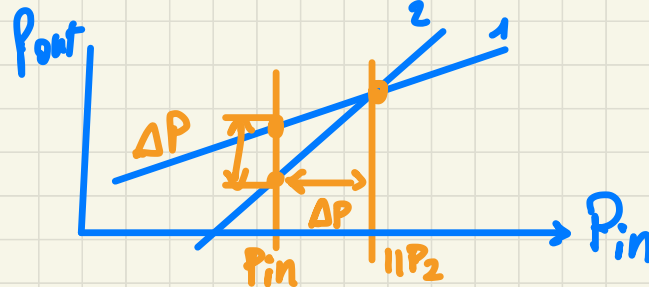
$$x \rightarrow \boxed{\alpha_1 x + \alpha_2 x^2} \rightarrow y$$

$$B_1 = B_2 = \alpha_1 A$$

$$B_{21} = \alpha_2 A^2 = B_0$$



$$11P2 |_{dBm} = P_{in} |_{dBm} + \Delta P |_{dB}$$

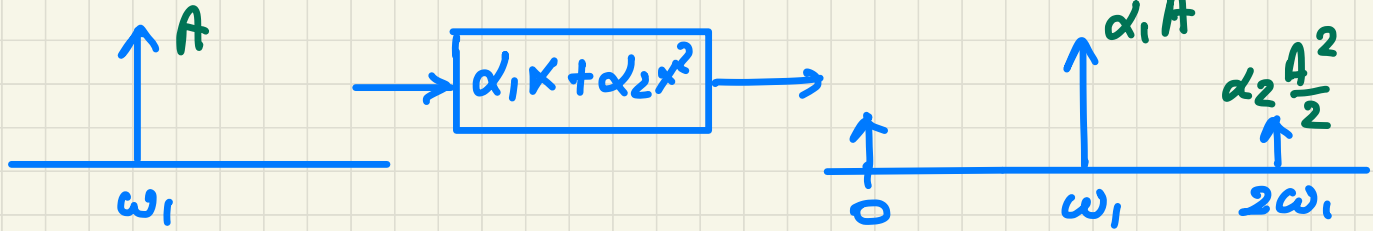


$$B_{21} = B_1$$

$$\alpha_2 A^2 = \alpha_1 A$$

$$A_{11P2} = \frac{\alpha_1}{\alpha_2}$$

HD2



$$HD_2 = \frac{\alpha_2 A^2/2}{\alpha_1 A} =$$

$$= \frac{1}{2} \cdot \frac{A}{A_{IP2}}$$

\Downarrow

$$HD_2 |_{dB} = P_{in} |_{dBm} - IIP_2 |_{dBm} - 6 \text{ dB}$$

$$\begin{aligned} & \alpha_1 A \cos \omega_1 t + \\ & + \alpha_2 A^2 \cos^2 \omega_1 t = \\ & = \alpha_1 A \cos \omega_1 t + \\ & \alpha_2 A^2 \cdot \frac{1 + \cos 2\omega_1 t}{2} \end{aligned}$$