

# MATH96012 Project 2

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## Part 2

As we can see from the graph as  $M$  gets large OMP parallelised performs the best with number of threads=4 giving only slightly better performance. This is probably because the computer does not actually have access to 4 true cores. This result is expected because the code has been parallelised across  $m$ . It is interesting that the python code outperforms the serial fortran code for large  $M$ . This might be due to the row-major of python or something working behind the scenes to improve performance. But for small  $m$  we see that fortran serial code is quicker.

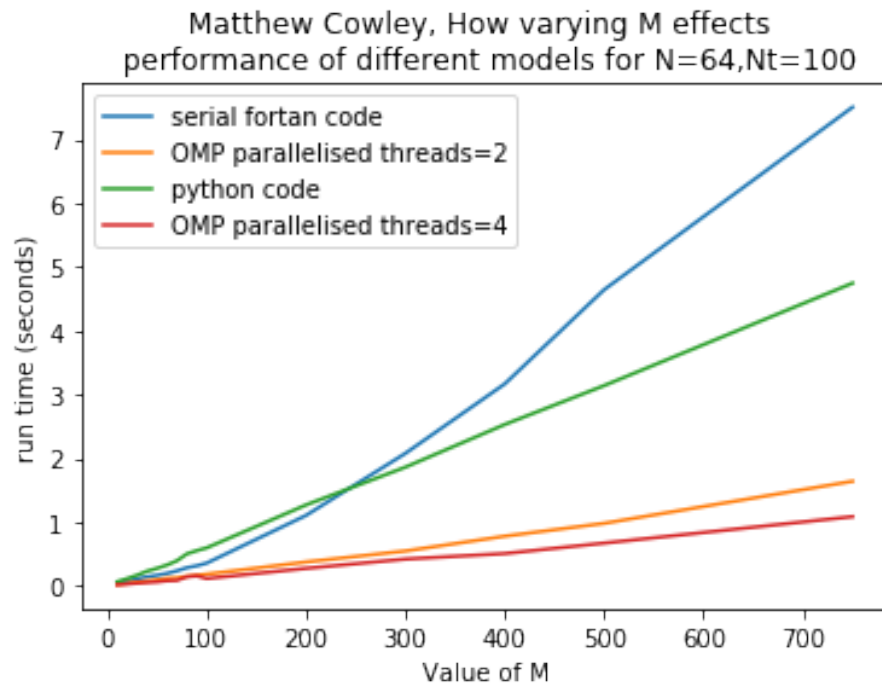


Figure 1: How varying m effects performance

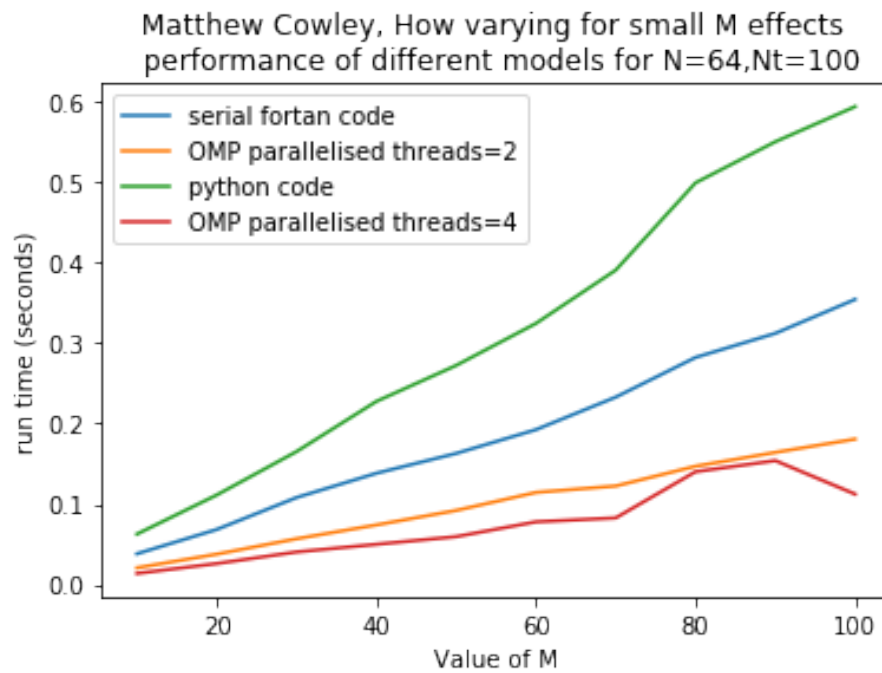


Figure 2: How varying small m effects performance

When we vary  $N$  the speed up is not as significant, but to be expected as we didn't parallelise across  $N$ . Similar results follow when  $n$  and  $m$  are varied.

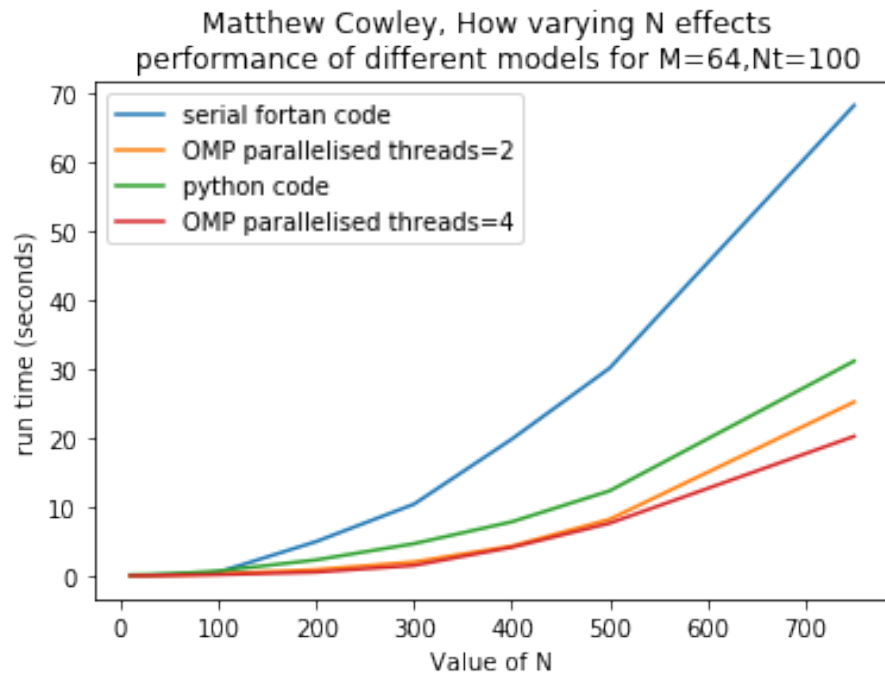


Figure 3:

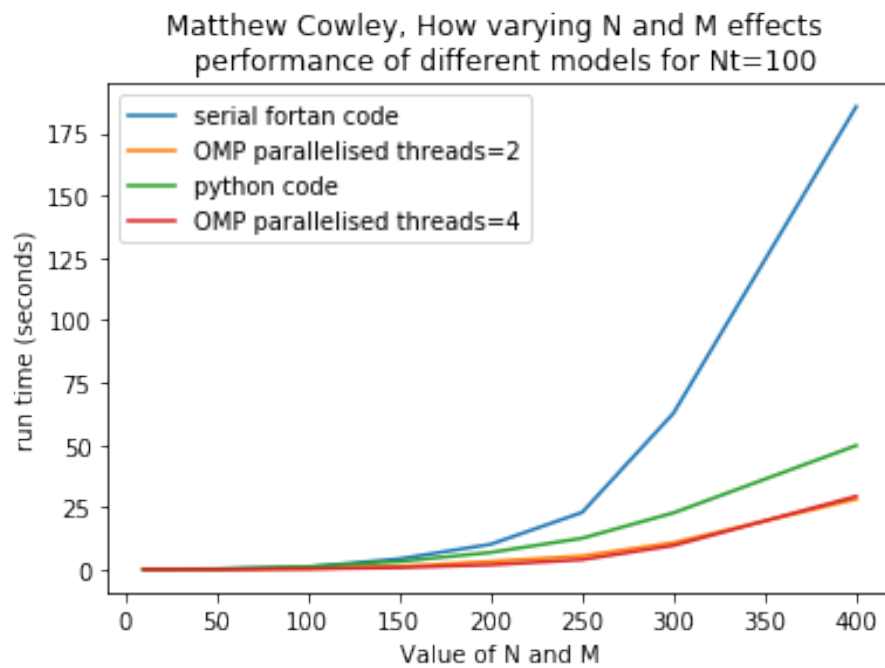


Figure 4:

Matthew Cowley, How  $C(\tau)$  varies for  $a=1200, b=1400, 8$  simulations

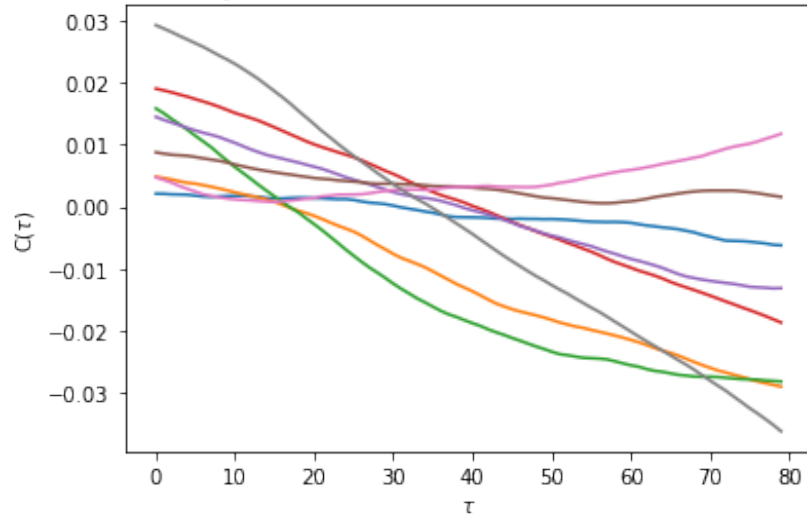


Figure 5:

### Part 3

As  $b-a$  increases  $C(\tau)$  appears to increase. But as  $C(\tau)$  is very small in general.  $C(\tau)$  also varies a lot but when averaged does tend towards a single value.

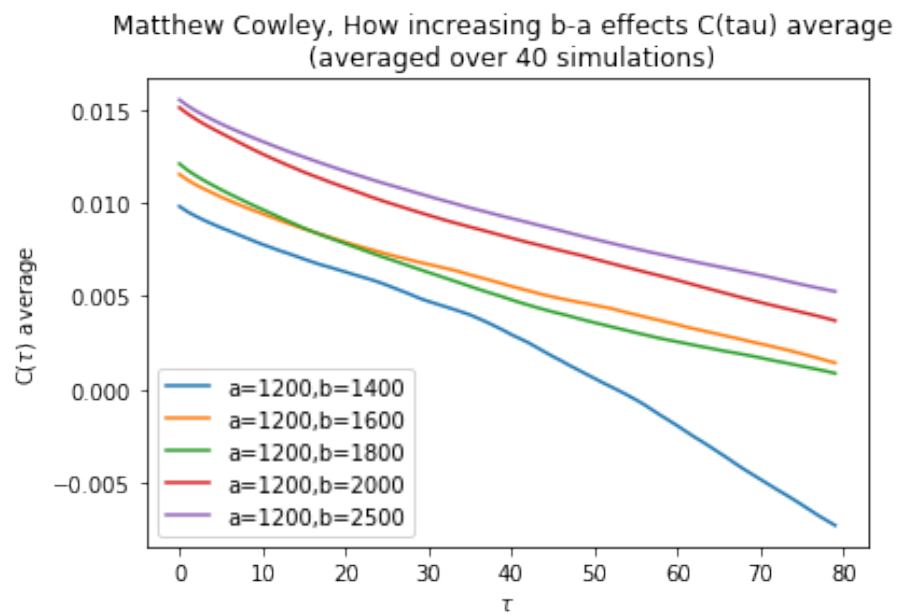


Figure 6: