280. A compound Poisson claim distribution has $\lambda = 5$ and individual claim amounts distributed as follows:

$$\frac{x}{5} \qquad \frac{f_X(x)}{0.6} \\
k \qquad 0.4 \qquad \text{Where } k > 5$$

The expected cost of an aggregate stop-loss insurance subject to a deductible of 5 is 28.03.

Calculate k.

- (A) 6
- (B) 7
- (C) 8
- (D) 9
- (E) 10
- **281.** DELETED

289. A compound Poisson distribution has $\lambda = 5$ and claim amount distribution as follows:

x	p(x)
100	0.80
500	0.16
1000	0.04

Calculate the probability that aggregate claims will be exactly 600.

- (A) 0.022
- (B) 0.038
- (C) 0.049
- (D) 0.060
- (E) 0.070
- **290.** DELETED
- **291.** DELETED
- 292 DELETED
- 293 DELETED
- 294 DELETED
- 295 DELETED
- **296.** DELETED
- **297.** DELETED
- **298.** DELETED
- **299.** DELETED