# Regression Trees

## Trevor Hastie and Robert Tibshirani

## Here, I am adapting part of the lab associated with Chapter 8 of the textbook.

The tree library is used to construct classification and regression trees.

```
#install.packages("tree")
library(tree)
library(ISLR2)
```

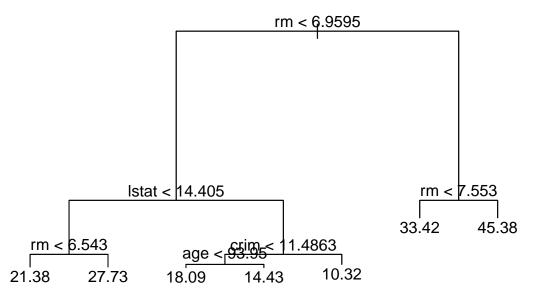
## Fitting Regression Trees

Here we fit a regression tree to the Boston data set. First, we create a training set, and fit the tree to the training data.

```
set.seed(1)
train <- sample(1:nrow(Boston), nrow(Boston) / 2)</pre>
tree.boston <- tree(medv ~ ., Boston, subset = train)</pre>
summary(tree.boston)
##
## Regression tree:
## tree(formula = medv ~ ., data = Boston, subset = train)
## Variables actually used in tree construction:
               "lstat" "crim" "age"
## [1] "rm"
## Number of terminal nodes: 7
## Residual mean deviance: 10.38 = 2555 / 246
## Distribution of residuals:
##
       Min. 1st Qu.
                       Median
                                  Mean
                                        3rd Qu.
                                                     Max.
## -10.1800 -1.7770 -0.1775
                                0.0000
                                          1.9230 16.5800
```

Notice that the output of summary() indicates that only four of the variables have been used in constructing the tree. In the context of a regression tree, the deviance is simply the sum of squared errors for the tree. We now plot the tree.

```
plot(tree.boston)
text(tree.boston, pretty = 0)
```

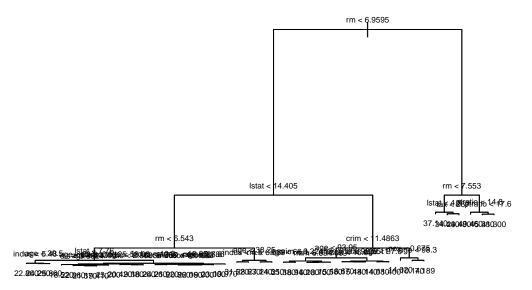


The variable lstat measures the percentage of individuals with lower socioeconomic status, while the variable rm corresponds to the average number of rooms. The tree indicates that larger values of rm, or lower values of lstat, correspond to more expensive houses. For example, the tree predicts a median house price of 45,400 for homes in census tracts in which rm >= 7.553.

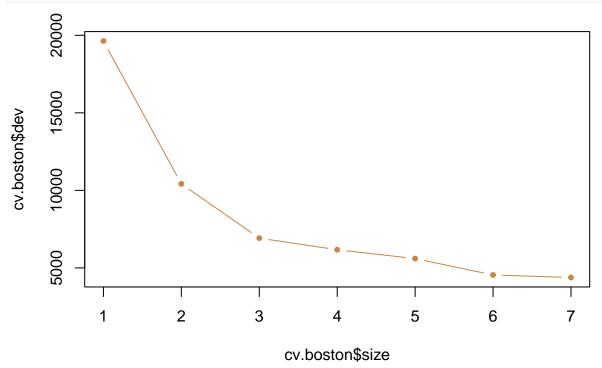
It is worth noting that we could have fit a much bigger tree, by passing control = tree.control(nobs = length(train), mindev = 0) into the tree() function. What if we do that?

```
tree.boston.big <- tree(medv ~ ., Boston, subset = train,</pre>
                         control = tree.control(nobs = length(train),
                                                mindev = 0))
summary(tree.boston.big)
##
## Regression tree:
## tree(formula = medv ~ ., data = Boston, subset = train, control = tree.control(nobs = length(train),
##
       mindev = 0))
## Variables actually used in tree construction:
                            "indus"
## [1] "rm"
                 "lstat"
                                      "age"
                                                 "nox"
                                                           "dis"
                                                                      "ptratio"
                 "crim"
## [8] "tax"
## Number of terminal nodes: 41
## Residual mean deviance: 5.542 = 1175 / 212
## Distribution of residuals:
##
      Min. 1st Qu.
                    Median
                                               Max.
                               Mean 3rd Qu.
    -8.140 -1.200
                                             12.860
##
                     0.000
                              0.000
                                      1.087
plot(tree.boston.big)
```

text(tree.boston.big, pretty = 0, cex=0.5)

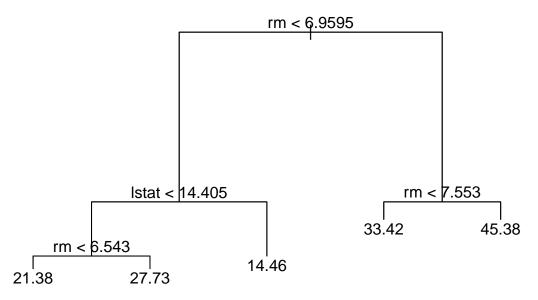


Now we use the cv.tree() function to see whether pruning the tree will improve performance.

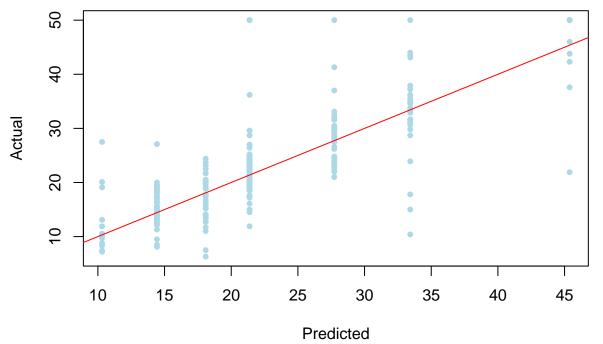


In this case, the most complex tree under consideration is selected by cross-validation. However, if we wish to prune the tree, we could do so as follows, using the prune.tree() function:

```
prune.boston <- prune.tree(tree.boston, best = 5)
plot(prune.boston)
text(prune.boston, pretty = 0)</pre>
```



In keeping with the cross-validation results, we use the **unpruned** tree to make predictions on the test set.



```
mean((y.hat - boston.test)^2)
```

## ## [1] 35.28688

In other words, the test set MSE associated with the regression tree is 35.29. The square root of the MSE is therefore around 5.941, indicating that this model leads to test predictions that are (on average) within approximately 5,941 of the true median home value for the census tract.