50. Assume the Black-Scholes framework.

You are given the following information for a stock that pays dividends continuously at a rate proportional to its price.

(i)   The current stock price is 0.25.

(ii) The stock's volatility is 0.35.

(iii) The continuously compounded expected rate of stock-price appreciation is 15%.

Calculate the upper limit of the 90% lognormal confidence interval for the price of the stock in 6 months.

(A)   0.393

(B)   0.425

(C)   0.451

(D)   0.486

(E)   0.529

51-53. DELETED

54. Assume the Black-Scholes framework. Consider two nondividend-paying stocks whose time-t prices are denoted by $S_1(t)$ and $S_2(t)$, respectively.

You are given:

(i) $S_1(0) = 10$ and $S_2(0) = 20$.

(ii)   Stock 1's volatility is 0.18.

(iii)   Stock 2's volatility is 0.25.

(iv)   The correlation between the continuously compounded returns of the two stocks is –0.40.

(v)   The continuously compounded risk-free interest rate is 5%.

(vi)   A one-year European option with payoff $\max\{\min[2S_1(1), S_2(1)] - 17, 0\}$ has a current (time-0) price of 1.632.

Consider a European option that gives its holder the right to sell either two shares of Stock 1 or one share of Stock 2 at a price of 17 one year from now.

Calculate the current (time-0) price of this option.

(A)   0.67

(B)   1.12

(C)   1.49

(D)   5.18

(E)   7.86

55. Assume the Black-Scholes framework. Consider a 9-month at-the-money European put option on a futures contract. You are given:

(i)   The continuously compounded risk-free interest rate is 10%.

(ii)   The strike price of the option is 20.

(iii)   The price of the put option is 1.625.

If three months later the futures price is 17.7, what is the price of the put option at that time?

(A)   2.09

(B)   2.25

(C)   2.45

(D)   2.66

(E)   2.83

56-76. DELETED