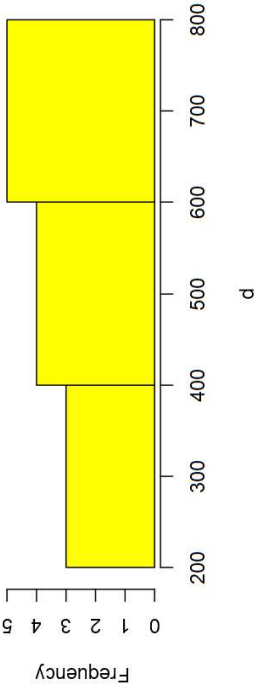


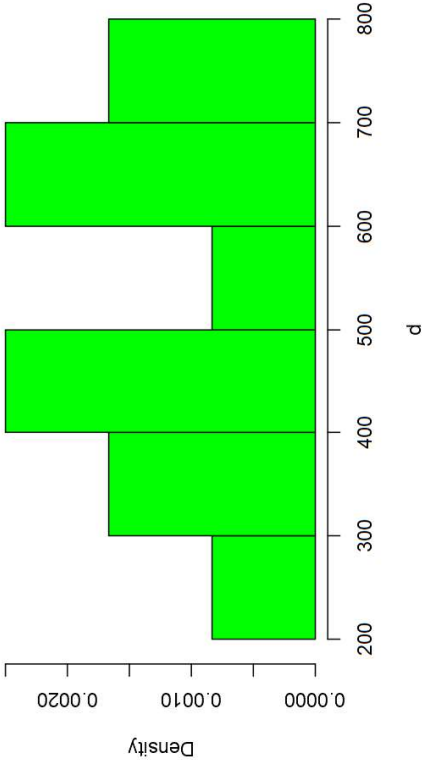
y

Frequency Distribution



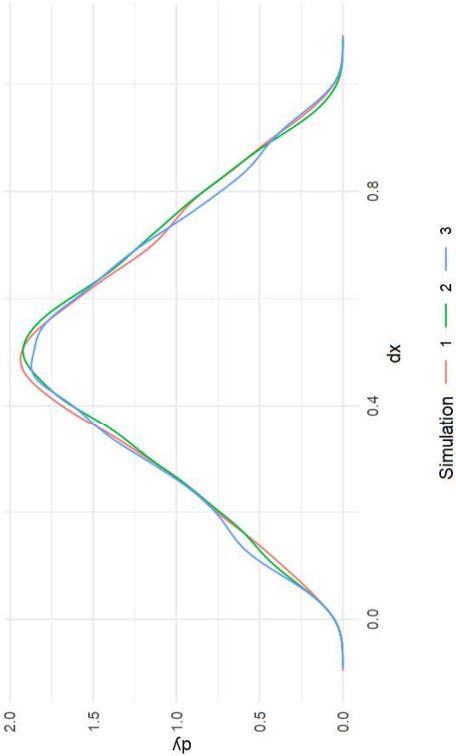
y

Probability Mass Function

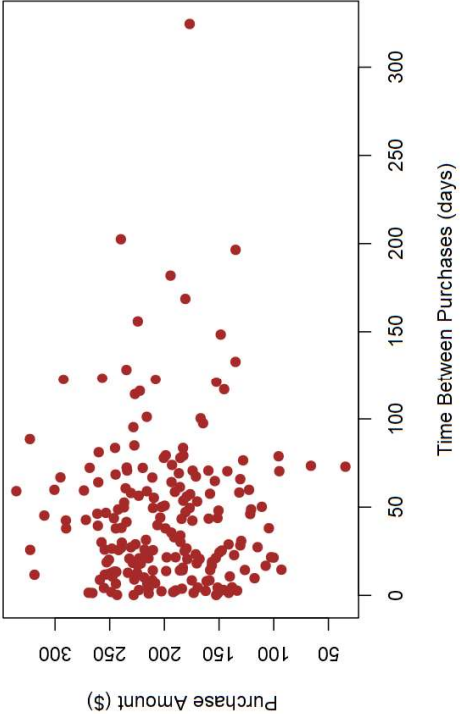


Density Plot

Data Points: 5000 - Simulations: 3
Distribution Family: Triangular
Parameters: Min: 0 - Max: 1 - Mode: 0.5

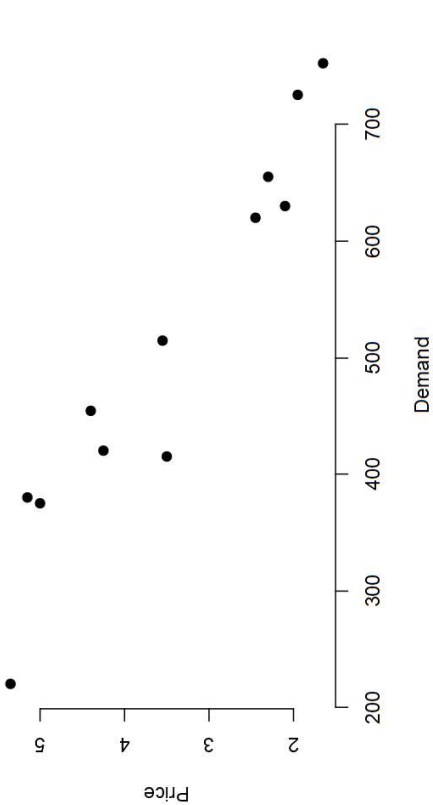


Customer Purchase Behavior



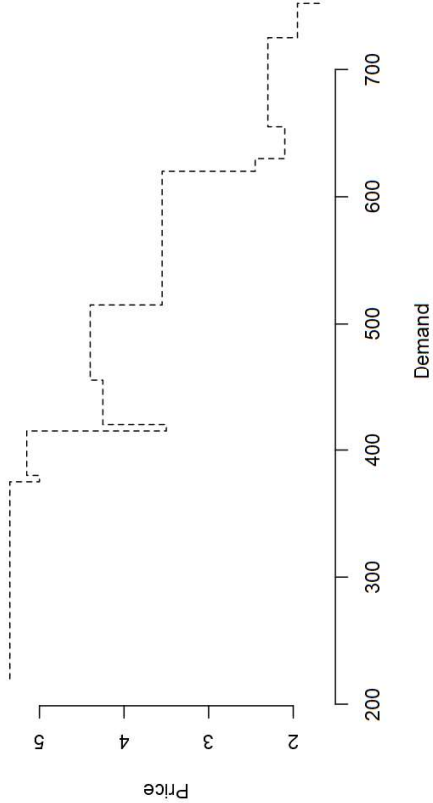
y

Scatter Plot of Product Demand



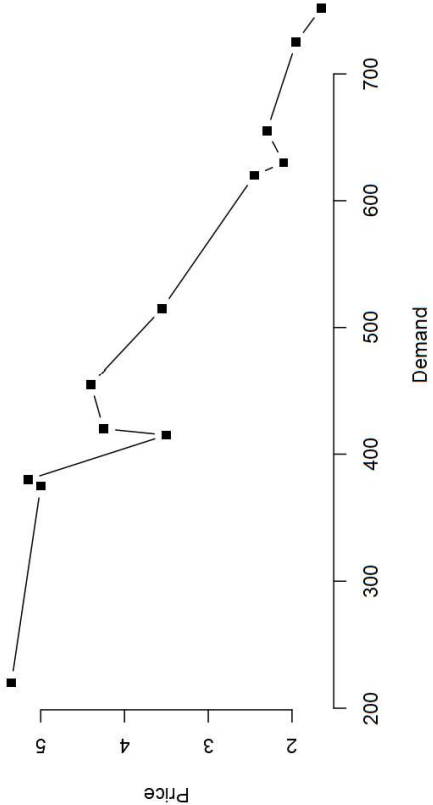
y

Scatter Plot of Product Demand



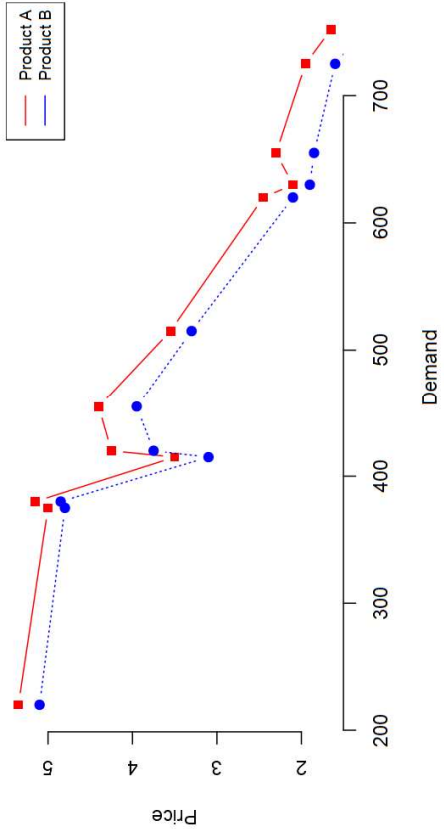
y

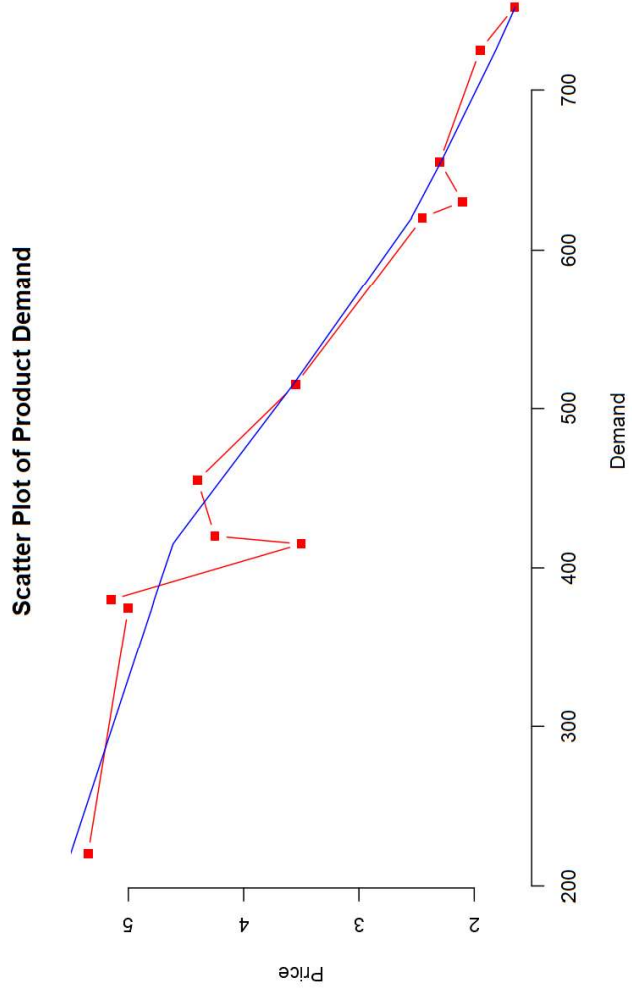
Scatter Plot of Product Demand



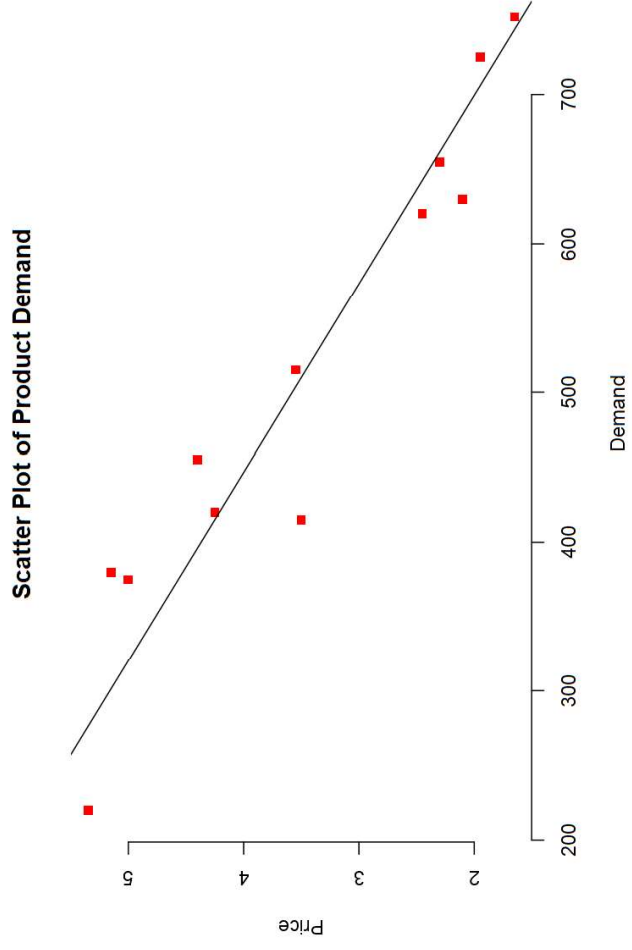
y

Scatter Plot of Product Demand





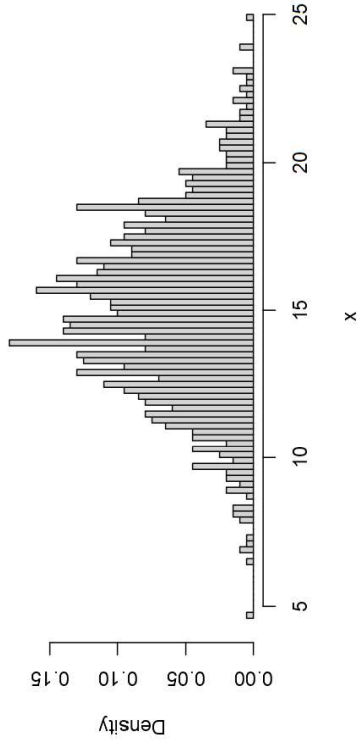
y



y

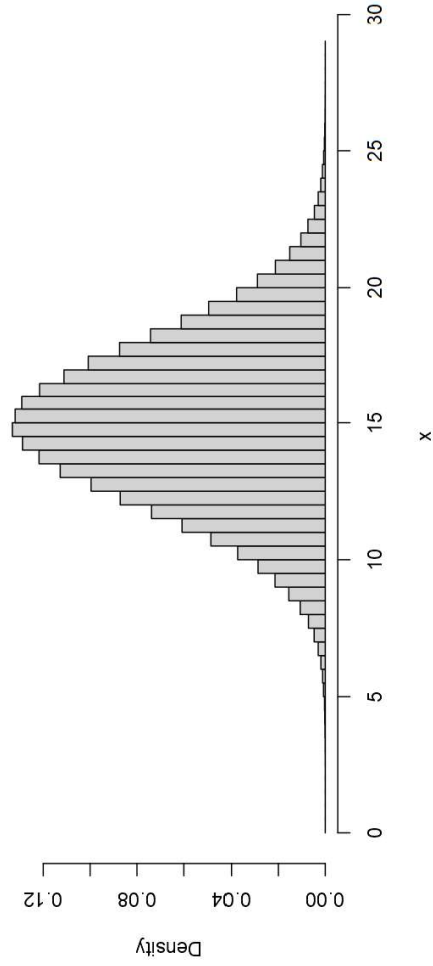
y

Simulated Normal Distribution



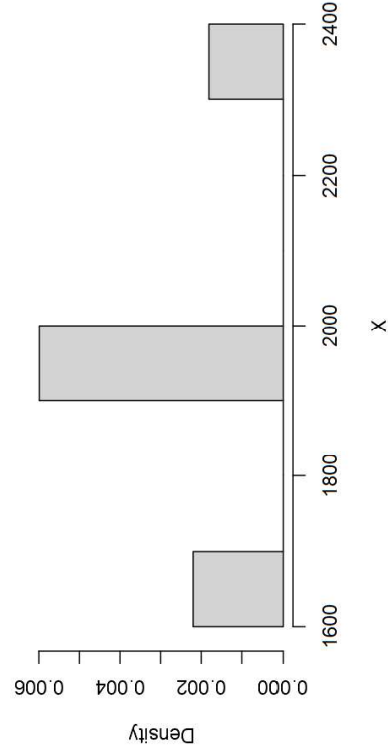
y

Simulated Normal Distribution - effect of large Sample size



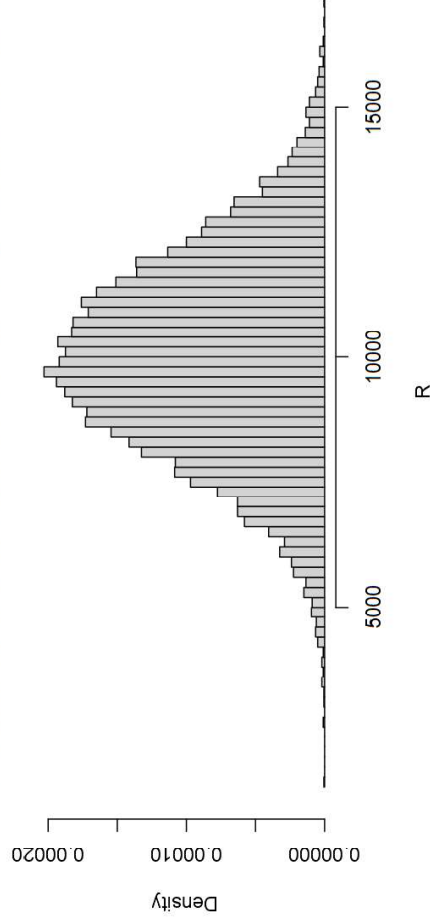
y

Simulated Discrete Distribution



y

Density for the total revenue $R = 1000X$, with mean of 10 and sd of 2



Service Cost per Passenger
based on 10,000 simulations

Service costing at RailWorks Company

Monte Carlo simulation of the passenger service cost for the RailWorks Company (WRC)

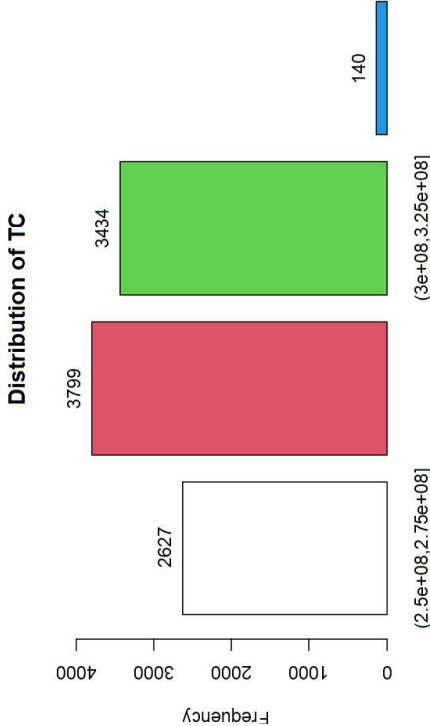


Unknown:
number of passenger cars hauled during a week (P)
number of trips during a week (N)

Uncertainties:
N = Uniform(38,58) and P = Uniform(1620, 2620)

Calculated
The annual total passenger service cost (T)
 $T = 121,000,000 + 551,200N + 67,600P$
The service cost per passenger (c)
 $c = (121,000,000 + 551,200N + 67,600P) / (3,120P)$

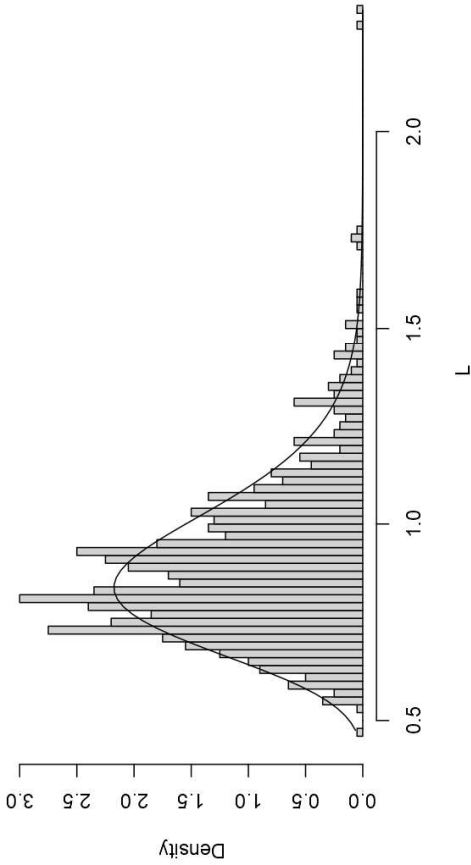
The Simulated Total Passenger Service Cost
based on 10,000 simulations



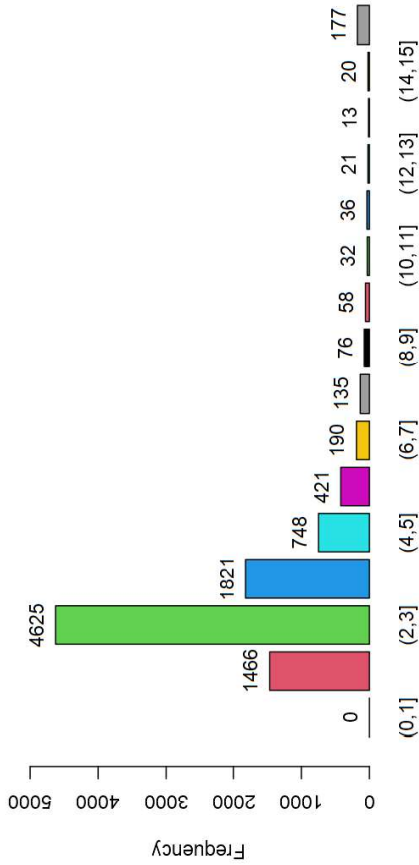
The probability of service costs exceeding £275 million
 $p(X > 275) = 1 - p(X < 275) = 1 - 0.27 = \mathbf{73\%}$

The probability of total passenger service costs exceeding £325 million
 $p(X > 325)$ is **1.6%**

Cost Volume Profit (CVP) Analysis at RailWorks Company



Distribution of PDOL



Unknown:

- (P) - number of passenger cars hauled during a week
- (N) - number of trips during a week
- (S) - the price per passenger ticket
- L - the break-even load factor
- (Π) - The annual profit
- (DOL) - the Degree of Operating Leverage

Uncertainties:

- N = Uniform(38,58)
- P = Uniform(1620, 2620)
- S ~ Normal(40, 5^2)
- L = Uniform(0.49, 0.85)

Calculated

- T = 121,000,000 + 551,200N + 67,600P
- c = (121,000,000 + 551,200N + 67,600P) / (3,120P)
- DOL = 1 + (121,000,000/(4160PSL - 551200N - 27040P - 54080PL))
- Π = 4160PSL - (121,000,000 + 31200N + 1040P + 1280PL + 520000N + 26000P + 41600PL)
- L = (121,000,000 + 551,200N + 27,040P) / (4,160PS - 54,080P)
- DOL = 1 + (121,000,000/(4160PSL - 551200N - 27040P - 54080PL))

Conclusions:

The mean for DOL is **2.77** times with a SD of 332

The probability of break-even load factor $L < 100\%$ is **72.9%**

Probability of a break-even load factor $40\% < L < 70\%$ is **14.5%**

The highest relative positive DOL frequency is between 2 and 3 times, with **46.8%**

Degree of operating leverage $DOL = (\text{sales} - \text{variable costs}) / (\text{sales} - \text{variable costs} - \text{fixed costs})$