
Felxi-TEER

Release 1.0

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TEER THEORY

The typical use of TEER is with transwells. In these, monolayers of cells are formed and ions can passively diffuse through the gaps between cells.

Lets start forming a model on this. So if a gap has a tight junction formed, it blocks the ion from going through it. If it lacks a tight junction, then the ion can go on through. Lets translate that into a simple electrical circuit model.

So we replace tight junctions with open circuits and given gaps restrict the rate that charged particles can pass through the monolayer, lets say they are resistors. So **tight junctions = open circuit** and **gaps = resistors**

Ohm's Law

$V = I \cdot R$ (1) **Parallel Resistance Equivalency**

$R_{eq} = \frac{1}{\sum \frac{1}{R_g}}$ (2) $R_1 \approx R_2 \approx R_3 \approx \dots \approx R_G$ (3) Sub [3] into [2] $R_{eq} = \frac{1}{(\frac{1}{R_G} \cdot N_G)} = \frac{R_G}{N_G}$ (4) $N_{CJ} = N_{TJ} + N_G$ to $N_G = N_{CJ} - N_{TJ}$ (5) Sub (3) into (4) and taylor expand $R_{eq} = \frac{R_G}{N_{CJ} \cdot (1 - \frac{N_{TJ}}{N_{CJ}})}$ to $\frac{R_{eq} \cdot N_{CJ}}{R_G} = \frac{1}{(1 - \frac{N_{TJ}}{N_{CJ}})}$ approx $1 + \frac{N_{TJ}}{N_{CJ}}$ (6) Thus $R_{eq} \propto \frac{1}{N_{TJ}}$ (7)

... math:: $w_k^* = \min_k \{w_k\} \ell_k(w_k) + \lambda \|\alpha w_k\|_1$

- $\frac{1}{2}(1 - \alpha) \|w_k\|^2$

“”“

INDICES AND TABLES

- `genindex`
- `modindex`
- `search`