



# Mini project

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Group : 07 (Mini Project 1)

CSE 106

Discrete Mathematics

Section : 01

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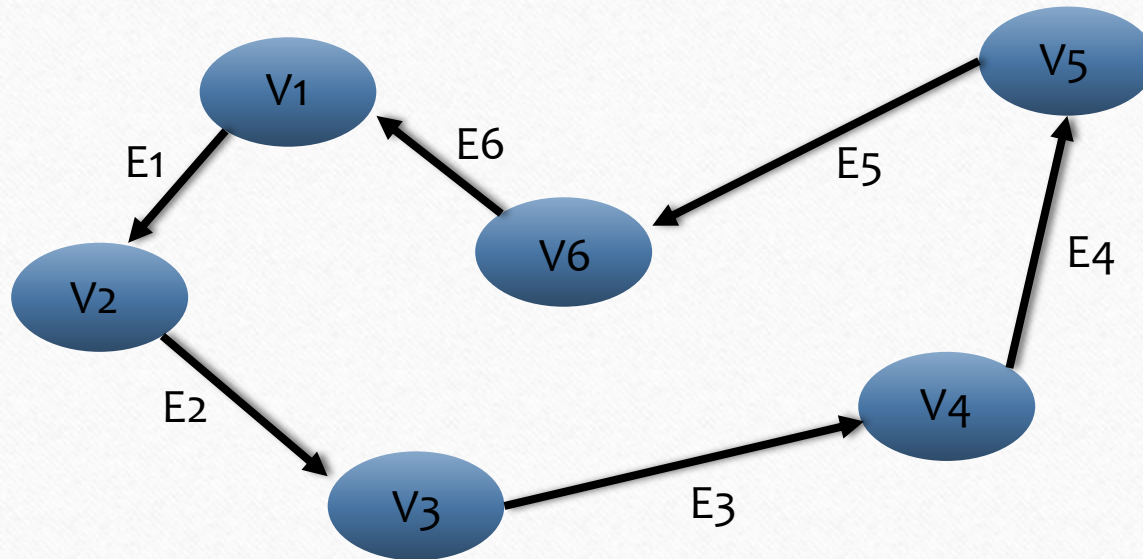
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**2024-3-60-698**



## Directed Graph :

A directed graph is defined by a set of vertices and a set of directed edges.



# Presenting Graph

Graph

```
graph TD; Graph([Graph]) --> AdjacencyList[Adjacency List]; Graph --> AdjacencyMatrix[Adjacency Matrix];
```

Adjacency List

Adjacency Matrix

Adjacency List : A adjacency list is a way of representing a graph using a collection of lists or array.

Adjacency Matrix : An adjacency matrix is a way of representing a graph using a 2D array.

```

1  #include <stdio.h>
2  #include <stdlib.h>
3  #include<time.h>
4  int matrix[8000][8000];row,column,n;
5  int main()
6  {
7      double start,end,time;
8      start=clock();
9      printf("Enter the amount of vertices= ");
10     scanf("%d",&n);
11     fill();
12     result();
13     end=clock();
14     time=( end- start);
15     printf("\nTime taken = %.2f sec.",time);
16 }
17 void fill()
18 {
19     srand(time(NULL));
20     for(row=1;row<=n;row++)
21     {
22         for(column=1;column<=n;column++)
23             matrix[row][column]=rand()%2;
24     }
25 }
26 void result()
27 {
28     int in_degree=0,out_degree=0;
29     for(row=1;row<=n;row++)
30     {
31         for(column=1;column<=n;column++)
32             in_degree=matrix[row][column]+in_degree;
33     }
34     for(row=1;row<=n;row++)
35     {
36         for(column=1;column<=n;column++)
37             out_degree=matrix[row][column]+out_degree;
38     }
39     printf("Total In Degree= %d \nTotal Out Degree= %d",in_degree,out_degree);
40 }
41

```



## Outputs :

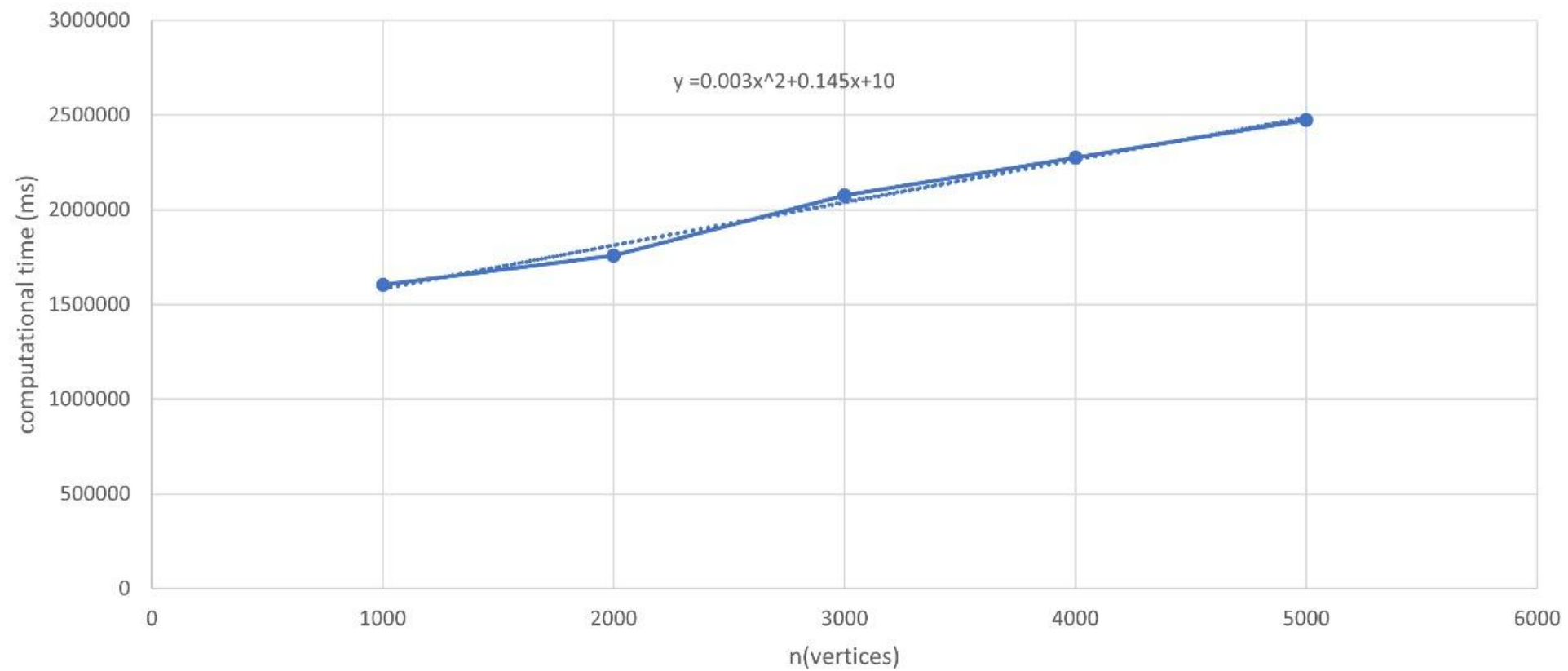
```
"D:\CSE 106\Mini project\bin\  ×  +  v
Enter the amount of vertices= 1000
Total In Degree= 499992
Total Out Degree= 499992
Time taken = 1603.00 sec.
Process returned 0 (0x0)  execution time : 1.690 s
Press any key to continue.
|
```

```
"D:\CSE 106\Mini project\bin\  ×  +  v
Enter the amount of vertices= 2000
Total In Degree= 1999943
Total Out Degree= 1999943
Time taken = 1758.00 sec.
Process returned 0 (0x0)  execution time : 1.772 s
Press any key to continue.
|
```

```
"D:\CSE 106\Mini project\bin\  ×  +  v
Enter the amount of vertices= 3000
Total In Degree= 4500130
Total Out Degree= 4500130
Time taken = 2077.00 sec.
Process returned 0 (0x0)  execution time : 2.094 s
Press any key to continue.
|
```

```
"D:\CSE 106\Mini project\bin\  ×  +  v
Enter the amount of vertices= 4000
Total In Degree= 8000021
Total Out Degree= 8000021
Time taken = 2275.00 sec.
Process returned 0 (0x0)  execution time : 2.300 s
Press any key to continue.
|
```

```
"D:\CSE 106\Mini project\bin\  ×  +  v
Enter the amount of vertices= 5000
Total In Degree= 12500100
Total Out Degree= 12500100
Time taken = 2475.00 sec.
Process returned 0 (0x0)  execution time : 2.502 s
Press any key to continue.
|
```



—●— Computational Time (ms)    —●—  
..... Poly. (Computational Time (ms))    ..... Linear (Computational Time (ms))    ..... Linear (Computational Time (ms))

## Theoretical Time Complexity :

Time complexity represents how the computational time of a program increases as the input size grows.

We use an  $n \times n$  adjacency matrix to represent the graph.

To generate the graph, we fill an  $n \times n$  matrix, which requires  $O(n^2)$  operations.

For each of the  $n$  vertices, we perform  $O(n^2)$  operations to calculate both in-degree and out-degree.

$$\begin{aligned}\text{Total operations} &= O(n) \times O(n) \\ &= O(n^2)\end{aligned}$$

$$\begin{aligned}\text{Total time complexity} &= O(n^2) + O(n^2) \\ &= O(n^2)\end{aligned}$$



### **Experimental time complexity ( from graph ) :**

The equation of the trendline was of the form :

$$Y = 0.003x^2 + 0.14x + 10$$

The highest degree term in the equation is  $x^2$ , which confirms that the time complexity grows quadratically with  $n$ .

The trendline shows a quadratic relationship between the computational time and  $n$ .

The experimental results also suggest that the complexity of the program is  $O(n^2)$ .

### **Comparison : Theoretical vs Experimental :**

From analyzing the code, we determined that the time complexity is  $O(n^2)$ .

From the excel graph and the polynomial trendline, confirming that the experimental time complexity is also  $O(n^2)$ .

Both the theoretical and experimental time complexity of the program are  $O(n^2)$ .



Thank You