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**Missouri State University**  
**Department of Computer Science**  
Assignment 2: Evolutionary Computing  
Summer 2025

## Submission Instructions

Students must follow these submission guidelines to receive full credit:

1. **Submission:**

- Submit a single compressed ‘.zip’ file containing all source files (Python scripts) and PDF report for conceptual questions.

2. **File Naming Convention:** Name your ‘.zip’ file as: `FirstName.LastName_EC_AS2.zip`

3. **Deadline:** Submit your assignment by **June 24<sup>th</sup> 2025**.

4. **Academic Integrity:**

- Your submission must be your own work.
- Plagiarism will result in a zero grade and possible disciplinary action.

## Objective

The purpose of this assignment is to implement and analyze Genetic Algorithms (GA) using **binary encoding** to optimize the well-known **De Jong test functions**. You will write code to:

- Initialize binary chromosomes
- Decode them to real values
- Evaluate De Jong functions
- Apply GA operators (selection, crossover, mutation)

## De Jong’s Test Functions

De Jong proposed five functions as standard benchmarks for continuous function optimization. You are required to work with the following:

1. **Sphere Model:**

$$f_1(\mathbf{x}) = \sum_{i=1}^n x_i^2 \quad \text{with } x_i \in [-5.12, 5.12]$$

2. **Weighted Sphere Model:**

$$f_2(x) = 100(x_1^2 - x_2)^2 + (1 - x_1)^2 \quad \text{with } x_i \in [-2.048, 2.048]$$

3. **Step Function:**

$$f_3(\mathbf{x}) = \sum_{i=1}^n [x_i] \in [-5.12, 5.12]$$

choose n=4 for this function.

4. **Noisy Quartic:**

$$f_4(\mathbf{x}) = \sum_{i=1}^n ix_i^4 + \text{random}[0, 1) \quad \text{with } x_i \in [-1.28, 1.28]$$

choose n=4 for this function.

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## Assignment Tasks

### Q1. Binary Encoding and Initialization

- Encode each variable using binary strings (suggested: 8-bit and 16-bit).
- Implement a function to generate a random initial population of binary chromosomes.

### Q2. Chromosome Decoding and Function Evaluation

1. Write a function to decode a binary chromosome into a real number using linear mapping to the domain of each De Jong function.
2. Implement evaluation functions for **all** of the De Jong functions listed above.

### Q3. GA Operations

Implement the following Genetic Algorithm operations:

1. Fitness Proportionate Selection (Roulette Wheel)
2. One-point or Two-point Crossover (probability = 0.90)
3. Bitwise Mutation (probability =  $1/\text{Length}$ )

### Q4. GA Execution

- Run your Genetic Algorithm for 50 generations with a population size of 20. (Change population size and number of generation if not able to find good solutions, but don't go beyond 50 for both.)
- Plot the best fitness and average fitness per generation for each function.
- Report the best solution found and its decoded real values.

### Q5. Analysis and Comparison

1. Compare the convergence behavior of all functions.
2. Which function was easiest to optimize? Which was hardest? Explain why.