





1



1



2





1



2



3





1



2



3



4





1



2



3



4



5





1



2



3



4



5



6

LOG OF

Jenny 2

From

LORD HOWE

to

RAPA ITI

Date Nov 16 / 4 19 63

HOUR	LOG	DISTANCE MADE	COURSE GOOD	WIND DIRECTION AND FORCE	BAROMETER	LEEWAY	REMARKS
A.M. 1	299.3	5.0	T 56	SW. F 5-6	29.9	NIL	HEAVY SEAS But haven't shipped
2	305.	5.7	T 56	S.W. F 5-6	29.9	NIL	On yet as we are running before
3	308	3.0	T 56	SW. 5-6	29.9	NIL	which corresponds with our own
4	311	3.0	T 56	S.W. 5-6	29.9	NIL	20 knots of breaking on first 100
5	319.5	8.5	T 56	SW 5-6	29.9	NIL	Very uncomfortable down below
6	330	8.5	T 56	SW 8	29.9	NIL	decks.
7	337.4	7.4	T 56	SW 7	29.95	NIL	SEAS HEAVY HUGE SWELLS
8	344.8	7.4	T 56	SW 7	29.95	NIL	
9	350.4	6.4	T 56	SW 7	29.95	NIL	30 FT SWELLS CREVISE TO PEAK
10	357.4	6.4	T 56	SW 7	29.95	NIL	
11	364.4	7.0	T 56	SW 7	29.95	NIL	
N. 12	371.2	6.8	T 56	SW 7	29.95	NIL	
P.M. 1	376.9	5.7	T 56	SW 5-6	29.9	NIL	SEAS RECEIVING
2	382.7	5.7	T 56	S.W. 4-5	29.9	NIL	" "
3	387.7	5.0	T 56	S 5-6	29.9	NIL	
4	392.7	5.0	T 56	SE 5-6	29.9	NIL	
5	397.7	5.0	T 56	SE 5-6	29.95	NIL	
6	401-1	5.4	T 56	SE 5-6	30.0	NIL	VERY NEARLY REACHING
7	410	8.0	T 56	SE 5-6	30.1	NIL	HER MAXIMUM HULL SPEED
8	419	9.0	T 56	SE 5-6	30.1	NIL	THIS IS HER BEST POINT OF
9	428	9.0	T 56	SE 5-6	30.1	NIL	SAILING WITH THE WIND JUST
10	437.9	9.9	T 56	SE 6	30.1	NIL	ABAIT OF BEAM 9 NOTS FOR
11	445.2	7.8	T 56	SE 6	30.1	NIL	THE HOUR
8.1 12	452.6	7.3	T 56	SE 6	30.1	NIL	MODERATE SEAS

	LATITUDE	LONGITUDE		ENGINE USED.....Hrs.....Mins.			
			DAY'S RUN <u>140.2</u> Nautical Miles	FUEL—IN GALLONS			
A.M.				IN HAND	RECEIVED	CONSUMED	REMAINING
NOON	28° 35' S	171° 40'	CRUISE RUN <u>341.2</u> Nautical Miles	37	120	NIL	37
12-MN. P.M.	28° 35' S	169° 50'					

W.R. POSITION

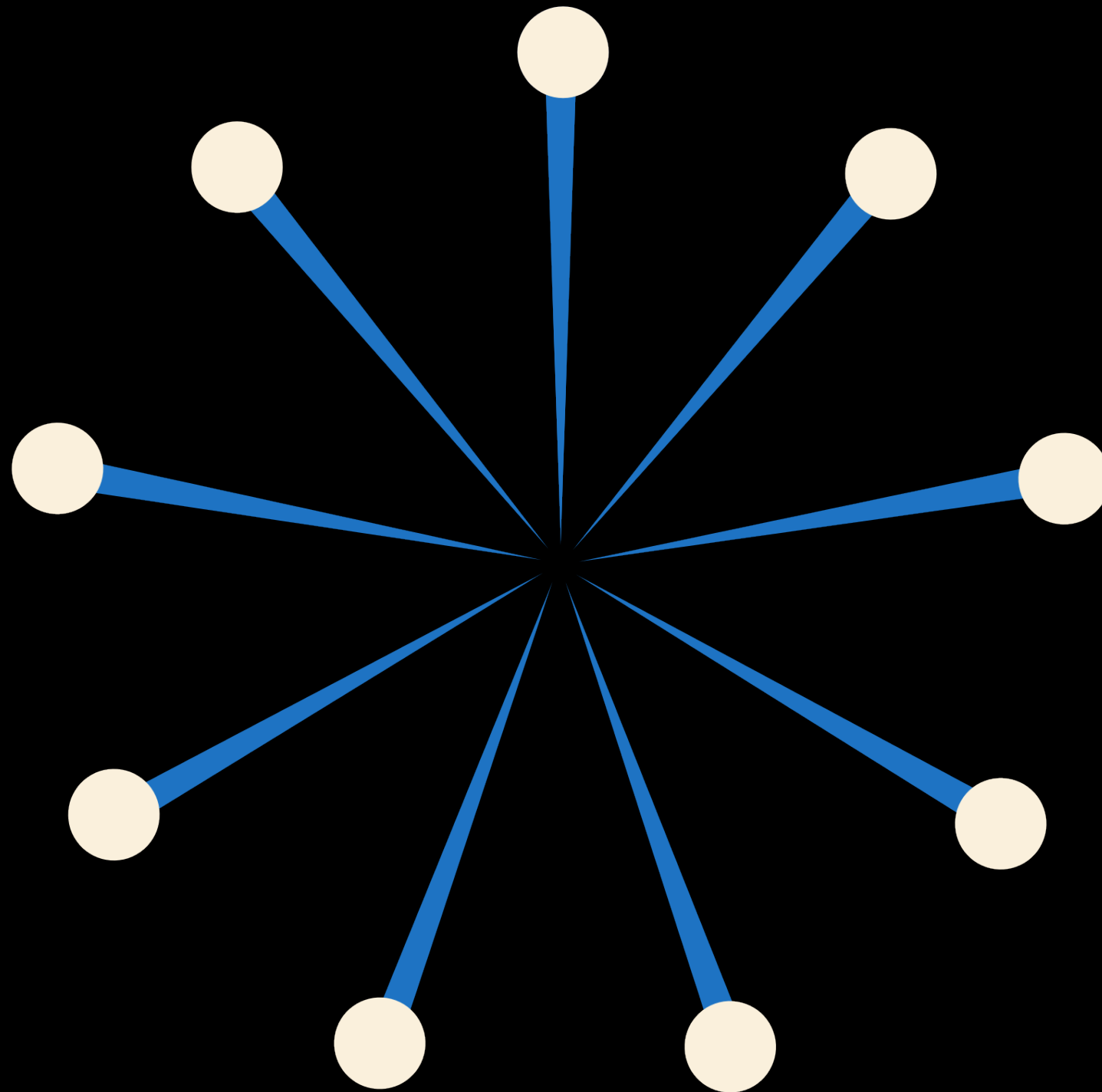
- Sum up all the rocks for the year
- Average # of rocks per day
- Biggest week
- Smallest month

What makes
numbers so useful for
modeling piles of
rocks?

All I needed for FP I
learned in High
School Algebra

Eric Normand

PurelyFunctional.tv



Clojure SYNC

4



a

4



a

+

2



b

6



a + b

2



b

2



b

+

4



a

6



b + a

For combining piles of rocks,
order doesn't matter

(+ a b)

$(+ \ a \ b)$

$(+ \ b \ a)$

(= (+ a b)
(+ b a))

(= (f a b)
 (f b a))

Commutativity

Commutativity

Order doesn't matter

$$(\text{=} (\text{f a b}) (\text{f b a}))$$

(= (f a b)
 (f b a))

```
(prop/for-all [a gen  
               b gen]
```

```
  (= (f a b)  
      (f b a)))
```

```
(prop/for-all [a gen/map  
               b gen/map]  
  (= (merge a b)  
     (merge b a)))
```



```
(prop/for-all [a gen-map1  
               b gen-map2]  
  (= (merge a b)  
     (merge b a)))
```

5



a

+

1



b

+

3



c

6



(a + b)

+

3



c

9



a + b + c

5



a

+

1



b

+

3



c

5



a

+

4



(b + c)

9



a + b + c

Grouping doesn't matter

a	b	c
a	b	c

(+ a b) c
a b c

$$\begin{array}{ccccccc}
 (& + & a & & b &) & c \\
 & & a & (& + & b & c)
 \end{array}$$

$(+ (+ a \quad b) \quad c)$
 $(+ a (+ b \quad c))$

$(+ (+ a b) c)$

$(+ a (+ b c))$

(= (+ (+ a b) c)
(+ a (+ b c))))

(= (f (f a b) c)
 (f a (f b c))))

Associativity

Associativity

Grouping doesn't
matter

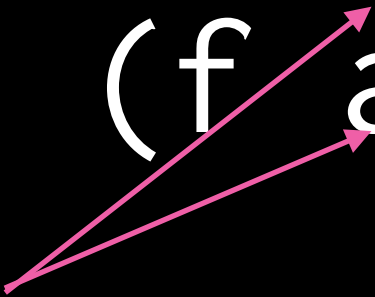
$$\begin{aligned} (= & (f (f a b) c) \\ & (f a (f b c))) \end{aligned}$$

Types

$$(\text{= } (f \ (f \ a \ b) \ c) \ (f \ a \ (f \ b \ c)))$$

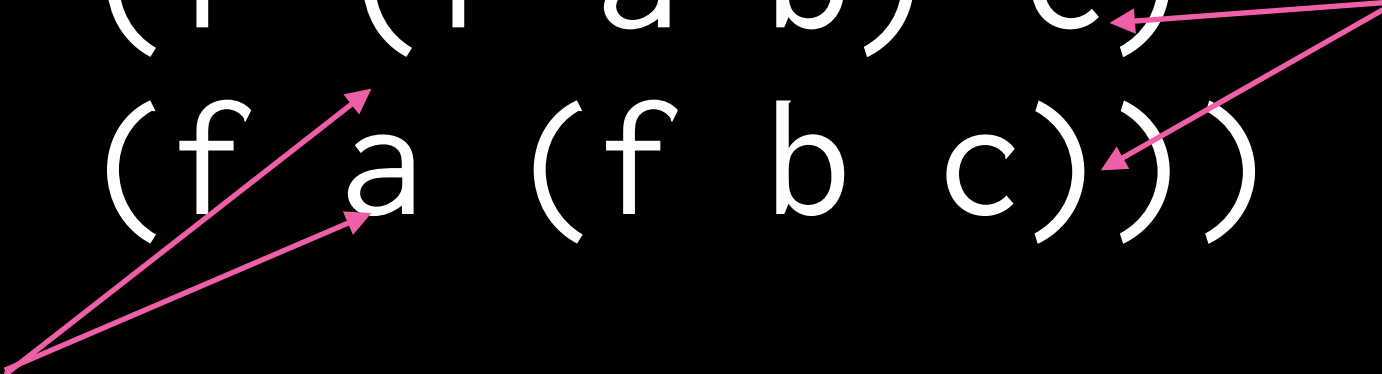
Types

(= (f (f a b) c)
 (f a (f b c)))

A diagram consisting of two pink arrows. Both arrows originate from a single point located to the left of the 'a' in the second expression, '(f a (f b c))'. One arrow points diagonally upwards and to the right, terminating at the 'a'. The other arrow points diagonally downwards and to the right, also terminating at the 'a'. This visualizes the shared argument 'a' between the two function applications.

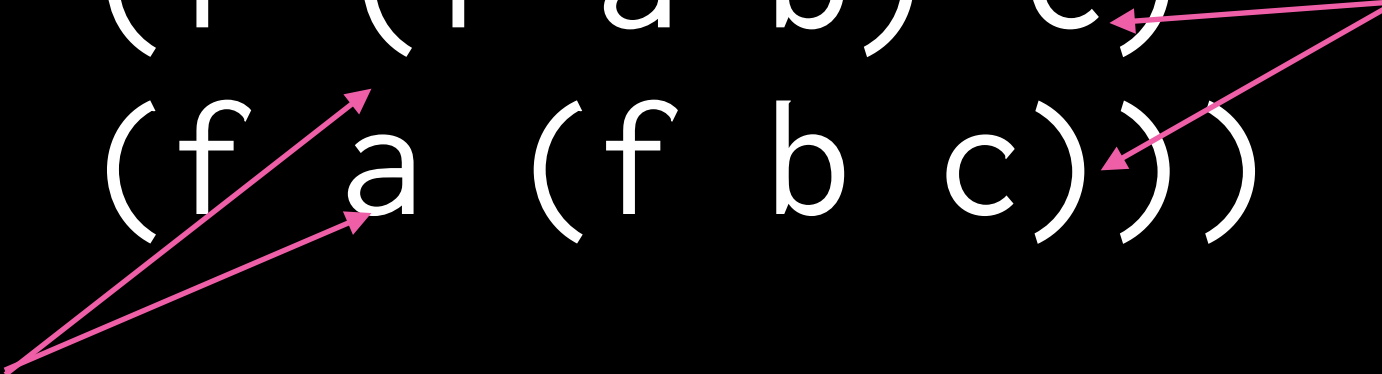
Types

$(= (f (f a b) c)$
 $(f a (f b c)))$



Types

`(= (f (f a b) c)
 (f a (f b c)))`



return value of `f` and its two
arguments need to be the same type

Whole Values

Whole Values

Combining two piles makes a new pile

Whole Values

Combining two piles makes a new pile

Concatenating two lists makes a new list

Whole Values

Combining two piles makes a new pile

Concatenating two lists makes a new list

Merging two hash maps makes a new hash map

Commutativity

Associativity

Order doesn't matter

Grouping doesn't matter

(= (f a b)
 (f b a))

(= (f (f a b) c)
 (f a (f b c)))

```
(defn average [a b]  
  (/ (+ a b) 2))
```

Order doesn't matter

(= (average a b) (average b a))
a = 10, b = 4

Order doesn't matter

`(= (average a b) (average b a))`

`a = 10, b = 4`

`(average 10 4) => 7`



Order doesn't matter

~~(= (average a b) (average b a))~~

a = 10, b = 4

(average 10 4) => 7

(average 4 10) => 7

Does grouping matter?

Does grouping matter?

(= (average (average a b) c)
 (average a (average b c)))

a = 10, b = 4, c = 6

Does grouping matter?

(= (average (average a b) c)
 (average a (average b c)))

a = 10, b = 4, c = 6

(average 10 4) => 7



Does grouping matter?

~~(= (average (average a b) c)~~
~~(average a (average b c)))~~

a = 10, b = 4, c = 6

(average 10 4) => 7

(average 7 6) => 6.5

Does grouping matter?

$(= (\text{average} (\text{average } a \ b) \ c)$
 $\quad (\text{average } a \ (\text{average } b \ c)))$

$a = 10, b = 4, c = 6$

$(\text{average } 10 \ 4) \Rightarrow 7$

$(\text{average } 7 \ 6) \Rightarrow 6.5$

$(\text{average } 4 \ 6) \Rightarrow 5$

Does grouping matter?

$(= (\text{average} (\text{average } a \ b) \ c)$
 $(\text{average } a \ (\text{average } b \ c)))$

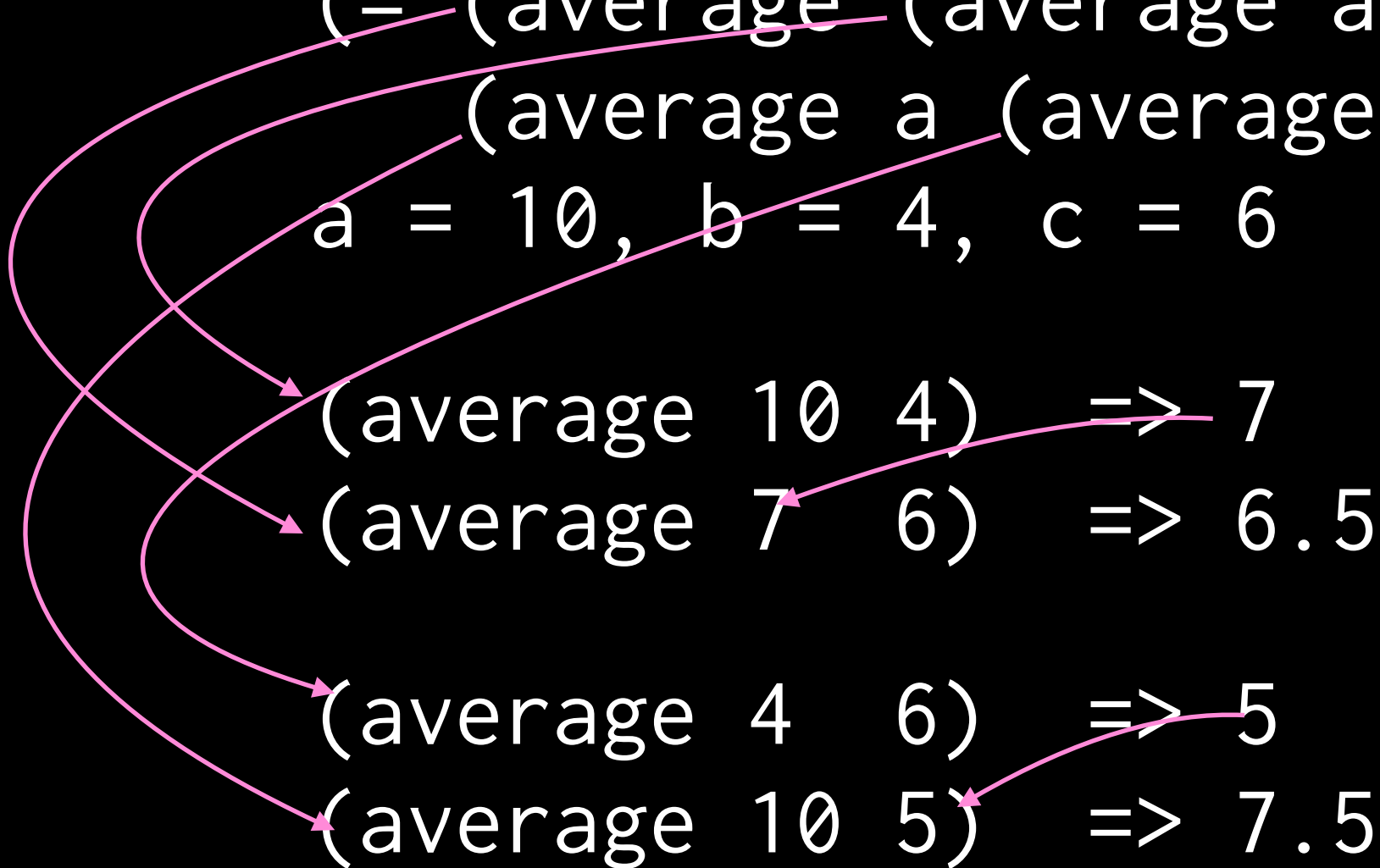
$a = 10, b = 4, c = 6$

$(\text{average } 10 \ 4) \Rightarrow 7$

$(\text{average } 7 \ 6) \Rightarrow 6.5$

$(\text{average } 4 \ 6) \Rightarrow 5$

$(\text{average } 10 \ 5) \Rightarrow 7.5$



Does grouping matter?

$(= (\text{average} (\text{average } a \ b) \ c)$
 $(\text{average } a \ (\text{average } b \ c)))$

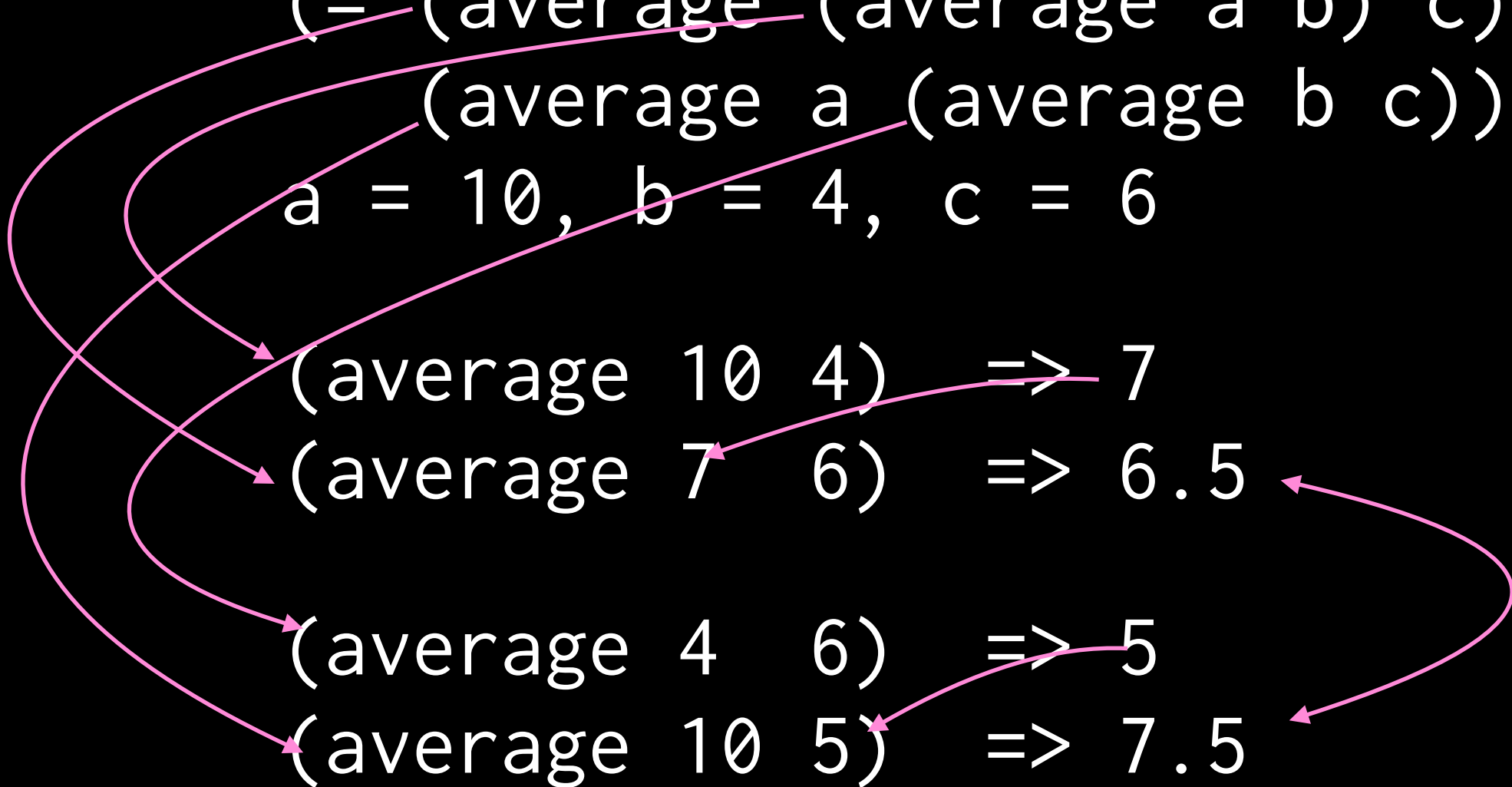
$a = 10, b = 4, c = 6$

$(\text{average } 10 \ 4) \Rightarrow 7$

$(\text{average } 7 \ 6) \Rightarrow 6.5$

$(\text{average } 4 \ 6) \Rightarrow 5$

$(\text{average } 10 \ 5) \Rightarrow 7.5$



```
(defn average [a b]  
  (/ (+ a b) 2))
```

```
function average(numbers) {  
    var sum    = 0;  
    var count = 0;  
    for(i = 0; i < numbers.length; i++) {  
        sum    += numbers[i];  
        count += 1;  
    }  
    if(count === 0) {  
        return null;  
    }  
    return sum / count;  
}
```

```
function average(numbers) {  
    var sum    = 0;  
    var count = 0;  
    for(i = 0; i < numbers.length; i++) {  
        sum    += numbers[i]; ←  
        count += 1; ←  
    }  
    if(count === 0) {  
        return null;  
    }  
    return sum / count;  
}
```



```
(defn combine [
```

```
)
```

```
(defn combine [          ]  
              )
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  )
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```



```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```



```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average [numbers]  
  (reduce combine (map ->average numbers)))
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average [numbers]  
  (reduce combine ? (map ->average numbers)))
```

Where do you start a computation?

$(+ a \emptyset)$

$(= (+ a 0) a)$

$(= (f \ a \ i_f) \ a)$

Identity value

Identity value

Where to start

```
(= (f a if) a)
```



```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average [numbers]  
  (reduce combine ? (map ->average numbers)))
```

```
function average(numbers) {  
    var sum    = 0;           ←  
    var count  = 0;           ←  
    for(i = 0; i < numbers.length; i++) {  
        sum    += numbers[i];  
        count += 1;  
    }  
    if(count === 0) {  
        return null;  
    }  
    return sum / count;  
}
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average [numbers]  
  (reduce combine [0 0] (map ->average numbers)))
```

Monoid

Monoid

Associative and has identity value

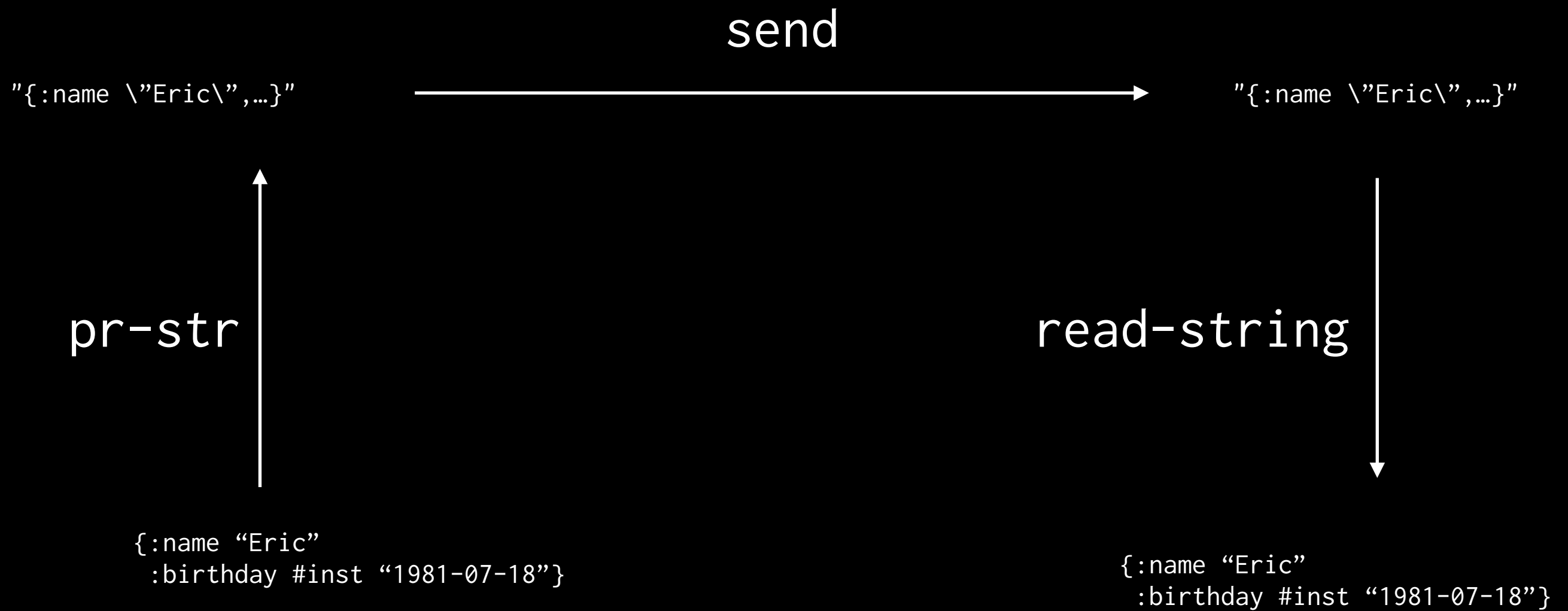
Commutative	Order doesn't matter	<code>(= (f a b) (f b a))</code>
Associative	Grouping doesn't matter	<code>(= (f (f a b) c) (f a (f b c)))</code>
Identity value	Where to start	<code>(= (f a i) a)</code>
Monoid	Whole value with starting/empty value	Associative + Identity value



C. BONDSON CO.

**Moving into a new space, doing a
calculation, then moving back**

Going back and forth matters



(pr-str a)

```
(read-string  
  (pr-str a))
```

```
(= (read-string  
    (pr-str a))  
   a)
```

(= (g (f a)) a)

Inverse

g is the inverse of f

Inverse

Going back and forth
matters

$$(\text{=} (g (f a)) a)$$


```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average [numbers]  
  (reduce combine [0 0] (map ->average numbers)))
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average-> [[sum count]]  
  (/ sum count))
```



```
(defn average [numbers]  
  (->> numbers  
    (map ->average)  
    (reduce combine [0 0])  
    average->))
```

```
(defn combine [[sum1 count1] [sum2 count2]]  
  [(+ sum1 sum2) (+ count1 count2)])
```

```
(defn ->average [number]  
  [number 1])
```

```
(defn average-> [[sum count]]  
  (/ sum count))
```



```
(defn average [numbers]  
  (->> numbers  
    (map ->average)  
    (reduce combine [0 0])  
    average->))
```





Duplicates don't matter

```
(-> m  
  (assoc :a "hello"))
```

```
(-> m  
  (assoc :a "hello")  
  (assoc :a "hello"))
```

```
(= (-> m
      (assoc :a "hello")
      (assoc :a "hello")))
(-> m
  (assoc :a "hello")))
```


(= (f a)
(f a))

(= (f (f a))
(f a))

Idempotence

Idempotence

Duplicates don't matter

$$(\text{=} (\text{f} (\text{f } a)) (\text{f } a))$$


```
(def button-state (atom {}))
```

```
(def button-state (atom {}))
```

```
(defn press! [button-id]  
  (swap! button-state assoc button-id true))
```

```
(def button-state (atom {}))
```

```
(defn press! [button-id]  
  (swap! button-state assoc button-id true))
```

```
...
```



```
(def button-state (atom {}))
```

```
(defn press! [button-id]  
  (swap! button-state assoc button-id true))
```

```
...
```

```
(press! :3rd-floor-north-up)
```

```
(def button-state (atom {}))
```

```
(defn press! [button-id]  
  (swap! button-state assoc button-id true))
```

```
...
```

```
(press! :3rd-floor-north-up)
```

```
(press! :3rd-floor-north-up)
```

```
(def button-state (atom {}))
```

```
(defn press! [button-id]  
  (swap! button-state assoc button-id true))
```

```
...
```

```
(press! :3rd-floor-north-up)
```

```
(press! :3rd-floor-north-up)
```

```
(press! :3rd-floor-north-up)
```

Commutative	Order doesn't matter	<code>(= (f a b) (f b a))</code>
Associative	Grouping doesn't matter	<code>(= (f (f a b) c) (f a (f b c)))</code>
Identity value	Where to start	<code>(= (f a i) a)</code>
Inverse	Going back and forth	<code>(= (g (f a)) a)</code>
Idempotence	Duplicates don't matter	<code>(= (f (f a)) (f a))</code>
Zero value	When to stop	<code>(= (f a z) z)</code>
Structure Preservation	Rearranging work	<code>(= (map identity a) a) (= (map (comp f g) a) (map f (map g a)))</code>

Translating
properties is what
allows us to program

You can add these
properties to
operations that don't
have them naturally

You can discover
your own properties
or tweak the well-
known ones to suit
your needs

Challenges of distributed systems

Challenges of distributed systems

- Messages are delivered out of order

Challenges of distributed systems

- Messages are delivered out of order
- Messages are delivered one or more times

Challenges of distributed systems

- Messages are delivered out of order
- Messages are delivered one or more times
- Sending tasks and combining answers

Challenges of distributed systems

- Messages are delivered out of order
- Messages are delivered one or more times
- Sending tasks and combining answers
- Where do workers start?

Challenges of distributed systems

- Messages are delivered out of order
- Messages are delivered one or more times
- Sending tasks and combining answers
- Where do workers start?
- Serialization/deserialization

Algebraic properties
make great
test.check properties

(= (f a b)
 (f b a))

```
(prop/for-all [a gen  
               b gen]
```

```
  (= (f a b)  
     (f b a)))
```



```
(prop/for-all [a gen/int  
               b gen/int]
```

```
  (= (* a b)  
     (* b a)))
```