

Computational Vision

Beyond the LN

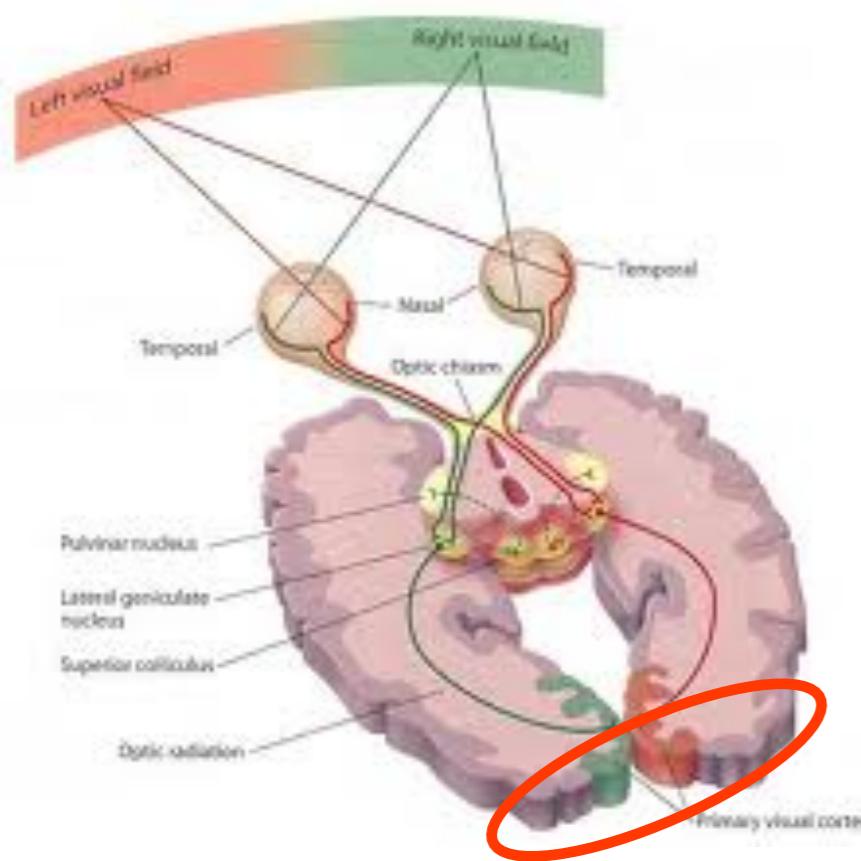
- Gain control / normalization
- Contextual interactions
- Pooling / invariance



RF organization in V1



Hubel & Wiesel



Complex cell

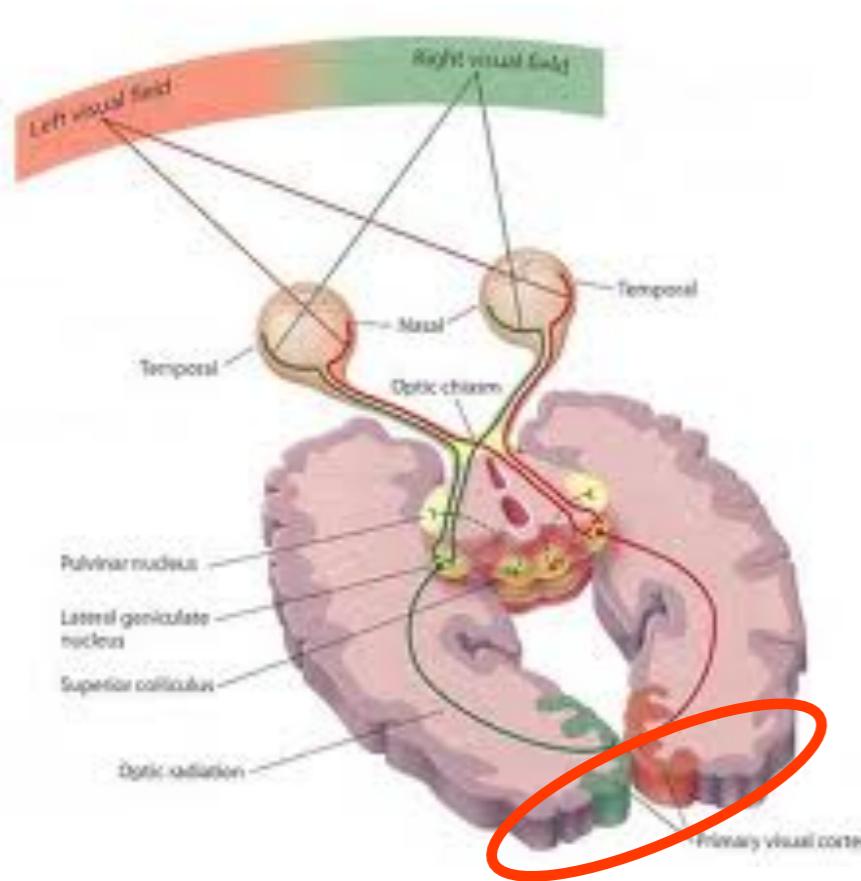


Hubel & Wiesel '59 '62 '68

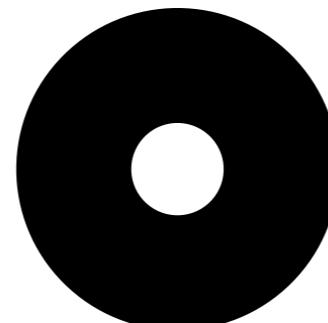
RF organization in V1



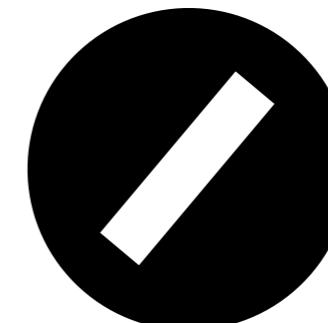
Hubel & Wiesel



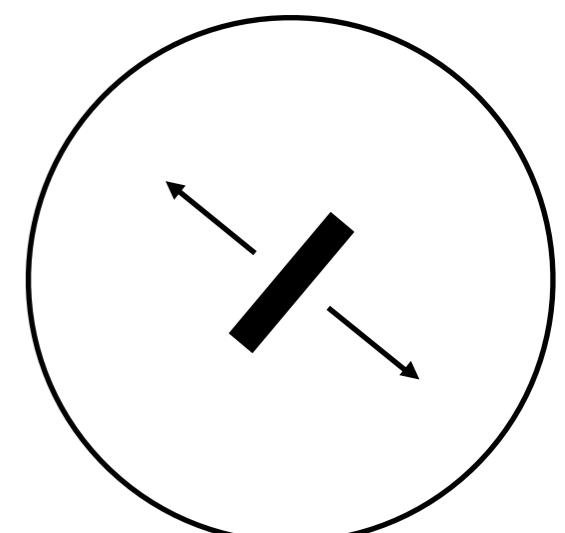
ganglion
cells



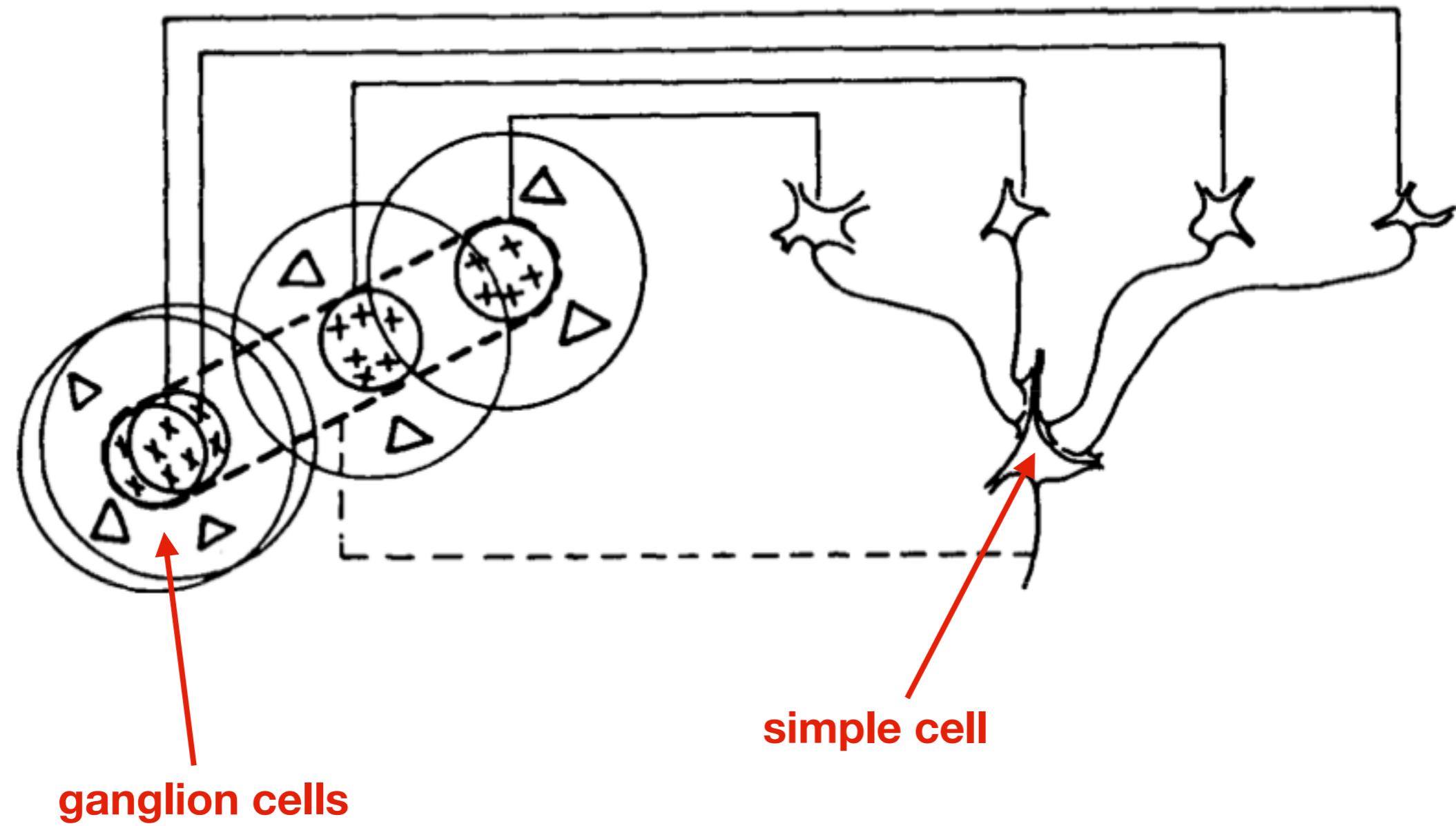
simple
cells



complex
cells



Hubel & Wiesel (feedforward) model



Validation of the feedforward model

V1-LGN simultaneous recordings

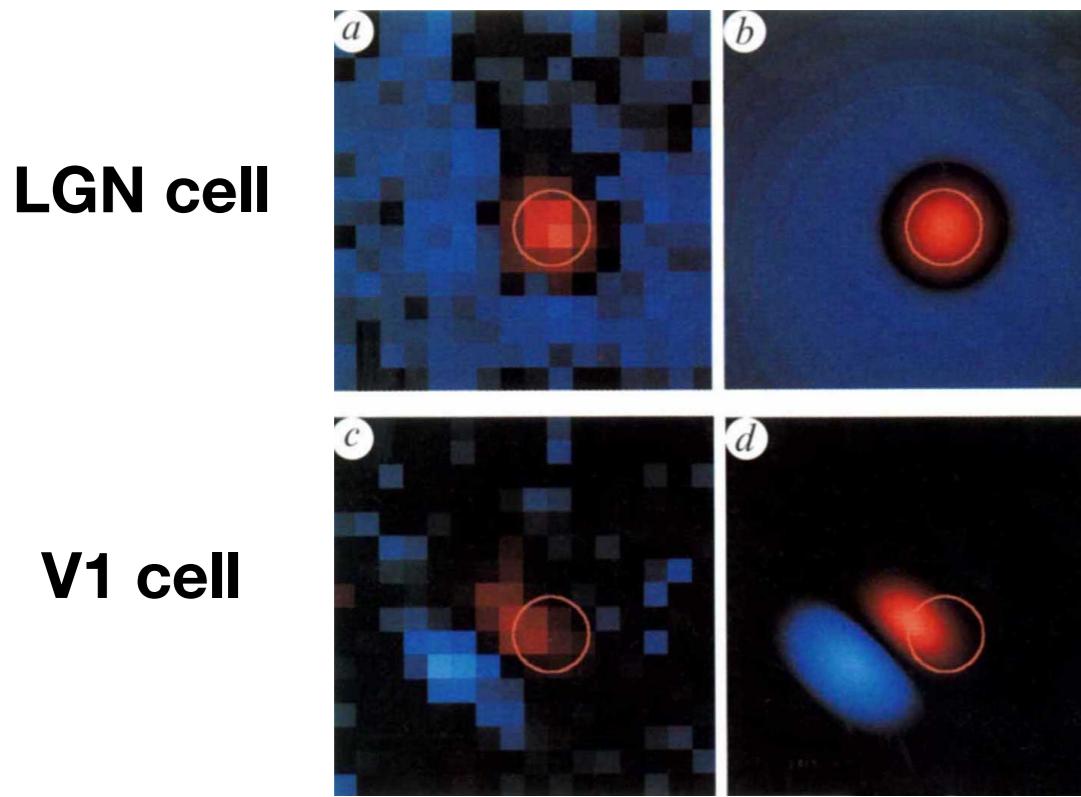
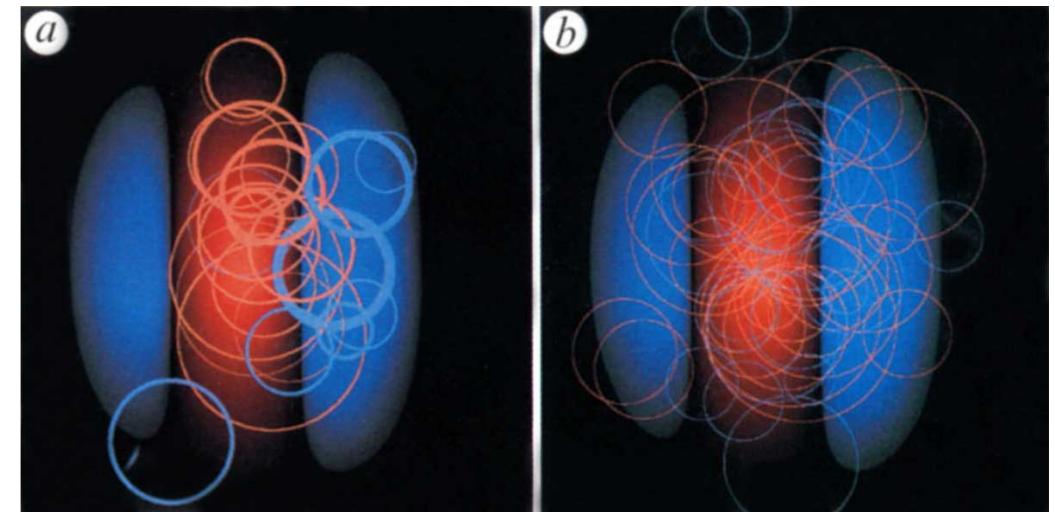
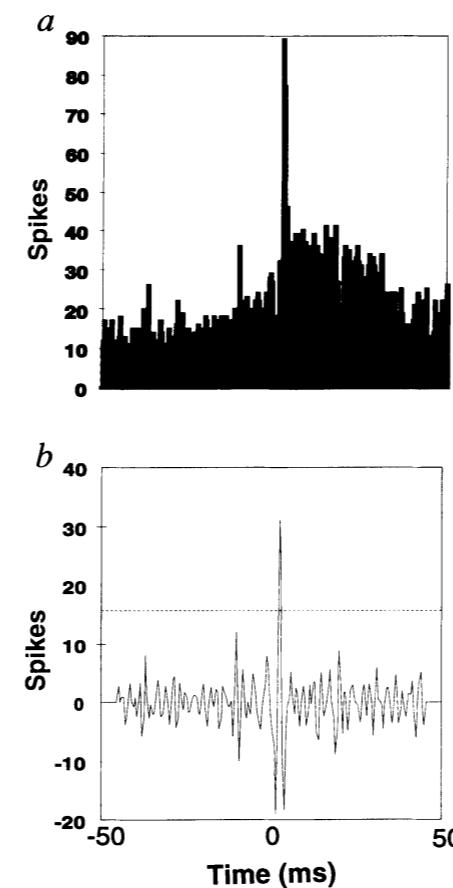


TABLE 1 Connections between overlapping X cells and simple cells

	Connected	Total	Percentage	Strength mean/median (%)
Same-sign	17	27	63%	3.5/2.6
(centred)	6	7	86%	2.1/1.6
Border	5	31	19%	2.4/2.0
Opposite-sign	1	16	6%	0.2/0.2
Total	23	74	31%	3.1/2.4

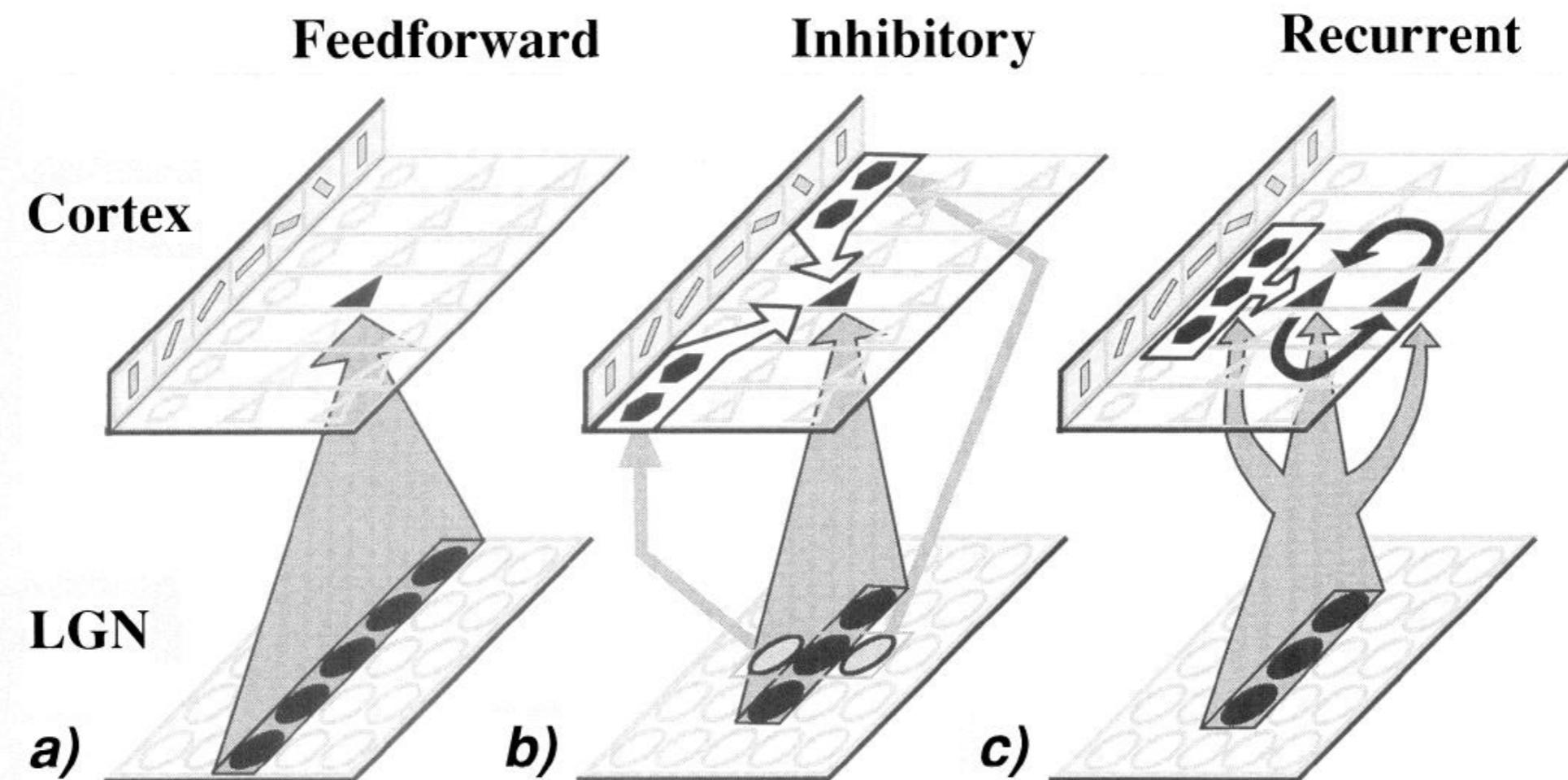
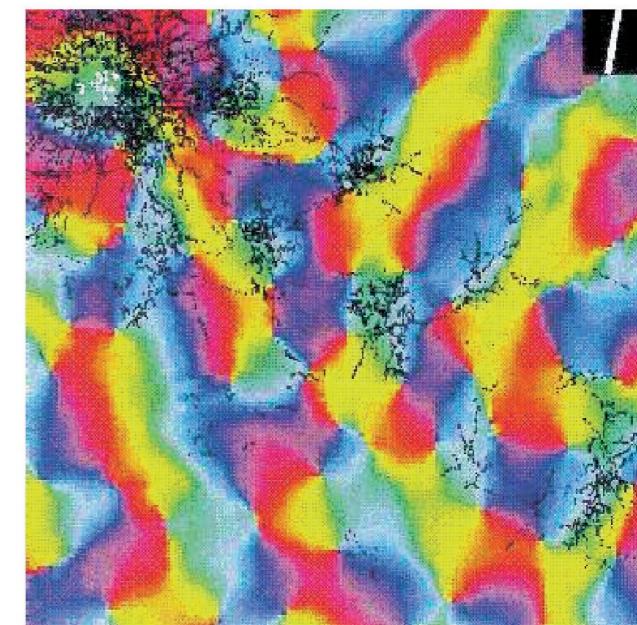


cross-correlogram



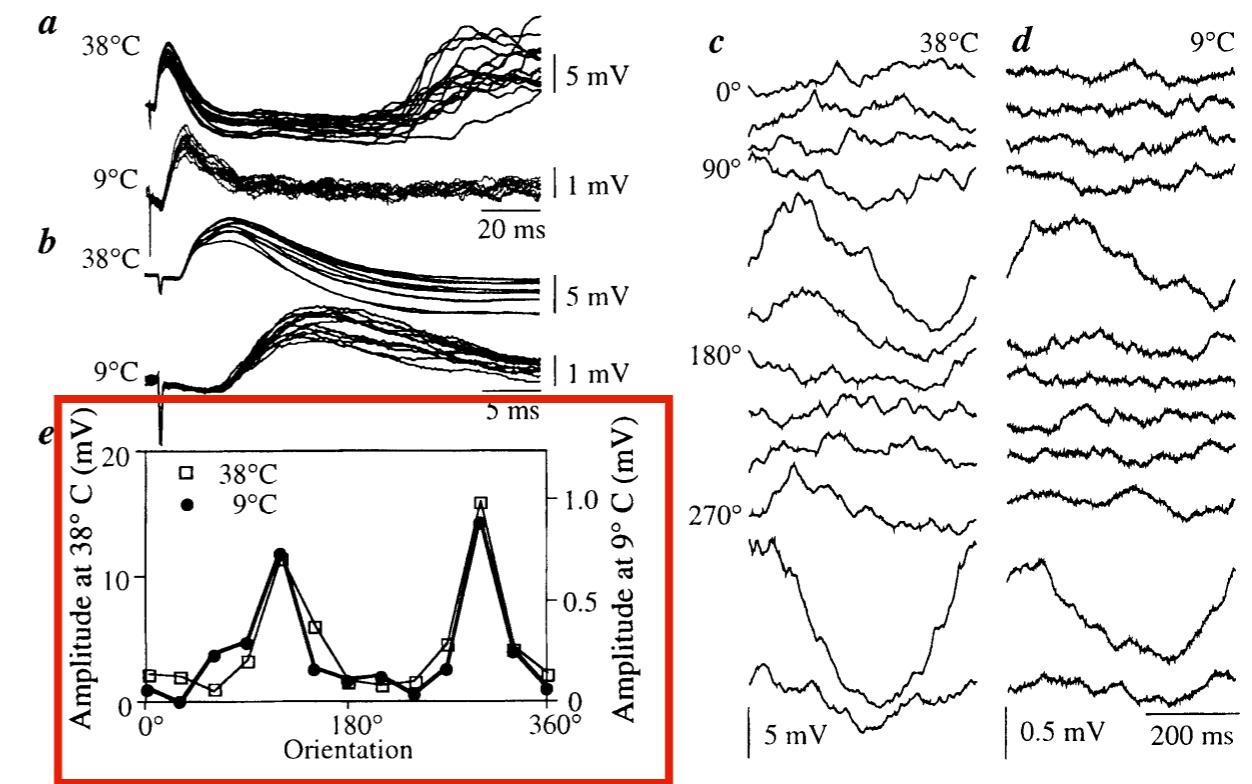
Reid & Alonso 1995

Alternative models



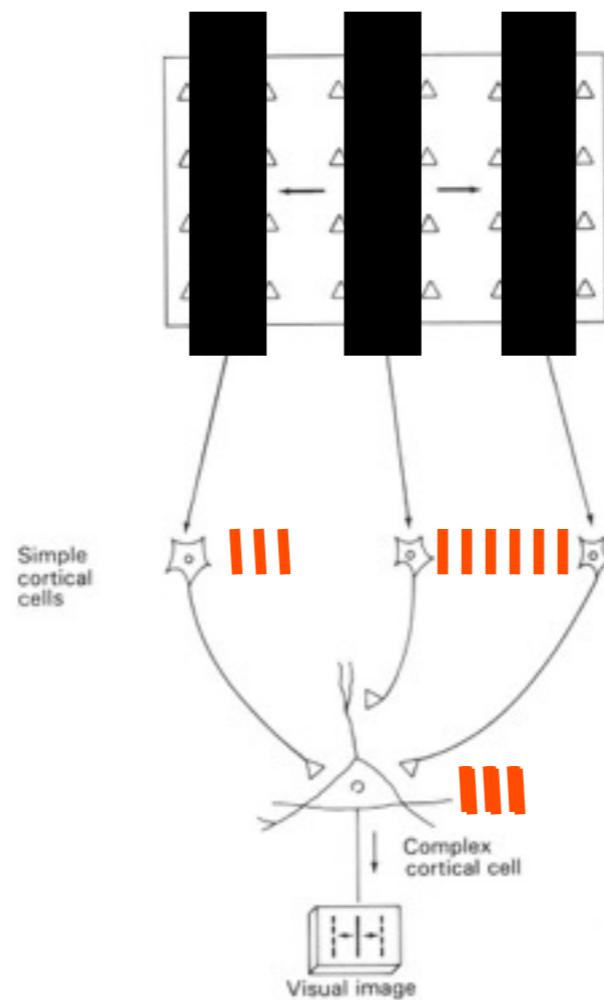
Validation of the feedforward model

- Silencing/cooling the cortex does not seem to affect orientation tuning
- Suggest that core computation is outside cortex, i.e., in LGN



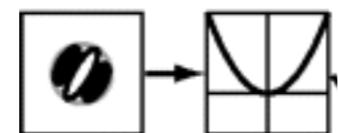
How would you go about building a complex cell?

Hubel & Wiesel (feedforward) model cont'd

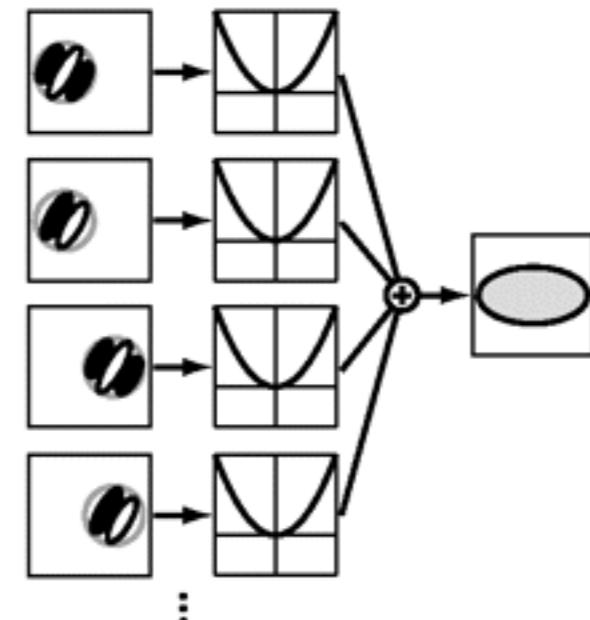


Hubel & Wiesel (feedforward) model cont'd

squaring / “energy model”

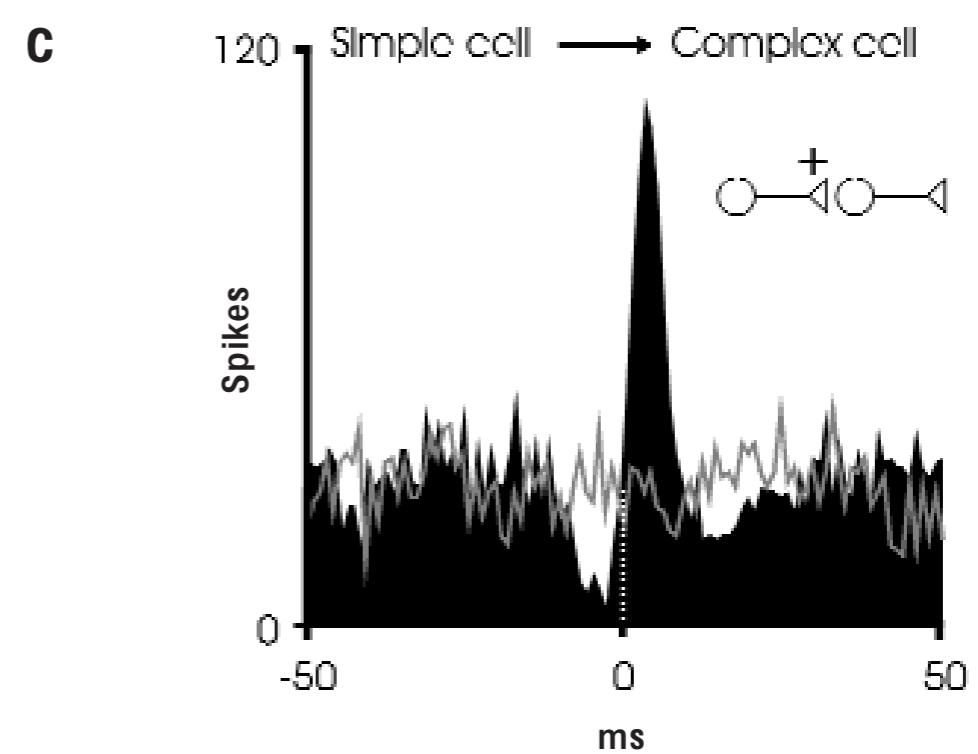
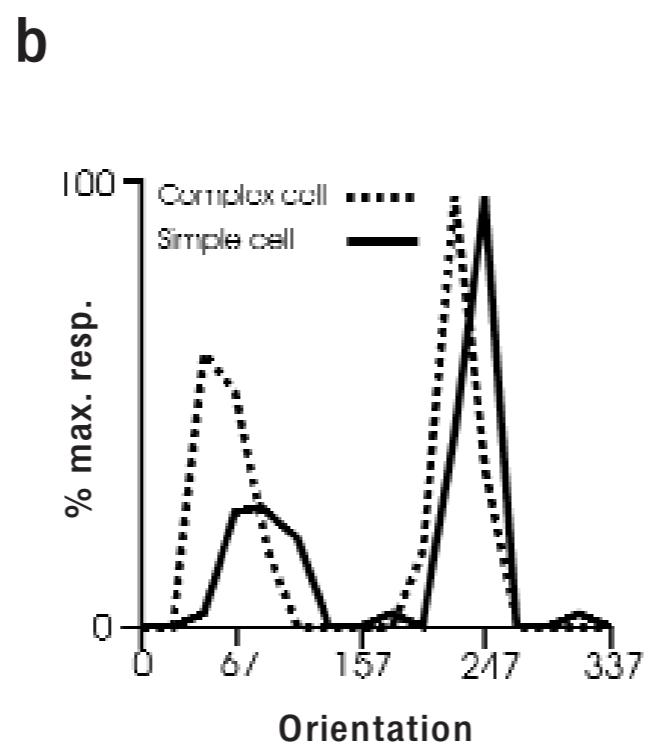
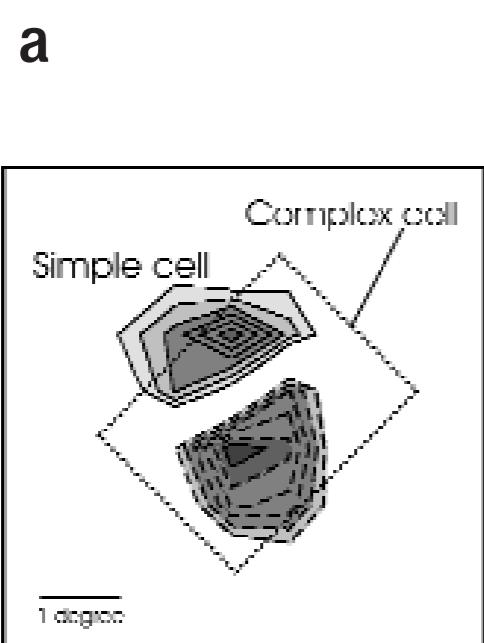


complete model

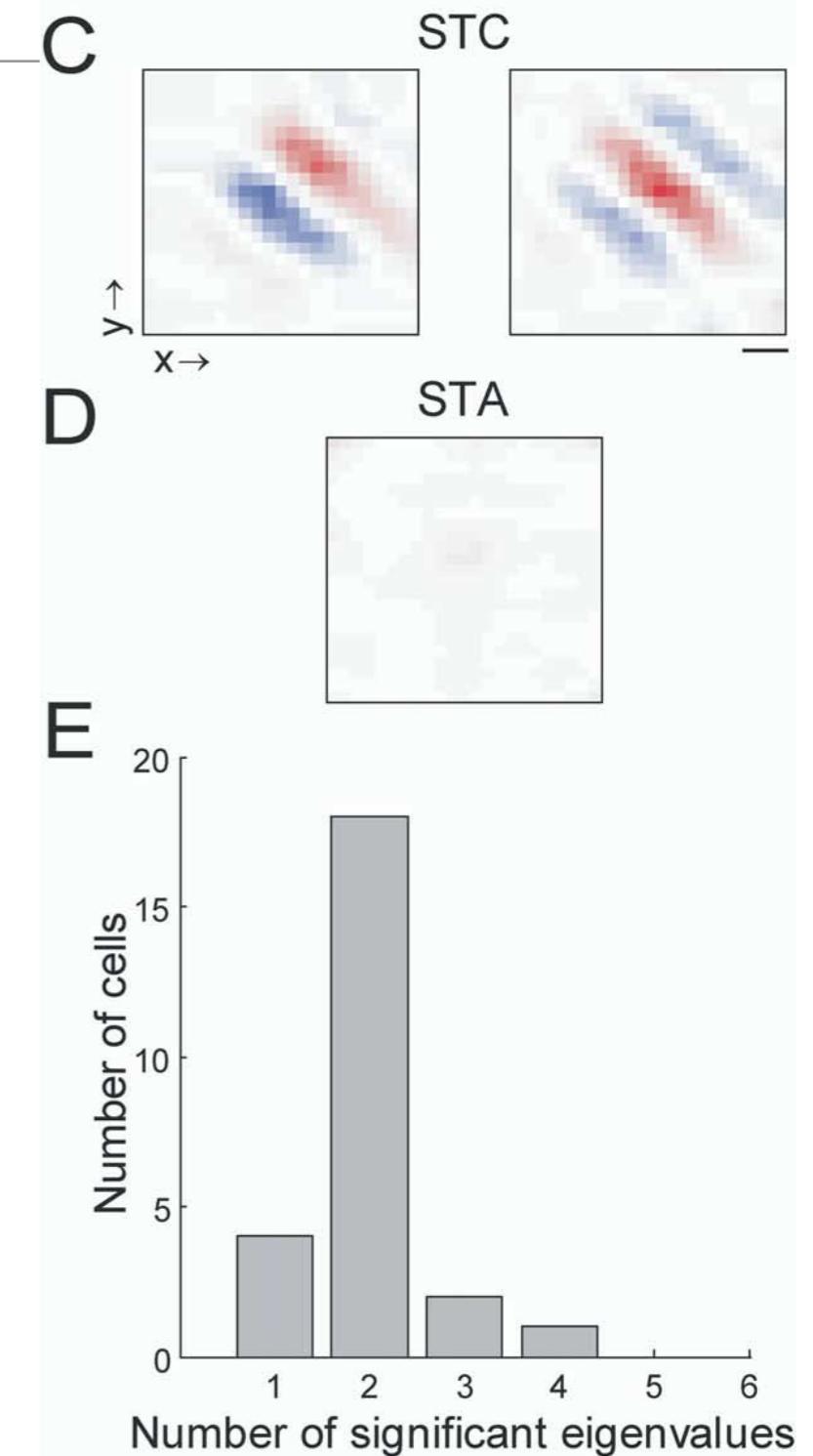
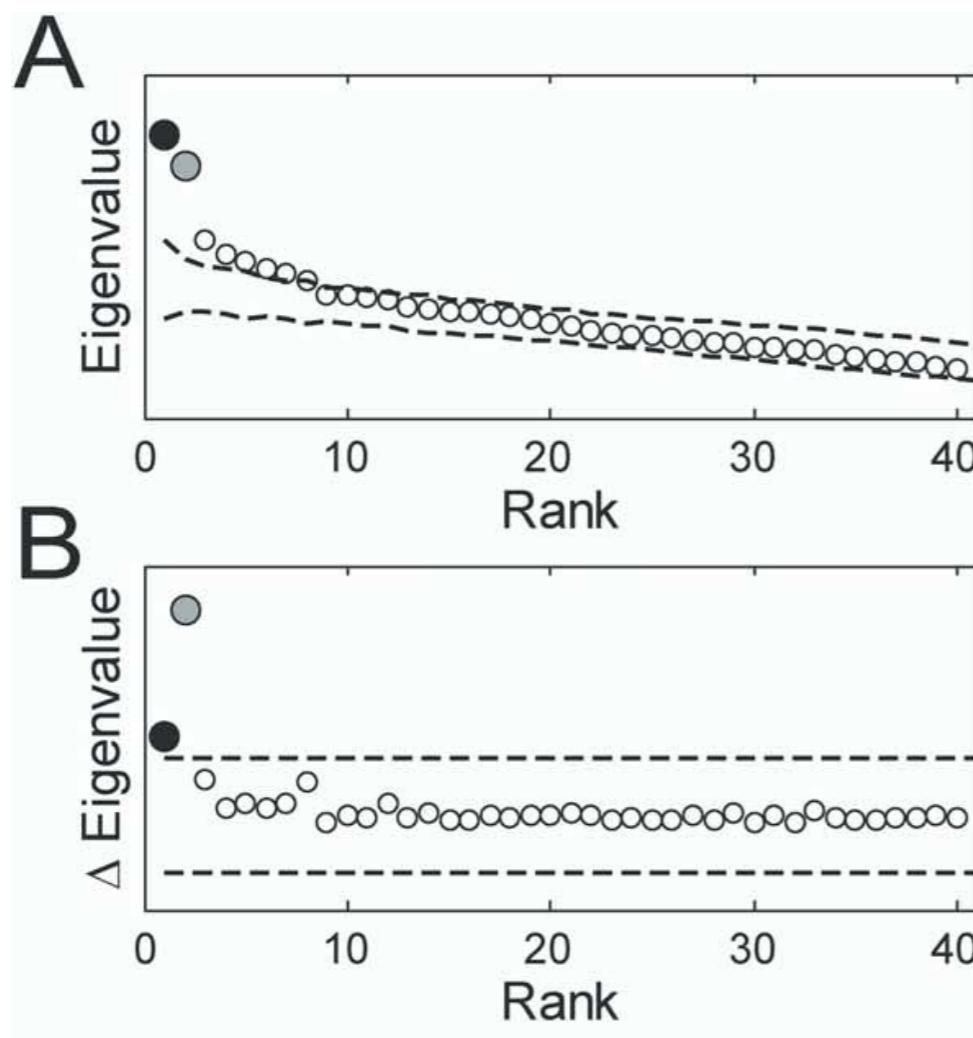


Validation of the feedforward model

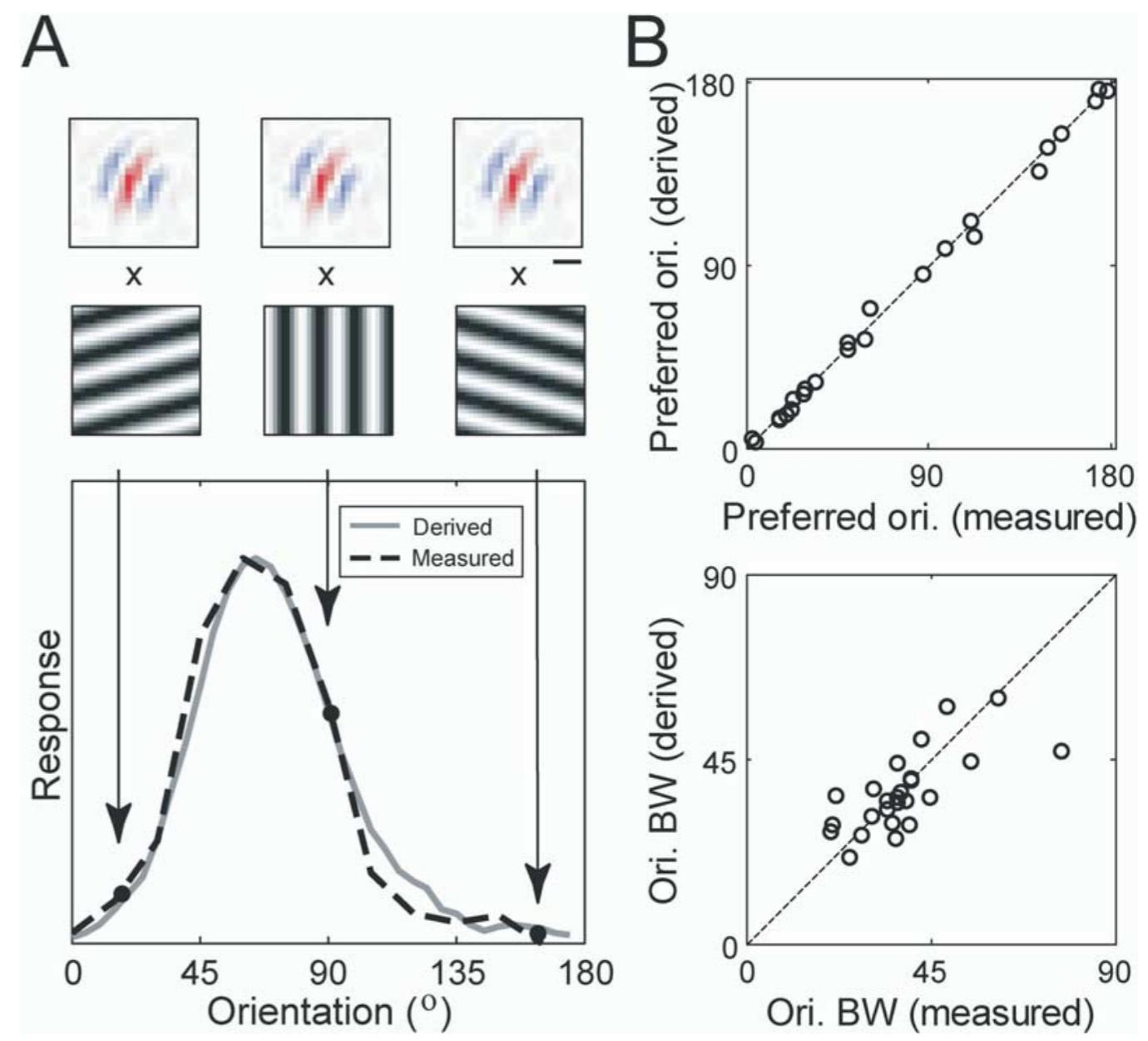
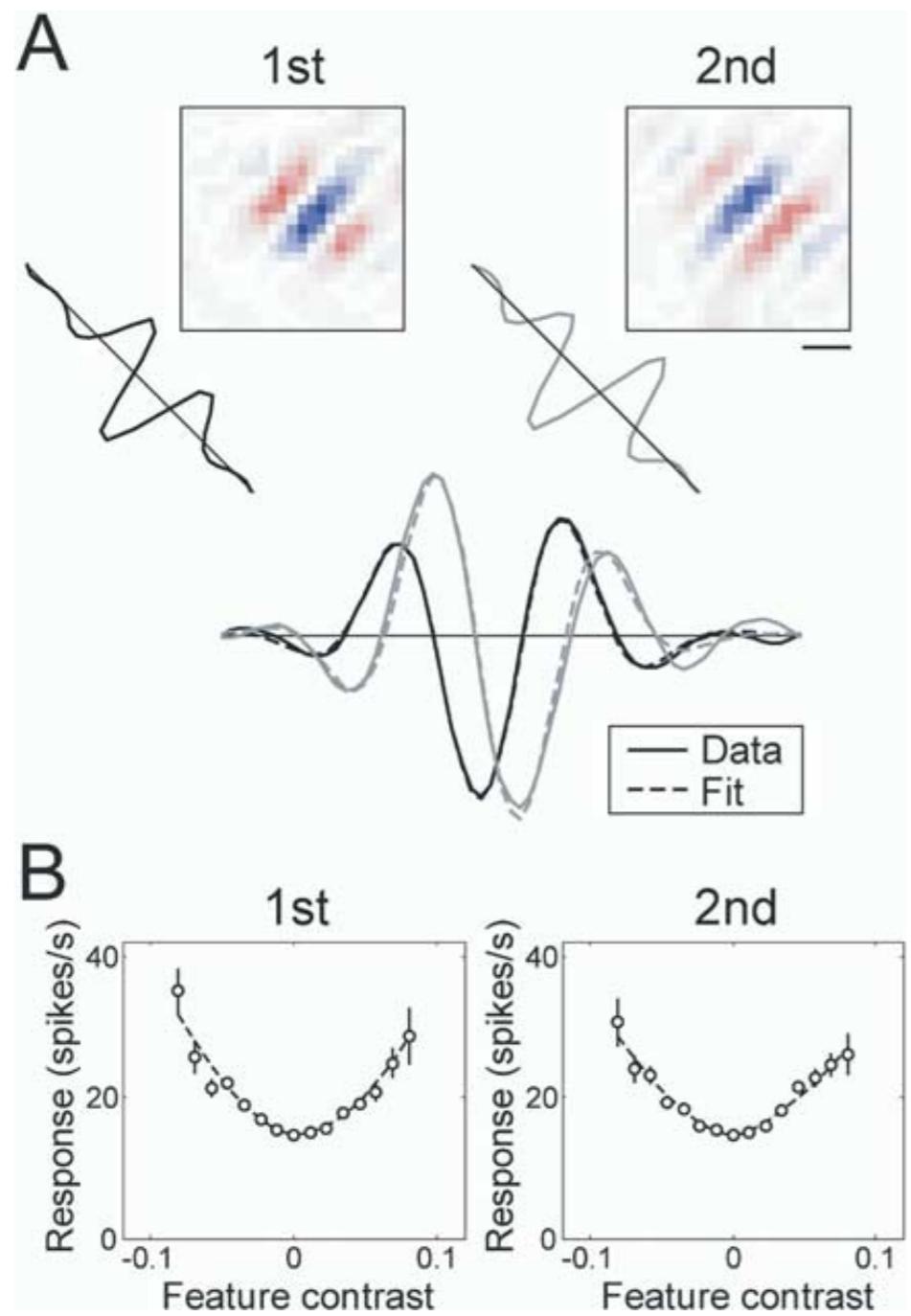
simple-complex cells
connected pair



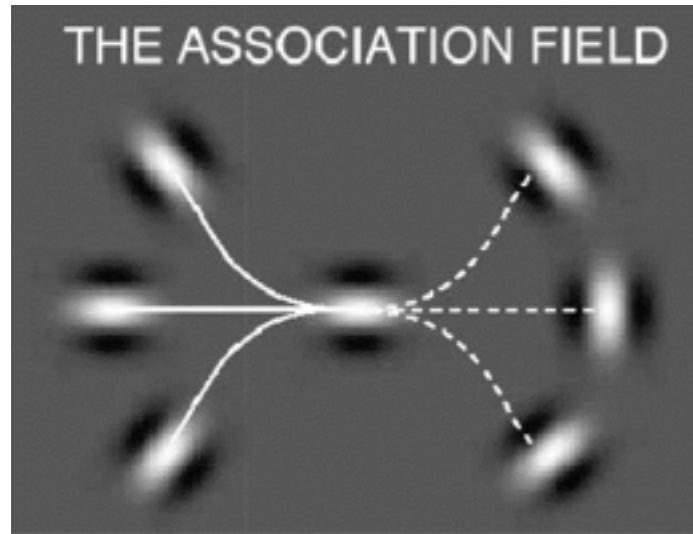
Energy mechanisms and divisive normalization



Energy mechanisms and divisive normalization



Computational models of complex cells

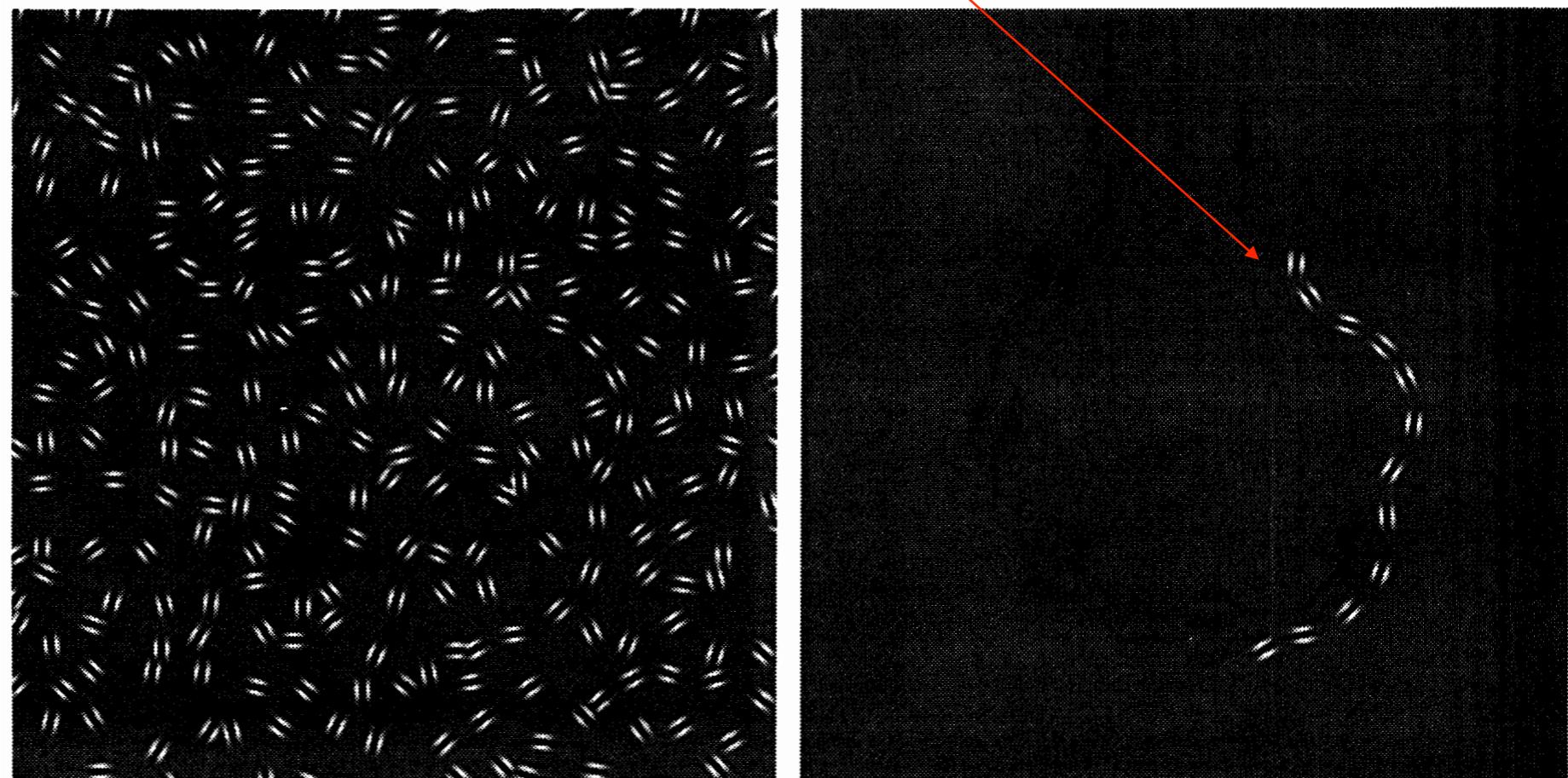


Contour integration only occurs when:-

- Path-Angle change is less than $\pm 60^\circ$
- Spacing between Gabor patches is no greater than 4-6 Gabor wavelength
- The orientation of individual elements is close to that of the contour

Other Variables:-
The phase of the Gabor patch was found to be irrelevant.
Detection improves as the number of elements increases towards 12.

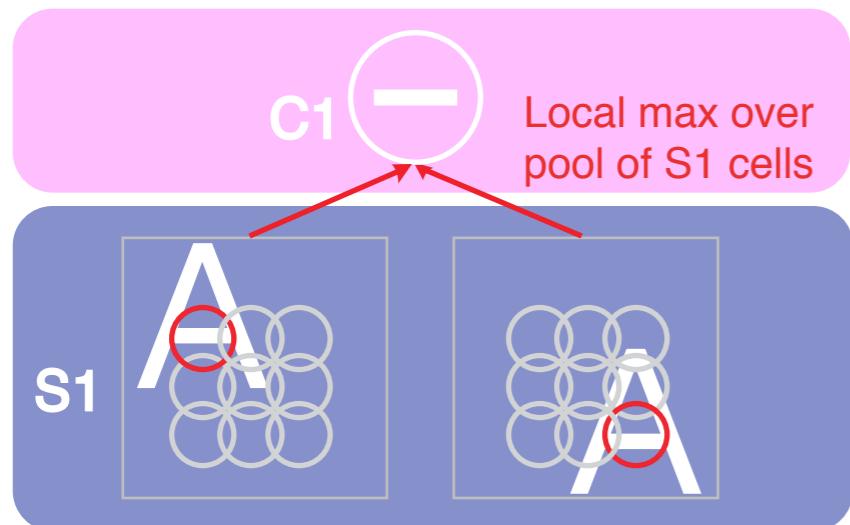
Changing phase has little effect



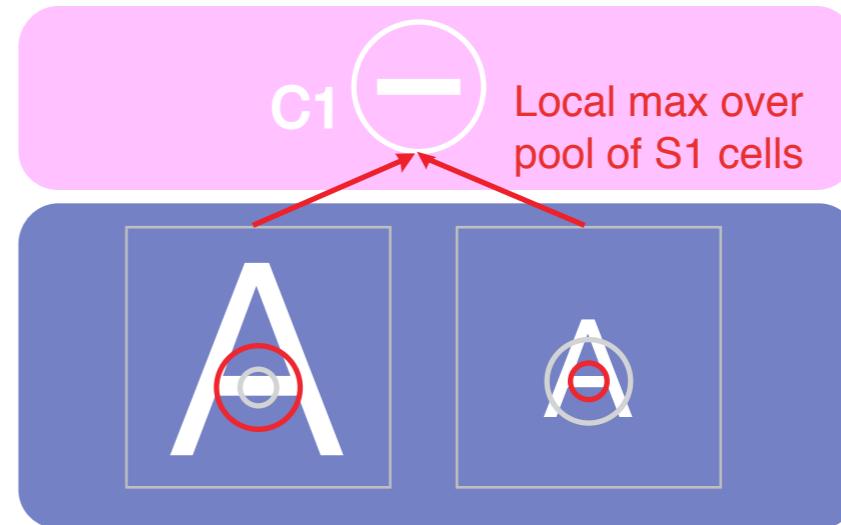
Max pooling

Motivation: Superposition problem and robustness to clutter

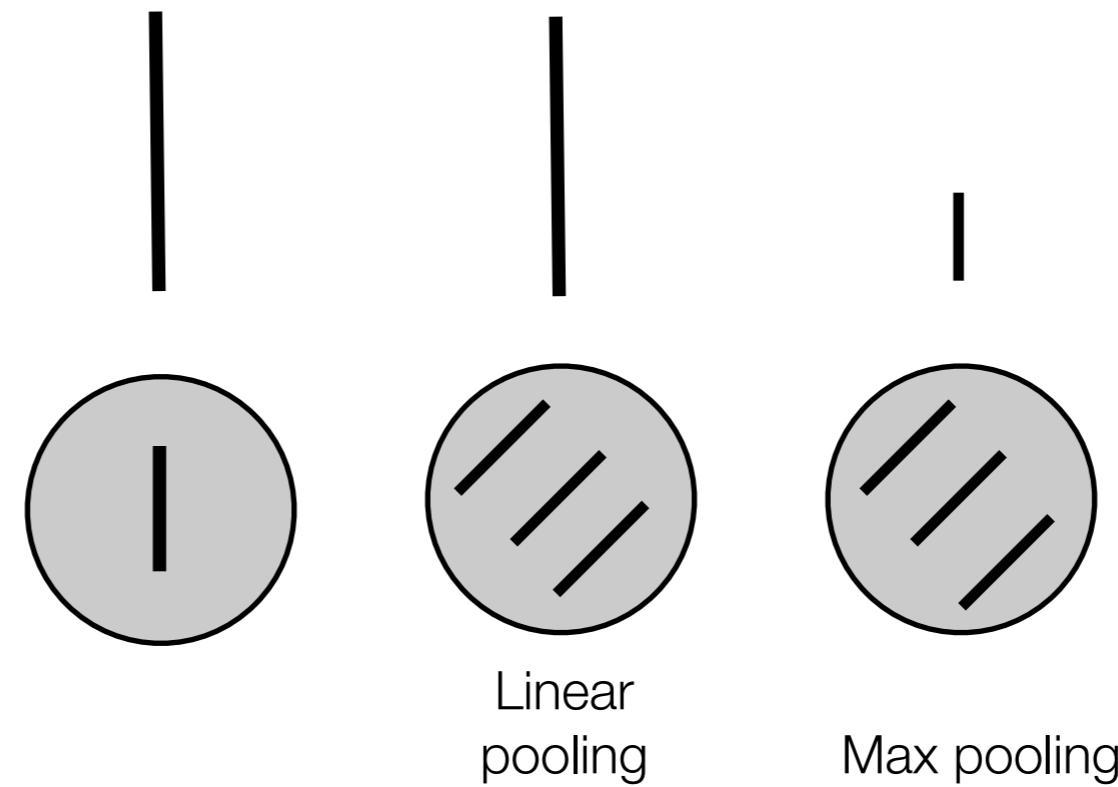
Increase in tolerance to **position**



Increase in tolerance to **scale**



Superposition problem



Computational diversity

9638 • The Journal of Neuroscience, September 5, 2007 • 27(36):9638–9648

Behavioral/Systems/Cognitive

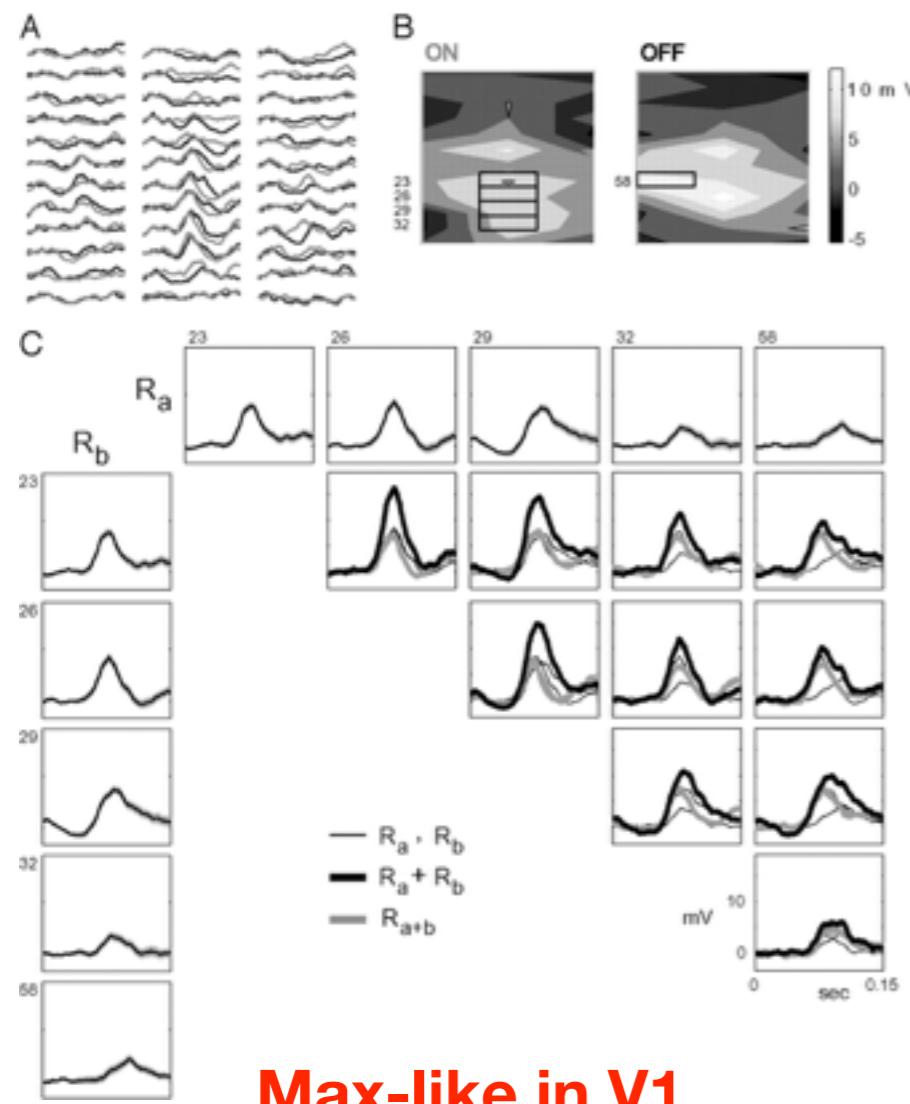
Computational Diversity in Complex Cells of Cat Primary Visual Cortex

Ian M. Finn and David Ferster

Department of Neurobiology and Physiology, Northwestern University, Evanston, Illinois 60208

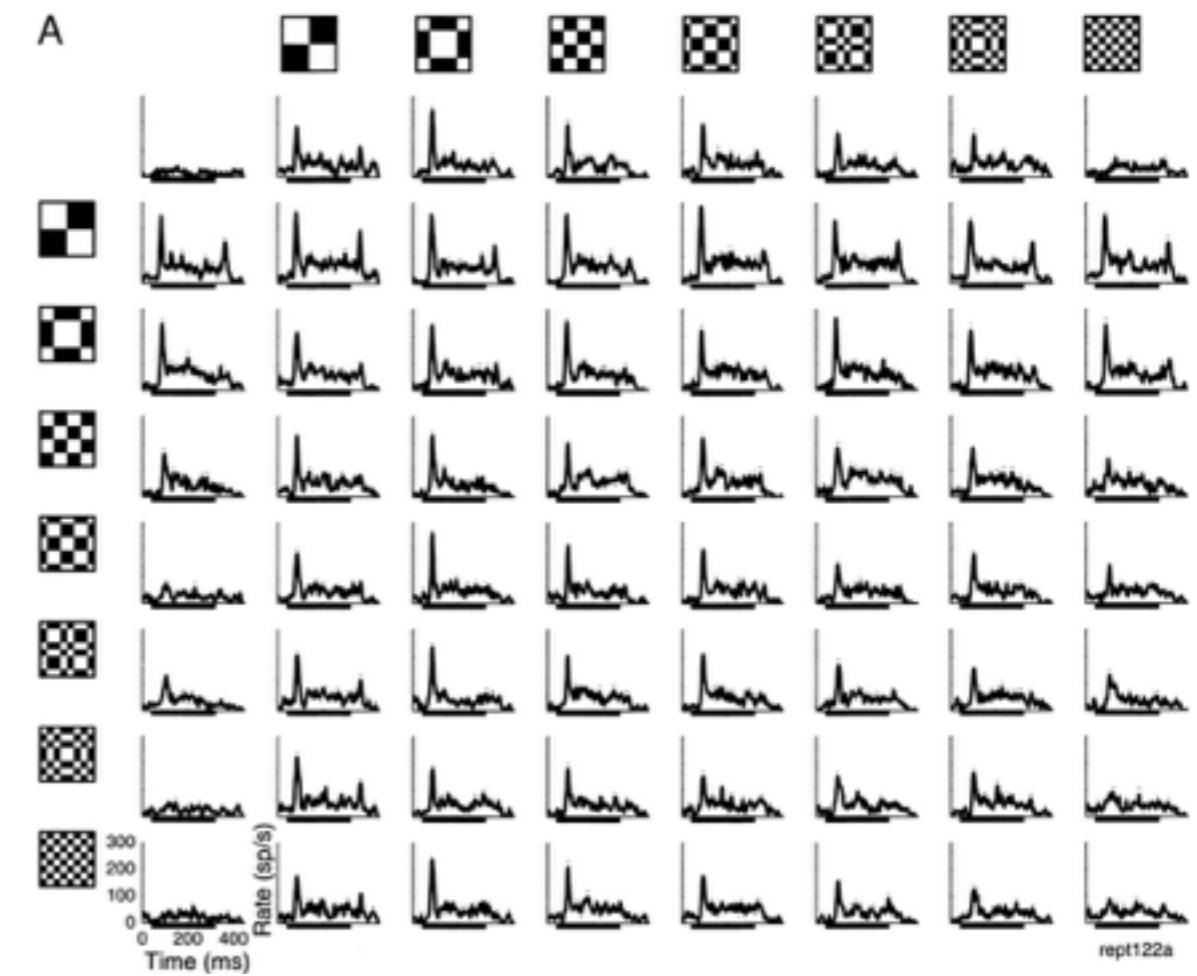
Max-like computation in the visual cortex

Lampl et al '04



Max-like in V1

Gawne & Martin '02



Max-like in V4

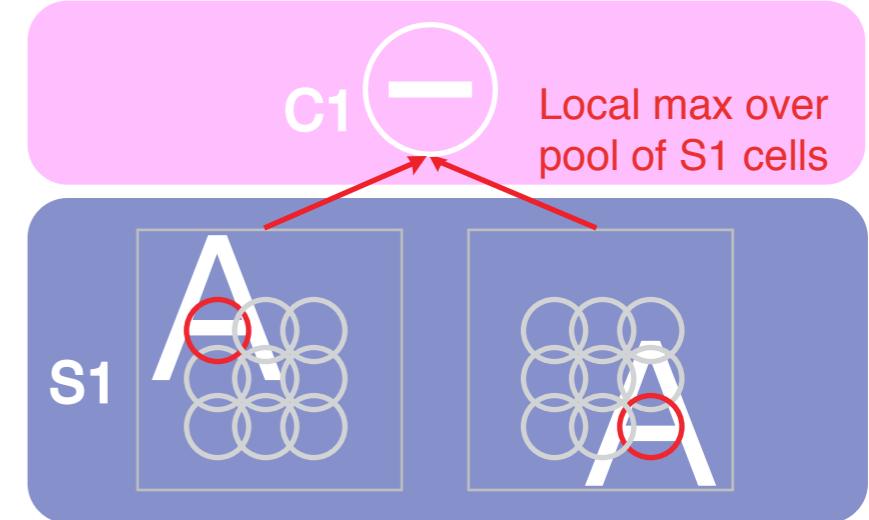
Complex cell model

(3) selective max-like pooling over nearby positions and scales for tolerance to 2D transformations

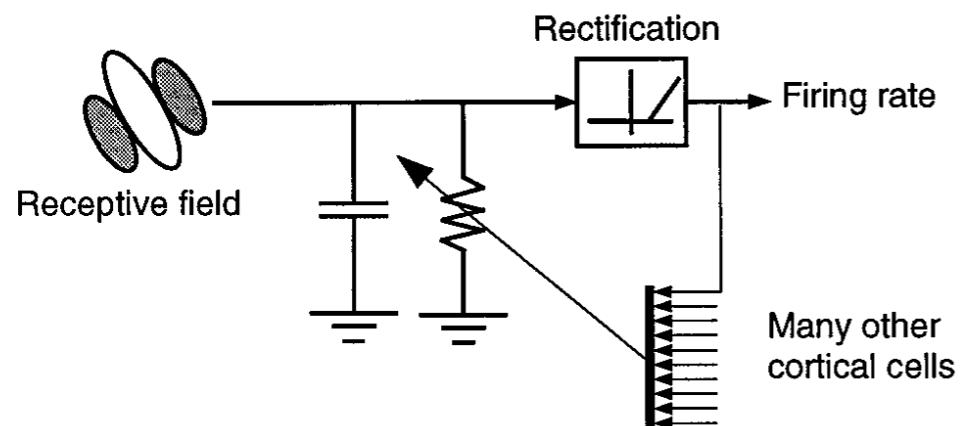
Increase in tolerance to position

(1) half-rectification and summing over phases at each location for tolerance to contrast reversal

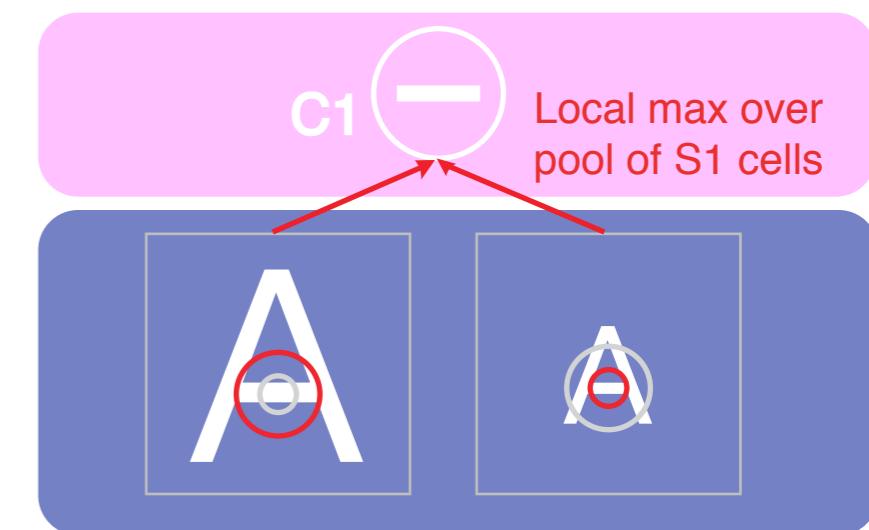
$$(\text{---})^2 + (\text{---})^2 + \dots$$



(2) gain control / divisive normalization



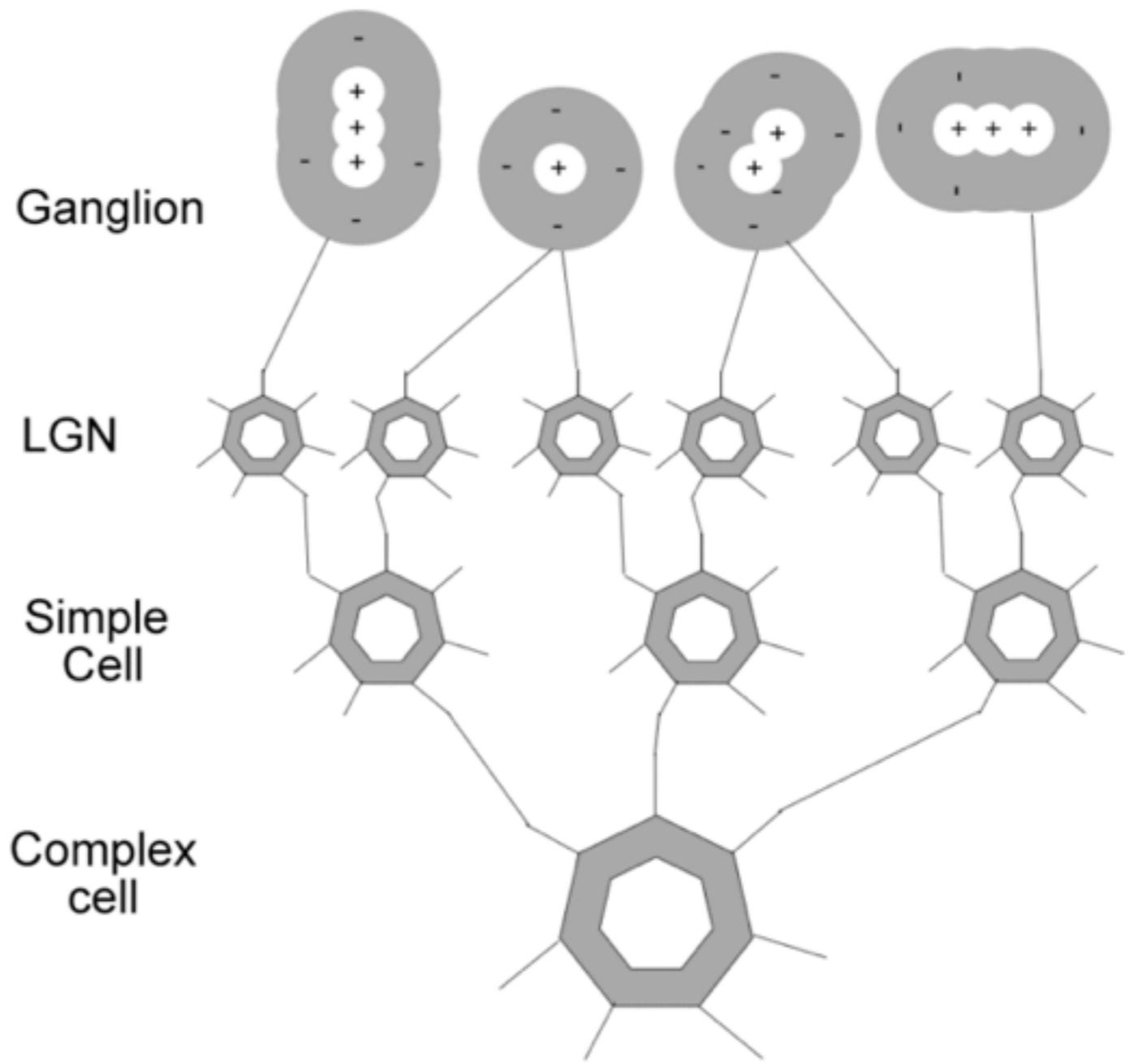
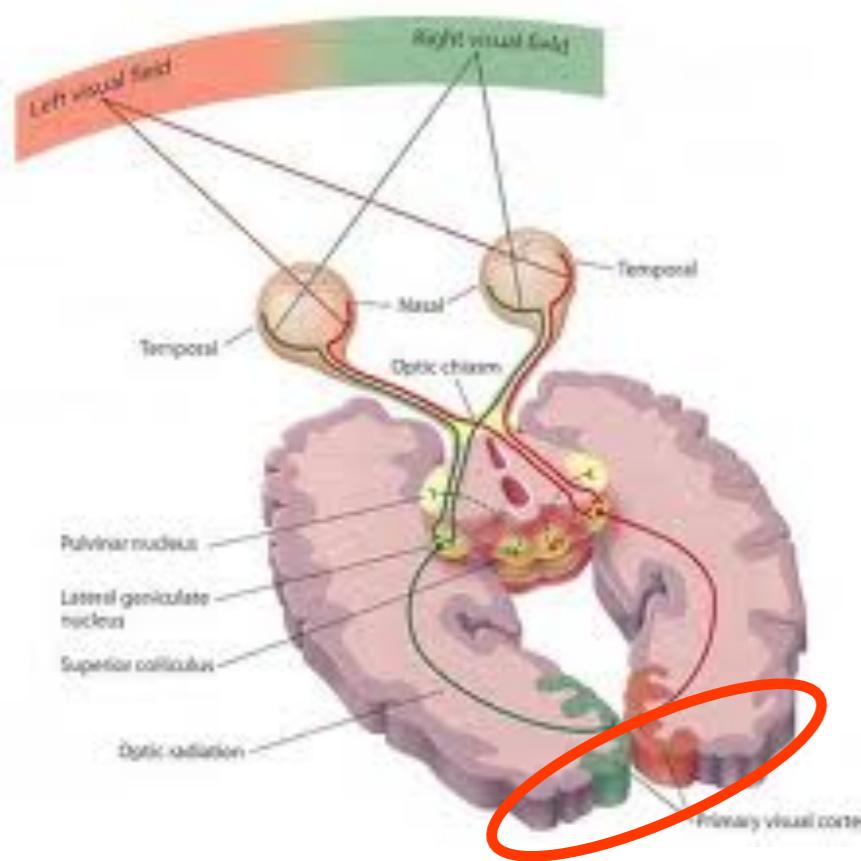
Increase in tolerance to scale



RF organization in V1



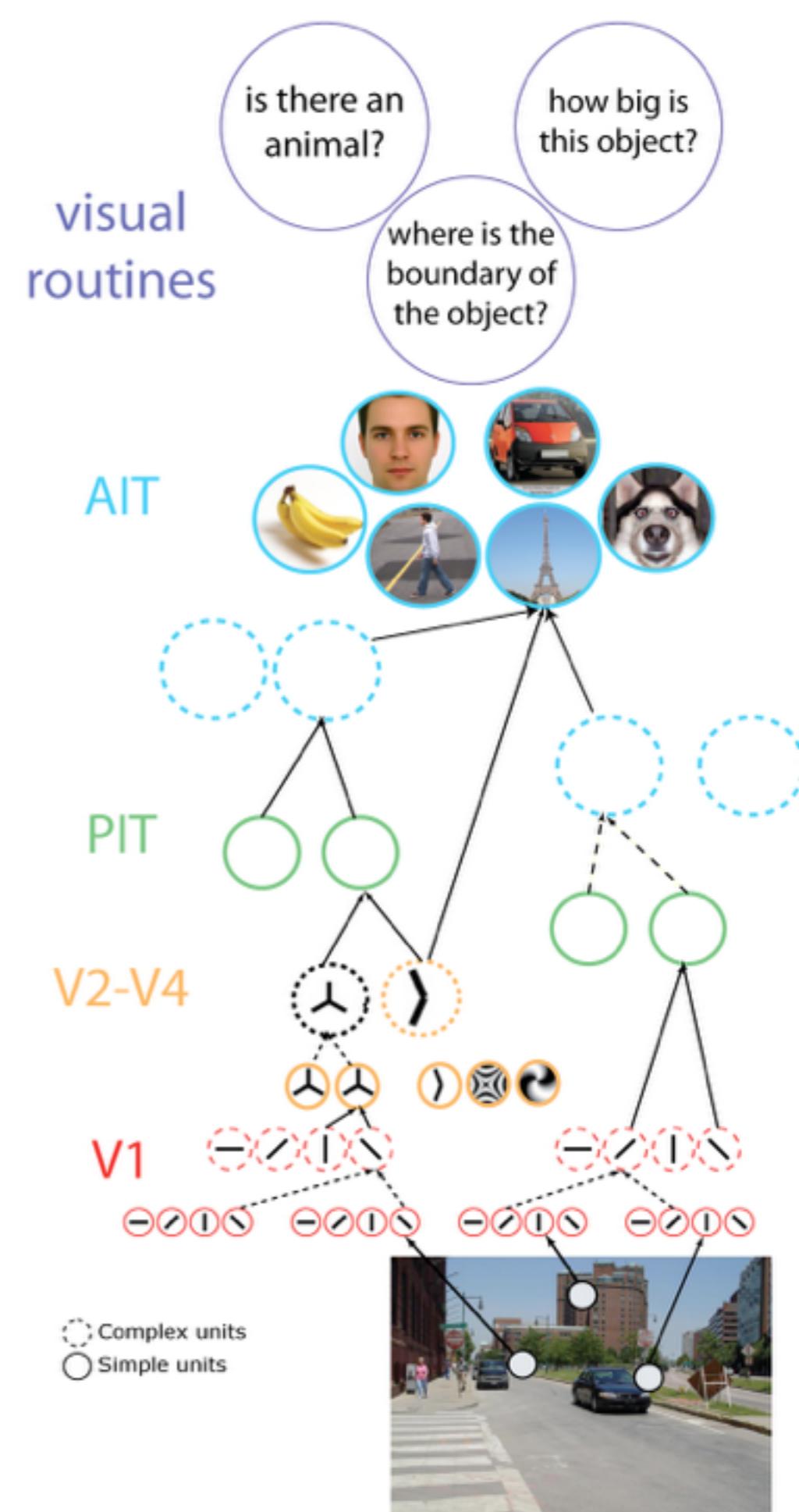
Hubel & Wiesel



Hubel & Wiesel '59 '62 '68

Feedforward hierarchical models

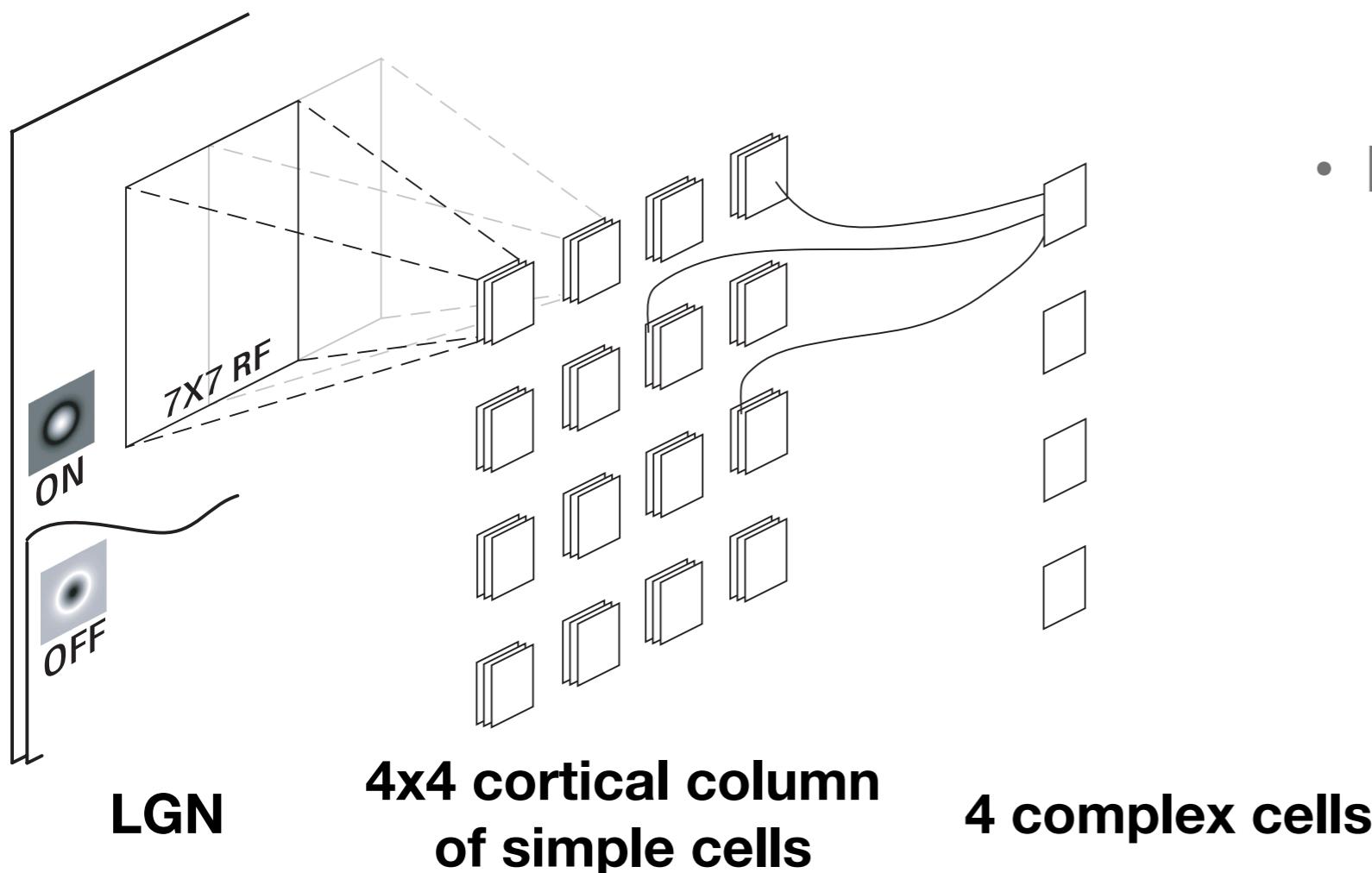
- Earlier models: Hubel & Wiesel '62, Fukushima '80, Wallis & Rolls '97, Mel' 97)
- HMAX (Riesenhuber & Poggio '99, Serre Kouh Cadieu Knoblich Kreiman Poggio '05 '07; Serre Oliva & Poggio '07) and many extensions (e.g., Mutch & Lowe '06; Masquelier & Thorpe '07)
- High-throughput screening (Pinto et al '09, Cadieu et al '14, Yamins et al '14)



Learning invariances from temporal continuity

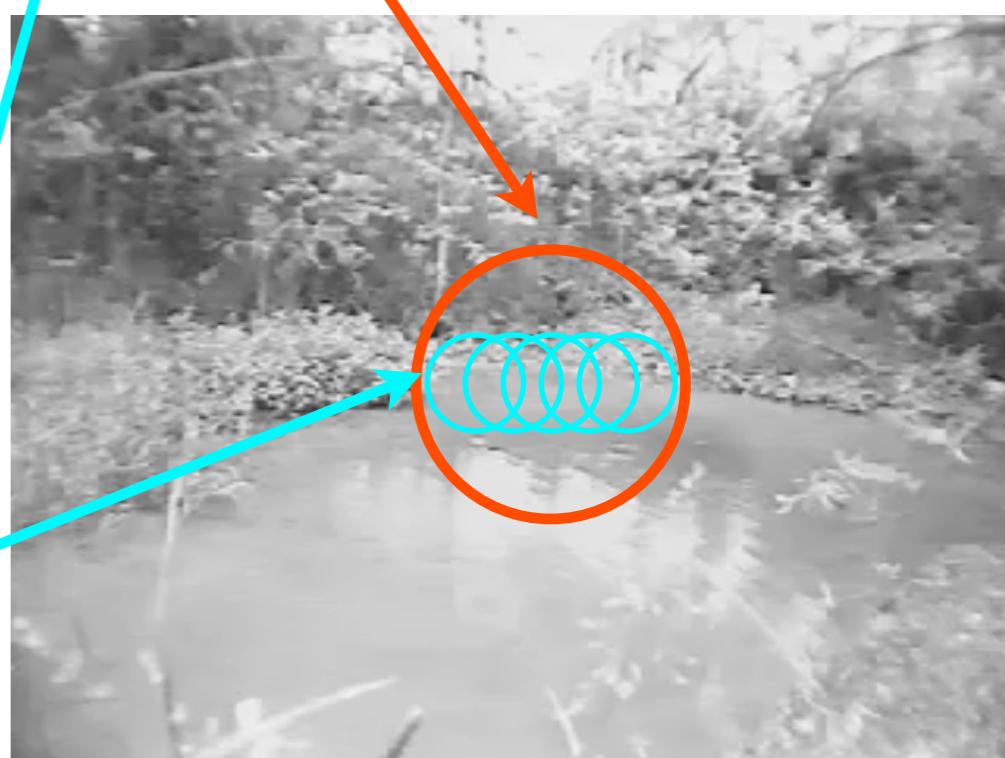
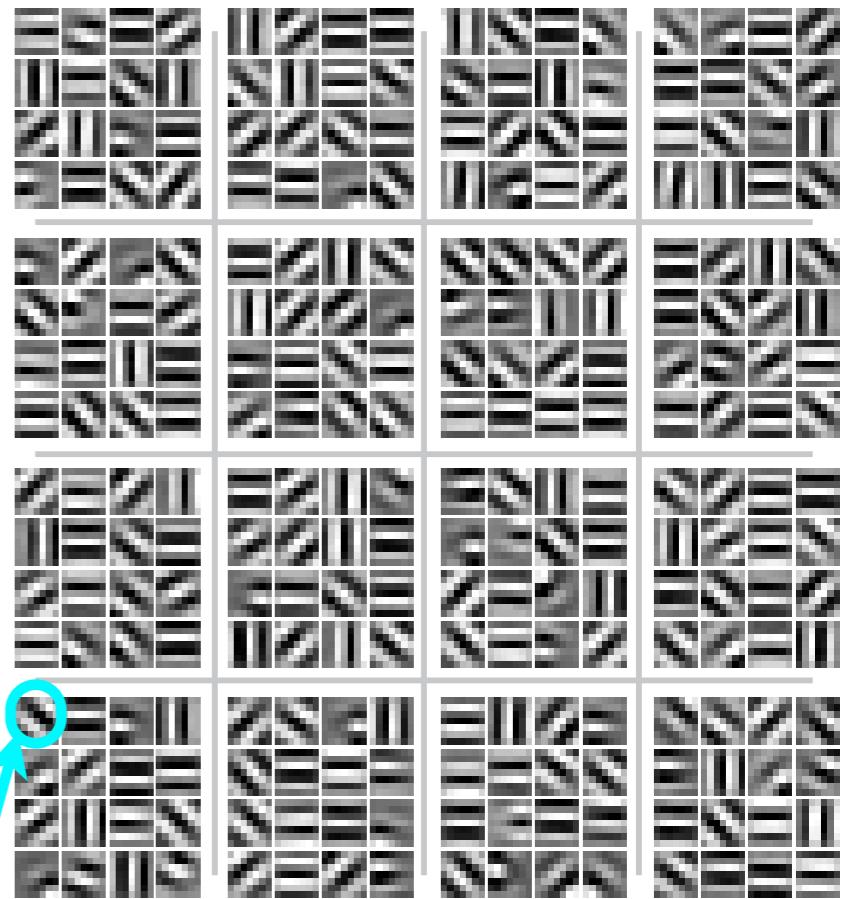
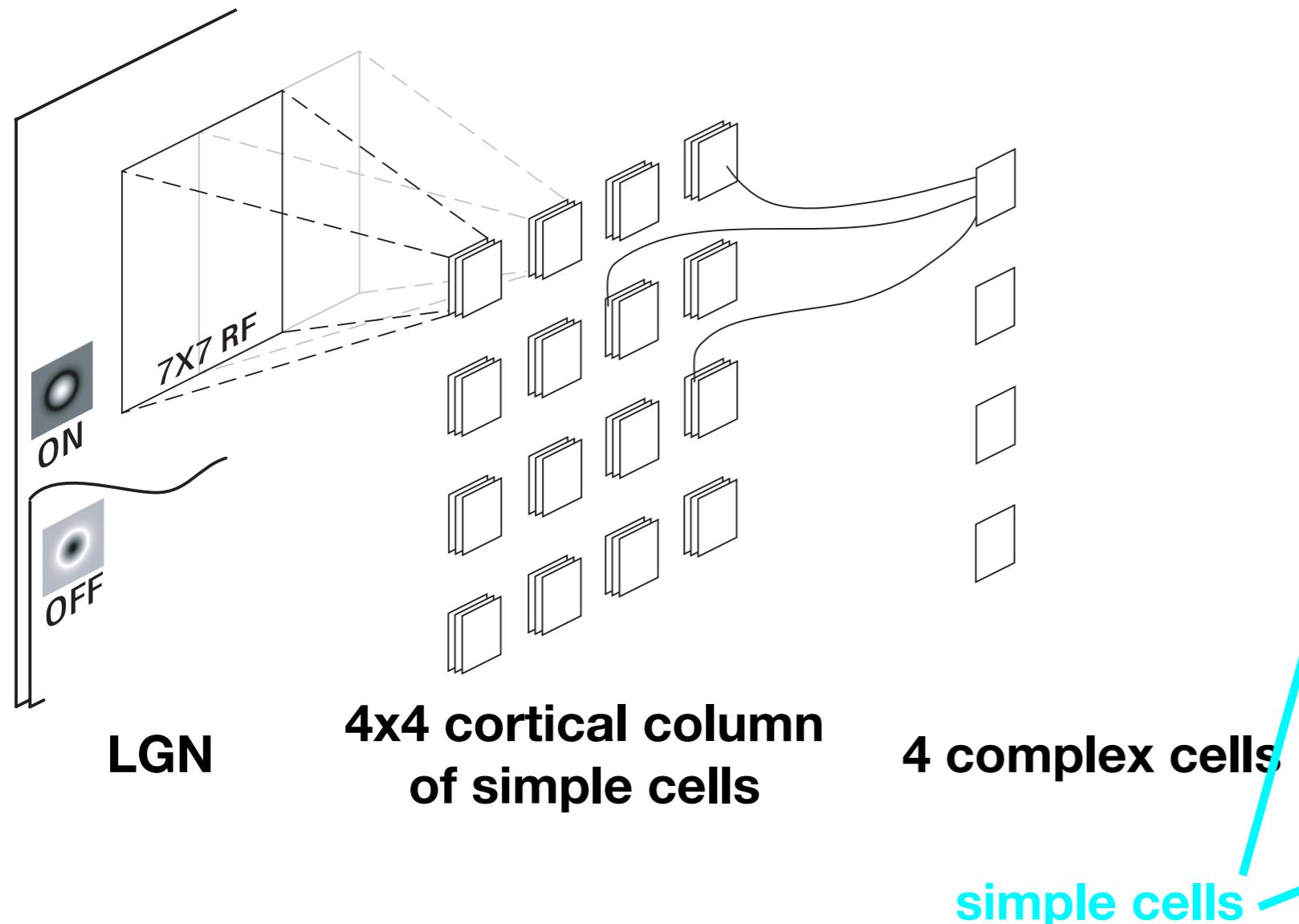


Learning invariances from temporal continuity

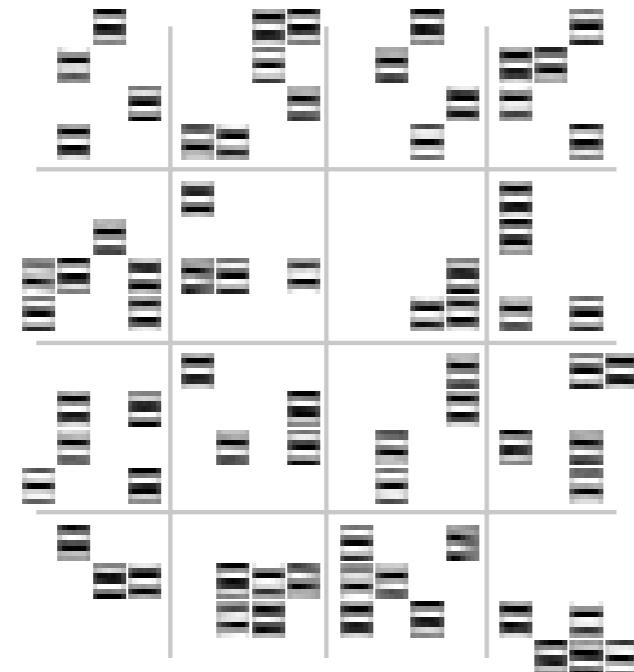


- Hebbian learning:
 - Neurons as coincidence detectors
 - ‘What fires together, wires together’
- Hypothesis:
 - S cells learn corr. in space
 - C cells learn corr. in time

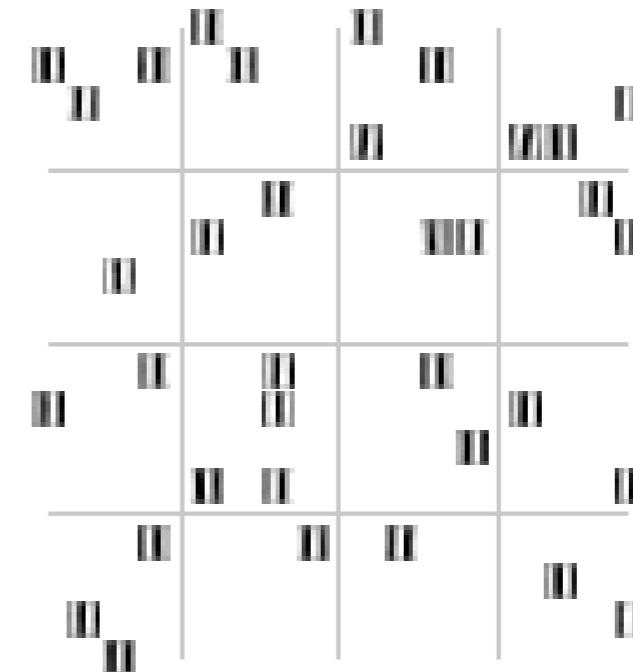
Learning invariances from temporal continuity



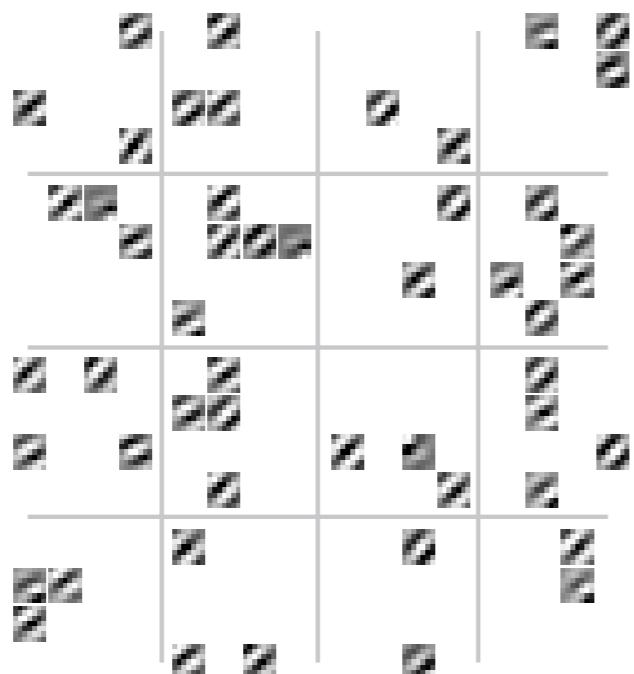
Learning the invariance from temporal continuity



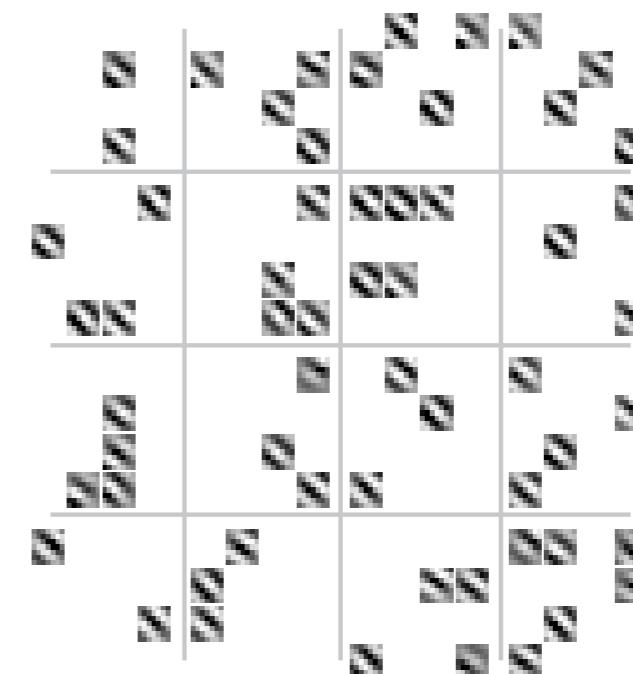
(a) S_1 units ($n=73$) that remain connected to C_1 unit # 1 after learning



(b) S_1 units ($n=35$) that remain connected to C_1 unit # 2 after learning

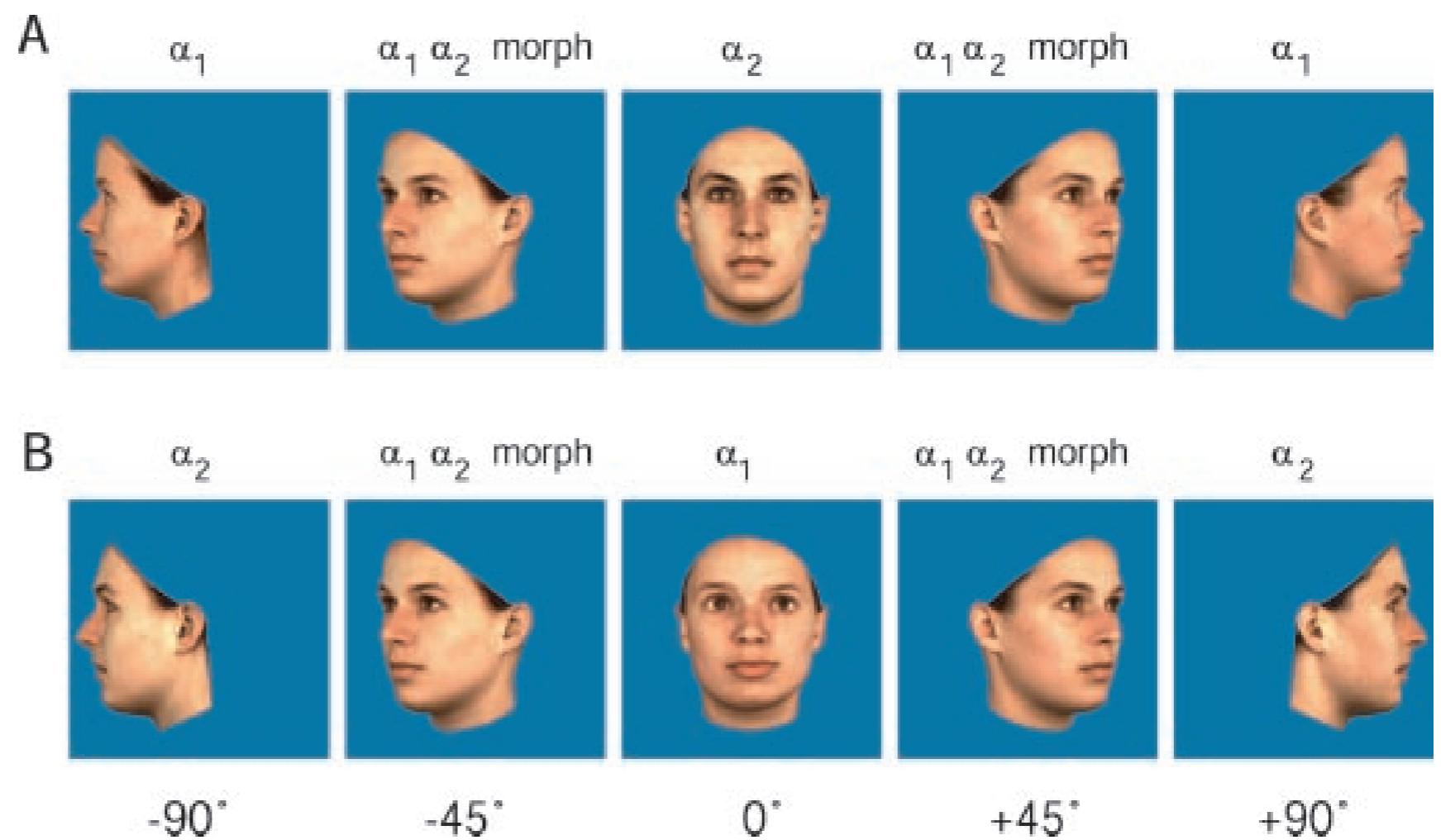
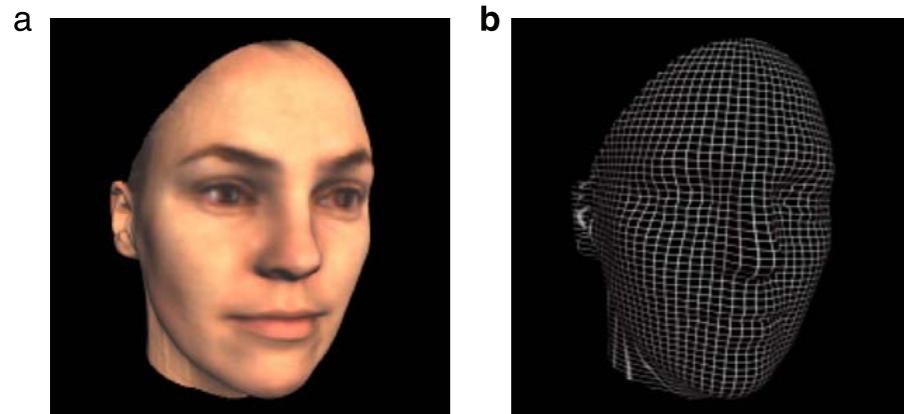


(c) S_1 units ($n=59$) that remain connected to C_1 unit # 3 after learning



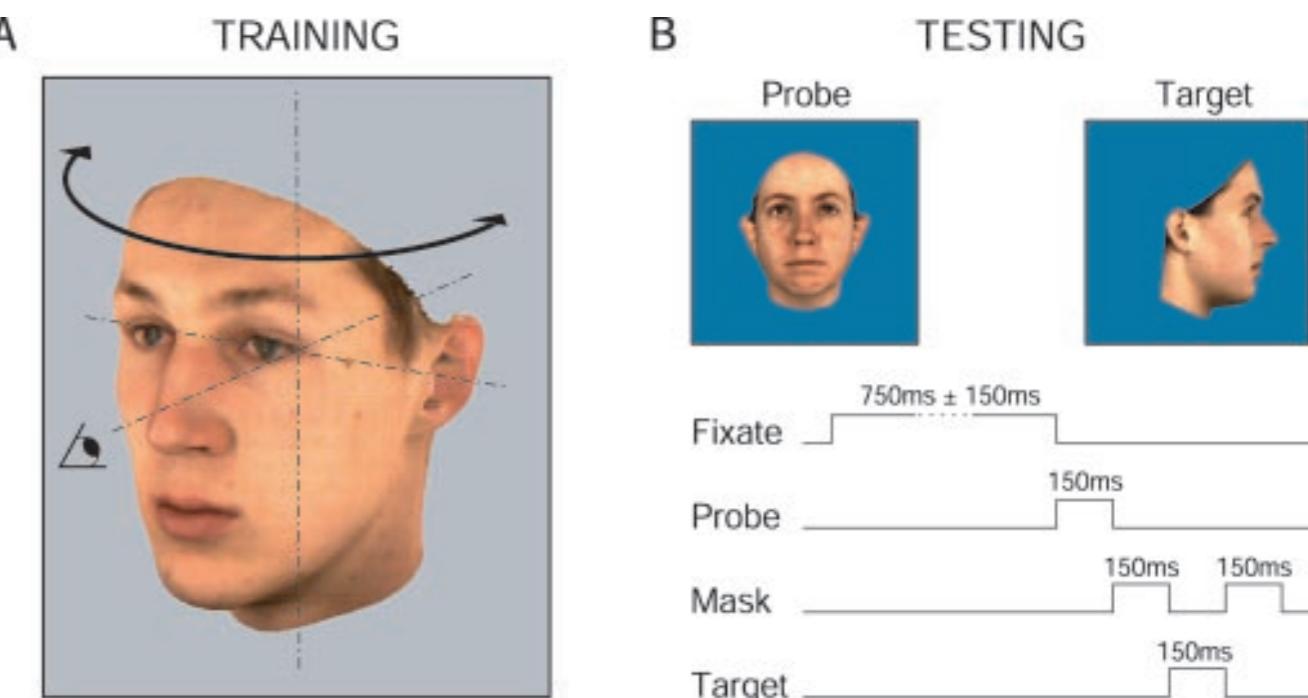
(d) S_1 units ($n=38$) that remain connected to C_1 unit # 4 after learning

Effects of temporal associations on learning and memory

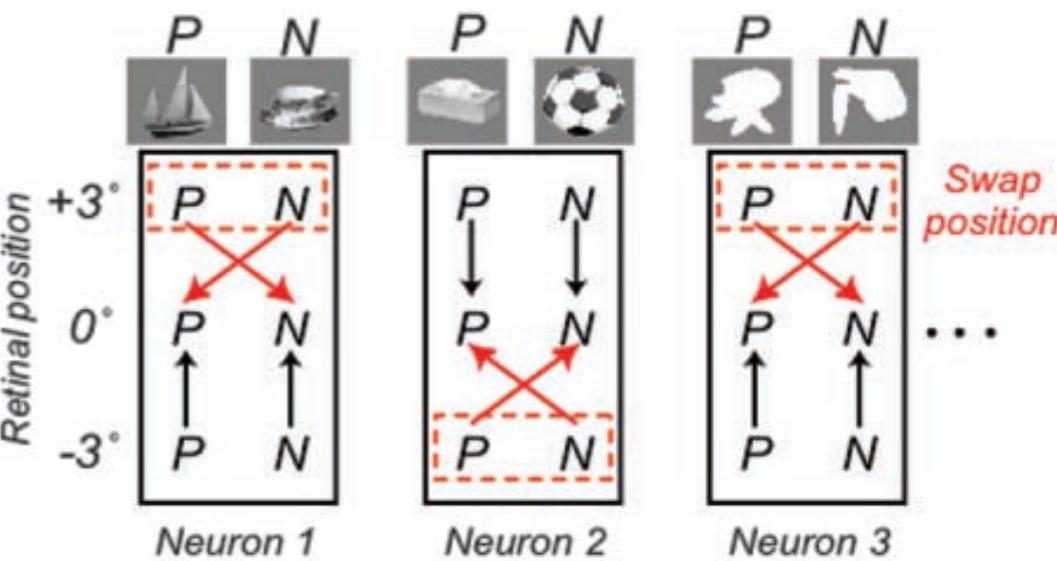
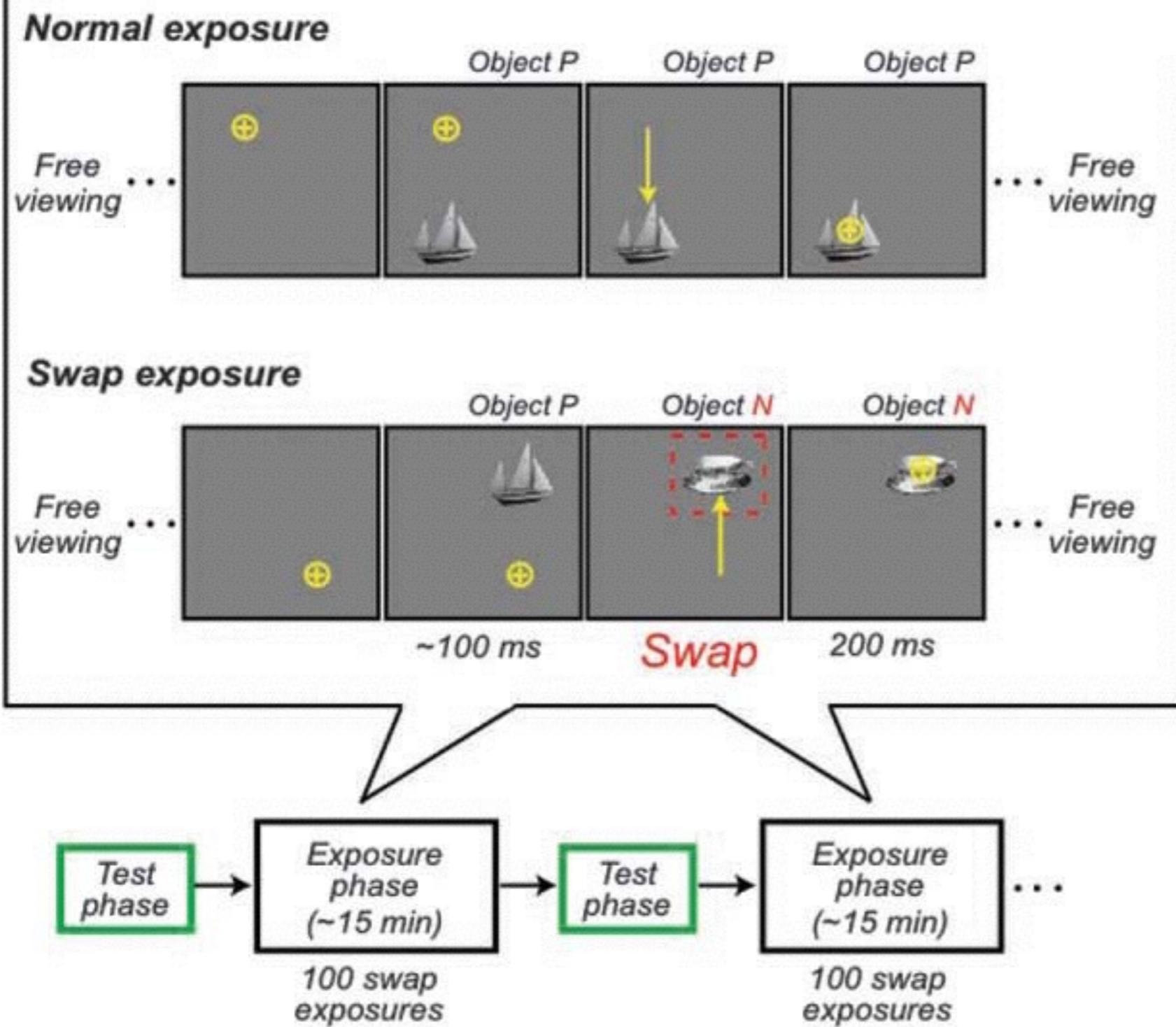


Effects of temporal associations on learning and memory

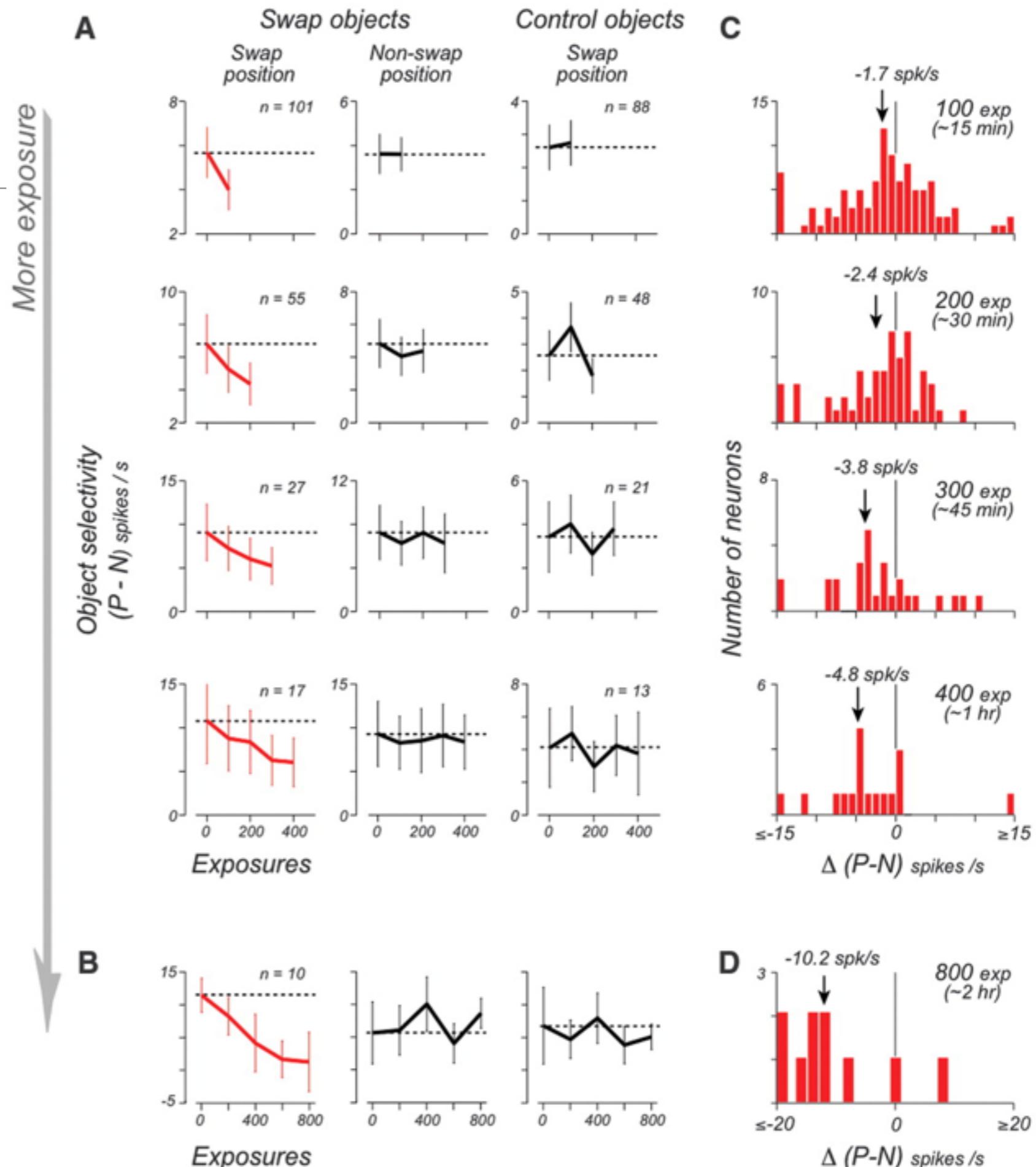
- Discrimination worst for prototypes that are part of the same training sequence
- **Control:** Performance unaffected when faces presented simultaneously rather than in sequence
- **Control:** Performance unaffected when faces presented during rd sequence



Learning in IT



Learning in IT



Learning in IT

