

- ④ What is Artificial Intelligence : IA
- ④ Problems, Problem spaces & Search
- ④ Heuristic Search Techniques.
- ④ Knowledge representation issues.
- ④ Using Predicate logic.
- ④ Representing knowledge using rules.
- ④ Game playing.
- ④ Planning.
- ④ Understanding.
- ④ Natural Language processing.
- ④ Expert Systems.
- ④ AI programming language.
 - ↳ prolog, python.

OVERVIEW

Date: 07.06.23

AI: Artificial Intelligence

↳ Simulation of human intelligence in machines.

Problem:

A problem is characterized by a set of goals, a set of objects and a set of operations.

Problem space:

→ feature space.

→ abstract

→ may contain one or more solutions

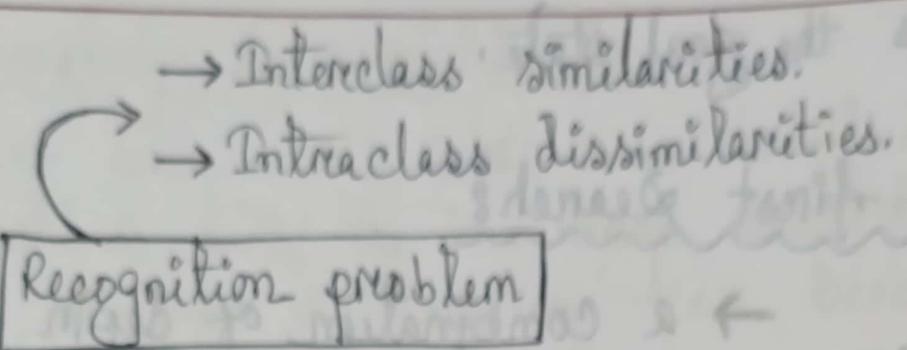
→ It could be 1 or 2 or multi-

dimensional

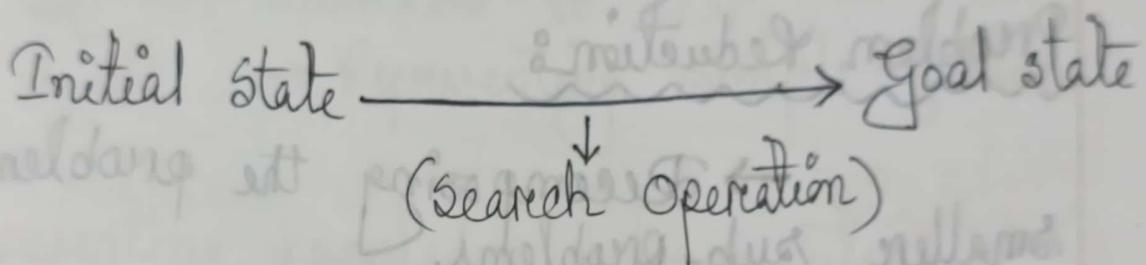
→ Problem space is a process used to solve a problem

Search:

→ Search for a solution in a problem space



Production System



Heuristic Search:

- Faster than classic methods.
- Exploration of possible solutions.
- finds the most acceptable option within a reasonable time limit or within the allocated memory space

Hill climbing:

- finds the best available solution by continuing to generate solutions until it

Finds the goal state.

Best first search:

→ a combination of depth first & breadth first searches.

Problem Reduction:

→ Decomposing the problem into smaller sub-problems.

$$\begin{array}{r} \text{SEND} \\ + \text{MORE} \\ \hline \text{MONEY} \end{array}$$

Constraint Satisfaction:

→ where a problem is solved when its values satisfy certain constraints or rules of the problem

Knowledge Representation issues:

→ ways are identified to provide machines with the knowledge that human possess so that AI systems can become better.

Using predicate logic:

→ Representing simple facts in logic

Representing knowledge using Rules:

Initial state → goal state (Forward Reasoning/chaining)

goal state → Initial state (Backward Reasoning)

Game playing:

→ Minimax Search Procedure

J → Recursive/backtracking algorithm

↳ Mostly used for game playing in AI; such as: check chess and various two-players game.

↳ Both the players fight it as the opponent player gets the minimum benefit while they get the maximum benefit.

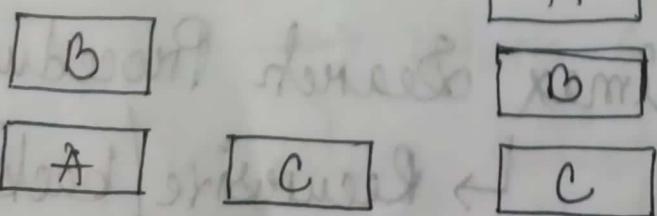
Alpha cut: Represents the maximum value for

Beta cut: Represents the minimum

Planning:

→ Undo करा सकता है।

→ Blocks world problem.



~~or asking~~ ~~but~~ ~~the message~~ ~~by measuring~~
→ Summarizing the action by measuring.

Understanding

Natural language processing

P S I S → Spoken word
I S T W → Written Text

Expert system

- ↳ Resolve many issues which generally would require a human expert.
- ↳ Interactive & reliable computer based decision-making system.
- ↳ Highest level of human intelligence & expertise.

Date: 12.06.23

State space search: Water Jug problem

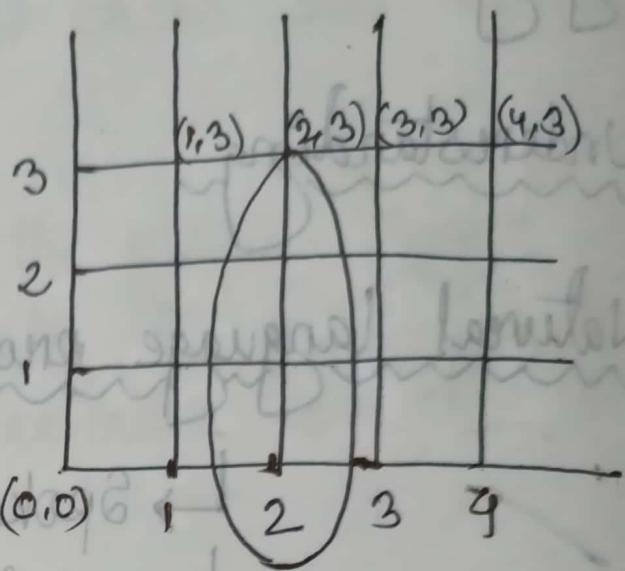
$x \rightarrow$ 1st jug (4L)

$y \rightarrow$ 2nd Jug (3L)

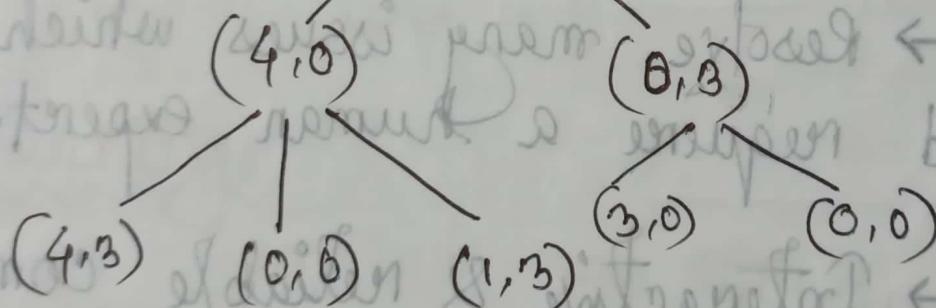
(x, y)

$x = 0, 1, 2, 3, 4$

$y = 0, 1, 2, 3$



(0, 0) initial state



Goal state (2, 3)

① $(x, y) \rightarrow (4, y)$
if $x < 4$

② $(x, y) \rightarrow (x, 3)$
if $y < 3$

$$\textcircled{3} (x,y) \rightarrow (4,y - (4-x)) \leftarrow (2,0) \quad \textcircled{11}$$

if $(x > 0)$

$$(B,0) \leftarrow (B-y) \quad \textcircled{12}$$

$$\textcircled{4} (x,y) \rightarrow (x-(3-y), 3) \quad \text{lets remove } \#$$

if $(y > 0)$

$$\textcircled{5} (x,y) \rightarrow (0,y) \quad \text{lets remove } \#$$

if $(x > 0)$

$$\textcircled{6} (x,y) \rightarrow (x,0) \quad \text{lets remove } \#$$

if $(y > 0)$

$$\textcircled{7} (x,y) \rightarrow (4,y - (4-x)) \quad (0,0)$$

if $(x+y > 4, y > 0)$

$$\textcircled{8} (x,y) \rightarrow (x-(3-y), 3) \quad (0,0)$$

if $(x+y > 3, x > 0)$

$$\textcircled{9} (x,y) \rightarrow (x+y, 0) \quad (0,0)$$

if $x+y \leq 4, y > 0$

$$\textcircled{10} (x,y) \rightarrow (0, x+y) \quad (0,0)$$

if $x+y \leq 3, x > 0$

Task domain of AI

* AI Technique

Chapter 2

Date: 14.06.23

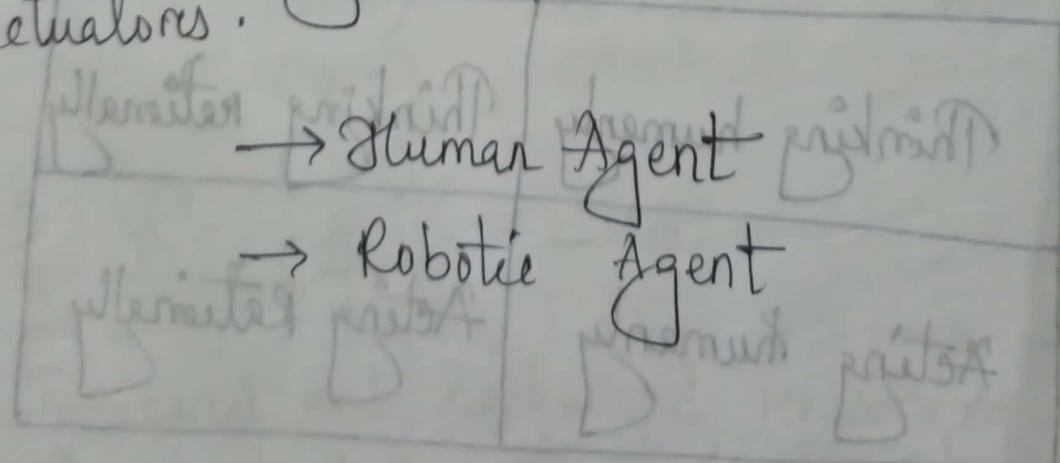
Intelligent Agents

- Sensors: Sense the environment
- Actuators: execute.

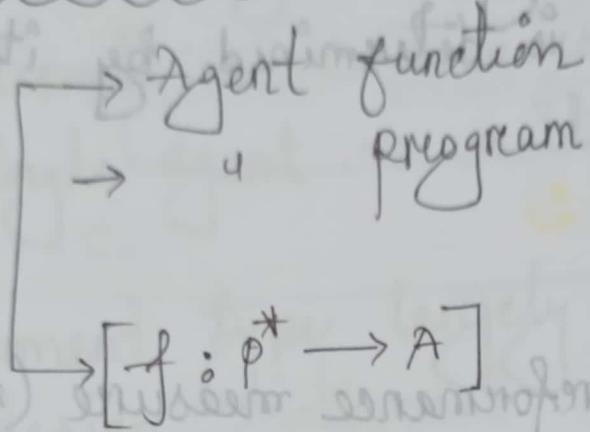
Russel → book

Agents:

→ perceive its environment through sensors & acting upon that environment through actuators.



Agents and environment:



GA39

Vacuum-cleaner world:

- percepts: location & contents [A, dirt]
- Actions: left, right, suck, NOOP.

A vacuum cleaner Agent:

→ Rational Agents:

→ Do the right things.

→ maximise its performance measure

Performance measure:

Sometimes Criterion for success of an agent's behaviour:

→ An agent is a) autonomous if its behaviour is determined by its own experience.

PEAS

- ↳ performance measure (safe, fast...)
- ↳ Environment (Roads, customers...)
- ↳ Actuators (steering wheel, accelerator, ...)
- ↳ Sensors

→ PEAS of a medical diagnostic system

→ " " part-picking robot.

→ " " Interactive English tutor

Environment types:

↳ Fully observable vs partially observable

↳ Deterministic vs stochastic

↳ Episodic vs sequential

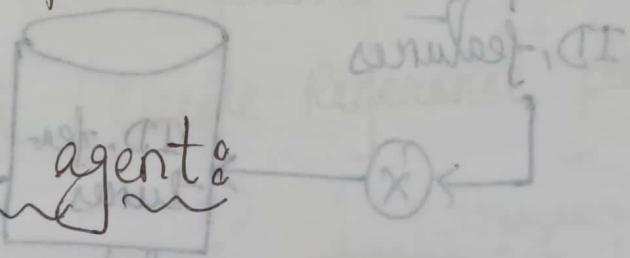
- ↳ static vs dynamic
- ↳ Discrete vs continuous.
- ↳ single agent vs multiagent.

→ Environment type largely determines agent design

Agent functions & programs:

- ↳ percept \rightarrow agent \rightarrow mapping

Table look-up agent:



→ Drawbacks.



Agent types:

- ↳ Simple reflex agent
- ↳ model-based
- ↳ goal
- ↳ utility

Learning agents: many or static

↳ more intelligent

Date: 19.06.23

Recognition

Verification

Identification

Screening

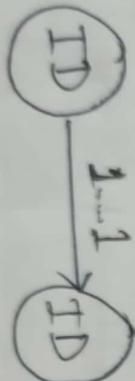
ID, features

ID, fear
fures

Features

1...*

ID

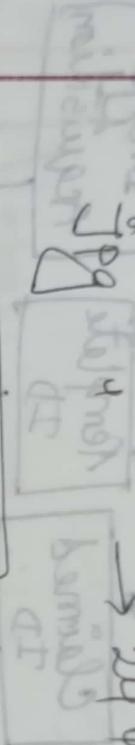


- Data Acquisition
- " pre-processing
- Feature Extraction

Width \times Height \times colour

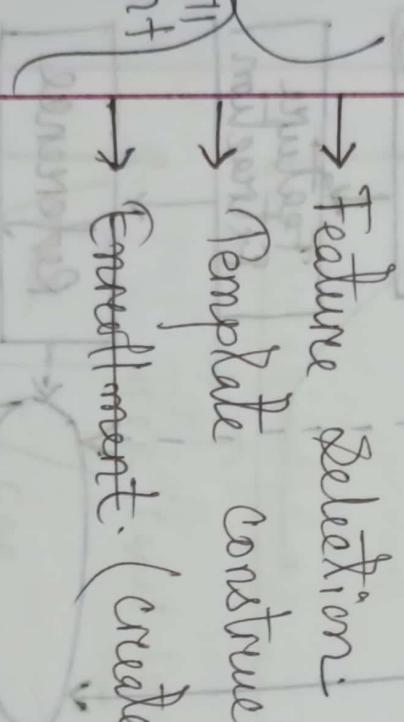
$$\text{number of bits} = 2^n$$

bit format \rightarrow 8 bit



Look-up table

- Feature Selection
- Template construction
- Enrollment. (create reference database)



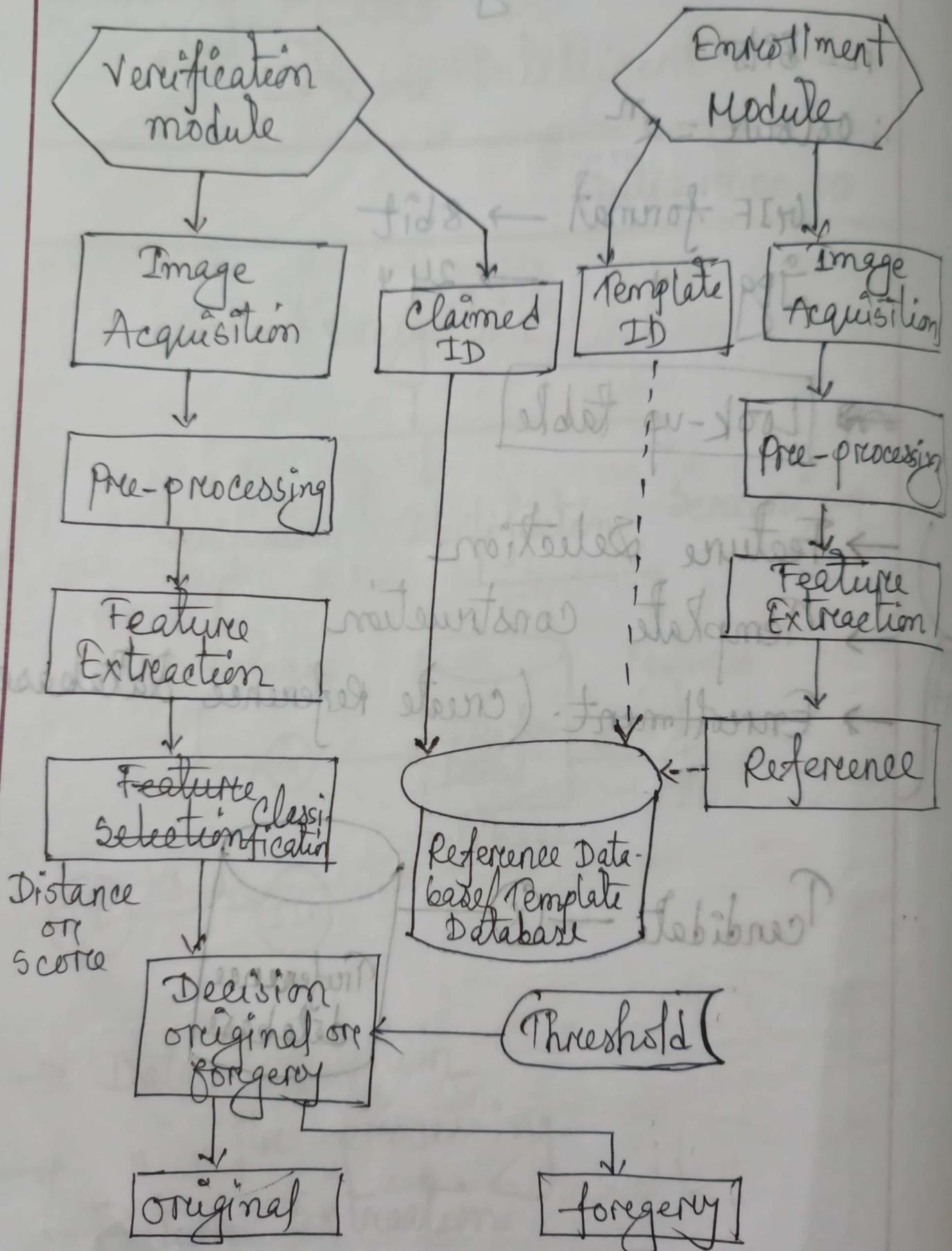
Candidate

Reference database

Input

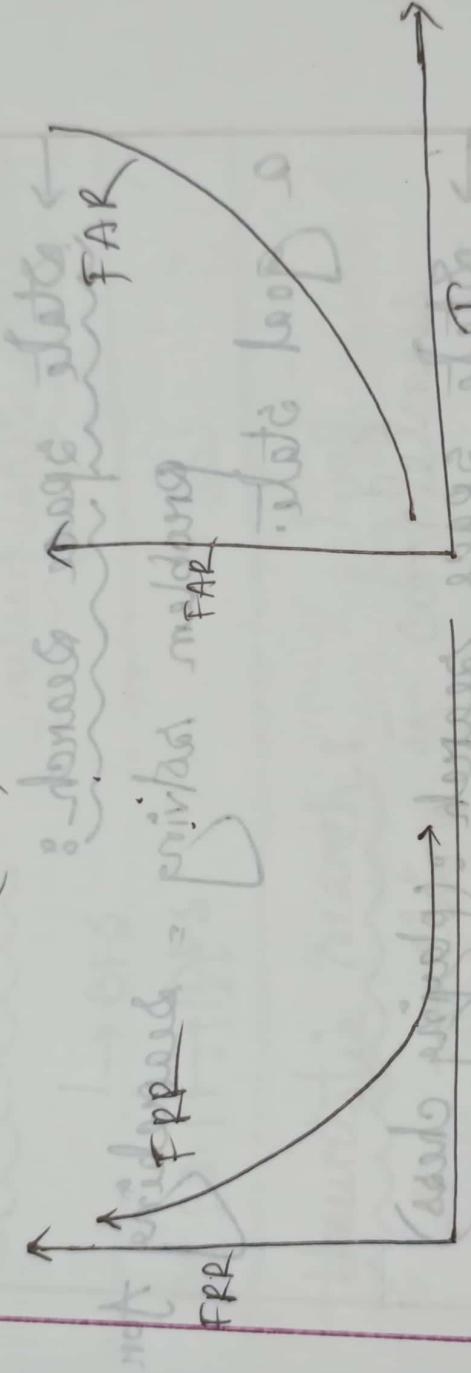
Output

Computer

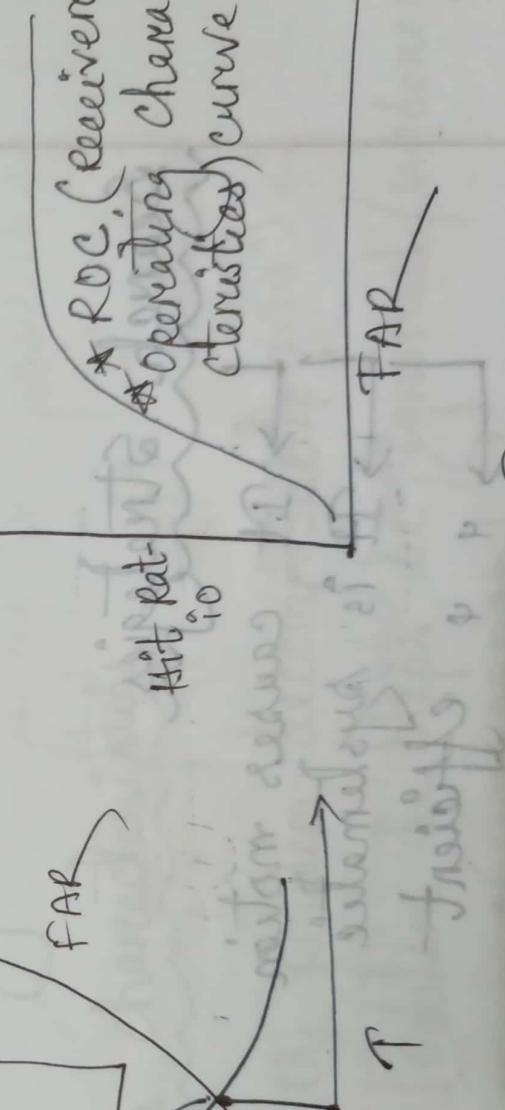
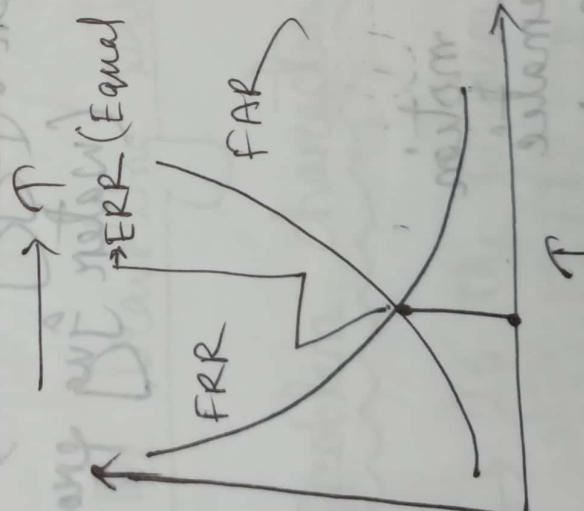


making H_0 (H_1) verification error rate (P) \leftarrow

False Rejection & undesired Rate (FRR)



\rightarrow EER (Equal Error Rate)



\rightarrow The system is better, if ROC curve compare
to H_0 H_1

→ A system का एक विषय, कि System
द्वारा देखा जाता है।

नियमित सिस्टम के लिए सिस्टम
का विषय सिस्टम की नियंत्रित
प्रक्रिया का विषय होता है।

→ State Space Search:

problem solving = searching for
a goal state.

→ State space search: (playing chess)

→ (Gas nozzle keep (Water Jug problem))

Search Strategies

→ It causes motion

→ It is systematic

→ It is efficient

→ Uninformed search (Blind Search)

→ Informed search (Heuristic)

Blind Search:

↳ BFS

↳ DFS

Heuristic Search:

→ Claims of completeness

The travelling salesman problem

Problem characteristics

→ Is the problem decomposable?

→ Can solution be steps be ignored/undone

→ Is the universe predictable?

→ Is a good solution absolute/relative?

- Is the solution a state/a path?
- what is the role of knowledge?
- Does the task require human-interaction

Problem classification

Lab

Date: 17.07.23

- SWI Prolog
- Prolog → Programming with logic
- History of prolog.
- Basic idea of prolog.
- Consequences.
- Knowledge Base 1. → prolog file
 - Woman(mia)
 - Woman(Jody)
 - Woman(yolanda)

Plays guitar (mia) sib bns palang ←
party. (-:) mitsilqmi

→ Knowledge Base 2

Diagram illustrating the structure of a sentence:

Head: listens 2 music (mia) :- happy (yolanda)

Body: plays Air Guitare (mia) :- listens 2 music (mia)

Head-Body structure:

Head: (yolanda) :- happy (yolanda)

Body: (yolanda)

Labels: head, body

Full stop → clause ~~rest of sentence~~ ←
~~No +~~ → predicate

→ Expressing Conjunction

, → and

; → different

→ Prolog and logic

implication (`:=`)

Conjunction (`,`)

Disjunction (`;`)

→ Knowledge Base 4.

→ Prolog variables

↳ starts with capital letter

→ Constant → small letter

→ Knowledge Base 5.

→ Prolog syntax

Terms

Simple

complex

Constants

atoms numbers

variables

Arity:

Number of arguments in a function

lab - Q Met - exam 2021

→ Arity is important.

→ Examples

happy / 1 fast - & - strong

intelligent

→ Unification in prolog.

Woman (x)

with

Woman (mia)

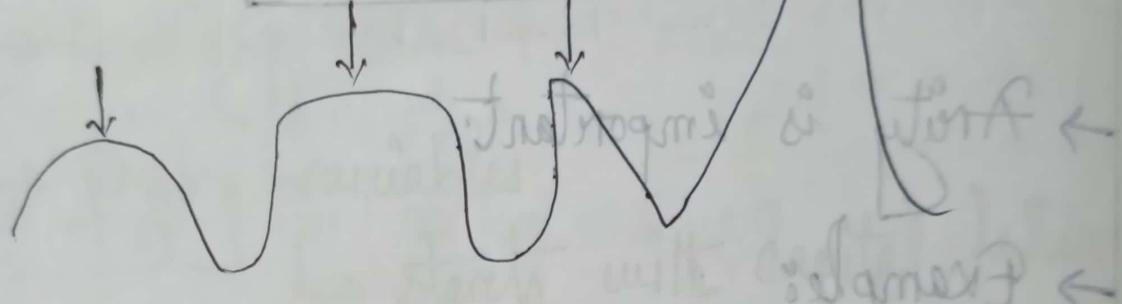
→ Instantiations fast & strong

→ Occurs check.

→ Proof search

Chapter 3

Heuristic Search: Rich & Knight Book



→ Generate-&-test

↳ Exhaustive

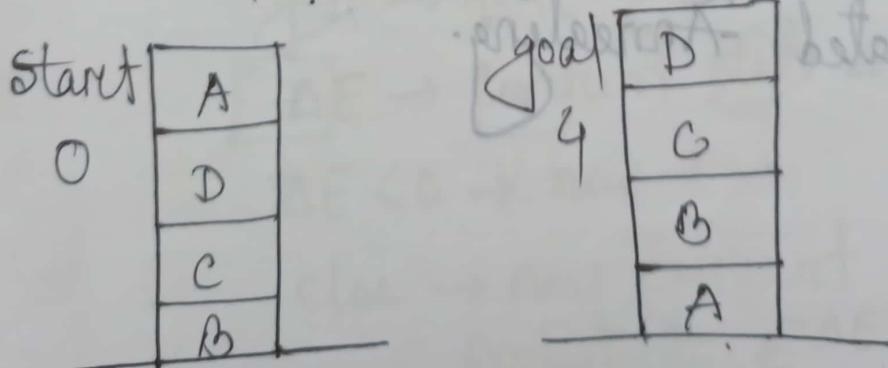
↳ Heuristic

↳ plan

→ Hill climbing
goal state = top of a hill

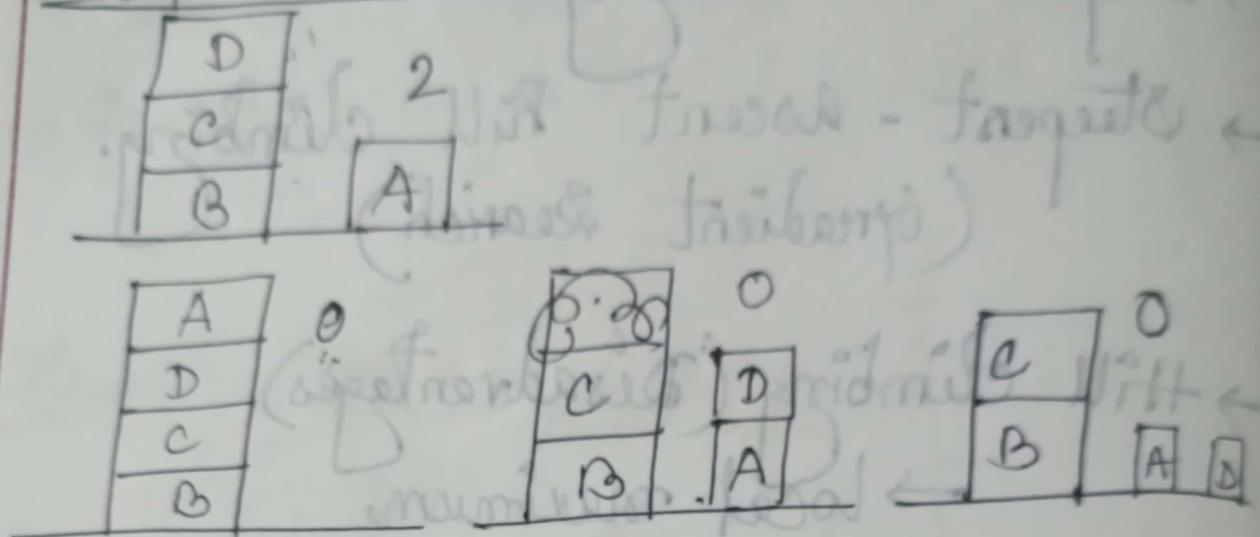
generate & test + Direction to move

- Simple Hill climbing.
 - Steepest - ascent Hill climbing.
(gradient search)
 - Hill climbing (Disadvantages)
 - local maximum
 - plateau
 - Ridge
- Ways out:
- Backtrack
 - Big jump
 - Several directions

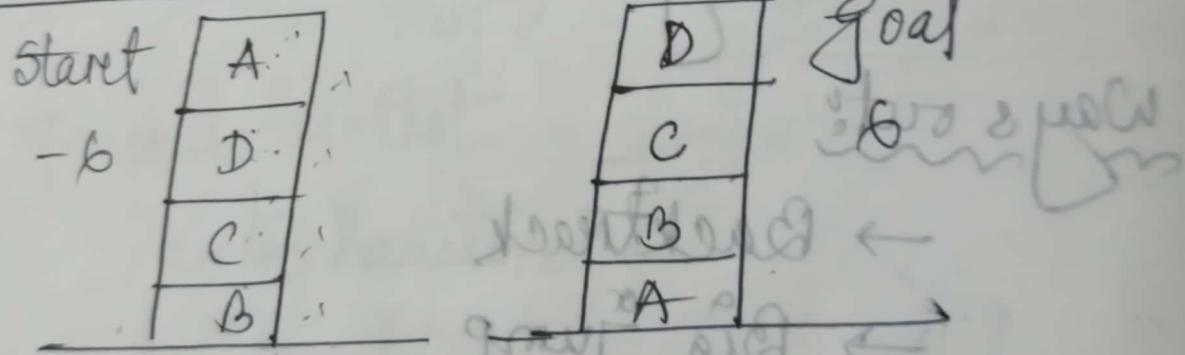


Blocks world

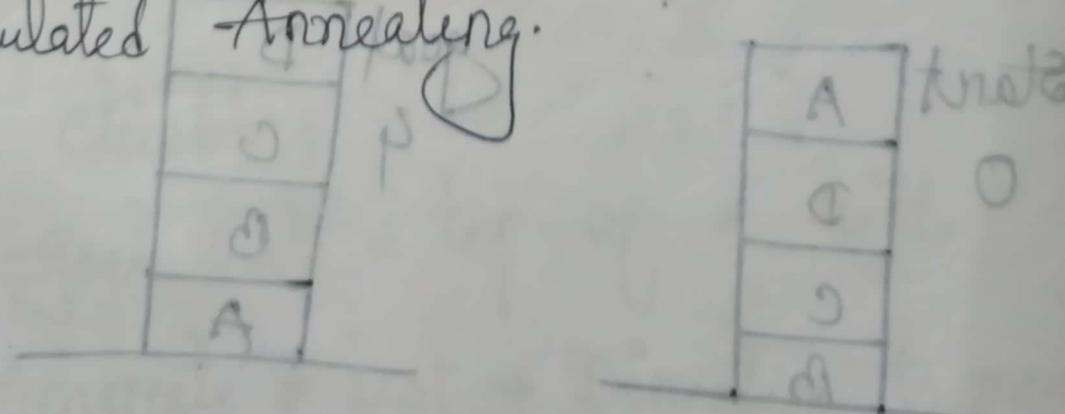
Local Heuristics:



Global Heuristics:



→ Simulated Annealing



draw what?

Date: 26.07.23

Simulated Annealing:

- downhill moves may be made
- enough exploration of the whole state space
- lowering the chances.

Physical Annealing:

- minimal energy.
- gradually cooled
- Annealing schedule
- $e^{-\Delta E / kT}$

Algorithm

goal → quit

$\Delta E \rightarrow$ current state - new state

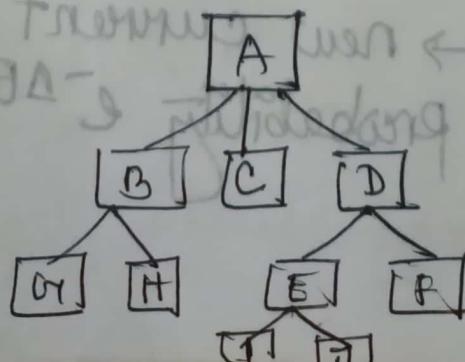
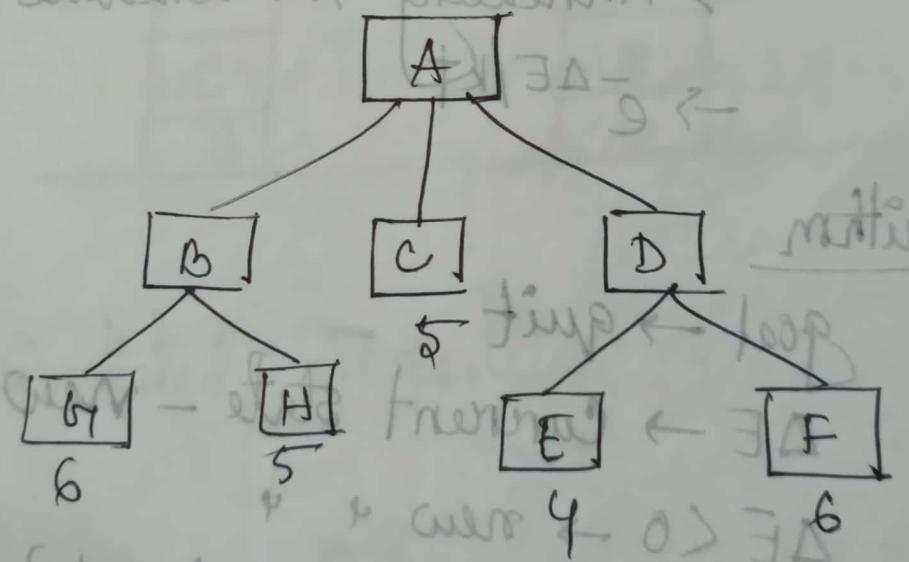
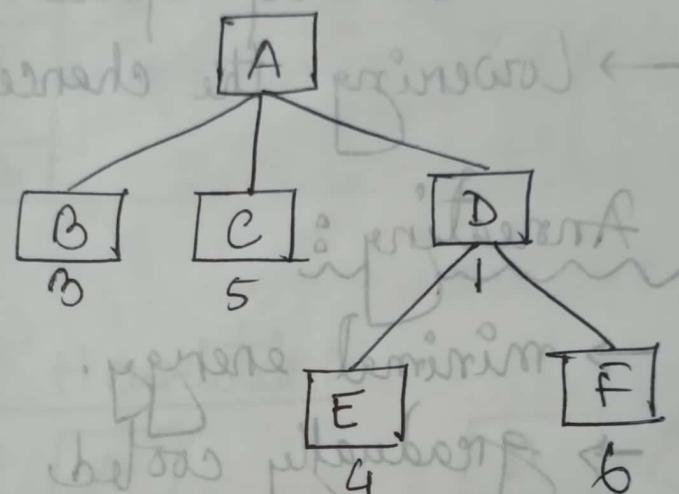
$\Delta E < 0 \rightarrow$ new +

else → new current state
probability $e^{-\Delta E / kT}$.

Best-First Search

↳ Breadth-First search

↳ Depth-First search



TRAPES D-mins, mthinks

OPEN:

→ priority queue → too bad ←
→ nodes not examined ←

CLOSED:

→ nodes have already been examined
→ Check whether it generated before
→ initialized frontier

Algorithm

END + MORE +

Greedy Search → neither optimal nor complete

Uniform Cost Search ↗
↳ optimal & complete,
very inefficient

Algorithm A*: (Rich & Knight)

$$f^*(n) = g^*(n) + h^*(n)$$

↓
depth
of node

↓
heuristic
factor

* Algorithm, exam-G आनंदेवा

→ Real cost

→ estimated cost

Problem Reduction: (Rich & Knight)

* Algorithm AO → modified A*

Constraint satisfaction:

$$\begin{array}{r} \text{SEND} \\ + \text{MORE} \\ \hline \text{MONEY} \end{array}$$

⇒ cryptarithmic puzzle.

$$(r_1 \alpha_1 + r_2 \alpha_2) : A \text{ multiplication}$$
$$(r_1 \beta_1 + r_2 \beta_2) = (r_1 \gamma_1)$$

Leisure

00.00.00

cinemado

TURNA SENDIRI PROPIE : misterius

+ MORE
HONEY
↑ ↑ ↑
1 O E +

: istet

pec
stet
loop

meldang

(freq. + 1/0) → STETE

(stet) JAHL - FORMULAE → loop
(loop) BODER → meldang

(meldang) SEARTH → pec

(pec) KED → notes

(pec) KED → pec

notes writer

Russel

Chapter 3

30.09.23

Function: SIMPLE PROBLEM SOLVING AGENT

Static:

Seq
state
goal
problem

state \leftarrow UPDATE-SPATE (state, percept)

goal \leftarrow FORMULATE-GOAL (state)

problem \leftarrow " - PROBLEM (state, goal)

Seq \leftarrow SEARCH (problem)

action \leftarrow FIRST (Seq)

Seq \leftarrow REST (Seq)

return action

Example: Romania

Problem types: what:

- Deterministic, fully observable
- Non-observable
- Non-Deterministic, partially
- Unknown state space

Example: Vacuum world

→ Vacuum world state space graph

Example: The 8-Puzzle

Example: Robotic Assembly

→ Tree Search algorithm

→ Implementation: general tree Search

→ 4 : States vs. nodes

State → physical config
go node → data structure
↳ state
↳ parent node
↳ action
↳ path cost.

→ Search Strategies.

- ↳ Completeness
- ↳ Time complexity
- ↳ Space
- ↳ Optimality

→ Depth-First Search infinite loop এ অভিভাব
possibility মাত্র। what's between ←

b d m
DF·FS · FC (less) ↓ - method

Uninformed Search strategy:

depth first - tree ← EF

↳ BFS

↳ DFS

↳ Uniform Search → BFS এই
মত করে করো

→ Properties of BFS জে বিশেষজ্ঞ

→ ১. ২. DFS দেখে *A

Depth-limited search: ~~DFS~~ ~~Max depth~~ ~~new~~

1. DS \rightarrow level limit এই মত 2N(k)

- Iterative deepening search
→ Repeated States

Chapter - 4 (Russel) Date : 30.09.23

GFS → Best-First Search

→ Greedy - Best First Search

$$f(n) = h(n)$$

→ Properties of Greedy-BFS

→ A* Search

~~Ques~~
graph that minimize cost function
comes from the initial state
→ algorithm works 2(9)

Admissible heuristics: *mitbewerger*

$$h(n) \leq h^*(n)$$

estimated
cost

real
cost

→ optimality of A* (proof)

skip

→ Hill climbing search

(toga) gab

Chapter 04 (slide) Rich Date: 04.09.23

Knowledge Representation

→ What is KR? *mitbewerger* *beflissen* *ent* ←
↳ ontology *mitbewerger* *beflissen* *ent* ←

→ Facts

→ Representation of facts *mitbewerger* *beflissen* *ent* ←

Representation & mapping

$(n) \rightarrow (n) R$

Spot is a dog.

Every dog has tail.

↓
Spot has a tail.

dog (spot)

$\forall x: \text{dog}(x) \rightarrow \text{hasTail}(x)$

hasTail (spot)

→ The mutilated checkerboard problem

→ Good representation

→ Approaches to KR

↳ Simple relational knowledge

↳ Inheritable knowledge
↳ Inferential
↳ procedural

→ choosing the granularity

Chapter - 5

→ Using propositional logic

predicate

→ ① Theorem proving is decidable

② can't represent objects & quantification.

→ ① Theorem proving is semi-decidable

② can represent objects & quantified

m

→ Conversion to clause form

→ Reasoning

→ Resolution

→ q in propositional logic
↳ Unification

δ-reduced

$$1. P \rightarrow Q = \neg P \vee Q$$

$$2. (\neg P \vee Q) = \neg P \vee \neg Q$$

$$3. \neg(P \wedge Q) = \neg P \wedge \neg Q$$

$$\neg \forall x : P = \exists x : \neg P$$

$$4. \neg P = P \text{ private merit } ①$$

$$5. (\forall x : P(x)) \vee (\exists x : Q(x)) = (\forall x : P(x)) \vee$$

$$(\exists y : Q(y))$$

$$6. (\forall x : P(x)) \vee (\exists y : Q(y))$$

$$7. (\forall x : P(x)) \vee (\exists y : Q(y))$$

→ Skolem

- Algorithm: Resolution
↳ Chapter 6
- Declarative vs procedural knowledge
↳ not embedded
- logic Programming
↳ what is based on reasoning.
- Forward vs Backward Reasoning
↳ From start states
↳ From goal states
- Why better to reason forward to backward?
↳ Four factors

→ Production system ~~base~~: m. Hindsight ←
 ↳ Working memory
 ↳ Rule ~~Integrating~~

→ RETE Networking or intersect ←
 ↓
→ Matching ~~set~~
 ↳ ELIZA
 ↓
 ↳ ~~bebbedme forr~~

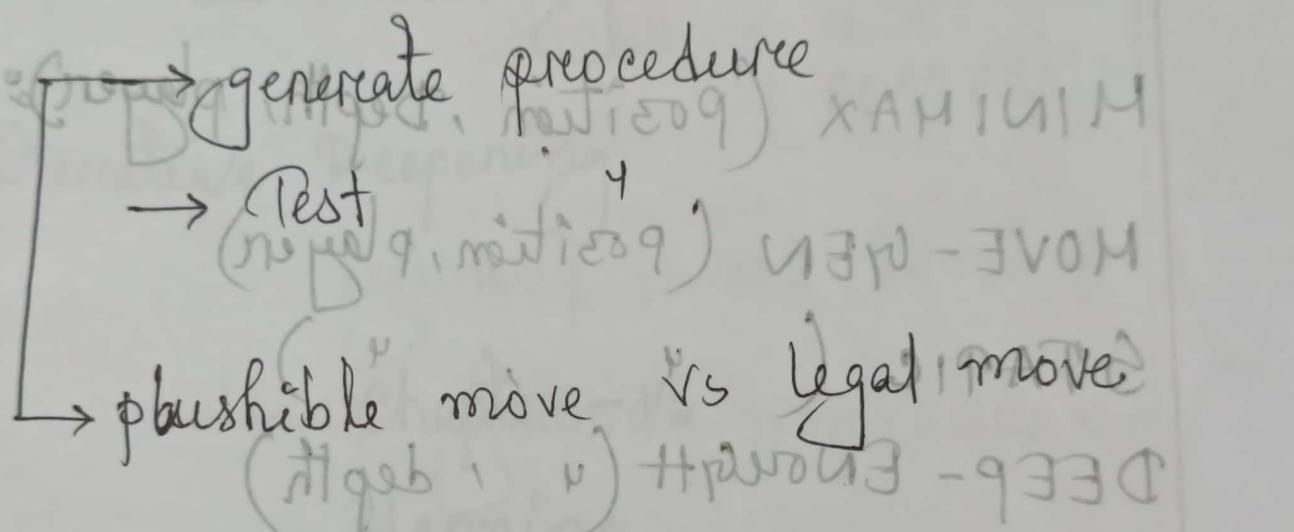
→ Conflict Resolution ~~going signal~~ ←
 ↳ Preference based on rules
 ↳ Objects
 ↳ ~~sets keep want~~ ↳ ~~sets smart states~~
 ↳ ~~sets keep want~~ ↳ ~~sets~~

at ~~brown of water at netted potes~~ ←
 ? ~~browned~~
 watering nut ←

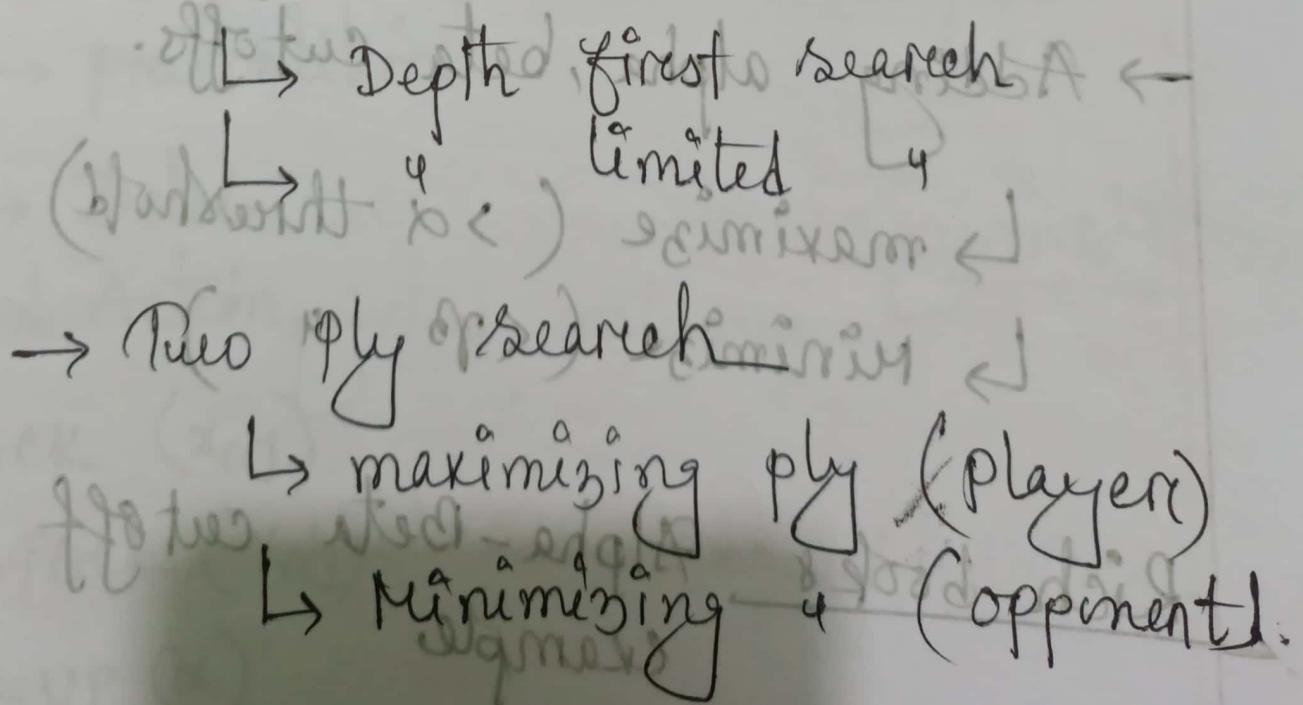
Chapter 8 (Rich)

Game playing

- minimax search procedure
- Alpha cut, Beta cut



Minimax search



~~(drill) & strategy~~
Player (Position, Depth):

Opponent (Position, Depth):

Any-player (key state, no depth) $\xrightarrow{\text{minimax}}$

MINIMAX (Position, Depth, player):

MOVE-MEN (Position, player) $\xleftarrow{\text{fast}}$

STATIC ($\alpha^4 \beta^4$) $\xleftarrow{\text{easier}}$

DEEP-ENOUGH (γ , depth) $\xleftarrow{\text{elaborating}}$

\rightarrow Adding alpha, beta cut offs. $\xleftarrow{\text{done}}$ $\xleftarrow{\text{minimax}}$

\hookrightarrow maximize ($>\alpha$ threshold)

\hookrightarrow minimize ($<\beta$ γ) $\xleftarrow{\text{done}}$

~~(now q) β^q minimax~~ $\xleftarrow{\text{minimax}}$
~~Rich book 8~~ $\xrightarrow{\text{Alpha-Beta cut off}}$
~~example~~ $\xleftarrow{\text{minimax}}$

→ Additional Refinements

↳ futility cutoffs (25% first)

↳ quiescence

↳ secondary search

→ Iterative Deepening

Planning loop ←

melding states ←

Chapter 13

memories ←

Planning

(ail) (empty) (m)

framing

P → precondition

D → Delete

A → Action

STACK (x,y)

UNSTACK (x,y)

PICK UP (x)

PUT DOWN (x)

(contd)

```
graph TD; A[Smartphone] --> B[Tablet]; B --> C[PICK UP]; B --> D[PUT DOWN]; C --> E[Reading]; D --> F[Stacking]; D --> G[Unstacking]
```

PICK UP } SmartPhone
PUT DOWN } Tablet
Tablet } Reading
Tablet } Stacking
Tablet } Unstacking
Stacking } Block
Unstacking }

- Goal Stack planning
- Sussman Anomaly problem

planning: problem solving ~~in advance~~ \leftarrow G

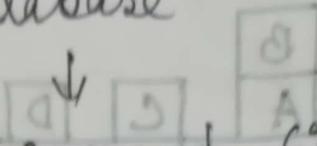
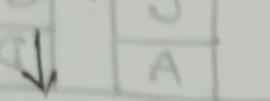
→ The blocks world (Bx)
 (a) gunship
 (x) newspaper

EE-50-11

Goal stack planning

Stack + Database

$\wedge(A \text{ on } C)$ Goals



current situation

$\wedge(A, B) \text{ no : true}$

ONTABLE

ONTABLE(C)

ONTABLE(D)

ARMED

$\wedge(A) \text{ ONTABLE}$

(D) ONTABLE

(D, B) NO

(A, B) NO

(A, C) NO

(C, D) NO

$\wedge(D, B) \text{ ON } DATO \wedge (A, C) \text{ ON } DATO \wedge (C, D) \text{ ON } DATO \wedge (A, B) \text{ ON } DATO$

(A, C) STACKED

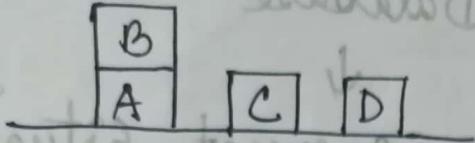
(C, D) NO

DATO $\wedge (C, D) \text{ ON } DATO \wedge (A, C) \text{ ON } DATO$

Assignment

11.09.23

Goal Stack Planning



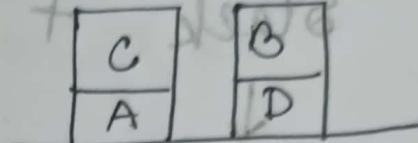
Start: ON(B,A) \wedge

ON TABLE(A) \wedge

ONTABLE(c) ∧

ON TABLE (D) ^

~~ARMEMPTY~~



goal: ON(GA) ^

~~ONTABLE(n)~~

ON(B,D) 1

ON TABLE(A)1

ON TABLE (D)

ON (CA)

ON (B,D)

~~ON(CA) \wedge ON(B,D) \wedge OPTAD~~ ON(CA) \wedge ON(B,D) \wedge

ON(B,D)

~~ON (C, A)~~

OTAD

STACK (CA)

ON(B,D)

$ON(GA) \wedge ON(BD) \wedge OTAD$

~~CLEAR(A) \wedge HOLDING(C) \wedge (A) ON TABLE~~
~~(A) ON CUBE \wedge (A) HOLDING~~

CLEAR(A)

HOLDING(C)

CLEAR(A) \wedge HOLDING(C)

STACK(C,A)

ON(B,D)

ON(C,A) \wedge ON(B,D) \wedge NOTAD

ON(B,A)

CLEAR(B)

ARMEMPTY

ON(B,A) \wedge CLEAR(B) \wedge ARMEMPTY

UNSTACK(B,A)

HOLDING(C)

CLEAR(A) \wedge HOLDING(C)

STACK(C,A)

ON(B,D)

ON(C,A) \wedge ON(B,D) \wedge NOTAD

ON TABLE(A) \wedge ON TABLE(C) \wedge ON TABLE(D),
HOLDING(B) \wedge CLEAR(A)

The goal stack now is,

HOLDING(C)

CLEAR(A) \wedge HOLDING(C)

STACK(GA)

ON(B,D)

ON(GA) \wedge ON(B,D) \wedge OTAD

(A) GETARM

(C) HOLDING

(C) HOLDING \wedge (A) GETARM

(A,B) STACK

(A,B) NO

OTAD \wedge (A,B) ON \wedge (A,C) ON

Two branches of the search tree corresponding to the following goal stacks:

①

ONTABLE(C)

CLEAR(C)

ARMEEMPTY

ONTABLE(C) \wedge CLEAR(C)

ARMEEMPTY

PICKUP(C)

CLEAR(A) \wedge HOLDING(C)

(A,B) NO

(A,B) ON

(A,B) STACK

(C) HOLDING

(A,B) HOLDING

(A,B) STACK

(A,B) NO

(A,B) NO \wedge (A,C) NO

②

ON (c x)

CLEAR (c)

ARMEMPTY

ON (c x) \wedge CLEAR (c) \wedge

ARMEMPTY

UNSTACK (c x)

CLEAR (A) \wedge HOLDING (c)

STACK (c A)

To satisfy $ON(c, x)$, we would have to STACK c onto some block x . The goal stack then would be,

CLEAR(x)

HOLDING(c)

(A, G) ~~WATG~~

CLEAR(x) \wedge HOLDING(c)

(C, G) NO

STACK(c, x)

ON(c, G) \vee LOAD(c, G) \vee UNLOAD(c, G) NO

CLEAR(c)

ARM EMPTY

(x, G) NO

ON(c, x) \wedge CLEAR(c) \wedge ARMEMPTY(y) ~~CLEAR~~

UNSTACK(c, x)

ARMEMPTY

CLEAR(A) \wedge HOLDING(c)

ARMEMPTY

STACK(c, A)

(x, G) ~~WATG~~ UN

ON(B, D)

ON(c, A) \wedge ON(B, D) \wedge OPAD

(A, G) ~~WATG~~

We choose to Apply STACK(B, D) by
binding D to x in (the) stack(A operator).
This makes the goal stack:

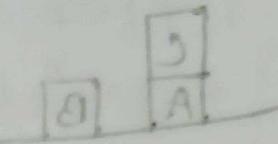
HOLDING(B)

CLEAR(D) \wedge HOLDING(B)

STACK(B, D)

ONTABLE (C) \wedge CLEAR (C) \wedge ARMEMPTY
PICKUP (C)

CLEAR (A) \wedge HOLDING (C)



STACK (GA)

\wedge (A, B) NO : + net²

ON (B, D)

\wedge (A) NO : + net²

ON (CA) \wedge ON (B, D) \wedge NOT AD

ARMEMPTY

ONTABLE (A) \wedge ONTABLE (C) \wedge ONTABLE (D)
ON (B, D) \wedge ARMEMPTY

The problem solver can now halt & return
as the its answer the plan.

1. UNSTACK (B, A)

ARMEMPTY

2. STACK (B, D)

ARMEMPTY \wedge (A) FREE

3. PICKUP (C)

(A) QUASI

4. STACK (C, A)

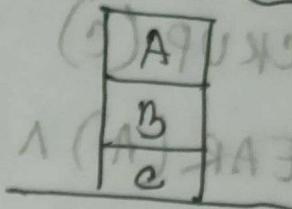
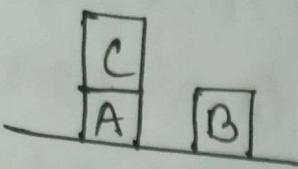
ARMEMPTY \wedge (A) FREE

(B, A) NO

(C, D) NO

(C, B) NO \wedge (B, A) NO

Goal Stack planning: (Sussman anomaly)



Start: $\text{ON}(c, a) \wedge$

$\text{ON_TABLE}(a) \wedge$
 ARM_EMPTY

Goals: $\text{ON}(a, b) \wedge$
 $\text{ON}(b, c)$

$\text{ON}(c, a)$

$\text{CLEAR}(c)$

ARM_EMPTY

$\text{ON}(c, a) \wedge \text{CLEAR}(c) \wedge \text{ARM_EMPTY}$

$\text{UNSTACK}(c, a)$

ARM_EMPTY

$\text{CLEAR}(a) \wedge \text{ARM_EMPTY}$

$\text{PICKUP}(a)$

$\text{CLEAR}(b) \wedge \text{HOLDING}(a)$

$\text{STACK}(a, b)$

$\text{ON}(b, c)$

$\text{ON}(a, b) \wedge \text{ON}(b, c)$

We can continue popping until the goal stack
is empty. Note it is biggong b/w
 $ON(B, C)$ i will go w/ between short
 $ON(A, B) \wedge ON(B, C)$

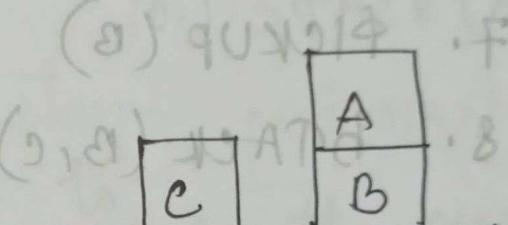
Then the current state is

$ONTABLE(B) \wedge$

$ON(A, B) \wedge$

$ONTABLE(C) \wedge$

$ARMEMPTY$



This problem is often called the Wissman
Anomaly.

The sequence of operators applied so far is

1.) $UNSTACK(C, A)$

2.) $PUTDOWN(C)$

3.) $PICKUP(A)$

4.) $STACK(A, B)$

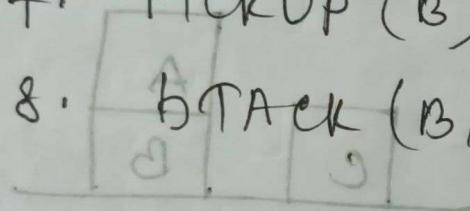
By the time, we achieved the goal $ON(B, C)$ and popped it off the stack, we will have executed the following:

5. UNSTACK(A, B)

6. PUTDOWN(A)

7. PICKUP(B)

8. STACK(B, C)



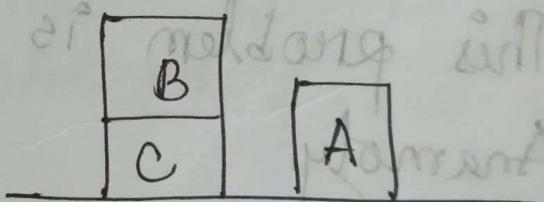
The problem state will be

$ON(B, C) \wedge$

$ON TABLE(A) \wedge$

$ON TABLE(C) \wedge$

$ARM EMPTY$



This time,

9. PICKUP(A)

10. STACK(A, B)

$(A, B) \rightarrow APEND$

$(B) \rightarrow CWDROP$

$(A) \rightarrow QUICK$

$(B, A) \rightarrow APP$

The complete plan

- 1.) UNSTACK (C,A)
- 2.) PUTDOWN (C)
- 3.) PICKUP (A)
- 4.) STACK (A,B)
- 5.) UNSTACK (A,B)
- 6.) PUTDOWN (A)
- 7.) PICKUP (B)
- 8.) STACK (B,C)
- 9.) PICKUP (A)
- 10.) STACK (A,B)

Eliminating step 3 and 6, the resulting plan is.

- 1.) UNSTACK (C,A)
- 2.) PUTDOWN (C)
- 3.) PICKUP (B)
- 4.) STACK (B,C)
- 5.) PICKUP (A)
- 6.) STACK (A,B)

Learning from Observations (Russel)

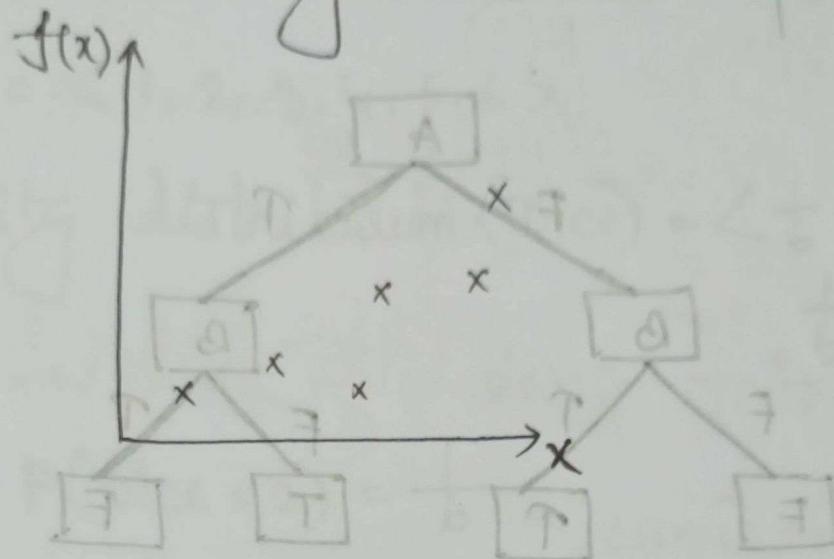
- Induction learning
- Hypothesis
- Learning
- learning agents
- learning elements

- (A) KARAPU(.1)
- (G) UNODRUG (.2)
- (A) QUAD (.3)
- (A, A) KARAPC (.4)
- (A, A) KARAPU (.5)

Type of feedback:

- Supervised learning
- Unsupervised
- Reinforcement
- Inductive learning
 $(x, f(x))$

→ Inductive learning method



→ Ocham's razor

↳ prefers the simplest hypothesis.

→ Learning decision trees

↳ Gini leaf एकल फैसला

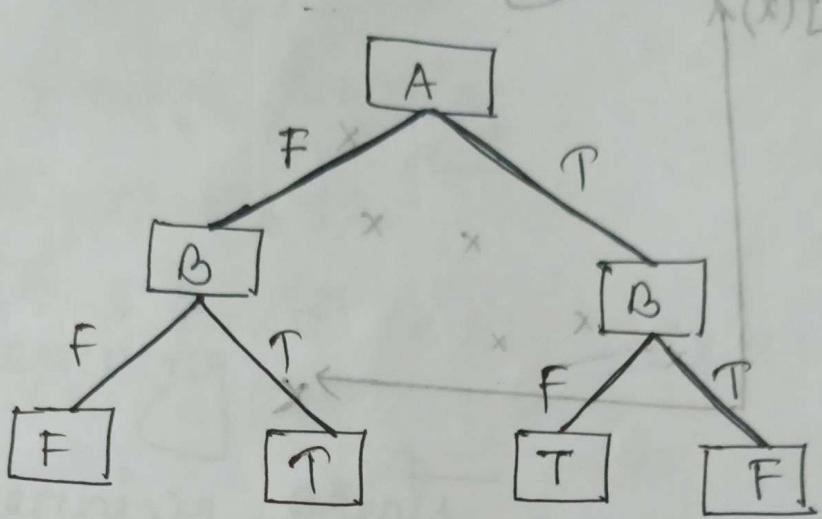
↳ entropy value का हल अद्वितीय प्रो-

(All) eed करते हैं।

→ Attribute based representation

→ Decision trees

→ Expressiveness



→ Hypothesis spaces

$$2^n \text{ rows} = 2^{\frac{n}{2}}$$

→ Decision tree learning

→ performance measurement.

Chapter-8 (Rich)

→ probability = a degree of belief

→ prior

= known

random variable = Dice = $\frac{1 \wedge 2}{(2)^9} = (2|M)9$

domain = $\langle 1, 2, 3, 4, 5, 6 \rangle$

Probability distribution (Dice) = $\langle \frac{1}{6}, \frac{1}{6}, \frac{1}{6}, \frac{1}{6}, \frac{1}{6}, \frac{1}{6} \rangle$

mixed intub bilidraining tricot

$$P(\text{Dice} = 2) = \frac{1}{6}$$

$$P(A|B) = P(A \wedge B) / P(B)$$

$$P(A \wedge B) = P(A|B) \cdot P(B)$$

conditional probability

S = Stiff neck

M = Meningitis

$$P(S|M) = 0.5$$

$$P(M) = 1/50000$$

$$P(S) = 1/20$$

$$P(M|S) = P(S|M) \cdot P(M) / P(S) = 1/5000$$

$$P(M|S) = \frac{P(S \wedge M)}{P(S)}$$

$$= \frac{P(S|M) \cdot P(M)}{P(S)}$$

→ Joint probability distribution

→ Axioms

$$\begin{aligned} P(\text{true}) &= 1 \\ P(\text{false}) &= 0 \\ P(A \vee B) &= P(A) + P(B) - P(\bar{A} \wedge \bar{B}) \end{aligned}$$

→ Derived properties

$$P(\neg A) = 1 - P(A)$$

$$P(U) = P(A_1) + P(A_2) + \dots + P(A_n)$$

$U = A_1 \vee A_2 \vee A_3 \dots$ collectively exhaustive

$$P(A \wedge B) = P(A) \cdot P(B)$$

→ Bayes' Theorem

→ Ed Independence

→ conditional
assumption

$$P(A \wedge B) = P(A) \cdot P(B)$$
$$P(A) = \frac{P(A \wedge B)}{P(B)}$$

$$P(A \wedge B | E) = P(A|E) \cdot P(B|E)$$

→ probability - John and Mary

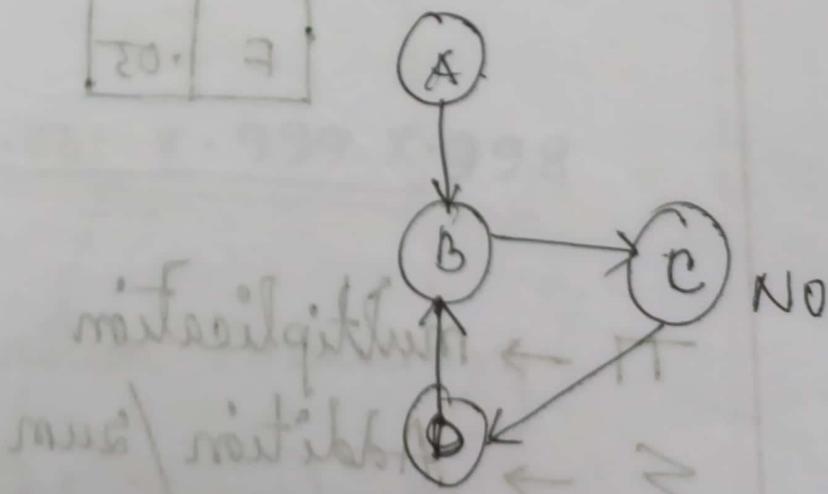
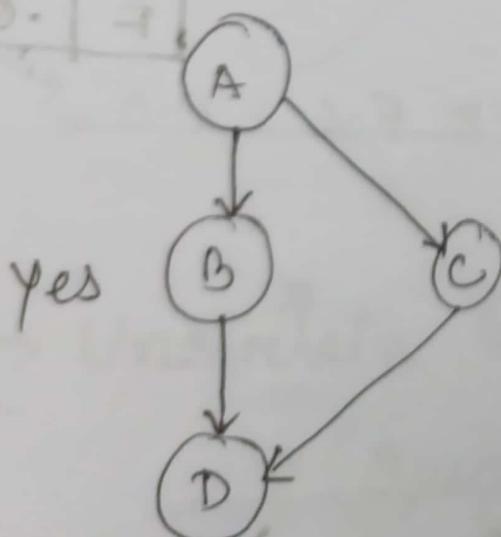
Example
(Math) * at

exam - Q 01(51)

→ Bayesian Network

→ syntax

(T) 9	A
08.	T
20.	T



indirectly influenced a node B in bayes

Burglary

P(B)	
	.001

Earthquake

P(E)	
	.002

A alarm

John calls

Mary calls

B	E	P(A)
T	T	.95
T	F	.94
F	T	.29
F	F	.00

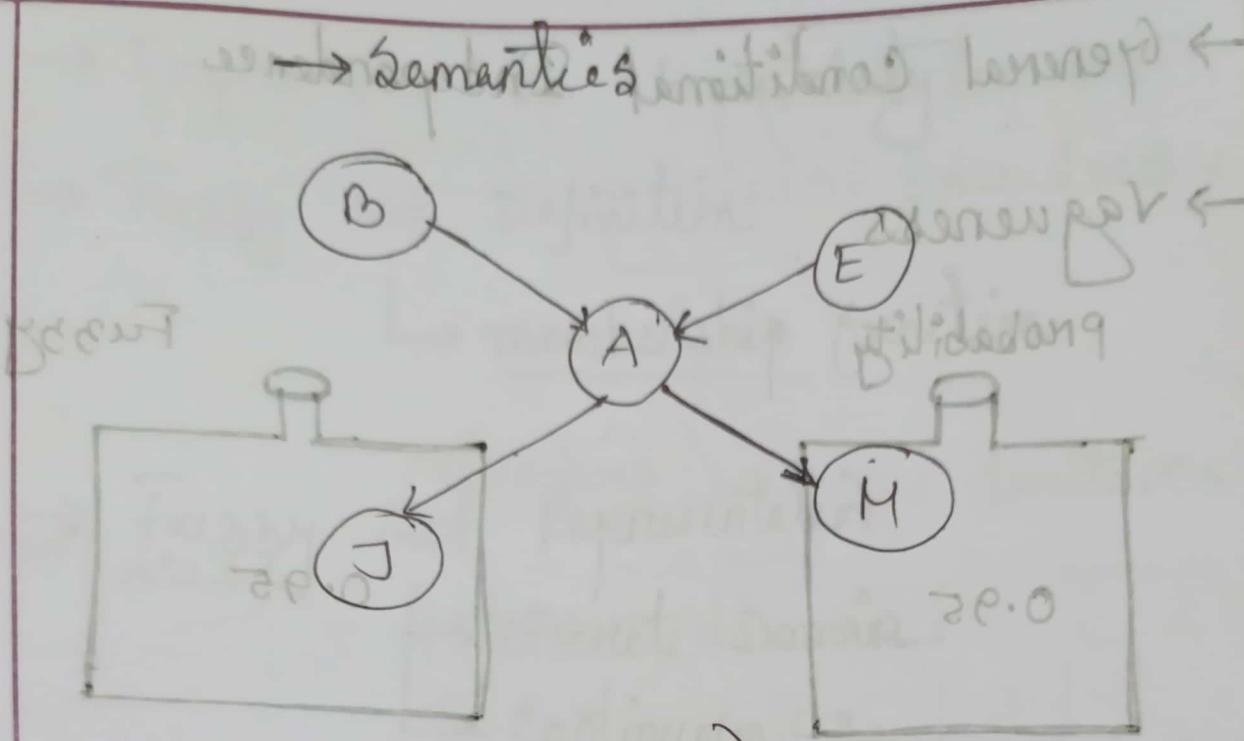
A	P(J)
T	.90
F	.05

A	P(M)
T	.7
F	.3

$\prod \rightarrow$ multiplication

$\sum \rightarrow$ Addition / sum

** What is syntax & semantics · Describe



$$P(J \wedge M \wedge A \wedge \neg B \wedge \neg E)$$

$$= P(J|A) \cdot P(M|A) \cdot P(A|\neg B \wedge \neg E) \cdot P(\neg B) \cdot P(\neg E)$$

$$= 0.00062$$

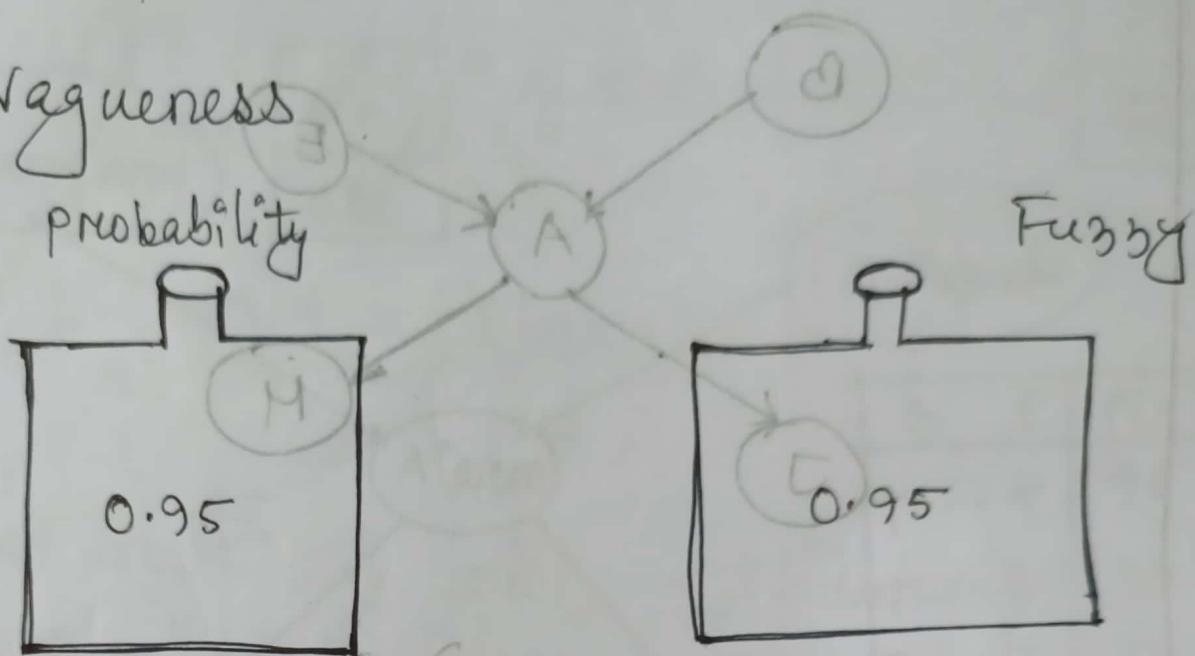
$$= 0.9 \times 0.7 \times 0.001 \times 0.999 \times 0.998$$

→ Uncertain Question Answering

$$P(\text{Query} | \text{Evidence}) = ?$$

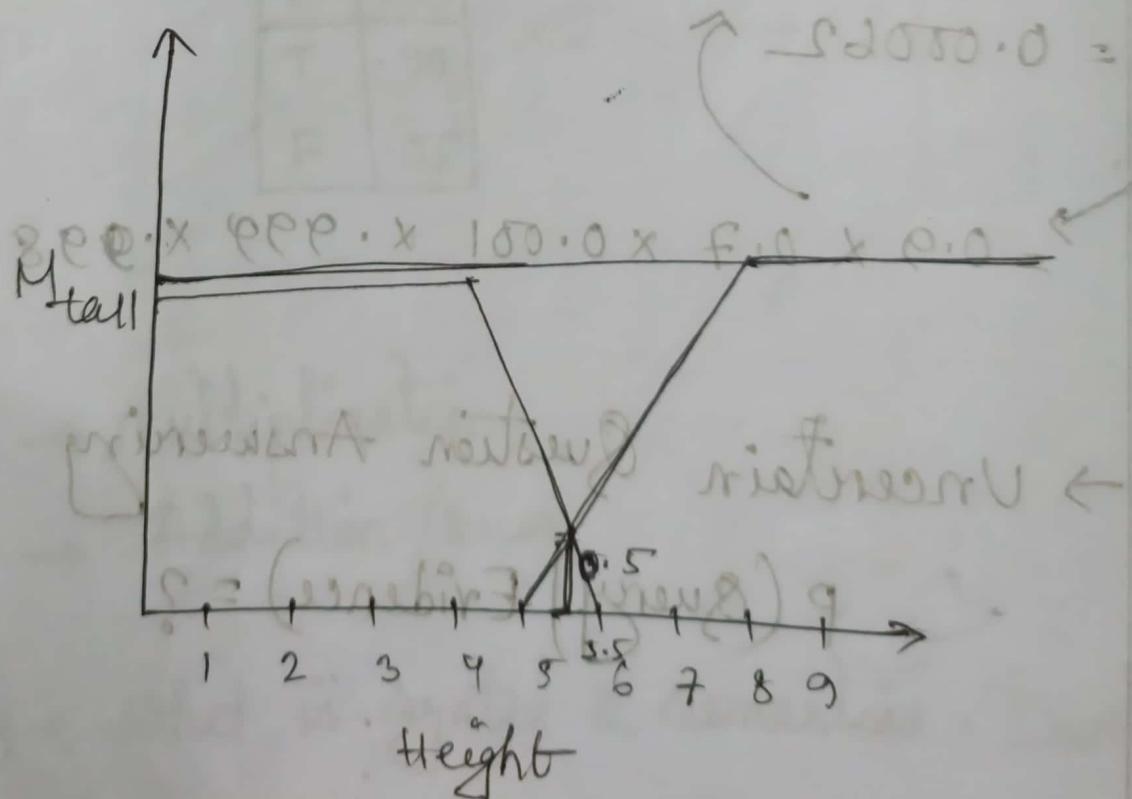
→ General Conditional Independence

→ Vagueness



(ΕΓΛΑΓΛΑΛΜΑΣ)

→ Difference betⁿ. probability & fuzzy.



- Imprecision vs. Uncertainty
- Fuzzy set Definition
- ↳ membership function

- Fuzzy set Representation
- ↳ Discrete Domain
- ↳ Continuous
- ↳ α -cuts

- Fuzzy controller
- Set
- Crisp set Fuzzy set
- Fuzzy controller component
- (Quies)

20.09.23

- Forward chaining (Russel book)
- Backward chaining (Rich book)
- Natural Language processing
 - ↳ Speech processing
 - ↳ Textural
- Entire language processing
- Features of languages that make it both difficult & useful.
- * * * → steps in the process (কানো Sentence কেনি মাকলে)
 - ↳ morphological Analysis
 - ↳ syntactic
 - ↳ semantic

- ↳ Discourse integration
- ↳ Pragmatic Analysis

'I eat rice.'

→ Syntactic processing

↳ Two main components of parsing.

- ↳ grammar (declarative)
- ↳ parser (procedural)

→ Grammar & parser

↳ Specifies two things about a language.

- ↳ its generative capacity.
 - ↳ Strong
 - ↳ Weak

→ Parse tree

→ Kind of parsing associated

- Pop-down → forward
- Bottom-up → backward

→ Bottom-up parsing with Top-down filtering.

- Finding one interpretation / finding many.
- Four ways of handling sentences.

- All paths
- Best path with backtracking
- Best
- next & next; previous

→ Augmented Transition Networks.

→ Semantic Analysis ~~also design~~

↳ Lexical processing ~~in its own way~~

↳ Semantic markers

↳ physical - Object ~~modelled to two~~

↳ Animate - ^{IA} ~~IA~~ ^{IA goes} ~~IA goes~~

↳ Abstract - ^{IA} ~~IA~~ ^{IA goes} ~~IA goes~~

→ Lexical disambiguation.

→ Sentence level processing

↳ Semantic grammars ~~at at~~

→ ~~principles~~ advantages of semantic grammars.

→ Drawbacks to use the semantic grammars.

→ Discourse & pragmatical processing.

- speech acts
- conversational postulates
- out of syllabus:
- Trend of AI
- open AI, generative AI

Chapter - 6 (lab) ২৫টি পিটে রেকা

lab quiz, slide ২৫টি মাস্টে,

Notebook - 25

Attendance - 25

quiz - 5

final lab & viva - 5

lab ও practice - ৫টি মাস্ট

class ৫ টি পিটি - 10

Book - Prolog programming in Depth.

→ Part II (Application)

→ A simple expert system shell

→ An expert system with uncertainty.

→ natural language processing.

Turbo Prolog book

→ program 22 & 52 (class - G)

কার্য বলিষ্ঠিতা

→ Hardware simulation

→ program 54 *

→ Tower of Hanoi

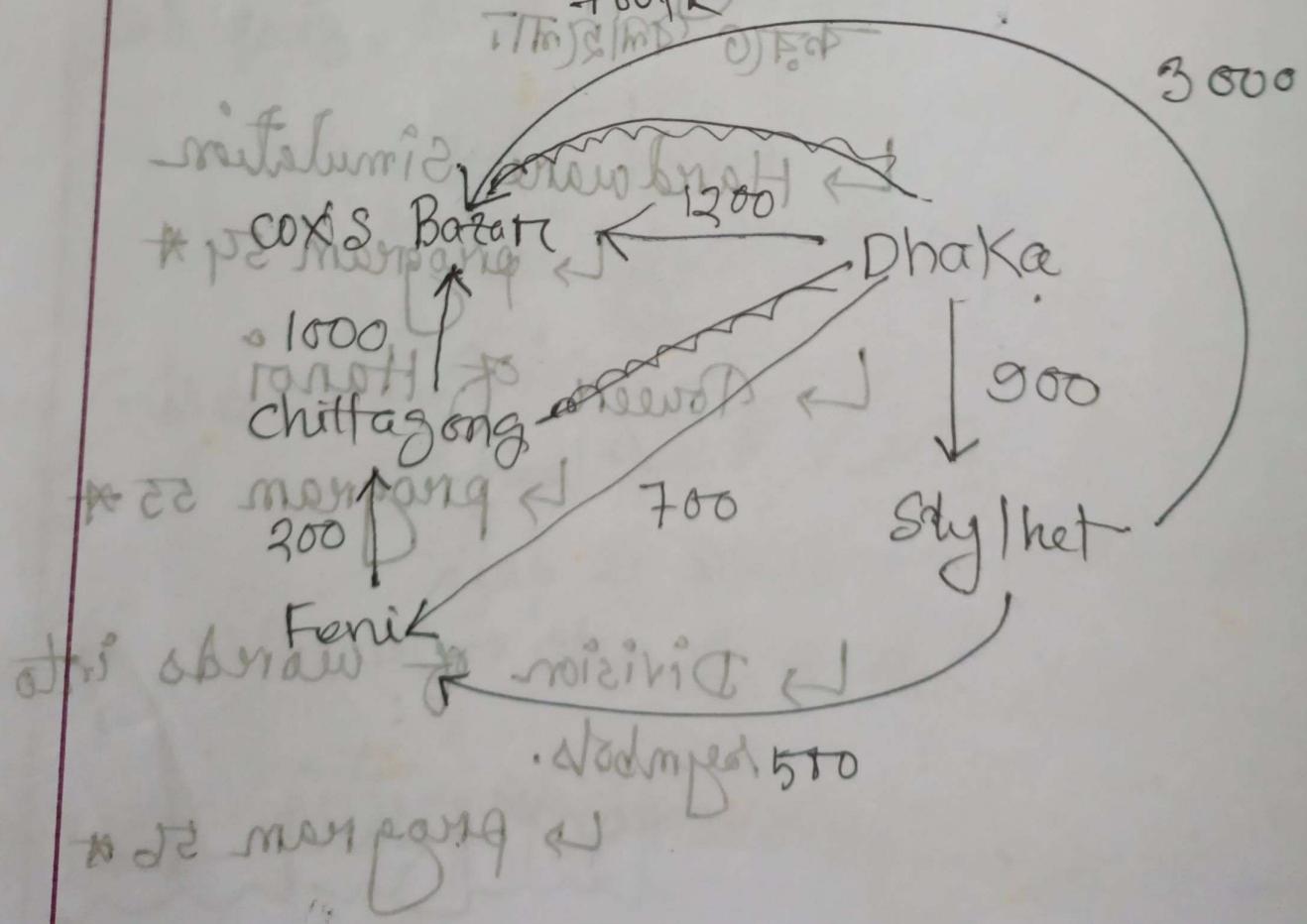
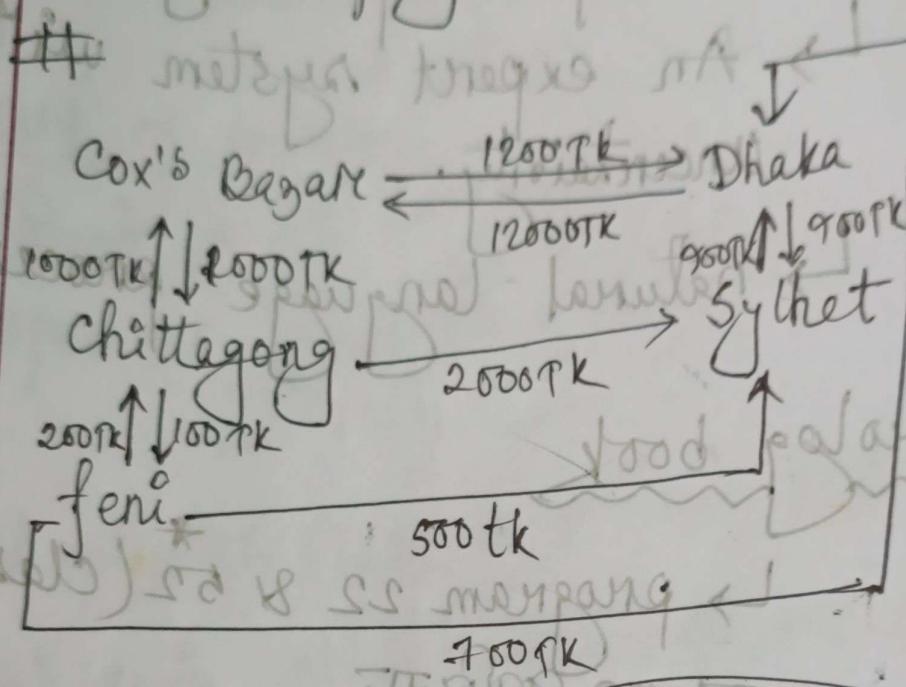
→ program 55 *

→ Division of words into symbols.

→ program 56 *

26. 25. 09

Marks → Lab evaluation II freq
 metres → program 52, 54, 55, 56.
 # metres freqs m/s



Artificial Neural Networks: A Tutorial.

→ Tasks that neural network can perform.

↳ pattern classification

↳ clustering & generalization

↳ function approximation

↳ prediction / forecasting

→ optimization, global SM

goal or → Content-addressable memory.

→ Why Artificial neural network?

→ massive parallelism

→ distributed representation

Computation:

→ learning ability

→ generalization

• Generation A \hookrightarrow adaptivity and learning
→ has structure \hookrightarrow inherent contextual info processing
 \hookrightarrow fault tolerance
 \hookrightarrow low energy consumption.

→ Biological neural networks.

interneurons interneurons
 $w_p \times b$ between interneurons

→ McCulloch-Pitts model of a neuron

→ feed-forward network \rightarrow no loop

→ Recurrent neurons \rightarrow loop

→ Different types of activation functions

→ taxonomy of feed forward & recurrent

→ feed forward \rightarrow single layer

\rightarrow Multi

\rightarrow Radial Basis function net

Recurrent \rightarrow Competitive \leftarrow fine rabbit

\rightarrow Kohonen's self-organizing map

\rightarrow Hopfield

\rightarrow ART model

UVA

\rightarrow Perceptron learning algorithm

\hookrightarrow update the weight

\rightarrow Back-propagation algorithm

\hookrightarrow neural network design
(book) chapter 11

UVA \leftarrow

\rightarrow Well-known learning algorithm

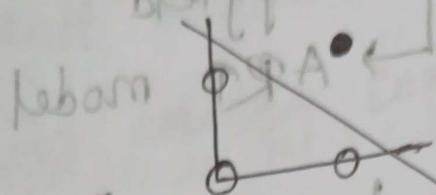
level \rightarrow Supervised - Decision tree

no level \rightarrow Unsupervised - Centroid clustering

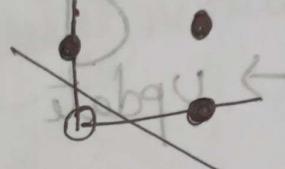
\rightarrow Reinforcement - Q
critics

→ hidden unit in a 2-dimensional input space for classification

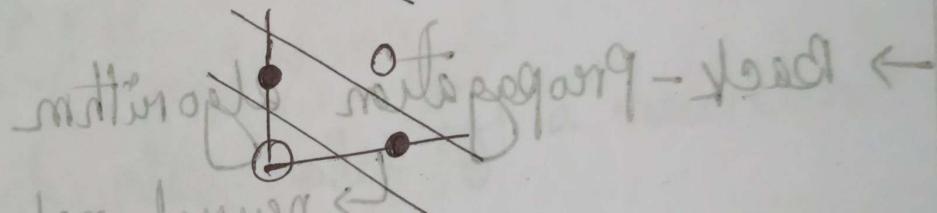
AND



OR



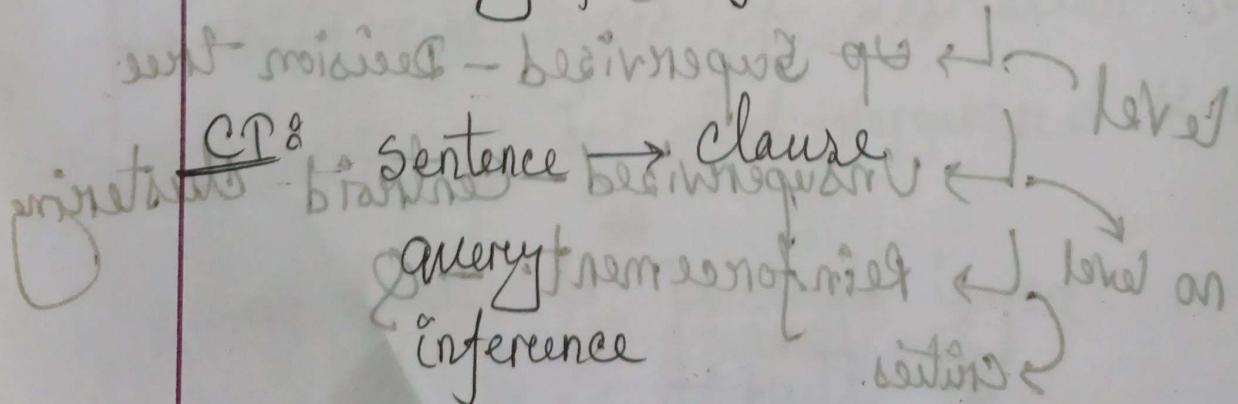
XOR



→ ANN

↳ what?

↳ why powerful?



Using predicate logic

- 1.) Marcus was a man $\exists x : \text{man}(x)$
- 2.) Marcus was a Pompeian $\exists x : \text{Pompeian}(x)$
- 3.) All Pompeians were Romans. $\forall x : \text{Pompeian}(x) \rightarrow \text{Roman}(x)$
- 4.) Caesar was a Ruler $\exists x : \text{Ruler}(x)$
- 5.) All Pompeians were either loyal to Caesar or hated him $\forall x : \text{Pompeian}(x) \rightarrow (\text{loyal}(x, \text{Caesar}) \vee \text{hated}(x, \text{Caesar}))$
- 6.) Every one is loyal to someone $\forall x : \exists y : \text{loyal}(x, y)$
- 7.) People only try to assassinate rulers they are not loyal to. $\forall x : \text{People}(x) \rightarrow (\exists y : \text{ruler}(y) \wedge \text{try}(x, y) \wedge \neg \text{loyal}(x, y))$
- 8.) Marcus tried to assassinate Caesar $\exists x : \text{try}(x, \text{assassinate}(\text{Caesar}))$

$\Rightarrow \forall x : ((\text{ruler}(x) \wedge \text{try}(x, y)) \rightarrow \text{assassinate}(y))$

$\Rightarrow \forall x : ((\text{ruler}(x) \wedge \text{try}(x, y)) \rightarrow \exists z : \text{assassinate}(z))$

$\Rightarrow \forall x : ((\text{ruler}(x) \wedge \text{try}(x, y)) \rightarrow \exists z : \text{assassinate}(z))$

$\Rightarrow \forall x : ((\text{ruler}(x) \wedge \text{try}(x, y)) \rightarrow \exists z : \text{assassinate}(z))$

2.) Marcus was a Pompeian
 $\exists x : \text{Pompeian}(x) \wedge \text{man}(x)$

- 3.) All pompeians were Romans.
 $\forall x : \text{Pompeian}(x) \rightarrow \text{Roman}(x)$
- 4.) Caesar was a ruler
 $\exists x : \text{Ruler}(x, \text{Caesar})$
- 5.) All pompeians were either loyal to Caesar or hated him
 $\forall x : \text{Roman}(x) \rightarrow (\text{loyalto}(x, \text{caesar}) \vee \text{hate}(x, \text{caesar}))$

Inclusive-or
 $\forall x : \text{Roman}(x) \rightarrow (\text{loyalto}(x, \text{caesar}) \wedge \text{hate}(x, \text{caesar}))$

exclusive-or
 $\forall x : \text{Roman}(x) \rightarrow (\text{loyalto}(x, \text{caesar}) \wedge \neg \text{hate}(x, \text{caesar}))$

$(\neg \text{loyalto}(x, \text{caesar}) \wedge \text{hate}(x, \text{caesar}))$

6.) Every one is loyal to someone

$\forall x : \exists y : \text{loyal}(x, y) \wedge \text{new_men}(y)$

7) People only try to assassinate rulers
they are not loyal to.

$\forall x : \forall y : \text{Person}(x) \wedge \text{ruler}(y) \wedge \text{tryassas-}$
 $\text{sinate}(x, y) \rightarrow \neg \text{loyal}(x, y)$

8) Marcus tried to assassinate Caesar

tryassassinate (Marcus, Caesar)

\rightarrow Was Marcus loyal to Caesar?

man (Marcus) between
ruler (Caesar) \leftarrow (x)
tryassassinate (Marcus, Caesar)

\downarrow

$\forall x : \text{man}(x) \rightarrow \text{Person}(x)$

$\neg \text{loyal}(x, y)$

Reasoning

- 1) Marcus was a Pompeian
- 2) All Pompeians died when the volcano erupted in 79 A.D.
- 3) It is now 2008 A.D.

Is Marcus Alive?

- 1) Marcus was a Pompeian
- 2) All Pompeians died when the volcano erupted in 79 A.D.
- 3) It is now 2008 A.D.

Now = 2008

alive

$\forall x : \forall t_1 : \forall t_2 : \text{died}(x, t_1) \wedge \text{greater-than}(t_2, t_1)$

$\rightarrow \text{dead}(x, t_2) \wedge (\exists t, x) \text{born}(x, t) \wedge (\exists t, x) \text{died}(x, t) \wedge t < t_2$

1.) Marcus was a man

man(Marcus) war di tD GF

2.) Marcus was a pompeian

Pompeian(Marcus) war di tD GF

3.) Marcus was born in 40 A.D.

[born(Marcus, 40)]

4.) All men are mortal.

exist: man(x) \rightarrow mortal(x)

5.) All pompeians died when the volcano erupted in 79 A.D.

erupted(volcano, 79) \wedge $\forall x : [\text{Pompeian}(x)$

$\rightarrow \text{died}(x, 79)]$

(it, st) and 6) No mortal lives longer than 150 years.

$\forall x : \forall t_1 : \forall t_2 : \text{mortal}(x) \wedge \text{born}(x, t_1) \wedge$
 $\exists t (t_2 - t_1, 150) \rightarrow \text{dead}(x, t_2)$

7) It is now 1991 now

now = 1991 now

8) Alive means not dead

$\forall x : \forall t : [\text{alive}(x, t) \rightarrow \neg \text{dead}(x, t)] \wedge$
 $[\neg \text{alive}(x, t) \rightarrow \text{dead}(x, t)]$

9.) If someone died dies, then he is dead at all later times.

$\forall x : \forall t_1 : \forall t_2 : \text{died}(x, t_1) \wedge \exists t (t_2 - t_1)$
 $\rightarrow \text{dead}(x, t_2)$

[$\neg \text{alive}(x, t_2) \rightarrow \text{dead}(x, t_2)$]

Query: Was Marcus alive? \wedge \neg dead

$\forall x \exists t_1 \forall t_2 (t_1 < t_2 \wedge \text{alive}(x, t_1) \wedge \text{dead}(x, t_2))$

$\text{born}(x, t_1) \wedge \exists t_2 (t_2 > t_1 \wedge \text{dead}(x, t_2))$

$\exists t_1 \text{born}(x, t_1) \wedge \forall t_2 (t_2 > t_1 \rightarrow \text{dead}(x, t_2))$

A set of facts about Marcus: beeb

1.) man(Marcus)

2.) Pompeian(Marcus)

3.) born(Marcus, 40)

4.) $\forall x: \text{man}(x) \rightarrow \text{mortal}(x)$

5.) $\forall x: \text{Pompeian}(x) \rightarrow \text{died}(x, 79)$

6.) erupted(Volcano, 79)

7.) $\forall x: \forall t_1: \forall t_2: \text{mortal}(x) \wedge \text{born}(x, t_1) \wedge \text{gt}(t_2 - t_1, 150) \rightarrow \text{dead}(x, t_2)$

8.) now = 1991

9.) $\forall x: \forall t: [\text{alive}(x, t) \rightarrow \neg \text{dead}(x, t)]$

$\wedge [\text{dead}(x, t) \rightarrow \neg \text{alive}(x, t)]$

10. $\forall x : \forall t_1 : \forall t_2 : \text{died}(x, t_1) \wedge \text{gt}(t_1,$

$\rightarrow \text{dead}(x, t_2)$

{ (1, t, now) now
(2, t - 79) tB }

One way of proving that Marcus is dead: saw Marcus today stop to his A

$\neg \text{alive}(\text{Marcus}, \text{now})$

(now) \uparrow (9, Substitution)

(dead(Marcus, now))

(x) $\text{let now} \leftarrow (x) \uparrow$ (10, Substitution)

($\neg \text{alive}(\text{Marcus}, t_1) \wedge \text{gt}(\text{now}, t_1)$)

($\neg \text{alive}(\text{Marcus}, t_1) \wedge \text{gt}(\text{now}, t_1)$)

now \wedge (x) $\text{let now} : \text{S.V.} : \text{A} : x$ (F)

($\neg \text{alive}(\text{Marcus}, t_1) \wedge \text{gt}(\text{now}, t_1)$)

[$\neg \text{alive}(\text{Marcus}, t_1) \wedge \text{gt}(\text{now}, t_1)$]

nil (compute gt)

Another way of proving that Marcus is dead:

(woman) now (\perp)

(alive(Marcus, now))^(S)

(OP, woman) now ($\exists d$, substitution)

(x) ~~Let~~ now ($\exists d$) ~~now~~ ($\exists d$) \rightarrow (P)

↑ (\exists , substitution)

(EF_{px}) ~~with~~ ($\exists x$) ~~now~~ ($\exists d$) \rightarrow (P)
mortal(Marcus) \wedge born(Marcus, t_1) \wedge
gt(now - t_1 , 150) \rightarrow (P)

v (it, ex) now $\vdash v(x) \uparrow$ (4, substitution)

(st, ex) man(Marcus) \wedge born(Marcus, t_1) \wedge
gt(now - t_1 , 150) \rightarrow (P)

tee = war (P)

(st, px) born(Marcus, t_1) \wedge gt(now - t_1 , 150) \rightarrow (P)

(pt, ex) wife \vdash (pt, px) best (P)

v (st, st) \vdash gt(now - 40, 150) \rightarrow (P)

↑ st, st (P)

gt(1991 - 40, 150)

(gt(1992 - 1951, 150) \vdash (compute minus))

↑ now compute gt.

Axioms in clause forms

- 1.) man (Marcus)
 - 2.) Pompeian (Marcus)
 - 3.) born (Marcus, 40)
 - 4.) $\neg \text{man}(x) \vee \text{mortal}(x)$
 - 5.) $\neg \text{pompeian}(x_2) \vee \text{died}(x_2, 79)$
 - 6.) erupted (Volcano, 79)
 - 7.) $\neg \text{mortal}(x_3) \vee \neg \text{born}(x_3, t_1) \vee \neg \text{gt}(t_2 - t_1, 150) \vee \neg \text{dead}(x_3, t_2)$
 - 8.) now = 1991
 - 9a) $\neg \text{alive}(x_4, t_3) \vee \neg \text{dead}(x_4, t_3)$
 - 9b) $\text{dead}(x_5, t_4) \vee \text{alive}(x_5, t_4)$
 - 10.) $\neg \text{died}(x_6, t_5) \vee \neg \text{gt}(t_6, t_5) \vee \text{dead}(x_6, t_6)$.
- Prove: $\neg \text{alive}(\text{Marcus}, \text{now})$

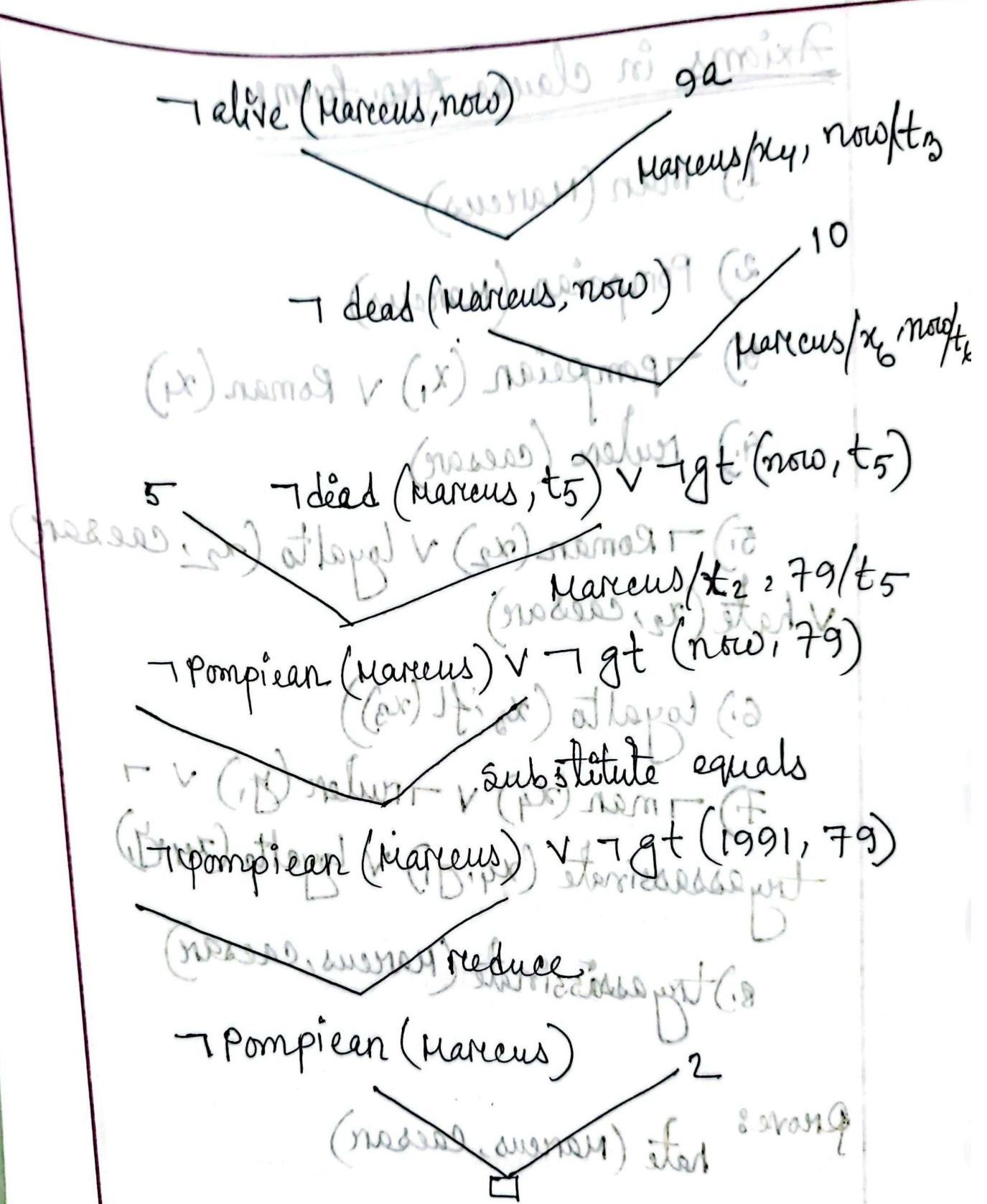


Fig: Using equal Resolution with equality & Reduce

Axioms, in clause form & formular

1.) man (Marcus)

2.) Pompeian (Marcus)

3.) \neg Pompeian (x_1) \vee Roman (x_1)

4.) ruler (caesar)

5.) \neg Roman (x_2) \vee loyal to (x_2 , caesar)

\vee hate (x_2 , caesar)

6.) loyal to (x_3 , ifl (x_3))

7.) \neg man (x_4) \vee \neg ruler (y_1) \vee \neg

try assassinate (x_4, y_1) \vee loyal to (x_4, y_1)

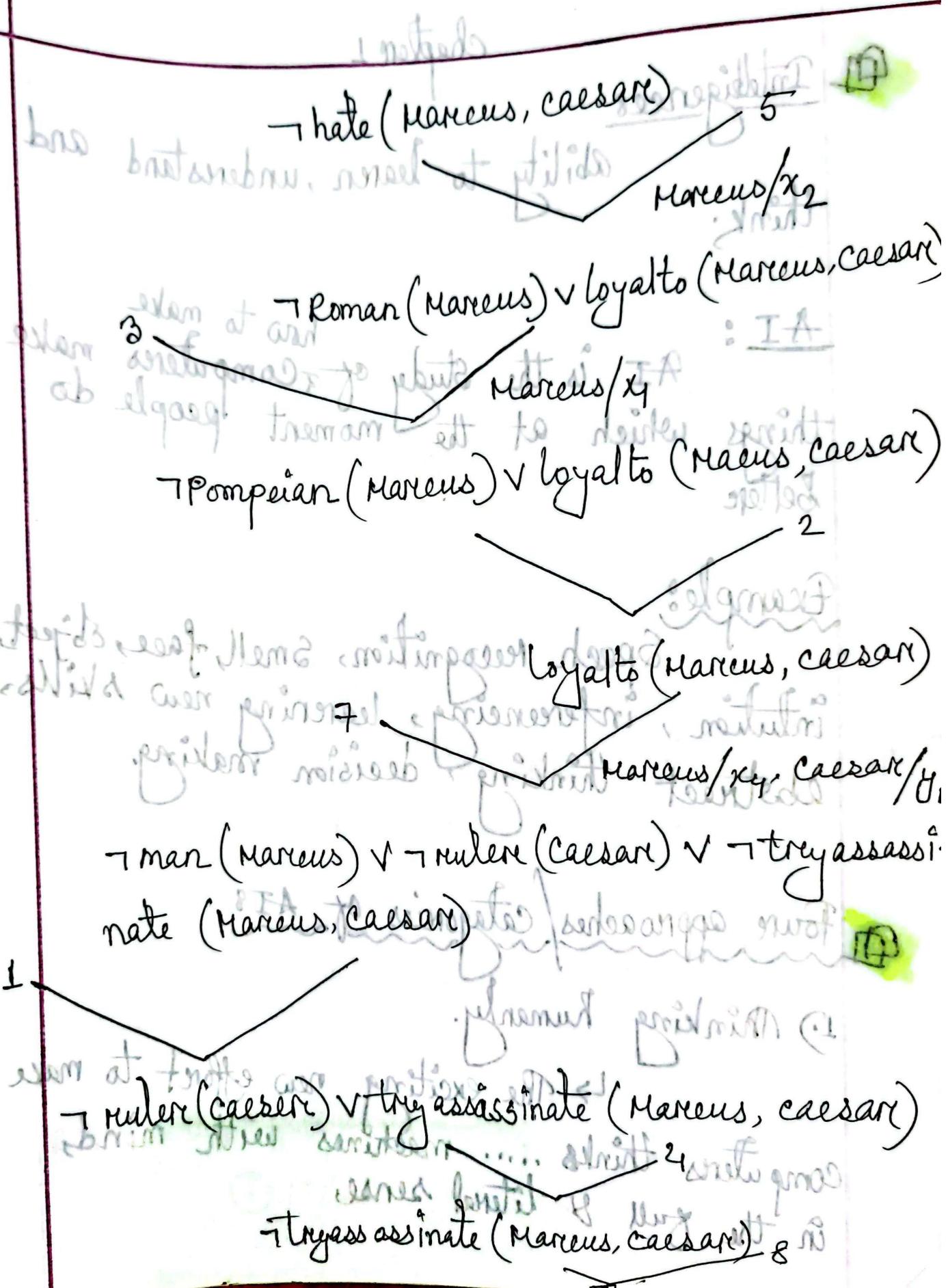
8.) try assassinate (Marcus, caesar)

(caesar) neigmoq

Prove:

hate (Marcus, caesar)

is likewise this method better than brief: if



chapter 1

Intelligence

ability to learn, understand and think.

AI:

AI is the study of computers making things which at the moment people do better.

Example:

Speech recognition, smell, face, object, intuition, inferencing, learning new skills, abstract thinking, decision making.

Q1

Four approaches/categories of AI

1) Thinking Humanly.

The exciting new effort to make computers think..... machines with minds in the full & literal sense.

2) Thinking rationally.

↳ The study of computations that make it impossible to perceive, reason, and act.

3) Acting humanly.

↳ The study of how computers do things at which people do better.

4) Acting rationally:

↳ AI is concerned with intelligent behavior in artifacts.

Acting humanly : The Turing test :

→ The computer would need to possess the following capabilities:

① Natural language processing: To

to enable it to communicate successfully
in English.

2) Knowledge Representation: To store what
knows & hears.

3) automated reasoning: To use the stored
information to answer questions & to draw
new conclusions.

4) Machine learning: To adapt to new
circumstances and to detect & extrapolate pat-
terns.

To pass the total turing test, the computer
will need -

- ① Computer vision - To perceive objects
- ② Robotics - To manipulate objects

Thinking humanly: (The cognitive modeling
approach)
→ through introspection

→ through psychological experiments.
the way brain imaging.

visual memory : intermediate ←
Thinking Rationally : The "Laws of thoughts" approach

Acting : The Rational agent approach

② Task domains of AI

i.) Mundane tasks:

→ perception → Vision
→ Speech

→ Natural language

→ Understanding

→ generation

→ Translation

→ Common sense reasoning.

→ Robot control

2) Formal Tasks:

- Games: chess, checkers etc
- Mathematics: geometry, logic, proving properties of programs.

3) Expert tasks:

- Engineering
- Scientific analysis
- Medical diagnosis
- Financial analysis

② AI Techniques:

- Intelligence requires knowledge
- Knowledge possess less desirable properties such as
 - Voluminous
 - hard to characterize accurately
 - constantly changing.
 - different from data that can be used

AI technique is a method that exploits knowledge that should be represented in such a way that it can capture generalization.

- Knowledge captures generalization.
- It can be understood by people who must provide it.

It can be modified to correct errors.

- It can be used in variety of situations.

(Ex): etc (1)

The state of the art

- ① Computer beats humans in a chess game.
- ② Computer-human conversation using speech recognition.
- ③ Expert systems control a spacecraft.
- ④ Robot can walk on stairs and hold a cup of water.

- used for webpages
I stand strategies
- ⑤ Language translation
 - ⑥ Home appliances use fuzzy logic.

→ chapter 02

problem solving = searching for a goal state



Water Jug problem

1) State: (x, y)

$x = 0, 1, 2, 3 \text{ or } 4$ $y = 0, 1, 2, 3$

2) Start state: initial netural ①

Initial state $(0, 0)$ initial netural ②

3) Goal state:

$(2n)$ for any n

4) Attempting to end up in a goal state

- (B,x) (.8)
- 0 < x, y < B+x + I B
- State Space: $(x,y) \leftarrow$
- 1.) ~~If~~ $(x,y) \rightarrow (4,y)$ (B,x) (.0)
 If $x < 4$ \leftarrow 0 < x, y > B+x + I
 $(0,y) \leftarrow$ (B,x) (.0)
 - 2.) $(x,y) \rightarrow (x,3)$ (B,x) (.0)
 If $y < 3, 0 \leftarrow$ 0 < x, y > B+x + I
 $(0,y) \leftarrow$ (B,x) (.0)
 - 3.) $(x,y) \rightarrow (x-d,y)$ (x,y) (.1)
 If $x > 0$ $(0,y) \leftarrow$ (x,y) (.1)
 - 4.) $(x,y) \rightarrow (B, (x-y-d))$ (B,y) (.5)
 If $y > 0$
 - 5.) $(x,y) \xrightarrow{(0,0)} (0,y)$ (0,0)
 If $x > 0$ $(0,y) \xrightarrow{(0,0)} (0,0)$ (0,0)
 - 6.) $(x,y) \xrightarrow{(0,y)} (x,0)$ (x,0)
 If $y > 0$ $(0,y) \xrightarrow{(0,y)} (0,y)$ (0,y)
 - 7.) $(x,y) \xrightarrow{(x,y)} (4, y - (4-x))$ (4,y) (.5)
 If $x+y > 4, y > 0$ $(0,y) \xrightarrow{(0,y)} (0,y)$ (0,y)
 $(0,y) \xrightarrow{(0,y)} (0,0)$ (0,0)

$$8.) (x, y) \rightarrow (x - (3-y), 3)$$

If $x+y \geq 3, x > 0$

$$(B, A) \leftarrow$$

$$(B, x) \leftarrow A$$

$$9.) (x, y) \rightarrow (x+y, 0)$$

If $x+y \leq 4, y > 0$

$$(A, 0) \leftarrow$$

$$(B, x) \leftarrow$$

$$10.) (x, y) \rightarrow (0, x+y)$$

If $x+y \leq 3, x > 0$

$$(B, b-x) \leftarrow$$

$$(B, y) \leftarrow$$

$$11.) (0, 2) \rightarrow (2, 0)$$

$$12.) (2, 0) \rightarrow (0, 2)$$

$$0 \leq x \leftarrow$$

$$0 \leq B \leftarrow$$

$$(0, 0)$$

$$(0, 0)$$

$$\leftarrow (0, 0)$$

$$(B, x) \leftarrow$$

$$(0, 3)$$

$$(0, 3)$$

$$(0, 3)$$

$$0 \leq x \leftarrow$$

$$(3, 0)$$

$$(3, 0)$$

$$(3, 0)$$

$$(B, x) \leftarrow$$

$$(3, 3)$$

$$(3, 3)$$

$$(3, 3)$$

$$< B \leftarrow$$

$$(4, 2)$$

$$(4, 2)$$

$$(4, 2)$$

$$(B, x) \leftarrow$$

$$(0, 2)$$

$$(0, 2)$$

$$(0, 2)$$

$$0 \leq B \leftarrow$$

$$(2, 0)$$

$$(2, 0)$$

$$(2, 0)$$

$$< B \leftarrow$$

Search Strategies:

Requirements:

- 1) It causes motion.
→ otherwise it will never lead to a solution.
- 2) It is systematic.
→ otherwise it may use more steps than necessary.

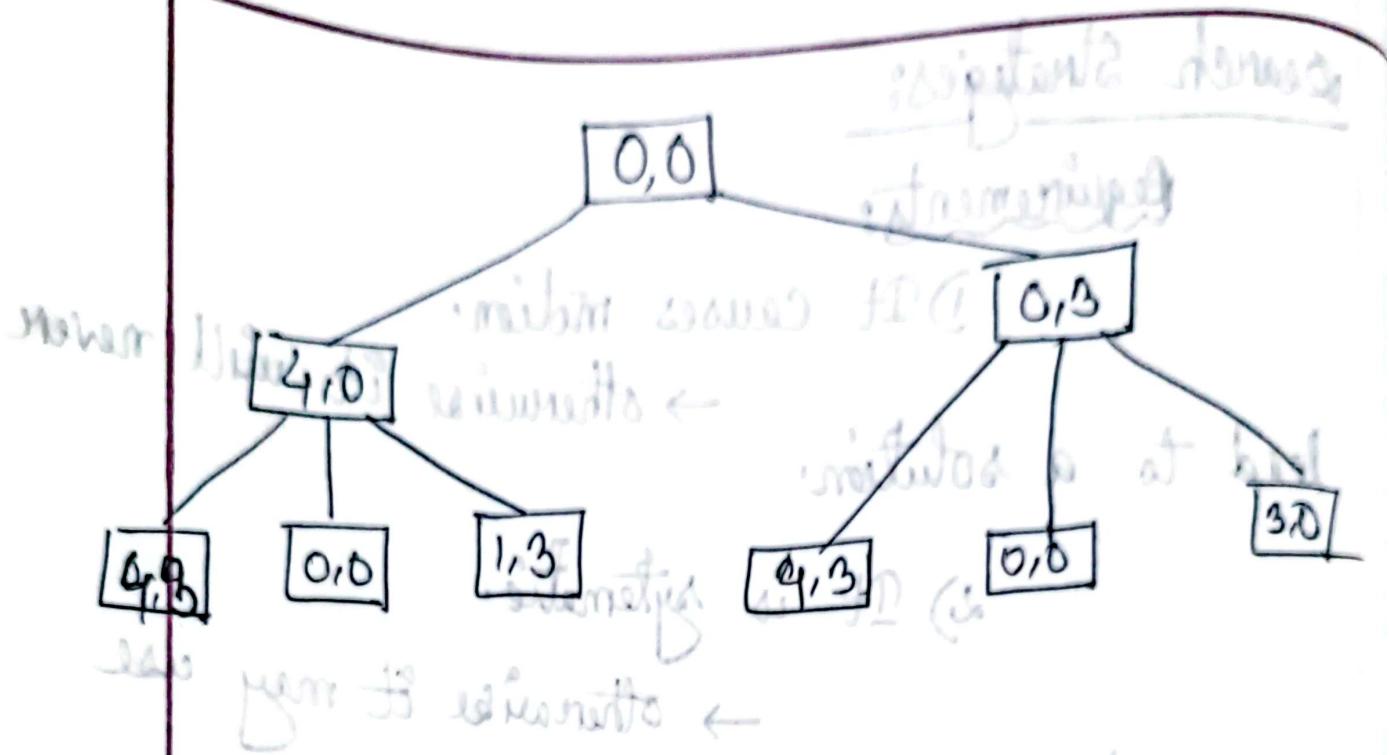
so go over all the branches
3) It is efficient.
→ Find a good, not necessarily the best solution.

→ Uninformed search (Blind search)

↳ Having no information about the no. of number of steps from the current state to the goal state.

→ Informed search (Heuristic search)

↳ more efficient than uninformed search



Blind Search

→ BFS: expand all the nodes of one level first.

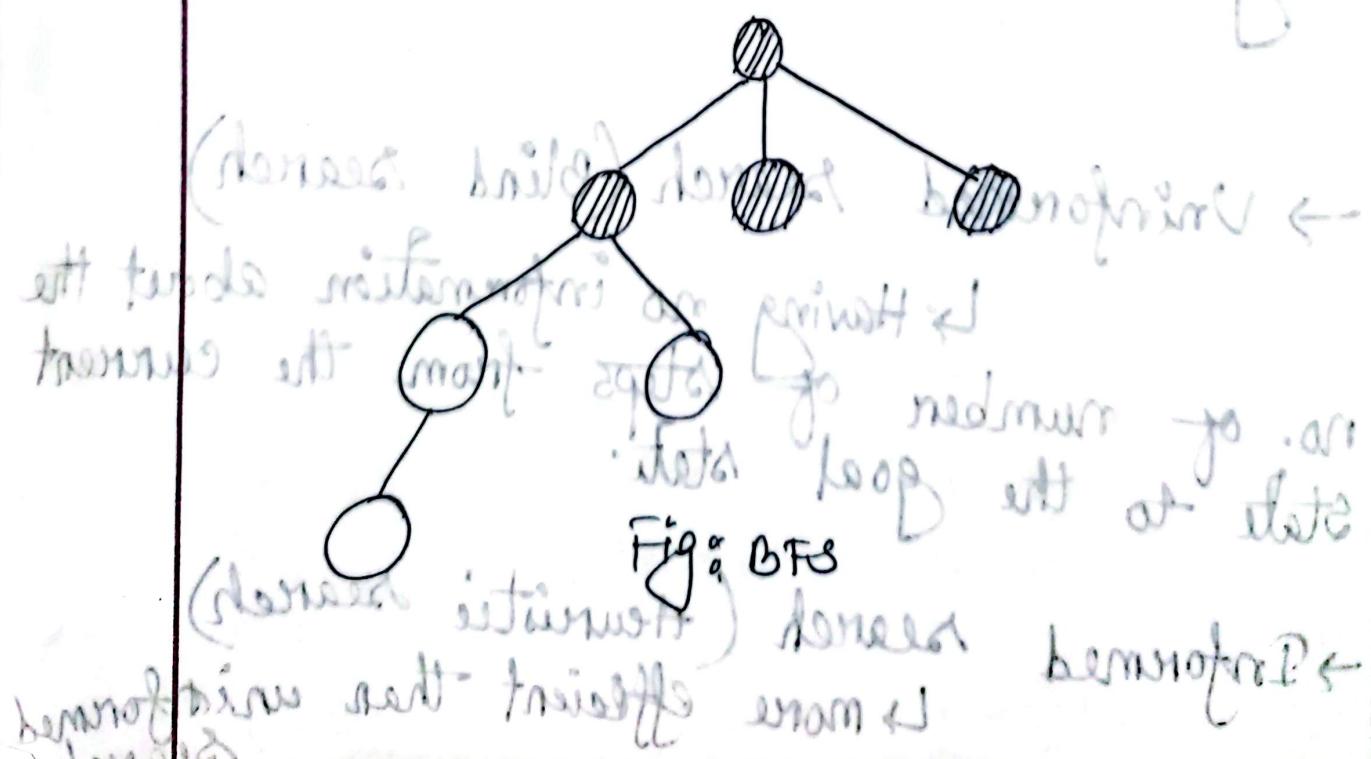


Fig: BFS

→ DFS:

Expand one of the nodes at
the deepest level.

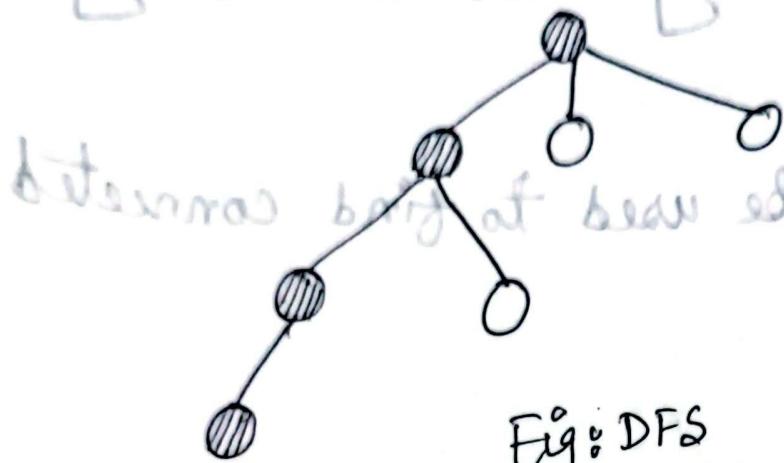


Fig: DFS

④ Advantages of BFS

1) Completeness:

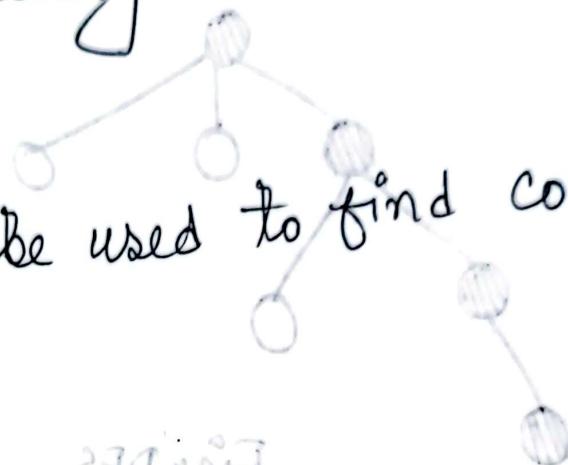
BFS is guaranteed to find the shortest path because it explores nodes level by level.

2) Optimality:

BFS guarantees an optimal solution in terms of the number of edges traversed.

3.) Memory efficiency

BFS often requires less memory, especially when the branching factor is small.



4.) Can be used to find connected Components.



Disadvantages of BFS

1.) Memory consumption

BFS can be memory intensive in graphs with high branching factors.

2) Inefficiency for deep trees:

In very deep trees, BFS might need to explore a large number of nodes before finding a solution, which can be inefficient.

• branching

~~disadvantages~~ 3) BFS may be slower for dense graphs.

Advantages of DFS: suitable for recursive implementation

- 1) DFS is often easier to implement recursively.
- 2) uses less memory than BFS, especially when dealing with deep trees.
- 3) DFS can find multiple solutions.

Disadvantages of DFS:

1) Completeness:

DFS is not guaranteed to find the shortest path.

2) Non-optimality:

DFS doesn't guarantee an optimal solution.

~~Advantages~~
3.) Susceptible to infinite loops.

Problem characteristics:

- 1.) Is the problem decomposable?
- 2.) Can solution steps be ignored/undone?
- 3.) Is the universe predictable?
- 4.) Is a good solution absolute/relative?
- 5.) Is the solution a state or a path?
- 6.) What is the role of knowledge?
- 7.) Does the task require human-interaction?

Chapter 3

→ generate-and-test

→ Hill climbing

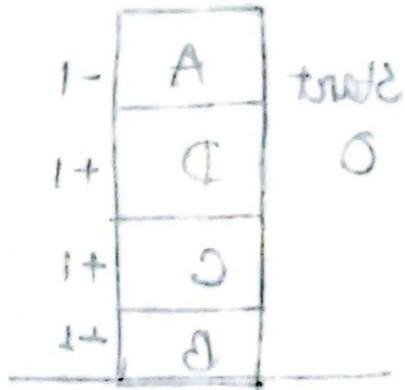
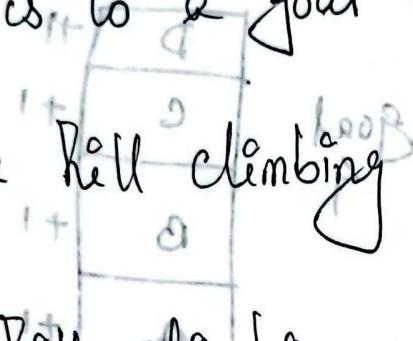
Searching for a goal state = climbing to
the top of a hill

Generate-and-test + direction to move

denied training ↴

Heuristic function: ↴ to estimate how close a given state is to a goal state

→ Simple Hill climbing



Simple Hill climbing:

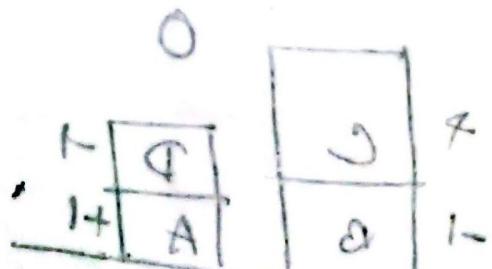
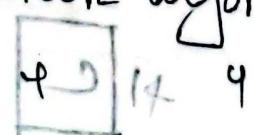
Drawbacks

- ① Local maximum
- ② Plateau/ flat maximum
- ③ Ridge

→ local search algorithm

→ Greedy

→ No backtracking



Steepest-Ascent Hill Climbing

↳ gradient search

→ Local Heuristic

Start	A	-1
0	D	+1
	C	+1
	B	+1

goal	D	+1
4	C	+1
	B	+1
	A	+1

+1	D	+1
+1	C	+1
-1	B	+1

initial local	A	0
tell best	D	0
open	C	0
	B	0

2

+1	C	0
-1	B	-1

+1	C	0
-1	B	-1
+1	A	+1

Global Heuristic Search

Start
-6

A	-3
D	-2
C	-1
B	0

Goal
6

D	+3
C	+2
B	+1
A	0

met
P

D	-2
C	-1
B	0

-3

A	0
---	---

D	-2
C	-1
B	0

-1

H	0
P	0
I	0
E	0
D	0
C	0

C	-1
B	0

-1

A	0
---	---

D	0
---	---

H	0
---	---

1

0

A	0
---	---

C	+2
B	+1
A	0

+3

-

D	0
---	---

6
P

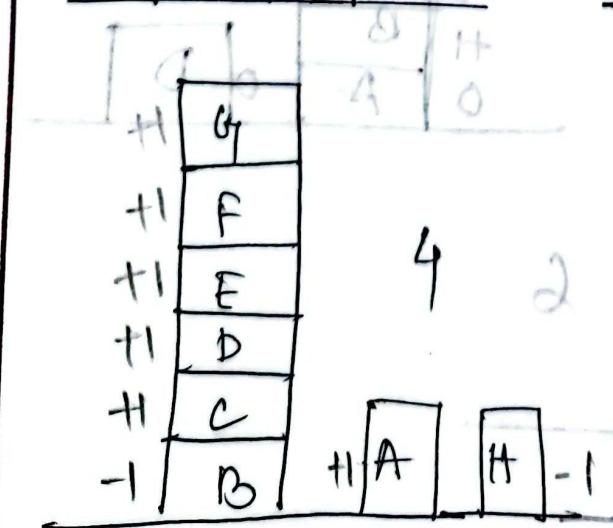
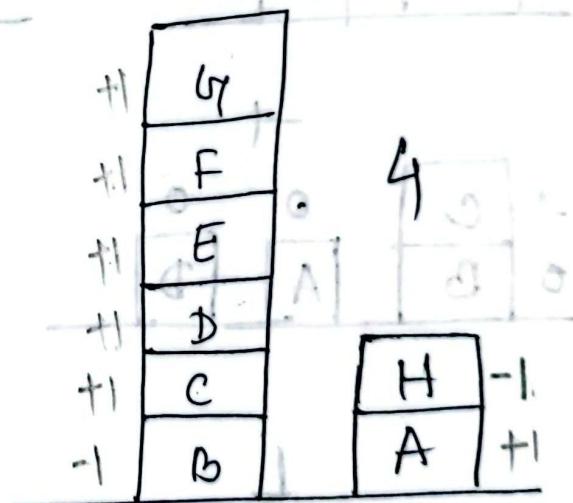
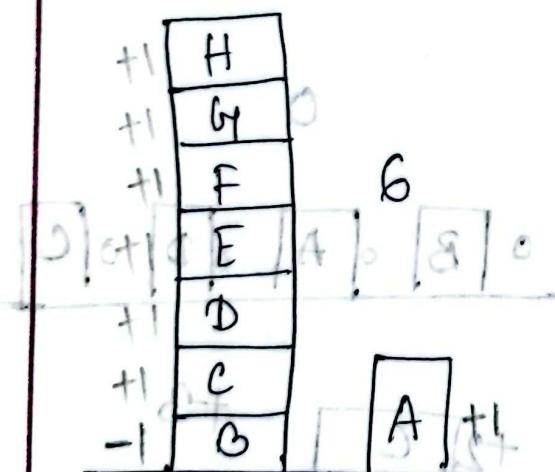
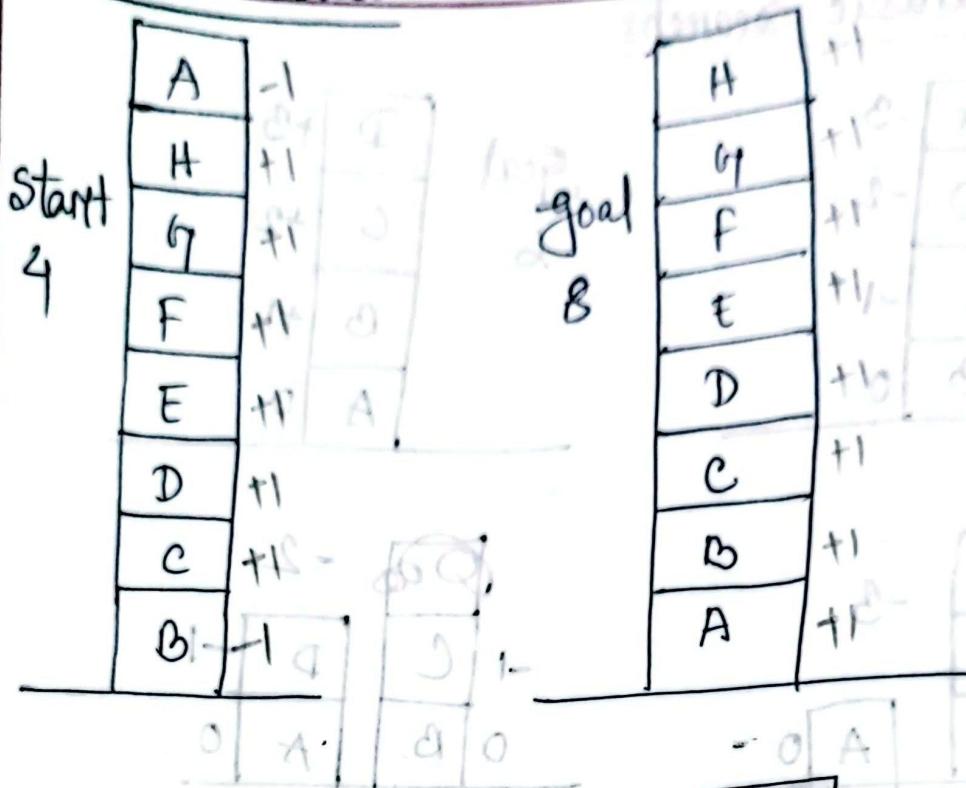
H	0
---	---

A

I	0
E	0
D	0
C	0
B	0

rechts
Start as filter +1
rest selects
+ next choose neutral
- filter frustaus

Local Heuristics

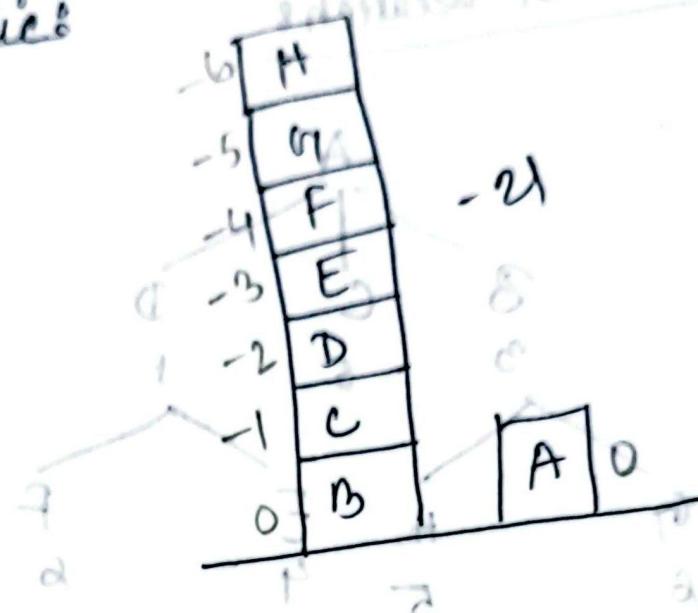


Therefore, Hill climbing with Relst. as these current states have lower scores than current state.

Global Heuristics

Start
-28

A	-7
H	-6
G	-5
F	-4
E	-3
D	-2
C	-1
B	0



-5	G
-4	F
-3	E
-2	D
-1	C
0	B

Illegal

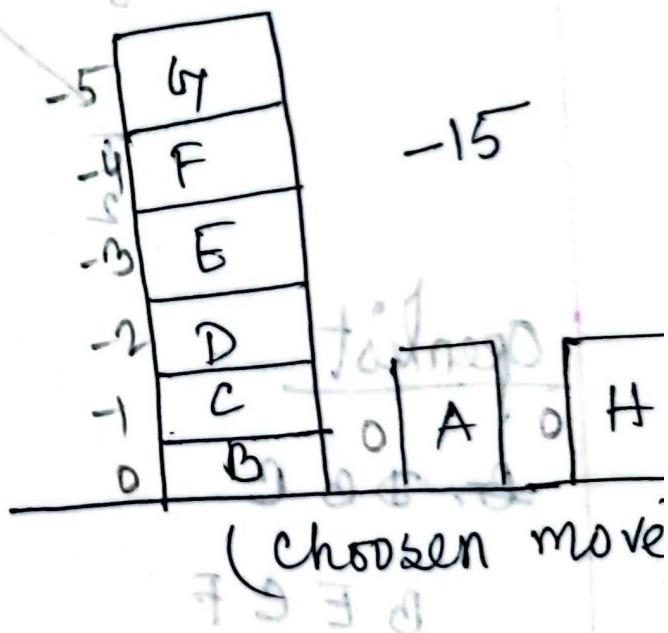
Loop → E

-16

D A

H A

-1



Simulated annealing:

6 3 8 4 1

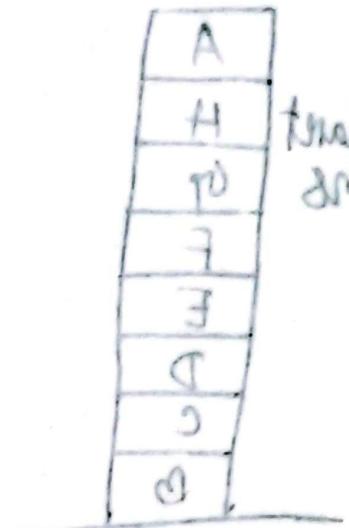
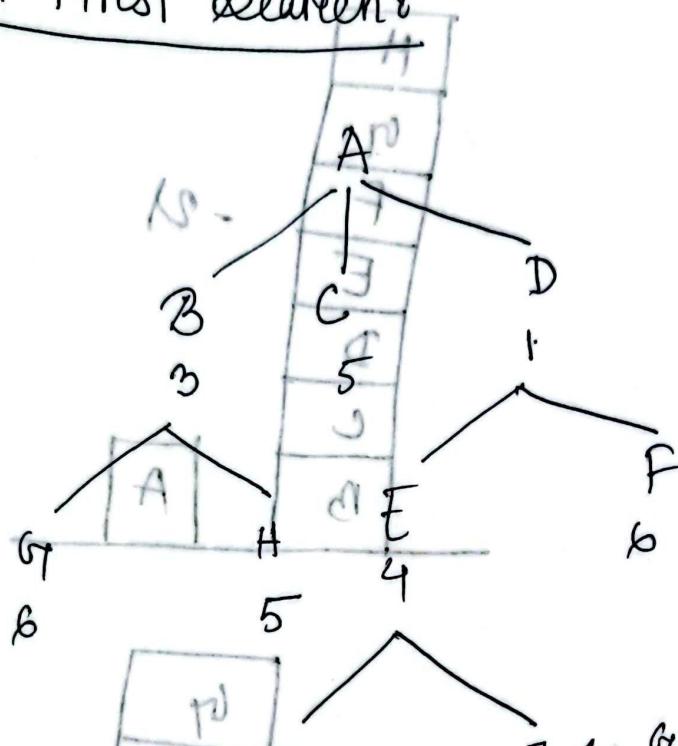
→ Backtracking

P 7 H 5 3

P 7 H 9 1 5

Best-First Search

Initial Board



Openlist



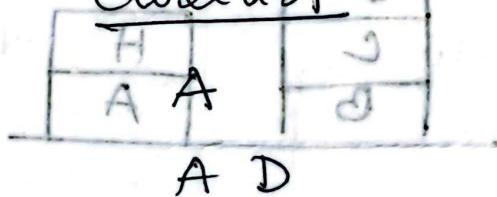
(sorted by f-value)

B E C F

E C H F G

J I C H F G

Closelist



A D

AD B

AD B E

AD B E J

for generate better move

A* Algorithm

$$f(n) = g(n) + h(n)$$

$$f^*(n) = g^*(n) + h^*(n)$$

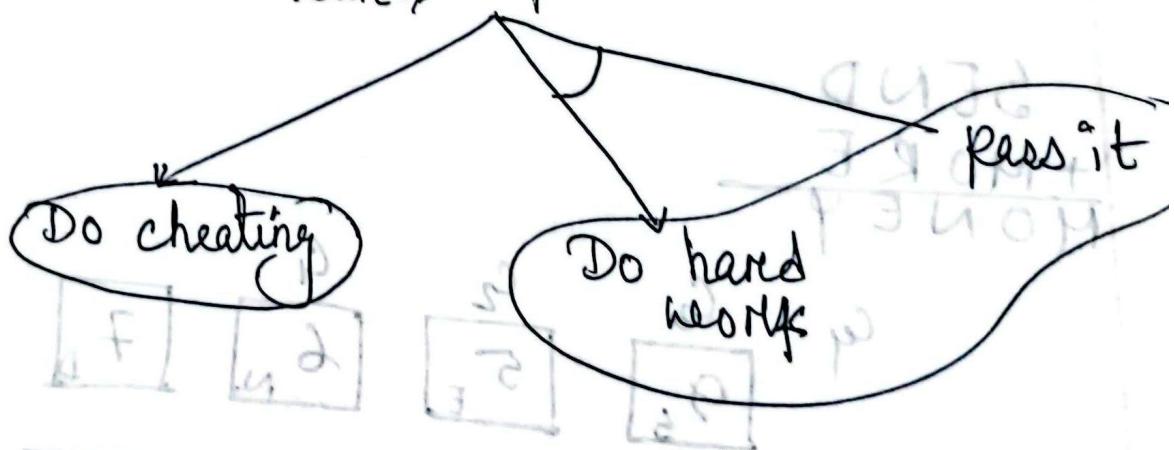
depth factor

heuristic factor

AO* Algorithm

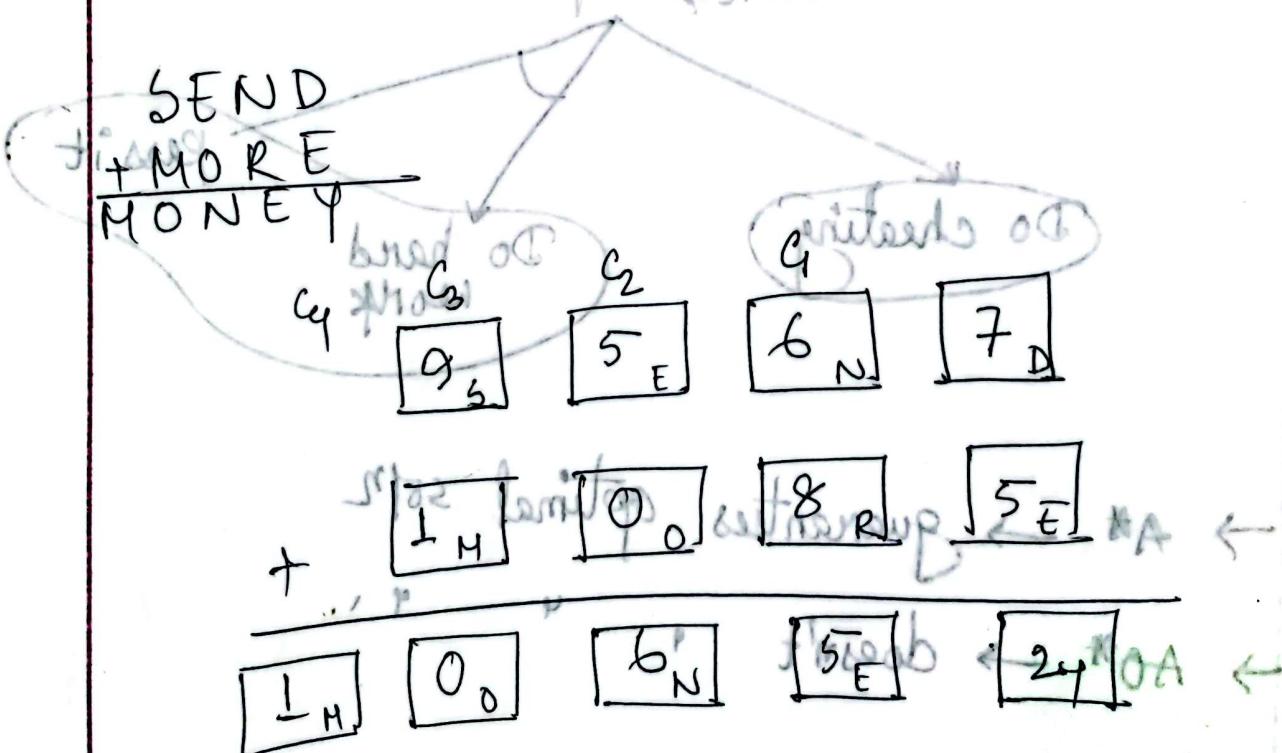
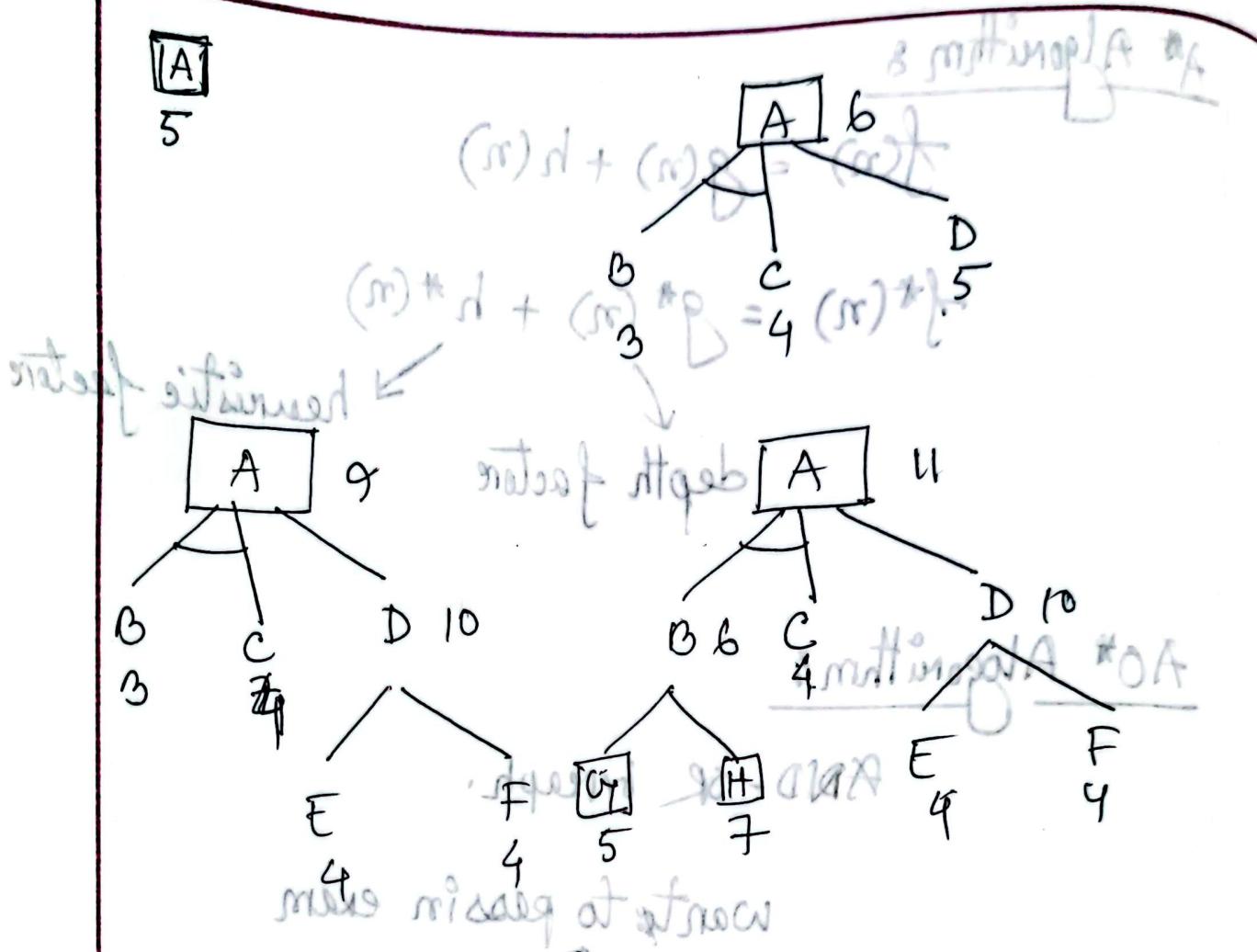
AND-OR by graph

wants to pass in exam



→ A* → guarantees optimal sol'n

→ AO* → doesn't



$$S + M \geq 10$$

$$\Rightarrow b = 0$$

$$\Rightarrow b = 0$$

$$E+O=N \quad \begin{matrix} \text{if } C_2=0 \\ \hookrightarrow O \end{matrix} \quad \begin{matrix} \text{if } C_2=1 \\ \hookrightarrow C_2 \end{matrix}$$

Let, $E = 5$

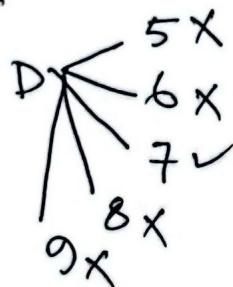
$$\Rightarrow E + O + G_2 = N$$

$$\Rightarrow N = 6$$

$$D + E = Y$$

$$\Rightarrow D + 5 = Y$$

$$\Rightarrow \textcircled{B} 7 + 5 = 2$$



$$u \neq R = E$$

$$b+r=5$$

- 6 + 9 =

if $C_1 = \perp$

$$6 + 8 + 1 = 5$$

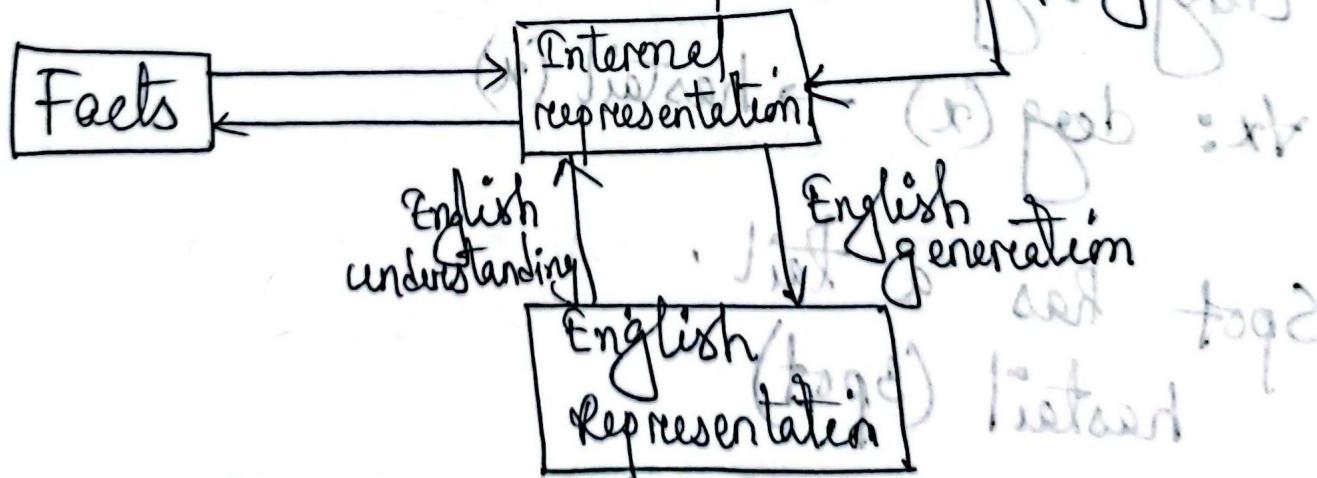
job a in fog

(top) rob

Reasoning

programs

1002



Initial facts

desired result

Final facts

Reasoning

forwarded representation mapping

Internal representation of Initial facts

operation of programs

Internal representation of Initial facts

Backward representation mapping

Spot is a dog.
dog(Spot)

Every dog has a tail.

$\forall x: \text{dog}(x) \rightarrow \text{hasTail}(x)$

Spot has a tail.
hasTail(Spot)

tail

Approaches to KR

- ① Simple relational knowledge
- ② Inheritable
- ③ Inferential
- ④ procedural
- ⑤ choosing the granularity

Symbols

- \neg = negation
- \vee = Disjunction / or
- \wedge = Conjunction / and
- \rightarrow = if then
- \leftrightarrow = iff

Using propositional logic

- Theorem proving is decidable
- Can not represent objects & quantification.

Using predicate logic: ~~at subsemantics~~

- Theorem proving is semi-decidable
- Can represent objects & quantification.

Lifeworld (C)

Language (P)

Picture (S)

1 Marcus was a man.
man (Marcus)

2 Marcus was a pompeian
pompeian (Marcus)

3 All pompeians were Romans.

$\forall x: \text{Pompeian}(x) \rightarrow \text{Roman}(x)$

4 Caesar was a ruler.
ruler (Caesar)

5 All pompeians were either loyal to Caesar or hated him.

$\forall x: \text{Roman}(x) \rightarrow (\text{loyal}(x, \text{Caesar}) \vee \text{hated}(x, \text{Caesar}))$

6 Every one is loyal to someone

$\forall x: \exists y: \text{loyal to}(x, y)$

7 People only try to assassinate rulers they
are not loyal to.

$\forall x: \forall y: \text{person}(x) \wedge (\text{ruler}(y) \wedge \text{tryassassinate}(x, y)) \rightarrow \neg \text{loyal to}(x, y)$

8 Marcus tried to assassinate caesare

$\text{tryassassinate}(\text{Marcus}, \text{Caesare})$

9 All men are people

$\forall x: \text{man}(x) \rightarrow \text{person}(x)$

Q] Was Marcus loyal to Caesare?

null

↓(1) at loyal : B:xb

man (Marcus)

↓(2)

Person (Marcus) g1 form m1

↓(3) at put who Ispwp +

Person (Marcus) ∧ tryassassinate (Marcus, Caesar)

↓(4)

Person (Marcus) ∧ tryassassinate (Marcus, Caesar)
∧ ruler (Caesar)

↓(5)

tryassassinate who narr BA e
(6) loyal to (Marcus, Caesar)

④ does Marcus hates Caesar?
④

Loyal to (Marcus, Caesar)

↓(2)

Pompeian (Marcus) → Loyal to (Marcus, Caesar)

↓(3)

Roman (Marcus) → Loyal to (Marcus, Caesar)

↓(4)

Hate (Marcus, Caesar)

Ex

1.) Marcus was a man
man (Marcus)

2.) Marcus was a Pompeian

Pompeian (Marcus)

3.) Marcus was born in 40 A.D.

born (Marcus, 40)

4.) All men are mortal.

→ $\forall x : \text{man}(x) \rightarrow \text{mortal}(x)$

5.) All pompeians died when the volcano erupted in 79 A.D.

(reside, current) other all (current) now → [pompeian (i)
erupted (volcano, 79) \wedge $\forall x$: died (x, 79)]
 \rightarrow died (x, 79)

(reside) current other all (longer than) now → [longer than 150 years.
6.) No mortal lives longer than 150 years.

$\forall x: \forall t_1: \forall t_2: \text{mortal}(x) \wedge \text{born}(x, t_1) \wedge$
 $\text{gt}(t_2 - t_1, 150) \rightarrow \text{dead}(x, t_2)$

7.) It is now 1991.
now = 1991

8.) Alive means not dead
 $\forall x: \forall t: [\text{alive}(x, t) \rightarrow \neg \text{dead}(x, t)] \wedge [\neg$
 $\text{dead}(x, t) \rightarrow \text{alive}(x, t)]$

9.) If someone dies, then he is dead at all later times.

$\forall x: \forall t_1: \forall t_2: \text{died}(x, t_1) \wedge \text{gt}(t_2, t_1) \rightarrow \text{dead}(x, t_2)$

Axioms in clause form:

1.) man (Marcus) ✓

2.) Pompeian (Marcus)

3.) \neg pompeian (x_1)

4.) ruler (Caesar)

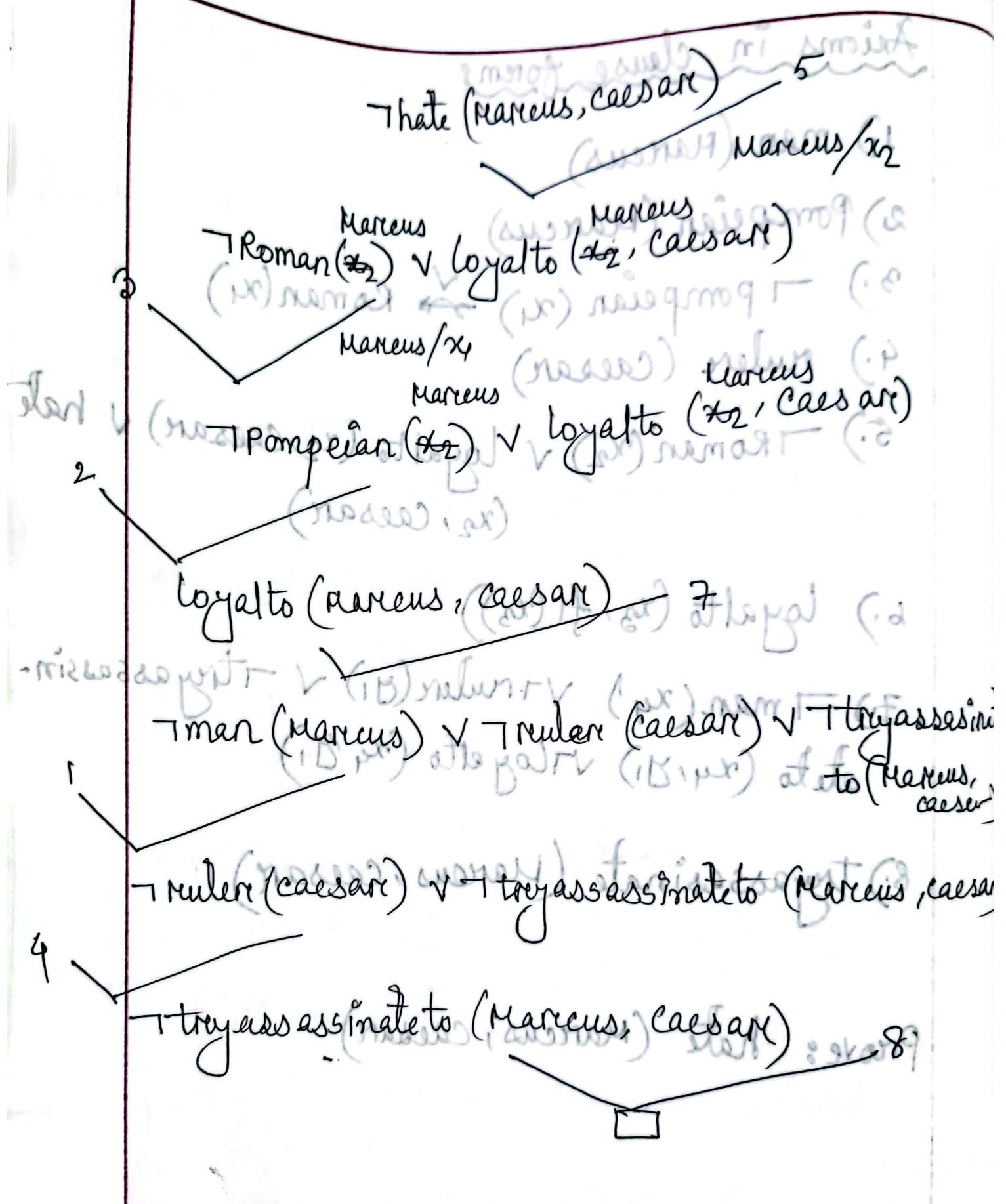
5.) \neg Roman (x_2) \vee loyal to (x_2 , Caesar) ✓ hate
(x_2 , Caesar)

6.) loyal to (x_3 , $f_1(x_3)$)

7.) \neg man (x_4) \vee \neg ruler (y_1) \vee \neg try assassinate
state to (x_4, y_1) \vee loyal to (x_4, y_1)

8.) try assassinate (Marcus, Caesar)

Prove: hate (Marcus, Caesar)



Axioms in clause form:

1.) man (Marcus)

2.) Pompeian (Marcus)

3.) born (Marcus, 40)

4.) $\neg \text{man}(x) \vee \text{mortal}(x)$

5.) $\neg \text{pompeian}(x_2) \vee \text{died}(x_2, 79)$

6.) erupted (volcano, 79)

7.) $\neg \text{mortal}(x_3) \vee \neg \text{born}(x_3, t_1) \vee \neg \text{gt}(t_2 - t_1, 150) \vee \text{dead}(x_3, t_2)$

8.) now = 2008

9a.) $\neg \text{alive}(x_4, t_3) \vee \text{dead}(x_4, t_3)$

9b.) $\text{dead}(x_5, t_4) \vee \text{alive}(x_5, t_4)$

10.) $\neg \text{died}(x_6, t_5) \vee \text{gt}(t_6, t_5) \vee \text{dead}(x_5, t_6)$

prove $\neg \text{alive}(\text{Marcus}, \text{now})$

alive(Marcus, now) 9a
 ↘ (now, t₁) new (1)
 ↗ dead(Marcus, now) 10
 (now, t₂) old (2)
 ↗ dead(Marcus, t₅) v ↗ t₁ (now, t₅)
 (x) lat. now v (x) senat (3)
 (EF, st) bib. v (st) assignat (4)
 ↗ Pompeian(Marcus) v ↗ t₂ (now, t₉)
 (EF connector) betw(4, 5)
 + B^t v (st, ar) modif v (ar) lat. name t (F)
 ↗ Pompeian(Marcus) v ↗ t₃ (2008, t₉)
 (st, ar) been v (st, st - st)
 ↘ Reduce
 ↗ Pompeian(Marcus) 800S = war (3)
 (st, pt) bib. v (st, pt) st. t (200)
 (st, ar) st. t (pt, ar) been (4, 5)
 ↗ (st, st) + B^t v (st, ar) bib. t (0)
 (st, ar) been
 (war, world) st. t (800)

(alive(Marcus), now) 9a

(~~mitochondria~~) ✓

(dead(Marcus), now) 10

(~~mitochondria, 01~~) ✓

5 (1, ~~dead(Marcus, t5)~~) ∨ ~~¬gt(now, t5)~~

(~~mitochondria, 2~~) ↑

(Pompeian(Marcus)) ∨ ~~¬gt(now, 79)~~

Substitute equals

(~~clay~~, Pompeian(Marcus)) ∨ ~~¬gt(2008, 79)~~

Reduce

~~¬Pompeian(Marcus)~~ 2



ut trying to use no if
base of search

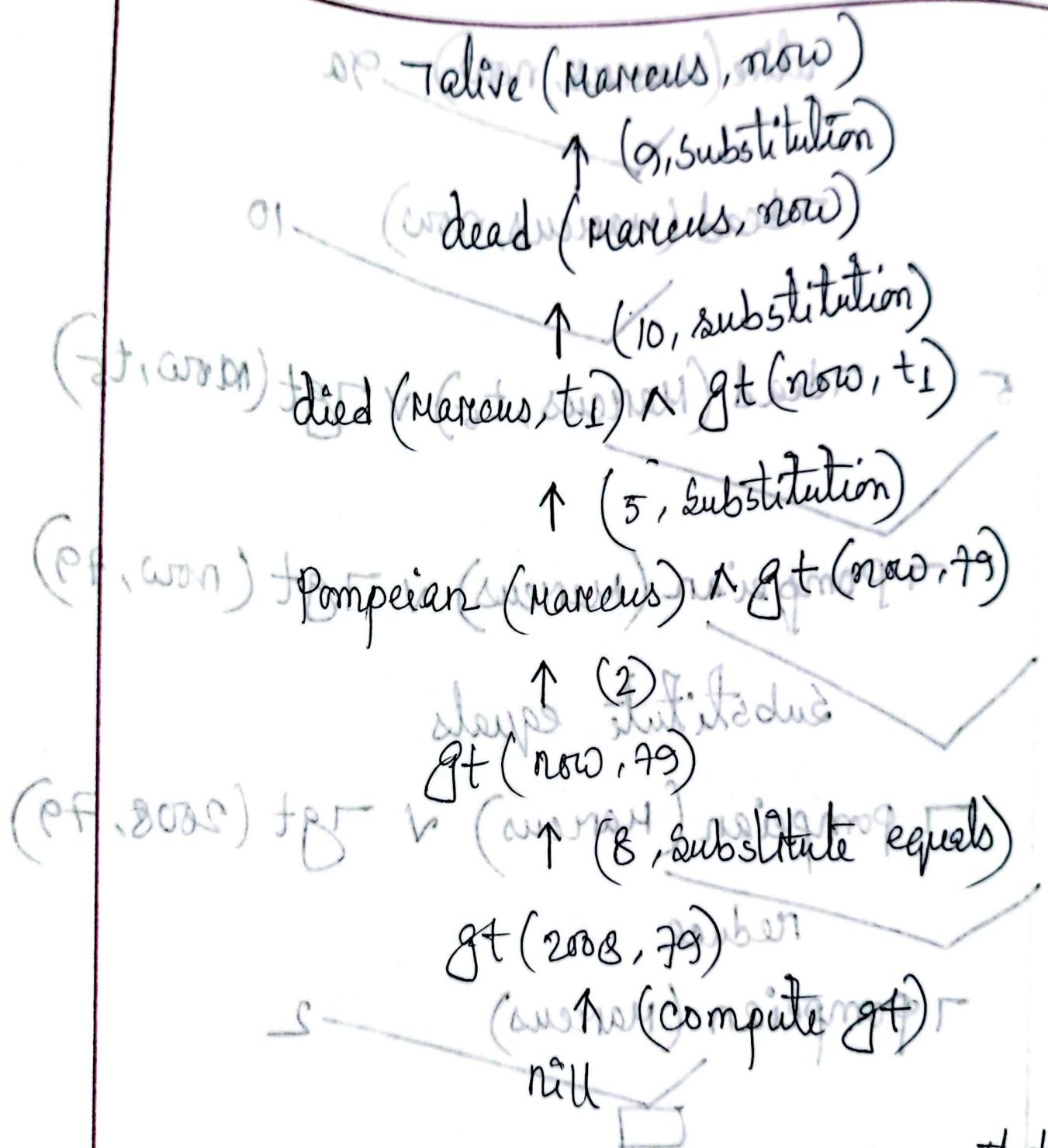


Fig: one way of proving that Marcus is dead

alive (Marcus, now) ↗
↑ (9, substitution)

dead (Marcus, now) ↗
↑ (7, substitution)

mortal (Marcus) ↗ born (Marcus, t₁) ↗
gt (now - t₁, 150) ↗
↑ (4, substitution)

man (Marcus) ↗ born (Marcus, t₁) ↗
gt (now - t₁, 150) ↗

↓ born (Marcus, t₁) ↗ gt (now - t₁, 150)
↓

↑ (3) answer

gt (now - t₀, 150)

↑ (8)

gt (2008 - 40, 150)

↑ (compute gt)

gt (t₀, 1951, 150)

↑ null.

Forward chaining / reasoning:

↳ Starts with the known facts and asserts new facts.

Backward chaining / reasoning:

↳ Starts with goals and works backward to determine what facts must be asserted so that the goals can be achieved.

Backward chaining

Answers

Finding & figuring out the

(FB steps) ↑

(FB steps) ↑

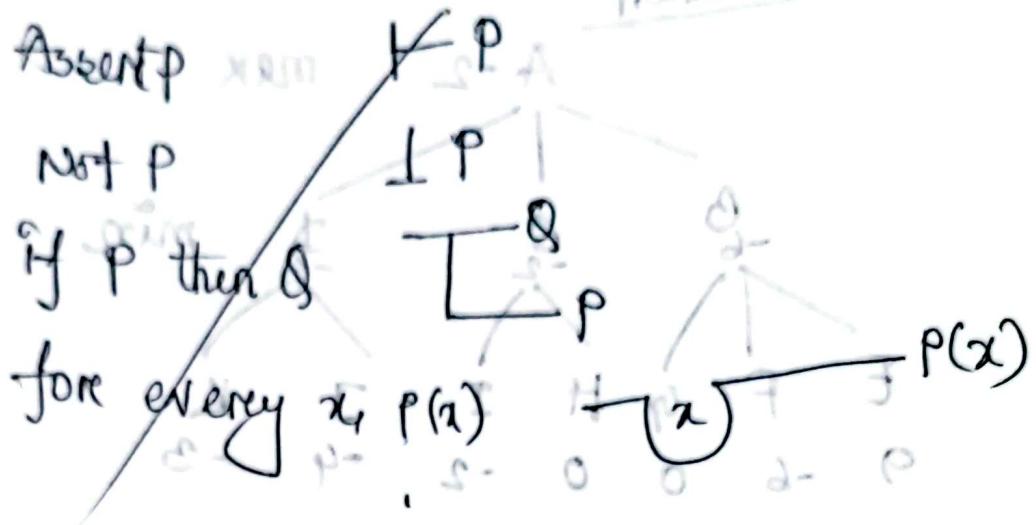
↓ (FB steps) ↑

Forward chaining

↓ (FB steps) ↓

Facts

↓ using rules to uncover new info.



Procedural knowledge

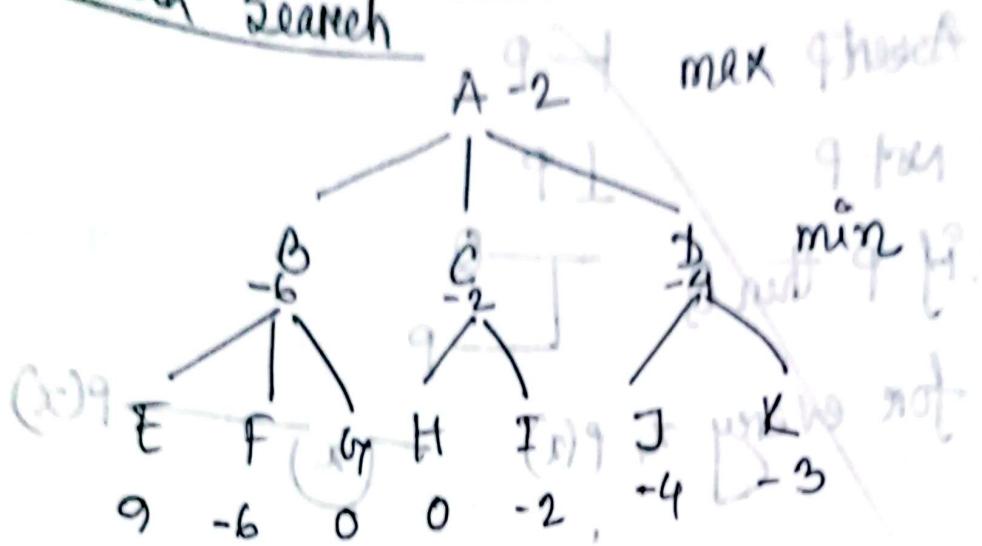
- ↳ Describes how to solve problem
- ↳ Imperative knowledge
- ↳ procedure to do something
- ↳ embedded

Declarative knowledge

- ↳ Describes what is known about problem

- ↳ Descriptive knowledge
- ↳ Tells us facts.
- ↳ not embedded

Minimax Search



Two ply search

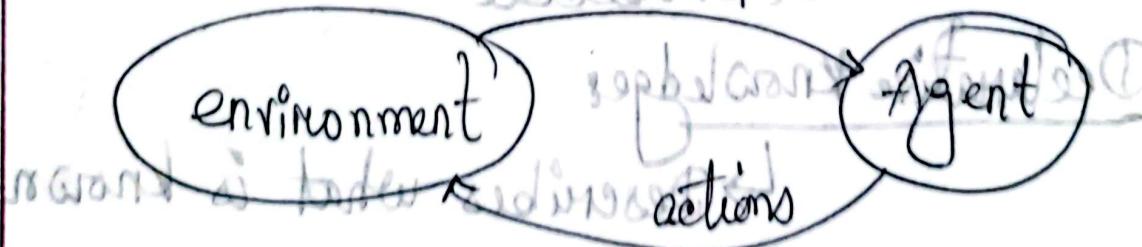
sequential search?

Agent: solves at each window

↳ an entity that perceives & acts.

permitted by environment

percepts



interacts with

agent architecture + program

represented in WISP

behaviours for

P → Performance measure

E → Environment

A → Actuators

S → Sensors

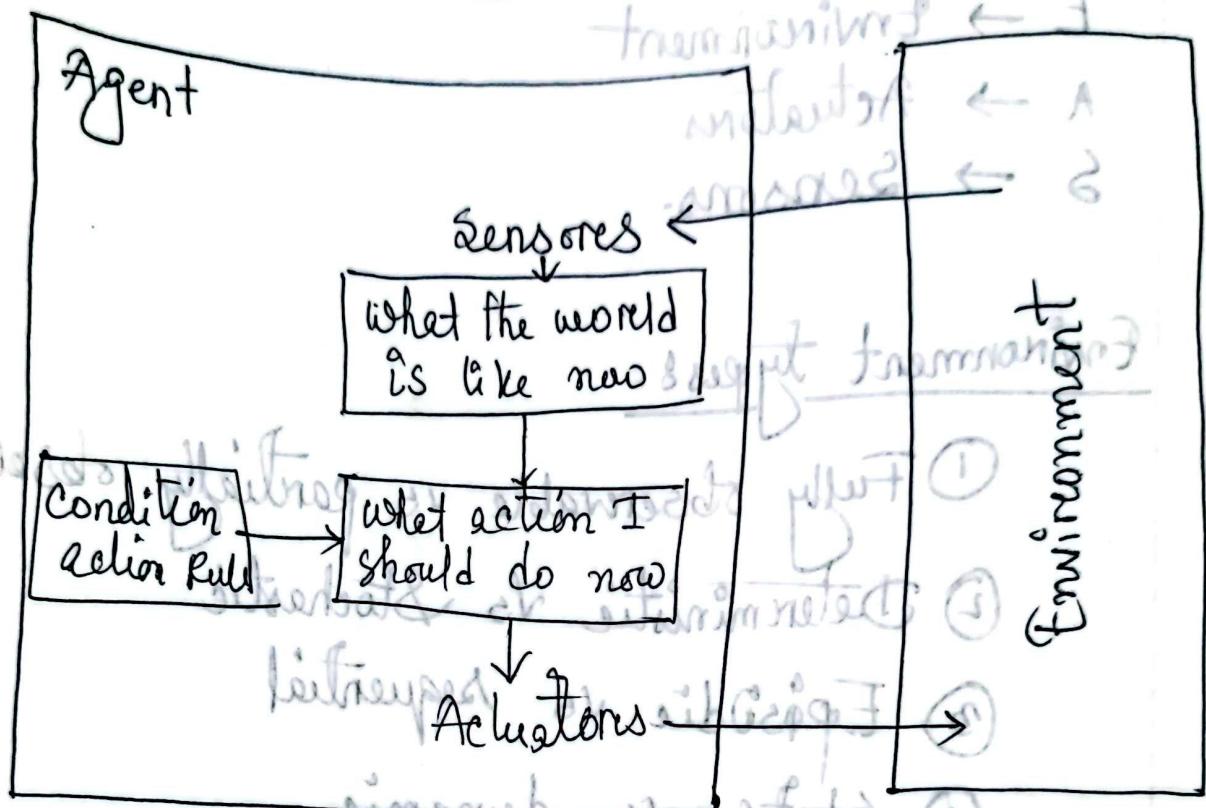
Environment types:

- ① Fully observable vs partially observable
- ② Deterministic vs Stochastic
- ③ Episodic vs sequential
- ④ Static vs dynamic
- ⑤ Discrete vs continuous
- ⑥ Single agent vs multiagent

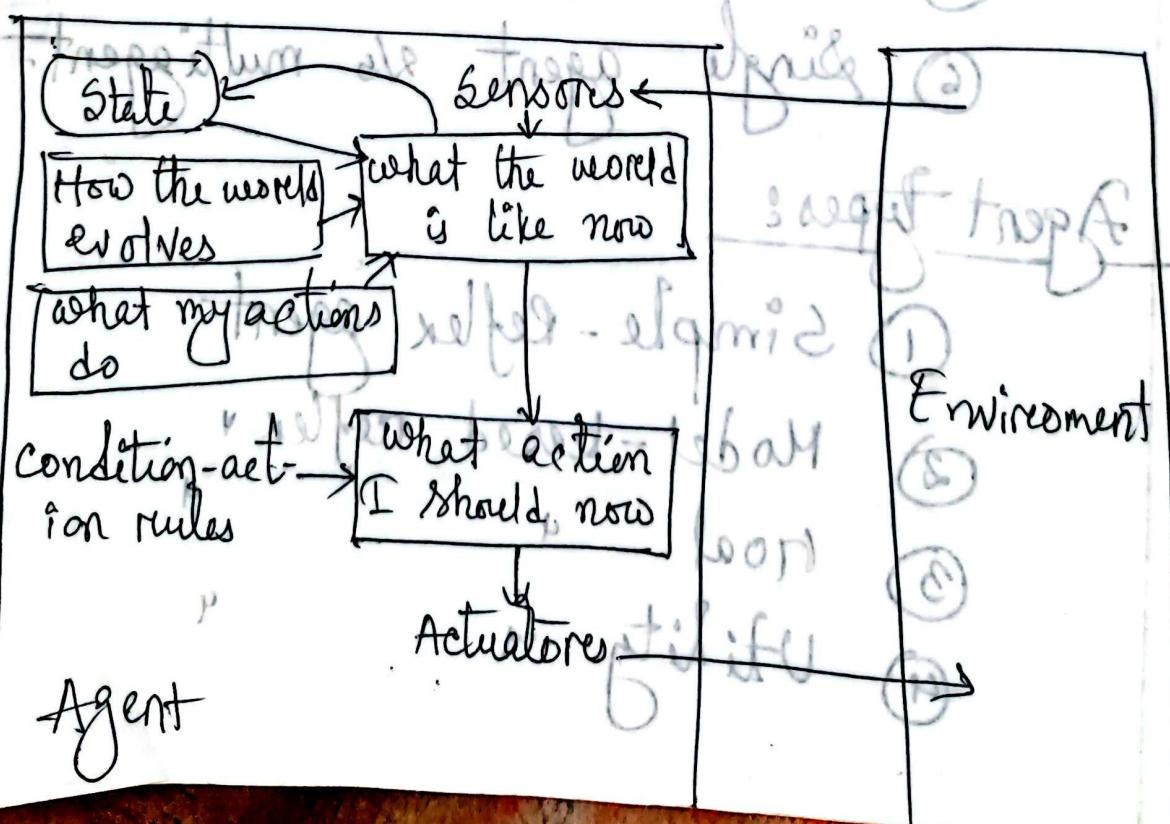
Agent types:

- ① Simple - Reflex agent
- ② Model - based reflex
- ③ Goal
- ④ Utility

Simple Reflex Agent



Model-based Reflex agent



Problem type

Deterministic, fully observable \rightarrow Single state problem

Non-observable \rightarrow Sensors less problem (conformant problem)

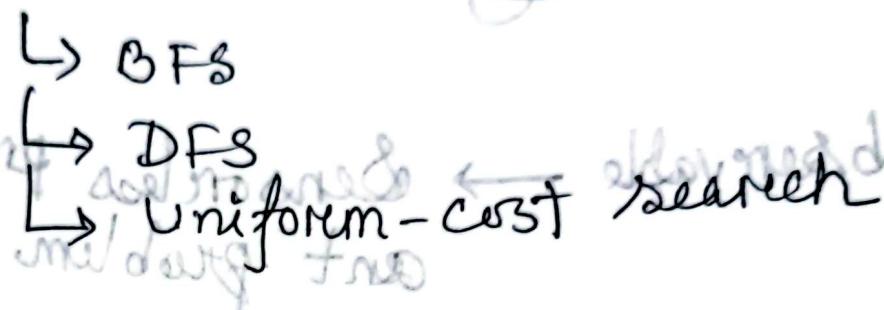
Non-deterministic or partially observable \rightarrow contingency problem

Unknown state space \rightarrow exploration problem

A problem (is) defined by four items:

- ↳ Initial state
- ↳ actions or successor function
- ↳ goal test
- ↳ path cost

Uninformed search strategies:



BFS

Time = $O(b^{d+1})$

Space = b^d

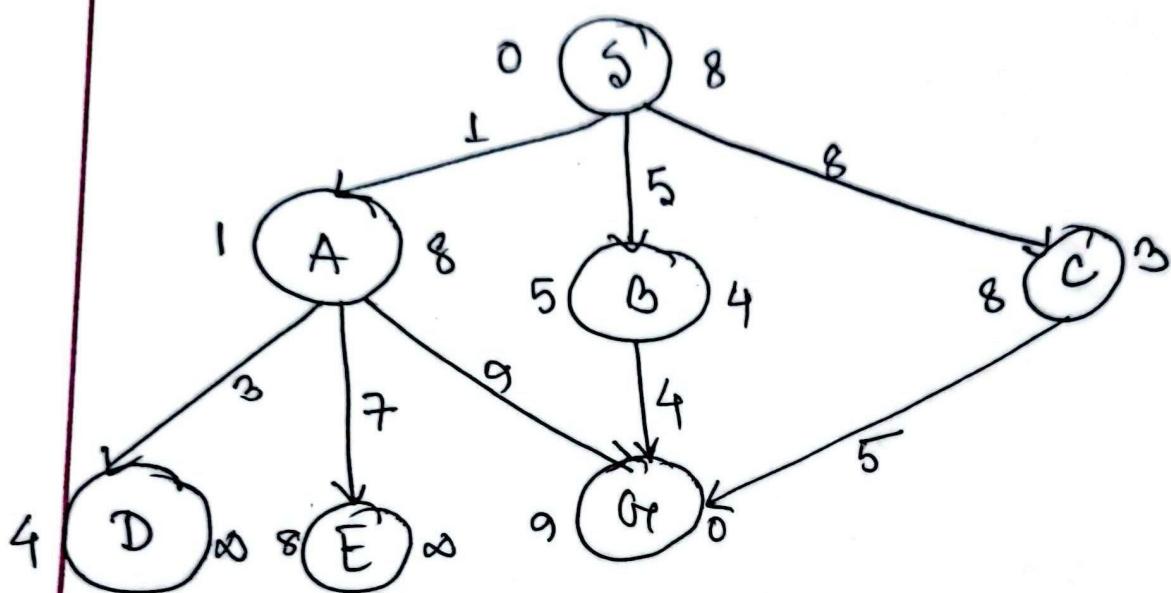
DFS

Time = $O(b^m)$

Space = $O(bm)$

DFS

Root → left → right



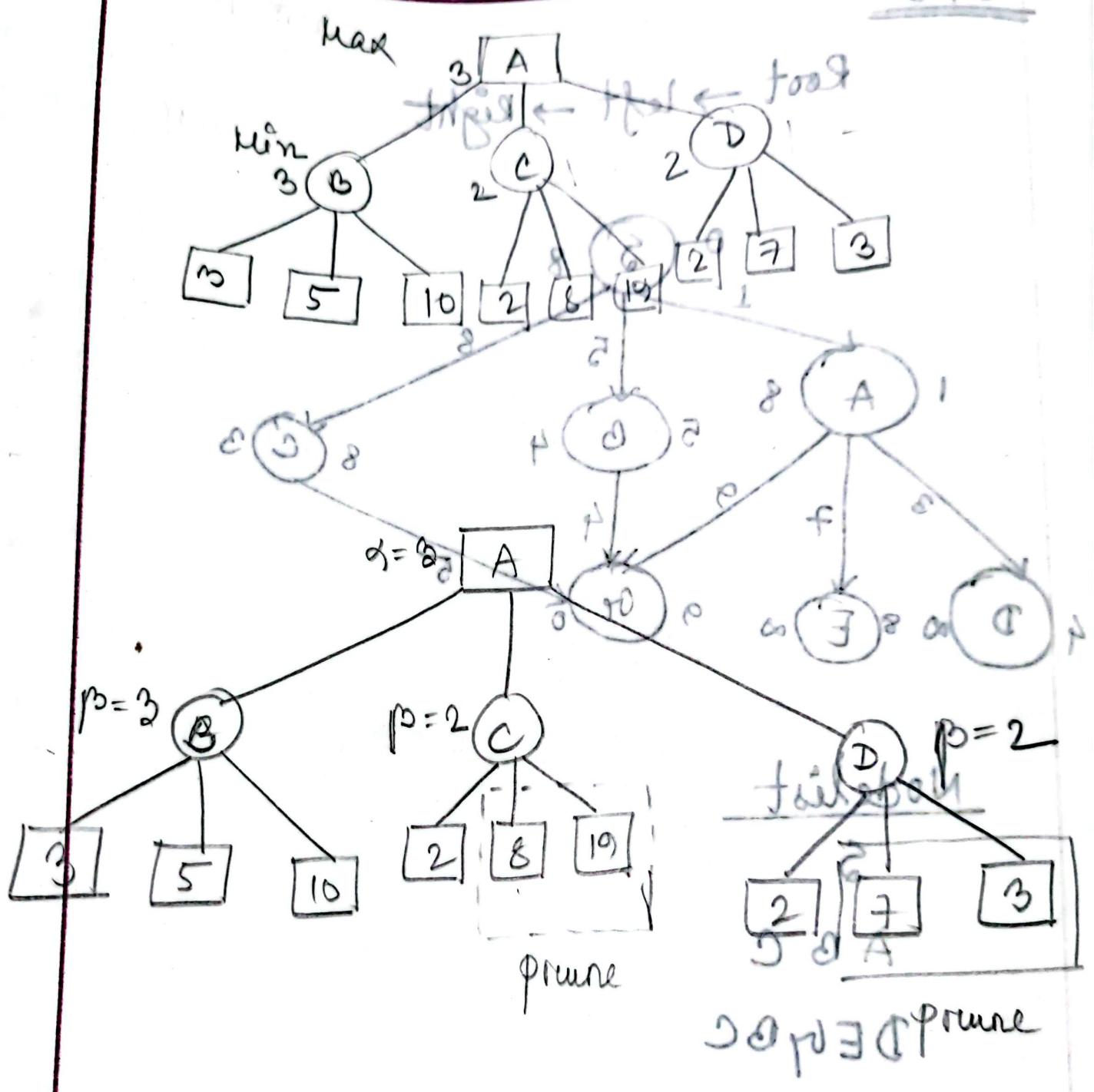
Nodelist

S

A B C

D E G C

S → A → D → E → G



$P \leftarrow E \leftarrow G \leftarrow A \leftarrow C$

~~Minimax algort~~

Propositional logic:

¬ - not

∧ - and

∨ - or

→ - implies

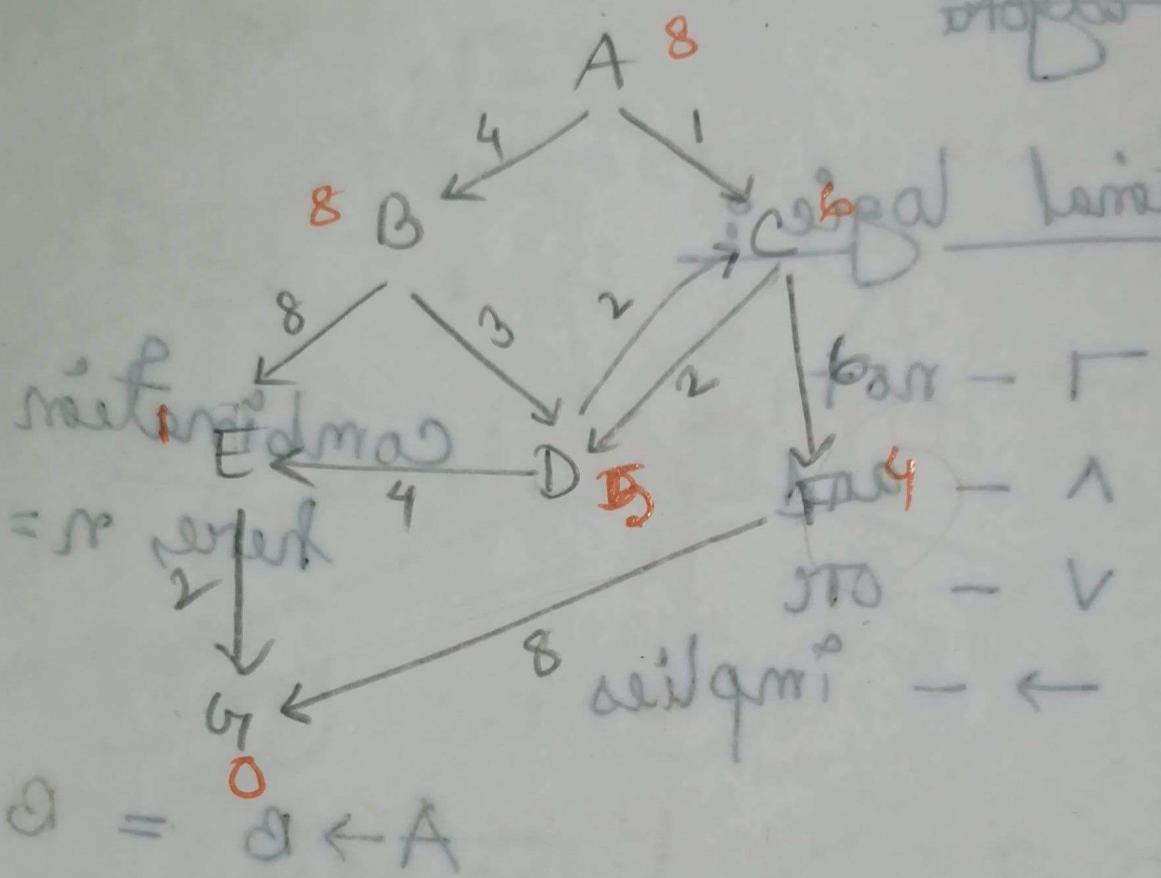
combination = 2^n
here, n = element

$$A \rightarrow B = B \vee \neg A$$

valid → যখন উত্তরটি এবং কোম্পিউটেশনটি সত্য

satisfiable → কিন্তু কিন্তু উত্তরটি সত্য কোম্পিউটেশনটি ফল

unsatisfiable → কোম্পিউটেশনটি সত্য নয় ফল



$A \rightarrow C \rightarrow B \rightarrow$

