

Internal Sorting algorithms have been grouped into several disto into soveral different classifications depending On their general appoince to Sorting.

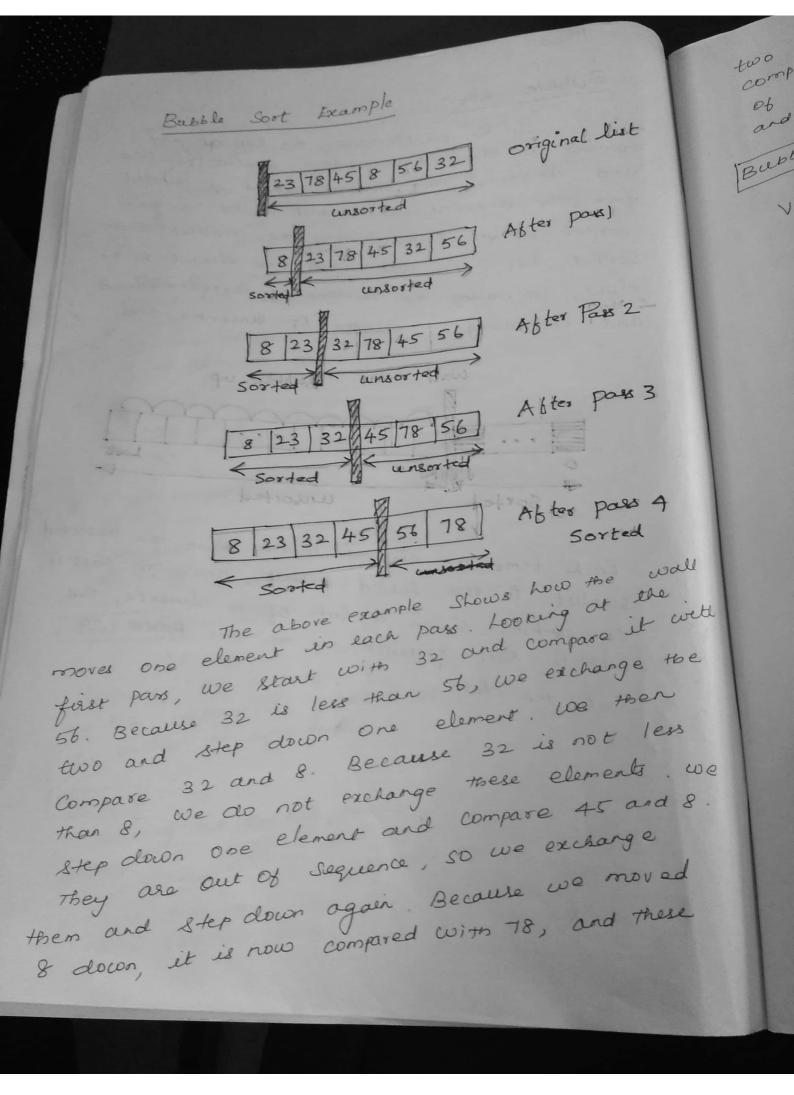
- * Data may be sorted in either ascending sequence or desending sequence.
- * The sort order identifies the sequence of the sorted data, ascending or decending.
- * It the order of the sort is not specified, it is assumed to be ascending
- * Examples of Common data & Drted is ascending Sequence are the dictionary and the telephone book
- of games won in the Sporting event such as base ball or grade paint averages for honde students.

Sort Efficiency

It is a measure of the relative efficiency of a sort. It is usually an estimate of the number of comparisons and moves required to order an unordered list.

During the Sorting process, the data are traversed many times. Each travel of the data is referred to as a sorting pass. Depending on the algorithm, the sort Pass may traverse the whole list or just a Section of the list.

Bubble Sort In the bubble sort, the list at any moment is devided into two sublishs: sorted and unsorted. The smallest element is bubbled from the unsorted sublist and moved to the Sorted sublist. After moving the smallest to the Sorted list, the wall moves one element to the right, increasing the number of Sorted elements and decreasing the number of Unsorted ones Wall Bubble up Each time an element moves from the unlosted sublist to the Sorted sublist, one sort pass is completed. Given a list of n elements, the bubble sort requires up to n-1 pouses Sort the data



elements are exchanged. Finally, 8 is compared with 23 and exchanged. This series excharges places 8 is the first localion of the wall is moved up one position Bubble Sort Algorithm Bubble up smallest element Void bubble_Sort (int arr[], int n) int 2, 3; for (i=0; i<n-1; i++) till unsorted position 9 for (j=n-1; j>=e; j--) if (arr[j] < = arr[j-1]) int temp = arr [j]; arr [] = arr [j-1]; 3 arr[j-1] = temp; The above algorithm suns O(n^2)

The above algorithm suns Sorted. It can

time even if the array is sorted. It can

be optimized by Stopping the algorithm

be optimized by stopping the any Swap

if inner Loop did not cause any Swap

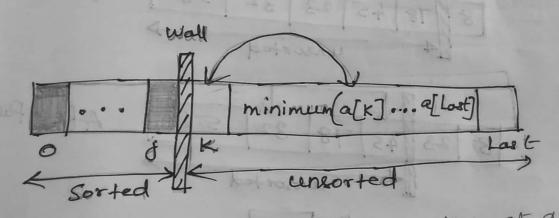
if inner Loop did not cause any

```
64,34,25,12,22,11,90
     Void bubble Sort (int asoLJ, int n)
  2/P:
      { int i, d;
        cit Sorted = 0;
       for(i=0; i<n-1; i++)
          Sorted =1;
          for (j=n-1; j= (; j--)
             is Carr [ j] <= arr [ j-1])
                 int temp = arr[j];
arr[j-1];
                arr [j-1] = temp;
               Sorted = 0;
        if (Sox ted = = 1)
       break;
? 3
Bubble Sort algorithm bubble down
 Void bubble-Sort (int arri], vit n)
  9 vit i, j;
     for (i=0; (< n-1; (++)
      1 tor (j=0; j<n-i-1;j++)
         f if (arr [j]) = arr [j+1])
              2 int temp = arr [j];
                arr [j] = arr [j+1];
  3 3 gars [j+1] = temp;
```

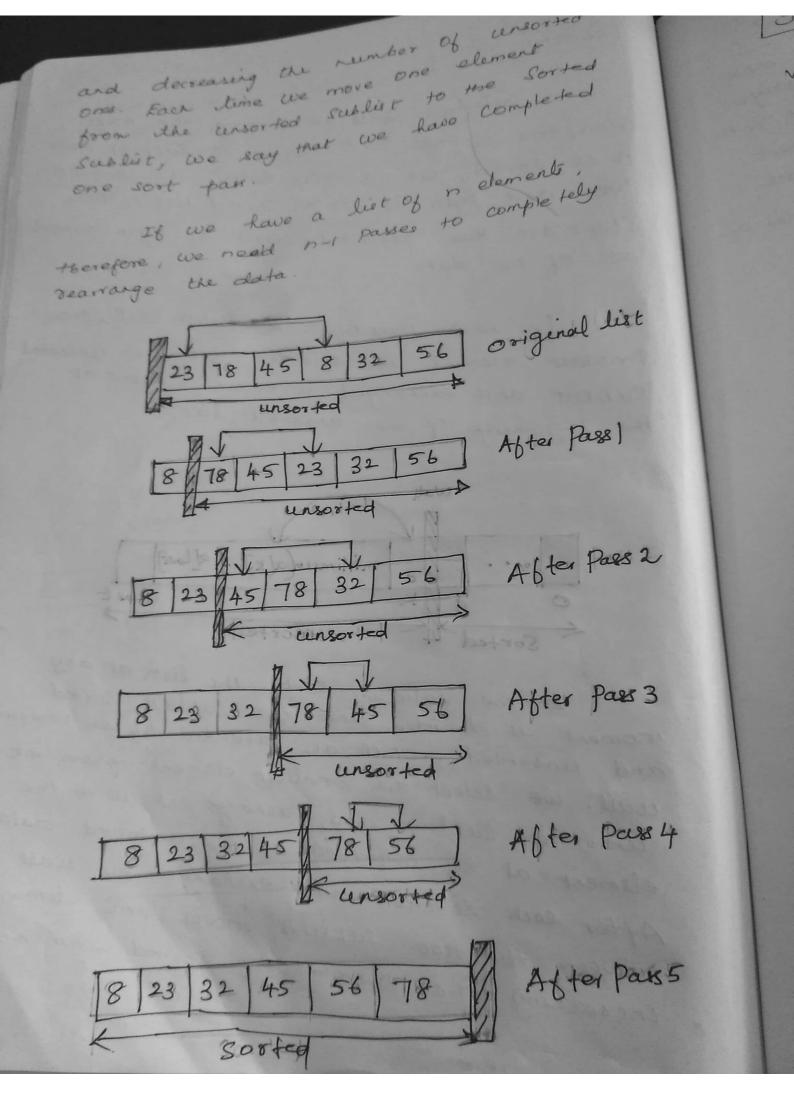
[Selection Sort]

Selection Soots are among the most intuitive of all soots. Given a list of data intuitive of all soots. Given a list of data to se sooted, we simply select the smallest to se and place it in a sorted list. These item are then repeated until we have sorted steps are then repeated until we have sorted all of the data.

In each pass of the selection sort, the smallest element is selected from the unsorted sublist and exchanged with the element at the beginning of the unsorted list.

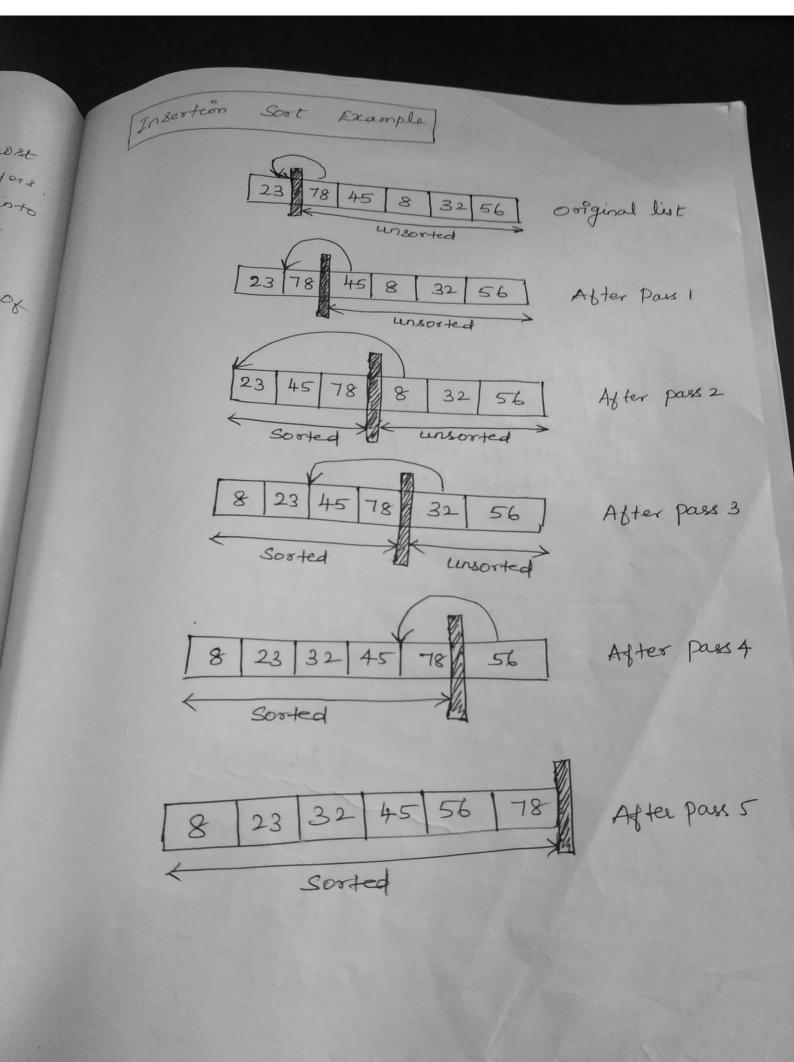


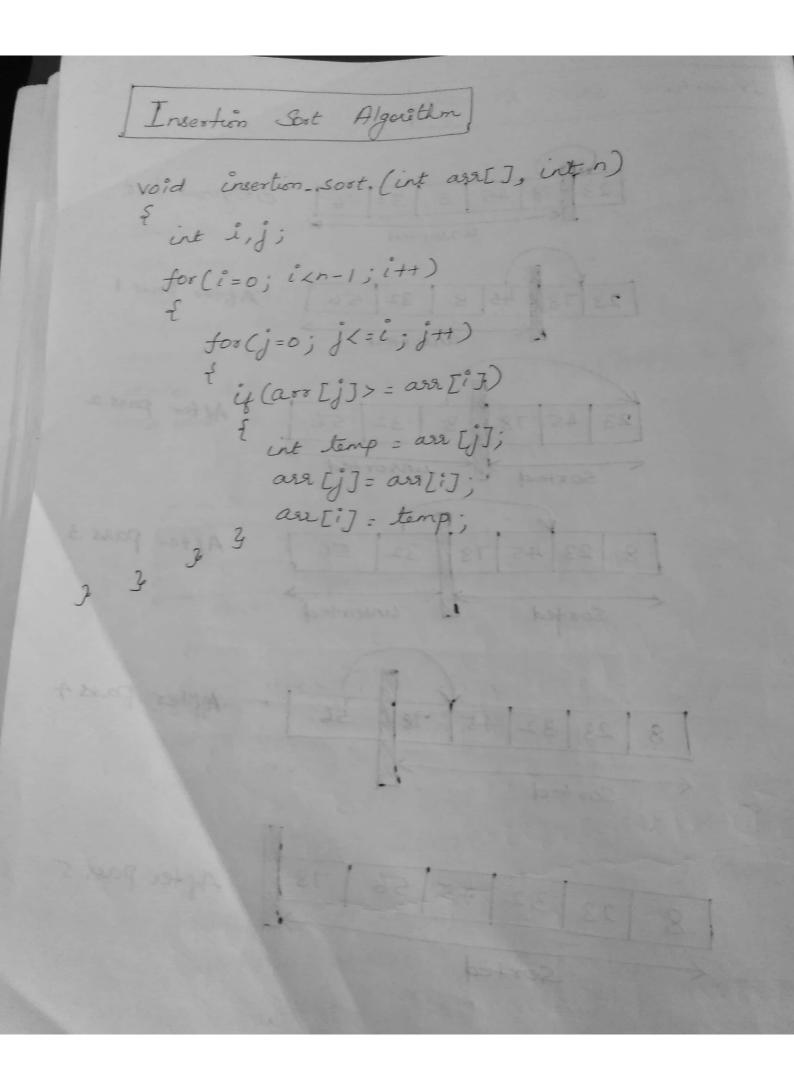
To the Sefection sort, the list at any moment is divided with two sublists, Sorted moment is divided with two sublists, Sorted and consorted, which are divided by an imaginary and consorted, which are divided by an imaginary and consorted by an imaginary wall. We Select the Smallest element from the centerted sublist and exchange it with the centerted sublist and exchange it with the element at the beginning of the unsorted data. element at the beginning of the unsorted data. After each Selection and exchange, the wall between the two sublists moves one element, between the two sublists moves one elements increasing the number of sorted elements



Selection Sort Algorithm void Selection-Sort (int areij, int N) for(i=0; i2n-1;i++) int min = i; for (j=i+1; j<n; j++) if (arr Lj] < = 050 min] men=j; 4 (mer!=0) int temp = arr[min]; ass[min] = arr [i]; ¿ aur[i] = temp;

Insertion sorting is one of the most Common Sorting techniques used by card player, et in As they pick up each card, they the concept the property the proper sequence in their hand. The concept sequence in their hand. extends well into computer sortering. In each prus of an insertion sort, one or more pieces of data are enserted into their consecta correct location in an ordered list. In the [Straight] insertion Sort, the list is divided into two parts: Sorted and unsorted. In each pass the first element of the unsorted sublist is transferred to the sorted sublist by inserting it at the appropriate place. It we have a list of n elements, it will take at most n-1 passes to sort the data.





· Counting Sort

Counting sort is a sorting technique based on keys between a specific range.

It works by counting the number of objects having distinct key values, and using arithmetic on these counts to determine the positions of each key value in the output Sequence.

Consider the data in the range 0 to 9.

Input data: 1,4,1,2,7,5,2

Step 1 Take a count array such that each alament of each unique object.

Index 70 1 2 3 4 5 6 7 8 9

Count 0 2 2 0 1 1 1 0 0

the position count array indicales is the output sequence The madified Steps output each object from the input count sequence followed by decreasing its count EX Counting Sort Algorithm void Countsort (int arr [N]) int count [10], i) output [N]; Il Intialize Count array to Leeo for (i=o', acazegiic N', i++) ++ count [arrli]]; forli= ♦ ; i(=9;i++) Count[i] = Count[i] + Count[i-1]; for (i=0; i(N;i++) output [count [arrli]]] = arr [i]; -- Count [arr [i]]; for (i=0', i<N', i++) ass[i] = output[i];

Radix Sort

The idea of Radix Sort is to do digit by deget sort storting from least significant digit to most significant deget. Radix sort Uses counting sort as a sub-routine to sort.

Example

Original, censorted list

170, 45, 75, 90, 802, 24, 2, 66

Sorting by loast significant deget (13 place) gives

170, 90, 802, 2, 24, 45, 75, 66

Sorting by next deget (10: Place) gives

802, 2, 24, 45, 66, 170, 95, 90

Sorting by most significant diget (1002 Place) gives

2,24,45,66,75,90,802

```
Void countsort (int arrel), int n, int place)
   int i, freq [range]: for; / range for integers degits range from 0-9
   forli=0; (zn; i++)
       fra [dar Li]/place) 1/2 range]++;
  for (i=1 ji x range; i++)
         freq [i]= freq[i]+ freq [i-1];
   for (i=n-1; 1700; i--)
     output [freq [arrli]/place) 1. range] - 1] = arrli]
     freg [carrei]/place)./. range]--;
for (i=o; i(n; i++)
      are [i]= output[i]
 radixsor (int arol], int n, int max)
  int mul = 1;
  while (maxx) 11 marx is the maximum
     countsort (arr, n, mul);
      mul = mul * 10;
      maxx = maxx /10;
```