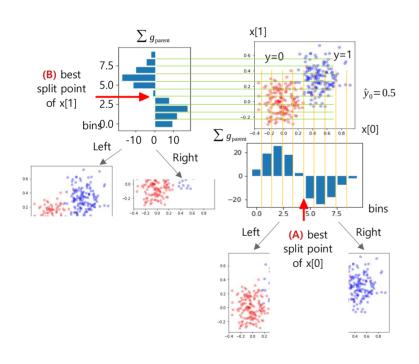


[MXML-12] Machine Learning/ Light GBM





12. Light GBM

Part 1: Histogram-based split finding

- You should watch the XGBoost videos first because it covers only the parts added to XGBoost.
- This video was produced in Korean and translated into English, and the audio was generated by AI (TTS).

www.youtube.com/@meanxai



	1. Histogram-based Algorithm		3. Exclusive Feature Bundling (EFB)		
	1-1. Overview	[MXML-12-03] {	3-1. Greedy Bundling Algorithm analysis		
[MXML-12-01]	1-2. Histogram-based split finding		3-2. Implementation of Greedy Bundling		
	1-3. Parallel processing	D D V D J D D J	3-3. Merge Exclusive Features Algorithm analysis		
	1-4. Simple implementation	[MXML-12-04] <	3-4. Implementation of Merge Exclusive Features		
			3-5. Implementation of EFB		
	2. Gradient-based One-Side Sampling (GOSS)		- Greedy Bundling + Merge Exclusive Features		
	2-1. Algorithm analysis				
[MXML-12-02]	2-2. Implementation of GOSS from scratch	[MXML-12-05]	4. Depth-wise vs. Leaf-wise tree growth		
	2-3. Implementation of LGBM with GOSS				
	using LGBMClassifier		5. LightGBM library		
			5-1. Santander Customer Transaction Prediction		



LightGBM : Overview

- LightGBM was proposed by Microsoft's Guolin Ke and others in 2017 to handle large amounts of data more effectively than XGBoost.
- To process large amounts of data, features such as Gradient-based One-Side Sampling (GOSS) and Exclusive Feature Bundling (EFB) were proposed.

LightGBM: A Highly Efficient Gradient Boosting Decision Tree

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ABSTRACT

Gradient Boosting Decision Tree (GBDT) is a popular machine learning algorithm and has quite a few effective implementations such as XGBoost and pGBRT. Although many engineering optimizations have been adopted in these implementations, the efficiency and scalability are still unsatisfactory when the feature dimension is high and data size is large. A major reason is that for each feature, they need to scan all the data instances to estimate the information gain of all possible split points, which is very time consuming. To tackle this problem, we propose two novel techniques: Gradient-based One-Side Sampling (GOSS) and Exclusive Feature Bundling (EFB). With GOSS, we exclude a significant proportion of data instances with small gradients, and only use the rest to estimate the information gain. We prove that, since the data instances with larger gradients play a more important role in the computation of information gain, GOSS can obtain quite accurate estimation of the information gain with a much smaller data size. With EFB, we bundle mutually exclusive features (i.e., they rarely take nonzero values simultaneously), to reduce the number of features. We prove that finding the optimal bundling of exclusive features is NP-hard, but a greedy algorithm can achieve quite good approximation ratio (and thus can effectively reduce the number of features without hurting the accuracy of split point determination by much). We call our new GBDT implementation with GOSS and EFB LightGBM. Our experiments on multiple public datasets show that, LightGBM speeds up the training process of conventional GBDT by up to over 20 times while achieving almost the same accuracy.

An Experimental Evaluation of Large Scale GBDT Systems

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ABSTRACT

Gradient boosting decision tree (GBDT) is a widely-used machine learning algorithm in both data analytic competitions and real-world industrial applications. Further, driven by the rapid increase in data volume, efforts have been made to train GBDT in a distributed setting to support large-scale workloads. However, we find it surprising that the existing systems manage the training dataset in different ways, but none of them have studied the impact of data management. To that end, this paper aims to study the pros and cons of different data management methods regarding the performance of distributed GBDT. We first introduce a quadrant categorization of data management policies based on data partitioning and data storage. Then we conduct an in-depth systematic analysis and summarize the advantageous scenarios of the quadrants. Based on the analysis, we further propose a novel distributed GBDT system named Vero, which adopts the unexplored composition of vertical partitioning and row-store and suits for many large-scale cases. To validate our analysis empirically, we implement different quadrants in the same code base and compare them under extensive workloads, and finally compare Vero with other state-of-the-art systems over a wide range of datasets. Our theoretical and experimental results provide a guideline on choosing a proper data management policy for a given workload.

[MXML-12-01] Machine Learning / 12. Light GBM – Split Finding

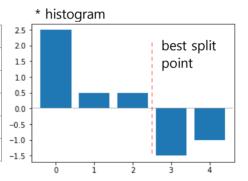


Histogram-based split finding - Example

data id =
$$[0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19]$$
feature (x) = $[0.41, 0.22, 0.7, 0.06, 0.48, 0.8, 0.05, 0.72, 0.34, 0.15, 0.6, 0.31, 0.01, 0.02, 0.29, 0.55, 0.53, 0.22, 0.4, 0.98]$
target (y) = $[0, 0, 1, 0, 0, 1, 0, 1, 0, 0, 1, 1, 0, 0, 1, 1, 1, 0, 0, 1]$
 $y0 = 0.5 \leftarrow initial prediction$
-residual (g) = $[0.5, 0.5, -0.5, 0.5, 0.5, -0.5, 0.5, -0.5, 0.5, -0.5, -0.5, 0.5, -0.5, -0.5, -0.5, 0.5, -0.5]$
 $h = 0.5 * (1 - 0.5) = 0.25$

* frequency distribution table

구간	bin	id	Σg
$0 \le x < 0.2$	0	3,6,9,12,13	0.5+0.5+0.5+0.5+0.5 = 2.5
$0.2 \le x < 0.4$	1	1,8,11,14,17	0.5+0.5-0.5-0.5+0.5 = 0.5
$0.4 \le x < 0.6$	2	0,4,15,16,18	0.5+0.5-0.5-0.5+0.5 = 0.5
$0.6 \le x < 0.8$	3	2,7,10	-0.5-0.5-0.5 = -1.5
$0.8 \le x < 1.0$	4	5,19	-0.5-0.5 = -1.0



g_sum, bins = np.histogram(x, 5, weights=g)
plt.figure(figsize=(5, 4))

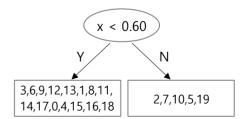
plt.bar(np.arange(0, g_sum.shape[0]), g_sum)
plt.show()

^{*} score table ($\lambda = 0$)

candidate split points	Σg (left)	Σg (right)	Score (left)	Score (right)	Score (left + right)
0.2	2.5	-1.5	$2.5^{2} / (0.25*5) = 5.0$	$(-1.5)^2 / (0.25*15) = 0.6$	5.6
0.4	3.0	-2.0	$3.0^{2} / (0.25*10) = 3.6$	$(-2.0)^2 / (0.25*10) = 1.6$	5.2
0.6	3.5	-2.5	$3.5^{2} / (0.25*15) = 3.27$	$(-2.5)^2 / (0.25*5) = 5.0$	9.94
0.8	2.0	-1.0	2.0 ² / (0.25*18) = 0.89	$(-1.0)^2 / (0.25*2) = 2.0$	2.89

$$score = \frac{\left(\sum_{i \in I_L} g_i\right)^2}{\sum_{i \in I_L} h_i + \lambda}$$

best split point



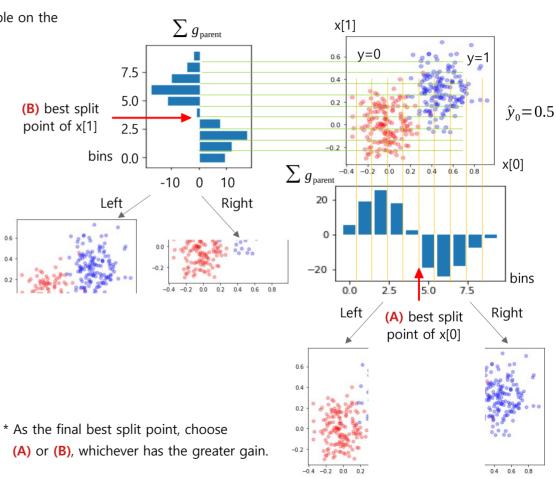
[MXML-12-01] Machine Learning / 12. Light GBM – Split Finding



Histogram-based split finding - Algorithm

• If you create a histogram with 10 bins for each feature, as in the example on the right, only nine split attempts are required.

Algorithm 1: Histogram-based Algorithm **Input**: *I*: training data, *d*: max depth **Input**: m: feature dimension $nodeSet \leftarrow \{0\} \triangleright tree nodes in current level$ $rowSet \leftarrow \{\{0, 1, 2, ...\}\} \triangleright data indices in tree nodes$ for i = 1 to d do for node in nodeSet do $usedRows \leftarrow rowSet[node]$ y means q. for k = 1 to m do accumulate q. $H \leftarrow \text{new Histogram}()$ $q = -(y - \hat{y})$ for j in usedRows do $bin \leftarrow I.f[k][j].bin$ accumulate h. $H[bin].y \leftarrow H[bin].y + I.y[i]$ $H[bin].n \leftarrow H[bin].n + 1 \blacktriangleleft$ $mse \rightarrow 1$ Find the best split on histogram H. $bce \rightarrow \hat{y}(1-\hat{y})$ Update rowSet and nodeSet according to the best split points.



^{*} Source : Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree

MX-AI

- Histogram-based split finding Parallel processing
 - Histogram-based algorithm takes a long time to generate a histogram each time a node is split, but the time can be reduced through parallel processing. It is advantageous when processing large amounts of data.
 - * Source: Fangcheng Fu, et, al., 2019, An Experimental Evaluation of Large Scale GBDT Systems. (Figure 3, 4: Illustration of data partitioning and storage)

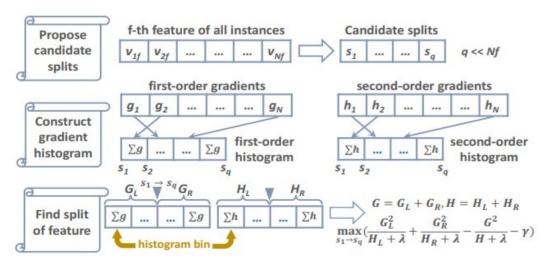


Figure 3: Histogram-based split finding for one feature

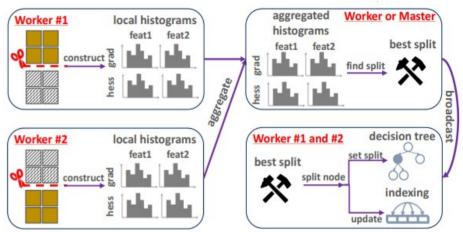


Figure 4 (a): Horizontal partitioning. Workers construct local histograms for all features and aggregate into global ones.

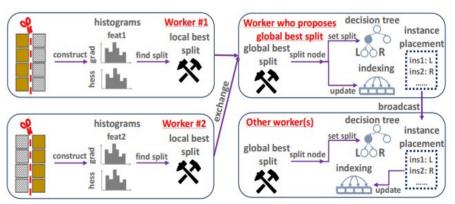


Figure 4 (b): Vertical partitioning. Worker who proposes global best split broadcasts the instance placement after node splitting.



Simple Implementation of Histogram-based split finding

```
# [MXML-12-01] 1.histogram-based.py
                                          x[1] 0.6
import numpy as np
from sklearn.datasets import make blobs
from multiprocessing.pool import Pool
import matplotlib.pyplot as plt
# Create a training data set.
x, y = make blobs(n samples=300, n features=2,
                  centers=[[0., 0.], [0.5, 0.3]],
                  cluster std=0.15, center box=(-1., 1.)
plt.figure(figsize=(4,4))
color = [['red', 'blue'][a] for a in y]
plt.scatter(x[:,0], x[:,1], c=color, alpha=0.3)
plt.show()
def find local split point(f, s point):
    GL = HL = 0.0
    l bound = -np.inf
                               # lower left bound
    max gain = -np.inf
                               # initialize max gain
    for j in s point:
        # split the parent node into the left and right nodes.
        left = np.where(np.logical and(f > 1 bound, f <= j))[0]</pre>
        right = np.where(f > i)[0]
        # After splitting the parent node, calculate the scores
        # of its children.
        GL += g[left].sum()
        HL += h[left].sum()
        GR = G - GL
        HR = H - HL
```

```
# Calculate the gain for this split
                                 gain = (GL ** 2)/(HL + r) + (GR ** 2)/(HR + r) - p score
                                \text{ \# Find the maximum gain.} \quad Gain = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_L} g_i)^2}{\sum_{i \in I_I} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} - \frac{(\sum_{i \in I} g_i)^2}{\sum_{i \in I} h_i + \lambda} \Big] - \gamma \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_L} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] \Big] = \frac{1}{2} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} + \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big] \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big] \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda} \Big[ \frac{(\sum_{i \in I_R} g_i)^2}{\sum_{i \in I_R} h_i + \lambda}
                                                max gain = gain
                                                b point = i
                                                                                                                      # local best split point
                                 1 \text{ bound} = j
                return b point, max gain
y0 = np.ones(shape=y.shape) * 0.5 # initial prediction
g = -(v - v0)
                                                                                                                                                # negative residual.
h = v0 * (1. - v0)
                                                                                                                                                # Hessian.
# Create a histogram of the parent node for each feature
n bin = 30 # the number of bins
g0_parent, f0_bin = np.histogram(x[:, 0], n_bin, weights=g) # feature 0
 g1 parent, f1 bin = np.histogram(x[:, 1], n bin, weights=g) # feature 1
                                                                                                                                                                                                          score = \frac{\left(\sum_{i \in I_L} g_i\right)^2}{\sum_{i \in I_L} h_i + \lambda}
# Find the best split point of each feature
G = g.sum()
H = h.sum()
r = 0.01
p score = (G ** 2) / (H + r) # parent's score before splitting the node
# Find global best split point through parallel processing
# vertical partitioning method is used.
mp = Pool(2)
args = [[x[:, 0], f0_bin], [x[:, 1], f1_bin]]
ret = mp.starmap async(find local split point, args)
```



Simple Implementation of Histogram-based split finding

```
mp.close()
mp.join()
results = ret.get()
p1 = results[0][0];
                       p2 = results[1][0]
gain1 = results[0][1]; gain2 = results[1][1]
if gain1 > gain2:
    b fid = 0
    b point = p1
else:
    b fid = 1
    b point = p2
print('\nbest feature id =', b fid)
print('best split point =', b point.round(3))
Result:
best feature id = 0
best split point = 0.231
```



[MXML-12] Machine Learning/ Light GBM



Algorithm 2: Gradient-based One-Side Sampling

```
Input: I: training data, d: iterations
```

Input: a: sampling ratio of large gradient data **Input**: b: sampling ratio of small gradient data **Input**: *loss*: loss function, *L*: weak learner

models $\leftarrow \{\}$, fact $\leftarrow \frac{1-a}{b}$

 $topN \leftarrow a \times len(I)$, randN $\leftarrow b \times len(I)$

for i = 1 to d do

 $preds \leftarrow models.predict(I)$ $g \leftarrow loss(I, preds), w \leftarrow \{1,1,...\}$ $sorted \leftarrow GetSortedIndices(abs(g))$ $topSet \leftarrow sorted[1:topN]$ $randSet \leftarrow RandomPick(sorted[topN:len(I)], randN)$ $usedSet \leftarrow topSet + randSet$ w[randSet] \times = fact \triangleright Assign weight fact to the small gradient data. $newModel \leftarrow L(I[usedSet], -g[usedSet], w[usedSet])$ models.append(newModel)

12. Light GBM

Part 2: Gradient-based One-Side Sampling (GOSS)

 This video was produced in Korean and translated into English, and the audio was generated by AI (TTS).

www.youtube.com/@meanxai

[MXML-12-02] Machine Learning / 12. Light GBM – GOSS



Gradient-based One-Side Sampling (GOSS)

• Most ensemble learning methods, such as RandomForest, AdaBoost, SGBM, and XGBoost, randomly sample data to increase the efficiency of training.

data

instances

- LightGBM uses GOSS to sample data. Sampling is performed using the size of the absolute value of the residuals. And performance does not drop significantly.
- Core idea: The data points with small residuals can be excluded from training in the next iteration round because the predictions are already reliable. Those that do not should be selected for further training in the next round.

Algorithm 2: Gradient-based One-Side Sampling

Input: *I*: training data, *d*: iterations

Input: a: sampling ratio of large gradient data

Input: b: sampling ratio of small gradient data

Input: *loss*: loss function, *L*: weak learner

models $\leftarrow \{\}$, fact $\leftarrow \frac{1-a}{b}$

 $topN \leftarrow a \times len(I)$, randN $\leftarrow b \times len(I)$

for i = 1 to d do

 \mid preds \leftarrow models.predict(I)

 $g \leftarrow loss(I, preds), w \leftarrow \{1,1,...\}$

 $sorted \leftarrow GetSortedIndices(abs(g))$

 $topSet \leftarrow sorted[1:topN]$

 $randSet \leftarrow RandomPick(sorted[topN:len(I)], randN)$

 $usedSet \leftarrow topSet + randSet$

 $w[randSet] \times = fact \triangleright Assign weight fact to the$

small gradient data.

 $newModel \leftarrow L(I[usedSet], -g[usedSet], w[usedSet])$

models.append(newModel)

				absolute value of	!				absolute value of	
	featu	re (x)	target	residual		featı	ure (x)	target	residual	ex: top_rate: a = 0.15
	x1	x2	у	-g		x1	x2	у	-g	other_rate: $b = 0.3$
	-0.4	-1.3	0	1.3		0.8	0.3	1	2.8	
	1.8	1.7	1	0.2		1.5	2.8	0	1.5	20 * 0.15 = 3 (topSet)
	0.8	0.3	1	2.8		-0.4	-1.3	0	1.3	Definitely choose the top 3.
	-1.2	-0.7	0	1.0		-1.2	-0.7	0	1.0	
	1.5	2.8	0	1.5		-0.4	0.3	1	8.0	20 * 0.3 = 6
•	-0.4	0.3	1	8.0		1.8	1.7	1	0.2	Randomly choose 6 data points out of the
	:					<u> </u>			:	remaining 17. (randSet)
	len(l) =	20		Sort descend					fact	$=\frac{1-a}{b}=\frac{1-0.15}{0.3}=2.83$

The data points in topSet are given a weight of 1.0, and those in randSet are given a weight of 2.83. When calculating Σg and Σh for the data in randSet, 17 g's and 17 h's must be added, but since only 6 were added, multiply by 2.83. (2.83 * 6 = 17). This would have the effect of adding 17 g's and 17 h's.

^{*} Source: Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree

MX-AI

• Implementation of GOSS

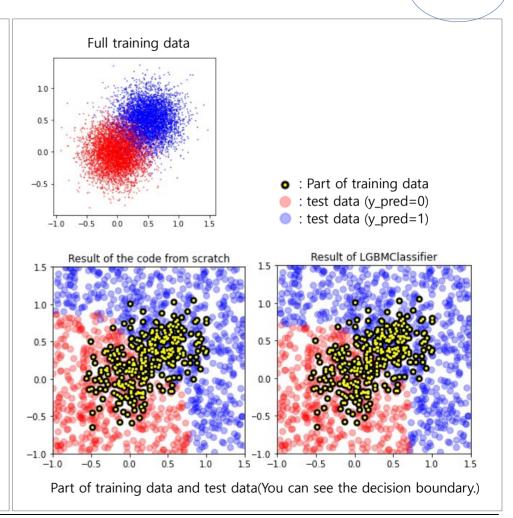
```
# [MXML-12-02] 2.goss.pv
# Implement GOSS algorithm presented in the paper.
# 1. Adding GOSS feature to XGBClassifier
# 2. Using the LGBMClassifier library
# Source: www.youtube.com/@meanxai
import numpy as np
from sklearn.datasets import make blobs
import matplotlib.pyplot as plt
from xgboost import XGBClassifier
from lightgbm import LGBMClassifier
# Create a training dataset
x, y = make blobs(n samples=10000, n features=2,
                    centers=[[0., 0.], [0.5, 0.5]],
                    cluster std=0.25, center box=(-1., 1.)
n boost = 50  # the number of boosting
eta = 0.3
                # learning rate
max depth = 2 # max depth of a tree
def base model(x, y, weights, F0):
    model = XGBClassifier(n estimators=1,
                                                   # just 1 round
                             learning rate=eta,
                             max depth=max depth,
                             max bin=20, tree method='hist',
                             base score=None)
    # g and h are multiplied by their weights.
    model.fit(x, y, sample weight=weights, base margin=F0)
    return model
    \widetilde{L}^{(t)} \simeq \sum_{i=1}^{n} weight_{i} (g_{i} w_{x_{i}} + \frac{1}{2} h_{i} w_{x_{i}}^{2}) + \gamma T + \frac{1}{2} \lambda \sum_{i=1}^{n} w_{j}^{2}
```

```
# Algorithm 2: Gradient-based One-Side Sampling (GOSS)
               # sampling ratio of large gradient data
a = 0.3
               # sampling ratio of small gradient data
b = 0.2
fact = (1. - a) / b
topN = int(a * x.shape[0])
randN = int(b * x.shape[0])
models = []
Fm = np.zeros(y.shape) # initial log(odds) prediction
for i in range(n boost):
   y prev = 1. / (1. + np.exp(-Fm))
    g = -(v - v prev)
                        # negative residual. first order gradients
    w = np.ones(shape=x.shape[0]) # initial sample weights.
    sorted g = np.argsort(np.abs(g))[::-1]
   topSet = sorted g[:topN]
    randSet = np.random.choice(sorted g[topN:], size=randN,replace=False)
    usedSet = np.hstack([topSet, randSet])
   w[randSet] *= fact # Assign weight fact to the small gradient data
    newModel = base model(x[usedSet], y[usedSet],
                          w[usedSet], F0=Fm[usedSet])
    Fm += newModel.predict(x, output margin=True)
   models.append(newModel)
# Create a test dataset and predict the class of test data
x \text{ test} = np.random.uniform(-1.0, 1.5, (1000, 2))
test Fm = np.zeros(x test.shape[0])
for model in models:
   test Fm += model.predict(x test, output margin=True)
```



Implementation of GOSS

```
y prob = 1. / (1. + np.exp(-test Fm)) # log(odds) --> probability
v \text{ pred} = (v \text{ prob} > 0.5) * 1
# Check the prediction results and the decision boundary.
def check result(x, y, x test, y pred, title):
    plt.figure(figsize=(4,4))
    color2 = [['red', 'blue'][a] for a in y pred]
    plt.scatter(x test[:, 0], x test[:, 1], s=50, c=color2,
                alpha=0.3)
    # Only part of the training data is drawn.
    plt.scatter(x[:300, 0], x[:300, 1], s=50, c='black')
    plt.scatter(x[:300, 0], x[:300, 1], s=5, c='yellow')
    plt.xlim(-1.0, 1.5)
    plt.ylim(-1.0, 1.5)
    plt.title(title)
    plt.show()
check result(x, y, x test, y pred, "Result of the code from scratch")
# Use LGBMClassifier library and compare the result from above code
model = LGBMClassifier(n estimators = 20,
                       max depth=max depth,
                       learning rate=eta,
                       max bins=20,
                        boosting type="goss",
                       top rate=0.3,
                       other rate=0.2)
model.fit(x, y)
y pred = model.predict(x test)
check result(x, y, x test, y pred, "Result of LGBMClassifier")
```



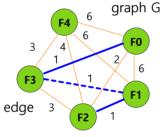


[MXML-12] Machine Learning/ Light GBM



Features

	F0	F1	F2	F3	F4
i0	1	1	0	0	1
i1	0	0	1	1	1
i2	1	2	0	0	2
i3	0	0	2	3	1
i4	2	1	0	0	3
i5	3	3	0	0	1
i6	0	0	3	0	2
i7	1	2	3	4	3
i8	1	0	1	0	0
i9	2	3	0	0	2



vertex

	F0	F1	F2	F3	F4
F0		6	2	1	6
F1	6		1	1	6
F2	2	1		3	4
F3	1	1	3		3
F4	6	6	4	3	
Σ	15	14	10	8	19

conflict count matrix

12. Light GBM

Part 3: Exclusive Feature Bundling (EFB) Greedy Bundling Algorithm

 This video was produced in Korean and translated into English, and the audio was generated by AI (TTS).

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Exclusive Feature Bundling (EFB) & Merge Exclusive Features

Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree

4 Exclusive Feature Bundling

In this section, we propose a novel method to effectively reduce the number of features.

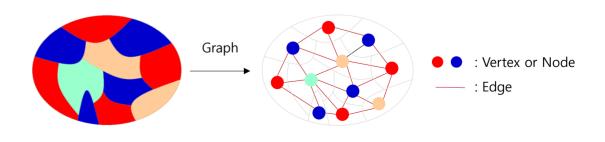
High-dimensional data are usually very sparse. The sparsity of the feature space provides us a possibility of designing a nearly lossless approach to reduce the number of features. Specifically, in a sparse feature space, many features are mutually exclusive, i.e., they never take nonzero values simultaneously. We can safely bundle exclusive features into a single feature (which we call an exclusive feature bundle). By a carefully designed feature scanning algorithm, we can build the same feature histograms from the feature bundles as those from individual features.

There are two issues to be addressed. The first one is to determine which features should be bundled together. The second is how to construct the bundle.

		5 fe	eatur	es		3 ·	featu	res	
	F0	F1	F2	F3	F4		F0_F3	F1_F2	F4
i0	1	1	0	0	1	i0	1	1	1
i1	0	0	1	1	1	i1	4	4	1
i2	1	2	0	0	2	i2	1	2	2
i3	0	0	2	3	1	i3	6	5	1
i4	2	1	0	0	3	 i4	2	1	3
i5	3	3	0	0	1	i5	3	3	1
i6	0	0	3	0	2	i6	0	6	2
i7	1	2	3	4	3	i7	7	6	3
i8	1	0	1	0	0	i8	1	4	0
i9	2	3	0	0	2	i9	2	3	2

Graph coloring problem

Graph coloring refers to the problem of coloring the vertices of a graph so that the colors of two adjacent vertices are not the same.



[MXML-12-03] Machine Learning / 12. Light GBM – EFB

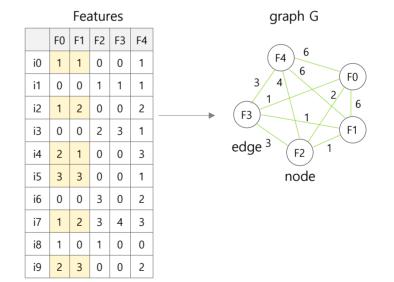


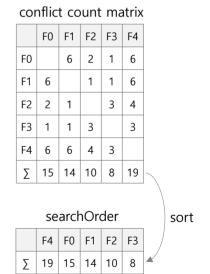
Exclusive Feature Bundling (EFB) - Greedy Bundling

- When feature values simultaneously take on non-zero values, this is called a "conflict". Otherwise, they are mutually exclusive. Exclusive features can be bundled into a single feature. In the example below, the number of conflicts for features F0 and F1 is 6. For F1 and F2, it is 1. Features with less conflict can be bundled.
- Create a conflict count matrix and then sort it in descending order by the sum of the conflict counts. In the left algorithm, the sum of the conflict counts is called "degree", the sorted thing is called "searchOrder".
- Feature bundling is performed by sequentially searching the features in the searchOrder matrix. F4 \rightarrow F0 \rightarrow F1 \rightarrow F2 \rightarrow F3

Algorithm 3: Greedy Bundling

Output: bundles





^{*} Source : Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree. (Fixed some typos and omissions: red)

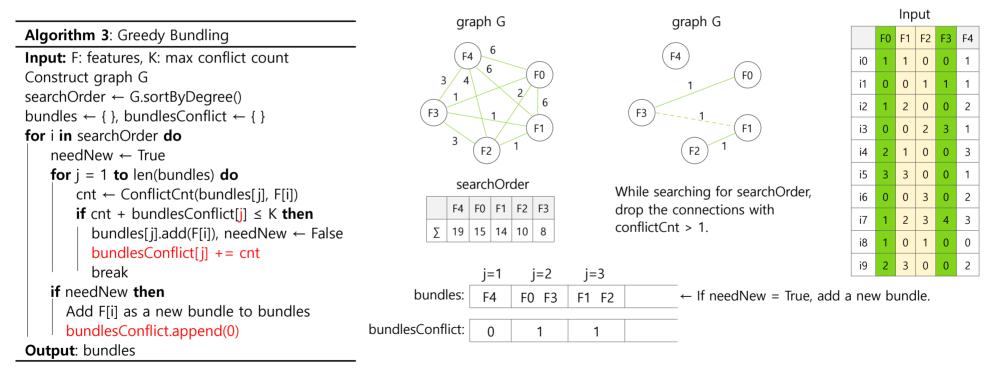
^{*} Example source: https://www.youtube.com/watch?v=4C8SUZJPIMY

[MXML-12-03] Machine Learning / 12. Light GBM – EFB



Exclusive Feature Bundling (EFB) - Greedy Bundling

- Set the maximum number of conflicts (K), search the graph in searchOrder order, and perform the graph coloring following the Algorithm-3 (Greedy Bundling).
- In the example below, K is set to 1 and all edges with conflict count greater than 1 are removed.
- F1 and F3 are connected with conflict count = 1, but F3 is already connected to F0, so the connection between F1 and F3 has been removed.
- As a result of performing Algorithm 3, the 5 features were bundled into 3. {F4}, {F0, F3}, {F1, F2}



^{*} Source : Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree. (Fixed some typos and omissions: red)

^{*} Example source: https://www.youtube.com/watch?v=4C8SUZJPIMY



Implementation of Greedy Bundling

```
# [MXML-12-03] 3.greedy bundling.py
                                             Algorithm 3: Greedy Bundling
# Algorithm 3: Greedy Bundling
                                             Input: F: features, K: max conflict count
import numpy as np
                                              Construct graph G
                                              searchOrder ← G.sortByDegree()
                                              bundles \leftarrow \{ \}, bundlesConflict \leftarrow \{ \}
x = np.array([[1, 1, 0, 0, 1],
                                              for i in searchOrder do
                 [0, 0, 1, 1, 1],
                                                needNew ← True
                 [1, 2, 0, 0, 2],
                                                for i = 1 to len(bundles) do
                                                   cnt ← ConflictCnt(bundles[i], F[i])
                 [0, 0, 2, 3, 1],
                                                   if cnt + bundlesConflict[i] ≤ K then
                 [2, 1, 0, 0, 3],
                                                    bundles[i].add(F[i]), needNew ← False
                 [3, 3, 0, 0, 1],
                                                     bundlesConflict[i] += cnt
                 [0, 0, 3, 0, 2],
                                                     break
                                                if needNew then
                 [1, 2, 3, 4, 3],
                                                  Add F[i] as a new bundle to bundles
                 [1, 0, 1, 0, 0],
                                                bundlesConflict.append(0)
                 [2, 3, 0, 0, 2]])
                                             Output: bundles
# Create a conflict count matrix
                                                             F0 F1 F2 F3 F4
n row = x.shape[0]
                                                                    2 1
                                                          F0
                                                                 6
                                                                            6
n col = x.shape[1]
                                                          F1
                                                              6
                                                                     1 | 1
                                                                            6
conflictCnt = np.zeros((n col, n col))
                                                          F2 2 1
                                                                        3
                                                          F3 | 1 | 1 | 3
for i in range(n col):
                                                          F4 6 6 4 3
    for j in range(i+1, n col):
                                                          Σ | 15 | 14 | 10 | 8 | 19
         # Count the number of conflicts.
         conflictCnt[i, j] = len(np.where(x[:, i] * x[:, j] > 0)[0])
# Copy upper triangle to lower triangle
# iu = (array([0, 0, 0, 0, 1, 1, 1, 2, 2, 3]),
         array([1, 2, 3, 4, 2, 3, 4, 3, 4, 4]))
iu = np.triu indices(n col, 1)
il = (iu[1], iu[0])
conflictCnt[il] = conflictCnt[iu]
```

```
# Create a search order matrix
degree = conflictCnt.sum(axis=0)
searchOrder = np.argsort(degree)[::-1] # descending order
             # max conflict count
K = 1
                                                     searchOrder
bundles, bundlesConflict = [], []
for i in searchOrder: \# i = [4, 0, 1, 2, 3]
                                                     F4 F0 F1 F2 F3
    needNew = True
                                                  Σ | 19 | 15 | 14 | 10 | 8
    for j in range(len(bundles)):
        cnt = conflictCnt[bundles[j][-1], i]
        # Only edges less than or equal to K are considered.
        if cnt + bundlesConflict[i] <= K:</pre>
            # Add the feature number i to the j-th bundle.
            bundles[i].append(i)
            # Update the number of conflicts of features in the
            # j-th bundle.
            bundlesConflict[j] += cnt
            needNew = False
            break
    if needNew:
        bundles.append([i])
        bundlesConflict.append(0.)
print('bundles:', bundles)
print('bundlesConflict:', bundlesConflict)
        bundles: [[4], [0, 3], [1, 2]]
bundlesConflict: [0.0, 1.0,
```



[MXML-12] Machine Learning/ Light GBM



```
Algorithm 4: Merge Exclusive Features (modified)
Input: numData: number of data
Input: F: One bundle of exclusive features
binRanges \leftarrow {0}, totalBin \leftarrow 0
for f in F do
             Algorithm 4: Merge Exclusive Features
   totalBin
             Input: numData: number of data
   binRang
              Input: F: One bundle of exclusive features
newBin ← F
              binRanges \leftarrow {0}, totalBin \leftarrow 0
              for f in F do
for i = 1 to
                  totalBin += f.numBin
   for i = 2
                  binRanges.append(totalBin)
      if Ffil
              newBin ← new Bin(numData)
              for i = 1 to numData do
Output: nev
                  newBin[i] ← 0
                  for i = 1 to len(F) do
                     if F[i].bin[i] \neq 0 then
                        newBin[i] ← F[j].bin[i] + binRanges[j]
              Output: newBin, binRanges
```

12. Light GBM

Part 4: Merge Exclusive Features

 This video was produced in Korean and translated into English, and the audio was generated by AI (TTS).

www.youtube.com/@meanxai

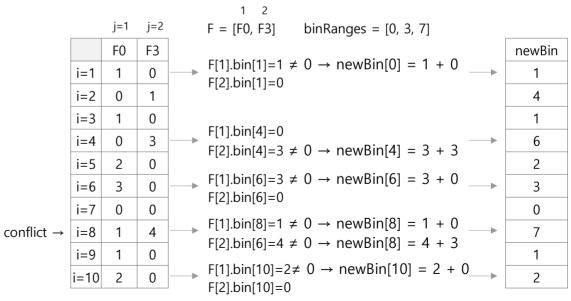
MX-AI

Merge Exclusive Features

4 Exclusive Feature Bundling Guolin Ke, et, al., 2017, LightGBM: A Highly Efficient Gradient Boosting Decision Tree <page 6>

For the second issues, we need a good way of merging the features in the same bundle in order to reduce the corresponding training complexity. The key is to ensure that the values of the original features can be identified from the feature bundles. Since the histogram-based algorithm stores discrete bins instead of continuous values of the features, we can construct a feature bundle by letting exclusive features reside in different bins. This can be done by adding offsets to the original values of the features. For example, suppose we have two features in a feature bundle. Originally, feature A takes value from [0, 10) and feature B takes value [0, 20). We then add an offset of 10 to the values of feature B so that the refined feature takes values from [10, 30). After that, it is safe to merge features A and B, and use a feature bundle with range [0, 30] to replace the original features A and B. The detailed algorithm is shown in Alg. 4.

Algorithm 4: Merge Exclusive Features						
Input: numData: number of data						
Input: F: One bundle of exclusive features						
binRanges ← {0}, totalBin ← 0						
for f in F do						
totalBin += f.numBin						
binRanges.append(totalBin)						
newBin ← new Bin(numData)						
for i = 1 to numData do						
newBin[i] ← 0						
for $j = 1$ to len(F) do						
if F[j].bin[i] ≠ 0 then						
newBin[i] ← F[j].bin[i] + binRanges[j]						
Output: newBin, binRanges						

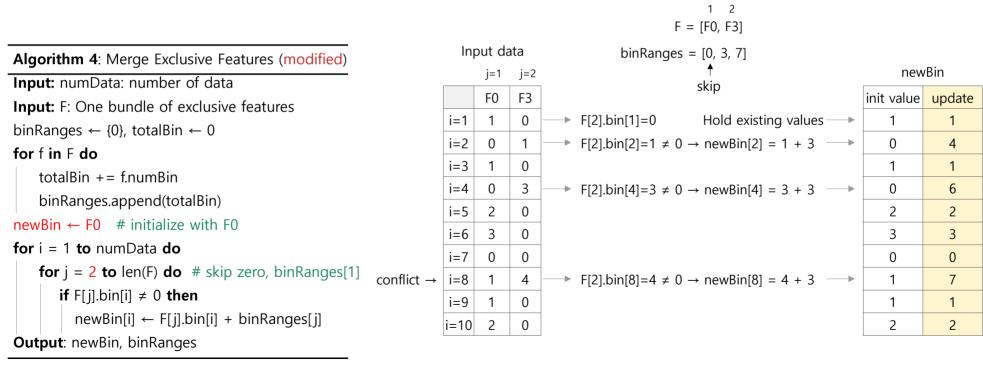


^{*} Example source: https://www.youtube.com/watch?v=4C8SUZJPIMY



Merge Exclusive Features (modified: skip-zero-version)

- The computation time can be slightly shortened by modifying Algorithm 4 as follows.
- The previous version initialized newBin to 0, and repeated from j=1. This version initializes newBin to F0, and repeated from j=2. This reduces the number of iterations since we can skip the first 0 in binRange = [0, 3, 7].



^{*} Example source: https://www.youtube.com/watch?v=4C8SUZJPIMY



Implementation of Algorithm 4: Merge Exclusive Features

```
# [MXML-12-04] 4.merge features.pv
                                                          Algorithm 4: Merge Exclusive Features (modified)
# Implementation of Algorithm 4
                                                          Input: numData: number of data
import numpy as np
                                                          Input: F: One bundle of exclusive features
                                                          binRanges \leftarrow {0}, totalBin \leftarrow 0
x = np.array([[1, 1, 0, 0, 1],
                                                          for f in F do
                 [0, 0, 1, 1, 1],
                                                             totalBin += f.numBin
                  [1, 2, 0, 0, 2],
                  [0, 0, 2, 3, 1],
                                                             binRanges.append(totalBin)
                  [2, 1, 0, 0, 3],
                                                          newBin ← F0 # initialize with F0
                  [3, 3, 0, 0, 1],
                                                          for i = 1 to numData do
                  [0, 0, 3, 0, 2],
                                                             for j = 2 to len(F) do # skip zero, binRanges[1]
                 [1, 2, 3, 4, 3],
                                                                if F[i].bin[i] ≠ 0 then
                  [1, 0, 1, 0, 0],
                                                                 newBin[i] ← F[j].bin[i] + binRanges[j]
                 [2, 3, 0, 0, 2]])
                                                          Output: newBin, binRanges
# The result of Greedy Bundling
                                                           Algorithm 4: Merge Exclusive Features
bundles = [[4], [0, 3], [1, 2]]
                                                          Input: numData: number of data
# Algorithm 4: Merge Exclusive Features
                                                          Input: F: One bundle of exclusive features
def merge features(numData, F):
                                                          binRanges \leftarrow {0}, totalBin \leftarrow 0
     binRanges = [0]
                                                          for f in F do
     totalBin = 0
                                                              totalBin += f.numBin
     for f in F:
                                                              binRanges.append(totalBin)
         totalBin += np.max(f)
                                                          newBin ← new Bin(numData)
          binRanges.append(totalBin)
                                                          for i = 1 to numData do
                                                              newBin[i] ← 0
     newBin = np.zeros(numData, dtype=int)
                                                              for i = 1 to len(F) do
     for i in range(numData):
                                                                if F[i].bin[i] \neq 0 then
         newBin[i] = 0
                                                                   newBin[i] ← F[j].bin[i] + binRanges[j]
          for j in range(len(F)):
                                                          Output: newBin, binRanges
               if F[i][i] != 0:
                    newBin[i] = F[j][i] + binRanges[j]
     return newBin, binRanges
```

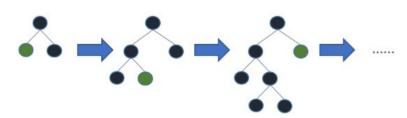
```
# modified Algorithm 4 (skip-zero-version)
def merge features2(numData, F):
    binRanges = [0]
    totalBin = 0
    for f in F:
        totalBin += np.max(f)
        binRanges.append(totalBin)
    newBin = F[0] # initialize newBin to F[0]
    for i in range(numData):
        for j in range(1, len(F)):
            if F[j][i] != 0:
                newBin[i] = F[j][i] + binRanges[j]
    return newBin, binRanges
F = [x[:, i] \text{ for } i \text{ in bundles}[1]]
newBin, binRanges = merge features(x.shape[0], F)
print('\nnewBin:', newBin)
print('binRanges:', binRanges)
newBin, binRanges = merge features2(x.shape[0], F)
print('\nnewBin:', newBin)
print('binRanges:', binRanges)
Results:
newBin: [1 4 1 6 2 3 0 7 1 2]
binRanges: [0, 3, 7]
newBin: [1 4 1 6 2 3 0 7 1 2]
binRanges: [0, 3, 7]
```



[MXML-12] Machine Learning/ Light GBM



-	ginal ture		one-	hot	enco	ding		newBir	1	merged	l feature
i	f		i	f0	f1	f2	i	step 1	step 2	step 3	step 4
1	1		1	0	1	0	1	0	2	2	1
2	0		2	1	0	0	2	1	1	1	0
3	2		3	0	0	1	3	0	0	3	2
4	1		4	0	1	0	4	0	2	2	1
5	2	-	5	0	0	1	 5	0	0	3	2
6	0		6	1	0	0	6	1	1	1	0
7	0		7	1	0	0	7	1	1	1	0
8	1		8	0	1	0	8	0	2	2	1
9	2		9	0	0	1	9	0	0	3	2
10	1		10	0	1	0	10	0	2	2	1



12. Light GBM

Part 5: Greedy Bundling + Merge Exclusive Features

 This video was produced in Korean and translated into English, and the audio was generated by AI (TTS).

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[MXML-12-05] Machine Learning / 12. Light GBM – EFB



Merge Exclusive Features – One-hot encoding

- Merging one-hot encoded features allows us to better understand how this algorithm works and what its effects are.
- The merge exclusive features algorithm restores the one-hot encoded features to the original feature.
- One-hot encoded features are 100% mutually exclusive with no conflicts whatsoever. Therefore, they can be perfectly restored to the original feature.
- However, when multiple features are one-hot encoded, individual features are not 100% restored because the Greedy Bundling algorithm is not perfect.
- This is because the Greedy Bundling is an approximate algorithm that finds a reasonably good bundling strategy within polynomial time.

orig feat	inal ure		one-	hot (enco	ding			newBir	1	mer	ged feat	ture
i	f		i	f0	f1	f2		i	step 1	step 2	step 3	step 4	
1	1		1	0	1	0		1	0	2	2	1	
2	0		2	1	0	0		2	1	1	1	0	
3	2		3	0	0	1		3	0	0	3	2	
4	1	one-hot	4	0	1	0	merge	4	0	2	2	1	
5	2		5	0	0	1		5	0	0	3	2	
6	0		6	1	0	0		6	1	1	1	0	
7	0		7	1	0	0		7	1	1	1	0	
8	1		8	0	1	0		8	0	2	2	1	
9	2		9	0	0	1		9	0	0	3	2	
10	1		10	0	1	0		10	0	2	2	1	

j=1, 2, 3			
F = [f0, f1, f2]	binRanges = [0, 1,	2,	31 ← offsets

- step-1 : initialize newBin to f0 values
- step-2 : update newBin using f1 values $f1.bin \neq 0$, newBin = f1.bin + binRanges[1]f1.bin = 0, newBin = Hold existing values
- step-3 : update newBin using f1 values $f2.bin \neq 0$, newBin = f2.bin + binRanges[2]f2.bin = 0, newBin = Hold existing values
- setp-4 : newBin = newBin 1

^{*} Merged feature values are identical to the original feature values.



Implementation of EFB: Greedy Bundling & Merge Exclusive Features

```
# [MXML-12-05] 5.efb onehot.py
# Merge one-hot encoded features using EFB
import numpy as np
from sklearn.preprocessing import OneHotEncoder
# Algorithm 3: Greedy Bundling
def greedy bundling(x, K):
    # Create a conflict count matrix
    n row = x.shape[0]
   n col = x.shape[1]
    conflictCnt = np.zeros((n col, n col))
   for i in range(n col):
      for j in range(i+1, n col):
          # Count the number of conflicts.
          conflictCnt[i, j]=len(np.where(x[:, i] * x[:, j] > 0)[0])
    # Copy upper triangle to lower triangle
    iu = np.triu indices(n col, 1)
    il = (iu[1], iu[0])
    conflictCnt[il] = conflictCnt[iu]
    # Create a search order matrix
    degree = conflictCnt.sum(axis=0)
    searchOrder = np.argsort(degree)[::-1] # descending order
    bundles = []
    bundlesConflict = []
```

```
for i in searchOrder:
        needNew = True
        for j in range(len(bundles)):
            cnt = conflictCnt[bundles[j][-1], i]
            if cnt + bundlesConflict[j] <= K:</pre>
                bundles[i].append(i)
                bundlesConflict[j] += cnt
                needNew = False
                break
        if needNew:
            bundles.append([i])
            bundlesConflict.append(0.)
    return bundles
# Algorithm 4: Merge Exclusive Features (skip-zero-version)
def merge_features(numData, F):
    binRanges = [0]
    totalBin = 0
    for f in F:
        totalBin += np.max(f)
        binRanges.append(totalBin)
    newBin = F[0] # initialize newBin to F[0]
    for i in range(numData):
        for j in range(1, len(F)):
            if F[j][i] != 0:
                newBin[i] = F[j][i] + binRanges[j]
    return newBin, binRanges
```



■ Implementation of EFB: Greedy Bundling & Merge Exclusive Features

```
# Generate random data and perform one-hot encoding.
n \text{ samples} = 100
n features = 4
x = np.random.randint(low=0, high=4, size=(n samples, n features))
enc = OneHotEncoder()
x ohe = enc.fit transform(x).toarray()
print('Original features [:5]:'); print(x[:5])
print('\nOne-hot encoding [:5]:'); print(x_ohe[:5])
# bundling
bundles = greedy_bundling(x_ohe, K=1)
# If we know the bundles exactly, like this,
# bundles = [[0,1,2,3], [4,5,6,7], [8,9,10,11], [12,13,14,15]]
# we can get the original features from the merged features.
print('\nbundles:', bundles)
# [[14, 12, 15, 13], [10, 8, 11, 9], [5, 4, 6, 7], [3, 2, 1, 0]]
# Feature를 병합한다.
x_efb = np.zeros(shape=x.shape).astype('int')
for i, bundle in enumerate(bundles):
    F = [x ohe[:, i] for i in bundle]
    newBin, binRanges = merge features(x ohe.shape[0], F)
    x = fb[:, i] = np.array(newBin) - 1
```

```
print('\nOriginal features [:5]:'); print(x[:5])
print('\nMerged features [:5]:'); print(x efb[:5])
The result of Greedy Bundling:
bundles: [[11,8,9,10], [4,5,6,7], [14,13,12,15], [0,1,2,3]]
Original features [:5]:
[[3 1 3 1]
 [2 2 0 3]
 [3 1 1 2]
 [0 0 3 0]
 [3 0 3 2]]
One-hot encoding [:5]:
[[0. 0. 0. 1. 0. 1. 0. 0. 0. 0. 0. 1. 0. 1. 0. 0.]
 [0. 0. 1. 0. 0. 0. 1. 0. 1. 0. 0. 0. 0. 0. 0. 1.]
 [0. 0. 0. 1. 0. 1. 0. 0. 0. 1. 0. 0. 0. 0. 1. 0.]
 [1. 0. 0. 0. 1. 0. 0. 0. 0. 0. 0. 1. 1. 0. 0. 0.]
 [0. 0. 0. 1. 1. 0. 0. 0. 0. 0. 0. 1. 0. 0. 1. 0.]]
Original features [:5]:
                               Merged features [:5]:
[[3 1 3 1]
                               [[0 1 1 3]
 [2 2 0 3]
                                [1 2 3 2]
 [3 1 1 2]
                                [2 1 0 3]
 [0 0 3 0]
                                [0 0 2 0]
 [3 0 3 2]]
                                [0 0 0 3]]
```



Depth-wise vs. Leaf-wise tree growth

- Most decision tree learning algorithms grow trees by level (depth)-wise, as shown in the left picture below.
- LightGBM grows trees leaf-wise (best-first). It will choose the leaf with max delta loss to grow. Holding the number of leaves fixed, leaf-wise algorithms tend to achieve lower loss than level-wise algorithms.
- Leaf-wise method can converge much faster, but can lead to overfitting when the number of data points is small, so LightGBM includes the max_depth parameter to limit tree depth. However, trees still grow leaf-wise even when max_depth is specified.
- Leaf-wise was proposed by Haijan Shi in 2007 in a paper titled "Best-first decision tree learning."
- XGBoost uses depth-wise tree growth. To use the leaf-wise method in the XGBoost library, use parameter tree_method = hist, grow_policy = lossguide.



^{*} Source: https://lightgbm.readthedocs.io/en/v4.3.0/Features.html



Santander Customer Transaction Prediction using XGBoost and LightGBM

```
# [MXML-12-05] 6.santander.py
import pandas as pd
from lightgbm import LGBMClassifier
from xgboost import XGBClassifier
from sklearn.metrics import roc auc_score, roc_curve
from sklearn.model selection import train test split
import matplotlib.pvplot as plt
import time
# Read the Santander Customer Satisfaction Dataset.
# df.shape = (76020, 371)
df = pd.read csv("data/santander.csv", encoding='latin-1')
# Replace the values of the 'var3' feature containing -99999999
# with 2 and drop the 'ID' feature.
df['var3'].replace(-999999, 2, inplace=True)
df.drop('ID', axis = 1, inplace=True)
# Separate features and label from the dataset
# and generate training and test data.
x feat = df.drop('TARGET', axis=1)
y target = df['TARGET']
x train, x test, y train, y test = train test split(x feat,
                                                    y target)
# 1. XGBoost
# Create an XGBoost model and fit it to the training data
start time = time.time()
```

```
model = XGBClassifier(n estimators = 200,
              max depth = 5,
              learning rate = 0.1,
                                      # ŋ
              gamma = 0.1,
                                    # v for pruning
              reg lambda = 1.0,
                                    # λ for regularization
              base score = 0.5,
                                     # initial prediction value
                                      # Subsample ratio of the
              subsample = 0.5,
                                      # training instance
              colsample bynode = 0.5, # Subsample ratio of
                                      # columns for each split
              max bin = int(1/0.03), # \varepsilon = 0.03, bins = 33
              tree method = 'approx') # weighted quantile sketch
# training
model.fit(x train, v train)
# Predict the test data and measure the performance with ROC-AUC.
y prob = model.predict proba(x test)[:, 1]
auc = roc auc score(y test, y prob)
print('\nXGBoost results:')
print('running time = {:.2f} seconds'.format(time.time() -
start time))
print('ROC-AUC = {:.4f}'.format(auc))
```



Santander Customer Transaction Prediction using XGBoost and LightGBM

```
# 2. LightGBM
# Create a LightGBM model
start time = time.time()
model = LGBMClassifier(n estimators = 200,
              max depth = 5,
              learning rate = 0.1,
              boosting type="goss", # default: gbdt - traditional
                                     # gradient based decision tree
              top rate=0.3,
              other rate=0.2,
              enable bundle=True,
                                     # default: True, enable EFB
              is unbalance = True)
# training
model.fit(x train, y train)
# Predict the test data and measure the performance with AUC.
y pred = model.predict_proba(x_test)[:, 1]
auc = roc auc score(y test, y pred)
print('\nLightGBM results:')
print('running time = {:.2f} seconds'.format(time.time() -
start time))
print("ROC AUC = {0:.4f}".format(auc))
```

```
# Draw the ROC curve
fprs, tprs, thresholds = roc curve(y test, y pred)
plt.plot(fprs, tprs, label = 'ROC')
plt.plot([0,1], [0,1], '--', label = 'Random')
plt.legend()
plt.xlabel('FPR')
plt.ylabel('TPR')
plt.show()
XGBoost results:
running time = 5.44 seconds
ROC-AUC = 0.8421
LightGBM results:
running time = 0.63 seconds
ROC AUC = 0.8316
                             1.0
                                 — ROC
                                 --- Random
                             0.8
                             0.6
                           FR
                             0.4
                             0.2
                             0.0
                                       0.2
                                               0.4
                                                             0.8
                                                                    1.0
                                0.0
                                                      0.6
                                                  FPR
```