

CSE 423 Week 3 Clipping

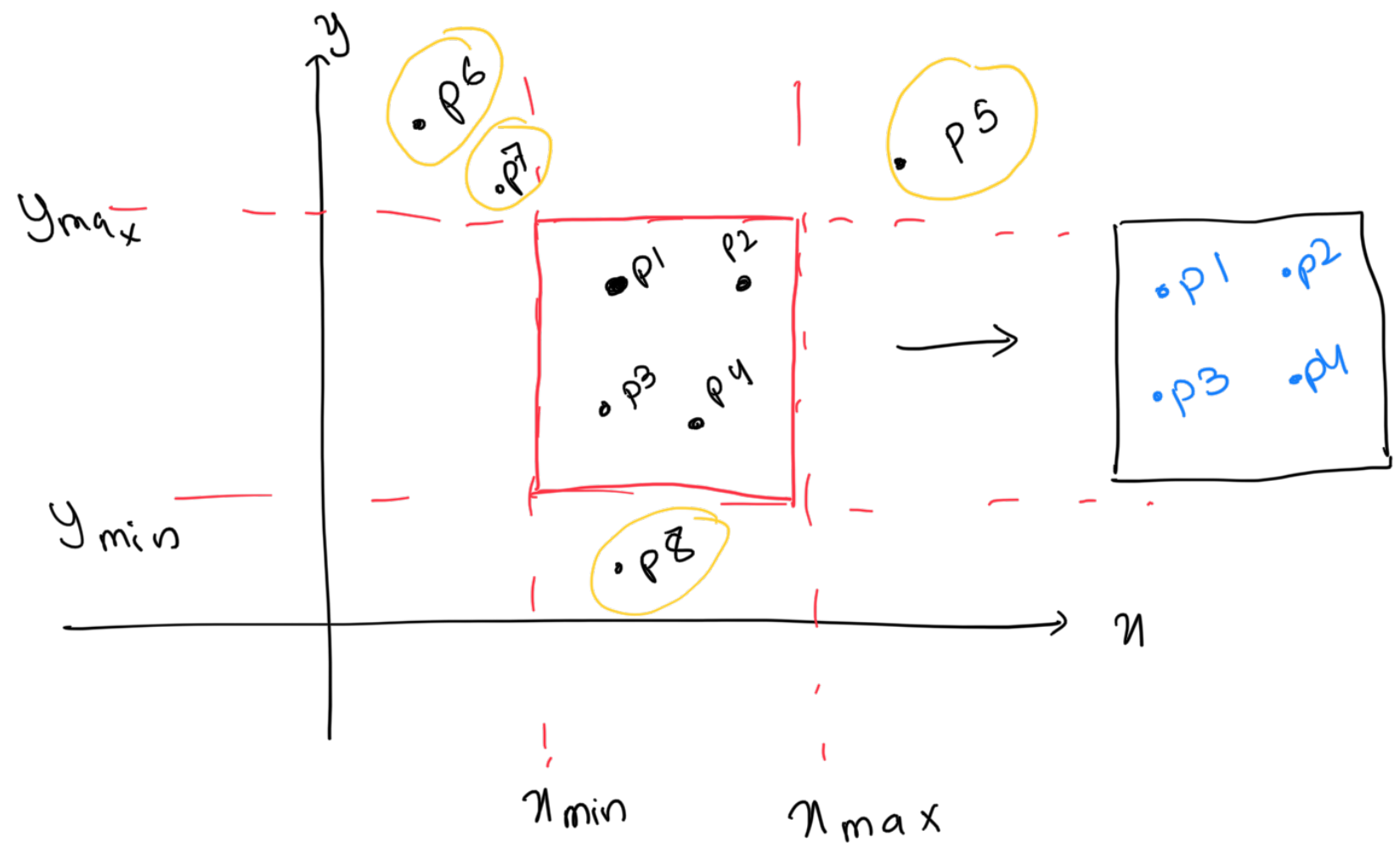
discarding



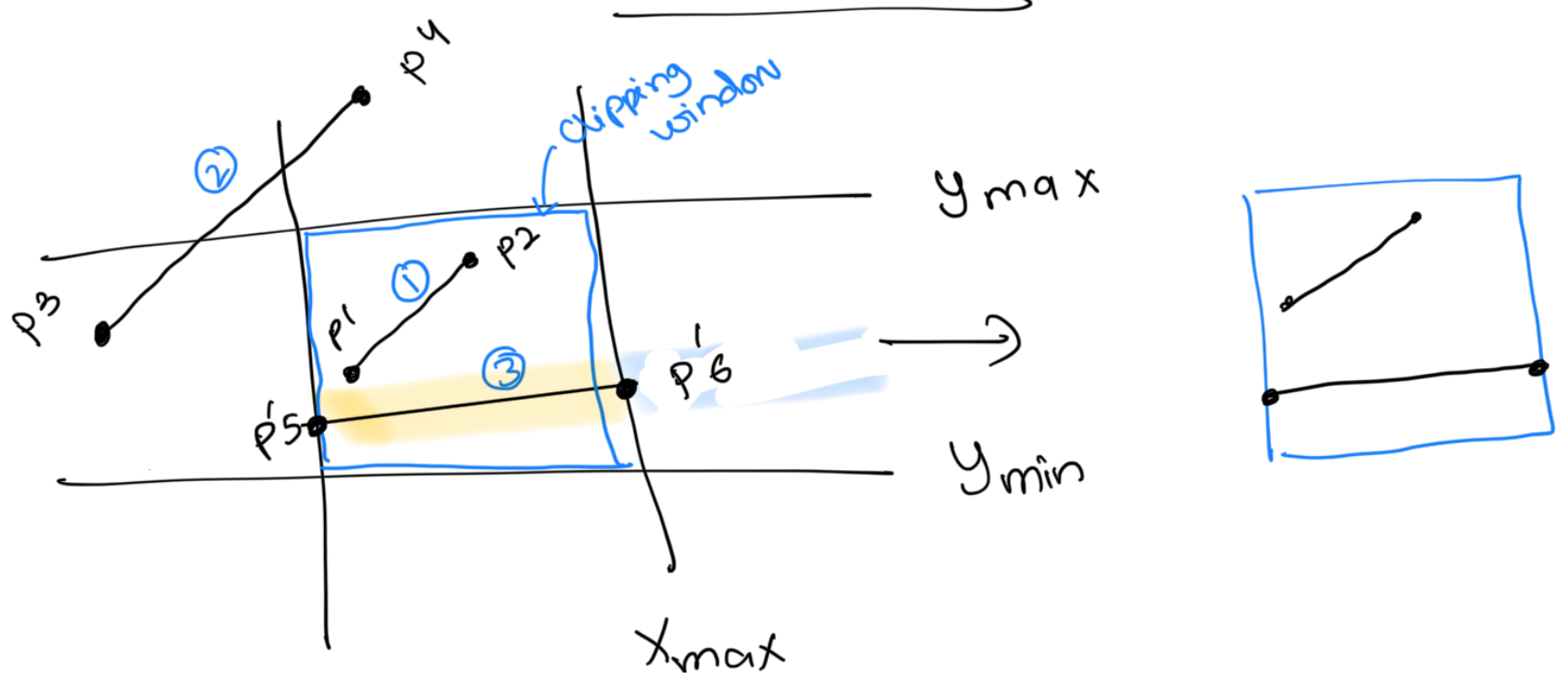
A point (x, y) is not clipped if:

→ $x_{min} \leq x \leq x_{max}$ AND

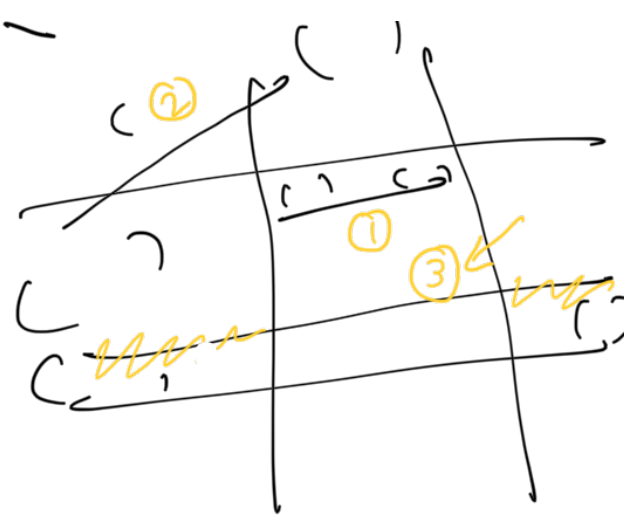
→ $y_{min} \leq y \leq y_{max}$



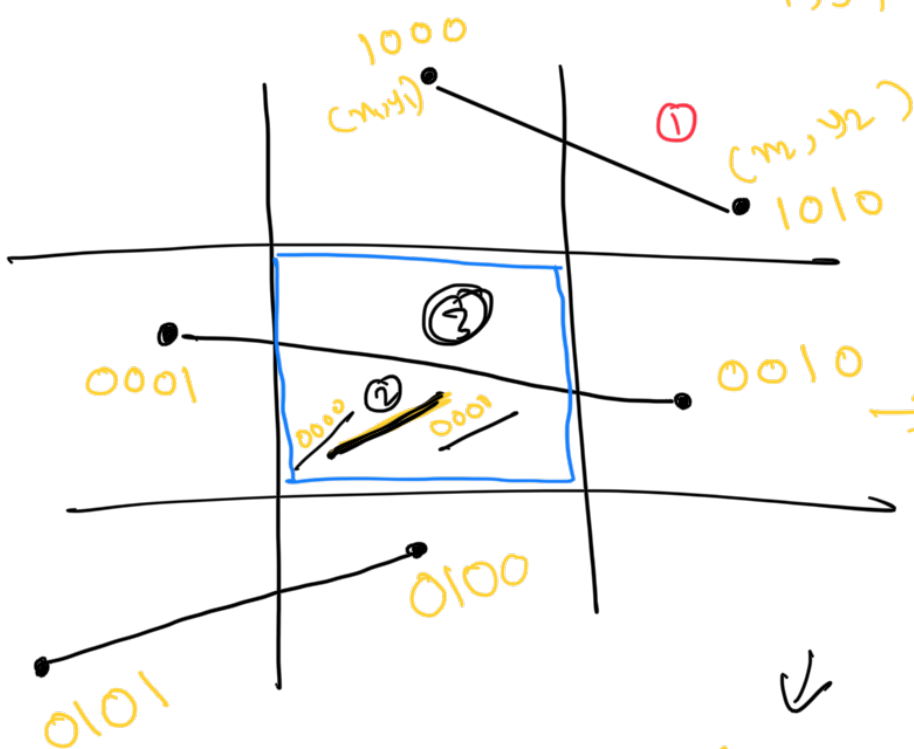
Line clipping



Starting () outside ending () outside



→ To check the cases we need to "AND" the bit-codes of starting and ending point x_1, y_1 x_2, y_2



AND Table (7, 8)

00	0
01	0
10	0
11	1

Result → 1000

① 1000
1010
AND
1000

← this line is completely outside the window

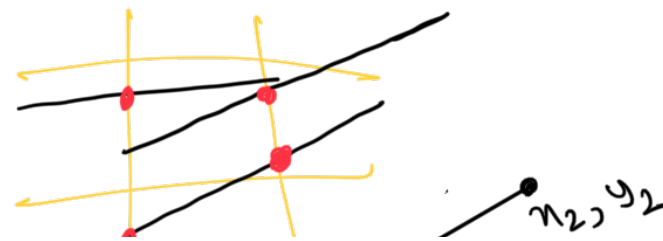
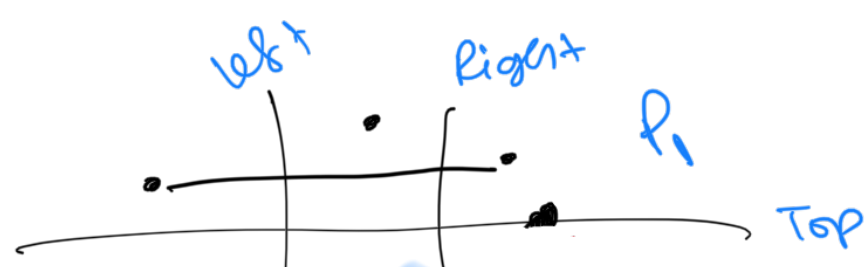
② 0000
0000
AND
0000

← the line is completely inside the window

③ 0100
0010
AND
0000

← has at least 1 bit on

← the line is partially inside.





Cohen-Sutherland (x_1, y_1, x_2, y_2)

oc1 = Calculate_outcode (x_1, y_1)

oc2 = Calculate_outcode (x_2, y_2)

while (true)

if $(oc1 == oc2 == 0000)$ // completely inside.

output $(x_1, y_1) (x_2, y_2)$ ✓

break

else if

$((oc1 \text{ AND } oc2) \neq 0000)$

break

else

if

$(oc1 \neq 0000)$

① **if** $(oc1 \& \text{Top})$

$$x_1 = x_1 + \frac{x_2 - x_1}{y_2 - y_1} (y_{\max} - y_1)$$

$$\rightarrow y_1 = y_{\max}$$

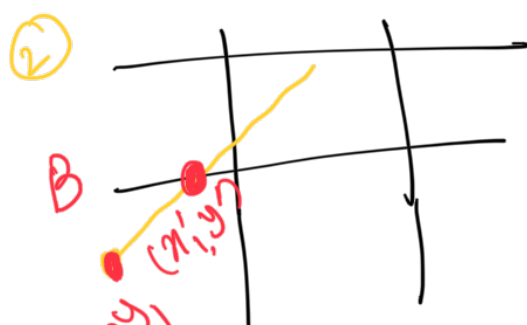
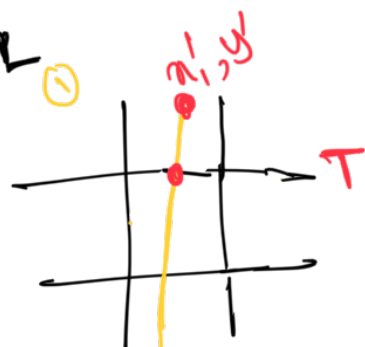
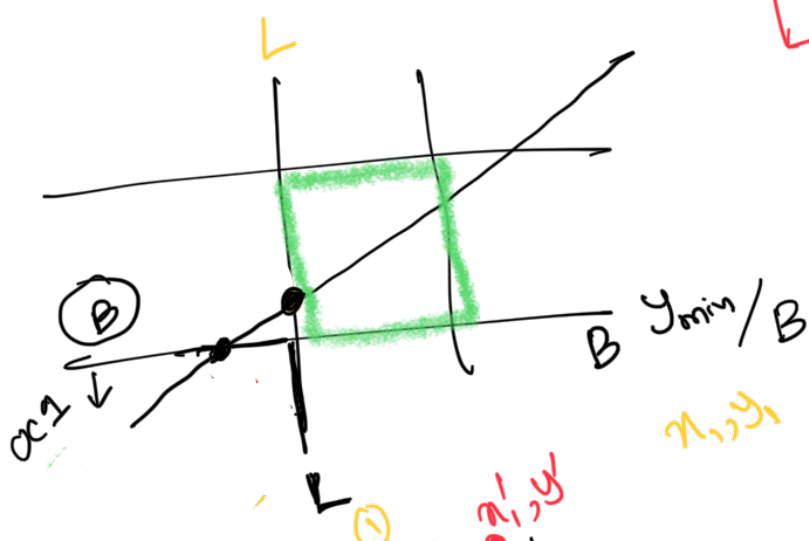
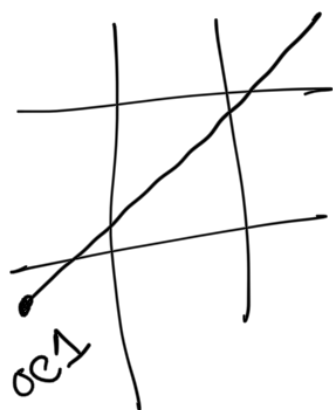
② **if** $(oc1 \& \text{Bottom})$

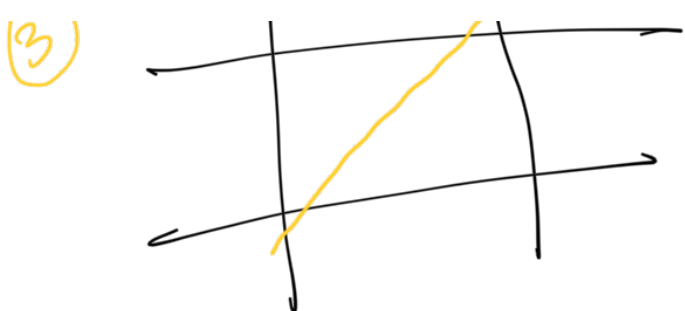
$$\underline{x_1} = \underline{x_1} + \frac{x_2 - x_1}{y_2 - y_1} (y_{\min} - y_1)$$

$$x_1 = x_1 + \frac{1}{m} (y_{\min} - y_1)$$

$$y_1 = y_{\min}$$

③ **if** $(oc1 \& \text{Right})$





$$y_1 = y_1 + m (x_{max} - x_1)$$

$$x_1 = x_{max}$$



else { // test

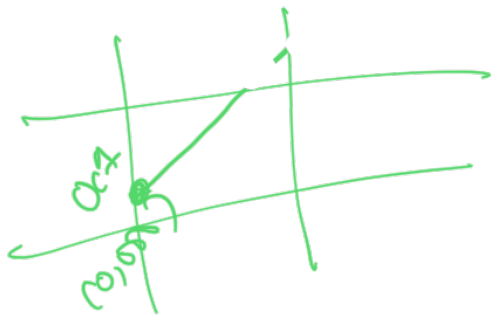
$$y_1 = y_1 + m (x_{min} - x_1)$$

$$x_1 = x_{min}$$

}

oc2

oc1 = calculate_outcode(x1, y1)



}

}

else {

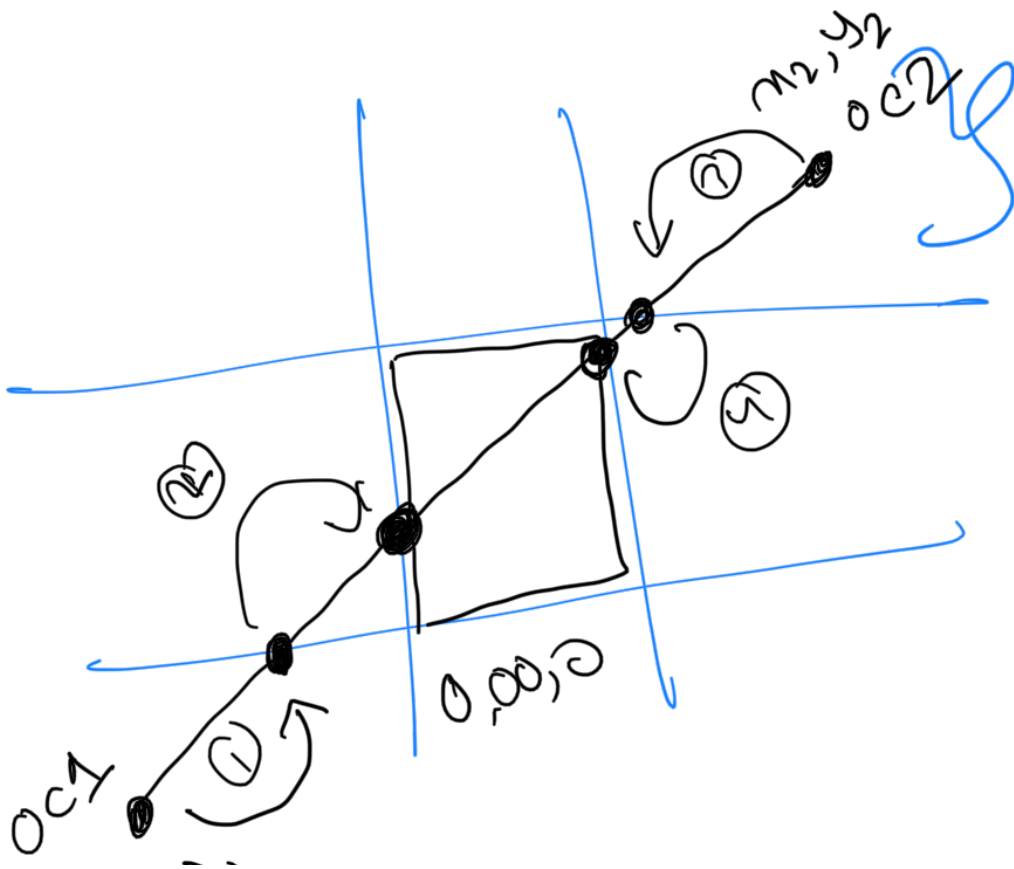
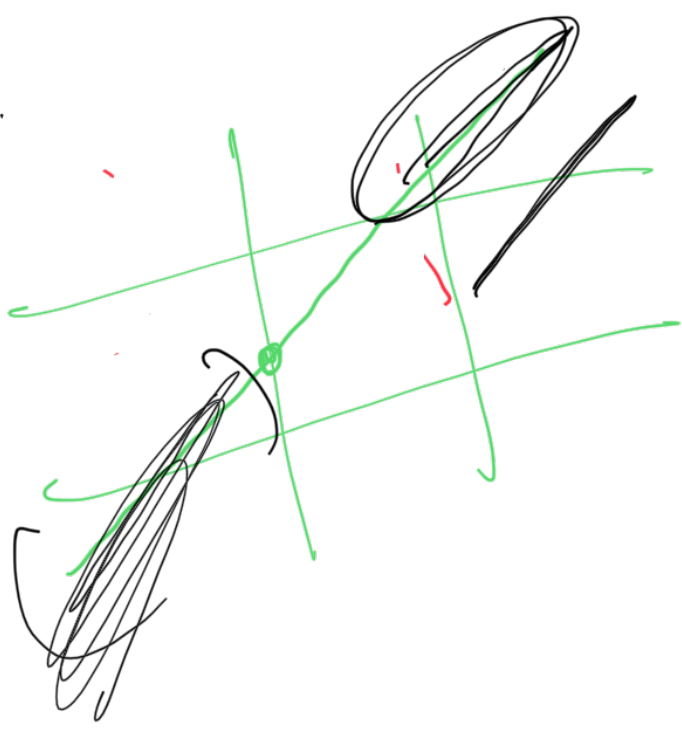
oc2 = !00000

Repeat with oc+2

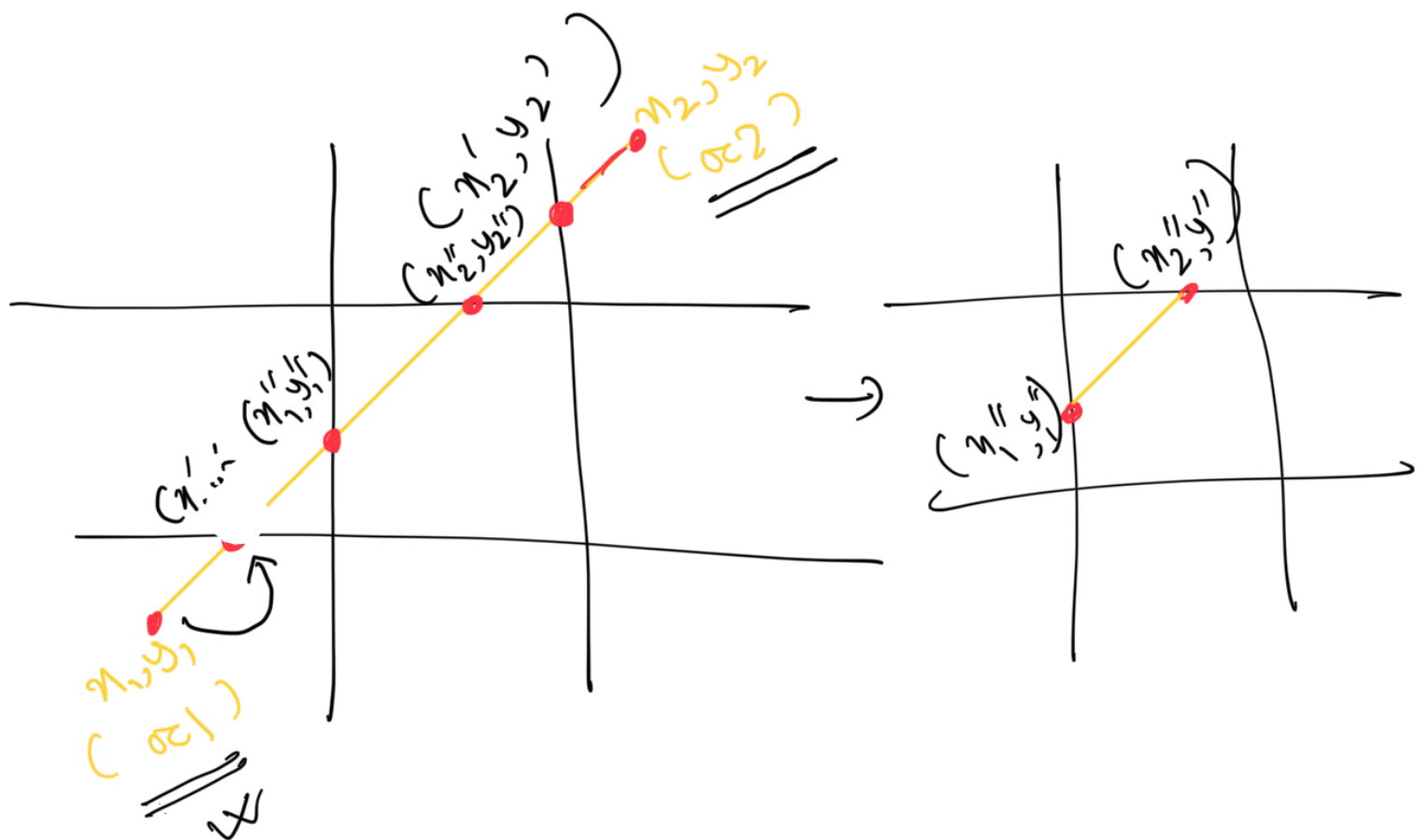
oc2 = calculate_outcode(x1, y1)

}

Continue



x_1, y_1



Example Window

x_{min} y_{min} x_{max} y_{max}
 $(0, 0)$ to $(300, 200)$.

(1) $(-250, 200)$ to $(250, -200)$
 x_1, y_1 x_2, y_2

points

$$x_1 = -250, y_1 = 200, x_2 = 250, y_2 = -200$$

// outcode calculation

$$out_1 = 0001$$

$$out_2 = 0100$$

AND

$$\underline{\quad\quad\quad} \\ 0000 \leftarrow$$

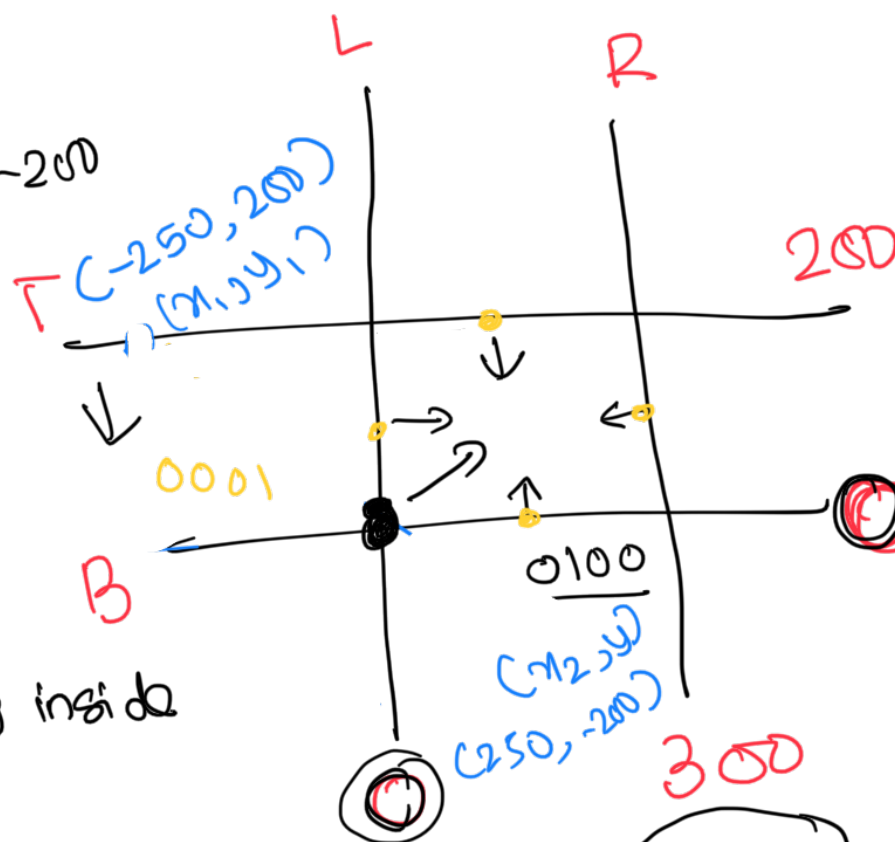
Partially inside

Left

$$x_1 = x_{min}$$

$$y_1 = y_1 + m(x_{min} - x_1)$$

$$= 200 + \frac{-200 - (200)}{250 - (-250)} (0 - (-250))$$



$$x_1 = -250, y_1 = 200$$

$$x_2 = 250, y_2 = -200$$

$$= 0$$

$$\begin{aligned} x_1 &= 0 \\ \text{New Coordinate} &= (0, 0) \end{aligned}$$

$$\text{New Oc1} = 0000$$

$$\text{Oc1 AND Oc2} = \begin{array}{r} 0000 \ 30100 \\ 0100 \\ \hline 0000 \end{array} \leftarrow \text{partially inside}$$

$$\text{Oc2} \neq 0$$

Code 3 Bottom

$$y_2 = \underline{y_{\min}}$$

$$\begin{aligned} x_1 &= 0, y_1 = 0 \\ x_2 &= 250, -200 \end{aligned}$$

$$x_2 = x_2 + \left(\frac{1}{m} (y_{\min} - y_2) \right)$$

$$\begin{aligned} x_2 &= x_2 + \frac{x_2 - x_1}{y_2 - y_1} (y_{\min} - y_2) \\ &= 250 + \frac{250 - 0}{-200 - 0} (0 - (-200)) \end{aligned}$$

$$= 0$$

$$y_2 = 0$$

$$x_2, y_2 = (0, 0)$$

$$\text{Oc2} = [0000]$$

$$\text{Oc1 AND Oc2}$$

$$0000 \text{ AND } 0000 = 0000$$

$$\begin{pmatrix} x_1 & y_1 \\ 0 & 0 \end{pmatrix} \text{ \& } \begin{pmatrix} x_2 & y_2 \\ 0 & 0 \end{pmatrix}$$

