

Z-buffer algorithm

1. Start.

2. Initialize the buffer values

- Depthbuffer $(n, y) = 0$

- Framebuffer $(n, y) = I_{background}$.

3. process each polygon (one at a time)

3.1. For each projected (n, y) pixel position of a polygon, calculate depth z .

3.1.1. If $z > \text{depthbuffer}(n, y)$

- Compute surface color (i.e. $I_{surface}(n, y)$).

- Set $\text{depthbuffer}(n, y) = z$.

- $\text{framebuffer}(n, y) = I_{surface}(n, y)$.

4. Stop.

→ After all the surfaces are processed, the depth buffer contains the depth value of the visible surface and refresh buffer contains the corresponding intensity value for that surface.

→ The depth value of the surface position (n, y) is calculated by plane equation of surface.

$$z = -\frac{Ax - By - D}{C}$$

Let, depth z' at position $(x+1, y)$

$$z' = -\frac{A(x+1) - By - D}{C}$$

$$\Rightarrow z' = z - \frac{A}{C}$$

Here, $-\frac{A}{C}$ is constant for each surface, so corresponding depth value across a scan line are obtained from preceding values by simple calculations

Advantages of Z-buffer algorithm.

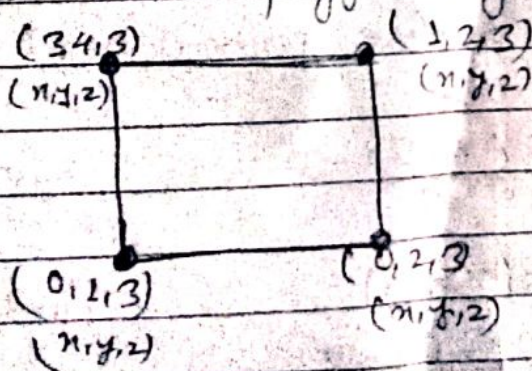
- It is easy to implement.
- It can be implemented in hardware to overcome the speed problem.
- The Z-value of a polygon can be calculated incrementally.
- No object-object comparison is required.

Dis-advantage.

- This method requires additional buffer (if compared with depth sort method) and the overhead involves in updating the buffer.
- It requires large memory.
- It is time consuming process.

Example:

Assume the polygon is given as follows:



In starting, assume that the depth of each pixel is infinite

∞	∞	∞
∞	∞	∞
∞	∞	∞
∞	∞	∞

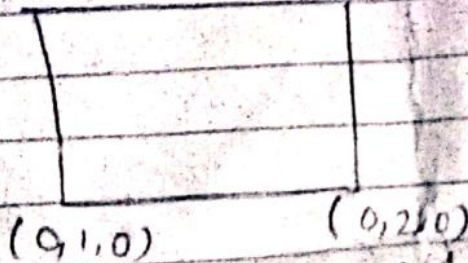
the depth value at every place in the given polygon is 3, on applying the algorithm, the result is:

3	3	3
3	3	3
3	3	3
3	3	3

Now, let's change the Z-values. In the given figure, Z values goes from 0 to 3.

ie (3,4,3)

(1,2,3)



Now, the Z-value generated at the pixel will be

3	3	0	3
2	2	0	2
1	1	0	1
0	0	0	0