04834580 Software Engineering (Honor Track) 2024-25

Parsing

Sergey Mechtaev

mechtaev@pku.edu.cn

School of Computer Science, Peking University



Definition ([1])

Parsing is a process of analyzing a string of symbols, either in programming languages or data structures, conforming to the rules of a formal grammar by breaking it into parts.

The context-free grammar [2] describing arithmetic expressions with addition, subtraction, and parentheses is as follows:

$$E \rightarrow E + T$$
 $\mid E - T$
 $\mid T$
 $T \rightarrow (E)$
 $\mid id$

Here:

- E: Represents an expression.
- T: Represents a term.
- id: Represents an identifier, which can be a number or variable.
- ▶ The operators + and − denote addition and subtraction respectively.
- ▶ Parentheses (*E*) group sub-expressions for precedence.

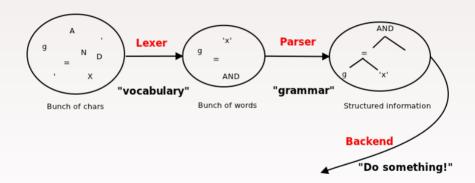
```
\langle \text{Stmt} \rangle \rightarrow \langle \text{Id} \rangle = \langle \text{RExpr} \rangle;
         \langle Stmt \rangle \rightarrow \{ \langle StmtList \rangle \}
         \langle Stmt \rangle \rightarrow if (\langle RExpr \rangle) \langle Stmt \rangle
(StmtList) → (Stmt)
(StmtList) → (StmtList) (Stmt)
     \langle RExpr \rangle \rightarrow \langle RExpr \rangle > \langle AExpr \rangle
     \langle RExdr \rangle \rightarrow \langle RExdr \rangle \langle AExdr \rangle
     \langle RExpr \rangle \rightarrow \langle RExpr \rangle > = \langle AExpr \rangle
     \langle RExpr \rangle \rightarrow \langle RExpr \rangle \leq \langle AExpr \rangle
     \langle RExpr \rangle \rightarrow \langle AExpr \rangle
     \langle AExpr \rangle \rightarrow \langle AExpr \rangle + \langle PExpr \rangle
     \langle AExpr \rangle \rightarrow \langle AExpr \rangle - \langle PExpr \rangle
     \langle AExpr \rangle \rightarrow \langle PExpr \rangle
     \langle PExpr \rangle \rightarrow \langle Id \rangle
     \langle \text{PExpr} \rangle \rightarrow \langle \text{Num} \rangle
                \langle \mathrm{Id} \rangle \to \mathbf{x}
                \langle \mathrm{Id} \rangle \to \mathbf{v}
         \langle \text{Num} \rangle \rightarrow 0
         \langle \text{Num} \rangle \rightarrow 1
         \langle \text{Num} \rangle \rightarrow 9
```

```
(Stmt)
if (
               (RExpr)
                                                                      (Stmt)
       \langle RExpr \rangle > \langle AExpr \rangle
       \overline{\langle AExpr \rangle} >
                       (AExpr)
        \overline{\langle PExpr \rangle} >
                        (PExpr)
           \langle Id \rangle
                        (Num)
                            9
                                                                      (Stmt)
                                                                    (StmtList)
                                               (StmtList)
                                                                                   (Stmt)
                                                  (Stmt)
                                                   ⟨RExpr⟩;
                                          (Id)
                                                   (AExpr)
                                                    (PExpr
                                                     (Num)
                                                                                   (Stmt)
                                                                   (Id) =
                                                                                    (RExpr)
                                                                     v
                                                                                     (AExpr
                                                                             (AExpr) + (PExpr)
                                                                              (PExpr) +
                                                                                            (PExpr)
                                                                                \langle Id \rangle
                                                                                              (Num)
if (
                                                                                 v
```

The Backus–Naur Form (BNF) [3] is a notation system for defining the syntax of programming languages:

```
E ::= T (('+' | '-') T)*
T ::= '(' E ')' | id
```

- ► E ::= T (('+' | '-') T) an expression E consists of a term T optionally followed by zero or more sequences of addition "+" or subtraction "-" operators, each paired with another term T. The "*" indicates repetition (zero or more occurrences).
- ► T ::= '(' E ')' | id means a term T can either be an expression E enclosed in parentheses to group subexpressions (E), or an identifier id, which represents variables or literals like numbers.



A lexer represents a stream of tokens:

```
import re
class Lever.
    def __init__(self, input_text):
        self.tokens = re.findall(r'\d+|[()+\-]', input_text)
        self.position = 0
    def get_next_token(self):
        if self.position < len(self.tokens):</pre>
            token = self.tokens[self.position]
             self.position += 1
            return token
        return None
    def peek(self):
        if self.position < len(self.tokens):</pre>
            return self.tokens[self.position]
        return None
```

Definition ([4])

A kind of top-down parser built from a set of mutually recursive procedures where each such procedure implements one of the nonterminals of the grammar.

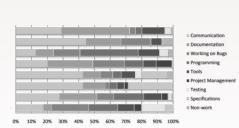
```
class Parser:
    def init (self. lexer):
        self.lexer = lexer
        self.current_token = self.lexer.get_next_token()
    def consume(self):
        self.current_token = self.lexer.get_next_token()
    def parse_E(self):
        node = self.parse_T()
        while self.current_token in ('+', '-'):
            op = self.current token
            self.consume()
            node = (op, node, self.parse_T())
        return node
```

```
def parse_T(self):
    if self.current_token == '(':
        self.consume() # Consume '('
        node = self.parse_E()
        if self.current token == ')':
            self.consume() # Consume ')'
           return node
        else:
            raise SyntaxError("Missing closing parenthesis")
    elif self.current_token.isdigit():
        node = int(self.current token) # Convert id (number) to integer
        self.consume()
        return node
    else:
        raise SyntaxError(f"Unexpected token: {self.current_token}")
```

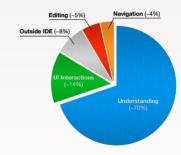
Client code:

```
if __name__ == "__main__":
   input_text = "1 + (2 - 3)"
   lexer = Lexer(input_text)
   parser = Parser(lexer)
   syntax_tree = parser.parse_E()
   print(syntax_tree)
```

2008's study with 8 new Microsoft developers showed that programming occupies only 10–20% of their time. [5]



2015's study with 18 developers showed that they spend 70% of their time on understanding. [6]



Parser generators such as generate parsers based on grammar descriptions such as BNF. Popular generations include:

- ▶ Bison for C/C++
- ► ANTRL for Java and other languages
- ► Lark for Python

```
grammar ExpressionGrammar;
// parser
      : left=expr op=('*'|'/') right=expr #opExpr
expr
      | left=expr op=('+'|'-') right=expr #opExpr
      | '(' expr ')'
                                           #parenExpr
      l atom=TNT
                                           #atomExpr
// lexer
INT : ('0' .. '9') +:
WS : [ \r\n\t] + -> skip ;
```

```
?start: product
    | start "+" product -> add
    | start "-" product -> sub
?product: atom
    | product "*" atom -> mul
    | product "/" atom -> div
?atom: NUMBER -> number
    | "-" atom -> neg
    | "(" start ")"
%import common.NUMBER
%import common.WS_INLINE
%ignore WS_INLINE
```

Definition

A parser combinator is a higher-order function that accepts several parsers as input and returns a new parser as its output.

[1] Wikipedia Authors.

Parsing.

https://en.wikipedia.org/wiki/Parsing, 2025.

- [2] John E Hopcroft, Rajeev Motwani, and Jeffrey D Ullman. Introduction to automata theory, languages, and computation. *Acm Sigact News*, 32(1):60–65, 2001.
- [3] John W Backus.

The syntax and the semantics of the proposed international algebraic language of the zurich acm-gamm conference.

In ICIP Proceedings, pages 125–132, 1959.

[4] Wikipedia Authors.

Recursive descent parser.

https://en.wikipedia.org/wiki/Recursive_descent_parser, 2025.

References II 此意大學

[5] Andrew Begel and Beth Simon.
 Novice software developers, all over again.
 In International Workshop on Computing Education Research, pages 3–14, 2008.

[6] Roberto Minelli, Andrea Mocci, and Michele Lanza.
I know what you did last summer-an investigation of how developers spend their time

In International Conference on Program Comprehension, pages 25–35. IEEE, 2015.