1) Entop
$$\ln \Rightarrow x(y=0 \text{ or ?}) \times \alpha y \longrightarrow \{x, x, \emptyset, \text{MAN}\}$$
2) $\text{unop} \longrightarrow \text{In} \longrightarrow x(\text{unop} \longrightarrow \text{ox} (\text{result})$

EHT = x > y and In >> and null >> In

binop= your > Z

Entop = x > y In > oc hull > In yo x >> Z @ Ent + binop

unrop = ox

Entunop = x > y In >>> hull >In ox ->>

note $Z \rightarrow (\Lambda : Z \rightarrow)C$

where ENT is a simple ENTER step
binop is a simple binary operation step
unrop is a simple unary operation step
ENTOP is a combined ENTER/OPERATION (binary) step
ENTUROP is a combined ENTER/OPERATION (binary) step