



ANALYSIS OF AIRBNB OPEN DATA

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ANALYSIS OF AIRBNB OPEN DATA

COMPANY OVERVIEW:

This American home rental platform is based in San Francisco, which allows people to find an accommodation or rent their place for short term housing in more than 191 countries and 81,000 cities. Airbnb was founded in 2008 by Brian Chesky, Joe Gebbia, and Nathan Blecharczyk. Recently, Airbnb launched open home program which enables hosts to open their house to refugees, travelers and people who are looking for shelter after natural calamity. They have also expanded to business travelers along with multiple amenities. The types of accommodation they offer are for different purpose like vacation budget rooms, luxury rooms and long term rental accommodations. There are multiple new segments started by Airbnb in the last few years making them one of the fastest growing companies. Also leading in the art of storytelling with their variety of data. There are various factors like location, ratings etc. which influence the rate and availability of these rental accommodation.

Introduction

For this project, we have selected Airbnb's Seattle region data. It contains multiple variables related to Airbnb's Seattle rental accommodations. Data set is originally retrieved from Kaggle.com. This project will focus on the analysis of correlation between the price of Airbnb rental accommodation, availability and different factors like location, type of house, amenities provided using Python. The report will also attempt to identifying patterns in Time series analysis over the year, box plots, bar charts which will tell us the average price of the different types of accommodation and few more.

By the end of this analysis, we look forward to understanding how price for the Airbnb rentals varies and what type of accommodations, during what period are more popular. Also, which neighborhoods in Seattle are more popular. The ANOVA and T tests will talk about which of the variables are close or they have significantly different mean.

Data Collection

We start with importing the libraries in python required for this project. Some of them are added as and when required during the analysis.

```
In [74]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from matplotlib import pyplot, pylab
import statistics
from matplotlib.pyplot import *
from matplotlib import pyplot
from pandas.tools.plotting import scatter_matrix
from pandas import Series
from scipy.stats import pearsonr
import statsmodels.api as sm
from statsmodels.formula.api import ols
from statsmodels.stats.anova import anova_lm
from sklearn import linear_model as lm
```

After importing libraries, read the csv file.

```
#read the csv file
listings = pd.read_csv("listings.csv")
listings.head()
```

	id	listing_url	scrape_id	last_scraped	name	summary	space	description	experiences_offered	neighbor
0	241032	https://www.airbnb.com/rooms/241032	20160104002432	2016-01-04	Stylish Queen Anne Apartment	NaN	Make your self at home in this charming one-be...	Make your self at home in this charming one-be...	none	
1	953595	https://www.airbnb.com/rooms/953595	20160104002432	2016-01-04	Bright & Airy Queen Anne Apartment	Chemically sensitive? We've removed the irrita...	Beautiful, hypoallergenic apartment in an extr...	Chemically sensitive? We've removed the irrita...	none	wonderfu

1. We must replace the characters in the price (\$,) before checking the correlation between the variables [using str.replace()], otherwise it will not give us the result including price.
2. Concatenate and create a data frame of all the variables that we are using in this analysis, to understand Airbnb's strategy for price and availability.

Results of data analysis using Python

Descriptive Statistics:

Correlation: The below image shows that:

- ⇒ Beds (no. of beds) and Accommodates (no. of people accommodates) have high correlation.
- ⇒ Price and Bedrooms have high correlation.

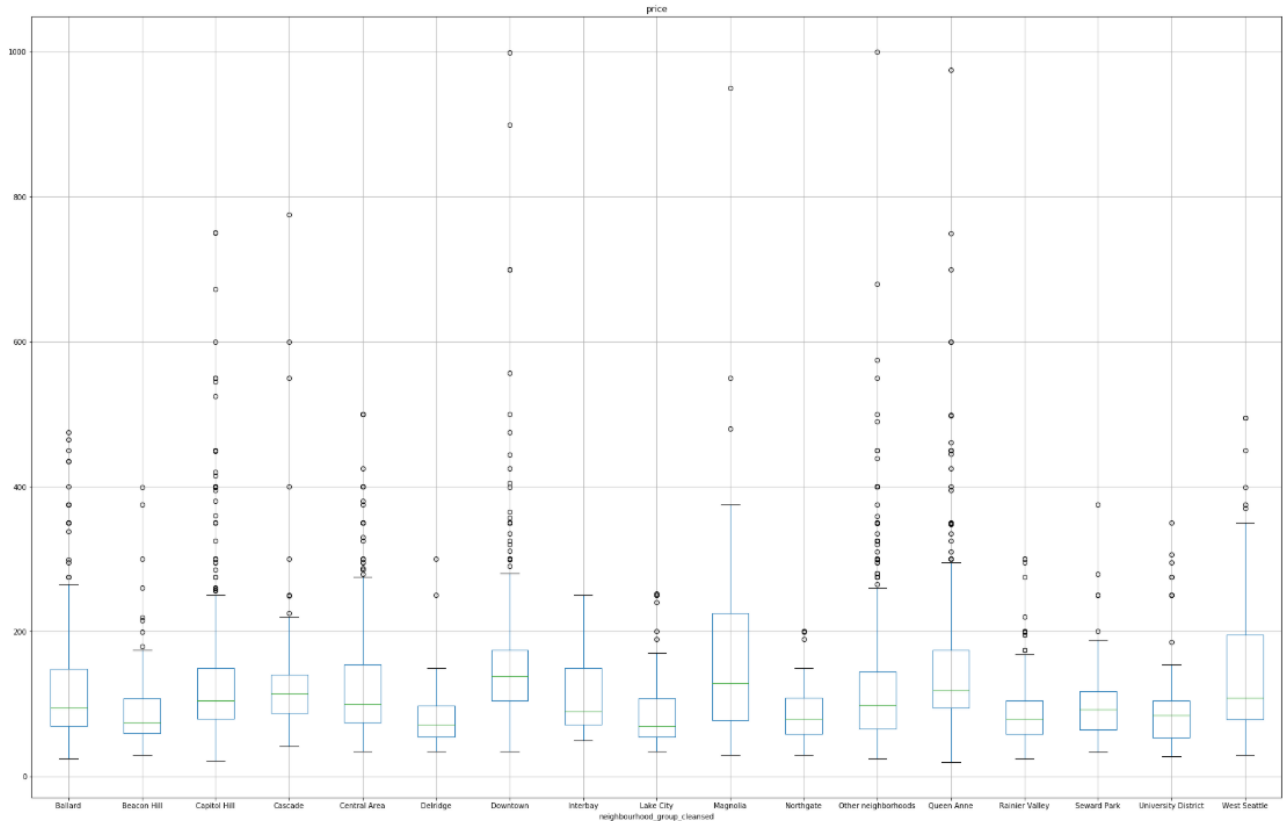
This shows variables price and accommodates have the highest correlation with availability of number of beds and bedrooms.

```
list_cor.corr(method='pearson')
```

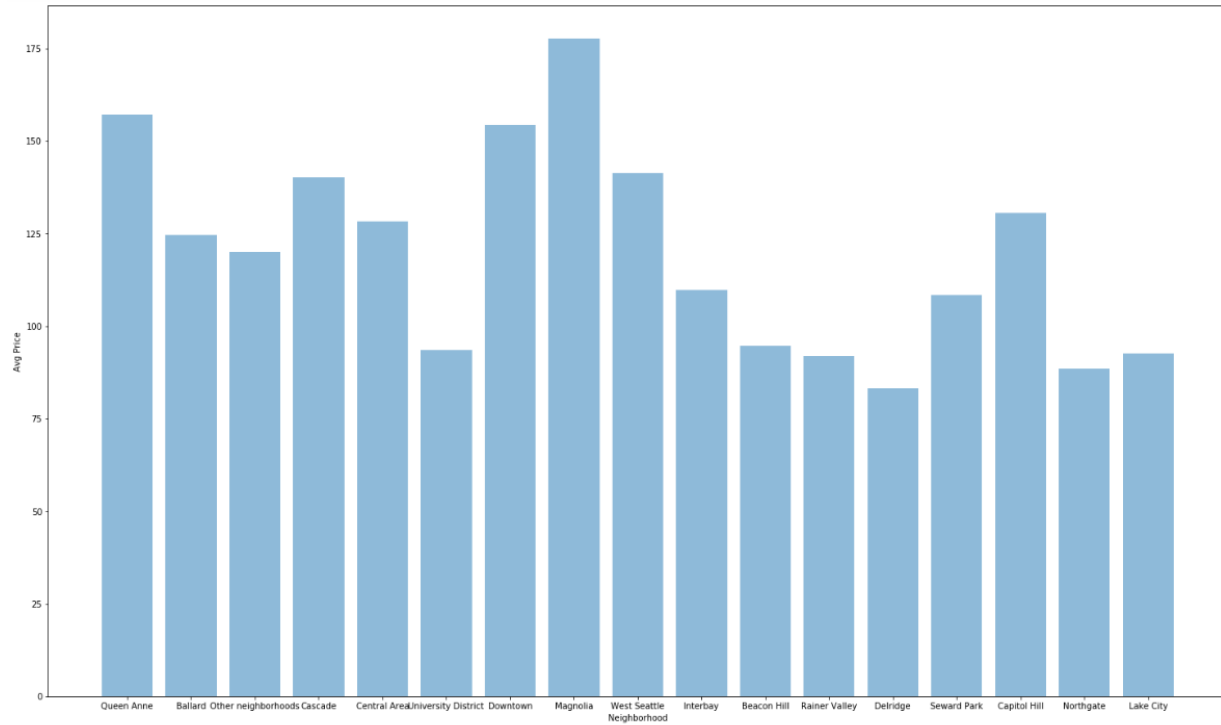
	accommodates	price	availability_365	number_of_reviews	review_scores_rating	bedrooms	bathrooms	beds
accommodates	1.000000	0.652218	-0.031535	-0.072978	-0.013101	0.770974	0.538439	0.861119
price	0.652218	1.000000	-0.015550	-0.124695	0.055551	0.627720	0.516424	0.589525
availability_365	-0.031535	-0.015550	1.000000	0.094273	-0.038600	-0.049788	-0.002326	-0.009773
number_of_reviews	-0.072978	-0.124695	0.094273	1.000000	0.036242	-0.105555	-0.092147	-0.089077
review_scores_rating	-0.013101	0.055551	-0.038600	0.036242	1.000000	0.023257	0.045101	-0.000720
bedrooms	0.770974	0.627720	-0.049788	-0.105555	0.023257	1.000000	0.610937	0.753167
bathrooms	0.538439	0.516424	-0.002326	-0.092147	0.045101	0.610937	1.000000	0.532838
beds	0.861119	0.589525	-0.009773	-0.089077	-0.000720	0.753167	0.532838	1.000000

Box Plot for different neighborhoods: The boxplot grouped by “Neighborhood_group_cleaned”

shows the mean for different neighborhoods in Seattle region. The below boxplot indicates that means are different from each other. Also, there are multiple outliers.



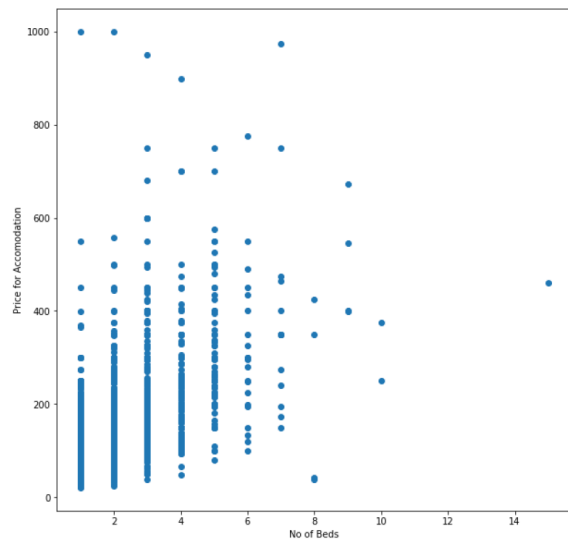
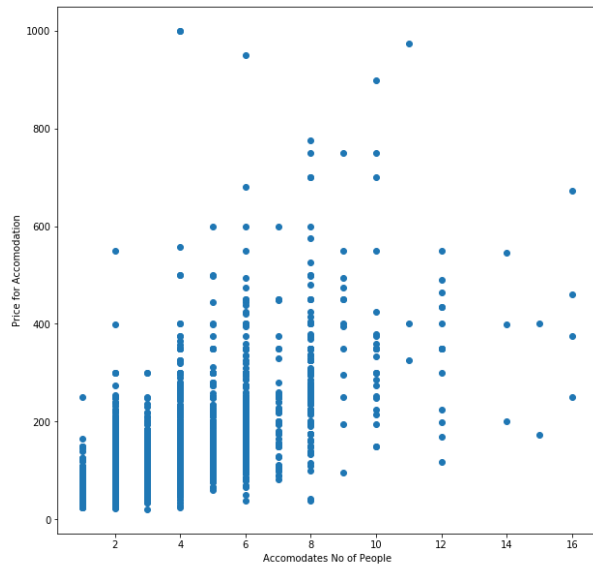
Bar Chart for different neighborhood: Below chart shows us that neighborhood Magnolia has the highest rates and Delridge being the cheapest.



Scatter Plot:

To understand further from correlation that which of the two variables is better correlated we do the scatter plot.

⇒ It shows the relationship between variables Price – Accommodates no of people and Price – No of Beds. Price-Accommodates no of people shows a better correlation in scatter plot than No of beds.



Fitting linear model:

We see there is a better correlation between Price & Accommodates hence we can now fit the linear model and predict price based on the No. of Accommodates. We are using statsmodel's ols estimator to fit the data and create the best fit line.


```
# Fitting the model with Price vs Accommodates

mod_linear = ols('price ~ accommodates',listings).fit()

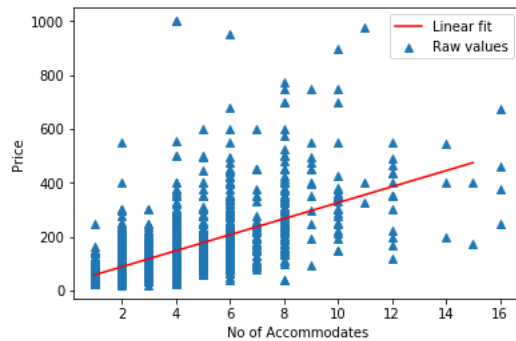
minaccommodates = min(listings['accommodates'])
maxaccommodates = max(listings['accommodates'])
xfit = pd.Series(np.arange(minaccommodates, maxaccommodates, 1),name = 'accommodates')
y_linearfit = mod_linear.predict(xfit)

pyplt.scatter(x,y, marker = "^", label = 'Raw values')
pyplt.plot(xfit,y_linearfit, color='r', label = 'Linear fit')

pyplt.xlabel('No of Accommodates')
pyplt.ylabel('Price')

pyplt.legend()
pyplt.show()

print(mod_linear.summary())
```



```
=====
                        OLS Regression Results
=====
Dep. Variable:          price      R-squared:          0.425
Model:                  OLS        Adj. R-squared:      0.425
Method:                 Least Squares  F-statistic:      2825.
Date:                   Wed, 05 Dec 2018  Prob (F-statistic): 0.00
Time:                   18:33:55      Log-Likelihood:    -21550.
No. Observations:       3818         AIC:              4.310e+04
Df Residuals:           3816         BIC:              4.312e+04
Df Model:               1
Covariance Type:        nonrobust
=====
                        coef      std err          t      P>|t|      [0.025      0.975]
-----
Intercept              28.2823      2.178       12.985      0.000       24.012       32.553
accommodates           29.7647      0.560       53.151      0.000       28.667       30.863
=====
Omnibus:               2904.778      Durbin-Watson:      1.848
Prob(Omnibus):          0.000      Jarque-Bera (JB):    114947.627
Skew:                   3.235      Prob(JB):            0.00
Kurtosis:               29.090      Cond. No.            8.03
=====
```

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

R^2 here accounts for 42.5% variance accounted by the linear model. The lower the variance means farther the data points fall to the fitted line which we see from the scatter plot. Also, the model explains that none or very few of its variability of the response (dependent variable) data is around its mean.

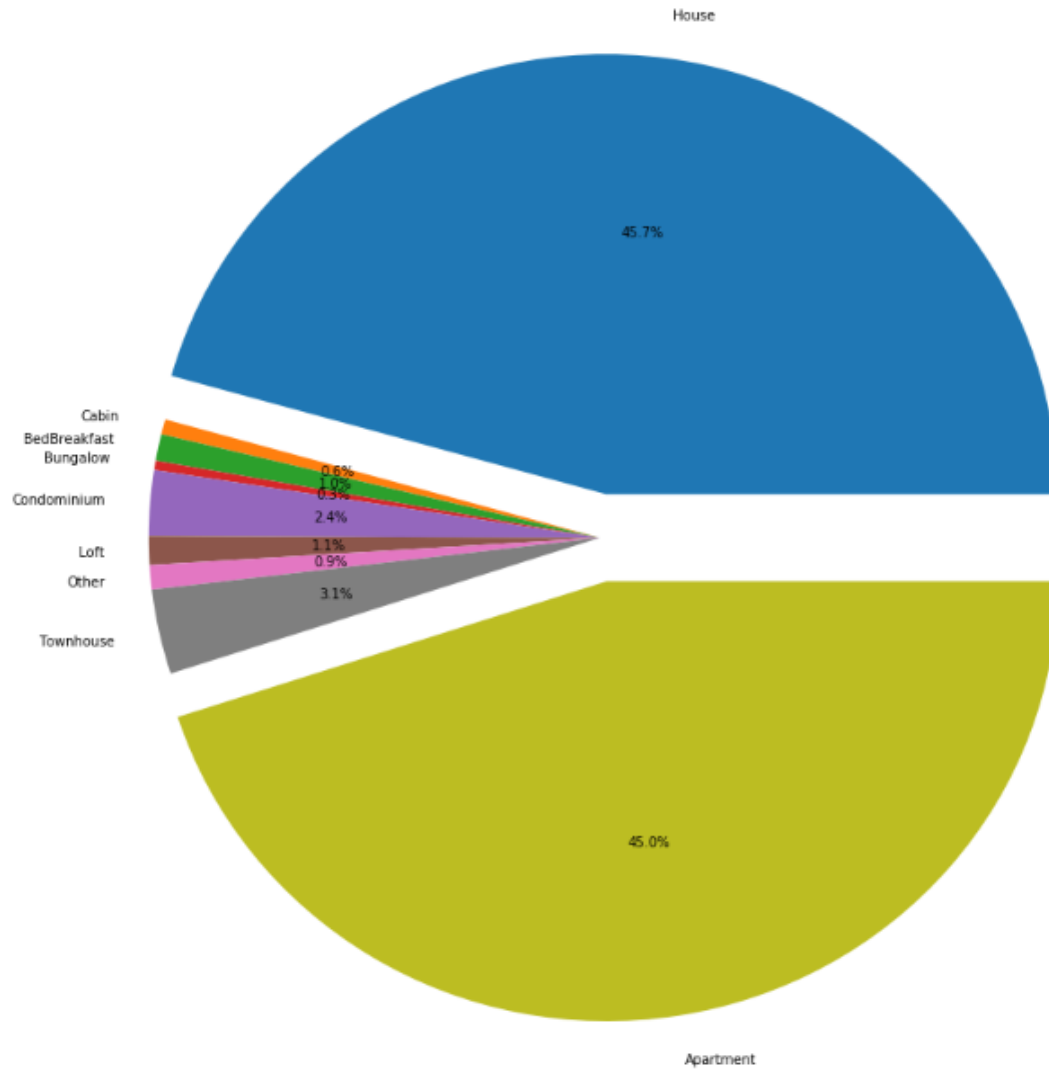
Null hypothesis - H_0 : Slope of the fitted line is equal to zero.

Alternate hypothesis - H_1 : Slope of the fitted line is not equal to zero.

The low p -value here suggests that slope is not equal to zero and the reject the null hypothesis. So, changes in response variable (y) is related to changes in independent variable (x). Price increases as number of accommodates increases.

Pie Chart: The pie chart explains the type and the proportions of these type of accommodations offered in Airbnb. Here it indicates that House and Apartments are offered the most as compared to Cabin, Loft etc.

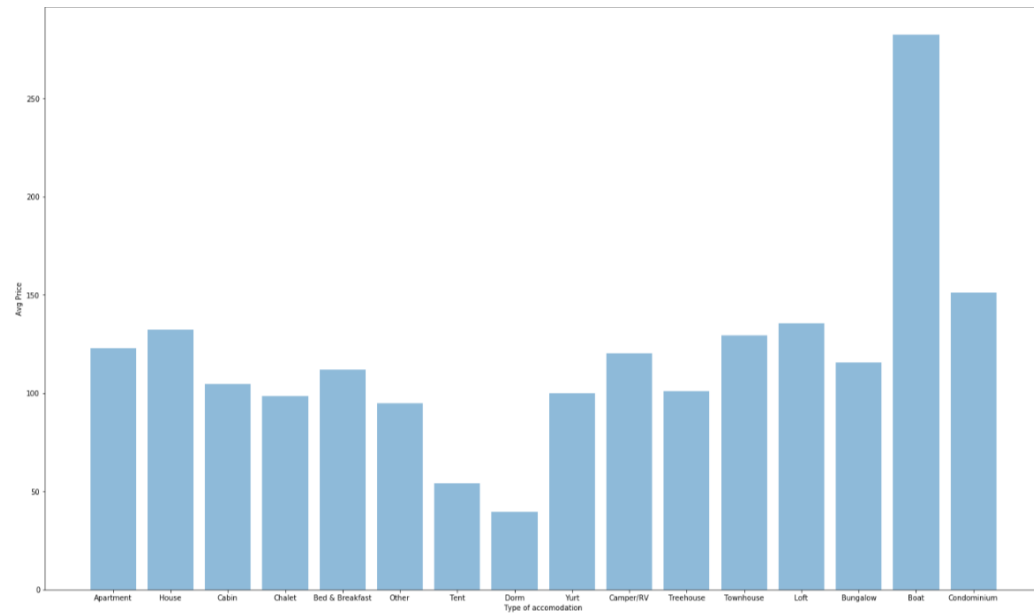
Note: “Other” includes boats, camper/rv, dorm, treehouse, tent, chalet, yurt due to small sample size.



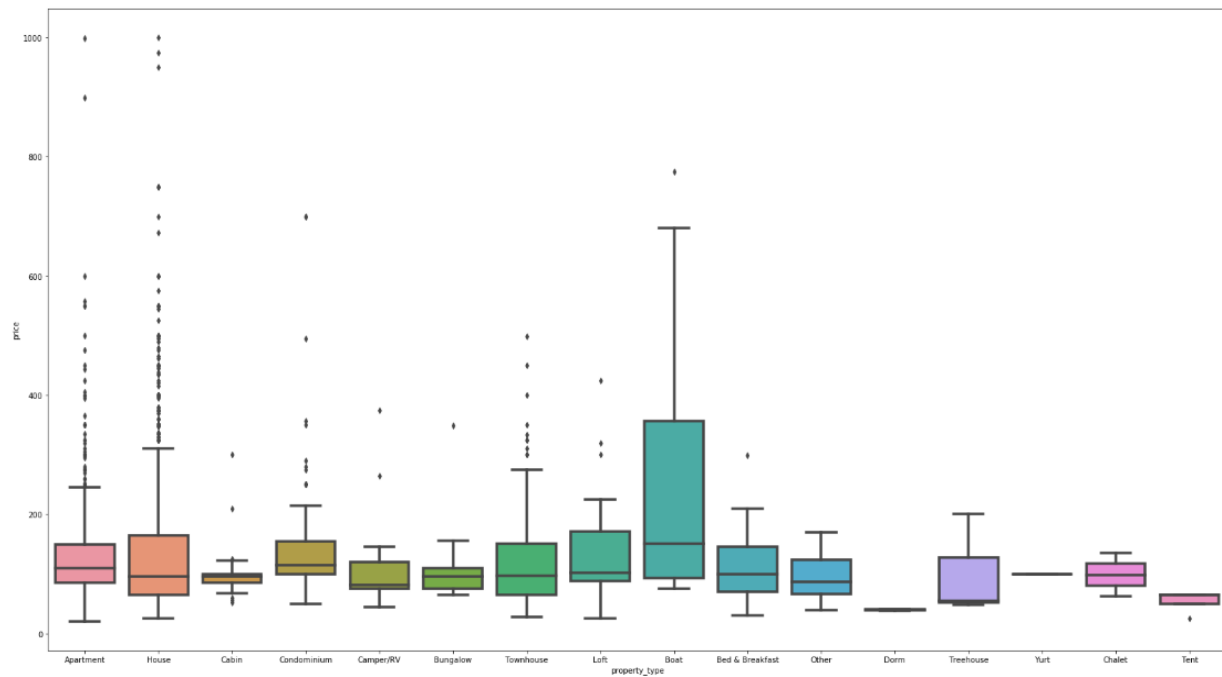
Bar Chart for different property type:

The below bar chart explains the average price for all the types of accommodations available at Airbnb.

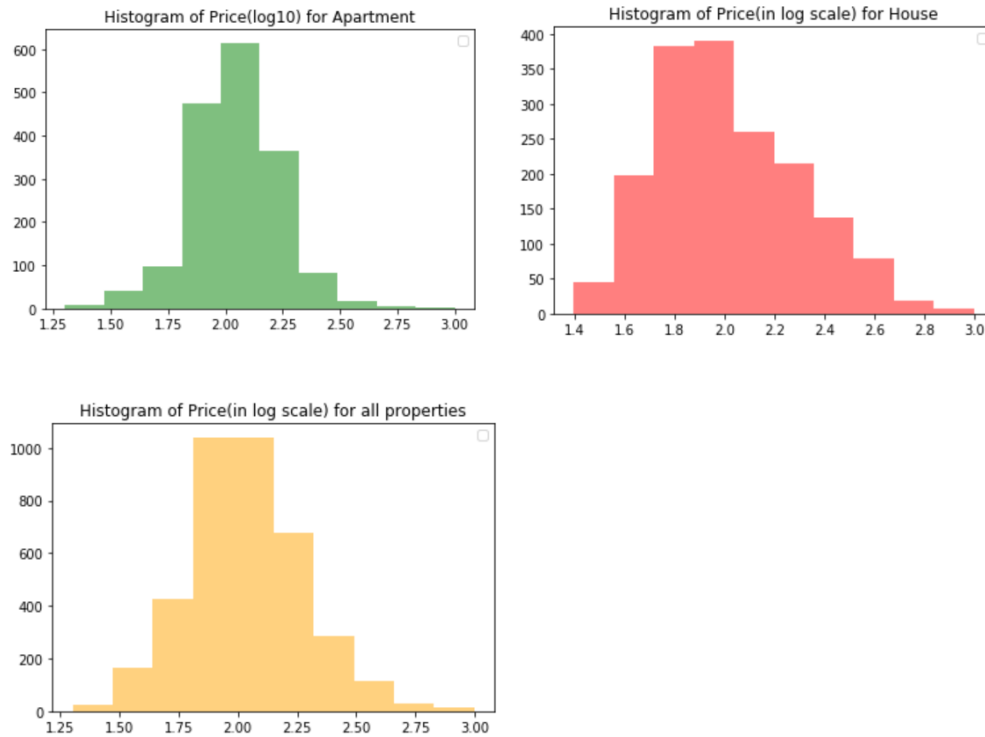
Dorms cost less than \$50 per night whereas Boat cost more than \$250 per night.



Boxplot for different property type: The boxplot below as shows the mean for all the different accommodations are different from one another.



Histogram:



ANOVA:

We create a data frame of all the variables which are needed to run the ANOVA analysis. Note that we are taking log10 of these variables to make the highly skewed variables less skewed.

Axis=1, indicates the axis to concatenate along.

```
In [186]: dfaov = pd.concat([np.log10(listings['price']),listings['neighbourhood_group_cleansed'],listings['property_type'],  
                           listings['accommodates'],listings['room_type']], axis=1)  
dfaov.head()
```

Out[186]:

	price	neighbourhood_group_cleansed	property_type	accommodates	room_type
0	1.929419	Queen Anne	Apartment	4	Entire home/apt
1	2.176091	Queen Anne	Apartment	4	Entire home/apt
2	2.989005	Queen Anne	House	11	Entire home/apt
3	2.000000	Queen Anne	Apartment	3	Entire home/apt
4	2.653213	Queen Anne	House	6	Entire home/apt

Now, run the one-way ANOVA with price against “Property_type” and “Neighbourhood_group_cleaned”

```
In [187]: # One way Anova

model = ols('price ~ C(property_type)+C(neighbourhood_group_cleaned)',dfaov).fit()

aov = sm.stats.anova_lm(model, typ=2)
print(aov)
model.params
print(model.summary())
```

	sum_sq	df	F	PR(>F)
C(property_type)	2.571807	15.0	3.144111	3.749576e-05
C(neighbourhood_group_cleaned)	20.928664	16.0	23.986800	4.254200e-68
Residual	206.402566	3785.0	NaN	NaN

OLS Regression Results

```
=====
Dep. Variable:      price      R-squared:      0.104
Model:              OLS      Adj. R-squared:    0.096
Method:             Least Squares      F-statistic:    14.10
Date:               Mon, 26 Nov 2018    Prob (F-statistic): 8.31e-69
Time:               23:40:55      Log-Likelihood:    151.75
No. Observations:   3817      AIC:              -239.5
Df Residuals:       3785      BIC:              -39.60
Df Model:           31
Covariance Type:    nonrobust
```

As per the ANOVA results of low p-value and large F value, variation in the means for these two variables are large and significantly different from each other. However, it still does not tell us how price is affected with these two variables.

	coef	std err	t	P> t	[0.025	0.975]
Intercept	1.9899	0.017	118.711	0.000	1.957	2.023
C(property_type)[T.Bed & Breakfast]	0.0091	0.039	0.232	0.817	-0.068	0.086
C(property_type)[T.Boat]	0.2615	0.084	3.122	0.002	0.097	0.426
C(property_type)[T.Bungalow]	-0.0005	0.065	-0.008	0.994	-0.128	0.127
C(property_type)[T.Cabin]	0.0088	0.052	0.170	0.865	-0.092	0.110
C(property_type)[T.Camper/RV]	0.0009	0.065	0.014	0.989	-0.127	0.129
C(property_type)[T.Chalet]	-0.0511	0.166	-0.309	0.758	-0.376	0.273
C(property_type)[T.Condominium]	0.0312	0.025	1.236	0.217	-0.018	0.081
C(property_type)[T.Dorm]	-0.5439	0.165	-3.288	0.001	-0.868	-0.220
C(property_type)[T.House]	0.0385	0.009	4.133	0.000	0.020	0.057
C(property_type)[T.Loft]	0.0377	0.038	1.005	0.315	-0.036	0.111
C(property_type)[T.Other]	-0.0781	0.050	-1.554	0.120	-0.177	0.020
C(property_type)[T.Tent]	-0.2007	0.106	-1.901	0.057	-0.408	0.006
C(property_type)[T.Townhouse]	0.0213	0.023	0.930	0.353	-0.024	0.066
C(property_type)[T.Treehouse]	-0.0781	0.135	-0.578	0.564	-0.343	0.187
C(property_type)[T.Yurt]	-0.0500	0.234	-0.213	0.831	-0.509	0.409
C(neighbourhood_group_cleaned)[T.Beacon Hill]	-0.0903	0.027	-3.693	0.000	-0.150	-0.046
C(neighbourhood_group_cleaned)[T.Capitol Hill]	0.0396	0.019	2.130	0.033	0.003	0.076
C(neighbourhood_group_cleaned)[T.Cascade]	0.0671	0.030	2.257	0.024	0.009	0.125
C(neighbourhood_group_cleaned)[T.Central Area]	0.0284	0.020	1.443	0.149	-0.010	0.067
C(neighbourhood_group_cleaned)[T.Delridge]	-0.1369	0.030	-4.489	0.000	-0.197	-0.077
C(neighbourhood_group_cleaned)[T.Downtown]	0.1504	0.020	7.694	0.000	0.112	0.189
C(neighbourhood_group_cleaned)[T.Interbay]	-0.0457	0.073	-0.629	0.529	-0.188	0.097
C(neighbourhood_group_cleaned)[T.Lake City]	-0.1165	0.032	-3.588	0.000	-0.180	-0.053
C(neighbourhood_group_cleaned)[T.Magnolia]	0.1180	0.034	3.504	0.000	0.052	0.184
C(neighbourhood_group_cleaned)[T.Northgate]	-0.1002	0.030	-3.299	0.001	-0.160	-0.041
C(neighbourhood_group_cleaned)[T.Other neighborhoods]	-0.0149	0.018	-0.852	0.394	-0.049	0.019
C(neighbourhood_group_cleaned)[T.Queen Anne]	0.1161	0.021	5.590	0.000	0.075	0.157
C(neighbourhood_group_cleaned)[T.Rainier Valley]	-0.1123	0.024	-4.640	0.000	-0.160	-0.065
C(neighbourhood_group_cleaned)[T.Seward Park]	-0.0597	0.038	-1.552	0.121	-0.135	0.016
C(neighbourhood_group_cleaned)[T.University District]	-0.0969	0.026	-3.674	0.000	-0.149	-0.045
C(neighbourhood_group_cleaned)[T.West Seattle]	0.0601	0.023	2.664	0.008	0.016	0.104

```
=====
Omnibus:           100.320      Durbin-Watson:           1.841
Prob(Omnibus):     0.000      Jarque-Bera (JB):        113.297
Skew:              0.365      Prob(JB):                2.50e-25
Kurtosis:          3.423      Cond. No.                 72.4
```

To get a further clear picture of the analysis, we can run the ANOVA again using price against “property_type”. Creating data frames for price and the types of property which shows similar yet different average price in the bar chart. (House & Apartment, Condo & Townhouse)

```
dfaovtownhouse = pd.concat([np.log10(propth['price']),propth['property_type']], axis=1)
dfaovcondo = pd.concat([np.log10(propCondo['price']),propCondo['property_type']], axis=1)
dfaovapart = pd.concat([np.log10(propapart['price']),propapart['property_type']], axis=1)
dfaovhouse = pd.concat([np.log10(prophouse['price']),prophouse['property_type']], axis=1)

dfaovtownhousecondo = pd.concat([dfaovtownhouse,dfaovcondo], axis = 0)
dfaovaparthouse = pd.concat([dfaovapart,dfaovhouse], axis = 0)
```

ANOVA with Price and property type – Townhouse and Condominium

```
# One way Anova between townhouse and condo
model1 = ols('price ~ C(property_type)',dfaovtownhousecondo).fit()

aov = sm.stats.anova_lm(model1, typ=2)
print(aov)
model1.params
print(model1.summary())
```

	sum_sq	df	F	PR(>F)
C(property_type)	0.390048	1.0	6.048101	0.014742
Residual	13.349620	207.0	NaN	NaN

OLS Regression Results

```
=====
Dep. Variable:      price      R-squared:      0.028
Model:              OLS       Adj. R-squared:    0.024
Method:             Least Squares   F-statistic:    6.048
Date:               Mon, 26 Nov 2018   Prob (F-statistic): 0.0147
Time:                23:42:38   Log-Likelihood: -9.0947
No. Observations:    209       AIC:            22.19
Df Residuals:        207       BIC:            28.87
Df Model:             1
Covariance Type:     nonrobust
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	2.1096	0.027	79.245	0.000	2.057	2.162
C(property_type)[T.Townhouse]	-0.0871	0.035	-2.459	0.015	-0.157	-0.017

```
=====
Omnibus:            10.222   Durbin-Watson:      1.800
Prob(Omnibus):      0.006   Jarque-Bera (JB):    10.687
Skew:                0.554   Prob(JB):            0.00478
Kurtosis:            3.040   Cond. No.            2.00
=====
```

ANOVA with Price and property type – House and Apartment

```
# One way Anova between apartment and house
model2 = ols('price ~ C(property_type)', dfaovaparthouse).fit()

aov = sm.stats.anova_lm(model2, typ=2)
print(aov)
model2.params
print(model2.summary())
```

	sum_sq	df	F	PR(>F)
C(property_type)	0.497538	1.0	8.314709	0.003957
Residual	205.784035	3439.0	NaN	NaN

OLS Regression Results

Dep. Variable:	price	R-squared:	0.002
Model:	OLS	Adj. R-squared:	0.002
Method:	Least Squares	F-statistic:	8.315
Date:	Mon, 26 Nov 2018	Prob (F-statistic):	0.00396
Time:	23:43:13	Log-Likelihood:	-36.452
No. Observations:	3441	AIC:	76.90
Df Residuals:	3439	BIC:	89.19
Df Model:	1		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
Intercept	2.0439	0.006	345.322	0.000	2.032	2.056
C(property_type)[T.House]	-0.0240	0.008	-2.884	0.004	-0.040	-0.008

Omnibus: 108.233 Durbin-Watson: 1.650
Prob(Omnibus): 0.000 Jarque-Bera (JB): 122.063
Skew: 0.412 Prob(JB): 3.12e-27
Kurtosis: 3.416 Cond. No. 2.63

As we already know the means are different for all the variables, the above ANOVA result indicates that means of Apartment and House is different than the means of Townhouse and Condominium.

T – Tests:

We can also run t tests (for population group of only two variables) to check further the means of variables price and different property types. The result shows that, means for the price of the property types house, apartments, townhouse and condominiums are significantly different with lower p-value like our ANOVA result.


```
In [64]: #t test
sm.stats.ttest_ind(np.log10(prophouse['price']),np.log10(propapart['price']))

Out[64]: (-2.88352368234328, 0.003956948167749751, 3439.0)
```

```
In [66]: #t test
sm.stats.ttest_ind(np.log10(propth['price']),np.log10(propCondo['price']))

Out[66]: (-2.4592887313841367, 0.01474167440200136, 207.0)
```

Time Series Analysis:

We start with the time series analysis reading and using the other set of data. Again replace the characters in price (\$,) to run the analysis accurately. Also, replacing “t” as 1 and “f” as 0 to separate and check the means of only the listing id’s which are available.

```
calendar = pd.read_csv("calendar.csv",parse_dates=["date"],index_col="date")

calendar['price'] = calendar['price'].str.replace("$","")
calendar['price'] = calendar['price'].str.replace(",","")
calendar['price'] = calendar['price'].astype(float)

calendar['available']=calendar['available'].str.replace("t","1")
calendar['available']=calendar['available'].str.replace("f","0")
calendar['available'] = calendar['available'].astype(int)

calendar.head()
```

	listing_id	available	price
date			
2016-01-04	241032	1	85.0
2016-01-05	241032	1	85.0
2016-01-06	241032	0	NaN
2016-01-07	241032	0	NaN
2016-01-08	241032	0	NaN

We are only including the data from entire 2016 by specifying the range in the script and ignore Jan 2017 since we only have the data for one month in 2017. ‘D’ = daily

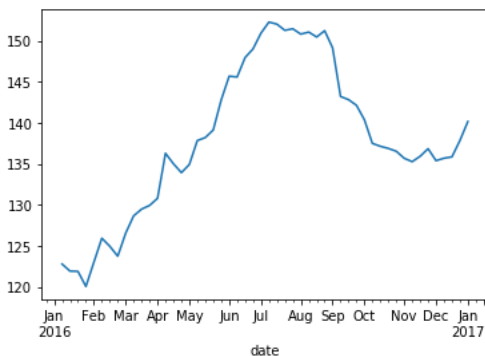
```
#avg price for 2016
calendarnew = calendar["2016-01-01":"2016-12-31"]
calendarnew

calendarnew.price.resample('D').mean()
```

```
#Plotting the avg price over time (Weekly)

%matplotlib inline
calendarnew.price.resample('W').mean().plot()

<matplotlib.axes._subplots.AxesSubplot at 0x23ffac77da0>
```



The above time series plot shows the ‘W’ weekly average price trend for the year 2016. Price is high between July-September. We can also run the ‘D’ daily avg price data and smooth the trend so get a clear idea.

```
#Plotting the avg price over time (Daily)

priceseries = calendarnew.price.resample('D').mean()

pyplt.figure(figsize=(20,10))

pyplt.plot(priceseries, label='Original Avg price')

# Moving avg filter - smoothing original avg price over time
smoothpriceseries = priceseries.rolling(10).mean()

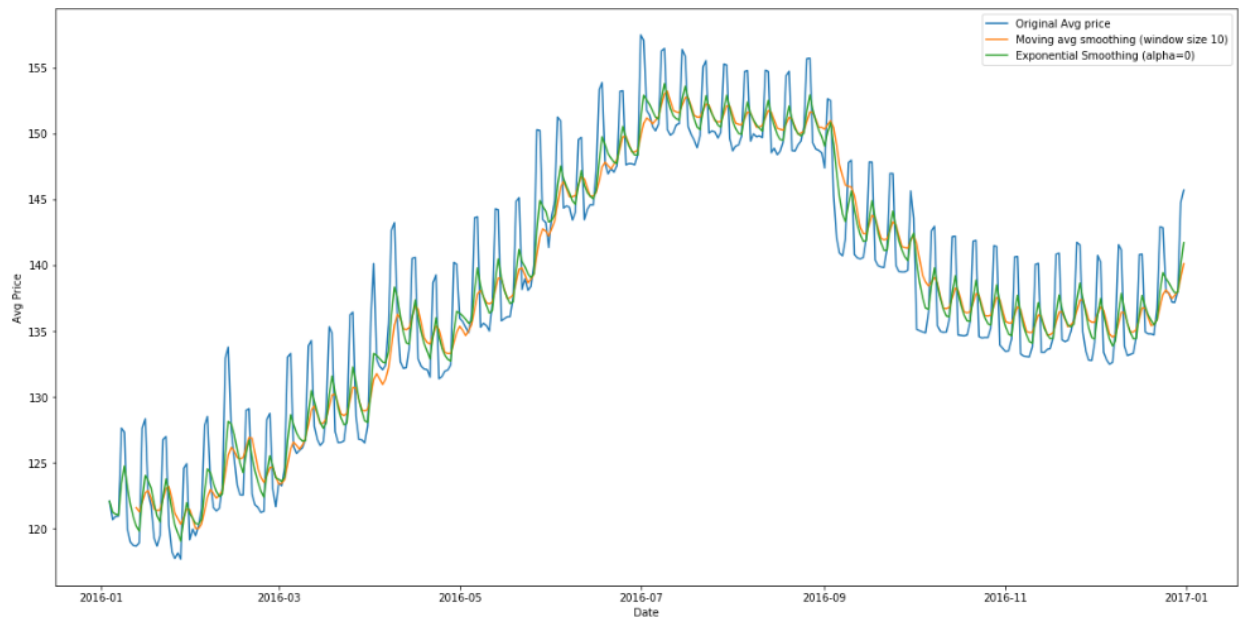
pyplt.plot(smoothpriceseries, label='Moving avg smoothing (window size 10)')

#Exponential Smoothing
expsmoothpriceseries = priceseries.ewm(alpha=0.3).mean()

pyplt.plot(expsmoothpriceseries, label='Exponential Smoothing (alpha=0)')

pyplt.xlabel('Date')
pyplt.ylabel('Avg Price')

addlegend = pyplt.legend()
```



We are using ‘Moving average smoothing’ and ‘Exponential smoothing’ to filter the noise from the data and smooth the time series plot, so that we can look at the trend better. It shows a better trend and increase in average price from end of July 2016 till the beginning of September 2016. Resampling is used when we want the time series in Daily, Weekly or Monthly frequency like what we used here.

For moving average, we have used window size = 10 i.e. Number of observations used to calculate the moving average value. Higher window has an advantage for less noise in the time series. Alpha for the exponential smoothing should be between 0 to 1 and it is the smoothing factor.

We did the Time series for the average price. Now running the time series for availability.

```
In [78]: calendarnew.available.resample('W').mean()
```

```
Out[78]: date
2016-01-10    0.480843
2016-01-17    0.537753
2016-01-24    0.591671
2016-01-31    0.606264
2016-02-07    0.633353
2016-02-14    0.651575
2016-02-21    0.673501
2016-02-28    0.685475
2016-03-06    0.701003
2016-03-13    0.704333
2016-03-20    0.712203
```

```

#Plotting availability over time

availabilitypercentage = 100*calendarnew.available.resample('D').mean()

pyplt.figure(figsize=(20,10))

pyplt.plot(availabilitypercentage, label='Original availability percentage')

# Moving avg filter - smoothing original availability percentage over time
smoothavailpercent = availabilitypercentage.rolling(10).mean()

pyplt.plot(smoothavailpercent, label='Moving avg smoothing (window size 10)')

#Exponential Smoothing
expsmoothavailpercent = availabilitypercentage.ewm(alpha=0.3).mean()

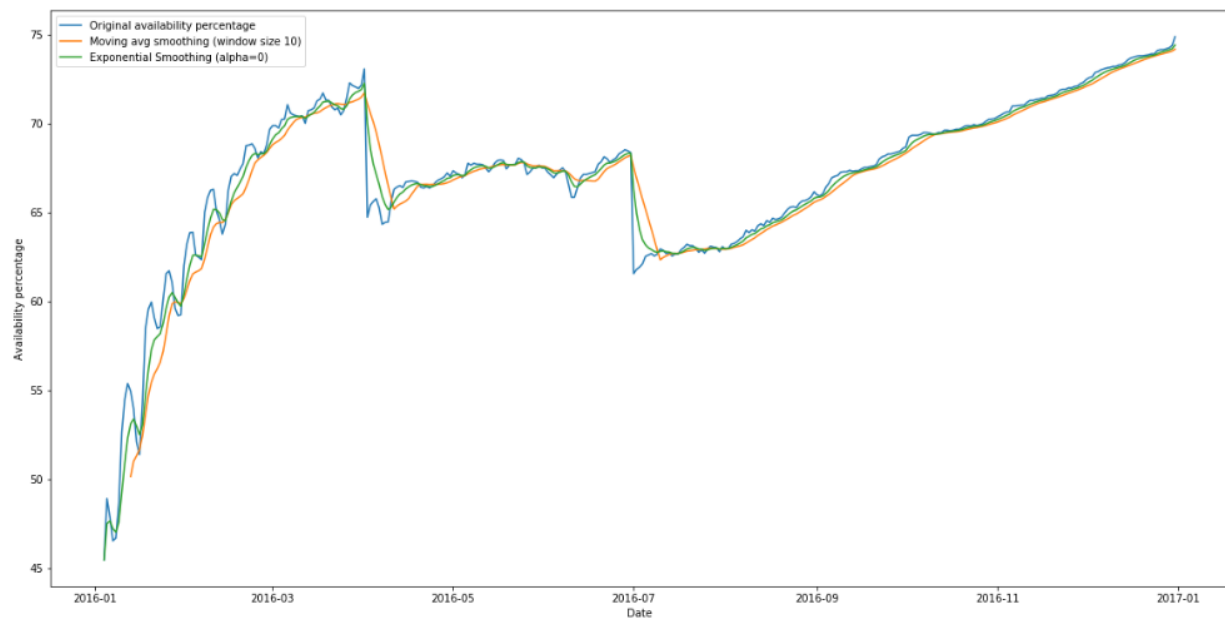
pyplt.plot(expsmoothavailpercent, label='Exponential Smoothing (alpha=0)')

pyplt.xlabel('Date')
pyplt.ylabel('Availability percentage')

addlegend = pyplt.legend()

```

We run the similar Moving average and Exponential smoothing on the time series for availability. The availability is increased during April 2016 and then declined during July. We already saw prices are high during July-Aug and availability is low, which explains the trend for the year 2016.



Conclusion

After looking at Airbnb's data analysis for the year 2016, we can say no. of bedrooms and no. of beds has the highest correlation with the Airbnb price and accommodates (no. of people accommodating). Price changes as and when no. of accommodates changes or there is high or a smaller number of beds and bedrooms.

As per the pie-chart, House (45.7%) and Apartments (45%) are the largest number of property types that are rented out. Bar chart shows that, average price for the house stands at \$132.3 and for the apartments is \$123. Dorms are cheapest with average price of \$39.5 and Boats are the most expensive at \$282.38 per night. Boxplot shows the means for property types and the neighborhoods are different and they have outliers. Bar chart for neighborhoods points out that, Magnolia has the highest rates at \$177.6 and Delridge has cheapest accommodations at \$83. ANOVA result indicates that, the means of Apartment and House is different than the means of Townhouse and Condominium. Similar results can be seen from T tests as well.

Time series analysis indicates the trend for the availability and the trend for price in Airbnb. End of July and beginning of September looks to be the most expensive duration along with the availability percentage dropping during the same time of the year and picking from September.

Reference

- Dataquest. (2017, December 13). Pandas concatenation tutorial. Retrieved from <https://www.dataquest.io/blog/pandas-concatenation-tutorial/>
- Fast Company. (n.d.). Most innovative companies Airbnb. Retrieved from <https://www.fastcompany.com/company/airbnb>
- Jinka, P. (2017, July 22). Exponential smoothing for time series forecasting. Retrieved from <https://www.vividcortex.com/blog/exponential-smoothing-for-time-series-forecasting>
- Kaggle. (n.d.). Seattle Airbnb open data. Retrieved from <https://www.kaggle.com/airbnb/seattle/home>
- Perktold, J., Seabold, S., & Taylor, J. (n.d.). Welcome to statsmodels's documentation. Retrieved from <https://www.statsmodels.org/stable/index.html>
- Python Spot. (n.d.) Python tutorials. Retrieved from <https://pythonspot.com/matplotlib-bar-chart/>
- The Minitab Blog. (2013, July 01). How to interpret regression analysis results: P-values and coefficients. Retrieved from <http://blog.minitab.com/blog/adventures-in-statistics-2/how-to-interpret-regression-analysis-results-p-values-and-coefficients>

Coding:

```
# coding: utf-8

# In[375]:
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from matplotlib import pyplot, pylab
import statistics
from matplotlib.pyplot import *
from matplotlib import pyplot
from pandas.tools.plotting import scatter_matrix
from pandas import Series
from scipy.stats import pearsonr
import statsmodels.api as sm
from statsmodels.formula.api import ols
from statsmodels.stats.anova import anova_lm
from sklearn import linear_model as lm
import seaborn
from matplotlib import rcParams

# In[376]:
#read the csv file

listings = pd.read_csv("listings.csv")
listings.head()
```

```
# In[377]:
```

```
#replace the $ to calculate further.
```

```
listings['price'] = listings['price'].str.replace("$", "")
```

```
listings['price'] = listings['price'].str.replace(",", "")
```

```
listings['price'] = listings['price'].astype(float)
```

```
listings['price'].head()
```

```
# In[378]:
```

```
#Concatenate
```

```
data1 = pd.concat([listings['accommodates'],listings['price'],listings['availability_365'],  
listings['number_of_reviews'],listings['review_scores_rating'],listings['bedrooms'],listings  
['bathrooms'],listings['beds']],axis =1)
```

```
data1.head()
```

```
# In[379]:
```

```
list_cor = pd.DataFrame(data = data1)
```

```
list_cor.head()
```

```
# In[380]:
```

```
type(list_cor['price'])
```

```
# In[381]:
```

```
list_cor.corr(method='pearson')
```

```
# In[382]:
```

```
#boxplot for different neighborhood.
```

```
listings.boxplot(column='price',by= 'neighbourhood_group_cleansed', figsize=(30,20))
```



```
# In[501]:  
#box plot using library seaborn  
  
seaborn.boxplot(x="neighbourhood_group_cleansed", y="price", data=listings,  
linewidth=2.5)  
rcParams['figure.figsize'] = 23.5,15  
pyplt.show()
```

```
# In[384]:  
# Multivariate plots to check relation between the variables
```

```
newlist = list_cor.iloc[:,[0,1,2,3,4,5,6,7]]  
axes = pd.plotting.scatter_matrix(newlist, alpha=0.90)  
pyplt.tight_layout()  
pyplt.show()
```

```
# In[385]:  
#scatter plot  
y=listings['price']  
x=listings['accommodates']  
pyplt.figure(figsize=(10,10))  
  
pyplt.scatter(x,y)  
pyplt.xlabel("Accommodates No of People")  
pyplt.ylabel("Price for Accommodation")  
pyplt.show()
```

```

# In[386]:
#scatter plot
y1=listings['price']
x1=listings['beds']
pyplt.figure(figsize=(10,10))
pyplt.scatter(x1,y1)
pyplt.xlabel("No of Beds")
pyplt.ylabel("Price for Accomodation")
pyplt.show()

# In[451]:
# Fitting the model with Price vs Accommodates

mod_linear = ols('price ~ accommodates',listings).fit()
minaccommodates = min(listings['accommodates'])
maxaccommodates = max(listings['accommodates'])
xfit = pd.Series(np.arange(minaccommodates, maxaccommodates, 1),name =
'accommodates')
y_linearfit = mod_linear.predict(xfit)
pyplt.scatter(x,y, marker = "^", label = 'Raw values')
pyplt.plot(xfit,y_linearfit, color='r', label = 'Linear fit')

pyplt.xlabel('No of Accommodates')
pyplt.ylabel('Price')

pyplt.legend()
pyplt.show()
print(mod_linear.summary())

```

```
# In[388]:
```

```
proptype = listings['property_type']  
total = proptype.size  
total
```

```
# In[389]:
```

```
noofapart = np.sum(proptype.str.count('Apartment'))  
print(noofapart)
```

```
# In[390]:
```

```
noofcabin = np.sum(proptype.str.count('Cabin'))
```

```
# In[391]:
```

```
noofhouse = np.sum(proptype.str.count('House'))
```

```
# In[392]:
```

```
noofLoft = np.sum(proptype.str.count('Loft'))
```

```
# In[393]:
```

```
noofBedBreakfast = np.sum(proptype.str.count('Bed & Breakfast'))
```

```
# In[394]:
```

```
noofOther = np.sum(proptype.str.count('Other')) +  
np.sum(proptype.str.count('Dorm'))+np.sum(proptype.str.count('Treehouse'))+np.sum(pro  
perty.str.count('Tent'))+np.sum(proptype.str.count('Chalet'))
```

```
+np.sum(proptype.str.count('Camper/RV'))+np.sum(proptype.str.count('Boat'))+np.sum(p
roptype.str.count('Yurt'))
```

```
# In[395]:
```

```
noofBungalow = np.sum(proptype.str.count('Bungalow'))
```

```
# In[396]:
```

```
noofTownhouse = np.sum(proptype.str.count('Townhouse'))
```

```
# In[397]:
```

```
noofCondominium = np.sum(proptype.str.count('Condominium'))
```

```
# In[398]:
```

```
#other includes boats,camper/rv,dorm,treehouse,tent,chalet,yurt due to small sample size.
```

```
sizes =
```

```
[noofhouse,noofcabin,noofBedBreakfast,noofBungalow,noofCondominium,noofLoft,noo
fOther,
```

```
noofTownhouse,noofapart]
```

```
Label =
```

```
['House','Cabin','BedBreakfast','Bungalow','Condominium','Loft','Other','Townhouse','Ap
artment']
```

```
explode = (0.1,0,0,0,0,0,0,0,0,0.1)
```

```
pyplt.figure(figsize=(15,15))
```

```
pyplt.pie(sizes ,labels = Label, explode=explode, autopct='% 1.1f%% %')
```

```
pyplt.show()
```

```
# In[399]:
```

```
#Calculating mean for thhe price of different property type
```

```
prophouse = listings[listings['property_type'] == 'House']
```

```
# In[400]:
```

```
np.mean(prophouse['price'])
```

```
# In[401]:
```

```
propapart = listings[listings['property_type'] == 'Apartment']
```

```
# In[402]:
```

```
np.mean(propapart['price'])
```

```
# In[403]:
```

```
proptent = listings[listings['property_type'] == 'Tent']
```

```
# In[404]:
```

```
np.mean(proptent['price'])
```

```
# In[405]:
```

```
propbedbrk = listings[listings['property_type'] == 'Bed & Breakfast']
```

```
# In[406]:
```

```
np.mean(propbedbrk['price'])
```

```
# In[407]:
```

```
propboat = listings[listings['property_type'] == 'Boat']
```

```
# In[408]:
```

```
np.mean(propboat['price'])
```

```
# In[409]:
```

```
propbungalow = listings[listings['property_type'] == 'Bungalow']
```

```
# In[410]:
```

```
np.mean(propbungalow['price'])
```

```
# In[411]:
```

```
propcabin = listings[listings['property_type'] == 'Cabin']
```

```
# In[412]:
```

```
np.mean(propcabin['price'])
```

```
# In[413]:
```

```
propchalet = listings[listings['property_type'] == 'Chalet']
```

```
# In[414]:
```

```
np.mean(propchalet['price'])
```

```
# In[415]:
```

```
propCamperRV = listings[listings['property_type'] == 'Camper/RV']
```

```
# In[416]:
```

```
np.mean(propCamperRV['price'])
```

```
# In[417]:
```

```
propCondo = listings[listings['property_type'] == 'Condominium']
```

```
# In[418]:
```

```
np.mean(propCondo['price'])
```

```
# In[419]:
```

```
propth = listings[listings['property_type'] == 'Townhouse']
```

```
# In[420]:
```

```
np.mean(propth['price'])
```

```
# In[421]:
```

```
proploft = listings[listings['property_type'] == 'Loft']
```

```
# In[422]:
```

```
np.mean(proploft['price'])
```

```
# In[423]:
```

```
propdorm = listings[listings['property_type'] == 'Dorm']
```

```
# In[424]:
```

```
np.mean(propdorm['price'])
```

```
# In[425]:
```

```
proptreeh = listings[listings['property_type'] == 'Treehouse']
```

```
# In[426]:
```

```
np.mean(proptreeh['price'])
```

```
# In[427]:
```

```
propyurt = listings[listings['property_type'] == 'Yurt']
```

```
# In[428]:
```

```
np.mean(propyurt['price'])
```

```
# In[429]:
```

```
propoth = listings[listings['property_type'] == 'Other']
```

```
# In[430]:
```

```
np.mean(propoth['price'])
```



```

# In[431]:
# Bar chart for different property type.

typeaccomodation = ('Apartment', 'House', 'Cabin', 'Chalet', 'Bed & Breakfast', 'Other',
'Tent','Dorm','Yurt','Camper/RV','Treehouse',
    'Townhouse','Loft','Bungalow','Boat','Condominium')
series = np.arange(len(typeaccomodation))

meanprice =
[np.mean(propapart['price']),np.mean(prophouse['price']),np.mean(propcabin['price']),np.
mean(propchalet['price']),

np.mean(propbedbrk['price']),np.mean(propoth['price']),np.mean(proptent['price']),np.me
an(propdorm['price']),

np.mean(propyurt['price']),np.mean(propCamperRV['price']),np.mean(proptreeh['price']),
np.mean(propth['price']),

np.mean(proploft['price']),np.mean(propbungalow['price']),np.mean(propboat['price']),np.
mean(propCondo['price'])]

pyplt.figure(figsize=(25,15))

pyplt.bar(series, meanprice, align='center', alpha=0.5)
pyplt.xticks(series, typeaccomodation)

pyplt.xlabel('Type of accomodation')
pyplt.ylabel('Avg Price')
pyplt.show()

```

```

# In[468]:
queenan = listings[listings['neighbourhood_group_cleansed']=='Queen Anne']
np.mean(queenan['price'])

# In[469]:
ballard = listings[listings['neighbourhood_group_cleansed']=='Ballard']
np.mean(ballard['price'])

# In[470]:
others = listings[listings['neighbourhood_group_cleansed']=='Other neighborhoods']
np.mean(others['price'])

# In[471]:

cascade = listings[listings['neighbourhood_group_cleansed']=='Cascade']
np.mean(cascade['price'])

# In[472]:

central = listings[listings['neighbourhood_group_cleansed']=='Central Area']
np.mean(central['price'])

# In[473]:

university = listings[listings['neighbourhood_group_cleansed']=='University District']
np.mean(university['price'])

```

```
# In[474]:
```

```
downtown = listings[listings['neighbourhood_group_cleansed']=='Downtown']  
np.mean(downtown['price'])
```

```
# In[475]:
```

```
magnolia = listings[listings['neighbourhood_group_cleansed']=='Magnolia']  
np.mean(magnolia['price'])
```

```
# In[476]:
```

```
wseattle = listings[listings['neighbourhood_group_cleansed']=='West Seattle']  
np.mean(wseattle['price'])
```

```
# In[477]:
```

```
Ibay = listings[listings['neighbourhood_group_cleansed']=='Interbay']  
np.mean(Ibay['price'])
```

```
# In[478]:
```

```
bhill = listings[listings['neighbourhood_group_cleansed']=='Beacon Hill']  
np.mean(bhill['price'])
```

```
# In[479]:
```

```
rainier = listings[listings['neighbourhood_group_cleansed']=='Rainier Valley']  
np.mean(rainier['price'])
```

```
# In[480]:
```

```
delr = listings[listings['neighbourhood_group_cleansed']=='Delridge']  
np.mean(delr['price'])
```

```
# In[481]:
```

```
seward = listings[listings['neighbourhood_group_cleansed']=='Seward Park']  
np.mean(seward['price'])
```

```
# In[482]:
```

```
chill = listings[listings['neighbourhood_group_cleansed']=='Capitol Hill']  
np.mean(chill['price'])
```

```
# In[483]:
```

```
ngate = listings[listings['neighbourhood_group_cleansed']=='Northgate']  
np.mean(ngate['price'])
```

```
# In[484]:
```

```
lake = listings[listings['neighbourhood_group_cleansed']=='Lake City']  
np.mean(lake['price'])
```

```
# In[485]:
```

```
# Bar chart for different neighbourhoods
```

```
area = ('Queen Anne', 'Ballard','Other neighborhoods','Cascade', 'Central Area',  
'University District', 'Downtown', 'Magnolia','West Seattle','Interbay',  
        'Beacon Hill','Rainer Valley','Delridge','Seward Park','Capitol Hill','Northgate','Lake  
City')
```

```
series = np.arange(len(area))
```

```
meanpricearea =  
[np.mean(queenan['price']),np.mean(ballard['price']),np.mean(others['price']),np.mean(cas  
cade['price']),
```

```
np.mean(central['price']),np.mean(university['price']),np.mean(downtown['price']),np.me  
an(magnolia['price']),
```

```
np.mean(wseattle['price']),np.mean(Ibay['price']),np.mean(bhill['price']),np.mean(rainier['  
price']),
```

```
np.mean(delr['price']),np.mean(seward['price']),np.mean(chill['price']),np.mean(ngate['pri  
ce']),np.mean(lake['price'])]
```

```
pyplt.figure(figsize=(25,15))
```

```
pyplt.bar(series, meanpricearea, align='center', alpha=0.5)
```

```
pyplt.xticks(series, area)
```

```
pyplt.xlabel('Neighborhood')
pyplt.ylabel('Avg Price')
pyplt.show()
# In[498]:
```

```
#Boxplot for property type
```

```
seaborn.boxplot(x="property_type", y="price", data=listings, linewidth=3.5)
rcParams['figure.figsize'] = 27.5,15.5
pyplt.show()
```

```
# In[433]:
```

```
dfaov =
pd.concat([np.log10(listings['price']),listings['neighbourhood_group_cleansed'],listings['p
roperty_type'],
          listings['accommodates'],listings['room_type']], axis=1)
dfaov.head()
```

```
# In[434]:
```

```
# One way Anova
```

```
model = ols('price ~ C(property_type)+C(neighbourhood_group_cleansed)',dfaov).fit()
```

```
aov = sm.stats.anova_lm(model, typ=2)
print(aov)
model.params
print(model.summary())
```

```

# In[435]:

dfaovtownhouse = pd.concat([np.log10(propth['price']),propth['property_type']], axis=1)

dfaovcondo = pd.concat([np.log10(propCondo['price']),propCondo['property_type']],
axis=1)

dfaovapart = pd.concat([np.log10(propapart['price']),propapart['property_type']], axis=1)

dfaovhouse = pd.concat([np.log10(prophouse['price']),prophouse['property_type']],
axis=1)

dfaovtownhousecondo = pd.concat([dfaovtownhouse,dfaovcondo], axis = 0)

dfaovaparthouse = pd.concat([dfaovapart,dfaovhouse], axis = 0)

# In[436]:

# One way Anova between townhouse and condo

modell = ols('price ~ C(property_type)',dfaovtownhousecondo).fit()

aov = sm.stats.anova_lm(modell, typ=2)
print(aov)
modell.params
print(modell.summary())

```

```
# In[437]:
```

```
# One way Anova between apartment and house
```

```
model2 = ols('price ~ C(property_type)',dfaovaparthouse).fit()
```

```
aov = sm.stats.anova_lm(model2, typ=2)
```

```
print(aov)
```

```
model2.params
```

```
print(model2.summary())
```

```
# In[438]:
```

```
#t test
```

```
sm.stats.ttest_ind(np.log10(prophouse['price']),np.log10(propapart['price']))
```

```
# In[439]:
```

```
#t test
```

```
sm.stats.ttest_ind(np.log10(propth['price']),np.log10(propCondo['price']))
```

```
# In[459]:
```

```
nbins = 5
```

```
n, bins, patches = pyplot.hist(dfaovapart['price'], facecolor='green', alpha=0.5)
```

```
title("Histogram of Price(in log scale) for Apartment")
```

```
legend()
```

```
pyplot.show()
```



```
# In[458]:
```

```
nbins = 5
n, bins, patches = pyplot.hist(dfaovhouse['price'], facecolor='red', alpha=0.5)
title("Histogram of Price(in log scale) for House")
legend()
pyplot.show()
```

```
# In[456]:
```

```
nbins = 5
n, bins, patches = pyplot.hist(np.log10(listings['price']), facecolor='orange', alpha=0.5)
title("Histogram of Price(in log scale) for all properties")
legend()
pyplot.show()
```

```
# In[444]:
```

```
calendar = pd.read_csv("calendar.csv", parse_dates=["date"], index_col="date")
calendar['price'] = calendar['price'].str.replace("$", "")
calendar['price'] = calendar['price'].str.replace(",", "")
calendar['price'] = calendar['price'].astype(float)

calendar['available'] = calendar['available'].str.replace("t", "1")
calendar['available'] = calendar['available'].str.replace("f", "0")
calendar['available'] = calendar['available'].astype(int)

calendar.head()
```

```
# In[445]:
```

```
#avg price for 2016
```

```
calendarnew = calendar["2016-01-01":"2016-12-31"]
```

```
calendarnew
```

```
calendarnew.price.resample('D').mean()
```

```
# In[446]:
```

```
#Plotting the avg price over time (Weekly)
```

```
get_ipython().run_line_magic('matplotlib', 'inline')
```

```
calendarnew.price.resample('W').mean().plot()
```

```
# In[447]:
```

```
#Plotting the avg price over time (Daily)
```

```
priceseries = calendarnew.price.resample('D').mean()
```

```
pyplt.figure(figsize=(20,10))
```

```
pyplt.plot(priceseries, label='Original Avg price')
```

```
# Moving avg filter - smoothing original avg price over time
```

```
smoothpriceseries = priceseries.rolling(10).mean()
```

```
pyplt.plot(smoothpriceseries, label='Moving avg smoothing (window size 10)')
```

```
#Exponential Smoothing
expsmoothpriceseries = priceseries.ewm(alpha=0.3).mean()

pyplt.plot(expsmoothpriceseries, label='Exponential Smoothing (alpha=0)')

pyplt.xlabel('Date')
pyplt.ylabel('Avg Price')
addlegend = pyplt.legend()
```

```
# In[448]:
```

```
calendarnew.available.resample('W').mean()
```

```
# In[449]:
```

```
get_ipython().run_line_magic('matplotlib', 'inline')
availabilitypercentage = 100*calendarnew.available.resample('W').mean()
availabilitypercentage.plot()
```

```
# In[450]:
```

```
#Plotting availability over time
```

```
availabilitypercentage = 100*calendarnew.available.resample('D').mean()
```

```
pyplt.figure(figsize=(20,10))
```

```
pyplt.plot(availabilitypercentage, label='Original availability percentage')

# Moving avg filter - smoothing original availability percentage over time
smoothavailpercent = availabilitypercentage.rolling(10).mean()

pyplt.plot(smoothavailpercent, label='Moving avg smoothing (window size 10)')

#Exponential Smoothing
expsmoothavailpercent = availabilitypercentage.ewm(alpha=0.3).mean()

pyplt.plot(expsmoothavailpercent, label='Exponential Smoothing (alpha=0)')

pyplt.xlabel('Date')
pyplt.ylabel('Availability percentage')

addlegend = pyplt.legend()
```