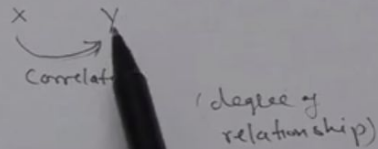


CORRELATION

Definition:- The relationship between two Variables such that a change in one Variable results in a positive or negative change in the other Variable and also a greater change in one Variable results in corresponding greater and or smaller change in other Variable is known as correlation.



Example:-

- ① Advertisement and sales Positive correlation
- ② Price and Demand Negative correlation
- ③ Income and Expenditure Positive
- ④ competition and sales Negative
- ⑤ Price and supply positive

Types of correlation

① Positive Correlation

X	Y
↑	↑
↓	↓

② Negative correlation

X	Y
↓	↓
↑	↑

The degree to which the two Variables are interrelated is measured by a coefficient which is called the coefficient of correlation.

It summarizes in one figure the DIRECTION and DEGREE of CORRELATION.

The coefficient of correlation between two Variables x and y is generally denoted by r .

Properties of coefficient of correlation

- ① $-1 \leq r \leq 1$
- ② $r = -1$ Perfect -ive correlation
 $r = +1$ Perfect +ive correlation
 $r = 0$ No correlation
- ③ r is a pure no. (does not depend on units of variable)

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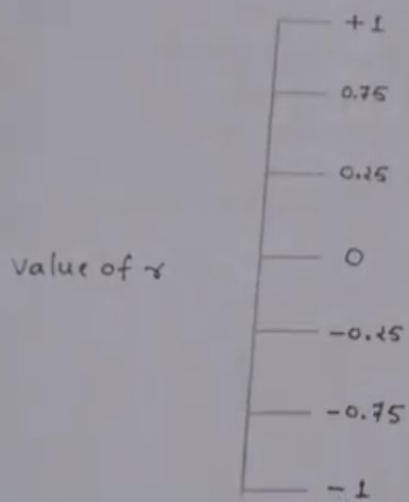
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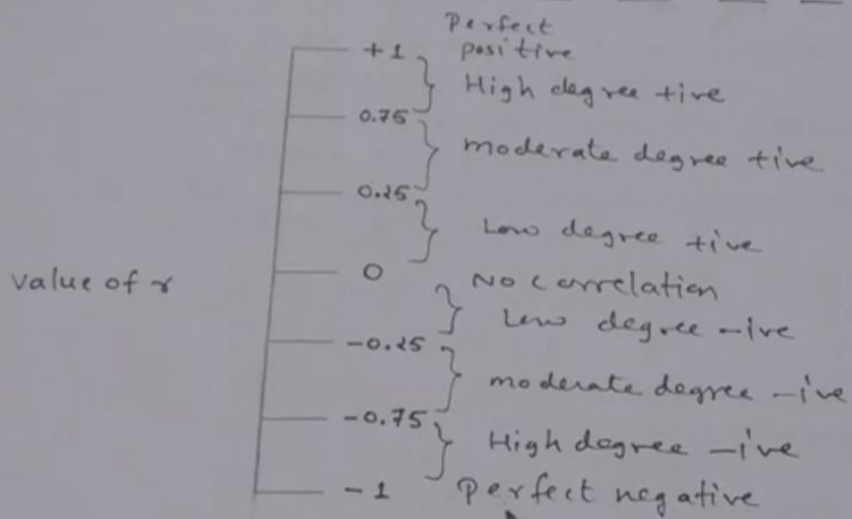
- ① $-1 \leq r \leq 1$
- ② $r = -1$ Perfect -ive correlation
 $r = +1$ Perfect +ive correlation
 $r = 0$ No correlation
- ③ r is a pure no. (does not depend on units of variable)
- ④ r is Independent of change of origin and change of scale.

-1 to +1 means $-1 \leq r \leq +1$

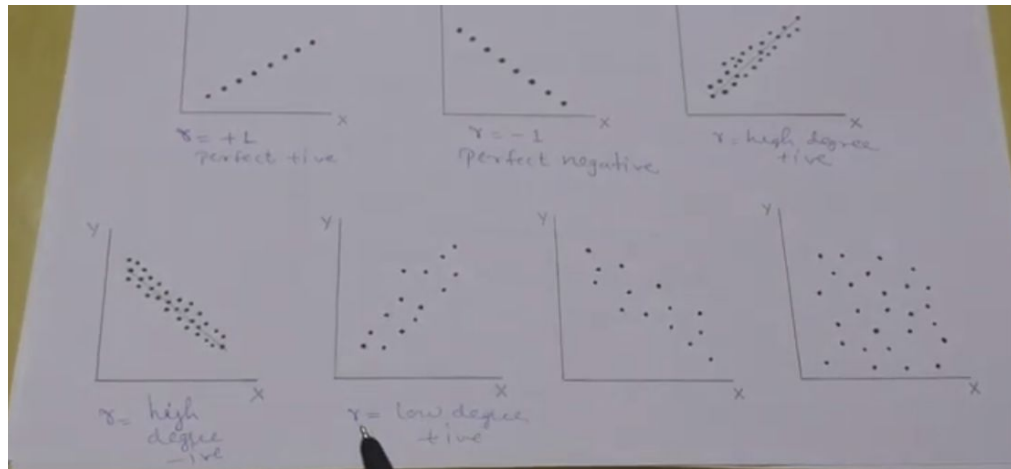
Interpretation of Value of coefficient of correlation (r)



Interpretation of Value of coefficient of correlation (r)



It is a graphical method of showing correlation between x and y variables :-



... whose respective mean is known as covariance.

Covariance, $\text{cov}(x, y) = \frac{\sum (x - \bar{x})(y - \bar{y})}{n}$

Var. = $(S.D.)^2$

Covariance	Correlation Coefficient
① Degree of relationship	① ✓
② cov. 0, -ve, +ve	② ✓
③ absolute (depends on units of variable)	③ r is a pure no. (r is independent of units of variable)

Q. what will be we prefer? ————

(Coefficient of Correlation)

set from their respective mean is known as covariance.

$$\text{Covariance, } \text{cov}(x, y) = \frac{\sum (x - \bar{x})(y - \bar{y})}{n}$$

Covariance



①

Correlation Coefficient



①