

Comparison of Angles and Sides of Trapezium Using Matrices and lines

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I. ABSTRACT

Comparison of Angles and Sides of Trapezium.

A,B,C and D are the Vertices of Trapezium with AB—CD and AD=BC

In this program, it has been verified that

1. Angle A = Angle B
2. Angle C = Angle D
3. Diagonal AC = Diagonal BD
4. Angle ABC = Angle BAD

II. CONSIDERATIONS

It is given that AB is parallel to CD and AD=BC
Then consider the lengths of AD vector= 2.82, BC
vecotor=2.82, so that AD=BC

And consider the length of AB vector=4 and CD vecotor=8,
so that AB is parallel to CD. Then these considerations will
generate the vertices as A=(-2, 2), B=(2, 2), C=(4, 0) and
D=(-4,0)

III. PLOTTING TRAPEZIUM

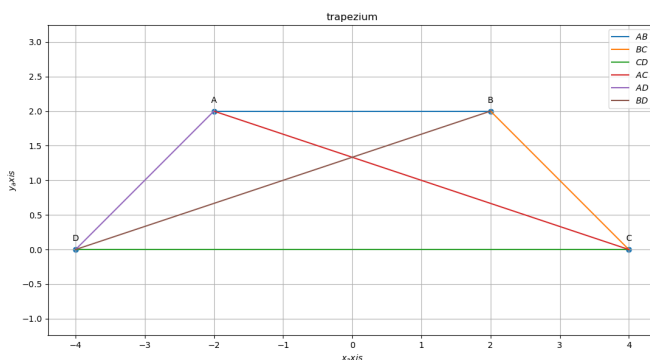


Fig. 1. trapezium

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IV. SOLUTION

A. Calculation of Angles A and B

$$\begin{aligned}\text{Angle A} &= \text{Angle BAD} \\ &= \arccos[(A-B) \cdot (A-D)] / [(A-B) \cdot (A-D)] \\ &= 135\end{aligned}$$

$$\begin{aligned}\text{Angle B} &= \text{Angle ABC} \\ &= \arccos[(B-A) \cdot (B-C)] / [(B-A) \cdot (B-D)] \\ &= 135\end{aligned}$$

Therefore Angle A = Angle B = 135

B. Calculation of Angles C and D

$$\begin{aligned}\text{Angle C} &= \text{Angle BCD} \\ &= \arccos[(C-B) \cdot (C-D)] / [(C-B) \cdot (C-D)] \\ &= 45\end{aligned}$$

$$\begin{aligned}\text{Angle D} &= \text{Angle ADC} \\ &= \arccos[(D-A) \cdot (D-C)] / [(D-A) \cdot (D-C)] \\ &= 45\end{aligned}$$

Therefore Angle C = Angle D = 45

C. Calculation of Diagonals AC and BD

$$\begin{aligned}\text{Length of Diagonal AC} &= \text{mod}(A-C) = 6.32 \\ \text{Length of Diagonal BD} &= \text{mod}(B-D) = 6.32 \\ \text{Therefore Diagonal AC} &= \text{Diagonal BD} = 6.32\end{aligned}$$

D. Comparing Triangles ABC and Traingle BAD

For Triangle ABC:

$$AB=4, BC= 2.82, AC=6.32 \text{ and Angle B} = \text{Angle ABC} = 135$$

For Triangle BAD:

$$AB=4, AD= 2.82, BD=6.32 \text{ and Angle A} = \text{Angle BAD} = 135$$

Therefore Traiangle ABC = Traiangle BAD

V. SOFTWARE

1. Download the codes given in the link below and execute them.

<https://github.com/meertabresali-FWC-IITH/project/blob/main/Assignment3/codes/main.c>