# Lab Session - Functional Testing (Black-Box)



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# OL.

#### Valid ranges for inputs(Day, Month, Year):

- 1 ≤ Day ≤ 31
- 1 ≤ Month ≤ 12
- o 1900 ≤ Year ≤ 2015

# Equivalence Parl'il'ioning (EP):

- 1. Valid Equivalence Classes:
  - Class 1: Valid day, valid monlh, valid year.
    - Example: (20, 8, 2011) → Expecled: 19, 8, 2011
  - Class 2: Firsl' day of a monl'h.
    - Example: (1, 5, 2005) → Expecled: 30, 4, 2005
  - Class 3: End of l'he monl'h for a 31-day monl'h.
    - Example: (31, 12, 2010) → Expecléd: 30, 12, 2010
  - Class 4: End of I'he monl'h for a 30-day monl'h.
    - Example: (30, 6, 2012) → Expecled: 29, 6, 2012
  - Class 5: Leap year: lasl'day of February (February 29).
    - Example: (1, 3, 2016) → Expecled: 29, 2, 2016
- 2. Invalid Equivalence Classes:
  - Class 1: Invalid day, valid monlh, valid year.
    - Example: (32, 7, 2010) → Expecled: Error
  - Class 2: Valid day, invalid monlh, valid year.
    - Example: (15, 13, 2015) → Expecled: Error
  - Class 3: Valid day, valid monlh, invalid year.
    - Example: (15, 5, 1890) → Expecled: Error

# Boundary Valus 6nalysis (BV6):

- 1. Valid Boundary Values:
  - Boundary 1: Day = 1, Monl'h = 1, Year = 1900.
    - Example: (1, 1, 1900) → Expecled: Error (no previous dale)
  - Boundary 2: Day = 31, Monl'h = 12, Year = 2015.
    - Example: (31, 12, 2015) → Expecled: 30, 12, 2015
  - Boundary 3: Day = 1, Monl'h = 2, Year = 2012 (Leap year).
    - Example: (1, 2, 2012) → Expecled: 31, 1, 2012
- 2. Invalid Boundary Values:
  - Boundary 1: Day = 0, Monlh = 5, Year = 2010.
    - Example: (0, 5, 2010) → Expecled: Error
  - Boundary 2: Day = 31, Monl'h = 2, Year = 2011 (Non-leap year).
    - Example: (31, 2, 2011) → Expecled: Error
  - Boundary 3: Day = 29, Monl'h = 2, Year = 2014 (Non-leap year).
    - Example: (29, 2, 2014) → Expecled: Error

## Tssl' Suil's Tabls

# L. Equivalence Parl'il'ioning

<u>Cal'sgory</u>	<u>Inpuľ</u>	Epscl'sd Oul'pul'
Valid inpul'	06,05,2012	05,05,2012

Valid inpul' (1sl' of monl'h)	01,12,2012	30,11,2012
Valid inpul' (end of 31-day monl'h)	31,12,2012	30,12,2012
Invalid Day	32,12,2012	error
Invalid Monl'h	31,13,2012	error
Invalid Year	31,12,2222	error

# 2. Boundary Valus 6nalysis

<u>Cal'sgory</u>	<u>Inpuľ</u>	Epscl'sd Oul'pul'
Day before min boundary	00,05,2012	error
Firsl' valid boundary day (Leap)	01,03,2012	29,02,2012
End boundary (valid dal'e)	31,12,2012	30,12,2012
Invalid leap year boundary	29,02,2011	error

# **0**2.

## PL.

The function linear Search searches for a value v in an array of in linear searches a. If v appears in linear array a, linear line

```
int linearSearch(int v, int a[])
{
   int i = 0;
   while (i < a.length) // This line is incorrect as arrays in C/C++ do
not have a `.length` property.
   {
      if (a[i] == v)
         return(i); // Return index if value is found
      i++; // Move to the next element
   }
   return (-1); // Return -1 if value is not found
}</pre>
```

# Tssl' casss:

1. Equivalence Parl'il'ioning Tesl' Casse:

Test Case	Array a[]	Value v	Size	Expected Output	Reasoning
Valid Partition 1:					
Case 1: Value present in array	{1,2,3}	3	3	2	3 is at index 2.
Case 2: Value at first position	<pre>{1, 2, 3}</pre>	1	3	0	1 is at index $0$ .
Case 3: Value at last position	{1, 2, 3}	3	3	2	3 is at index 2.

## Boundary Value Analysis (BVA) Test Cases

Test Case	Array a []	Value v	Size	Expected Output	Reasoning
Boundary 1: Array size					
Case 1: Empty array	{}	5	0	-1	Array is empty, so value cannot be found.
Case 2: Single element, present	{1}	1	1	0	Single element, value present at index 0.
Case 3: Single element, not present	{2}	1	1	-1	Single element, but value not present.
Boundary 2: First and last positions					
Case 4: Value at first position	{1,2,3}	1	3	0	Value $1$ is at index $0$ .
Case 5: Value at last position	{1,2,3}	3	3	2	Value <sup>3</sup> is at index 2.

<b>Boundary 3: Middle</b>	
position	

Case 6: Value in the middle	{5, 15, 25}	15	3	1	Value 15 is at index 1 (middle).
Boundary 4: Value extremes					
Case 7: Smallest possible value	{0, 1, 2, 3}	0	4	0	Value 0 at index 0.
Case 8: Largest possible value	{1, 2, 3, 2147483647}	21474836 47	4	3	Largest possible integer at index 3.

P2. The function countItem returns the number of times a value v appears in an array of integers a.

# **Equivalence Partitioning (EP) Test Cases**

Test Case	Array a[]	Value v	Siz e	Expected Output	Reasoning
Valid Partition 1:					
Case 1: v appears multiple times	{1, 2, 3, 3, 3, 4, 5}	3	7	3	3 appears 3 times in the array.
Valid Partition 2:					
Case 2: v appears once	{10, 20, 30, 40}	20	4	1	20 appears once at index 1.
Valid Partition 3:					
Case 3: v does not appear	{5, 6, 7, 8}	10	4	0	10 is not in the array.
Valid Partition 4:					
Case 4: Empty array	{}	5	0	0	The array is empty, so count is 0.

#### **Invalid Partition 1:**

#### **Boundary Value Analysis (BVA) Test Cases**

Test Array Value Siz Expected Output Reasonin Case a[] v e g

#### **Boundary 1: Array size**

Case 1: Empty  $\{$  5 0 0 Array is empty, so value cannot be array  $\}$ 

Case 2: Single element, value  $\{10 \ 1 \ 1 \ 1 \ Single \ element \ 10 \ matches present <math>\}$  0 v.

Case 3: Single element, value not present { 20 1 1 0 Single element 20 does not match } 5 v.

# Boundary 2: Number of occurrences

Case 4: v appears at  $\{10, 20, 1 3 1 \text{ Value } 10 \text{ appears once at the start} \}$ 

Case 5: v appears at the  $\{10, 20, 3 3 1 \text{ Value } 30 \text{ appears once at the end} \}$ 

Case 6: 
$$\forall$$
 appears multiple  $\{5, 15, 15, 25, 1 5 3 \}$  Value 15 appears 3 times  $\{5, 15, 15, 25, 1 5 3 \}$  times.

# Boundary 3: Value extremes

P3. The function binary Search searches for a value  ${\bf v}$  in an ordered array of integers a. If  ${\bf v}$  appears in

the array a, then the function returns an index i, such that a[i] == v; otherwise, -1 is returned. Equivalence Partitioning (EP) Test Cases

Test Case	Array a[]	Value v	Siz e	Expected Output	Reasoning
Valid Partition 1:					
Case 1: Value present in array	{1, 2, 3, 4, 5}	3	5	2	3 is at index 2.
Case 2: Value present at first pos	{10, 20, 30, 40, 50}	10	5	0	10 <b>is at index</b> 0.
Case 3: Value present at last pos	{10, 20, 30, 40, 50}	50	5	4	50 is at index 4.

#### **Valid Partition 2:**

Case 4: Value not {5, 10, 12 5 12 is not in the array. -1 present 15, 20, 25} **Valid Partition 3:** Case 5: Single-element {100} 100 0 100 is the only element 1 array, present and is found. Valid Partition 4: Case 6: Empty array 20 Array is empty, so value { } 0 -1 is not found. **Invalid Partition 1:** Case 7: Invalid array Invalid size (-1) should Error {1, 2, 3} 2 -1 size cause an error.

Boundary Value Analysis (BVA) Test Cases

Test	Array	Value	Siz	<b>Expected Output</b>	Reasonin
Case	a[]	v	е		g

#### **Boundary 1: Array size**

Case 1: Empty 5 0 -Array is empty, so value cannot be array found. 1 } Case 2: Single-element, 1 0 Single element 10 is present at index {10 1 present } 0 0. Case 3: Single-element, not {20 1 1 -Single element 20, but 15 is not present 5 1 present. }

Boundary 2: Value position

Case 4: v at first {5, 10, 15, 20, 5 5 0 Value 5 is at index position 25} 0. Case 5: v in the {5, 10, 15, 20, 1 5 2 Value 15 is at index middle 5 2. 25} Case 6: v at last {5, 10, 15, 20, 2 5 4 Value 25 is at index position 25} 4.

# Boundary 3: Value extremes

Case 7: Smallest possible 
$$\{0, 1, 2, 3, 0 6 0 \text{ Value } 0 \text{ is at index value}$$
  $\{0, 1, 2, 3, 0 6 0 \text{ Value } 0 \text{ is at index } 0.$ 

Case 8: Largest  $\{1, 2, 3, 4, 21474836 5 4 \}$  Largest possible integer possible value  $\{1, 2, 3, 4, 21474836 5 4 \}$  value at index 4.

P4. The following problem has been adapted from The Art of Software Testing, by G. Myers (1979).

The function triangle takes three integer parameters that are interpreted as the lengths of the sides

of a triangle. It returns whether the triangle is equilateral (three lengths equal), isosceles (two lengths

equal), scalene (no lengths equal), or invalid (impossible lengths).

## **Equivalence Partitioning (EP) Test Cases**

Test Case	Side A	Side B	Side C	Expected Output	Reasoning
Valid Partition 1:					
Case 1: Equilateral triangle	5	5	5	EQUILATERAL	All sides are equal.

#### Valid Partition 2:

Case 2: Isosceles triangle	5	5	8	ISOSCELES	Two sides are equal.
Case 3: Isosceles triangle	6	7	6	ISOSCELES	Two sides are equal.
Valid Partition 3:					
Case 4: Scalene triangle	5	6	7	SCALENE	No sides are equal.
Invalid Partition 1:					
Case 5: Invalid triangle	1	2	10	INVALID	Does not satisfy the triangle inequality.
Case 6: Invalid triangle	10	5	3	INVALID	One side is too long to form a valid triangle.
Invalid Partition 2:					
Case 7: Invalid (zero length)	0	5	5	INVALID	A side with length 0 does not form a valid triangle.
Case 8: Negative side length	-3	4	5	INVALID	Negative side length is not valid.

# **Boundary Value Analysis (BVA)** Test Cases

Test	Side	Side	Side C	Expected Output	Reasonin
Case	Α	В			g

## **Boundary 1: Minimum valid lengths**

Case 1: Smallest valid triangle	1	1	1	EQU AL	ILATE	ER	Smallest possible valid triangle (equilateral).
Case 2: Two sides at minimum	1	1	2	IN	IVAL )		m of two sides equals the third, so it's alid.
Case 3: Scalene with minimum values		2		3 4	SCA:	LE	Small scalene triangle with distinct side lengths.

# Boundary 2: Large values

Case 4: Large equilateral	100	100	100	EQUILATER AL	Large triangle with all sides equal.
Case 5: Large isosceles	100	100	150 0	ISOSCEL ES	Two sides equal, one large side.

# Boundary 3: Invalid cases

Case 6: Invalid due to one large 1 2 100 
$$_{
m INVAL}$$
 One side is too long to form a valid side  $_{
m 0}$   $_{
m ID}$  triangle.

Case 7: Negative 
$$-$$
 5 5 INVAL Negative side length makes it invalid. value 1 ID

P5. The function prefix (String s1, String s2) returns whether or not the string s1 is a prefix of string s2 (you may assume that neither s1 nor s2 is null).

## **Equivalence Partitioning (EP) Test Cases**

Test	String	String	Expected Output	Reasonin
Case	s1	s2		g

#### **Valid Partition 1:**

Case 1: Exact	"appl	"appl	tru	s1 is the exact same as s2, so it is a
match	e"	e"	е	prefix.

#### **Valid Partition 2:**

#### **Valid Partition 3:**

Case 3: 
$$\pm 1$$
 is not a "dog "appl fals  $\pm 1$  does not match the start of prefix " e" e  $\pm 2$ .

#### Valid Partition 4:

#### **Invalid Partition:**

For the prefix function, which checks whether s1 is a prefix of s2, we can design **Equivalence Partitioning (EP)** and **Boundary Value Analysis (BVA)** test cases. Here's a table showing the test cases for both testing techniques.

#### **Equivalence Partitioning (EP) Test Cases**

11 11

s2

In **Equivalence Partitioning**, we divide the input space into valid and invalid partitions based on the function's requirements and expected outputs.

Test Case	String s1	String	Expected	Reasoning
		s2	Output	

#### **Valid Partition 1:**

Case 1: Exact match "apple" "apple true s1 is the exact same as s2, so it is a prefix.

#### **Valid Partition 2:**

Case 2: s1 is a prefix "app" "apple true s1 is a valid prefix of s2.

#### **Valid Partition 3:**

Case 3: s1 is not a "dog" "apple false s1 does not match the start of prefix " s2.

#### **Valid Partition 4:**

Case 4: s1 is longer "applesau "apple false A longer s1 cannot be a prefix than s2 ce" " of a shorter s2.

#### **Invalid Partition:**

Case 5: Empty  ${\tt s1},$  "" "apple true An empty string is a prefix of non-empty  ${\tt s2}$  " any string.

Case 6: Empty  ${\tt s1}$  "" true An empty string is a prefix of and  ${\tt s2}$ 

## **Boundary Value Analysis (BVA) Test Cases**

Test String String Expected Output Reasonin Case s1 s2 g

# Boundary 1: Empty strings

Case 1: s1 is "hell tru An empty string is always a prefix. empty e

Case 2: s2 is "hell " fals A non-empty s1 cannot be a prefix of an empty empty o" e string.

# Boundary 2: Single character

Case 3: Single character "h "hell tru A single character s1 matches the first prefix " o" e character of s2.

Case 4: Single character "x" "hell fals A single character s1 does not match the not prefix "  $\circ$ " e first character.

# **Boundary 3: Length** differences

Case 6: s1 longer "hellothe "hell fals A longer s1 cannot be a prefix of a than s2 re" o" e shorter s2.

P6: Consider again the triangle classification program (P4) with a slightly different specification: The

program reads floating values from the standard input. The three values A, B, and C are interpreted

as representing the lengths of the sides of a triangle. The program then prints a message to the standard output that states whether the triangle, if it can be formed, is scalene, isosceles, equilateral,

or right angled. Determine the following for the above program:

- a) Identify the equivalence classes for the system
- b) Identify test cases to cover the identified equivalence classes. Also, explicitly mention which test case would cover which equivalence class. (Hint: you must need to be ensure that the identified set of test cases cover all identified equivalence classes)
- c) For the boundary condition A + B > C case (scalene triangle), identify test cases to verify the boundary.
- d) For the boundary condition A = C case (isosceles triangle), identify test cases to verify the boundary.
- e) For the boundary condition A = B = C case (equilateral triangle), identify test cases to verify the boundary.

f) For the boundary condition A2 + B2 = C2 case (right-angle triangle), identify test cases to verify

the boundary.

- g) For the non-triangle case, identify test cases to explore the boundary.
- h) For non-positive input, identify test points.

#### a) Identify the Equivalence Classes for the System

We identify equivalence classes based on the properties of triangles (scalene, isosceles, equilateral, right-angled) and invalid cases. Below are the relevant equivalence classes:

- 1. **Equilateral Triangle**: All three sides are equal (A = B = C).
- 2. Isosceles Triangle: Two sides are equal ( $A = B \neq C$  or similar).
- 3. Scalene Triangle: All sides are different ( $\mathbb{A} \neq \mathbb{B} \neq \mathbb{C}$ ).
- 4. **Right-Angled Triangle**: The sides satisfy the Pythagorean theorem ( $\mathbb{A}^2 + \mathbb{B}^2 = \mathbb{C}^2$  or similar permutations).
- 5. **Invalid Triangle**: The sides do not satisfy the triangle inequality ( $A + B \le C$  or any similar case).
- 6. Non-positive or Zero-Length Input: Any side is non-positive ( $A \le 0$ ,  $B \le 0$ ,  $C \le 0$ ).

#### b) Identify Test Cases to Cover the Identified Equivalence Classes

Below are test cases to cover each equivalence class, and they are explicitly mapped to their respective classes.

Test Case	Α	В	С	Expected Output	Equivalence Class
Case 1: Equilateral triangle	3.0	3. 0	3. O	Equilateral	Equilateral Triangle
Case 2: Isosceles triangle (A = B)	5.0	5. 0	7. 0	Isosceles	Isosceles Triangle
Case 3: Scalene triangle	4.0	5. 0	6. 0	Scalene	Scalene Triangle
Case 4: Right-angled triangle	3.0	4. O	5. 0	Right-angled	Right-angled Triangle

Case 5: Invalid triangle (A + B = C)	2.0	2.	4. O	Invalid	Invalid Triangle (fails triangle inequality)
Case 6: Zero-length side	0.0	2. 0	3. 0	Invalid	Non-positive Input
Case 7: Negative side length	-1. 0	2.	2.	Invalid	Non-positive Input

## c) Test Cases for the Boundary Condition: A + B > C (Scalene Triangle)

For a scalene triangle, the boundary condition is when the sum of two sides equals the third. We test values slightly below, equal to, and above the boundary:

Test Case	Α	В	С	Expected Output	Boundary Tested
Case 1: A + B = C (boundary)	3. 0		7. 0	Invalid	A + B = C (exact boundary, invalid)
Case 2: A + B > C	3. 0	4. O	6. 9	Scalene	A + B > C (just valid)
Case 3: A + B < C	3. 0		7. 1	Invalid	A + B < C (invalid)

## d) Test Cases for the Boundary Condition: A = C (Isosceles Triangle)

For an isosceles triangle where two sides are equal, the boundary involves values slightly above, below, and equal to the side lengths:

Test Case	Α	В	С	<b>Expected Output</b>	<b>Boundary Tested</b>
Case 1: A = C		6. 0		Isosceles	A = C (exact isosceles)
Case 2: A slightly greater than C	5. 1	6. 0	5. O	Scalene	A > C (scalene)

## e) Test Cases for the Boundary Condition: A = B = C (Equilateral Triangle)

For an equilateral triangle, all sides must be equal. Test cases include small differences around the boundary:

Test Case	A	В	С	Expected Output	Boundary Tested
Case 1: A = B = C	5. 0	5. 0		Equilateral	A = B = C (exact equilateral)
Case 2: A slightly greater than B, C	5. 1		5. 0	Isosceles	A > B = C (isosceles)
Case 3: A slightly less than B, C	4. 9	5. 0		Isosceles	A < B = C (isosceles)

# f) Test Cases for the Boundary Condition: $A^2 + B^2 = C^2$ (Right-Angle Triangle)

For right-angled triangles, we use the Pythagorean theorem. Test cases are set up around this condition:

Test Case	Α	В	С	Expected Output	Boundary Tested
Case 1: $A^2 + B^2 = C^2$ (exact)	3. 0		5. 0	Right-angled	$A^2 + B^2 = C^2$ (exact boundary, valid)
Case 2: $A^2 + B^2 > C^2$	3. 0	4. O	4. 9	Scalene	A <sup>2</sup> + B <sup>2</sup> > C <sup>2</sup> (slightly smaller C, scalene)
Case 3: $A^2 + B^2 < C^2$	3. 0	4. O	5. 1	Invalid	$A^2 + B^2 < C^2$ (slightly larger C, invalid)

## g) Test Cases for the Non-Triangle Case (A + B $\leq$ C)

For non-triangles, we explore when the sum of two sides is less than or equal to the third side:

Test Case	Α	В	С	<b>Expected Output</b>	<b>Boundary Tested</b>
Case 1: A + B = C		4. O		Invalid	A + B = C (invalid)
Case 2: A + B < C		4. O		Invalid	A + B < C (invalid)

## h) Test Cases for Non-Positive Input

For non-positive input, test cases cover values of zero and negative numbers:

Test Case	Α	В	С	Expected Output	Boundary Tested
Case 1: Zero side	0.0	5. 0	5. 0	Invalid	A = 0 (invalid)
Case 2: Negative side	`-1.0				