Haskell Study Notes

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1 Types

1.1 Basic types

Haskell has many primitive types such as strings, characters, integers and floating point numbers.

```
1 "hello world" -- string
2 1234 -- integer
3 3.14 -- float
```

1.2 Typeclasses

Typeclasses are a way of sharing specific functionality between types. We can either implement our own instances of typeclasses, or let haskell *derive* them automatically.

They are kind of like Java interfaces.

Num is the generic base typeclass that all numbers derive from.

- 1. Integral numbers (Integral typeclass)
 - Int: fixed precision integer with a min and maximum size
 - Integer: supports very large integers
- 2. Floating point numbers (Fractional typeclass)
 - Float: single precision floating point number
 - Double: double precision floating point number

1.3 More on typeclasses

Anything that derives from

- Show can be printed
- Read can be read as a value
- Eq can be compared for equality with == and /=
- Ord can be compared and ordered with i and i

```
1 {-# LANGUAGE DuplicateRecordFields #-}
3 data Worker = Worker { name :: String, job :: String }
     deriving (Show)
4 data Student = Student { name :: String, school :: String }
     deriving (Show)
5
6 \ {\it class Person a where}
     getName :: a -> String
7
      getOccupation :: a -> String
8
9
10 instance Person Worker where
     getName x = name (x :: Worker)
11
      getOccupation x = "Working on " ++ job x
12
13
14 instance Person Student where
getName x = name (x :: Student)
16 getOccupation x = "Studying at" ++ school x
```

Figure 1: Demonstration of a custom typeclass for Person

2 Lists and Tuples

2.1 Lists

Haskell lists are represented as linked lists. A node in a linked list can either be Nil or a pointer to the $next\ node$. Lists have a head and a tail. Because of Haskell being lazily evaluated, lists can be infinite. take takes n items from a list, and drop drops n items from a list.

```
list = [1, 2, 3, 4, 5]
```

In the above list, the *head* is $\underline{1}$, and the *tail* is [2, 3, 4, 5]

The *splitAt* function splits a list into two parts at the element specified. Lists can be indexed using the !! operator.

2.1.1 List Comprehensions

List comprehensions are <u>similar</u> to how they work in Python. They must have at least one list that is the generator, which provides the input.

```
[ operation | x \leftarrow list ]
```

An example of a list comprehension:

$$[x ^2 | x < [1..10]]$$

List comprehensions can have predicates (conditions)

$$[x ^2 | x < [1..10], x 'mod' 2 == 0]$$

... and they can pull from multiple generators/inputs too

$$[(x, y) | x \leftarrow [1,2,3], y \leftarrow ['a', 'b']]$$

List comprehensions can also be <u>bound</u> to *variables*.

```
1 let square' = [x ^ 2 | x <- [1..10]]
1</pre>
```

2.2 Tuples

Haskell has tuples, triples, and n-tuples. Tuples have a fst and snd function which respectively gets either the first or second item.

swap (defined in **Data.Tuple**) swaps the items in a tuple

```
1 ("char", 20)
2
3 -- a triple
4 ("char", 20, "turtles")
```

¹When we say variables, the mathematical meaning of variables is meant. This means we can bind values to identifiers, but we can **never** change the values of those bindings.

3 Conditionals

3.1 If expressions

Haskell doesnt have if statements, however it has if expressions instead.

```
1 -- stolen from the haskell book
2 let x = 0
3 if (x + 1 == 1) then "AWESOME" else "wut"
```

3.2 Case expressions

Case expressions are similar to switch-case from languages like Java, and C++. Case expressions begin with case x of and their body contains all the different cases in the format $value \rightarrow return-value$.

```
1 pal xs =
2   case y of
3   True -> "yes"
4   False -> "no"
5   where y = xs == reverse xs
```

It can also be used to pattern match against data types

```
1 data Animal = Cat | Dog
2 speak a =
3   case a of
4   Cat -> "meow"
5   Dog -> "bork"
```

3.3 Guards

There are also guards which can provide a nicer way of pattern matching instead of writing if-else expressions or case blocks. Guard blocks are written as a series of cases, along with a fallback case called **otherwise**

Cases are written in the format: "| condition = value."

3.4 Pattern matching

Pattern matching is very common in Haskell. It allows great flexibility since you can pattern match against anything to extract values etc.

_ or x means a catch-all/fallback pattern to match on if all else fails

```
1 isItOne :: Int -> Bool
2 isItOne 1 = True
3 isItOne _ = False
```

3.4.1 Matching against data constructors

Pattern matching against data constructors is possible. The example defines two functions called getName and getAccNumber that pattern match on the *User* data constructor to extract either the name or account number.

```
1 data User = User String Int
2
3 getName :: User -> String
4 getName (User name _) = name
5
6 getAccNumber :: User -> Int
7 getAccNumber (User _ acc) = acc
2 3
```

 $^{^2\}mathrm{If}$ we don't use a field, we can use an $_{-}$ just like pattern matching with functions to signify the field is ignored

³Pattern matching against data constructors can get real old if you have a lot of parameters. So an alternative to this that will be covered later is record types.

4 Functions

Functions are defined like add x y = x + y. All functions are pure, unless stated otherwise which means they cannot modify state, or perform <u>side effects</u> like input output, writing to a database, etc

4.1 Currying

By default, all functions are curried in Haskell. Given the following type signature

```
1 -- add takes two ints and returns an int
2 add :: Int -> Int -> Int
```

we would say that the function add takes two integers, and returns an integer. However, because of how currying works it actually means.

- add takes a *single* integer parameter
- and returns a function that takes another integer parameter, and eventually will return an integer itself.

Currying is useful because it means we can create new functions by *partially applying* functions to parameters.

 $addOne\ 5$ <u>evaluates</u> to $((add\ 1)\ 5)$ which is then further reduced to the normal form .

```
1 add :: Int -> (Int -> Int)
2
3 addOne :: Int -> Int
4 addOne x = add 1
5
6 addOne 5
7 ((add 1) 5)
8 6
```

4.2 Higher-order functions

Higher order functions are functions that can accept functions as parameters flip is an example of a higher-order function.

Its type signature is flip :: $(a \to b \to c) \to b \to a \to c$ and it can be partially applied like so

```
1 flipOne = flip 1
2 partialApply = flipOne 2 -- ((flip 1) 2)
```

4.3 Function composition

Composing functions is like a *right to left* pipeline. \mathbf{f} . \mathbf{g} can be read as \mathbf{f} after \mathbf{g} . In Haskell . is used since \circ is not a valid ASCII character.

```
So (f \circ g) x = f (g x)
```

- 1. first applies g
- 2. then applies f to the result of applying g
- 3. and makes a new function which takes a parameter x

Example of function composition in action

```
1 negate . sum $ [1,2,3,4,5]
2
3 -- which is equivalent to
4 negate (sum [1,2,3,4,5])
5 negate (15)
```

⁴\$ is used since function application has the highest precedence, so Haskell will think we mean negate . 15. Alternatively, you can wrap it in brackets like **negate** . (sum [1,2,3,4,5])

5 Recursion

5.1 Factorial

A classic way of demonstrating recursion is factorial. 4! means 4*3*2*1. The broken down steps can be seen below.

```
4! = 4 * 3 * 2 * 1
12 * 2 * 1
24 * 1
24
4! = 24
```

The *factorial* function can be defined in Haskell. If there is no base case defined, the recursion will go on forever and will never stop.

```
1 fac :: Integer -> Integer
2 fac 0 = 1 -- base case
3 fac n = n * fac (n -1)
```

5.2 More examples of recursion

Some more examples of recursion from work/recursion.hs.

 $^{^{5}}fac~\theta=1$ is the base case since it will return 1, and stop the recursion.

5.3 Fold Styles

foldr folds a list from right to left, whereas foldl folds a list from left to right. foldl stacks parentheses on the left where as foldr stacks them on the right (((0+1)+2)+3) vs (1+(2+(3+0)))

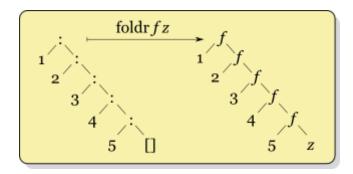


Figure 1: foldr recursion

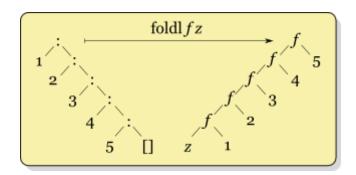


Figure 2: foldl recursion

6 Weak head normal form

Values in Haskell are reduced to Weak head normal form (WHNF). Weak head normal form is a type of normal form which contains both the possibility the expression has been fully evaluated/reduced (normal form) as well as the possibility that the expression has been evaluated to the point of arriving at a data constructor/lambda waiting for an argument.

These expressions are in WHNF:

```
1 -- https://stackoverflow.com/questions/6872898/
2 (1, 1 + 1) -- outermost part is the data constructor (,)
3 \times -> 2 + 2 -- outermost part is a lambda abstraction
4 'h': ("e" + "llo") -- outermost part is the data constructor (:)
```

These examples are not in WHNF

We can use :sprint in GHCI to print out the representation of the value in memory. Due to laziness, polymorphic types are unevaluated (thunked) until we use them. This is marked with an underscore (_).

```
Prelude> let nums = [1..5]
Prelude> :sprint nums
nums = _

Prelude> take 2 nums
Prelude> :sprint nums
nums = 1 : 2 : _
6
```

 $^{^6\}mathrm{The}$ examples on WHNF were taken directly from the amazing Haskell Book