STATISTICAL METHODS IN AI

Assignment 1:

K-NEAREST NEIGHBOUR CLASSIFIER

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Introduction

K-Nearest Neighbours Algorithm:

In pattern recognition, the k-Nearest Neighbors algorithm is a non-parametric method used for classification and regression. In both cases, the input consists of the k closest training examples in the feature space. The output depends on whether k-NN is used for classification or regression. It is a type of instance-based learning, or lazy learning.

- ➤ The training examples are vectors in a multidimensional feature space, each with a class label.
- ➤ The training phase of the algorithm consists only of storing the feature vectors and class labels of the training samples.
- ➤ In the classification phase, *k* is a user-defined constant.
- ➤ The unlabeled vector (test sample) is classified by assigning the label which is most frequent among the *k* training samples nearest to that query point.
- > The distance between the unlabeled test samples and all the points in the training sample are calculated by Euclidean distance, which is given by:

$$egin{align} \mathrm{d}(p,q) &= \mathrm{d}(q,p) = \sqrt{(q_1-p_1)^2 + (q_2-p_2)^2 + \cdots + (q_n-p_n)^2} \ &= \sqrt{\sum_{i=1}^n (q_i-p_i)^2}. \end{split}$$

Requirements:

The given assignment requires us to implement K-nearest neighbour (kNN) classifier and test it on three different datasets.

Data Sets Chosen:

- 1. Iris Data Set
- 2. Wine Data Set
- 3. Breast Cancer Data Set

Methods to divide data in training sample and test sample:

- 1. Random Subsampling
- 2. Five Fold Cross Validation

References: UCI Machine learning repository (http://archive.ics.uci.edu/ml/).

Programming Language: Python

Experimental Set-Up:

1. Handle data:

We need to load the data from the file. All the lines are read into a lists of lists i.e. dataset. It is further divided into training sample and test sample as per the proper split ratio. (0.5 in case of random subsampling) All the numerical values are also converted to float and then stored in the training and test data respectively.

2. Find the distance between the test instance and training set:

For able to make the prediction of the class name, the data belongs to, we need to calculate the similarity i.e distances between any two given data instances. This is done so that we can locate the k (1 or 3) most nearest data instances, and hence can make the prediction. Given that all four attributes are numeric and have the same units, we can directly use the Euclidean distance measure. Additionally, we want to use only numerical

fields to include to calculate the distance. We limit the calculation of euclidean distance by not using the attribute containing class label.

3. Finding k-nearest neighbours and handling ties

Now, we need to use the distances obtained to collect the k most similar instances for a given unseen instance. It is done by sorting the distance list, on the distance value, and hence selecting the first k values irrespective of the ties (Select the first k classes with minimum value after shuffling and comparing).

4. Prediction:

Once we have located the k most similar neighbors for a test instance. Now, prediction of the class name has to be done. For this we make a dictionary of the classes, and hence find the majority vote class, with the max key value in the dictionary.

5. Calculate Accuracy

We calculate accuracy by comparing the predictions list of the test sample and the actual class list of the test sample. Accuracy will be the ratio of the total correct predictions out of all the predictions made.

6. Confusion Matrix

The confusion matrix of each dataset depicts the classes that are most confused. It is made by comparing the predicted outputs and actual classes. It is made dynamic, by first identifying which classes are present i.e. by forming a dictionary.

Now, the matrix is formed and data is populated in the matrix by comparing the two lists. Finally the data is printed in form of confusion matrix using tabulate library in grid form.

7. Mean & Standard Deviation

The accuracies of the 10 iterations are recorded and hence used to compute the final mean and standard deviation of the accuracies so obtained.

QUESTIONS TO BE ANSWERED:

Q-1 Please list the names and salient characteristics (Number of features, Number of instances, Number of Classes, etc) of the datasets you chose from the UCI ML repository for your experiments. Mention any criteria you used in deciding on the datasets and the distance function used for each dataset.

I) Data Set # 1: IRIS DATA SET (http://archive.ics.uci.edu/ml/datasets/Iris)

Data Set Description:

- → Title: Iris Plants Database.
- → Predicted attribute: class of iris plant.
- → Number of Instances: 150 (50 in each of three classes).
- → Number of Attributes: 4 numeric, predictive attributes and the class.
- → Class Distribution: 33.3% for each of 3 classes.
- → Attribute Information:
 - ◆ sepal length in cm
 - ◆ sepal width in cm
 - petal length in cm
 - petal width in cm
 - class:
 - Iris Setosa
 - Iris Versicolour
 - Iris Virginica
- → Missing Attribute Values: None.

II) Data Set # 2 : WINE DATA SET (http://archive.ics.uci.edu/ml/datasets/Wine)

Data Set Description:

- → Title of Database: Wine recognition data
- → Predicted attribute: Name of wines grown in the same region in Italy but derived from three different cultivars.
- → Number of Instances:
 - ◆ class 1: 59
 - ◆ class 2:71

- ◆ class 3:48
- → Number of Attributes: 13. All attributes are continuous. 1st attribute is class identifier (1-3).
- → Attribute Information:
 - ◆ Alcohal
 - ◆ Malic Acid
 - ◆ Ash
 - ◆ Alcalinity of ash
 - ◆ Magnesium
 - ◆ Total Phenols
 - ◆ Flavanoids
 - ◆ Nonflavanoid phenols
 - ◆ Proanthocyanins
 - ◆ Color Intensity
 - ◆ Hue
 - OD 280/ OD 315 of diluted wines
 - ◆ Proline
- → Missing Attribute Values: None.

III) Data Set # 3 : BREAST CANCER - WISCONSIN DATA SET

Data Set Description:

- → Title of Database: Wisconsin Breast Cancer Database (January 8, 1991)
- → Number of Instances: (Number of Instances: 699 (as of 15 July 1992))
 - ◆ Benign: 458 (65.5%)
 - ◆ Malignant: 241 (34.5%)
- → Number of Attributes: Number of Attributes: 10 plus the class attribute
- → Attribute Information:
 - ◆ Sample code number: id number
 - ◆ Clump Thickness
 - ◆ Uniformity of Cell Size
 - ◆ Uniformity of Cell Shape
 - Marginal Adhesion
 - ◆ Single Epithelial Cell Size
 - ♦ Bare Nuclei
 - ◆ Bland Chromatin
 - Normal Nucleoli
 - Mitoses

- ◆ Class: (2 for benign, 4 for malignant)
- → Missing Attribute Values: 16 (The '?' in the missing attributes are replaced by the average value)

The above data samples are taken considering the following things:

- -> The attributes are numerical values.
- -> Distance between the two classes can be calculated by using the Euclidean Distance only i.e for continuous variables, it can be calculated here.
- -> The first two data sets i.e iris.data and wine.data don't contain any missing values and hence euclidean distance is applied directly on the continuous numerical values.
- -> The third class consist of missing values i.e. breast cancer data set. The data set with missing values is taken so as to analyse the behaviour of data set with missing value classified with knn classifier.

Q-2 For each of the datasets, give the results of classification using the (1- and 3-) nearest neighbor classifiers (mean and variance of accuracy and the confusion matrix). Give your observations related to the results.

RANDOM SUBSAMPLING:

- ➤ Divides the data into two partitions of equal size i.e. Training Sample and Test Sample.
- ➤ User is asked the choice for it. i.e. Enter 1...for Random Subsampling.
- ➤ After selecting the type of algorithm, the user enters the name of dataset, he wants to work upon, the value of k (1 or 3) and the index of the class i.e. the index of the attribute in the data set.
- > Sample output:

Data Sets - Observation:

Observation of IRIS data set: (k=1)

Sample output obtained for Random Subsampling over 10 iterations is, class index = 4:

Accuracy: 93.33333333333333333333333333333333333				
				Iris-versicolor
	Iris-virginica	23	0	5
ACTUAL	Iris-setosa	0	23	0
1	Iris-versicolor	0	0	24

	98.6666666666667	PREDICTED		
			Iris-setosa	Iris-versicolor
	Iris-virginica	24	0	1
ACTUAL	Iris-setosa	0	23	0
	+ Iris-versicolor		0	27

Accuracy: 96.0 PREDICTED					
	İ	Iris-virginica	Iris-setosa	Iris-versicolor	
		26	0	3	
ACTUAL	Iris-setosa	0	26	0	
	+ Iris-versicolor		0	20	

	+	PREDICTED		
	i -		Iris-setosa	Iris-versicolor
	Iris-virginica	23	0	1
ACTUAL		0	20	0
	Iris-versicolor		0	30

	+	PREDICTED		
	i	Iris-virginica	Iris-setosa	Iris-versicolor
	Iris-virginica	+ 26	0	2
ACTUAL	+ Iris-setosa	0	27	0
	+ Iris-versicolor		0	19

ITERATION NO : 9 Accuracy: 93.33333333333333333 PREDICTED					
l	j i	 Iris-virginica	Iris-setosa	Iris-versicolor	
		19	0	2	
ACTUAL	Iris-setosa	0	28	0	
	Iris-versicolor		0	23	

ITERATION NO : 10 Accuracy: 96.0 PREDICTED				
	† 			+ Iris-versicolor
	Iris-virginica	23	+ 0	1
ACTUAL	Iris-setosa	0	23	0
i	Iris-versicolor	2	0	26

Observation of IRIS data set: (k=3)

Sample output obtained for Random Subsampling over 10 iterations is, class index = 4:

```
Enter 1.....Random Sub Sampling
Enter 2.....Five Fold Cross Validation
Enter Choice
Enter the source dataset filename: iris.data
Enter the index of the class in the given dataset: 4
Enter the value of k: 3
ITERATION NO : 1
Accuracy: 94.66666666666667
                     PREDICTED
              | Iris-virginica | Iris-setosa | Iris-versicolor |
    | Iris-virginica | 23 | 0 | 4
 ACTUAL | Iris-setosa | 0 | 29 | 0
     ITERATION NO : 2
Accuracy: 97.33333333333334
                      PREDICTED
            | Iris-virginica | Iris-setosa | Iris-versicolor |
  | Iris-virginica | 22 | 0 | 1
 ACTUAL | Iris-setosa | 0 | 27 | 0
     | Iris-versicolor | 1 | 0 | 24
```

	97.3333333333333	PREDICTED	Va .	
		Iris-virginica	Iris-setosa	Iris-versicolor
	Iris-virginica	27	0	1
ACTUAL		0	24	0
	Iris-versicolor		0	22

TERATION ccuracy:		PREDICTED		
	!	+	Iris-setosa	 Iris-versicolor
	Iris-virginica	21	0	1
ACTUAL	Iris-setosa	0	29	0
	Iris-versicolor	2	0	22

Accuracy: 96.0 PREDICTED +					
	ĺ		Iris-setosa	Iris-versicolor	
	Iris-virginica	23	0	2	
ACTUAL	Iris-setosa	0	23	0	
	Iris-versicolor		0	26	

	: 97.3333333333334 PREDICTED					
	į į		Iris-setosa	Iris-versicolor		
		24	[0	1		
ACTUAL		0	21	0		
	Iris-versicolor		0	28		

		PREDICTED		
	+	Iris-virginica	Iris-setosa	+ Iris-versicolor
		20	0	4
ACTUAL	Iris-setosa	0	27	0
	Iris-versicolor		0	23

	97.3333333333333	PREDICTED		iv.
	+ !		Iris-setosa	Iris-versicolor
	Iris-virginica	23	0	1
ACTUAL		0	33	0
	Iris-versicolor		0	17

ITERATION NO : 9 Accuracy: 97.3333333333334	PREDICTED		
i i	Iris-virginica	Iris-setosa	Iris-versicolor
Iris-virginica	25	0	0 1
	0	26] 0
+	2		22

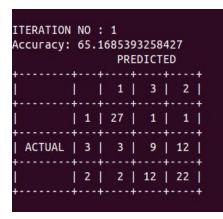
Accuracy:	96.0	PREDICTED		
		Iris-virginica	Iris-setosa	Iris-versicolor
		25	0	0
		0	26 	0
	Iris-versicolor	3	0	21

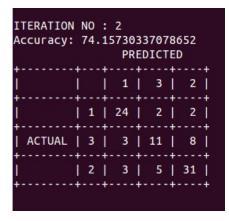
Mean: 96.2666666666668 Standard Deviation: 1.306394529484366

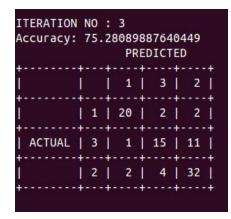
Observation of WINE data set: (k=1)

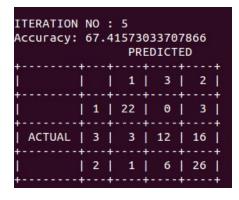
Sample output obtained for Random Subsampling over 10 iterations is, class index = 0:

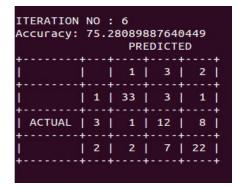
```
Enter 1.........Random Sub Sampling
Enter 2......Five Fold Cross Validation
Enter Choice
1
Enter the source dataset filename: wine.data
Enter the index of the class in the given dataset: 0
Enter the value of k: 1
```











ITERATION									
Accuracy		75.	. 28			3764 DICT			
	+		+		+-		+-		+
!	1		1	1	1	3	1	2	1
	Ī	1	Ï	31	ï	3	Τ	1	Ī
ACTUAL	i	3		1			†	2	†
+ I	†	2	+	1		14	+-	19	†
	4		4.		4.		ļ.		4

Mean: 71.91011235955057 Standard Deviation: 4.999684373322918

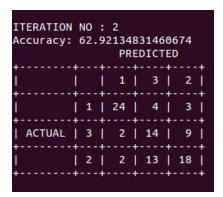
Observation of WINE data set: (k=3)

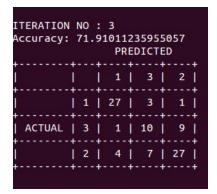
Sample output obtained for Random Subsampling over 10 iterations is, class index = 0:

```
Enter 1..........Random Sub Sampling
Enter 2........Five Fold Cross Validation
Enter Choice
1
Enter the source dataset filename: wine.data
Enter the index of the class in the given dataset: 0
Enter the value of k: 3
```

```
ITERATION NO : 1
Accuracy: 75.28089887640449
PREDICTED

| | | 1 | 3 | 2 | |
| | | 1 | 28 | 7 | 0 |
| ACTUAL | 3 | 2 | 11 | 4 |
| | | 2 | 4 | 5 | 28 |
```





ITERATION NO : 4
Accuracy: 68.53932584269663 PREDICTED
1 3 2
1 22 0 0
ACTUAL 3 9 9 11
2 4 4 30

ITERATION Accuracy:		67	.4	1573 PF	REC	OIC	07866 TED
	Ī		Ì	1	1	3	2
!	٠.	1	Ì	26	1	3	0
ACTUAL	ĺ	3	İ	3	İ	8	
		2	Ì	6	1	6	26
+	+		+		+-		++

ITERATION	NO	: 6		
Accuracy:		PR	EDICTE	D
	i .	1	3	2
	1	28	1	2
ACTUAL	3	6	13	8
ļ +	2	2	12	17

I NO	:	7					
73	.0:					54	
Ī	Ţ				7	2	ļ
		32	į.	1	İ	0	ļ
						3	į
2	į	4	į.	11	į +-	22	ļ
	73 + + 1 + 3	73.0: + 1 + 3	PF 1 1 1 32 1 3 5 5 1 5	73.0337078 PRED + + + + + + + + + + + + + + + + + + +	73.0337078651 PREDICT 1 3 1 32 1 3 5 11	73.033707865168 PREDICTED	73.03370786516854 PREDICTED

ITERATION				70	654	6054	
Accuracy:	13.	. 0.					
			PF	RED	ICT	ED	
+	+	+-		+-		+	-
l		Т	1	1	3	2	
+	+	+-		+-		+	
1	1	1	29	1	0	1	
+	+	٠.		+-		+	
ACTUAL	1 3	1	2	1	13	1 10	
	3			3			
i			2			1 23	Į.
	1 -	- 1	-	1		1	

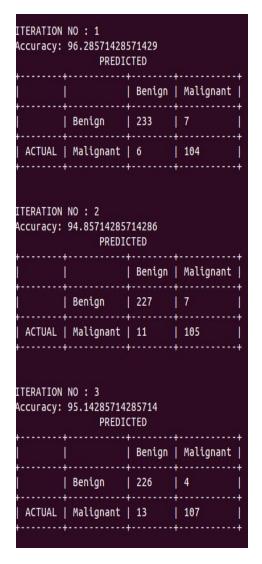
ITERATION	NO	: 9		
Accuracy:	74.			
			REDIC	ΓED -++
i		1	3	2
† !		25	0	1
ACTUAL	3	4	14	10
i		2	6	27
+	+	+	+	-++

ITERATION	NO	: 10		
Accuracy:	71.		235955 EDICTE	100
		1	3	2
	1	23	2	0
ACTUAL	3	4 +	14	12
 +	2	3 +	4	27

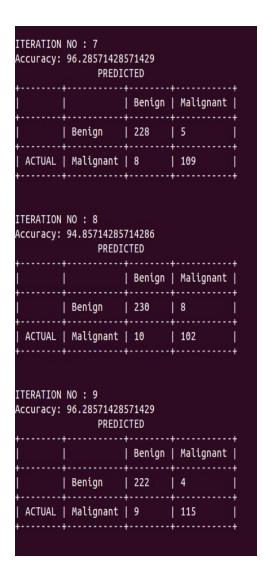
Mean: 70.33707865168539 Standard Deviation: 3.8987306905387578

Observation of WISCONSIN data set: (k=1)

Sample output obtained for Random Subsampling over 10 iterations is, class index = 10:



	i	l Booise	Malianant
	 	bentgn +	Malignant +
	Benign	216	10
ACTUAL	Malignant	9	115
	ĺ	Benign	 Malignant
	+	Benign +	Malignant +
	Benign +	217	7 +
		1 42	114
ACTUAL	Malignant +	12 +	+
TERATION	·····	714286	+
TERATION	NO : 6 94.85714285	714286 CTED	+
TERATION	NO : 6 94.85714285 PREDI	714286 CTED	+



Mean: 95.22857142857144 Standard Deviation: 0.7119963311072662

Observation of WISCONSIN data set: (k=3)

Sample output obtained for Random Subsampling over 10 iterations is, class index = 10:

ITERATION NO : 1 Accuracy: 95.14285714285714 PREDICTED						
	Benign	Malignant				
Benign	221	10				
ACTUAL Malignant	7	112				
+	+					
ITERATION NO : 2 Accuracy: 96.28571428571429 PREDICTED						
į į	Benign	Malignant				
Benign	217	3				
ACTUAL Malignant	10	120				
+	++					
ITERATION NO : 3 Accuracy: 96.28571428571429 PREDICTED						
	Benign	Malignant				
Benign	209	8				
++ ACTUAL Malignant	5	128				
++						

	+		
 	 	Benign	Malignant
	Benign	223	11
ACTUAL	Malignant	5	111
Accuracy:	94.85714285 PREDI		
+	+	+	·····
	1	Benign	Malignant
Market Street, Square Street, Square			
	Benign	209	8
ACTUAL	Benign + Malignant		
HITERATION	Malignant	10 10 	
TERATION	Malignant Mo : 6 95.71428571	+ 10	
TERATION	Malignant Mo : 6 95.71428571	428572 CTED +	123 Malignant

ITERATION NO : 7 Accuracy: 96.0				
PREDICTED				
		Benign	Malignant	
	Benign	219	3	
ACTUAL	Malignant	11	117	
ITERATION NO : 8 Accuracy: 95.71428571428572 PREDICTED				
!		Benign	Malignant	
ļ	Benign	220	7	
ACTUAL	Malignant	8	115	
ITERATION NO : 9 ACCUFACY: 95.14285714285714 PREDICTED				
		Benign	Malignant	
	Benign	223	8	
ACTUAL	Malignant	9	110	
*	**********		****************	

ITERATION Accuracy:	NO : 10 95.142857142 PREDIC		
 	! !	Benign	Malignant
!	Benign	230	3
ACTUAL	Malignant	14	103

Mean: 95.57142857142858 Standard Deviation: 0.4823412290324065

CODE:

There is a general code for both "Random Subsampling" and "Five Fold Cross Validation". : User can select the two types of algorithm as per given choice :

```
import random
from matplotlib.pyplot import *
import csv
import math
import operator
from tabulate import tabulate
# Function to load the dataset and create training sample and test sample
# Depending on the split ratio given: Random Subsampling
def read file load dataset randomsubsampling(filename, index of class,
training_sample=[], test_sample=[]):
  f = open(filename, 'rb')
  dataset = f.readlines()
  length = len(dataset)
  random.shuffle(dataset)
  test=[]
  #Spliting the dataset into training sample: list of lists
  for i in range(0, length/2):
       test = dataset[i].split(',')
       for i in range(0, len(test)):
               if filename=='wisconsin.data':
                     if i==0:
                             test[i]=0
               if i!=index_of_class:
                      if test[i]=='?':
                             test[i]=5
                     test[i] = float(test[i])
       training_sample.append(test)
       test=[]
```

#Spliting the dataset into test sample - with classname(for simplicity): list of lists

```
for i in range((length/2), length):
        test = dataset[i].split(',')
        for i in range(0, len(test)):
               if filename=='wisconsin.data':
                      if i==0:
                              test[i]=0
               if i!=index of class:
                      if test[i]=='?':
                              test[i]=5
                      test[i] = float(test[i])
        test_sample.append(test)
        test=[]
  return dataset
# Function to load the dataset and create training sample and test sample
# Depending on the split ratio given: Randomsubsampling
def read file load dataset fivefoldcrossvalid(begin, end, filename, index of class,
training_sample=[], test_sample=[]):
  f = open(filename, 'rb')
  dataset = f.readlines()
  length = len(dataset)
  random.shuffle(dataset)
  test=[]
  begin iter test = int(begin * length)
  end iter test = int(end * length)
  begin iter training = int(begin * length)
  end_iter_training = int(end * length)
  #Spliting the dataset into training sample: list of lists
  if begin iter test==0:
        for i in range(end iter test, length):
               test = dataset[i].split(',')
               for i in range(0, len(test)):
                      if filename=='wisconsin.data':
                              if i==0:
                                     test[i]=0
                      if i!=index of class:
                              if test[i]=='?':
                                     test[i]=5
                              test[i] = float(test[i])
               training_sample.append(test)
               test=[]
```

```
else:
      for i in range(0, begin_iter_test):
             test = dataset[i].split(',')
             for i in range(0, len(test)):
                     if filename=='wisconsin.data':
                             if i==0:
                                    test[i]=0
                     if i!=index_of_class:
                             if test[i]=='?':
                                    test[i]=5
                             test[i] = float(test[i])
             training_sample.append(test)
             test=[]
      for i in range(end_iter_test, length):
             test = dataset[i].split(',')
             for i in range(0, len(test)):
                     if filename=='wisconsin.data':
                             if i==0:
                                    test[i]=0
                     if i!=index_of_class:
                             if test[i]=='?':
                                    test[i]=5
                             test[i] = float(test[i])
             training_sample.append(test)
             test=[]
#Spliting the dataset into test sample - with classname(for simplicity): list of lists
for i in range(begin iter test, end iter test):
      test = dataset[i].split(',')
      for i in range(0, len(test)):
             if filename=='wisconsin.data':
                     if i==0:
                             test[i]=0
             if i!=index_of_class:
                     if test[i]=='?':
                             test[i]=5
                     test[i] = float(test[i])
      test_sample.append(test)
      test=∏
return dataset
```

```
#Fuction to calculate euldiean distance between test instance and each training instance
def calculate euclidean distance(variable1, variable2, dimension, index of class):
  distance = 0
  for x in range(dimension):
       if x!=index of class:
              distance = distance + pow((variable1[x] - variable2[x]), 2)
  return math.sqrt(distance)
def find_k_nearest_neighbours(training_sample, index_of_class, test_instance, k):
  length_training_sample = len(training_sample)
  distances=[]
  for i in range(length_training_sample):
       d = calculate euclidean distance(test instance, training sample[i],
len(test_instance), index_of_class)
       temp = training sample[i]
       distances.append((temp, d))
  neighbours = []
  distances.sort(key=operator.itemgetter(1))
  for i in range(k):
       x = distances[i][0]
       neighbours.append(x)
  return neighbours
#Devise prediction class on the basis of the neighbours obtained
def getprediction(neighbours, index_of_class):
  length of neighbours = len(neighbours)
  class votes dictionary = {}
  for i in range(length_of_neighbours):
       predicted class = neighbours[i][index of class]
       if predicted_class in class_votes_dictionary:
              x = predicted class
              class_votes_dictionary[x]+=1
       else:
              x = predicted class
              class votes dictionary[x]=1
  sorted class votes=[]
  sorted class votes = sorted(class votes dictionary.iteritems(),
key=operator.itemgetter(1), reverse=True)
```

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return sorted_class_votes[0][0]

```
#Calculate the ratio of the total correct predictions out of all predictions made:
classification accuracy
def calculate_accuracy(test_verify_sample, predictions, index_of_class):
  correct=0
  length_test_sample = len(test_verify_sample)
  for i in range(length test sample):
       if test verify sample[i][index of class] == predictions[i]:
              correct = correct+1
  accuracy_percentage = (correct/(float(length_test_sample))) * 100
  return accuracy_percentage
#Calculating mean of the accuracy percentage
def calculate_mean(accuracy_percentage_list):
  sum=0
  for i in range(len(accuracy_percentage_list)):
       sum=sum+float(accuracy_percentage_list[i])
  mean = sum/len(accuracy_percentage_list)
  return mean
#Calculating standard deviation of the accuracy percentage
def calculate_standard_deviation(accuracy_percentage_list, mean):
  diff sa = 0
  for i in range(len(accuracy_percentage_list)):
       diff_sq = diff_sq + pow((accuracy_percentage_list[i] - mean), 2)
  diff sq = diff sq/len(accuracy percentage list)
  return math.sqrt(diff sq)
def confusion_matrix(filename, predictions, actual_classes):
  #Fetching the name of the classes to dictionary and then to the list
  classes={}
  for i in range(len(actual classes)):
       if actual_classes[i][(len(actual_classes[i]))-1] == '\n':
                      actual classes[i] = actual classes[i][0:len(actual classes[i])-1]
                      predictions[i] = predictions[i][0:len(predictions[i])-1]
       if actual classes[i] in classes:
               classes[actual classes[i]]= 1
       else:
```

```
classes[actual_classes[i]]= 1
  c =[]
  for i in classes.keys():
        c.append(i)
  length = len(c)
  #Creating confusion matrix as list -> empty list and hence comparing and increasing
the count
  confusion_matrix=[]
  for i in range(length):
        for j in range(length):
               confusion_matrix.append(0)
  count = 0
  for i in range(len(actual_classes)):
        for j in range(length):
               for k in range(length):
                      if actual_classes[i] == c[j] and predictions[i] == c[k]:
                             count = count +1
                             confusion_matrix[j*length+k] =
confusion_matrix[j*length+k]+1
  #Printing confusion matrix
  if filename == 'wisconsin.data':
        for i in range(length):
               if c[i] == '2':
                      c[i] = 'Benign'
               if c[i]=='4':
                      c[i] ='Malignant'
  print "\t\t"+'PREDICTED'
  table = []
  #Append Classes name
  L=[]
  L.append('\t')
  L.append('\t')
  for i in range(length):
        L.append(c[i])
  table.append(L)
  #Create Empty Table
  for i in range(length):
```

```
for j in range(length+2):
               if i==length/2:
                      if j==0:
                             L.append('ACTUAL')
                      elif j==1:
                             L.append(c[i])
                      else:
                             L.append('\t')
               else:
                      if j==1:
                             L.append(c[i])
                      else:
                             L.append('\t')
       table.append(L)
       L=[]
  #Populate value to the confusion matrix/empty table
  value index=0
  for i in range(1, length+1):
       for j in range(2, length+2):
               table[i][j] = confusion_matrix[value_index]
               value_index+=1
  print tabulate(table, tablefmt="grid")
if __name__ == '__main__':
  #Taking inputs
  filename = raw_input('Enter the source dataset filename: ')
  index_of_class = input('Enter the index of the class in the given dataset: ')
  k = input('Enter the value of k: ')
  print "Enter 1.....Random Sub Sampling"
  print "Enter 2.....Five Fold Cross Validation"
  choice = input("Enter Choice\n")
  if choice == 1:
       accuracy_percentage_list=[]
       for x in range(10):
               #Initiliasing Variables
               training_sample = []
               test_sample=[]
```

```
dataset=∏
              dataset = read_file_load_dataset_randomsubsampling(filename,
index_of_class, training_sample, test_sample)
              predictions = []
              for i in range(len(test_sample)):
                     neighbours = find_k_nearest_neighbours(training_sample,
index_of_class, test_sample[i], k)
                     predicted output = getprediction(neighbours, index of class)
                     predictions.append(predicted output)
              #print predictions
              actual_classes = []
              for i in range(len(test_sample)):
                     actual_classes.append(test_sample[i][index_of_class])
              accuracy_percentage = calculate_accuracy(test_sample, predictions,
index_of_class)
              print '\n'
              print 'ITERATION NO : ' + repr(x+1)
              print 'Accuracy: ' + repr(accuracy_percentage)
              accuracy_percentage_list.append(accuracy_percentage)
              confusion matrix(filename, predictions, actual classes)
       print accuracy_percentage_list
       mean = calculate_mean(accuracy_percentage_list)
       sd = calculate_standard_deviation(accuracy_percentage_list, mean)
       print 'Mean: ' + repr(mean)
       print 'Standard Deviation: ' + repr(sd)
  elif choice == 2:
       mean list = []
       for x in range(10):
              accuracy_percentage_list=[]
              print '\n'
              print 'ITERATION NO : ' + repr(x+1)
              split ratio = 0.0
              for y in range(5):
                     #Initiliasing Variables
                     training sample = []
                     test sample=[]
                     dataset=∏
```

```
dataset = read_file_load_dataset_fivefoldcrossvalid(split_ratio,
split_ratio+0.2, filename, index_of_class, training_sample, test_sample)
                   split ratio+=0.2
                   predictions = []
                  for i in range(len(test_sample)):
                         neighbours = find_k_nearest_neighbours(training_sample,
index_of_class, test_sample[i], k)
                         predicted_output = getprediction(neighbours, index_of_class)
                         predictions.append(predicted output)
                   #print predictions
                   actual_classes = []
                   for i in range(len(test_sample)):
                         actual_classes.append(test_sample[i][index_of_class])
                   accuracy_percentage = calculate_accuracy(test_sample, predictions,
index_of_class)
                   print 'FOLD #' + repr(y+1)
                   print 'Accuracy: ' + repr(accuracy_percentage)
                   accuracy_percentage_list.append(accuracy_percentage)
                   #confusion_matrix(filename, predictions, actual_classes)
             mean = calculate mean(accuracy percentage list)
             sd = calculate_standard_deviation(accuracy_percentage_list, mean)
             mean list.append(mean)
             print '-----'
             print 'Mean: ' + repr(mean)
             print 'Standard Deviation: ' + repr(sd)
             print '-----'
      print
      print '==============
      grand mean = calculate mean(mean list)
      grand_sd = calculate_standard_deviation(mean_list, grand_mean)
      print 'Grand Mean: ' + repr(grand_mean)
      print 'Grand Standard Deviation: ' + repr(grand_sd)
      else:
      print "Wrong Choice Entered!"
```

K-FOLD CROSS VALIDATION:

- ➤ Divides the data into five folds (20% test data and 80% training data) each in consecutive five folds respectively.
- ➤ User is asked the choice for it. i.e. Enter 2... Five Fold Cross Validation
- ➤ After selecting the type of algorithm, the user enters the name of dataset, he wants to work upon, the value of k (1 or 3) and the index of the class i.e. the index of the attribute in the data set.
- > Sample output:

1) Observation of IRIS data set: (k=1)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO: 1

FOLD #1

Accuracy: 93.333333333333333

FOLD #2

Accuracy: 93.333333333333333

FOLD #3

Accuracy: 86.6666666666667

FOLD #4

Accuracy: 93.33333333333333

FOLD #5

Mean: 91.9999999999999

Standard Deviation: 2.66666666666663

ITERATION NO: 2

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 100.0

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 93.333333333333333

Mean: 98.0

Standard Deviation: 2.6666666666668

ITERATION NO:3

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 100.0

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 96.6666666666667

FOLD #5

Accuracy: 100.0

Mean: 98.0000000000001

Standard Deviation: 1.6329931618554498

ITERATION NO: 4

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 96.66666666666667

Mean: 97.33333333333333

Standard Deviation: 1.3333333333333335

ITERATION NO:5

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 93.333333333333333

FOLD #3

Accuracy: 93.333333333333333

FOLD #4

Accuracy: 93.333333333333333

FOLD #5 Accuracy: 90.0

Mean: 93.33333333333333

Standard Deviation: 2.108185106778921

ITERATION NO: 6

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 93.333333333333333

FOLD #3 Accuracy: 100.0

FOLD #4

Accuracy: 93.333333333333333

FOLD #5

Accuracy: 96.66666666666667

Mean: 96.666666666666

Standard Deviation: 2.981423969999722

ITERATION NO:7

FOLD #1

Accuracy: 96.6666666666667

FOLD #2 Accuracy: 100.0

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 96.6666666666667

FOLD #5

Accuracy: 100.0

Mean: 98.0000000000001

Standard Deviation: 1.6329931618554498

ITERATION NO:8

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 93.333333333333333

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 90.0

Mean: 96.0

Standard Deviation: 3.887301263230201

ITERATION NO:9

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 93.333333333333333

FOLD #5 Accuracy: 90.0

Mean: 95.333333333333334

Standard Deviation: 3.3993463423951913

ITERATION NO: 10

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 93.333333333333333

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 100.0

FOLD #5

Standard Deviation: 2.108185106778921

Grand Mean: 96.13333333333333

Grand Standard Deviation: 1.9504985117770455

	PREDICTED			
İ	j		Iris-setosa	Iris-versicolor
	is-virginica		0	0
ACTUAL Ir		0	10	0
Ir	is-versicolor	1	0	12
			+	· · · · · · · · · · · · · · · · · · ·

2) Observation of IRIS data set: (k=3)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO: 1

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 93.333333333333333

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 93.333333333333333

FOLD #5

Accuracy: 96.6666666666667

Mean: 95.33333333333333

Standard Deviation: 1.6329931618554567

ITERATION NO: 2

FOLD #1

Accuracy: 93.333333333333333

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4 Accuracy: 90.0 FOLD #5

Accuracy: 96.6666666666667 -----

Mean: 94.6666666666667

Standard Deviation: 2.666666666666696

ITERATION NO:3

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 100.0

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 96.6666666666667

FOLD #5

Accuracy: 96.6666666666667

Mean: 97.33333333333333

Standard Deviation: 1.333333333333333515

ITERATION NO: 4

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 86.666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 93.333333333333333

FOLD #5

Accuracy: 96.6666666666667

Mean: 94.0

Standard Deviation: 3.887301263230201

ITERATION NO:5

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 93.333333333333333

FOLD #3

Accuracy: 100.0

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 96.6666666666667

Mean: 98.0

Standard Deviation: 2.6666666666668

ITERATION NO: 6

FOLD #1

Accuracy: 100.0

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 90.0

Mean: 96.6666666666667

Standard Deviation: 3.651483716701107

ITERATION NO:7

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 96.6666666666667

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

FOLD #5

Mean: 95.33333333333333

Standard Deviation: 1.6329931618554567

ITERATION NO:8

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 93.333333333333333

FOLD #3 Accuracy: 100.0

FOLD #4

Accuracy: 96.6666666666667

FOLD #5

Accuracy: 100.0

Mean: 97.33333333333333

Standard Deviation: 2.494438257849295

ITERATION NO:9

FOLD #1

Accuracy: 96.6666666666667

FOLD #2

Accuracy: 100.0

FOLD #3

Accuracy: 96.6666666666667

FOLD #4 Accuracy: 90.0 FOLD #5

Accuracy: 96.66666666666667
-----Mean: 96.000000000000001

Standard Deviation: 3.2659863237109046

ITERATION NO: 10

FOLD #1

Accuracy: 93.333333333333333

FOLD #2

Accuracy: 100.0

FOLD #3

Accuracy: 96.6666666666667

FOLD #4

Accuracy: 100.0

FOLD #5

Accuracy: 90.0

Mean: 96.0

Standard Deviation: 3.887301263230201

Grand Mean: 96.066666666668

Grand Standard Deviation: 1.2092238098144714

PREDICTED			
	Iris-virginica	Iris-setosa	Iris-versicolor
Iris-virginica	7	0	2
Iris-setosa	0	6	0
		0	14
	Iris-virginica Iris-setosa	Iris-virginica Iris-virginica 7 Iris-setosa 0	Iris-virginica Iris-setosa Iris-virginica 7 0 Iris-setosa 0 6

3) Observation of WINE data set: (k=1)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO: 1

FOLD #1 Accuracy: 60.0

FOLD #2

FOLD #3

Accuracy: 71.42857142857143

FOLD #4 Accuracy: 75.0

FOLD #5

Standard Deviation: 4.965337142660831

ITERATION NO: 2

FOLD #1

Accuracy: 80.0

FOLD #2

Accuracy: 77.77777777779

FOLD #3

Accuracy: 68.57142857142857

FOLD #4

Accuracy: 72.222222222221

FOLD #5 Accuracy: 75.0

Mean: 74.71428571428571

Standard Deviation: 4.033620361719009

ITERATION NO:3

FOLD #1

Accuracy: 80.0

FOLD #2

Accuracy: 77.77777777779

FOLD #3

Accuracy: 77.14285714285715

FOLD #4

Accuracy: 66.6666666666666

FOLD #5

Accuracy: 72,2222222222221

Mean: 74.76190476190476

Standard Deviation: 4.778805985443489

ITERATION NO: 4

FOLD #1

Accuracy: 65.71428571428571

FOLD #2

FOLD #3

Accuracy: 62.857142857142854

FOLD #4

Accuracy: 77.77777777779

FOLD #5

Accuracy: 63.88888888888888

Mean: 67.93650793650792

Standard Deviation: 5.40825121032142

ITERATION NO:5

FOLD #1

Accuracy: 80.0 FOLD #2 Accuracy: 75.0

FOLD #3

Accuracy: 74.28571428571429

FOLD #4

Accuracy: 72.222222222221

FOLD #5

Accuracy: 72.222222222221

Mean: 74.74603174603175

Standard Deviation: 2.8502562508289113

ITERATION NO: 6

FOLD #1

Accuracy: 80.0

FOLD #2

Accuracy: 75.0

FOLD #3

Accuracy: 65.71428571428571

FOLD #4

Accuracy: 86.111111111111111

FOLD #5

Accuracy: 80.5555555555556

Mean: 77.47619047619048

Standard Deviation: 6.854018982733525

ITERATION NO:7

FOLD #1

Accuracy: 77.14285714285715

FOLD #2

Accuracy: 77.77777777779

FOLD #3

Accuracy: 68.57142857142857

FOLD #4

Accuracy: 80.555555555556

FOLD #5

Mean: 74.6984126984127

Standard Deviation: 4.793913584723651

ITERATION NO:8

FOLD #1

Accuracy: 80.0 FOLD #2

Accuracy: 75.0

FOLD #3

Accuracy: 74.28571428571429

FOLD #4

Accuracy: 52.77777777778

FOLD #5

Accuracy: 80.5555555555556

Mean: 72.52380952380952

Standard Deviation: 10.193566262446543

ITERATION NO:9

FOLD #1

Accuracy: 80.0 FOLD #2

Accuracy: 77.77777777779

FOLD #3

Accuracy: 85.71428571428571

FOLD #4

Accuracy: 69.44444444444444

FOLD #5

Accuracy: 80.555555555556

Mean: 78.6984126984127

Standard Deviation: 5.307524477058769

ITERATION NO: 10

FOLD #1

Accuracy: 77.14285714285715

FOLD #2

FOLD #3

Accuracy: 77.14285714285715

FOLD #4

Accuracy: 72.222222222221

FOLD #5 Accuracy: 75.0

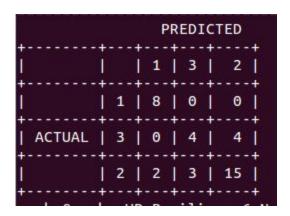
.....

Mean: 74.19047619047619

Standard Deviation: 2.98286025123667

Grand Mean: 73.88095238095238

Grand Standard Deviation: 3.154405989706493



4) Observation of WINE data set: (k=3)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO: 1

FOLD #1

Accuracy: 71.42857142857143

FOLD #2

Accuracy: 66.6666666666666

FOLD #3 Accuracy: 80.0 FOLD #4

Accuracy: 63.88888888888888

FOLD #5

Accuracy: 61.1111111111111114

Mean: 68.61904761904762

Standard Deviation: 6.632869736949603

ITERATION NO: 2

FOLD #1

Accuracy: 68.57142857142857

FOLD #2

Accuracy: 72.222222222221

FOLD #3

Accuracy: 57.14285714285714

FOLD #4

FOLD #5

Accuracy: 61.111111111111114

Mean: 65.6984126984127

Standard Deviation: 5.640707960334124

ITERATION NO:3

FOLD #1

Accuracy: 71.42857142857143

FOLD #2

Accuracy: 61.111111111111114

FOLD #3

Accuracy: 62.857142857142854

FOLD #4

Accuracy: 69.44444444444444

FOLD #5

Accuracy: 66.6666666666666

Mean: 66.3015873015873

Standard Deviation: 3.8756171332144387

ITERATION NO: 4

FOLD #1

Accuracy: 74.28571428571429

FOLD #2

Accuracy: 61.111111111111114

FOLD #3

Accuracy: 74.28571428571429

FOLD #4 Accuracy: 75.0

FOLD #5

Accuracy: 72.222222222221

Mean: 71.38095238095238

Standard Deviation: 5.218240388659981

ITERATION NO:5

FOLD #1

Accuracy: 65.71428571428571

FOLD #2

FOLD #3 Accuracy: 60.0

FOLD #4

Accuracy: 80.555555555556

FOLD #5

Accuracy: 80.5555555555556

Mean: 71.25396825396825

Standard Deviation: 8.168883805969122

ITERATION NO: 6

FOLD #1

Accuracy: 65.71428571428571

FOLD #2

Accuracy: 63.88888888888888

FOLD #3 Accuracy: 60.0

FOLD #4

FOLD #5

Mean: 65.6984126984127

Standard Deviation: 3.572451352666761

ITERATION NO:7

FOLD #1

Accuracy: 74.28571428571429

FOLD #2

FOLD #3

Accuracy: 82.85714285714286

FOLD #4

Accuracy: 61.111111111111114

FOLD #5

Accuracy: 72.2222222222221

Mean: 71.98412698412699

Standard Deviation: 7.046260415302719

ITERATION NO:8

FOLD #1

Accuracy: 85.71428571428571

FOLD #2

Accuracy: 63.88888888888888

FOLD #3

Accuracy: 77.14285714285715

FOLD #4

Accuracy: 77.77777777779

FOLD #5

Accuracy: 77.777777777779

Mean: 76.46031746031746

Standard Deviation: 7.037243900368803

ITERATION NO:9

FOLD #1

Accuracy: 74.28571428571429

FOLD #2

FOLD #3

Accuracy: 71.42857142857143

FOLD #4

Accuracy: 69.44444444444444

FOLD #5

Accuracy: 58.333333333333333

Mean: 68.5873015873016

Standard Deviation: 5.425089387297346

ITERATION NO: 10

FOLD #1

Accuracy: 68.57142857142857

FOLD #2

Accuracy: 72.222222222221

FOLD #3

Accuracy: 77.14285714285715

FOLD #4

Accuracy: 58.33333333333333

FOLD #5 Accuracy: 75.0

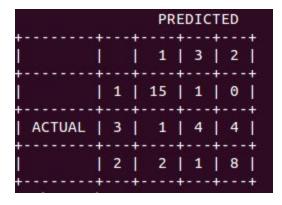
.____

Mean: 70.25396825396825

Standard Deviation: 6.6149543888938025

Grand Mean: 69.62380952380951

Grand Standard Deviation: 3.1998366202938295



5) Observation of WISCONSIN data set: (k=1)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO:1

FOLD #1

Accuracy: 96.40287769784173

FOLD #2

Accuracy: 95.0

FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 93.57142857142857

FOLD #5 Accuracy: 95.0

Mean: 95.42343268242549

Standard Deviation: 1.2413092051214294

ITERATION NO: 2

FOLD #1

Accuracy: 97.12230215827337

FOLD #2

Accuracy: 94.28571428571428

FOLD #3

Accuracy: 97.85714285714285

FOLD #4 Accuracy: 95.0 FOLD #5

Accuracy: 97.14285714285714

Mean: 96.28160328879753

Standard Deviation: 1.382529393841414

ITERATION NO:3

FOLD #1

Accuracy: 96.40287769784173

FOLD #2

Accuracy: 97.14285714285714

FOLD #3 Accuracy: 95.0 FOLD #4

Accuracy: 92.85714285714286

FOLD #5

Accuracy: 92.14285714285714

Mean: 94.70914696813978

Standard Deviation: 1.9438120886495422

ITERATION NO: 4

FOLD #1

Accuracy: 94.24460431654677

FOLD #2 Accuracy: 95.0

FOLD #3

Accuracy: 95.71428571428572

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 92.85714285714286

Mean: 94.70606372045222

Standard Deviation: 1.0724621069638771

ITERATION NO:5

FOLD #1

Accuracy: 93.5251798561151

FOLD #2 Accuracy: 95.0

FOLD #3

Accuracy: 95.71428571428572

FOLD #4

Accuracy: 93.57142857142857

FOLD #5

Accuracy: 95.71428571428572

Mean: 94.70503597122303

Standard Deviation: 0.9799285744627404

ITERATION NO: 6

FOLD #1

Accuracy: 96.40287769784173

FOLD #2

Accuracy: 95.71428571428572

FOLD #3

Accuracy: 96.42857142857143

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 97.85714285714285

Mean: 96.4234326824255

Standard Deviation: 0.7825282901000978

ITERATION NO:7

FOLD #1

Accuracy: 94.96402877697841

FOLD #2

Accuracy: 97.14285714285714

FOLD #3

Accuracy: 97.85714285714285

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 96.42857142857143

Mean: 96.42137718396711

Standard Deviation: 1.0203774676416417

ITERATION NO:8

FOLD #1

Accuracy: 94.96402877697841

FOLD #2 Accuracy: 95.0 FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 97.85714285714285

FOLD #5

Accuracy: 93.57142857142857

Mean: 95.70709146968139

Standard Deviation: 1.5682678702155175

ITERATION NO:9

FOLD #1

Accuracy: 96.40287769784173

FOLD #2

Accuracy: 97.14285714285714

FOLD #3

Accuracy: 95.71428571428572

FOLD #4

Accuracy: 96.42857142857143

FOLD #5

Accuracy: 95.71428571428572

Mean: 96.28057553956835

Standard Deviation: 0.5332463777444121

ITERATION NO: 10

FOLD #1

Accuracy: 95.68345323741008

FOLD #2

Accuracy: 97.14285714285714

FOLD #3

Accuracy: 95.71428571428572

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 93.57142857142857
-----Mean: 95.56526207605344

Standard Deviation: 1.1421526587190403

Grand Mean: 95.62230215827337

Grand Standard Deviation: 0.6865163683041445

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6) Observation of WISCONSIN data set: (k=3)

Sample output obtained for K-FOLD CROSS VALIDATION over 10 iterations:

ITERATION NO: 1

FOLD #1

Accuracy: 97.84172661870504

FOLD #2

Accuracy: 97.85714285714285

FOLD #3

Accuracy: 95.71428571428572

FOLD #4

Accuracy: 95.0

FOLD #5

Accuracy: 97.14285714285714

Mean: 96.71120246659814

Standard Deviation: 1.157553185771413

ITERATION NO: 2

FOLD #1

Accuracy: 97.84172661870504

FOLD #2

Accuracy: 98.57142857142858

FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 99.28571428571429

Mean: 97.71120246659817

Standard Deviation: 1.2285606128258935

ITERATION NO:3

FOLD #1

Accuracy: 97.12230215827337

FOLD #2

Accuracy: 96.42857142857143

FOLD #3

Accuracy: 96.42857142857143

FOLD #4 Accuracy: 95.0

FOLD #5

Accuracy: 96.42857142857143

Mean: 96.28160328879753

Standard Deviation: 0.6948496932891896

ITERATION NO: 4

FOLD #1

Accuracy: 95.68345323741008

FOLD #2

Accuracy: 97.85714285714285

FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 97.14285714285714

FOLD #5 Accuracy: 95.0

.....

Mean: 96.56526207605343

Standard Deviation: 1.0548763216207666

ITERATION NO:5

FOLD #1

Accuracy: 97.12230215827337

FOLD #2

Accuracy: 95.71428571428572

FOLD #3 Accuracy: 95.0 FOLD #4

Accuracy: 96.42857142857143

FOLD #5

Accuracy: 97.85714285714285

Mean: 96.42446043165468

Standard Deviation: 1.007274993092589

ITERATION NO: 6

FOLD #1

Accuracy: 94.96402877697841

FOLD #2 Accuracy: 95.0

FOLD #3

Accuracy: 96.42857142857143

FOLD #4

Accuracy: 96.42857142857143

FOLD #5

Accuracy: 97.14285714285714

Mean: 95.9928057553957

Standard Deviation: 0.865615038791126

ITERATION NO:7

FOLD #1

Accuracy: 96.40287769784173

FOLD #2

Accuracy: 94.28571428571428

FOLD #3

Accuracy: 98.57142857142858

FOLD #4

Accuracy: 97.85714285714285

FOLD #5

Accuracy: 92.14285714285714

Mean: 95.85200411099693

Standard Deviation: 2.3634867270207987

ITERATION NO:8

FOLD #1

Accuracy: 95.68345323741008

FOLD #2

Accuracy: 96.42857142857143

FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 95.71428571428572

FOLD #5

Accuracy: 96.42857142857143

Mean: 96.27954779033915

Standard Deviation: 0.5412151251221536

ITERATION NO:9

FOLD #1

Accuracy: 95.68345323741008

FOLD #2

Accuracy: 96.42857142857143

FOLD #3

Accuracy: 97.85714285714285

FOLD #4

Accuracy: 97.14285714285714

FOLD #5

Accuracy: 97.14285714285714

Mean: 96.85097636176772

Standard Deviation: 0.7381457810829236

ITERATION NO: 10

FOLD #1

Accuracy: 97.84172661870504

FOLD #2

Accuracy: 97.85714285714285

FOLD #3

Accuracy: 97.14285714285714

FOLD #4

Accuracy: 97.14285714285714

FOLD #5

Accuracy: 96.42857142857143

Mean: 97.28263103802672

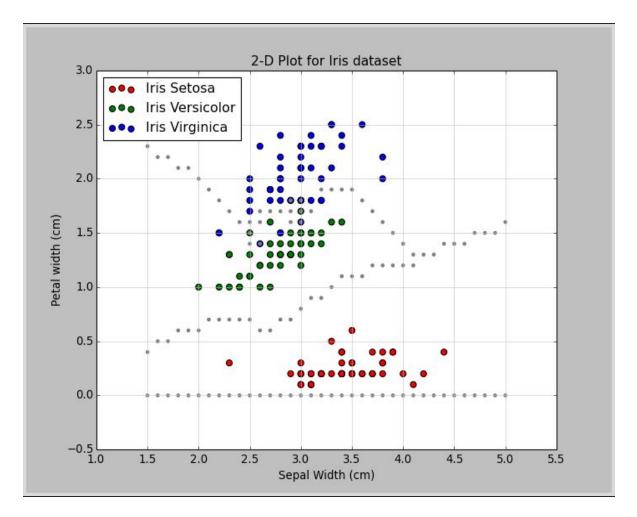
Standard Deviation: 0.5312519173956596

Grand Mean: 96.59516957862282

Grand Standard Deviation: 0.5422312696009228

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Q-3 Plot the Iris dataset using only two features, namely, Petal width and Sepal width features (2D Plot). Plot the decision boundaries of the 1-nearest neighbor classifier in this plot. You should generate the plot automatically (using code). A simple but crude method is to classify each point in a 2D grid and find the transition points in each row and column where the classification changes from one class to another.



CODE:

There is the code for plotting the graph, with x axis as "Sepal Width" and y axis as "Petal Width": The decision boundary is automatically plotted by recording transition from one class to other:

```
from matplotlib.pyplot import *
def data():
f = open('iris.data', 'rb')
dataset = f.readlines()
length = len(dataset)
test=[]
lists=[]
for i in range(0, length):
       test = dataset[i].split(',')
       lists.append(test)
       test=[]
return [map(float, I[:4]) for I in lists], [I[-1] for I in lists]
index=0
preindex=0
i=1.5
j = -0.5
#Obtaining the numerical values and the class labels:
matrix, labels = data()
xcord1 = []
ycord1 = []
# sepal width
xcord2 = []
ycord2 = []
# petal width
xcord3 = []
ycord3 = []
decision_line_x=[]
decision_line_y=[]
y = 3
x = 1
#Locating x and y coordinates of the points given ( sepal width and petal width)
for n, elem in enumerate(matrix):
```

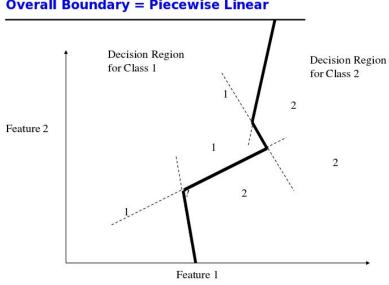
```
if labels[n] == 'Iris-setosa\n':
       length=len(xcord1)
       xcord1.insert(length,matrix[n][x])
       length=len(ycord1)
       vcord1.insert(length,matrix[n][y])
if labels[n] == 'Iris-versicolor\n':
       length=len(xcord2)
       xcord2.insert(length,matrix[n][x])
       length=len(ycord2)
       ycord2.insert(length,matrix[n][y])
if labels[n] == 'Iris-virginica\n':
       length=len(xcord3)
       xcord3.insert(length,matrix[n][x])
       length=len(ycord3)
       ycord3.insert(length,matrix[n][y])
#Plotting the decision bounday
while i<5:
j=0
while j<3:
       max_value=10000000
       temp1='iris'
       preindex=index
       for k in range(150):
       t = matrix[k][1]-i
       t2 = matrix[k][3]-j
       temp = pow(t,2)+pow(t2,2)
       if max value>temp:
       max_value=temp
       if labels[k]=='Iris-setosa\n':
              index=1
       elif labels[k]=='Iris-versicolor\n':
              index=2
       else:
              index=3
       if preindex==index:
       pass
       if preindex !=index:
       decision line x.append(i)
       decision_line_y.append(j)
       j=j+0.1
i=i+0.1
```

```
#Plotting the graph
ax = figure().add_subplot(111)
type4 = ax.scatter(decision_line_x, decision_line_y, 10, color ='grey')
ax.set title('2-D Plot for Iris dataset', fontsize=14)
ax.legend([ax.scatter(xcord1, ycord1, s=40, c='red'), ax.scatter(xcord2, ycord2, s=40,
c='green'), ax.scatter(xcord3, ycord3, s=40, c='blue')], ["Iris Setosa", "Iris Versicolor", "Iris
Virginica"], loc=2)
ax.set xlabel('Sepal Width (cm)')
ax.set ylabel('Petal width (cm)')
ax.grid(True,linestyle='-',color='0.75')
show()
```

Q-4 Will the decision boundary of a 3-NN (nearest neighbor) classifier be piecewise linear? Argue the correctness of your answer.

For plotting:

Euclidean distance is used as the distance measure (the most common choice), the nearest neighbor classifier. It results in piecewise linear decision boundaries. (Here it is piecewise linear as k is small i.e k=3).

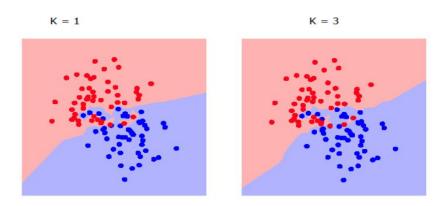


Overall Boundary = Piecewise Linear

Increasing the value of k for KNN "Simplifies" / "Smoothens" decision boundary.

-> Majority voting means less emphasis on individual points.

- -> Here K variation is small, thus we cannot figure out easily, but effectively, with proper K lines almost becomes curves.
 - -> Averaging over more data will lead to more smoothness. (Increasing k)

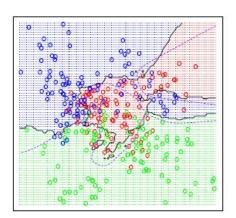


Increasing further, smoothens the decision boundary further.

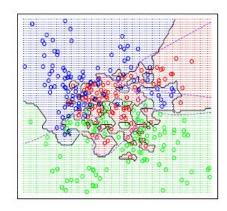
The classification boundaries generated by a given training data set and 15 Nearest Neighbors are shown below. As a comparison, the classification boundaries generated for the same training data but with 1 Nearest Neighbor.

We can see that the classification boundaries induced by 1 NN are much more complicated than 15 NN.

15 Nearest Neighbors (below)



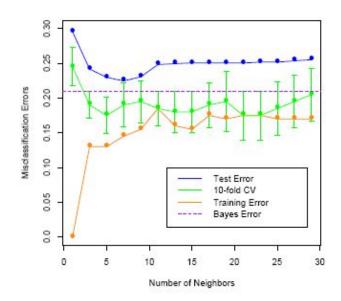
1 Nearest Neighbor (below)



For K-nearest neighbor (kNN) - We can find the K nearest neighbors, and return the majority vote of their labels. K yields smoother predictions, since we average over more data.

K=1 yields y=piecewise constant labeling.

K = N predicts y=globally constant (majority) label.



We can see that the training error rate tends to grow when k grows. The test error rate or cross-validation results indicate there is a balance between k and the error rate. When k first increases, the error rate decreases, and it increases again when k becomes too big. Hence, there is a preference for k in a certain range.