
Table of Contents

Problem 1	1
Problem 2	2
Problem 3	3
Problem 4	7

Problem 1

```
%Program to estimate K and Km in rate expression for Enzymatic Reaction
clc
clear all
close all

%  $r = KS / (Km + S)$ 

S=[1.233;0.540;0.442;0.258;0.198;0.162;0.130;0.128]
r=[5.970;3.319;2.253;2.547;1.493;1.182;1.095;0.869]
x=1./S; %  $x = 1/S$ 
y=1./r; %  $y = 1/r$ 

% Writing in the form  $y = a_1 + a_0x$ 
%  $y = (Km/K) * x + (1/K)$ 

%  $A = [1, x]$ 
A(:,2)=x;
A(:,1)=1;

%  $Aa = y$  where  $a = [(1/K); (Km/K)]$ 

a=A\y;

K=1/a(1)
Km=K*a(2)

% Writing in the form  $x = b_1y + b_0$ 
%  $x = (K/Km) * y - (1/Km)$ 

%  $B = [1, y]$ 
B(:,2)=y;
B(:,1)=1;

%  $Bb = x$  where  $b = [(-1/Km); (K/Km)]$ 

b=B\x;

Km=-1/b(1)
K=Km*b(2)
```

$S =$

```
1.2330
0.5400
0.4420
0.2580
0.1980
0.1620
0.1300
0.1280
```

```
r =
```

```
5.9700
3.3190
2.2530
2.5470
1.4930
1.1820
1.0950
0.8690
```

```
K =
```

```
14.7896
```

```
Km =
```

```
1.8083
```

```
Km =
```

```
5.1733
```

```
K =
```

```
39.2633
```

Problem 2

```
%program to solve two equations in two variables
clc;
close all;
clear all;
```

```
X=[1,1];
a=fsolve(@Fun2,X);
x = a(1)
y = a(2)
```

```
%using initial values of (x,y)=(1,1)
%Solving two equations defined in Fun2 to obtain the solution
%Final value of x
%Final value of y
```

Equation solved.

fsolve completed because the vector of function values is near zero as measured by the default value of the function tolerance, and the problem appears regular as measured by the gradient.

x =

1.2008

y =

-2.1302

Problem 3

Finding friction factor for turbulent flow in a smooth pipe given Reynold's number.

```
clc
clear all
close all

% Using iteration
Re=100000
fin=0.01; % Initial value of f
f=0.01;
while(abs(f-fin)<0.00001)
    fin=f;
    f=(1/(-0.4+sqrt(3)*log(Re*sqrt(f))))^2;
    f=f+0.00001;
end
f

% Solving using fsolve

X=0.01;
g = @(X)fun(X,Re); % Modified function which can accept parameter Re
f=fsolve(g,X)

% Solving for different values of Re using fsolve
Re=(4000:10^5:10^6);
for(i=1:10)
    g = @(X)fun(X,Re(i));
    F(i)=fsolve(g,X);
end

Re=4000:10^5:10^6
```

```
F
loglog(Re,F);
xlabel('log(Reynolds Number)')
ylabel('log(Friction factor)')
```

Re =

100000

f =

0.0041

Equation solved.

fsolve completed because the vector of function values is near zero as measured by the default value of the function tolerance, and the problem appears regular as measured by the gradient.

f =

0.0045

Equation solved.

fsolve completed because the vector of function values is near zero as measured by the default value of the function tolerance, and the problem appears regular as measured by the gradient.

Equation solved.

fsolve completed because the vector of function values is near zero as measured by the default value of the function tolerance, and the problem appears regular as measured by the gradient.

Equation solved.

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Equation solved.

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Re =

Columns 1 through 6

<i>4000</i>	<i>104000</i>	<i>204000</i>	<i>304000</i>	<i>404000</i>	<i>504000</i>
-------------	---------------	---------------	---------------	---------------	---------------

Columns 7 through 10

<i>604000</i>	<i>704000</i>	<i>804000</i>	<i>904000</i>
---------------	---------------	---------------	---------------

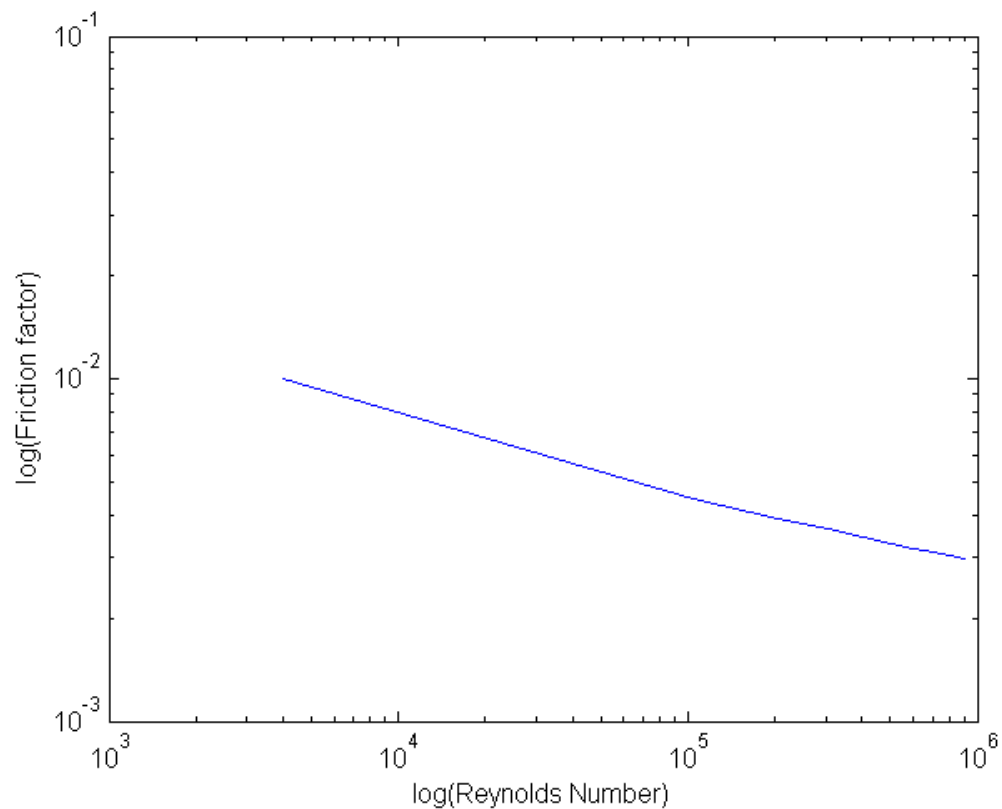
F =

Columns 1 through 7

<i>0.0100</i>	<i>0.0045</i>	<i>0.0039</i>	<i>0.0036</i>	<i>0.0034</i>	<i>0.0033</i>	<i>0.0032</i>
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Columns 8 through 10

<i>0.0031</i>	<i>0.0030</i>	<i>0.0030</i>
---------------	---------------	---------------



Problem 4

% Program to Obtain the steady state fully developed flow profile for the liquid f

```

clc;
clear all;
close all;
mu = 0.001;           %viscosity of liquid in Kg/m.s
L = 0.2;              %length of a pipe in meter
R = 0.025;            %radius of a pipe in meter
dP = 0.1;             %pressure drop across the length in Pa
i=1;
for r= -0.025:0.001:0.025
    V(i) = (dP*R^2)*(1-(r^2/R^2))/4*mu*L; % Velocity profile
    i=i+1;
end
r= -0.025:0.001:0.025;
figure(2)
plot(V,r)
xlabel('Velocity');
ylabel('Radius');

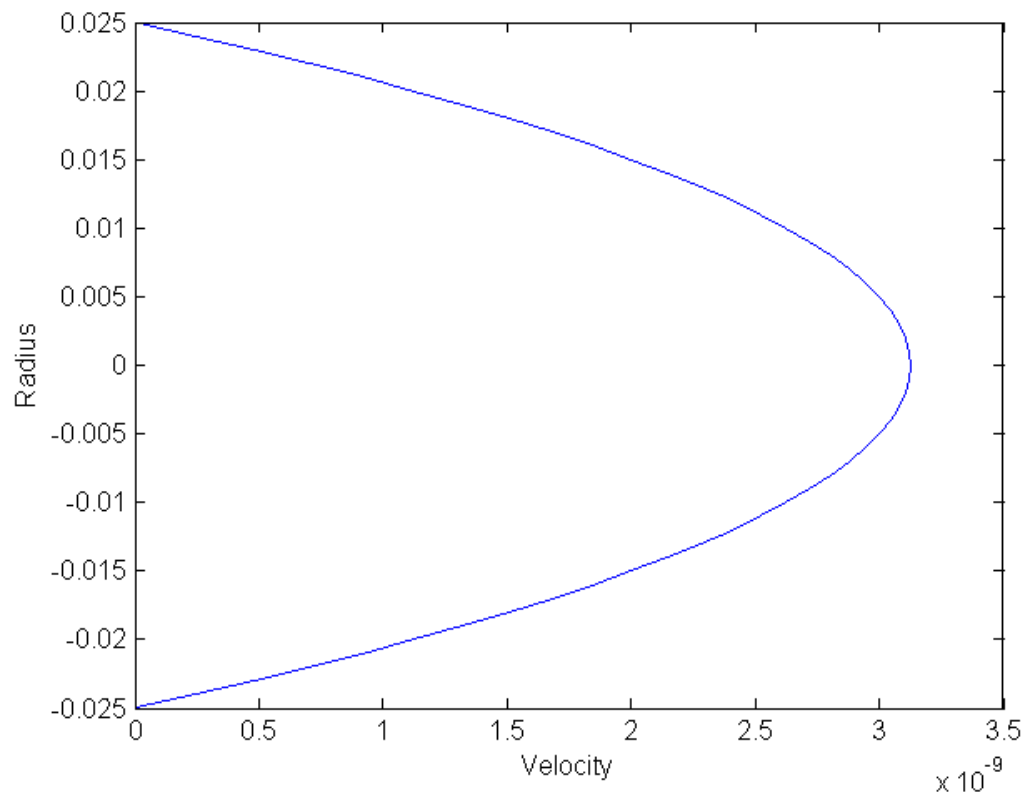
%calculating maximum velocity

```

$$V_{max} = \frac{dP \cdot R^2}{4 \cdot \mu \cdot L}$$

$$V_{max} =$$

$$0.0781$$



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