

Group No: 306 Bank Loan Status

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1. Introduction

Loan analysis is the method which helps in determining that the borrowers will be able to pay the loan or not. In this project we are taking 19 attributes, building a model and analyzing it further to check whether the person will be able to pay the loan or not. The dependent variable (Loan status) is a nominal variable we will convert that into numerical variable to apply linear regression model. This approach is also useful in understanding many things like which attribute will affect the loan delinquency. Also, the model analysis generally helps in determining and predicting the things which are related to measuring. The dataset contains the csv file credit_train.csv which contains the various independent and dependent variables. We will use this information to analyze whether the person who takes the loan is able to pay it back or not with the help various attributes present in the dataset. The dataset contains credit score, annual income and years of job which is helpful in predicting whether the person can pay the loan or not. We have applied KNN and logistic regression model. Also, we have formed a gradient boosting model found the accuracy and also stated which model is best.

2. Data

The data set was found on the Kaggle which has 99981 records in the data. The dataset has two tables credit_train.csv and credit_test.csv. The data contains 19 columns and is present in the credit_train.csv file. The data can be found from the link: <https://www.kaggle.com/zaurbegiev/my-dataset>

In the dataset except the loan status all are independent variable and the loan status is the dependent variable. By this data the analysis in between the dependent and independent variable is done and the further the graph is plot. There are only two values for the dependent variable which are “Fully paid” and “Charged off”.

Data understanding:

The attributes present in the dataset are further divided into two categories: Qualitative and Quantitative.

Qualitative	Quantitative
Loan ID	Current Loan Amount
Customer ID	Credit Score
Loan Status	Annual Income
Term	Years in Current Job
Home Ownership	Monthly Debt
Purpose	Year of Credit History
	Month since last delinquent
	Number of Open Account
	Number of Credit Problems
	Current Credit Balance
	Maximum Open Credit
	Bankruptcies
	Tax Liens

Further the attributes are classified as:

➤ **Qualitative:**

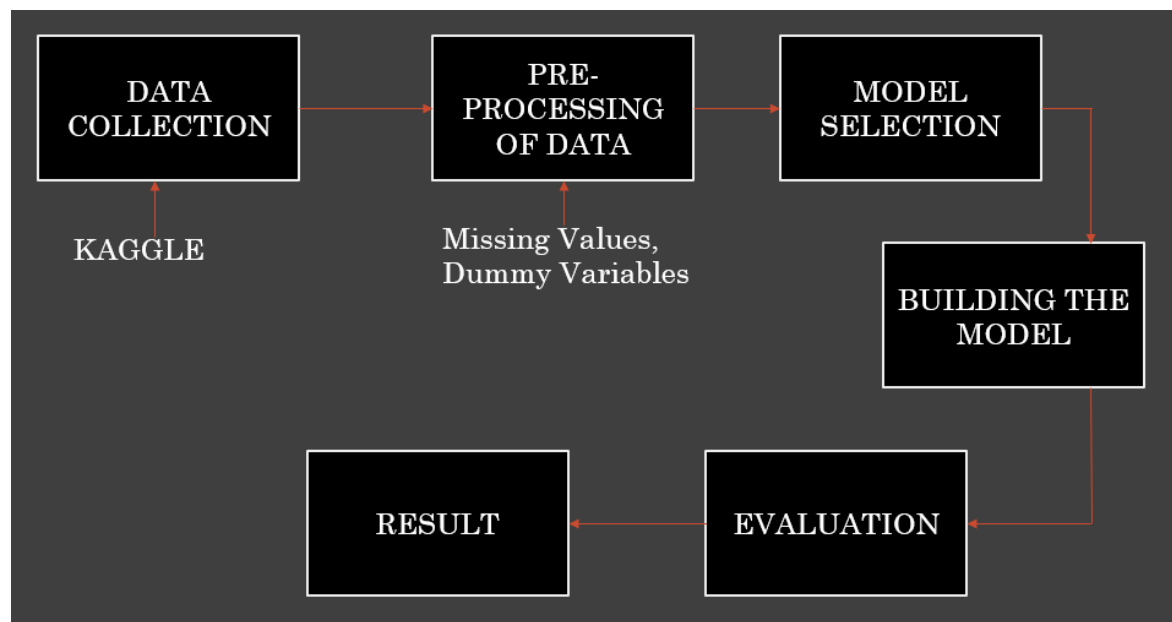
Loan ID: Nominal
Customer ID: Nominal
Loan Status: Nominal
Term: Ordinal
Home Ownership: Nominal
Purpose: Nominal

➤ **Quantitative:**

Current Loan Amount: Discrete
Credit Score: Discrete
Annual Income: Discrete
Years in Current Job: Discrete
Monthly Debt: Discrete
Year of Credit History: Discrete
Month since last delinquent: Discrete
Number of Open Account: Discrete
Number of Credit Problems: Discrete
Current Credit Balance: Discrete
Maximum Open Credit: Discrete
Bankruptcies: Discrete
Tax Liens: Discrete

As we see according to the data that loan status is nominal variable, so we will change the data to binary form or the required form according to the analysis and then further analysis it. Like for logistic analysis we will make it to binary (0 or 1), for KNN we will change it to Yes or No. Also, all the remaining will also be converted according to the analysis.

3. System Flow of Project



4. Problem to be solved

By this the we get know about the attributes which will affect whether any person will pay the loan or not. Also, we will build different model which will help in analyzing and predicting that the person will pay the loan or not according to the attributes. With the help of independent and dependent attribute present in the dataset, the problem that who will pay the loan is solved to a level. The data include a credit score column which shows and is helpful in providing the loan and also in predicting further outcomes

5. Solutions

Modeling:

- After preprocessing and normalizing the data we will build different models based on Hold-Out evaluation since our dataset has more than 5000 records.
- We will split the dataset into training and test data set.

We will create various models such as

A. KNN

B. Logistic Regression Model

C. Gradient Boosting Model

6. Experiments and Results

Data Cleaning

In the below data set, you can see there are two columns Loan Id & Customer Id which is just for identification purpose so we will remove those columns. You can see in the next screen shot that we removed those columns.

Loan Id & Customer Id in the Data set:

```
> head(credit)
  Loan.ID Customer.ID Loan.Status Current.Loan.Amount Term Credit.Score
1 14dd8831-6af5-400b-83ec-68e61888a048 981165ec-3274-42f5-a3b4-d104041a9ca9 Fully Paid 445412 Short Term 709
2 4771cc26-131a-45db-b5aa-537ea4ba5342 2de017a3-2e01-49cb-a581-08169e83be29 Fully Paid 262328 Short Term NA
3 4eed4e6a-aa2f-4c91-8651-ce984ee8fb26 5efb2b2b-bf11-4dfd-a572-3761a2694725 Fully Paid 99999999 Short Term 741
4 77598f7b-32e7-4e3b-a6e5-06ba0d98fe8a e777faab-98ae-45af-9a86-7ce5b33b1011 Fully Paid 347666 Long Term 721
5 d4062e70-befa-4995-8643-a0de73938182 81536ad9-5ccf-4eb8-befb-47a4d608658e Fully Paid 176220 Short Term NA
6 89d8cb0c-e5c2-4f54-b056-48a645c543dd 4ffe99d3-7f2a-44db-afc1-40943f1f9750 Charged Off 206602 Short Term 7290
  Annual.Income Years.in.current.job Home.Ownership Purpose Monthly.Debt Years.of.Credit.History
1 1167493 8 years Home Mortgage Home Improvements 5214.74 17.2
2 NA 10+ years Home Mortgage Debt Consolidation 33295.98 21.1
3 2231892 8 years Own Home Debt Consolidation 29200.53 14.9
4 806949 3 years Own Home Debt Consolidation 8741.90 12.0
5 NA 5 years Rent Debt Consolidation 20639.70 6.1
6 896857 10+ years Home Mortgage Debt Consolidation 16367.74 17.3
  Months.since.last.delinquent Number.of.Open.Accounts Number.of.Credit.Problems Current.Credit.Balance Maximum.Open.Credit
1 NA 6 1 228190 416746
2 8 35 0 229976 850784
3 29 18 1 297996 750090
4 NA 9 0 256329 386958
5 NA 15 0 253460 427174
6 NA 6 0 215308 272448
  Bankruptcies Tax.Liens
1 1 0
2 0 0
3 0 0
4 0 0
5 0 0
6 0 0
> |
```

Removing the Loan id & Customer Id column from the Data set:

```
> head(credit)
  Loan.Status Current.Loan.Amount Term Credit.Score Annual.Income Years.in.current.job Home.Ownership Purpose Monthly.Debt
1 Fully Paid 445412 Short Term 709 1167493 8 years Home Mortgage Home Improvements 5214.74
2 Fully Paid 262328 Short Term NA 2231892 10+ years Home Mortgage Debt Consolidation 33295.98
3 Fully Paid 99999999 Short Term 741 806949 8 years Own Home Debt Consolidation 29200.53
4 Fully Paid 347666 Long Term 721 806949 3 years Own Home Debt Consolidation 8741.90
5 Fully Paid 176220 Short Term NA 896857 5 years Rent Debt Consolidation 20639.70
6 Charged Off 206602 Short Term 7290 896857 10+ years Home Mortgage Debt Consolidation 16367.74
  Years.of.Credit.History Months.since.last.delinquent Number.of.Open.Accounts Number.of.Credit.Problems Current.Credit.Balance
1 17.2 NA 6 1 228190
2 21.1 8 35 0 229976
3 14.9 29 18 1 297996
4 12.0 NA 9 0 256329
5 6.1 NA 15 0 253460
6 17.3 NA 6 0 215308
  Maximum.Open.Credit Bankruptcies Tax.Liens
1 416746 1 0
2 850784 0 0
3 750090 0 0
4 386958 0 0
5 427174 0 0
6 272448 0 0
> |
```

We have created a function to calculate the null values in the data set for all the columns, you can see the output below. As you can see there are 12 columns which consist N/A values. We can also see the number of N/A values too.

Function to calculate null values:

```
> # code for finding a N/A values in the data set.
> missing_data <- colsums(is.na(credit))[colsums(is.na(credit)) > 0] %>% sort(decreasing=T)
> missing_data
```

Months.since.last.delinquent	Credit.Score	Annual.Income
53655	19668	19668
Bankruptcies	Tax.Liens	Maximum.Open.Credit
718	524	516
Current.Loan.Amount	Monthly.Debt	Years.of.Credit.History
514	514	514
Number.of.Open.Accounts	Number.of.Credit.Problems	Current.Credit.Balance
514	514	514

Since the Months.since.last delinquent column contains more than 50% of null values. We have removed that column in below screen shot:

```
> #removing Months.since.last.delinquent column as it contains more than 50% of N/A value
> credit=select(credit,-"Months.since.last.delinquent")
> head(credit)
```

	Loan.Status	Current.Loan.Amount	Term	Credit.Score	Annual.Income	Years.in.current.job	Home.Ownership
1	Fully Paid	445412	Short Term	709	1167493	8 years	Home Mortgage
2	Fully Paid	262328	Short Term	NA	NA	10+ years	Home Mortgage
3	Fully Paid	99999999	Short Term	741	2231892	8 years	Own Home
4	Fully Paid	347666	Long Term	721	806949	3 years	Own Home
5	Fully Paid	176220	Short Term	NA	NA	5 years	Rent
6	Charged off	206602	Short Term	7290	896857	10+ years	Home Mortgage

	Purpose	Monthly.Debt	Years.of.Credit.History	Number.of.Open.Accounts	Number.of.Credit.Problems
1	Home Improvements	5214.74	17.2	6	1
2	Debt Consolidation	33295.98	21.1	35	0
3	Debt Consolidation	29200.53	14.9	18	1
4	Debt Consolidation	8741.90	12.0	9	0
5	Debt Consolidation	20639.70	6.1	15	0
6	Debt Consolidation	16367.74	17.3	6	0

	Current.Credit.Balance	Maximum.Open.Credit	Bankruptcies	Tax.Liens
1	228190	416746	1	0
2	229976	850784	0	0
3	297996	750090	0	0
4	256329	386958	0	0
5	253460	427174	0	0
6	215308	272448	0	0


```
> missing_data <- colSums(is.na(credit))[colSums(is.na(credit)) > 0] %>% sort(decreasing=T)
> missing_data
      Credit.Score   Annual.Income Bankruptcies Tax.Liens Maximum.Open.Credit
      19154         19154         204         10         2
> |
```

To remove those N/A values from the 5 columns. We replaced those values with the mean value of the dataset. The code for that is given below.

```
#swaping the N/A values with the mean value
credit$Credit.Score=ifelse(is.na(credit$Credit.Score),ave(credit$Credit.Score, FUN= function(x) mean(x,na.rm=TRUE)),credit$Credit.Score)
credit$Annual.Income=ifelse(is.na(credit$Annual.Income),ave(credit$Annual.Income, FUN= function(x) mean(x,na.rm=TRUE)),credit$Annual.Income)
credit$Bankruptcies=ifelse(is.na(credit$Bankruptcies),ave(credit$Bankruptcies, FUN= function(x) mean(x,na.rm=TRUE)),credit$Bankruptcies)
credit$Tax.Liens=ifelse(is.na(credit$Tax.Liens),ave(credit$Tax.Liens, FUN= function(x) mean(x,na.rm=TRUE)),credit$Tax.Liens)
credit$Maximum.Open.Credit=ifelse(is.na(credit$Maximum.Open.Credit),ave(credit$Maximum.Open.Credit, FUN= function(x) mean(x,na.rm=TRUE)),credit$Maximum.Open.Credit)
```

No N/A values present:

```
> missing_data <- colSums(is.na(credit))[colSums(is.na(credit)) > 0] %>% sort(decreasing=T)
> missing_data
named numeric(0)
```

Dataset with No N/A values:

```
> head(credit,n=10)
```

	Loan.Status	Current.Loan.Amount	Term	Credit.Score	Annual.Income	Years.in.current.job	Home.Ownership	Purpose	Monthly.Debt
1	Fully Paid	445412	Short Term	709.00	1167493	8 years	Home Mortgage	Home Improvements	5214.74
2	Fully Paid	262328	Short Term	1076.46	1378282	10+ years	Home Mortgage	Debt Consolidation	33295.98
3	Fully Paid	99999999	Short Term	741.00	2231892	8 years	Own Home	Debt Consolidation	29200.53
4	Fully Paid	347666	Long Term	721.00	806949	3 years	Own Home	Debt Consolidation	8741.90
5	Fully Paid	176220	Short Term	1076.46	1378282	5 years	Rent	Debt Consolidation	20639.70
6	Charged Off	206602	Short Term	7290.00	896857	10+ years	Home Mortgage	Debt Consolidation	16367.74
7	Fully Paid	217646	Short Term	730.00	1184194	< 1 year	Home Mortgage	Debt Consolidation	10855.08
8	Charged Off	648714	Long Term	1076.46	1378282	< 1 year	Home Mortgage	Buy House	14806.13
9	Fully Paid	548746	Short Term	678.00	2559110	2 years	Rent	Debt Consolidation	18660.28
10	Fully Paid	215952	Short Term	739.00	1454735	< 1 year	Rent	Debt Consolidation	39277.75

	Years.of.Credit.History	Number.of.Open.Accounts	Number.of.Credit.Problems	Current.Credit.Balance	Maximum.Open.Credit	Bankruptcies	Tax.Liens
1	17.2	6	1	228190	416746	1	0
2	21.1	35	0	229976	850784	0	0
3	14.9	18	1	297996	750090	0	0
4	12.0	9	0	256329	386958	0	0
5	6.1	15	0	253460	427174	0	0
6	17.3	6	0	215308	272448	0	0
7	19.6	13	1	122170	272052	1	0
8	8.2	15	0	193306	864204	0	0

A. KNN

- KNN is a supervised learning model. We must have predefined labels for this model. In the given data set we have predefined labels for all the attributes.
- We also should have knowledge from the past data for this model.

- There are three types of classification in this model. We will use binary classification because our dependent variable (loan status) has only two values which are “Fully paid” or “charged off”.

KNN classifier:

- In this algorithm we calculate the distance between the target (Loan Status) and various instances.
- Then we will identify the k-nearest neighbor.
- Then we will predict the labels and validate with the truth. We can use Manhattan distance or Euclidian distance to calculate the distance between the target (Loan Status) and various instances

Normalization

To calculate the distance between the dependent variable and each independent variable. We need to first to normalize all the numeric values. So that we can correctly calculate the distance. We used min-max function to calculate the relative distance the minimum and maximum value of the column.

```
#normalize selected data using function scale
credit[num.vars] <-lapply(credit[num.vars], scale)
credit[num.vars]

head(credit)
credit[num.vars] <-apply(credit[num.vars], 2, FUN = function(x) (x - min(x))/(max(x)-min(x)))
head(credit[num.vars])

head(credit)
```

Normalized data set:

```
head(credit)
Loan.Status Current.Loan.Amount Term Credit.Score Annual.Income Years.in.current.job Home.Ownership Purpose Monthly.Debt
Fully Paid 0.004346570 Short Term 0.01790614 0.006592101 8 years Home Mortgage Home Improvements 0.01196471
Fully Paid 0.002515532 Short Term 0.07096898 0.007865899 10+ years Home Mortgage Debt Consolidation 0.07639439
Fully Paid 1.000000000 Short Term 0.02252708 0.013024263 8 years Own Home Debt Consolidation 0.06699777
Fully Paid 0.003369004 Long Term 0.01963899 0.004413335 3 years Own Home Debt Consolidation 0.02005744
Fully Paid 0.001654359 Short Term 0.07096898 0.007865899 5 years Rent Debt Consolidation 0.04735578
Charged Off 0.001958212 Short Term 0.96823105 0.004956649 10+ years Home Mortgage Debt Consolidation 0.03755419
Years.of.Credit.History Number.of.open.Accounts Number.of.Credit.Problems Current.Credit.Balance Maximum.Open.Credit Bankruptcies Tax.Liens
0.20328849 0.07894737 0.06666667 0.006940303 0.0002706604 0.1428571 0
0.26158445 0.46052632 0.00000000 0.006994623 0.0005525512 0.0000000 0
0.16890882 0.23684211 0.06666667 0.009063423 0.0004871543 0.0000000 0
0.12556054 0.11842105 0.00000000 0.007796139 0.0002513142 0.0000000 0
0.03736921 0.19736842 0.00000000 0.007708879 0.0002774329 0.0000000 0
0.20478326 0.07894737 0.00000000 0.006548502 0.0001769444 0.0000000 0
```

Creating Dummies:

As we know we can normalize the numeric columns using the min-max function. Although, we cannot do this for categorical columns. So, we create dummy variables for categorical data values.

```
#dummies
install.packages("dummies")
library(dummies)

credit.dummy=dummy.data.frame(credit,names=c("Term","Years.in.current.job","Home.Ownership","Purpose"))
head(credit.dummy)

#Removing the extra column
```

Data set with dummy variables:

```
head(credit.dummy)
Loan.Status Current.Loan.Amount TermLong Term TermShort Term Credit.Score Annual.Income Years.in.current.job< 1 year Years.in.current.job1 year
Fully Paid 0.004346570 0 1 0.01790614 0.006592101 0 0
Fully Paid 0.002515532 0 1 0.07096898 0.007865899 0 0
Fully Paid 1.000000000 0 1 0.02252708 0.013024263 0 0
Fully Paid 0.003369004 1 0 0.01963899 0.004413335 0 0
Fully Paid 0.001654359 0 1 0.07096898 0.007865899 0 0
Charged off 0.001958212 0 1 0.96823105 0.004956649 0 0
Years.in.current.job10+ years Years.in.current.job2 years Years.in.current.job3 years Years.in.current.job4 years Years.in.current.job5 years
0 0 0 0 0
1 0 0 0 0
0 0 0 0 0
0 0 1 0 0
0 0 0 0 1
1 0 0 0 0
Years.in.current.job6 years Years.in.current.job7 years Years.in.current.job8 years Years.in.current.job9 years Years.in.current.jobn/a
0 0 0 0 0
0 0 0 0 0
0 0 1 0 0
0 0 0 0 0
0 0 0 0 0
0 0 0 0 0
0 0 0 0 0
```

Removing the extra column:

We only need n-1 levels for each column. So, we will remove the extra dummy variable column from the data set.

```
#Removing the extra column
credit.final=select(credit.dummy,-c("TermLong Term","Years.in.current.jobn/a","Home.OwnershipHaveMortgage","PurposeBusiness Loan"))
head(credit.final)

Loan.Status Current.Loan.Amount TermShort Term Credit.Score Annual.Income Years.in.current.job< 1 year Years.in.current.job1 year Years.in.current.job10+ years
1 Fully Paid 0.004346570 1 0.01790614 0.006592101 0 0 0
2 Fully Paid 0.002515532 1 0.07096898 0.007865899 0 0 1
3 Fully Paid 1.000000000 1 0.02252708 0.013024263 0 0 0
4 Fully Paid 0.003369004 0 0.01963899 0.004413335 0 0 0
5 Fully Paid 0.001654359 1 0.07096898 0.007865899 0 0 0
6 Charged off 0.001958212 1 0.96823105 0.004956649 0 0 1
Years.in.current.job2 years Years.in.current.job3 years Years.in.current.job4 years Years.in.current.job5 years Years.in.current.job6 years
1 0 0 0 0 0
2 0 0 0 0 0
3 0 0 0 0 0
4 0 1 0 0 0
5 0 0 0 1 0
6 0 0 0 0 0
Years.in.current.job7 years Years.in.current.job8 years Years.in.current.job9 years Home.OwnershipHome Mortgage Home.Ownershipown Home.OwnershipRent
1 0 1 0 1 0 0
2 0 0 0 1 0 0
3 0 1 0 0 1 0
4 0 0 0 0 1 0
5 0 0 0 0 0 1
6 0 0 0 1 0 0
```

KNN Model

We have created KNN model using N fold cross validation to determine the best K value for our data set. After creating the model, we can see that we got a best accuracy on K=24 which is 0.8119581= 81.19%

```

> model.nfold1 = train(credit.final[,2:42],credit.final$Loan.Status,'knn'
id(k = 20:30))
> model.nfold1
k-Nearest Neighbors

99999 samples
 41 predictor
 2 classes: '0', '1'

No pre-processing
Resampling: Cross-validated (10 fold)
Summary of sample sizes: 89999, 89999, 89999, 90000, 89999, 89999, ...
Resampling results across tuning parameters:

 k  Accuracy  Kappa
20  0.8106481  0.2553137
21  0.8113581  0.2553006
22  0.8110681  0.2533087
23  0.8113781  0.2526653
24  0.8119581  0.2548797
25  0.8116681  0.2513339
26  0.8114181  0.2500168
27  0.8115381  0.2489316
28  0.8116081  0.2487669
29  0.8115781  0.2469254
30  0.8116581  0.2467509

Accuracy was used to select the optimal model using the largest value.
The final value used for the model was k = 24.
> |

```

Model for K=24:

```

library(class)
#final model KNN
# training and testing data
credit.final=credit.final[sample(nrow(credit.final)),]
select.data = sample (1:nrow(credit.final), 0.80*nrow(credit.final))
train.data.final=credit.final[select.data,]
test.data.final = credit.final[-select.data,]
head(train.data.final)
head(test.data.final)

#creating labels for training data and testing data
train.Loan.status.final=train.data.final$Loan.Status
head(train.Loan.status.final)
train.data.final=select(train.data.final,-1)
head(train.data.final)

test.Loan.status.final=test.data.final$Loan.Status
head(test.Loan.status.final)
test.data.final=select(test.data.final,-1)
head(test.data.final)

#KNN model
model.final=knn(train = train.data.final,test = test.data.final,cl=train.Loan.status.final,k=24)
summary(model.final)

```

Confusion Metrics:

```

> table(model.final,test.Loan.status.final)
      test.Loan.status.final
model.final charged off Fully Paid
  charged off      0      1468      1420
  Fully Paid      0      2986      14126
> |

```

After creating confusion metrics. We will calculate Precision and Recall:

Precision: $\text{True positive} / (\text{True positive} + \text{False Positive}) = 1468 / (1468 + 1420)$

Precision = $0.5083 = 50.83\%$

Recall: $\text{True Positive} / (\text{True Positive} + \text{False Negative}) = 1468 / (1468 + 2986)$

Recall = $0.3295 = 32.95\%$

B. Logistic Regression Model

- Logistic Regression can be applied for binary dependent variable and various independent variables.
- In the dataset, dependent variable is loan Status which has value “Fully paid” or “Charged off”. So, we can apply the logistic regression model because we have only two values for it.
- We will use different feature selection methods such as backward, forward, stepwise etc. We will select the best model based on the AIC value.

We will perform all the data cleaning techniques which we performed the for the KNN. We can see the data below.

Data Set:

```

> tail(credit.log)
      Loan.Status Current.Loan.Amount Term Credit.Score Annual.Income Years.in.current.job Home.Ownership Purpose Monthly.Debt
99994 Fully Paid      44484 Short Term      717      1152426      10+ years Home Mortgage small_business      6280.64
99995 Fully Paid      210584 Short Term      719      783389      1 year Home Mortgage other      3727.61
99996 Fully Paid      147070 Short Term      725      475437      7 years Own Home other      2202.86
99997 Fully Paid      99999999 Short Term      732      1289416      1 year Rent Debt Consolidation      13109.05
99998 Fully Paid      103136 Short Term      742      1150545      6 years Rent Debt Consolidation      7315.57
99999 Fully Paid      530332 Short Term      746      1717524      9 years Rent Debt Consolidation      9890.07
      Years.of.Credit.History Number.of.Open.Accounts Number.of.Credit.Problems Current.Credit.Balance Maximum.Open.Credit Bankruptcies Tax.Liens
99994      21.0      6      0      961932      0      0      0
99995      17.4      6      0      456      259160      0      0
99996      22.3      5      0      47766      658548      0      0
99997      9.4      22      0      153045      509234      0      0
99998      18.8      12      1      109554      537548      1      0
99999      15.0      8      0      404225      738254      0      0
> missing.data2 <- colSums(is.na(credit.log))[colSums(is.na(credit.log)) > 0] %>% sort(decreasing=T)

```

Scaling:

The additional thing which we are going to do over here is Vector scaling. In many machine learning algorithms, to bring all features in the same standing, we need to do scaling so that one significant number doesn't impact the model just because of their large magnitude. scaling in machine learning is one of the most critical steps during the pre-processing of data before creating a machine learning model. Scaling can make a difference between a weak machine learning model and a better one. We are going to scale all are numeric columns.

Data set after scaling:

Loan.Status	Current.Loan.Amount	Term	Credit.Score	Annual.Income	Years.in.current.job	Home.Ownership	Purpose	Monthly.Debt
Fully Paid	-0.3559827	Short Term	-0.2769929	-0.2167940	8 years	Home Mortgage	Home Improvements	-1.0889320
Fully Paid	-0.3617431	Short Term	0.0000000	0.0000000	10+ years	Home Mortgage	Debt Consolidation	1.2175321
Fully Paid	2.7763514	Short Term	-0.2528712	0.8779274	8 years	Own Home	Debt Consolidation	0.8811506
Fully Paid	-0.3590581	Long Term	-0.2679473	-0.5876091	3 years	Own Home	Debt Consolidation	-0.7992273
Fully Paid	-0.3644524	Short Term	0.0000000	0.0000000	5 years	Rent	Debt Consolidation	0.1780034
Charged Off	-0.3634965	Short Term	4.6837898	-0.4951398	10+ years	Home Mortgage	Debt Consolidation	-0.1728758
Years.of.Credit.History	Number.of.Open.Accounts	Number.of.Credit.Problems	Current.Credit.Balance	Maximum.Open.Credit	Bankruptcies	Tax.Liens		
-0.1424297	-1.0237046	1	-0.176647582	-0.041035323	1	0		
0.4134949	4.7648980	0	-0.171899754	0.010731628	0	0		
-0.4702827	1.3715792	1	0.008921789	-0.001277969	0	0		
-0.8836626	-0.4248837	0	-0.101844033	-0.044588086	0	0		
-1.7246768	0.7727582	0	-0.109470864	-0.039791594	0	0		
-0.1281753	-1.0237046	0	-0.210892556	-0.058245493	0	0		

Training and Testing the data:

We divide the data set using Hold out evaluation. We will divide the data set into 80% training data and 20% test data. The code can be seen below.

```
#test and train
credit.log=credit.log[sample(nrow(credit.log)),]
select.data=sample(1:nrow(credit.log),0.8*nrow(credit.log))
train.data.log=credit.log[select.data,]
test.data.log=credit.log[-select.data,]
head(train.data.log)

train.log.label=train.data.log$Loan.Status
test.log.label=test.data.log$Loan.Status
head(train.log.label)
head(test.log.label)

train.data.log=select(train.data.log,-1)
test.data.log=select(test.data.log,-1)
head(train.data.log)
head(test.data.log)

head(train.log.label)
head(test.log.label)
```

```

> head(test.data.log)
  Current.Loan.Amount Term Credit.Score Annual.Income Years.in.current.job Home.Ownership Purpose Monthly.Debt Years.of.Credit.History
59577 -0.3533046 Long Term -0.3078989 0.20664578 10+ years Home Mortgage Debt Consolidation 0.98828392 2.0670143
39291 2.7763514 Short Term -0.2528712 -0.74233683 3 years Rent Debt Consolidation -0.53316522 -0.9264260
92098 -0.3638522 Short Term -0.2724701 0.02797997 5 years Rent Debt Consolidation 0.09891354 -0.8694081
57940 -0.3584697 Short Term 0.0000000 0.00000000 3 years Home Mortgage Debt Consolidation 0.79216675 0.2424412
67977 -0.3598507 Short Term -0.2611630 -0.47231558 10+ years Home Mortgage Debt Consolidation -0.27170687 2.1097777
62494 -0.3628631 Short Term -0.2739777 -0.78757486 4 years Own Home Debt Consolidation -0.16309101 0.2139322
  Number.of.Open.Accounts Number.of.Credit.Problems Current.Credit.Balance Maximum.Open.Credit Bankruptcies Tax.Liens
59577 1.3715792 0 1.9840688 0.114341624 0 0
39291 -1.4229186 0 -0.7056264 -0.085528820 0 0
92098 -0.2252767 0 -0.1330585 -0.053210226 0 0
57940 1.1719722 0 -0.2436223 -0.006048222 0 0
67977 0.5731512 0 0.2636882 -0.016234207 0 0
62494 -0.2252767 0 -0.1622526 -0.036879063 0 0
> head(train.log.label)
[1] Fully Paid charged off Fully Paid Fully Paid charged off
Levels: charged off Fully Paid
> head(test.log.label)
[1] charged off Fully Paid Fully Paid charged off Fully Paid
Levels: charged off Fully Paid

```

Converting the dependent variable into binary

We converted our dependent variable into binary value so that we can calculate res value easily and we can classify the probability value close to 1 as “fully paid” and close to 0 as “Charged off”.

```

#converting dependent variable into binary for train data set
train.log.label=as.character(train.log.label)
head(train.log.label)
is.character(train.log.label)
str(train.log.label)
train.log.label[train.log.label == "Fully Paid"]=1
train.log.label[train.log.label == "Charged off"]=0
train.log.label=as.integer(train.log.label)
head(train.log.label)

#converting dependent variable into binary for test data set

test.log.label=as.character(test.log.label)
head(test.log.label)
is.character(test.log.label)
str(train.log.label)
test.log.label[test.log.label == "Fully Paid"]=1
test.log.label[test.log.label == "Charged off"]=0
test.log.label=as.integer(test.log.label)
head(test.log.label)

```

```

> train.log.label=as.character(train.log.label)
> head(train.log.label)
[1] "Fully Paid" "Charged Off" "Fully Paid" "Fully Paid" "Fully Paid" "Charged Off"
> is.character(train.log.label)
[1] TRUE
> str(train.log.label)
chr [1:79999] "Fully Paid" "Charged Off" "Fully Paid" "Fully Paid" "Fully Paid" "Charged Off" "Fully Paid" "Fully Paid" "Fully Paid" "Fully Paid" ..
> train.log.label[train.log.label == "Fully Paid"]=1
> train.log.label[train.log.label == "Charged Off"]=0
> train.log.label=as.integer(train.log.label)
> head(train.log.label)
[1] 1 0 1 1 1 0
> test.log.label=as.character(test.log.label)
> head(test.log.label)
[1] "Charged Off" "Fully Paid" "Fully Paid" "Fully Paid" "Charged Off" "Fully Paid"
> is.character(test.log.label)
[1] TRUE
> str(train.log.label)
int [1:79999] 1 0 1 1 1 0 1 1 1 1 ...
> test.log.label[test.log.label == "Fully Paid"]=1
> test.log.label[test.log.label == "Charged Off"]=0
> test.log.label=as.integer(test.log.label)
> head(test.log.label)
[1] 0 1 1 1 0 1

```

Logistic Model

```

#logistic model
model.log.final=glm(train.log.label~.,data = train.data.log,family="binomial")
summary(model.log.final)

```

We calculated different cut off value and predicted accuracy of each model. Then we selected best Cut off value.

Res & Accuracy Calculation for 0.4

```

> for(i in 1:length(res)){
+   if(res[i]>0.4){
+     res[i]=1
+   }else{
+     res[i]=0
+   }
+ }
> library(Metrics)
Warning message:
package 'Metrics' was built under R version 3.6.3
> confmatrix=table(Actual_value=test.log.label,predicted_value= res)
> confmatrix
      predicted_value
Actual_value      0      1
      0      903  3753
      1       0 15344
> accuracy(test.log.label,res)
[1] 0.81235

```

Res & Accuracy Calculation for 0.2

```

[1] Reached getOption("max.print")
> for(i in 1:length(res)){
+   if(res[i]>0.2){
+     res[i]=1
+   }else{
+     res[i]=0
+   }
+ }
> accuracy(test.log.label,res)
[1] 0.8192
> |

```

Res & Accuracy Calculation for 0.3

```

> res=predict(model.log.final,test.data.log,type = "response")
> for(i in 1:length(res)){
+   if(res[i]>0.3){
+     res[i]=1
+   }else{
+     res[i]=0
+   }
+ }
> accuracy(test.log.label,res)
[1] 0.8153
> |

```

Res & Accuracy Calculation for 0.5

```

glm.fit: fitted probabilities numerically 0 or 1 occurred
> # calculating res
> res=predict(model.log.final,test.data.log,type = "response")
> for(i in 1:length(res)){
+   if(res[i]>0.5){
+     res[i]=1
+   }else{
+     res[i]=0
+   }
+ }
> accuracy(test.log.label,res)
[1] 0.8222
> |

```

Res & Accuracy Calculation for 0.6


```
# calculating res
res=predict(model.log.final,test.data.log,type = "response")
for(i in 1:length(res)){
  if(res[i]>0.6){
    res[i]=1
  }else{
    res[i]=0
  }
}
accuracy(test.log.label,res)
[1] 0.8154
```

Res & Accuracy Calculation for 0.7

```
glm.fit: fitted probabilities numerically 0 or 1 o
> for(i in 1:length(res)){
+   if(res[i]>0.7){
+     res[i]=1
+   }else{
+     res[i]=0
+   }
+ }
> accuracy(test.log.label,res)
[1] 0.7358
>
```

As we can see above the best cut off value for this model is **0.5**. This can be concluded by observing the accuracy for that cut off model. If we **increase** the cut off value, then the **accuracy decreases** and if we **decrease** the cut off value then also the **accuracy decreases**.

Confusion Metrics for res 0.5:

```
> table(Actual_value=test.log.label,predicted_value= res)
      predicted_value
Actual_value      0      1
      0      930 3561
      1      19 15490
```

Precision: True positive/(True positive + False Positive)=930/(930+3561)

Precision = 0.2070=20.70%

Recall: True Positive/(True Positive + False Negative)= 930/(930+19)

Recall= 0.9799=97.99%

C. Gradient Boosting Model

After performing data cleaning and scaling the data set we will divide the data set into training and testing as shown below. We will also convert our dependent variable into binary.

Training and Testing

```
#test and train
credit.dummy1=credit.dummy1[sample(nrow(credit.dummy1)),]
select.data=sample(1:nrow(credit.dummy1),0.8*nrow(credit.dummy1))
train.data.grad=credit.dummy1[select.data,]
test.data.grad=credit.dummy1[-select.data,]
head(train.data.grad)

train.grad.label=train.data.grad$Loan.Status
test.grad.label=test.data.grad$Loan.Status
head(train.grad.label)
head(test.grad.label)

train.data.grad=select(train.data.grad,-1)
test.data.grad=select(test.data.grad,-1)
head(train.data.grad)
head(test.data.grad)

head(train.grad.label)
unique(test.grad.label)
```

Gradient Boosting Model:

As we can see in the below screenshot, Credit score plays very important role whether the person will be able to pay the loan or not. Credit score has maximum rel.inference after that Current loan amount plays very important role and so on.

```

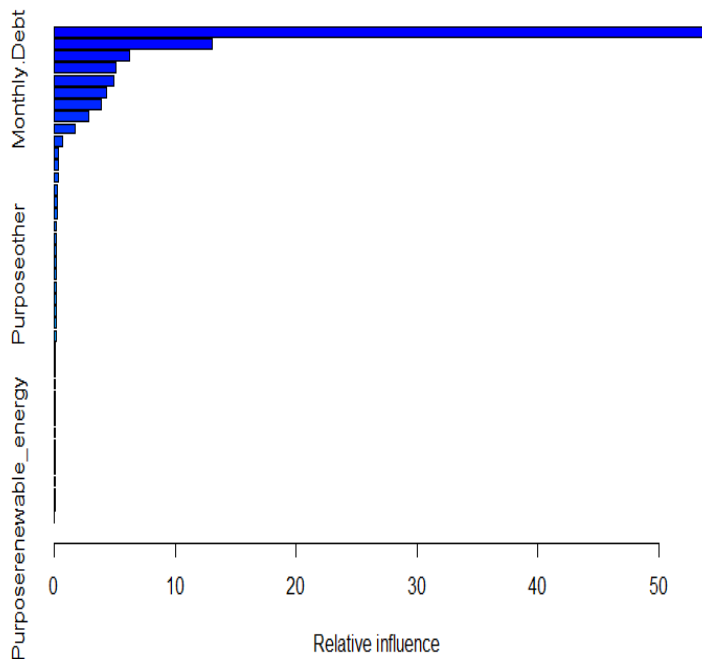
> Gradient.boost=gbm(train.grad.label~.,data = train.data.grad,distribution = "gaussian",n.tri
> summary(Gradient.boost)

```

	var	rel.inf
Credit.Score	Credit.Score	53.99929468
Current.Loan.Amount	Current.Loan.Amount	13.01901695
Annual.Income	Annual.Income	6.17598785
Maximum.Open.Credit	Maximum.Open.Credit	5.08893058
Monthly.Debt	Monthly.Debt	4.87340883
Current.Credit.Balance	Current.Credit.Balance	4.25571737
Years.of.Credit.History	Years.of.Credit.History	3.87923690
`TermShort Term`	`TermShort Term`	2.84416431
Number.of.Open.Accounts	Number.of.Open.Accounts	1.66851772
Home.OwnershipRent	Home.OwnershipRent	0.62553748
`Home.OwnershipHome Mortgage`	`Home.OwnershipHome Mortgage`	0.34281448
Purposesmall_business	Purposesmall_business	0.31983583
`PurposeDebt Consolidation`	`PurposeDebt Consolidation`	0.29805864
Number.of.Credit.Problems	Number.of.Credit.Problems	0.23161899
`Years.in.current.job10+ years`	`Years.in.current.job10+ years`	0.22758145
Tax.Liens	Tax.Liens	0.20592560
Bankruptcies	Bankruptcies	0.17202490
`Years.in.current.job3 years`	`Years.in.current.job3 years`	0.14591317
`Years.in.current.job< 1 year`	`Years.in.current.job< 1 year`	0.13258425
`Years.in.current.job2 years`	`Years.in.current.job2 years`	0.12768791
Purposeother	Purposeother	0.11448109
`Years.in.current.job7 years`	`Years.in.current.job7 years`	0.11049969
`Years.in.current.job4 years`	`Years.in.current.job4 years`	0.10736516
`Home.OwnershipOwn Home`	`Home.OwnershipOwn Home`	0.09974454
`PurposeBuy a Car`	`PurposeBuy a Car`	0.09528329
`Years.in.current.job5 years`	`Years.in.current.job5 years`	0.09099810
`Years.in.current.job9 years`	`Years.in.current.job9 years`	0.08425178
`Years.in.current.job1 year`	`Years.in.current.job1 year`	0.08208809
Purposeother	Purposeother	0.07925212
`Years.in.current.job6 years`	`Years.in.current.job6 years`	0.06871946
`PurposeHome Improvements`	`PurposeHome Improvements`	0.06825031
`Years.in.current.job8 years`	`Years.in.current.job8 years`	0.06387096
`PurposeMedical Bills`	`PurposeMedical Bills`	0.06375668
Purposemajor_purchase	Purposemajor_purchase	0.05153879
Purposevacation	Purposevacation	0.05016276
`PurposeBuy House`	`PurposeBuy House`	0.04983904
Purposemoving	Purposemoving	0.03437133
Purposewedding	Purposewedding	0.01886387
`PurposeTake a Trip`	`PurposeTake a Trip`	0.01823612
`PurposeEducational Expenses`	`PurposeEducational Expenses`	0.01456893
Purposerenewable_energy	Purposerenewable_energy	0.00000000

Graph:

We have created a bar graph for the above model. The bar graph is based on the rel.influence value. As you can see Credit score has a maximum height compared to any other feature.



Prediction Metrics:

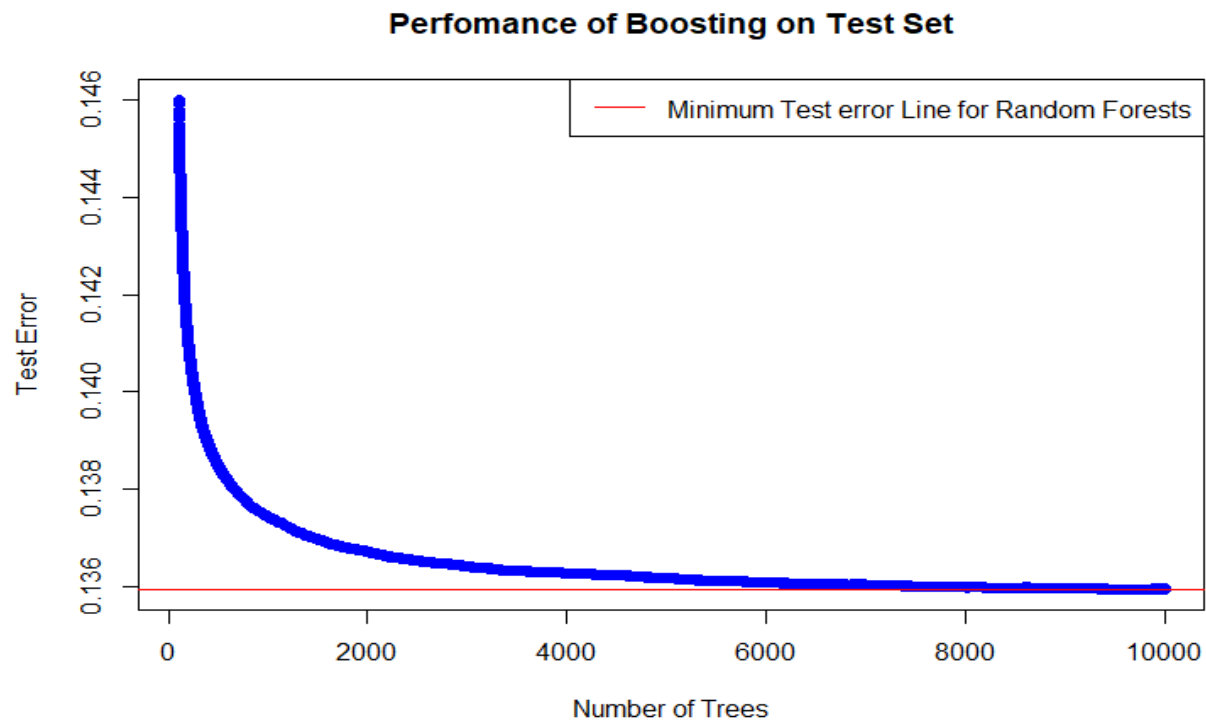
```
· n.trees = seq(from=100 ,to=10000, by=1) #no of trees-a vector of 100 values
· #Generating a Prediction matrix for each Tree
· predmatrix<-predict(Gradient.boost,test.data.grad,n.trees = n.trees)
· dim(predmatrix) #dimentions of the Prediction Matrix
[1] 20000 9901
```

Test Errors:

```
> test.error<-with(test.data.grad,apply( (predmatrix-test.grad.label)^2,2,mean))
> head(test.error) #contains the Mean squared test error for each of the 100 trees averaged
      100      101      102      103      104      105
0.1460116 0.1459054 0.1458006 0.1456993 0.1456003 0.1455015
```

Graph:

We have created a graph for the test errors done by the gradient boosting model. As you can see in the graph as the number of trees increases the number of test errors decreases. At 10,000 trees you can see the test error is near to 0.135



Accuracy

As the test error value for gradient boosting is 0.135. The accuracy of the model is $1 - \text{test error}$. So, the accuracy is 0.865. Therefore, the accuracy is 86.5%.

7. Conclusion:

- After comparing all the model, we found that Accuracy of KNN Model is 81.22%. Accuracy of Logistic Regression Model is 82.222%. Accuracy of Gradient Boosting Algorithm is 86.5%. So, the best model for data set is Gradient Boosting.
- We also calculated Precision and recall to find out the percentage of true value with the false positive and false negative.
- We used various data cleaning techniques for cleaning the data. We also understood the concept of scaling