

## Assignment-2

Course Code	: EE871	Course Title	: <b>Machine Learning</b>
Credits	: 3-1-2 : 5	Instructor	: Dr. Jora M. Gonda
Weight	: 3%	Submission Deadline	: 25-01-2020 05:00 PM

1. From Simon Haykin: The Figure 1 overleaf shows a pair of moons facing each other in an asymmetrically arranged manner. The moon labeled Region-A is positioned symmetrically with respect to the y-axis, whereas the moon labeled Region-B is displaced to the right of the y-axis by an amount equal to the radius  $r$  and below the x-axis by the distance  $d$ . The two moons have identical parameters  $r$  and  $w$ .

The vertical distance  $d$  separating the two moons is adjustable; it is measured with respect to the x-axis.

- Increasingly positive values of  $d$  signify increased separation between the two moons;
- increasingly negative values of  $d$  signify the two moons coming closer to each other.

Write a program in Python, given  $d$ ,  $r$ , and  $w$  to:

- Generate 1500 samples of data distributed randomly over each of the regions
  - Plot the data (A- x, B- o) as shown below, for different values of  $d$ .
  - Animate the plot, giving control with  $d$ .
2. We are familiar with the single-layer, single-neuron perceptron with hard limiter as the activation function. I wish to explore the possibility of using it for classifying non-linearly separable data sets, example – the data corresponding to the notorious, XOR gate. So, let the activation function be replaced by a Hyperbolic Tangent/ bipolar sigmoidal, given by,

$$f(g, \lambda) = \frac{1 - e^{-\lambda g}}{1 + e^{-\lambda g}},$$

where  $\lambda$  is also a Learning parameter, and  $g(\cdot) = \underline{w}^T \underline{x}$ . And use a bipolar threshold with threshold  $\beta$ , at the output,  $y(\cdot)$ . Now, by choosing, different values for  $w_0$ ,  $w_1$ ,  $w_2$ , and  $\lambda$ ,

- Obtain  $f(\cdot)$  and plot it (3D) for various values of  $\underline{w}$  and  $\lambda$ ,
- Draw the contours of  $f(\cdot)$  for different values of  $\beta$ , on  $x_1$ - $x_2$  plane, along with  $f(\cdot)$ .
- Animate the display for variation of  $w_0$ ,  $w_1$ ,  $w_2$ ,  $\lambda$ , and  $\beta$ .
- Obtain a set of values for  $w_0$ ,  $w_1$ ,  $w_2$ ,  $\lambda$ , and  $\beta$ , which can classify the XOR data.

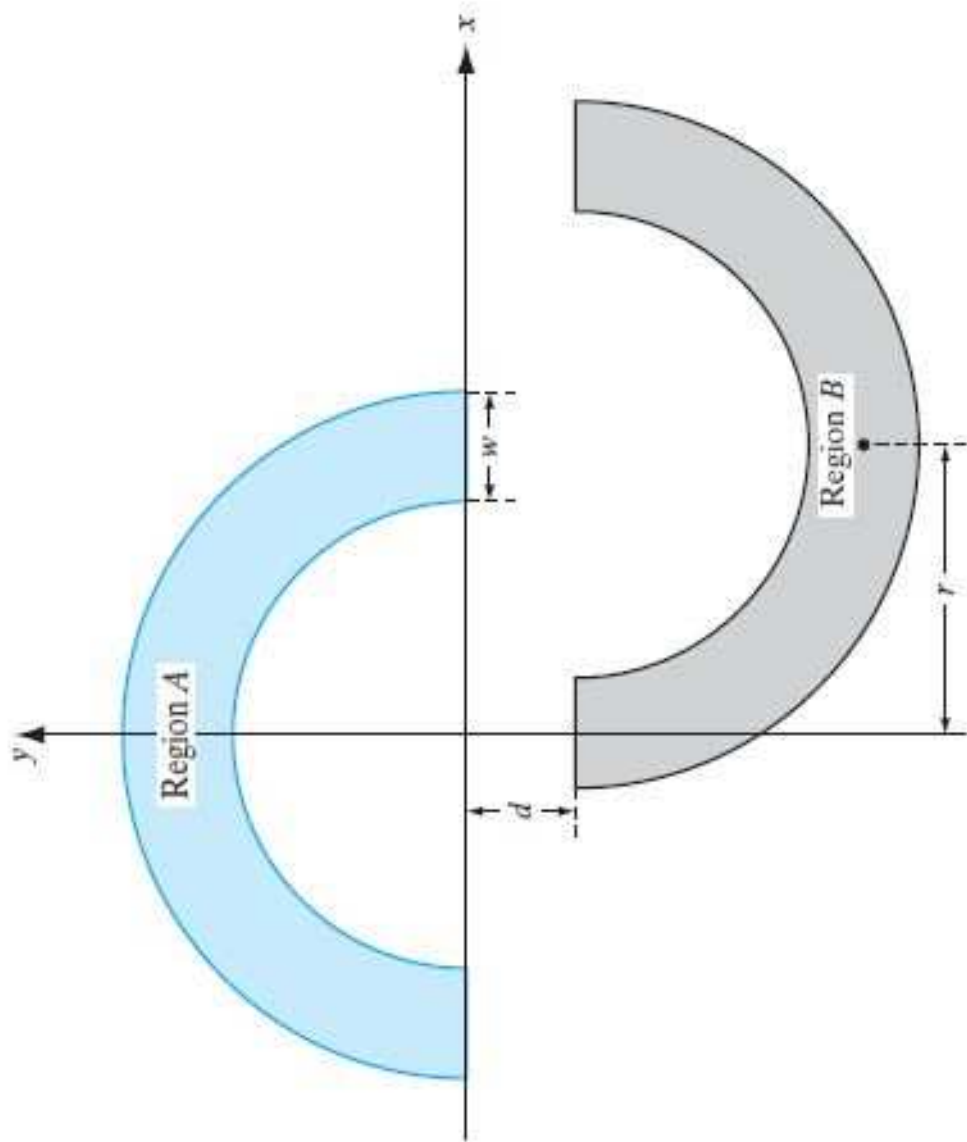


Figure 1: Double half moon