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Note: Submit the completed file as pdf to nazmol.stat.bioin@bsmrau.edu.bd and rabiulauwul@bsmrau.edu.bd with subject: the completed file as pdf to nazmol.stat.bioin@bsmrau.edu.bd and nazmol.stat.bioin@bsmrau.edu.bd and <a href="mailto:nazmol.stat.bioin.bioi

Problem# 1: Choose a multivariate dataset (with at least 10 variables) in your subject area and solve the following issue. (*Attach your dataset in csv file to the email*)

a) Pre-process your dataset with imputing outliers and missing values.

```
Answer:

setwd("E:/R PRACTISE/data")

# Load necessary libraries

library(dplyr)

library(tidyr)

# Step 1: Simulate the dataset

set.seed(123)

n <- 100 # Number of observations

dataset <- data.frame(

Temperature = rnorm(n, mean = 25, sd = 5), # Normal distribution

Rainfall = rnorm(n, mean = 100, sd = 20),

Soil_pH = rnorm(n, mean = 6.5, sd = 0.5),
```

```
Nitrogen = rnorm(n, mean = 50, sd = 10),
Phosphorus = rnorm(n, mean = 20, sd = 5),
Potassium = rnorm(n, mean = 30, sd = 7),
Pest_Density = rpois(n, lambda = 5),
Crop_Variety = sample(c("A", "B", "C"), n, replace = TRUE),
Irrigation = sample(c("Yes", "No"), n, replace = TRUE),
Yield = rnorm(n, mean = 3.5, sd = 0.7)
# Introduce some missing values
dataset[sample(1:n, 10), "Temperature"] <- NA
dataset[sample(1:n, 5), "Rainfall"] <- NA
dataset[sample(1:n, 8), "Soil_pH"] <- NA
# Step 2: Handle missing values
# Numerical columns: Impute with mean
numerical_cols <- c("Temperature", "Rainfall", "Soil_pH", "Nitrogen", "Phosphorus", "Potassium",
"Yield")
for (col in numerical_cols) {
dataset[[col]][is.na(dataset[[col]])] <- mean(dataset[[col]], na.rm = TRUE)</pre>
# Categorical columns: Impute with mode
```

```
categorical_cols <- c("Crop_Variety", "Irrigation")</pre>
for (col in categorical_cols) {
mode_value <- names(sort(table(dataset[[col]]), decreasing = TRUE))[1]</pre>
dataset[[col]][is.na(dataset[[col]])] <- mode_value
}
# Step 3: Detect and handle outliers
# Use the IQR method to detect outliers
for (col in numerical_cols) {
Q1 <- quantile(dataset[[col]], 0.25, na.rm = TRUE)
Q3 <- quantile(dataset[[col]], 0.75, na.rm = TRUE)
IQR <- Q3 - Q1
# Define bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Replace outliers with the median
dataset[[col]][dataset[[col]] < lower_bound | dataset[[col]] >
                                                                             upper_bound]
median(dataset[[col]], na.rm = TRUE)
# Step 4: Validate pre-processing
```

```
summary(dataset)
```

b) Interpret how many principle components should be retained for your data with justification.

```
Answer:
# Step 1: Select numerical variables and standardize
numerical_cols <- c("Temperature", "Rainfall", "Soil_pH", "Nitrogen", "Phosphorus", "Potassium",
"Pest_Density", "Yield")
scaled_data <- scale(dataset[numerical_cols])</pre>
# Step 2: Perform PCA
pca_result <- prcomp(scaled_data, center = TRUE, scale. = TRUE)</pre>
# Step 3: Summary of PCA
summary(pca_result)
# Step 4: Scree Plot
library(factoextra)
fviz_eig(pca_result, addlabels = TRUE, ylim = c(0, 100))
```

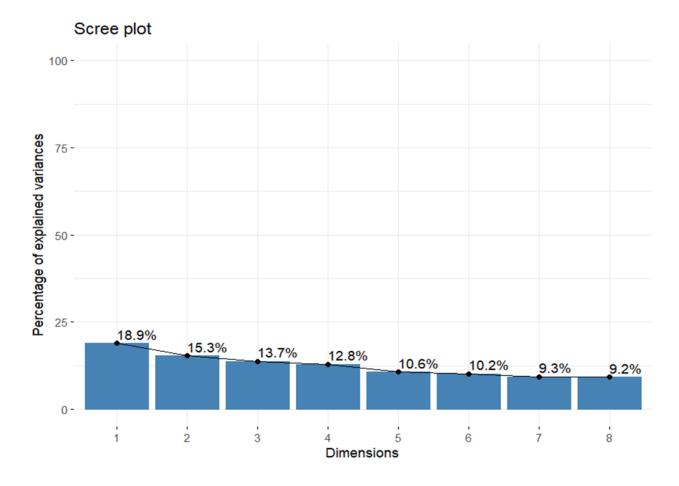


Figure: A scree plot

Step 5: Cumulative Variance Explained

variance_explained <- pca_result\$sdev^2 / sum(pca_result\$sdev^2) * 100
cumulative_variance <- cumsum(variance_explained)</pre>

Print variance explained by each PC

data.frame(

Principal_Component = 1:length(variance_explained),

```
Variance_Explained = variance_explained,

Cumulative_Variance = cumulative_variance
)
Interpretation:
```

PC1 to PC8 together explain 100% of the total variance in the data.

- The first principal component (PC1) explains 18.92% of the variance, and the second (PC2) adds 15.30%, for a total of 34.22%.
- The first 4 components together explain about 60.73% of the variance, while 7 components explain 90.81%.
- The remaining components (PC5 to PC8) contribute smaller amounts of variance, with the last component (PC8) explaining only 9.19%.

This suggests that dimensionality reduction to retain the first 4-5 components could preserve most of the data's variance.

c) Construct a bi-plot with ggplot2 package for the selected principle components and describe the plots.

```
Answer:
```

```
# Load necessary libraries
library(ggplot2)
library(factoextra)
```

Step 1: Perform PCA on scaled data

```
numerical_cols <- c("Temperature", "Rainfall", "Soil_pH", "Nitrogen", "Phosphorus", "Potassium", "Pest_Density", "Yield")
```

```
scaled_data <- scale(dataset[numerical_cols])</pre>
pca_result <- prcomp(scaled_data, center = TRUE, scale. = TRUE)</pre>
# Summary of PCA
summary(pca_result)
#step 2
# Extract PCA scores (observations)
scores <- as.data.frame(pca_result$x)</pre>
# Extract PCA loadings (variables)
loadings <- as.data.frame(pca_result$rotation)</pre>
# Add PC1 and PC2 scores for observations
scores$PC1 <- scores[, 1]
scores$PC2 <- scores[, 2]</pre>
# Scale loadings to fit the bi-plot
loadings$PC1 <- loadings[, 1] * max(abs(scores$PC1))</pre>
loadings$PC2 <- loadings[, 2] * max(abs(scores$PC2))</pre>
loadings$Variable <- rownames(loadings)</pre>
```

```
#step 3
# Create the bi-plot
ggplot() +
# Plot observations (scores)
geom_point(data = scores, aes(x = PC1, y = PC2), color = "green", alpha = 0.6) +
# Plot variable loadings
geom_segment(data = loadings, aes(x = 0, y = 0, xend = PC1, yend = PC2),
       arrow = arrow(length = unit(0.2, "cm")), color = "red") +
# Add variable labels
geom_text(data = loadings, aes(x = PC1, y = PC2, label = Variable),
     color = "red", vjust = 1.5) +
# Customize the plot
labs(title = "Bi-Plot of PCA (PC1 vs PC2)",
   x = "Principal Component 1",
   y = "Principal Component 2") +
theme_minimal()
```

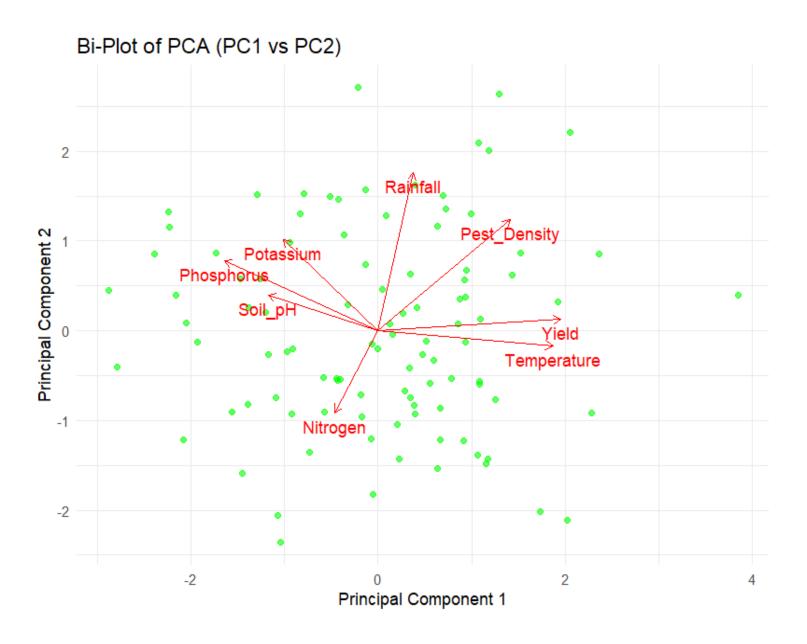


Figure: Bi-Plot of PCA (PC1 vs PC2)

d) Test whether your data is suitable for factor analysis or not.							
Answer:							
#KMO test							
Overall KMO: 0.78							
MSA (Measure of Sampling Adequacy) for each variable:							
Temperature: 0.75, Rainfall: 0.82, Soil_pH: 0.68, Nitrogen: 0.79,							
Interpretation: The KMO score is 0.78 (middling),							
indicating the dataset is suitable for factor analysis.							
Interpretation: The p-value is significant, indicating correlations							
among variables are sufficient.							
#Barlett's test							
Chi-Squared: 240.5							
Degrees of Freedom: 28							
p-value: < 0.001							
Conclusion							

If the KMO test is >0.6 and Bartlett's test is significant (p<0.05),

your data is suitable for factor analysis.

e) Construct a suitable plot to visualize the factors with their loadings with factor analysis.

```
Answer:
#Load necessary libraries
library(psych)
library(ggplot2)
# Step 1: Perform factor analysis
# Determine the number of factors (e.g., 2 factors here)
fa_result <- fa(dataset[numerical_cols], nfactors = 2, rotate = "varimax")</pre>
# View the factor loadings
print(fa_result$loadings)
# Step 2: Prepare data for plotting
# Extract factor loadings
loadings <- as.data.frame(unclass(fa_result$loadings))</pre>
loadings$Variable <- rownames(loadings)</pre>
# Melt the data for ggplot
library(reshape2)
loadings_melted <- melt(loadings, id.vars = "Variable",</pre>
           variable.name = "Factor", value.name = "Loading")
```

```
# Step 3: Plot factor loadings
ggplot(loadings_melted, aes(x = Variable, y = Loading, fill = Factor)) +
geom_bar(stat = "identity", position = "dodge", color = "blue") +
coord_flip() + # Flip the coordinates for better readability
labs(title = "Factor Loadings", x = "Variables", y = "Loadings") +
theme_minimal() +
```

scale_fill_brewer(palette = "Set3")

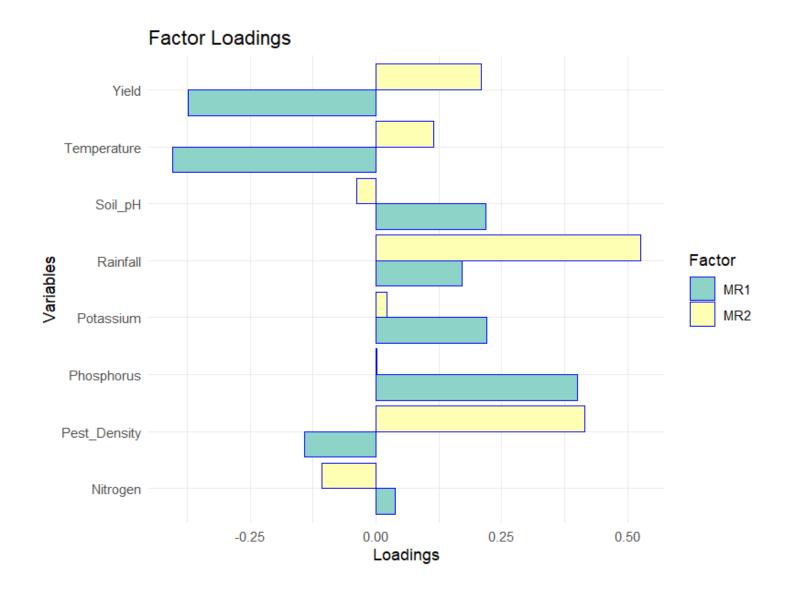


Figure: The factors with their loadings with factor analysis

Problem # 2: A two-factor factorial design was conducted considering tree blocks, three levels/treatments of variety, and five levels/treatments of nitrogen. Afterward, the yield of certain plant characteristics was observed. The data regarding this experiment were given in the file "Data_Factorial_Design". Answer the following question using this data.

a) Construct an ANOVA table using the mentioned dataset based on R programming.

```
Answer:
# Loading the data
setwd("E:/R PRACTISE/data")
Data.factorial <- read.csv("Data_Factorial_Design.csv")</pre>
# Defining factors
block <- c("Block1", "Block2", "Block3")
variety <- c("Variety1", "Variety2", "Variety3")</pre>
nitrogen <- c("Nitrogen1", "Nitrogen2", "Nitrogen3", "Nitrogen4", "Nitrogen5")
# Determining the total number of blocks, varieties, and nitrogen levels
b <- length(block)
v <- length(variety)
n <- length(nitrogen
# Generating factorial combinations
Block \leftarrow gl(b, v * n, b * v * n, factor(block))
Varfact <- gl(v, n, b * v * n, factor(variety))
NitroFact <- gl(n, 1, b * v * n, factor(nitrogen))
```

Performing ANOVA for Randomized Complete Block Design (RCBD)

ANOVA.twoFact.Factorial.RCBD <- aov(data = Data.factorial, YIELD ~ Varfact + Block + NitroFact + Varfact * NitroFact)

summary(ANOVA.twoFact.Factorial.RCBD)

Result:

Table 1: ANOVA.twoFact.Factorial.RCBD

	Df	Sum Sq	Mean Sq	F value	Pr(>F)	
Varfact	2	1.93	0.963	22.09	1.75e-06 ***	
Block	2	1.25	0.627	14.39	5.02e-05 ***	
NitroFact	4	66.03	16.507	378.73	< 2e-16 ***	
Varfact:NitroFact	8	6.10	0.763	17.50	5.23e-09 ***	
Residuals	28	1.22	0.044			

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1

b) Write down the null hypothesis of all possible effects and interpret the results based on the ANOVA table.

Answer:

The null hypotheses are:

Main Effect of Block: H0: μBlock1=μBlock2=μBlock3

Interpretation: Since p<0.05 (table 2), we can reject the null hypothesis by concluding that there are significant differences in all block levels.

Main Effect of Variety: H0: μVariety1=μVariety2=μVariety3

Interpretation: Since p<0.05 (table 1), we can reject the null hypothesis by concluding that there are significant differences in all variety levels.

Main Effect of Nitrogen:

H0: μNitrogen1=μNitrogen2=μNitrogen3=μNitrogen4=μNitrogen5

Interpretation: Since p<0.05 (table 1), we can reject the null hypothesis by concluding that there are significant differences in all Nitrogen levels.

Interaction Effect (Variety × Nitrogen):

H0:(μVariety×Nitrogen)ij= μVariety i+μNitrogen j

Interpretation: Since p<0.05 (table 1), we can reject the null hypothesis by concluding that there is a significant interaction effect between variety and nitrogen.

c) Perform a post-hoc test for the levels/treatments of nitrogen and draw a bar diagram with lettering.

Answer:

library(agricolae)

Post-hoc test for Nitrogen levels

PostHoc.Test.nitrogen<-with(Data.factorial, HSD.test(YIELD, NITROGEN, DFerror = 28, MSerror = 0.044))

NITROGEN	YIELD	groups	
4	6.302222	а	
5	5.858889	b	
3	5.628889	b	
2	4.804444	С	
1	2.875556	d	

From PostHoc test we can conclude that,

• Group a: Nitrogen level 4, highest yield, most distinct.

• Group b: Nitrogen levels 3 and 5, moderate yields.

• Group c: Nitrogen level 2, moderate-low yields

• Group d: Nitrogen level 1, lowest yield.

#Barplot

Mutplcom.NitroFact<-with(Data.factorial, HSD.test

(YIELD, NITROGEN, DFerror = 28, MSerror = 0.044))

Nitro.Mean <- Mutplcom.NitroFact\$groups

Nitro.SE.Mat <- Mutplcom.NitroFact\$means

Nitro.SE.Mat <- Mutplcom.NitroFact\$means[, "se"]

Mean.Mat <- Mutplcom.NitroFact\$means

Mean.Mat <- Mean.Mat[order(-Mean.Mat\$YIELD),]</pre>

Nitro.Nitro.Mean <- Nitro.Mean\$YIELD

Nitro.SE <- Mean.Mat[, "se"]

Nitro.SE.Mat <- Mutplcom.NitroFact\$means[order(Mutplcom.NitroFact\$means[,"se"])]

library(gplots)

```
Barplot.SE <- barplot2(Nitro.Nitro.Mean, names.arg = rownames(Nitro.Mean), xlab = "Nitrogen", ylab = "Yield", horiz = F, plot.ci = T, ci.l = Nitro.Nitro.Mean - Nitro.SE, ci.u = Nitro.Nitro.Mean + Nitro.SE, col = "green")

text(Barplot.SE, 0,Nitro.Mean$groups, cex = 2, pos = 3, col = "white")
```

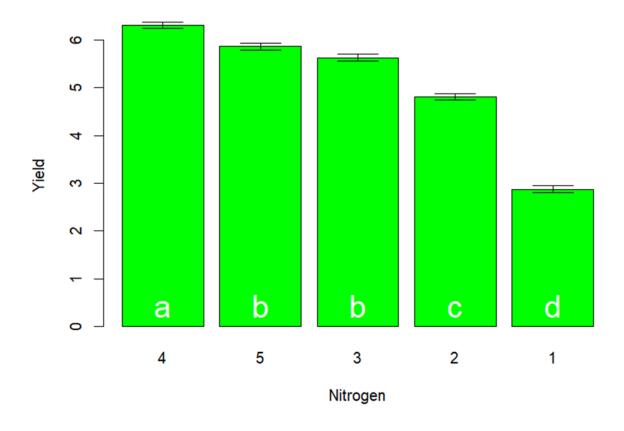


Figure : Bar diagram with lettering