

Question 2:

a)

Loop:

Category	Instructions	CPI(Clock Cycle per Instruction)	Instruction Count
A: Arithmetic and Comparison	add, addu, sub, slt, etc..	1	42
B: Memory	lw, sw	8	2
D: Branch and Jump	beq, bnq, j, jal	2	13

Recursion:

Category	Instructions	CPI(Clock Cycle per Instruction)	Instruction Count
A: Arithmetic and Comparison	add, addu, sub, slt, etc..	1	103
B: Memory	lw, sw	8	77
D: Branch and Jump	beq, bnq, j, jal	2	75

b)

Loop:***Clock cycles = Instruction Count x Cycles Per Instruction***

$$\begin{aligned}
 \text{Clock cycles} &= (1 \times 42) + (8 \times 2) + (2 \times 13) \\
 &= 42 + 16 + 26 \\
 &= 84
 \end{aligned}$$

Recursion:***Clock cycles = Instruction Count x Cycles Per Instruction***

$$\begin{aligned}
 \text{Clock cycles} &= (1 \times 103) + (8 \times 77) + (2 \times 75) \\
 &= 103 + 616 + 150 \\
 &= 869
 \end{aligned}$$

c)

Loop:

Clock cycles = Instruction Count x Cycles Per Instruction

$$\begin{aligned}\text{Clock cycles} &= (1 \times 42) + (4 \times 2) + (2 \times 13) \\ &= 42 + 8 + 26 \\ &= 76\end{aligned}$$

Increase in function speed = (Old Total Clock Cycle – New Total Clock Cycle) / Old Total Clock Cycle

$$\text{Increase in function speed} = (84 - 76) / 84 = 0,095238 \approx \%10$$

Recursion:

Clock cycles = Instruction Count x Cycles Per Instruction

$$\begin{aligned}\text{Clock cycles} &= (1 \times 103) + (4 \times 77) + (2 \times 75) \\ &= 103 + 308 + 150 \\ &= 561\end{aligned}$$

Increase in function speed = (Old Total Clock Cycle – New Total Clock Cycle) / Old Total Clock Cycle

$$\text{Increase in function speed} = (869 - 561) / 869 = 0,354430 \approx \%36$$

Question 3:**a)**Minimum Integer Value = -2147483648_{10} 2's Complement: $10000000000000000000000000000000_2$ Hexadecimal: 80000000_{16} Maximum Integer Value = 2147483647_{10} 2's Complement: $00000000000000000000000000000001_2$ Hexadecimal: $7FFFFFFF_{16}$ **b)**

$$-22.2_{10} = -(16+4+2+0.2)_{10} = -10110.0011001100110011001_2 = -1.01100011001100110011001_2 \times 2^4$$

$$X = -1.01100011001100110011001_2 \times 2^4 \quad \rightarrow \quad X = (-1)^S \times (1 + \text{Fraction}) \times 2^{(\text{Exponent} - \text{Bias})}$$

S=1 since number is negative

Fraction = $01100011001100110011001_2$

S	Exponent	Fraction
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$$= 131_{10} = 10000011_2$$

$$\text{Exponent} - \text{Bias} = \text{Exponent} - 127 = 4 \Rightarrow \text{Exponent}$$

Therefore 32 bit floating point representation of 22.2_{10} is:

1 10000011 01100011001100110011001